

UNIT 3

syntactic analysis

Syntactic analysis may be defined as:

1- determining the relevant components of a sentence

2- describing these parts grammatically.

•The component parts of a sentence are called **constituents**.



Constituency

The idea: **Groups of words** may behave as a single unit or **phrase**, called a **constituent**.

E.g. Noun Phrase

Kermit the

frog they

December twenty-sixth

the reason he is running for president

Constituent Phrases

For constituents, we usually name them as **phrases** based on the word that **heads** the constituent:

*the man from Amherst
extremely clever*

is a Noun Phrase (**NP**) because the head man is a noun
is an Adjective Phrase (**AP**) because the head clever is an adjective

down the river

is a Prepositional Phrase (**PP**) because the head **down** is a preposition

killed the rabbit

is a Verb Phrase (**VP**) because the head killed is a verb

Context Free Grammars

Context-free grammar

The most common way of modeling constituency.

CFG = Context-Free Grammar = Phrase Structure
Grammar = **BNF** = Backus-Naur Form

Context-free grammar

$$G = (T, N, S, R)$$

- T is set of **terminals** (lexicon)
- N is set of **non-terminals**
- S is **start symbol** (one of the nonterminals)
- R is **rules/productions** of the form $X \rightarrow \gamma$, where X is a nonterminal and γ is **a sequence of terminals and nonterminals** (may be empty).
- A grammar G generates a language L .

An example context-free grammar

$G = (T, N, S, R)$

$T = \{that, this, a, the, man, book, flight, meal, include, read, does\}$

$N = \{S, NP, NOM, VP, Det, Noun, Verb, Aux\}$

$S = S$

$R = \{$

$S \rightarrow NP VP$

$S \rightarrow Aux NP VP$

$S \rightarrow VP$

$NOM \rightarrow Noun$

$NOM \rightarrow Noun NOM$

$VP \rightarrow Verb$

$VP \rightarrow Verb NP$

$NP \rightarrow Det NOM$

$Det \rightarrow that \mid this \mid a \mid the$

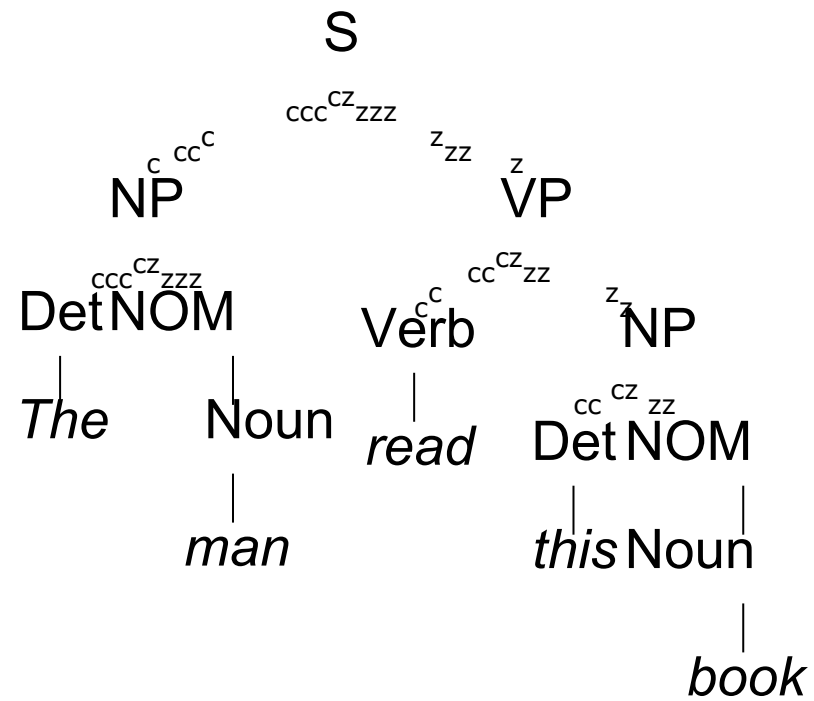
$Noun \rightarrow book \mid flight \mid meal \mid man$

$Verb \rightarrow book \mid include \mid read$

$Aux \rightarrow does$

$\}$

Parse tree



CFGs can capture recursion

Example of seemingly endless recursion of embedded prepositional phrases: $PP \rightarrow \text{Prep NP}$

$NP \rightarrow \text{Noun PP}$

$[_S$ The mailman ate his $[_{NP}$ lunch $[_{PP}$ with his friend $[_{PP}$ from the cleaning staff $[_{PP}$ of the building $[_{PP}$ at the intersection $[_{PP}$ on the north end $[_{PP}$ of town]]]]]]].

