

SHAM implementations

Vpeak scattering:

1. Gaussian scatter:

$$V_{\text{peak_scat}} = V_{\text{peak}} * (1 + N(0, \sigma_2))$$

2. positive scatter:

if $N(0, \sigma_2) > 0$:

$$V_{\text{peak_scat}} = V_{\text{peak}} * (1 + N(0, \sigma_2))$$

else:

$$V_{\text{peak_scat}} = V_{\text{peak}} * \exp\{N(0, \sigma_2)\}$$

Vpeak_scatter truncation:

a. direct cut: in C

remove $V_{\text{peak_scat}} > V_{\text{ceil}}$

b. dsigma cut: in C

remove $V_{\text{peak_scat}} / \sigma > V_{\text{ceil}}$

c. index cut: in python

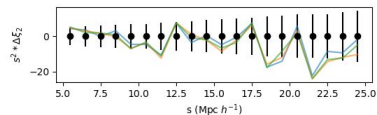
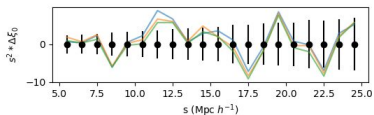
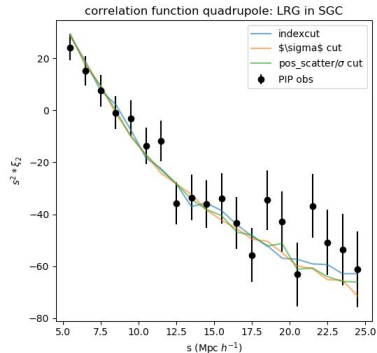
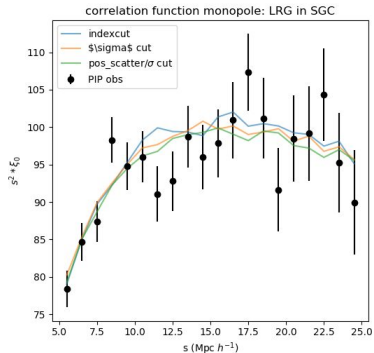
remove the largest $10^{\{V_{\text{ceil}}\}}\text{-th}$

$V_{\text{peak_scat}}$

SHAM implementations

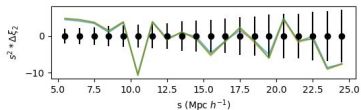
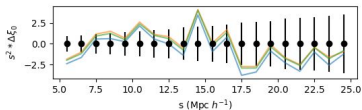
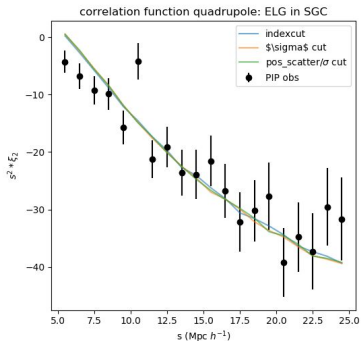
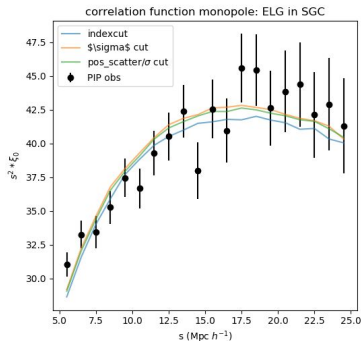
1. The result of **python** scripts is **consistent with** that of **C** code
(details are in another text file)
2. despite the large difference between optimal parameters, the
best-fit clustering have no big difference

Optimal Poles



reduced $\chi^2 \sim 30/37$

Optimal Multipoles

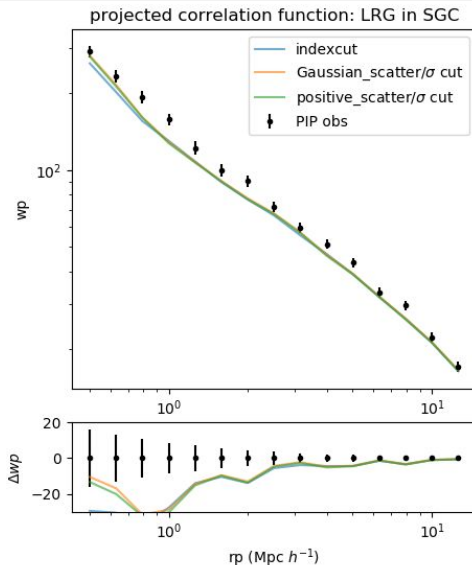


reduced chi2 \sim 54/37

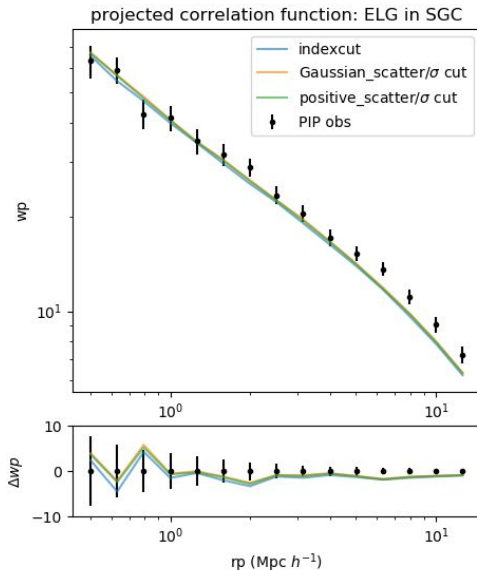
SHAM implementations

2. despite the large difference between optimal parameters, the **best-fit clustering have no big difference**
3. However, the best parameters obtained with **LRG** 2PCF multipoles **cannot reproduce w_p** in the 1-halo term range

