



JOHNS HOPKINS

WHITING SCHOOL  
*of* ENGINEERING

# Introduction to Data Science

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Dept of Computer Science

Dept of Physics & Astronomy



# About you

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- PhD / Masters / Undergraduate?
- What major?

# About me

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- Background in Physics: Stat/Bio/Astro
  - ▣ Astronomy surveys → Big Data
- Research interest
  - Computational Statistics; Bayesian Inference;
  - Statistical Learning; Scientific Databases;
- Office: Whitehead 212C

# About the course

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- Introduction to data science
- Basic methods – used all the time
- Presentations + Codes
- Syllabus posted soon

# Grades

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- 30% Homework 1 & 2
- 50% Midterm 1 & 2
- 20% Project

# Pre-requisites

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- Linear algebra
- Intro to prob/stat?

# Sections

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- Use your laptop
  - ▣ Also in class...

# Plan for the Timeline

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- Homework 1 – graded in time for dropping
- Midterm 1
- Homework 2
- Midterm 2 – few weeks before end of semester
- Project – presentations



# Format of Lectures

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- Alternating between
  - ▣ Presentations
  - ▣ Coding
- Everything is going to Blackboard

# Homework

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- Data Science problems
- Much like the examples

# Unhomework

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- Same but not graded

# Exams

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- In class
- Coding



What's coming?

# Statistical Learning

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**Supervised**

**Unsupervised**

# Statistical Learning

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	Supervised	Unsupervised
Discrete		
Continuous		

# Statistical Learning

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	Supervised	Unsupervised
Discrete	Classification	
Continuous		



# Statistical Learning

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	Supervised	Unsupervised
Discrete	Classification	
Continuous	Regression	

# Statistical Learning

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	Supervised	Unsupervised
Discrete	Classification	Clustering
Continuous	Regression	

# Statistical Learning

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	Supervised	Unsupervised
Discrete	Classification	Clustering
Continuous	Regression	Dimensionality Reduc'n

# Topics

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descriptive statistics – probabilistic density functions –  
normal distributions – regression – classification –  
nearest neighbors – bias-variance – Bayesian inference  
– robustness – regularization – support vector  
machines – decisions trees – clustering – principal  
component analysis – expectation maximization –  
neural networks – spectral embedding – ...

