

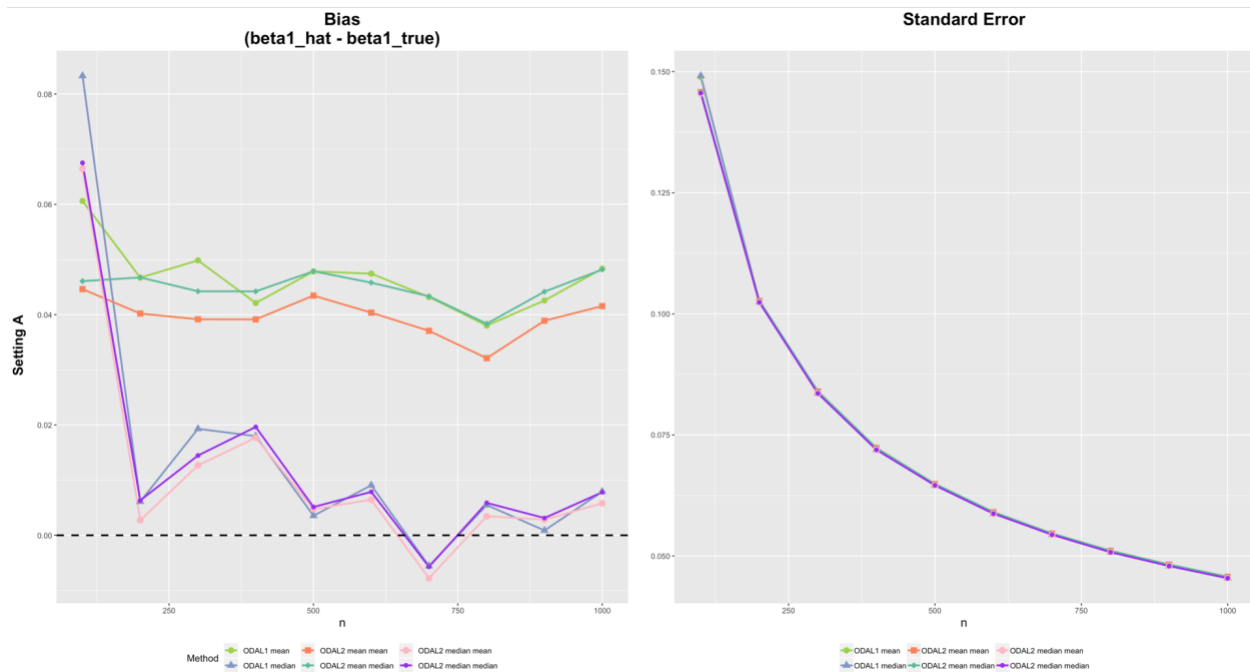
ODAL Simulation

- 10 sites ($K = 10$)
- each site size (nn) from 100 to 1000
- total size (N) from 1000 to 10,000
- replicates = 50

1/10 HETERO & ONE variable (binary)

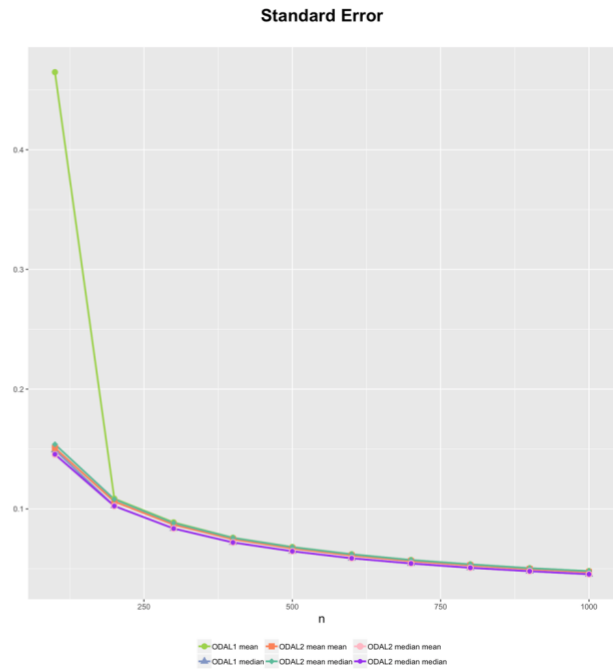
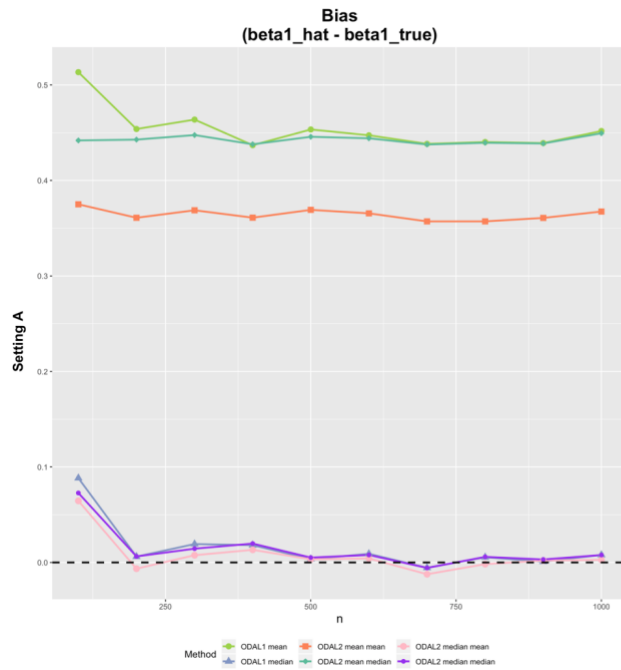
Scenario 1:

