

Technical Guidance

March 22, 2020

This document is the technical guidance for the group project of Dr. Xin Tong’s DSO 530 class in Spring 2020 at the University of Southern California. It provides some details about the common features that we created for each group. It will also give you some details about the metrics to evaluate your trading strategy.

You are provided with 2 zip files. The first zip file (raw data.zip) contains the daily stock data of the 50 companies contributing to the SSE Index. The second zip file (engineered features.zip) contains the features engineered from the raw data and the feature engineering process is described below. You are encouraged to engineer more predictors from raw data to achieve better performance.

Note that all data features in the second zip file (engineered features.zip) are lagged by one day because you are not allowed to use today’s data to predict today’s value.

1 Common Features

From the raw datasets, we have engineered the following variables: *MA5* (5-day Moving Average), *MA15* (15-day Moving Average), *5-day Return*, *15-day Return*, *RSI* (Relative Strength Index), *Stochastic %K* (Stochastic Oscillator), *Stochastic %D* (Stochastic Oscillator), *Chaikin AD Line*, *PROC* (Price Rate of Change), *OBV* (On Balance Volume). These are standard features used in technical analysis of the stock market and all of them can be constructed by daily data.

The detailed definitions of all features are as follows.

Note that all the C_t below represent the *adjusted closing price* at time t .

A **moving average** (MA) is widely used in technical analysis. It helps smoothing out price action by filtering out the “noise” from random short-term price fluctuations. It is a trend-following indicator. In particular, in the project, we provide two features based on the MA idea:

$$\text{MA5}(t) = \frac{1}{5} \sum_{i=0}^4 C_{t-i},$$

$$\text{MA15}(t) = \frac{1}{5} \sum_{i=0}^{14} C_{t-i}.$$

N-Day Returns

$$\text{5-Day Return}(t) = \frac{C_t - C_{t-4}}{C_{t-4}},$$

$$\text{15-Day Return}(t) = \frac{C_t - C_{t-14}}{C_{t-14}}.$$

The **relative strength index (RSI)** is a momentum indicator that measures the magnitude of recent price changes to evaluate overbought or oversold conditions in the price of a stock or other asset. The RSI is displayed as an oscillator (a line graph that moves between two extremes) and can have a reading from 0 to 100. The indicator was originally developed by J. Welles Wilder Jr. and introduced in his seminal 1978 book, *New Concepts in Technical Trading Systems*.

$$\text{RSI}(t) = 100 - \frac{100}{1 + \text{RS}(t)},$$

where

$$\text{RS}(t) = \frac{\text{average gain(in percentage) over the 14 days leading up to and including } t}{\text{average loss(in percentage) over the 14 days leading up to and including } t}.$$

A **stochastic oscillator** is a momentum indicator that compares a particular closing price of a security to a range of its prices over a certain period of time. The sensitivity of the oscillator to market movements is reducible by adjusting that time period or by taking a moving average of the result. It is used to generate overbought and oversold trading signals, utilizing a 0-100 bounded range of values. We consider two stochastic oscillators:

$$(1) \quad \%K(t) = \frac{C_t - L_{t,14}}{H_{t,14} - L_{t,14}},$$

where $L_{t,14}$ and $H_{t,14}$ are the highest high and lowest low during the 14 days leading up to and including t .

$$(2) \quad \%D(t) = \text{3-period moving average of } \%K.$$

The **accumulation/distribution line (Chaikin AD Line)** was created by Marc Chaikin to determine the flow of money into or out of a security.

$$\text{AD}(t) = \text{CLV}(t) \times \text{Volume}(t),$$

where

$$\text{CLV}(t) = \frac{(C_t - L_t) - (H_t - C_t)}{H_t - L_t}.$$

Note that **close location value (CLV)** looks at the location of the close and compares it to the range for a given period (one day, week or month). Here, our definition specifically uses one day.

Price Rate of Change (PROC): equivalent to n-day return and we use n=1 here.