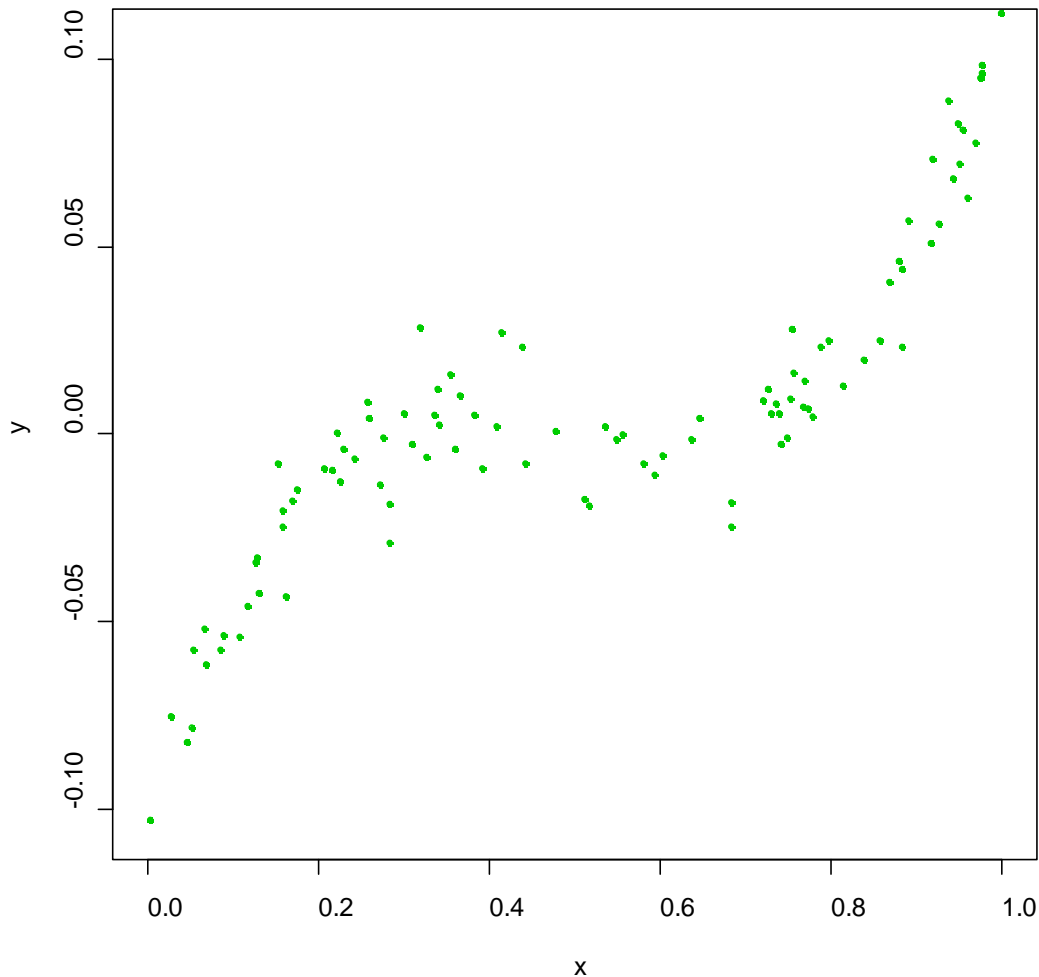


# Supervised Learning

# Learning

- Model
  - ▣ Unknown function
  - ▣ Random noise

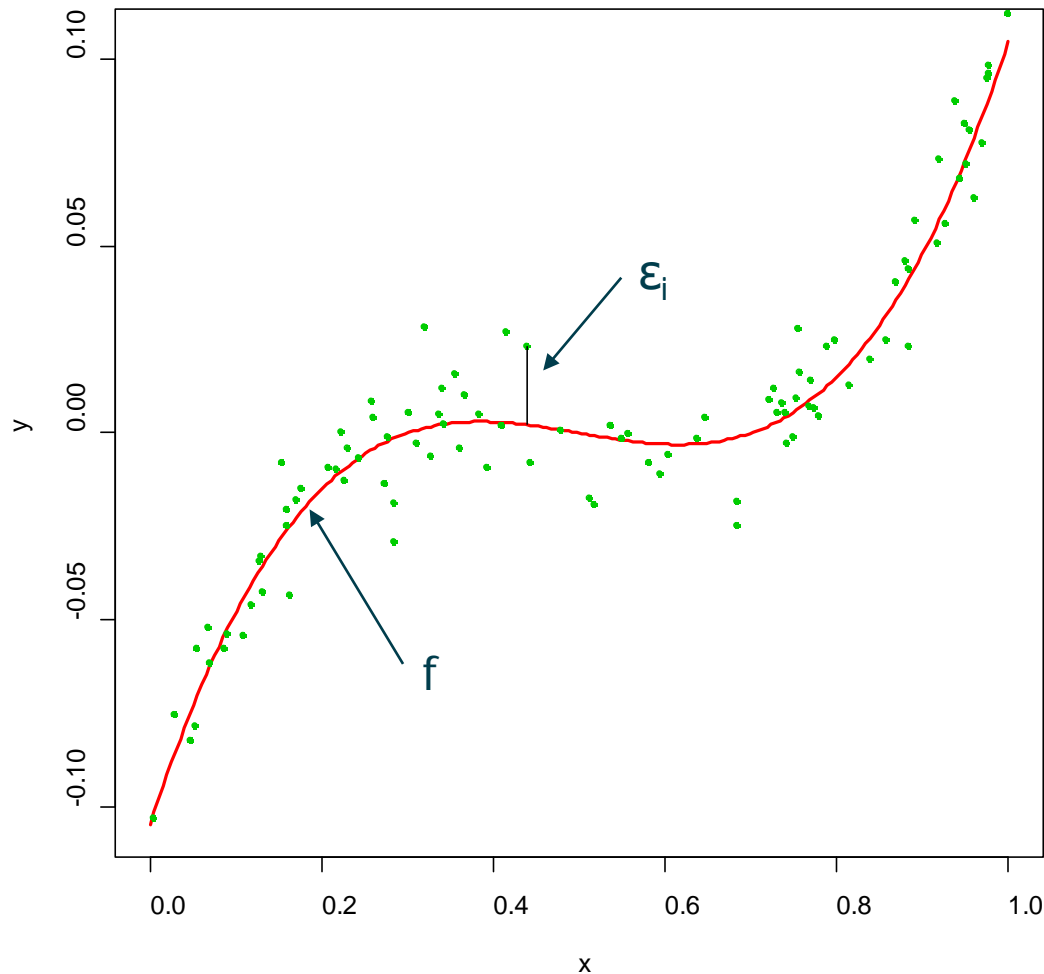
$$Y_i = f(\mathbf{X}_i) + \varepsilon_i$$