(Bracket notation)

Grammaticality

A CFG defines a **formal language** = the set of all **sentences** (strings of words) that can be **derived** by the **grammar**.

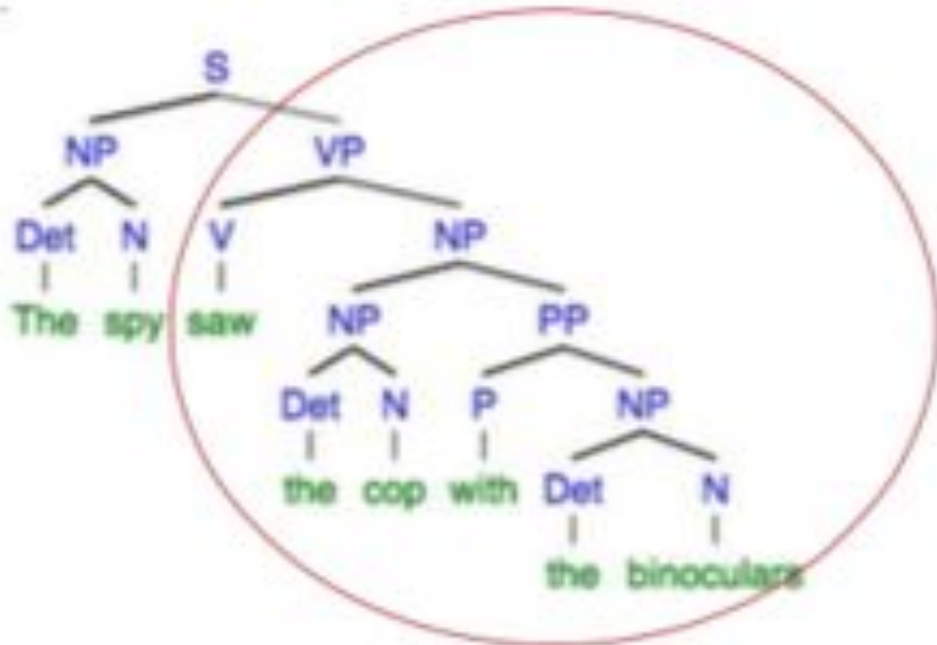
Sentences in this set said to be **grammatical**.

Sentences outside this set said to be **ungrammatical**.

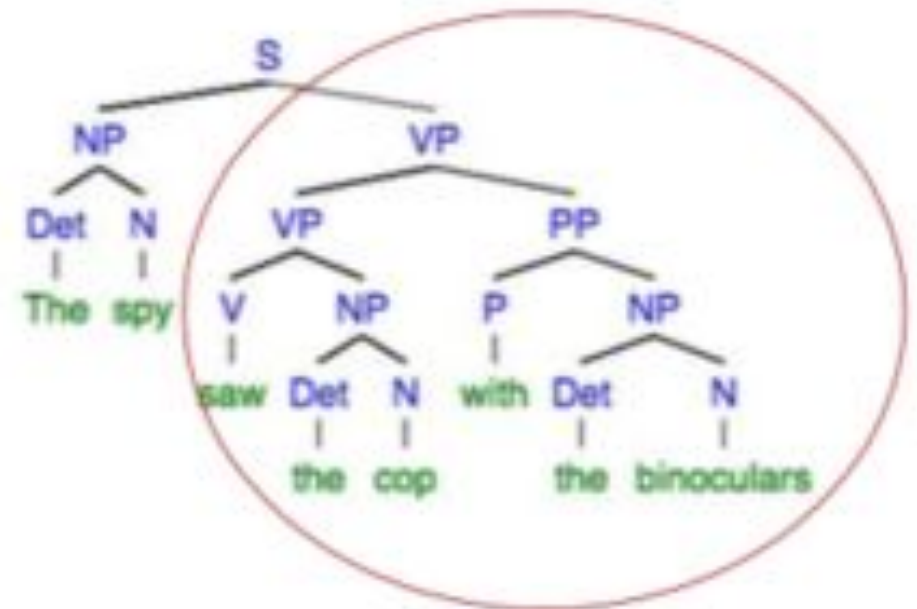
Ambiguity

some sequences of words can be assigned
more than one syntactic structure -> different
Parse trees

1.



