

## Microeconometrics

### Assignment 4

#### Question 1

For this exercise you will use the data set WAGES.DTA taken from the Panel Study of Income dynamics, Cornwell and Rupert (*Journal of Applied Econometrics*, 1988). The data set contains observations on 595 individuals over 7 years, 1976-1982.

The list of the variables is as follows:

**ID** = variable identifying individuals.

**YEAR** = variable identifying time.

**EXP** = Years of full-time work experience.

**WKS** = Weeks worked.

**OCC** = (OCC=1, if the individual is in a blue-collar occupation).

**IND** = (IND=1, if the individual works in a manufacturing industry).

**SOUTH** = (South=1, if the individual resides in the South).

**SMSA** = (SMSA=1, if the individual resides in a standard metropolitan statistical area).

**MS** = (MS=1, if the individual is married).

**FEM** = (FEM=1, if the individual is female).

**UNION** = (Union=1, if the individual's wage is set by a union contract).

**ED** = Years of education.

**BLK** = (BLK=1, if the individual is black).

**LWAGE** = Logarithm of wage.

Consider the following wage rate equation specifications:

$$w_{it} = \gamma w_{i,t-1} + \beta' \tilde{x}_{it} + \delta d_{it} + \alpha_i + u_{it}, \quad (1)$$

$$w_{it} = \beta' \tilde{x}_{it} + \delta d_{it} + \alpha_i + u_{it}, \quad (2)$$

where  $x_{it}$  stand for years of schooling, experience, industry dummies and occupational dummies, and  $d_{it}$  is the union status dummy. Use the Cornwall and Rupert data (*Journal of Applied Econometrics*, (1988) to estimate (1) and (2) by

(1) covariance method (Least Squares dummy variable).

(2) generalized method of moments estimator.

(3) Random Effects Estimator

Use your results to answer the following questions:

(A) Your preferred specification.

(b) Does union membership raise wage rate?

Make sure to give reasons for your answers. vf

## Question 2

Consider the model

$$y_{it} = \gamma y_{i,t-1} + \alpha_i + u_{it}, \quad i = 1, \dots, N, \\ t = 0, 1, \dots, T.$$

Let  $\gamma=.5$ ,  $u_{it} \sim N(0, 1)$ ,  $\alpha_i \sim N(0, 1)$ . Generate  $200 + T$  observations of  $y_{it}$  and throw away the first 200 observations. Consider the case of  $N=200$ ,  $T=5$  and  $N=200$ ,  $T=54$ . Estimate  $\gamma$  by the simple instrumental variable method, GMM and the MLE. Construct the  $t$ -statistic for the null:  $\gamma=.5$ . Replicate the experiment 1000 times. Find the actual size based on different estimators using the critical value of 1.96. (for the nominal significance level of 5%).