# Learning

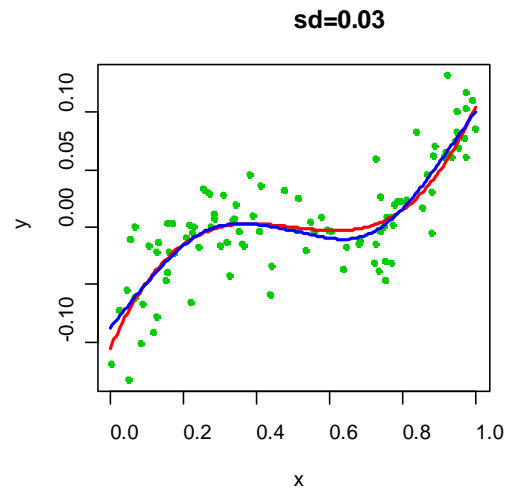
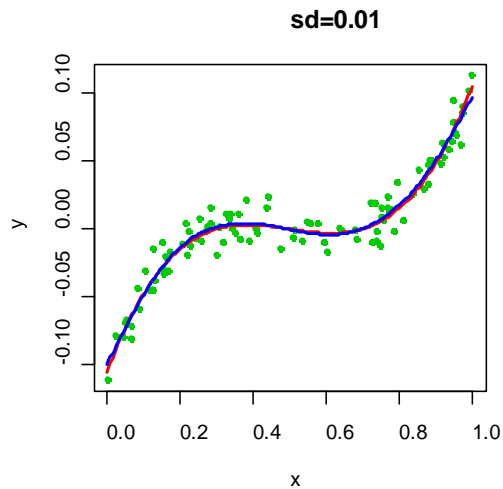
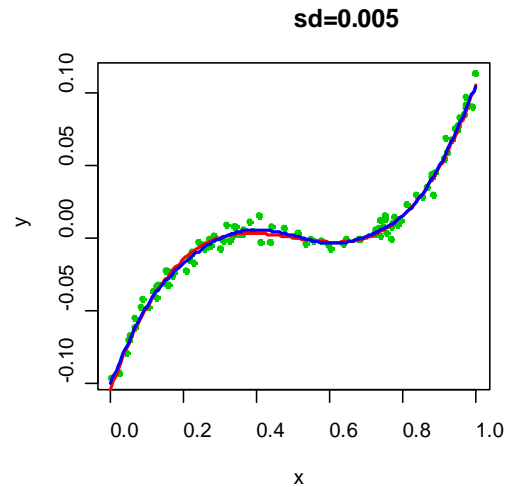
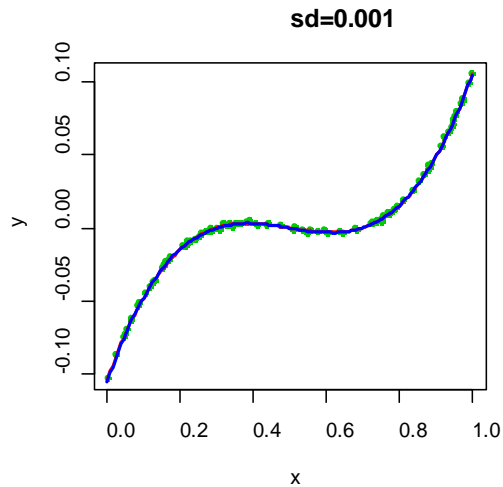
- Model
  - ▣ Unknown function
  - ▣ Random noise

$$Y_i = f(\mathbf{X}_i) + \varepsilon_i$$



# Noise!

- Different scatter
- Different solutions





# Why learn $f(x)$ ?

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- Inference
  - ▣ Relation of variables to target
- Prediction
  - ▣ Estimate  $y$  for a new  $x$

# How to estimate $f(\mathbf{x})$ ?

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- Using a training set with both

- ▣ Input

- ▣ Output

$$\{(\mathbf{x}_1, y_1), (\mathbf{x}_2, y_2), \dots, (\mathbf{x}_n, y_n)\}$$

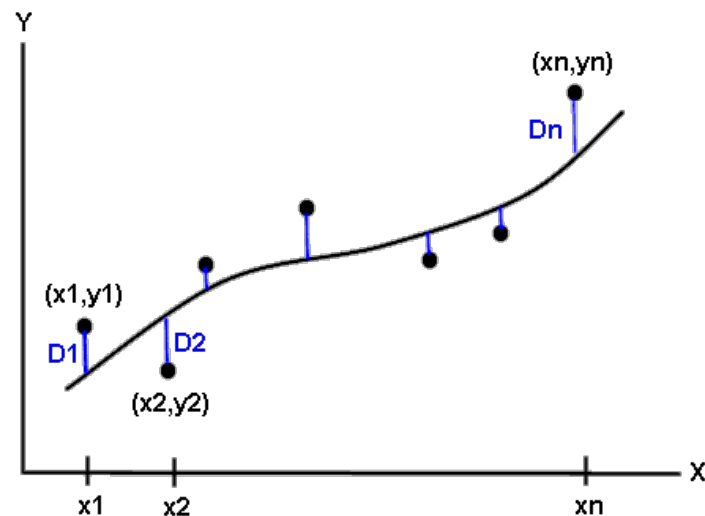
- For example, assuming a linear model

$$f(\mathbf{x}; \boldsymbol{\beta}) = \beta_0 + \beta_1 x_1 + \dots + \beta_d x_d$$

$$f(\mathbf{x}_i; \boldsymbol{\beta}) = \beta_0 + \beta_1 x_{i,1} + \dots + \beta_d x_{i,d}$$