- Site #1 – 9 setting (including local site):
 - $X1 = \text{rbinom}(N-nn, 1, 0.3)$
 - $\text{Beta} = (1, -1)$
- Site #10 settings:
 - $X1 = \text{rbinom}(nn, 1, 0.5)$
 - $\text{Beta}^* = (1.5, -1)$



Scenario 2:

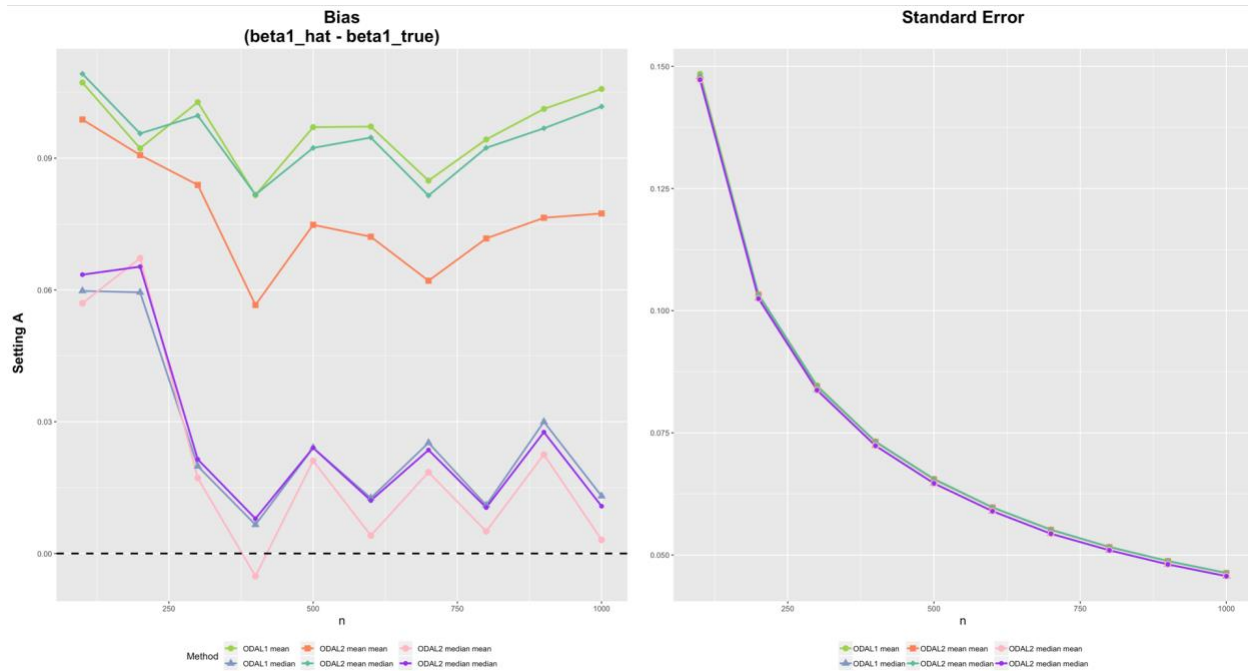
- Site #1 – 9 setting (including local site):
 - $X1 = \text{rbinom}(N-nn, 1, 0.3)$
 - $\text{Beta} = (1, -1)$
- Site #10 settings:
 - $X1 = \text{rbinom}(nn, 1, 0.9)$
 - $\text{Beta}^* = (3, -1)$