On-balance volume (OBV) is a technical trading momentum indicator that uses volume flow to predict changes in stock price. Joseph Granville first developed the OBV metric in the 1963 book *Granville's New Key to Stock Market Profits*.

$$OBV(t) = OBV(t-1) + \begin{cases} \text{Volume}(t), & \text{if } C_t > C_{t-1} \\ 0, & \text{if } C_t = C_{t-1} \\ -\text{Volume}(t), & \text{if } C_t < C_{t-1} \end{cases} \quad (1)$$

These features of each stock have been created for you. As an illustration, we calculate the *N-day Returns* of the one stock as follows.

```
[1]: import pandas as pd
import numpy as np

# read csv file
Stock = pd.read_csv('SH600000.csv')
Stock
```

```
[1]:      Time      Open      High      Low      Close      Volume
0      Day1  154.6414  159.7405  154.4560  156.9592  45036400
1      Day2  156.9592  158.7207  156.3102  156.5883  21043100
2      Day3  156.5883  158.5353  155.8467  158.4426  23335200
3      Day4  158.9988  162.1510  158.9988  159.5551  33835300
4      Day5  159.5551  160.8530  158.6280  160.0186  29530100
..      ...      ...      ...      ...      ...
751    Day752  157.8890  159.6702  157.5073  158.0162  40150148
752    Day753  158.5252  158.5252  154.8356  155.2172  37033892
753    Day754  155.3445  156.3623  155.2172  156.2351  21671028
754    Day755  156.3623  156.3623  155.2172  155.7262  13678175
755    Day756  155.9806  156.7440  155.5989  156.3623  15739054
```

[756 rows x 6 columns]

```
[2]: price = Stock["Close"]
# initialize results array
day5Return = np.zeros(len(Stock))
day15Return = np.zeros(len(Stock))

# use formular to calculate the results
for i in range(14, len(Stock)):
    day5Return[i] = 100*(price[i]-price[i-4])/price[i-4]
    day15Return[i] = 100*(price[i]-price[i-14])/price[i-14]
```

Because we are not allowed to use today's data to predict today's value, we move the whole data set one day forward.

```
[3]: #calculate the lagged data
day5Returnlag = np.append(np.array([0]),day5Return[0:len(day5Return)-1])
day15Returnlag = np.append(np.array([0]),day15Return[0:len(day5Return)-1])

[4]: Stock["day5Returnlag"] = day5Returnlag
Stock["day15Returnlag"] = day15Returnlag

[5]: Stock.loc[16:30,["Time","day5Returnlag"]]

[5]:      Time  day5Returnlag
16  Day17      0.233345
17  Day18     -3.690899
18  Day19     -4.745577
19  Day20     -3.785677
20  Day21     -5.238613
21  Day22     -2.275446
22  Day23     -2.821127
23  Day24     -1.997545
24  Day25     -0.184254
25  Day26     -1.102947
26  Day27     -0.617661
27  Day28     -0.741179
28  Day29     -0.246192
29  Day30      0.991346
30  Day31      1.491572
```

For all engineered variables, we only give the values stating at Day17.

2 Evaluation Metrics

As decribed in project description, we suggest 3 metrics to evaluate your trading strategy.

The first one is the amount of money you have at the end of Day756.

The second metric is the *Sharpe ratio*. Usually, people prefer a higher Sharpe ratio.

The third metric is the number of days you make a profit. This metric reflects some psychological effects of your trading algorithm.

The first and third metrics are straightforward to calculate. Here, we talk more about the *Sharp ratio*.

The *Sharpe ratio* was developed by Nobel laureate William F. Sharpe and is used to help investors understand the return of an investment strategy compared to its risk. The ratio is the average return earned in excess of the risk-free rate per unit of volatility.

Here, to simplify the problem, we set the risk free rate to zero and use the following formula to calculate the Sharp Ratio:

$$Sharp\ ratio = \frac{\sqrt{252} \times Mean(pnl)}{StdDev(pnl)}$$

where

$$pnl(t) = \frac{total\ asset(t)}{total\ asset(t-1)} - 1$$

and

$$total\ asset(t) = money\ in\ investment\ account(t) + holding\ stock\ value(t)$$

Note that pnl represents *profit and loss* and (t) represents that it is the value at the day t .