# How to estimate $f(x)$ ?

- One way is the method of least squares
  - ▣ Form differences of  $Y_i$  and  $f(X_i)$
  - ▣ Minimize the sum of squares



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- Which digit?
- Classification!
  - Training set

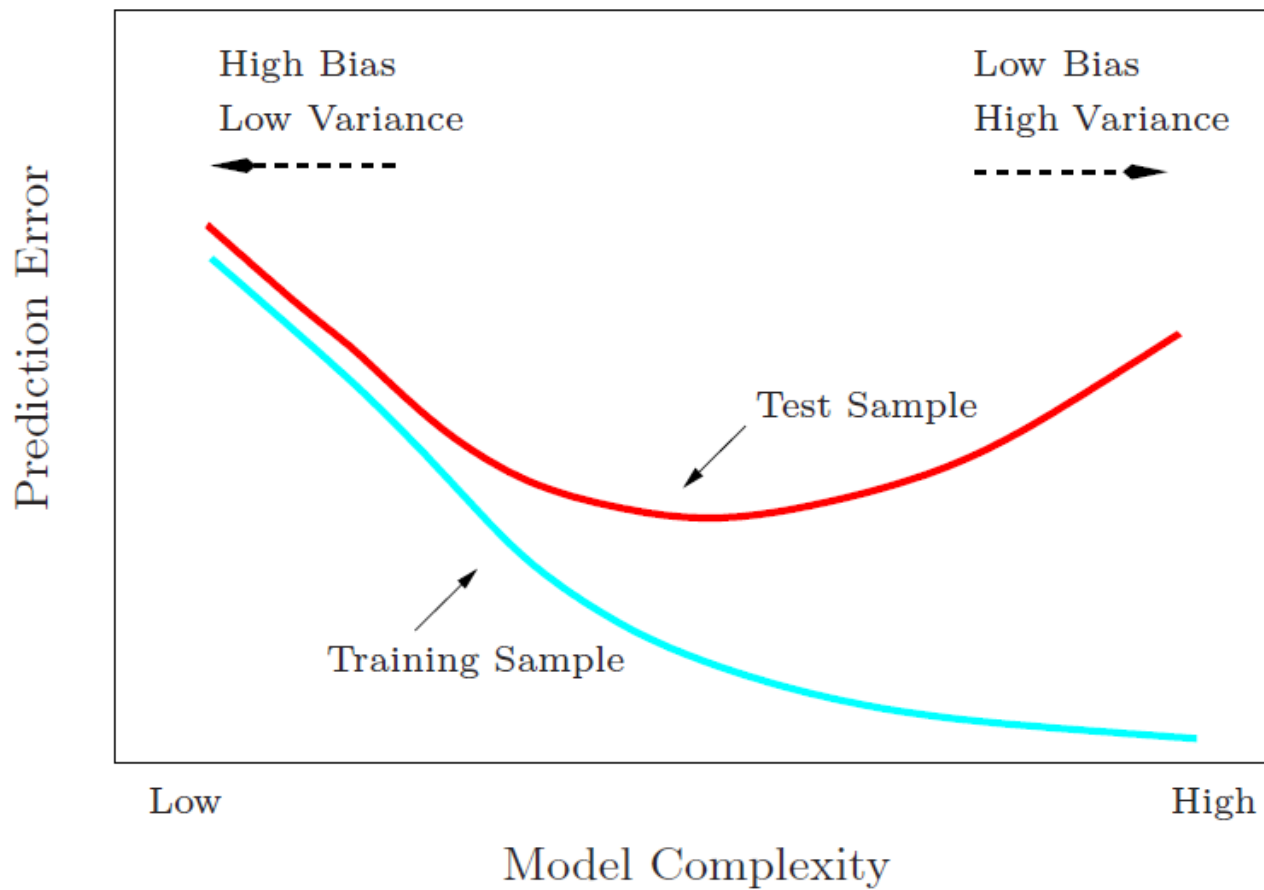
[illegible]

# Complexity

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Complicated models can better fit the data but harder to interpret and understand

- Too simple: underfitting
  - ▣ Bad fit on training & test sets
- Too complex: overfitting
  - ▣ Better on training but worse on test set



# Interpretation

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*There is no true interpretation of anything; interpretation is a vehicle in the service of human comprehension. The value of interpretation is in enabling others to fruitfully think about an idea.*