2/10 HETERO & ONE variable (binary)

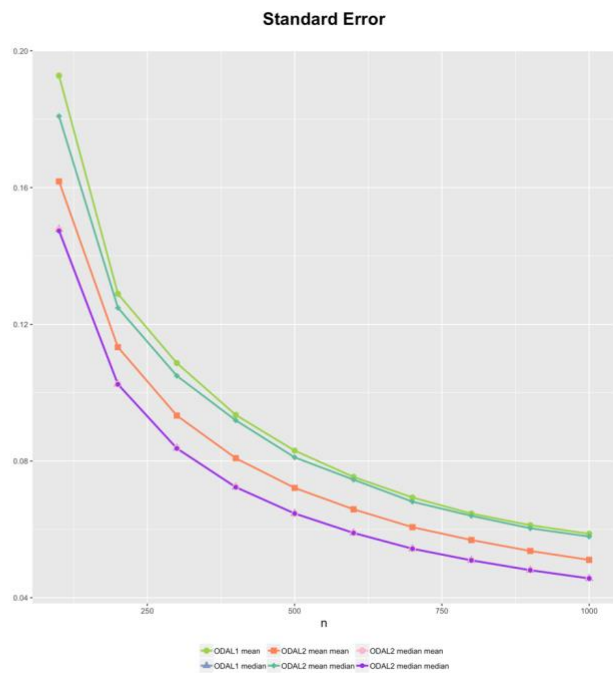
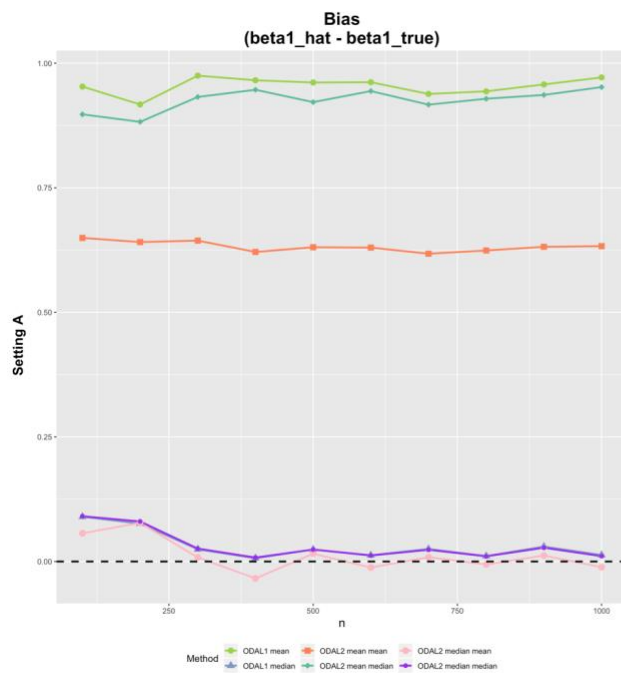
Scenario 1:

- Site #1 – 8 setting (including local site):
 - $X1 = \text{rbinom}(N-2*nn, 1, 0.3)$
 - $\text{Beta} = (1, -1)$
- Site #9,10 settings:
 - $X1 = \text{rbinom}(2*nn, 1, 0.5)$
 - $\text{Beta}^* = (1.5, -1)$



Scenario 2:

