

Dissertation Workshop Presentation Notes

$$Y_t = B(L) Y_{t-1} + i_t$$

$$i_t' i_t = \Sigma$$

$$A' Y_t = C(L) Y_{t-1} + S_t$$

$$S_t S_t' = I$$

$$\hookrightarrow Y_t = \underbrace{A C(L)}_{B(L)} Y_{t-1} + \underbrace{A S_t}_{i_t}$$

$$\Rightarrow i_t = A S_t$$

$$i_t i_t' = A S_t S_t' A' \\ \underbrace{S_t S_t'}_{=I}$$

$\Rightarrow \Sigma = A A' \rightarrow$ need to find an A that solves this.

$$\theta \in (0, \infty) \rightarrow \frac{1}{\theta-1} \begin{cases} -1 & \text{if } \theta = 0 \\ 0 & \text{if } \theta = \infty \\ \text{but can be } > 0 & \text{if } \theta = \frac{1}{2} \end{cases}$$

If $\frac{\theta-1}{\theta} = 1$ then $\frac{\theta}{\theta-1} = 1$ perfect substitutes

$\theta-1 = \theta$ only true if $\theta \rightarrow \infty$

If $\frac{\theta-1}{\theta} = \infty$ then perfect complements
 \rightarrow only true if $\theta = 0$.

Label: what we observe in data!

Basu:

3 distinctions

ending.

exog

IT

non-IT

surprise

not-surprise.

→ why the mapping exists

Peter: Grossman & Helpman GPT

Leibel: 2 production goods:

IT and non-IT

↳ can identify by seeing 2 diff.

Pit: 2 sectors

└ IT → sector-specific shock $\rightarrow P^I \downarrow$
└ non-IT → produces C & I

trick to still have perfect competition

Ryan:

Vito: IT affects rel. price more than news.

Basu:

2 sector models w/ exog. TFP

- Greenwood, Henonik, Kimsell

- Oult

The problem is there's nothing in our VAR that couldn't be mapped to 2 exog. sectors.