–Andreas Buja



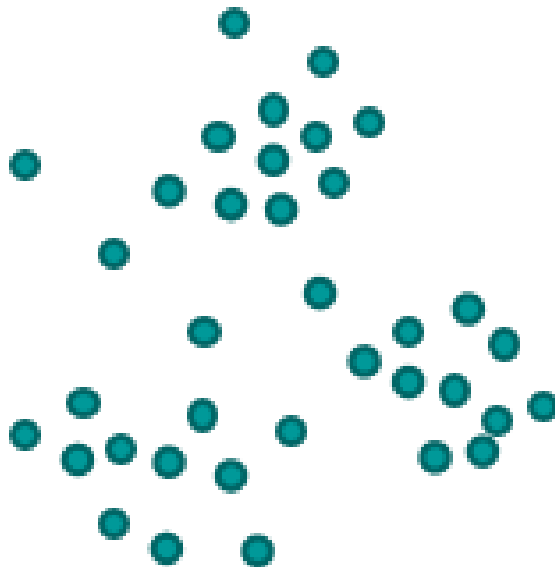
# Unsupervised Learning



# Clustering

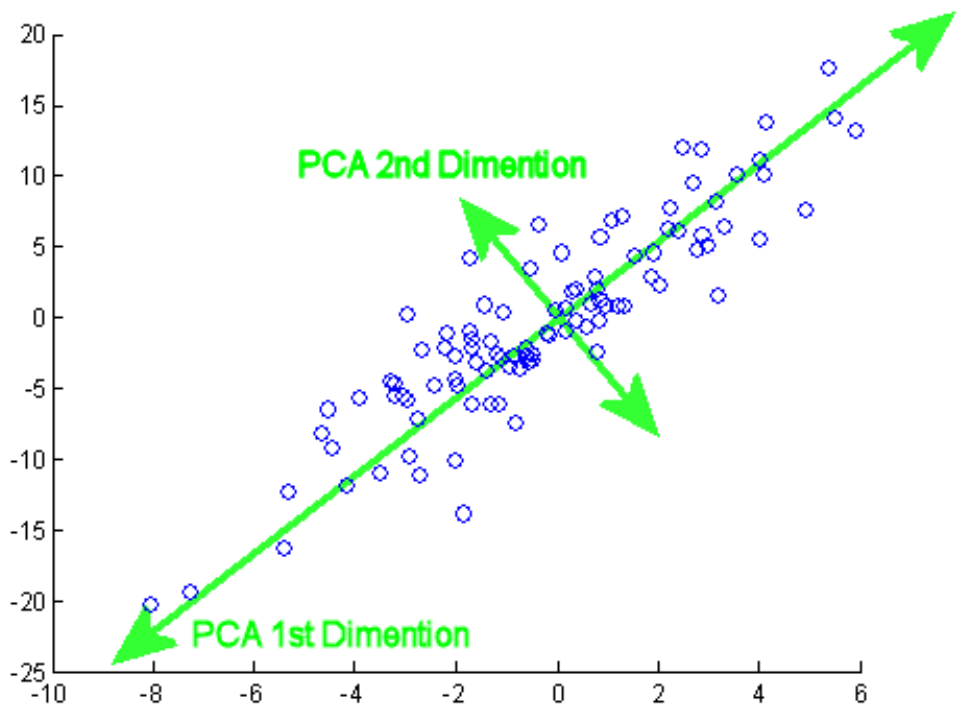
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- If no labels are provided
- We learn the clusters