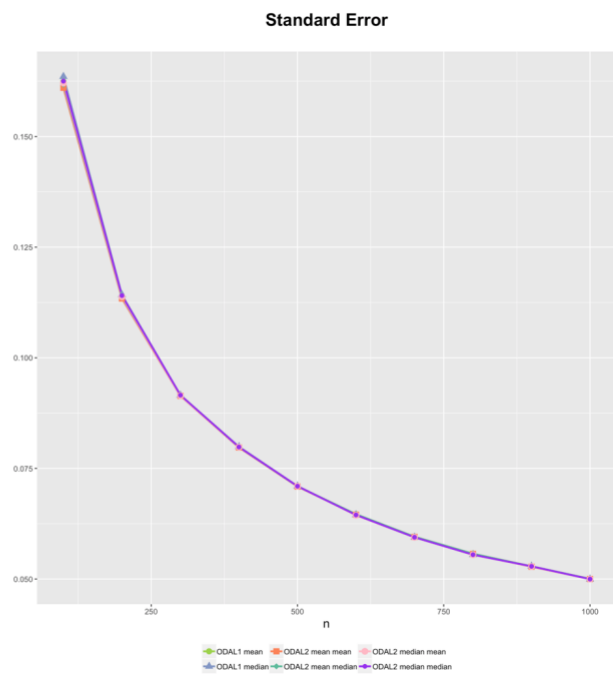
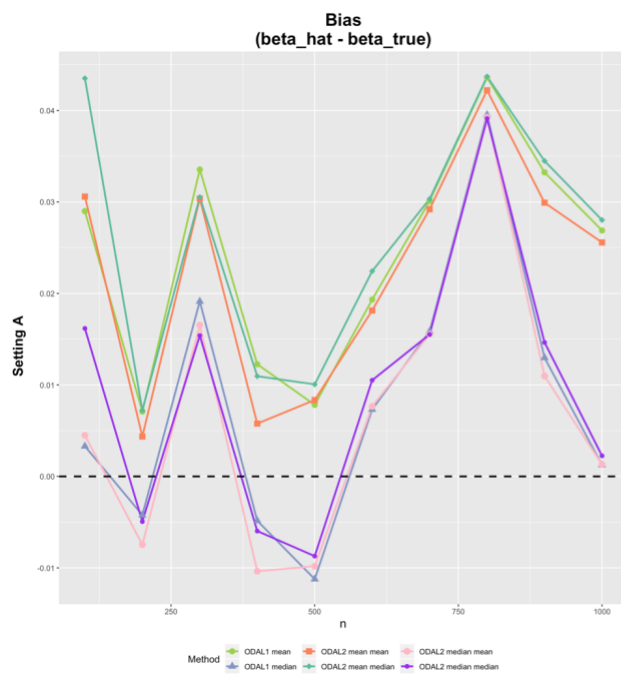
- Site #1 – 8 setting (including local site):
 - $X1 = \text{rbinom}(N-2*nn, 1, 0.3)$
 - $\text{Beta} = (1, -1)$
- Site #9,10 settings:
 - $X1 = \text{rbinom}(2*nn, 1, 0.9)$
 - $\text{Beta}^* = (3, -1)$



1/10 HETERO & two variables

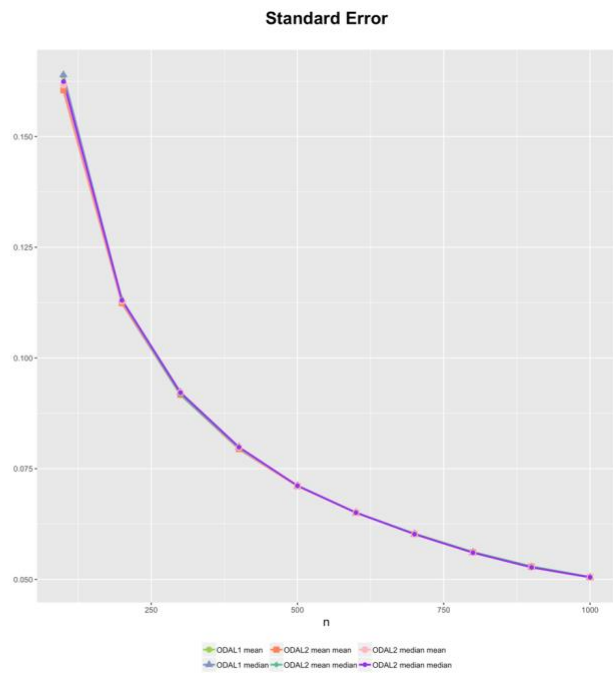
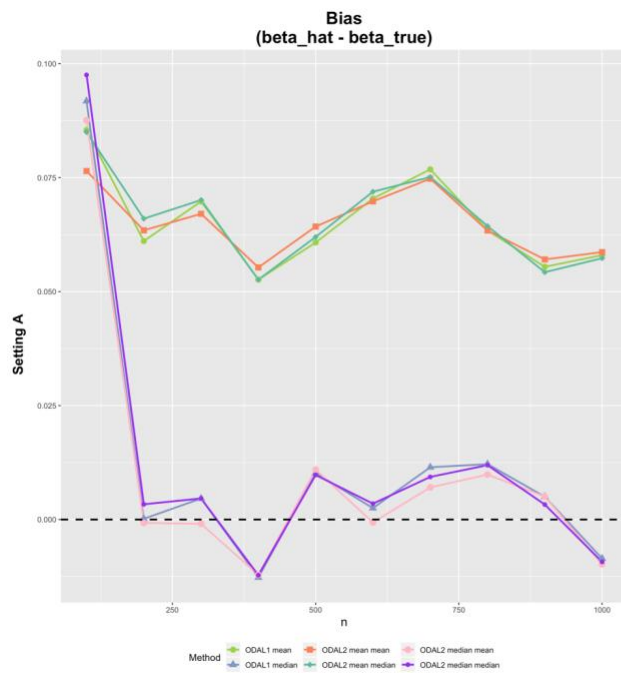
Scenario 1:

