

(1). we have the structure: if  $i, j$  is not an obstacle

$\text{Num}[\text{from } 0, 0 \rightarrow i, j]$

$= \text{Num}[\text{from } 0, 0 \rightarrow i-1, j] + \text{Num}[\text{from } 0, 0 \rightarrow i, j-1]$

$+ \text{Num}[\text{from } 0, 0 \rightarrow i-1, j-1]$

if  $(i-1, j)$  or  $(i, j-1)$  or  $(i-1, j-1)$  is the obstacle,  
the number is 0.

so we can compute a 2D array:

$\text{arr}[i][j]$  means the number of ways from  $0, 0 \rightarrow i, j$ .

(2). pseudo-code.

find Num ( obstacleArr, m, n )

create  $\text{dp}[m][n] = \{0\}$ .

for  $i$  in  $1 \sim m-1$ :

if  $\text{dp}[i][0]$  is not an obstacle:

$\text{dp}[i][0] = \text{dp}[i-1][0]$

for  $i$  in  $1 \sim n-1$ :

if  $\text{dp}[0][i]$  is not an obstacle:

$\text{dp}[0][i] = \text{dp}[0][i-1]$

return  $\text{dp}[m-1][n-1]$

for  $i$  in  $1 \sim m-1$ :

for  $j$  in  $1 \sim n-1$ :

if  $(i, j)$  is an obstacle:

$$dp[i, j] = 0$$

else:

$$dp[i, j] = dp[i-1, j] + dp[i, j-1] \\ + dp[i-1, j-1]$$

return  $dp[m-1, n-1]$ ;