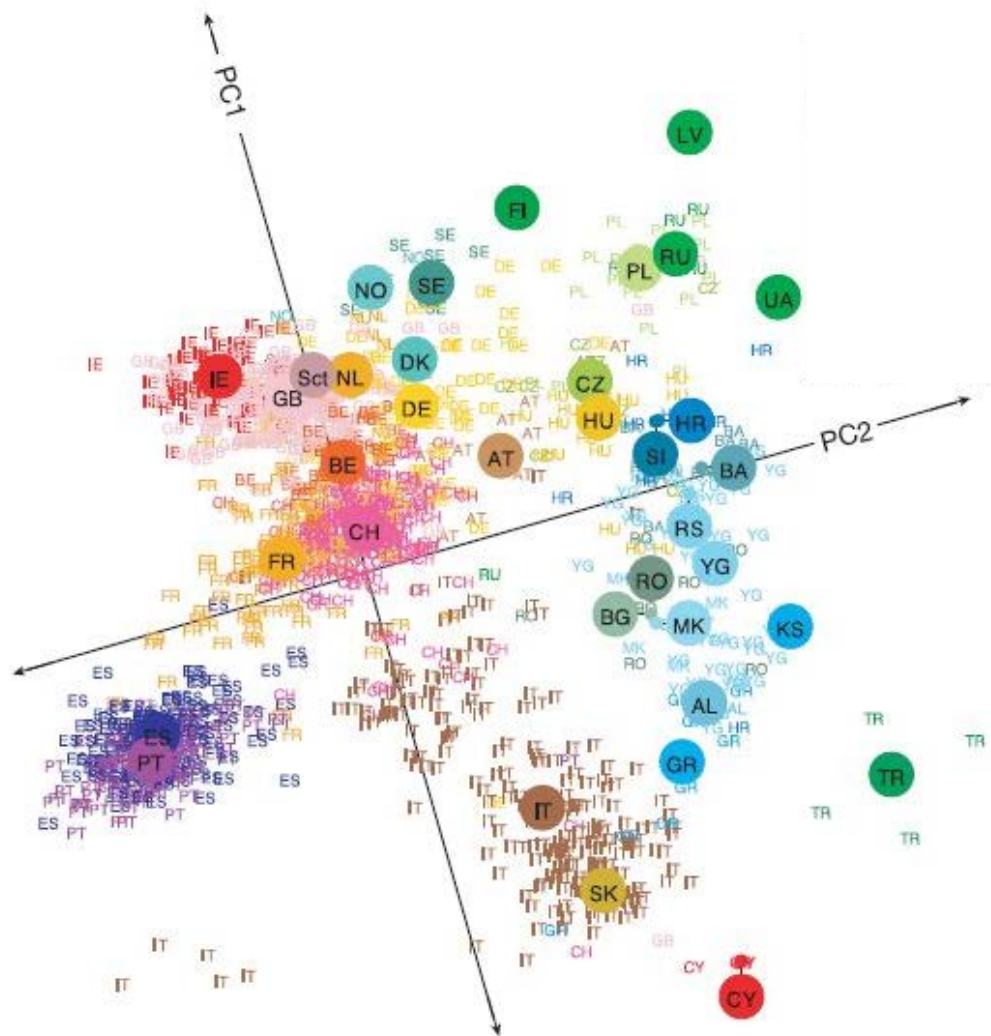


# Principal Component Analysis

- Our model:
  - ▣ Direction of largest variation is relevant
  - ▣ The rest is “noise”