- Site #1 – 9 settings (including local site):
 - $X1 = \text{rnorm}(N-nn)$
 - $X2 = \text{rbinom}(N-nn, 1, 0.3)$
 - $\text{Beta} = (1, 1, -1)$
- Site #10 settings:
 - $X1.\text{hetero} = \text{rnorm}(nn, 1, 1)$
 - $X2.\text{hetero} = \text{rbinom}(nn, 1, 0.5)$
 - $\text{Beta}^* = (1.5, 0.8, -1)$



Scenario 2:

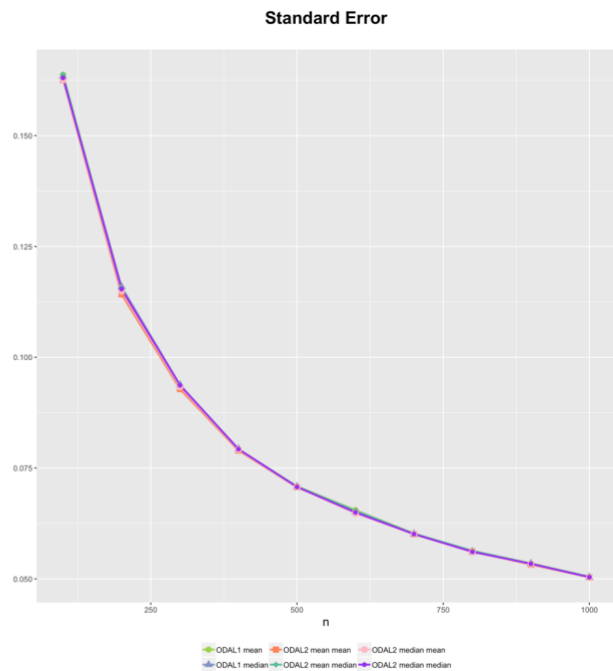
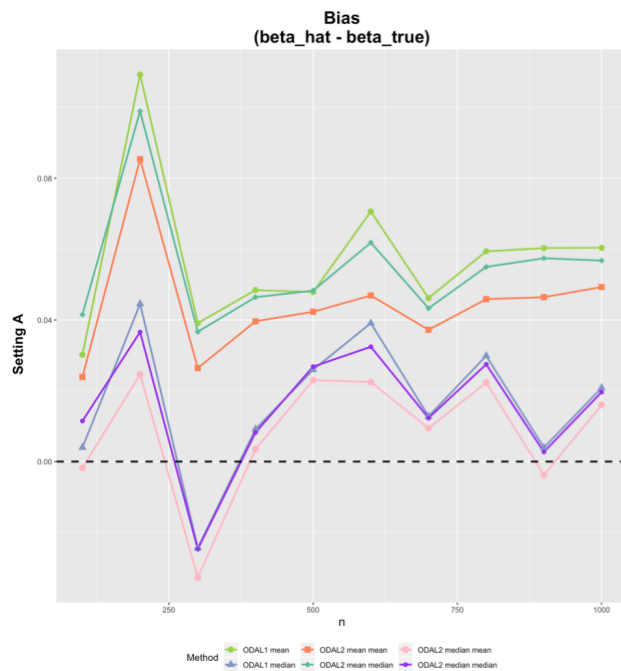
- Site #1 – 9 settings (including local site):
 - $X1 = \text{rnorm}(N-nn)$
 - $X2 = \text{rbinom}(N-nn, 1, 0.3)$
 - $\text{Beta} = (1, 1, -1)$
- Site #10 settings:
 - $X1.\text{hetero} = \text{rnorm}(nn, 5, 5)$
 - $X2.\text{hetero} = \text{rbinom}(nn, 1, 0.9)$
 - $\text{Beta}^* = (3, 2, -1)$