Optimal wp



Optimal wp

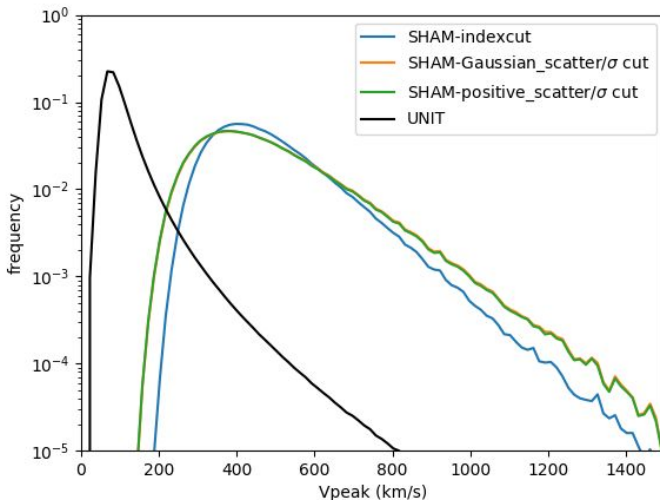


SHAM implementations

4. the **Vpeak distribution** and **PDF** of index-cut SHAM are **different** from the dsigma and positive-scatter-dsigma SHAM

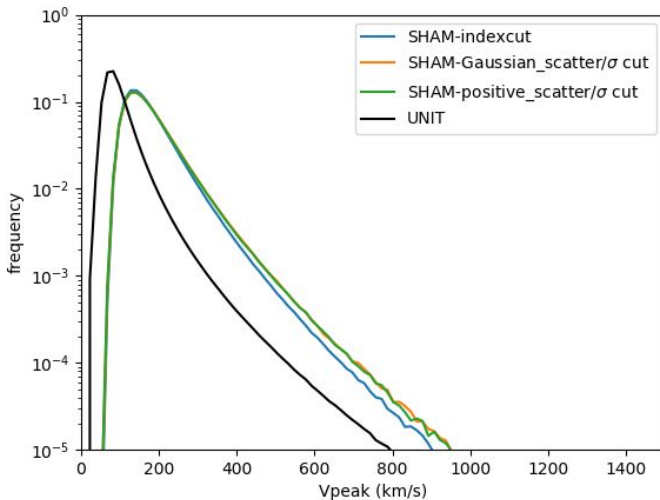
Optimal Vpeak distributions

LRG in SGC

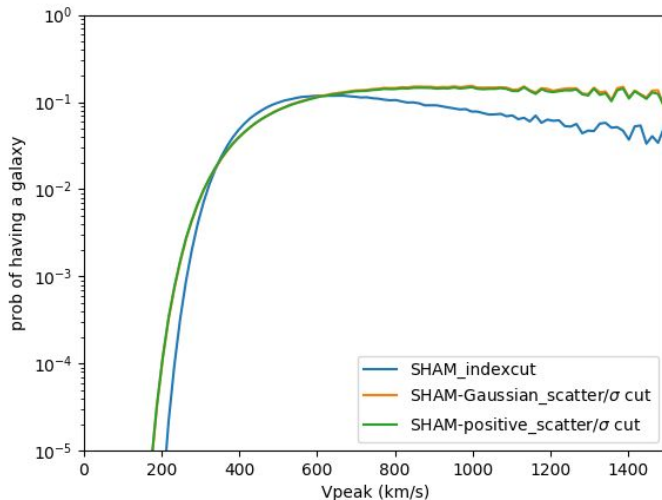


Optimal Vpeak distributions

ELG in SGC

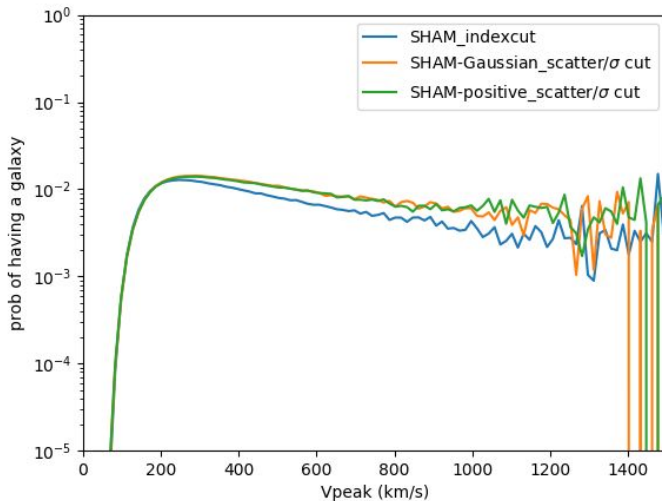


LRG in SGC



Optimal PDF

ELG in SGC



SHAM implementations

Given those results, it is not clear which implementation is good for my single-tracer SHAM.

But considering the computational resources and positive $V_{\text{peak_scatter}}$, I'd better choose **positive-scatter dsigma-cut SHAM** for later tests