3 A Toy Example

Suppose stock A's adjusted closing price (per share) within one week is as follows.

	Day1	Day2	Day3	Day4	Day5	Day6	Day7
Stock A	27	27.5	28	27	26	26.5	27

Assume that we have \$10,000 on the evening before Day1. Suppose our investment strategy is to only trade Stock A and to execute the following operations:

- (1) Buy 300 shares of Stock A at Day 1
- (2) Sell 300 shares of Stock A at Day 3
- (3) Buy 350 shares of Stock A at Day 5
- (4) Sell 350 shares of Stock A at Day 7

Then we calculate our total asset day by day:

$$\text{Day 1: total asset}(1) = (10000 - 300 * 27 * (1 + 0.065\%)) + (300 * 27) = 9994.735$$

$$\text{Day 2: total asset}(2) = (10000 - 300 * 27 * (1 + 0.065\%)) + (300 * 27.5) = 10144.735$$

$$\text{Day 3: total asset}(3) = (10000 - 300 * 27 * (1 + 0.065\%)) + (300 * 28 * (1 - 0.065\%)) = 10289.275$$

$$\text{Day 4: total asset}(4) = \text{total asset}(3) = 10289.275$$

$$\text{Day 5: total asset}(5) = (10289.275 - 350 * 26 * (1 + 0.065\%)) + (350 * 26) = 10283.36$$

$$\text{Day 6: total asset}(6) = (10289.275 - 350 * 26 * (1 + 0.065\%)) + (350 * 26.5) = 10458.36$$

$$\text{Day 7: total asset}(7) = (10289.275 - 350 * 26 * (1 + 0.065\%)) + (350 * 27 * (1 - 0.065\%)) = 10627.2175$$

Metric one is the total asset of the last day after selling all the holding stocks: \$10627.2175

Metric two is the *Sharp ratio*:

We calculate the $pnl(t)$ from the second day to the last day.

According to the formula above, we can get the results as follows.

$$pnl(2) = \text{total asset}(2) / \text{total asset}(1) - 1 = 10144.735 / 9994.735 - 1 = 0.015007901660224032$$

$$pnl(3) = \text{total asset}(3) / \text{total asset}(2) - 1 = 10289.275 / 10144.735 - 1 = 0.014247784688313558$$

$$pnl(4) = \text{total asset}(4) / \text{total asset}(3) - 1 = 10289.275 / 10289.275 - 1 = 0$$

$$pnl(5) = \text{total asset}(5) / \text{total asset}(4) - 1 = 10283.36 / 10289.275 - 1 = -0.000574870435477659$$

$$pnl(6) = \text{total asset}(6) / \text{total asset}(5) - 1 = 10458.36 / 10283.36 - 1 = 0.01701778407057608$$

$$pnl(7) = \text{total asset}(7) / \text{total asset}(6) - 1 = 10627.2175 / 10458.36 - 1 = 0.01614569588348469$$

```
[6]: pnl = np.zeros(6)
      pnl[0] = 10144.735 / 9994.735 - 1
      pnl[1] = 10289.275 / 10144.735 - 1
      pnl[2] = 10289.275 / 10289.275 - 1
      pnl[3] = 10283.36 / 10289.275 - 1
      pnl[4] = 10458.36 / 10283.36 - 1
      pnl[5] = 10627.2175 / 10458.36 - 1
```

```
[7]: pnl
```

```
[7]: array([ 0.0150079 ,  0.01424778,  0.          , -0.00057487,  0.01701778,
          0.0161457 ])
```

$$\text{Sharp ratio} = \text{sqrt}(252) * \text{mean}(pnl) / \text{std}(pnl) = 21.691564622961124$$

```
[8]: Sharp_ratio = np.sqrt(252) * np.mean(pnl) / np.std(pnl)
      Sharp_ratio
```

```
[8]: 21.691564622961124
```

Metric three is the number of days you make a profit (compared to yesterday): 4

```
[9]: np.sum(pnl > 0)
```

```
[9]: 4
```

references:

<https://www.investopedia.com/>