2/10 HETERO & two variables

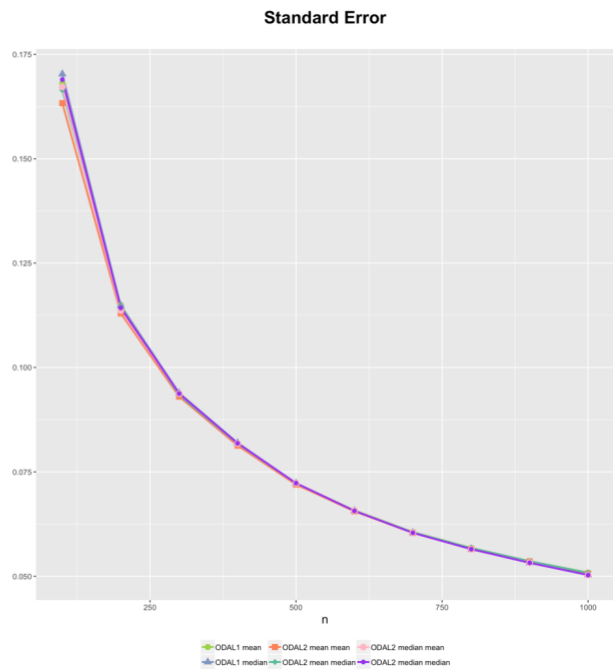
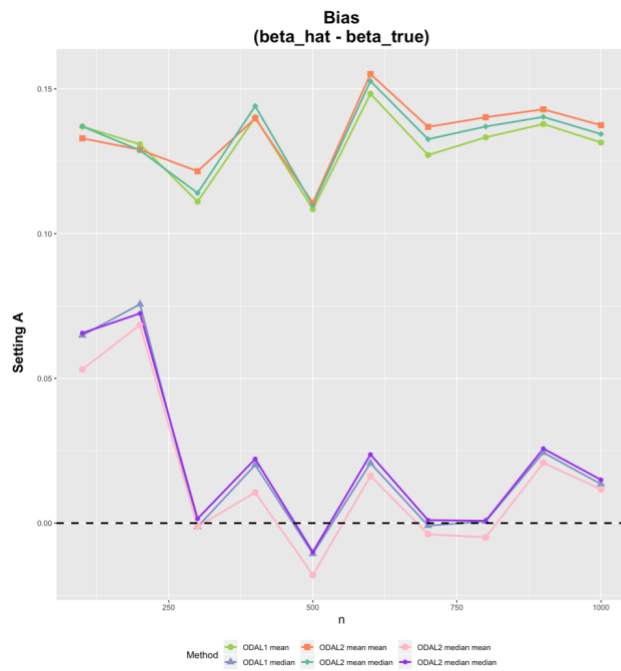
Scenario 1:

- Site #1 – 8 settings (including local site):
 - $X1 = \text{rnorm}(N-nn)$
 - $X2 = \text{rbinom}(N-nn, 1, 0.3)$
 - $\text{Beta} = (1, 1, -1)$
- Site #9, 10 settings:
 - $X1.\text{hetero} = \text{rnorm}(nn, 1, 1)$
 - $X2.\text{hetero} = \text{rbinom}(nn, 1, 0.5)$
 - $\text{Beta}^* = (1.5, 0.8, -1)$



Scenario 2:

