

# Lab 6 – Functions and Modules

**Deadline:** Sunday, Oct. 19th 2025 11:59 pm

## Submission

- `geometry.py`
- `main.py`
- `lab6_<your_name>_<SID>_q1.py`
- `lab6_<your_name>_<SID>_q2.py`

## Part 1 – Lab Checkoff (5 pts)

### Q1. (3 pts) Function practices

1. Write a function `argmax(l)`, which takes a single tuple argument, and return a tuple that consists of the maximum item in the tuple and its index. For example, `argmax((1, 3, 2, -1, 4, 6, -7, -8))` will return `(6, 5)`.
2. Write a function `mol()`, which can take arbitrary number ( $\geq 1$ ) of arguments and return their product in float type.  
For example, `mol(1.0)` will return `1.0`, `mol(1.0, 1.5)` will return `1.5`, and `mol(2.0, -1.0, 3.0)` will return `-6.0`.
3. A leap year is a year that can be divisible by 400, or that is not divisible by 100 but is divisible by 4. Write a function `leap-year` that does not take any input argument, and asks the user to input a start year and an end year, outputting a tuple that contains all the leap year between the start year and the end year, inclusive.  
For example, one execution of `print leap-year()` can result in the following output.  
`Enter start year: 1998`  
`Enter end year: 2009`  
`(2000, 2004, 2008)`

### Q2. (2pts) Newton's method to calculate square root

Given a number  $N$ , write a function `sqrt_n()` to find the square root of that number using Newton's Method.

We talked about the Newton's method in the lab. Briefly, you start with almost any estimate  $x$  ( $>0$ ), and compute a better estimate  $y$  with the formula.

$$y = \frac{1}{2} \left( x + \frac{N}{x} \right)$$

The process is repeated until the estimate stops changing, when we can a close-enough results (the difference between estimate  $< 1e-6$ )

```
# For Example
def sqrt_n(num):
    # function body

print(sqrt_n(6.0))
```

## Part 2- Program Assignment (8 pts)

### Q1. (3 pts) Function and Module

- 1) Create a module named *geometry.py*. This module should contain two functions: *rectangle\_area()* and *circle\_area()*, responsible for computing the area of a rectangle and a circle respectively.
- 2) Develop a separate program named *main.py*. In this program:
  - a) Prompt the user to select a shape: either "rectangle" or "circle".
  - b) Based on the chosen shape, ask the user to input the relevant dimensions. (For a rectangle, these would be length and width; for a circle, it would be the radius.)
  - c) Using the functions from the *geometry* module, compute and display the area of the chosen shape.

For example:

```
Choose a shape (rectangle or circle): rectangle
Enter length: 10
Enter width: 5
The area of the rectangle is: 50.0
```

### Q2. (2pts) Number conversion

Write a program that asks the user for an integer, and then displays its value in binary or Hexadecimal based on the user input.

Note:

- Each digit in a hexadecimal number ranges from 0-15. The value 10, 11, 12, 13, 14 and 15 are denoted with A,"B,"C", "D", "E" and "F", respectively.
- You can NOT use Python built in functions, such as *bin()* or *hex()*

```
# Test Case 1
Enter a number: 27
Convert to Binary or Hex: Hex
27 in Hex is: 1B

# Test Case 2
Enter a number: 9
Convert to Binary or Hex: Binary
7 in Hex is: 1001
```

### Q3. (3pts) Numerical Integration of Gaussian function

We discussed how to calculate the function integration numerically in the lab. Write a function *gauss\_integration()* to compute the integration of Gaussian function  $e^{-x^2}$  of a given range [a, b].

$$\int_a^b e^{-x^2} dx$$

Numerical integration is usually more accurate as the number of grid points increases. The accurate result of above expression in the range of  $[0, 1]$  is 0.74682413. Can you choose the number of grids so that the error  $< 0.0001$ ?