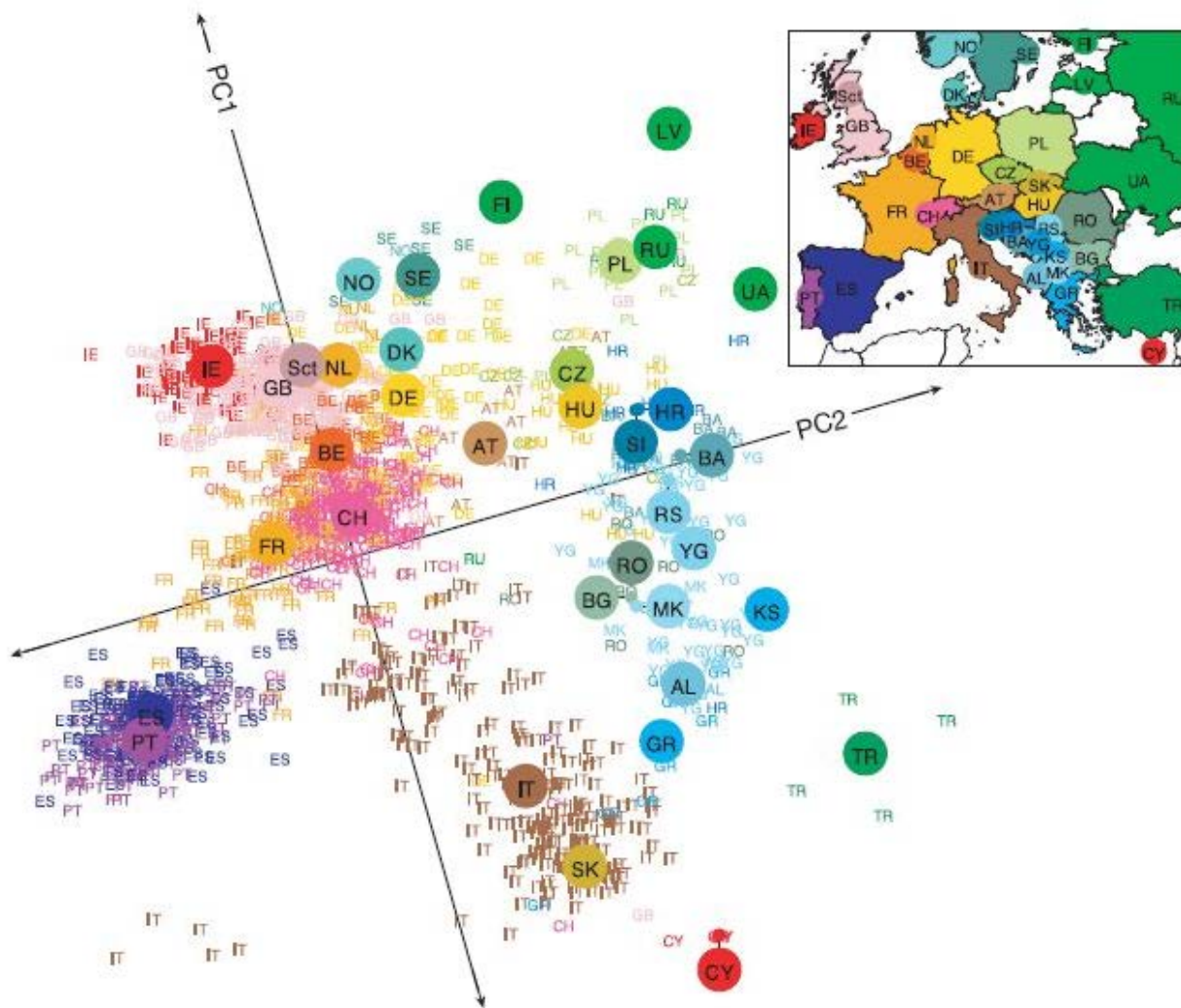


□ PCA



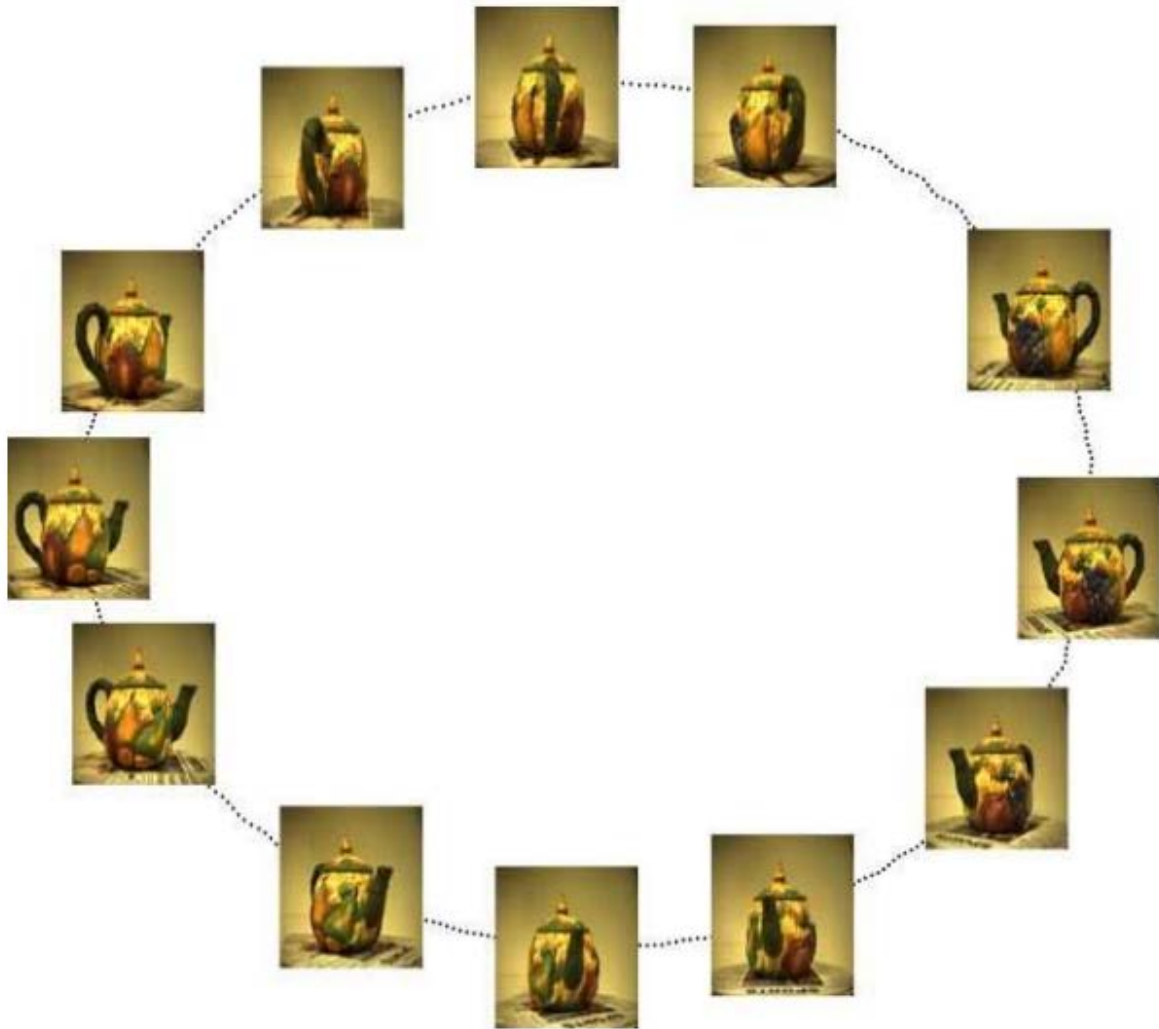
# Genes

- PCA
- Map



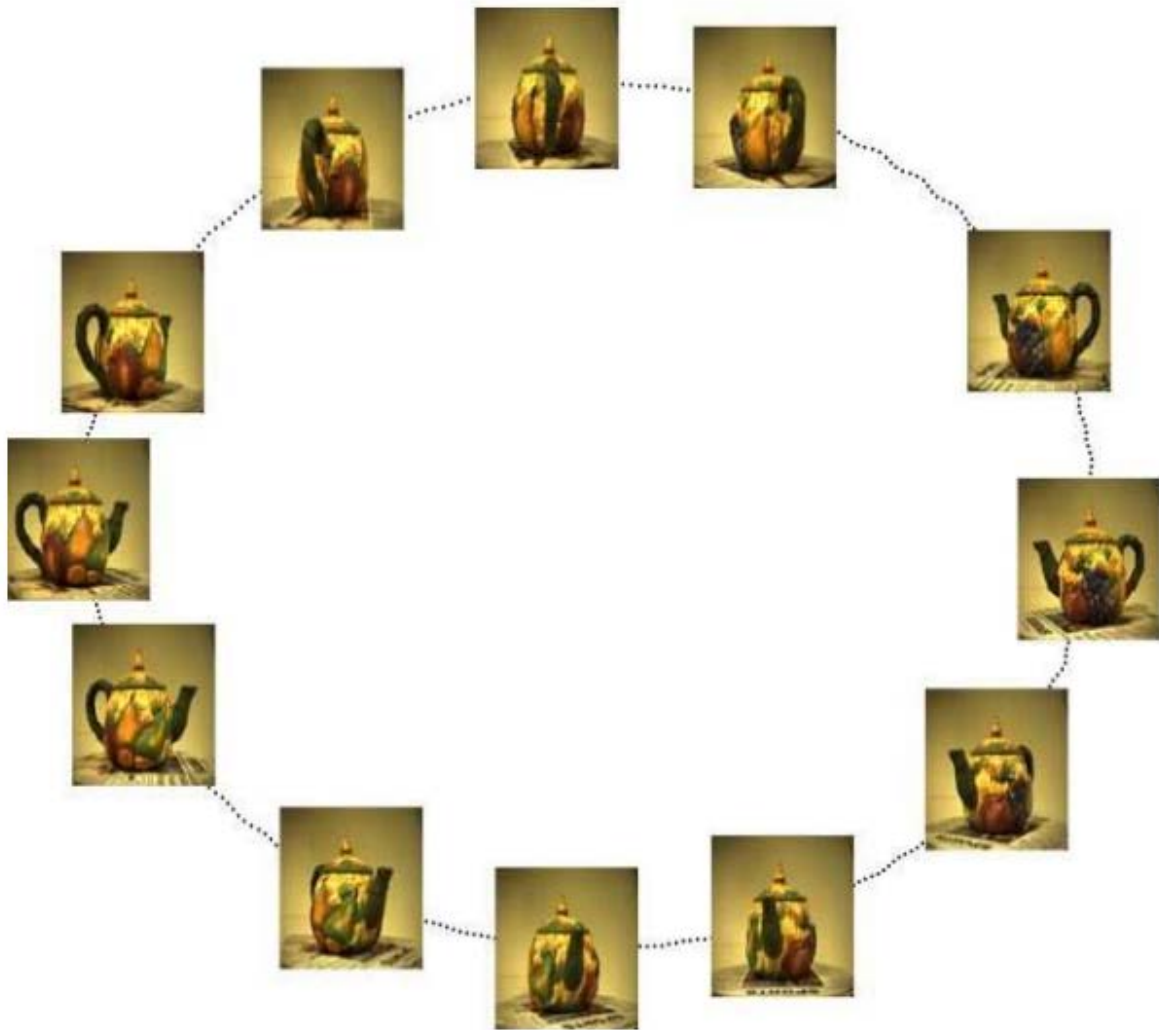
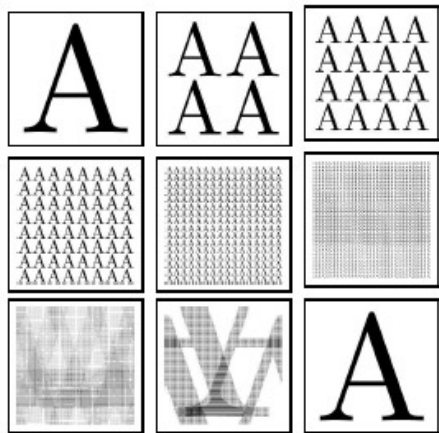
# Nonlinear

- It's a rotation!



# Nonlinear

- It's a rotation!
- Even if pixels are shuffled!



# More Parameters

□ How many?



# More Parameters

□ How many?







# Jupyter Notebook

# Python

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- General programming language
  - ▣ For scripting and prototyping
- Modules for everything
  - ▣ Including numerical & statistical packages

# Jupyter

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- Interactive analysis
  - ▣ Easy to use
  - ▣ Web interface
  - ▣ Smart rendering





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