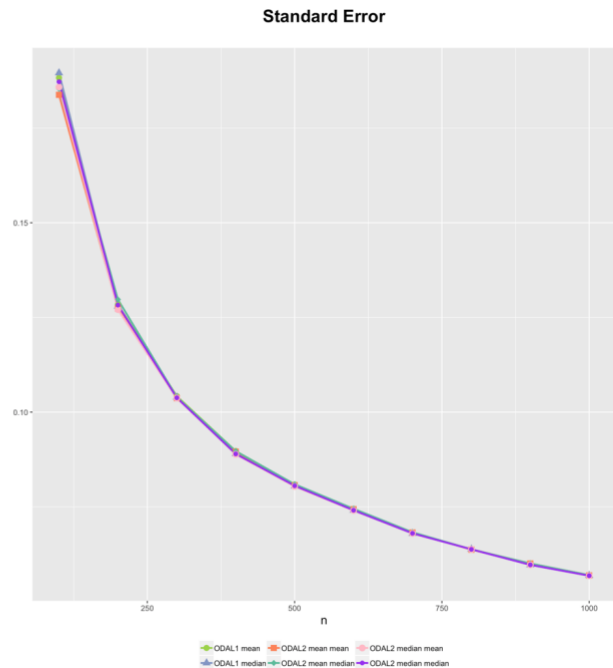
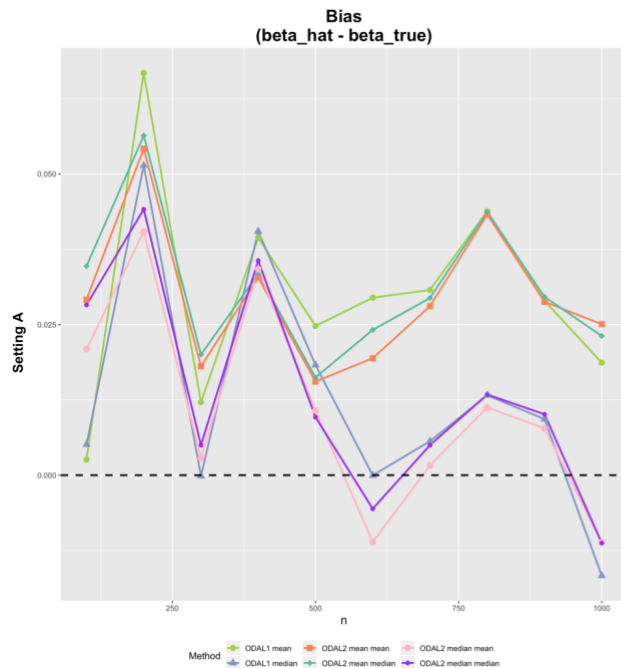
- Site #1 – 8 settings (including local site):
 - $X1 = \text{rnorm}(N-nn)$
 - $X2 = \text{rbinom}(N-nn, 1, 0.3)$
 - $\text{Beta} = (1, 1, -1)$
- Site #9, 10 settings:
 - $X1.\text{hetero} = \text{rnorm}(nn, 5, 5)$
 - $X2.\text{hetero} = \text{rbinom}(nn, 1, 0.9)$
 - $\text{Beta}^* = (3, 2, -1)$



1/10 HETERO & four variables

Scenario 1:

- Site #1 – 9 settings (including local site):
 - $X1 = \text{rnorm}(N-nn)$
 - $X2 = \text{rbinom}(N-nn, 1, 0.3)$
 - $X3 = \text{runif}(N-nn, X2-1, 1)$
 - $X4 = \text{rbinom}(N-nn, 1, 0.5)$
 - $\text{Beta} = c(1, 1, -1, 1, -1)$
- Site #10 settings:
 - $X1.\text{hetero} = \text{rnorm}(nn, 5, 5)$
 - $X2.\text{hetero} = \text{rbinom}(nn, 1, 0.9)$
 - $X3.\text{hetero} = \text{runif}(nn, X2.\text{hetero}-2, 2)$
 - $X4.\text{hetero} = \text{rbinom}(nn, 1, 0.9)$
 - $\text{Beta}^* = c(3, 2, -1, 5, -3)$



2/10 HETERO & four variables

Scenario 1:

- Site #1 – 8 settings (including local site):
 - $X1 = \text{rnorm}(N-nn)$
 - $X2 = \text{rbinom}(N-nn, 1, 0.3)$
 - $X3 = \text{runif}(N-nn, X2-1, 1)$
 - $X4 = \text{rbinom}(N-nn, 1, 0.5)$
 - $\text{Beta} = c(1, 1, -1, 1, -1)$
- Site #9,10 settings:
 - $X1.\text{hetero} = \text{rnorm}(nn, 5, 5)$
 - $X2.\text{hetero} = \text{rbinom}(nn, 1, 0.9)$
 - $X3.\text{hetero} = \text{runif}(nn, X2.\text{hetero}-2, 2)$
 - $X4.\text{hetero} = \text{rbinom}(nn, 1, 0.9)$
 - $\text{Beta}^* = c(3, 2, -1, 5, -3)$

