

1. a. F need to send four request messages.
 - b. T This two pages are from same server.
 - c. F For non-persistent connections, a single TCP connection can only carry one request message.
 - d. F It indicates when the request was created.
 - e. F Some response messages have an empty body.
- example: status-code: 204. 304.

2. time for getting IP:

$$t_1 = RTT_1 + RTT_2 + \dots + RTT_n$$

time for getting HTML

$$t_2 = 2RTT_0$$

so. total time:

$$t = t_1 + t_2 = 2RTT_0 + RTT_1 + RTT_2 + \dots + RTT_n$$

3. a. one request need $2RTT_0$.

$$\text{total: } (2 + 8 \times 2)RTT_0 + t_1 = 18RTT_0 + RTT_1 + \dots + RTT_n$$

$$b. RTT_1 + \dots + RTT_n + 2RTT_0 + 2 \cdot 2RTT_0$$

$$= 6RTT_0 + RTT_1 + \dots + RTT_n$$

$$c. RTT_{tcp} + 2RTT_{http} + t_1 = 3RTT_0 + RTT_1 + \dots + RTT_n$$

$$u = u_1 + u_2 + \dots + u_N$$

4. a. Divide file into N parts, with the i^{th} part having size $(u_i/u)F$.

transmitting the i^{th} part into peer i at rate $r_i = (u_i/u)u_s$. peer i can transmit i^{th} part to other $N-1$ peers, at the rate r_i :

$$\text{total rate } (N-1)r_i = (N-1)(u_i/u)u_s = (N-1)u_i u_s / u \leq u_i$$

thus: rate of peer i is less than u_i

Thus each peer receives the file in F/u_s .

$$b. \quad u = u_1 + u_2 + \dots + u_N \quad u_s \geq \frac{(u_s + u)}{N}$$

transmission is divided into two part.

①. for each i

$$\frac{u_i}{N-1}$$

②. for each i

$$\frac{u_s - \frac{u}{N-1}}{N}$$

$$\textcircled{1} + \textcircled{2} : \sum_{i=1}^N \frac{u_i}{N-1} + \frac{u_s - \frac{u}{N-1}}{N} = u_s$$

For each peer i receives the bits:

$$\sum_{i=1}^N \frac{u_i}{N-1} + \frac{u_s - \frac{u}{N-1}}{N} = \frac{u_s + u}{N}$$

Therefore, the time required to receive the complete file by each peer (client) is $\frac{NF}{u_s + u}$

$$c. \quad \text{when : } u_s \leq (u_s + u_1 + \dots + u_N) / N \quad t \geq \frac{F}{u_s}$$

$$\text{when : } u_s \geq (u_s + u_1 + \dots + u_N) / N \quad t \geq NF / (u_s + u_1 + \dots + u_N)$$

For all cases: $t \geq \max \{ F/u_s, NF / (u_s + u_1 + \dots + u_N) \}$

thus: minimum distribution time is $\max \{ F/u_s, NF / (u_s + u_1 + \dots + u_N) \}$