## Quiz 3

Date: 2022-02-28

Name:

SID:

Q1. Assume that y=at+10 is a solution of the equation  $y'=5ty+bt^3$ , then please give all solutions of it. (3 pts)

Q2. Solve the equation  $\frac{dy}{dt} = \frac{t^2 - 2y^2}{2ty}$ . (3 pts)

Q3. Solve the equation using the method of variation of parameters  $y^\prime-y=2+3t.$  (4 pts)

Solution

Q1. 
$$y'-1ty=0$$

$$y = C e^{-\int p dt} = C \cdot e^{\frac{t}{\lambda}t^{2}}$$

$$So \quad y = C e^{\frac{t}{\lambda}t^{2}} + a(t) + 10$$

$$C \cdot \int A + t dA$$

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$$\frac{2v}{1-4v^{2}} dv = \frac{1}{x} dx$$

$$-\frac{1}{4} \ln |1-4v^{2}| = \ln |x| + C_{o}$$

$$\ln |1 - 4v^2| = \ln x^{-4} - 4C_0$$

$$|-4v^2| = \frac{C}{x^4}$$

$$C = C^{-4C_0}$$

$$|x^2 - 4y^2| = \frac{C}{x^2}$$

Q3. 
$$y'-y=2+3t$$
  
 $y'-y=0$   $y=Ce^{t}$   
 $y=C(t)e^{t}$   
 $C'(t)e^{t}=2+3t$   
 $C'(t)=2e^{t}+3te^{t}$   
 $C(t)=-2e^{t}-3te^{t}-3e^{-t}+C$   
 $y=-2-3t-3+Ce^{t}$   
 $=-3t-5+Ce^{t}$ 

## Quiz 3

Date: 2022-03-04

Name:

SID:

Q1. Assume that y=a(t)+10 is a solution of the equation  $y'=5ty+b(t)t^3$ , then please give all solutions of it. (3 pts)

Q2. Solve the equation 
$$\frac{dy}{dx} = \frac{xy-2y^2}{2x^2}$$
. (3 pts)

Q3. Solve the equation using the method of variation of parameters  $y^\prime-y=1+5t.$  (4 pts)

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$$\frac{Q3}{y'-y=1+5t}$$

$$y'-y=0 \qquad y=ce^{t}$$

$$y=c(t)e^{t}$$

$$c'(t)e^{t}=1+5t$$

$$c'(t)=.e^{t}+5te^{t}$$

$$c(t) = -e^{t} - 5te^{t} - 5e^{-t} + C$$

$$y = -1 - 5t - 5 + Ce^{t}$$

$$= -5t - 6 + c - e^{t}$$