2.

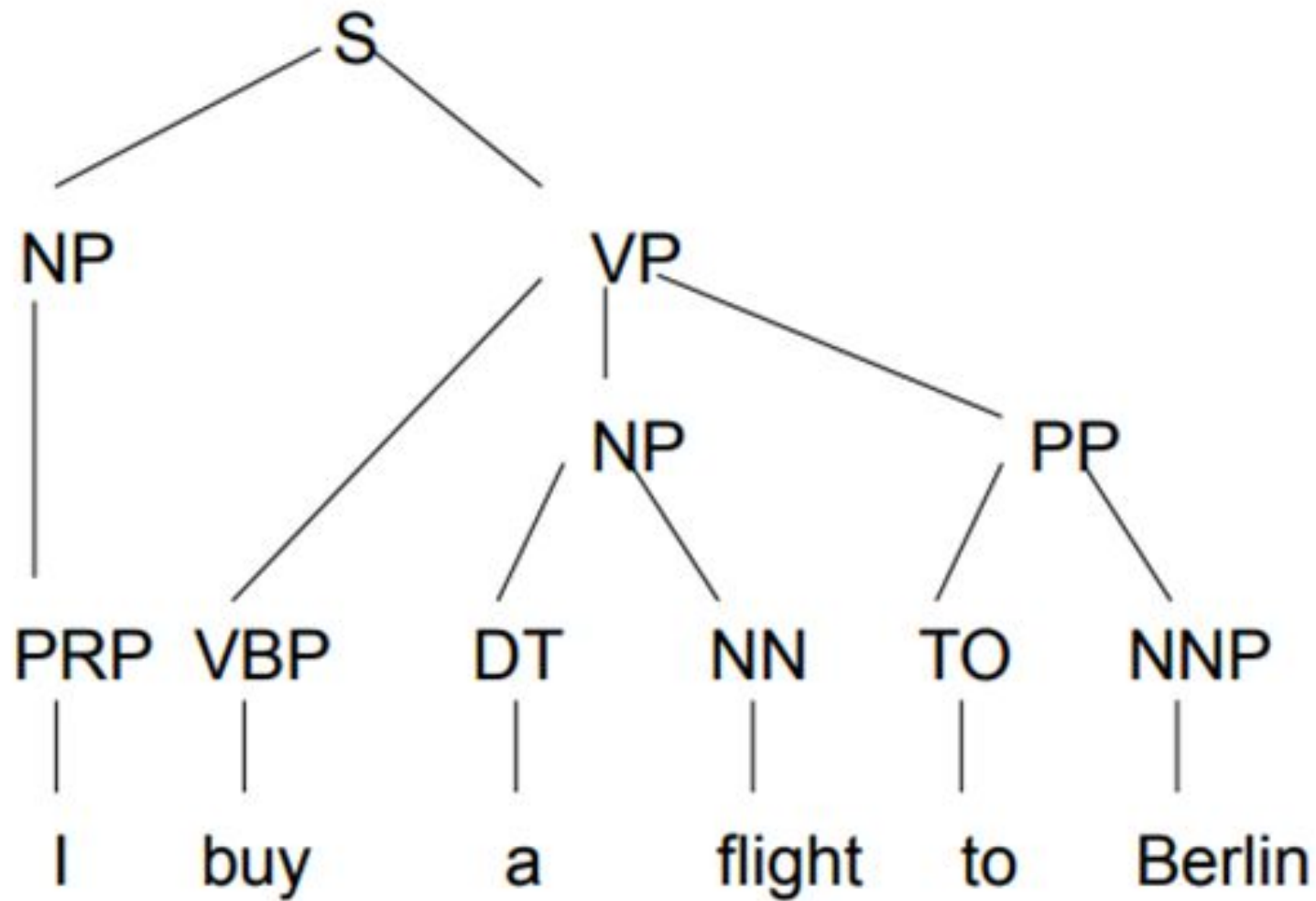


- Given a string and a grammar, return proper parse tree,

NP \rightarrow PRP
NP \rightarrow DT NN
PP \rightarrow TO NNP
VP \rightarrow VBP NP PP
S \rightarrow NP VP

+

I buy a flight to Berlin.

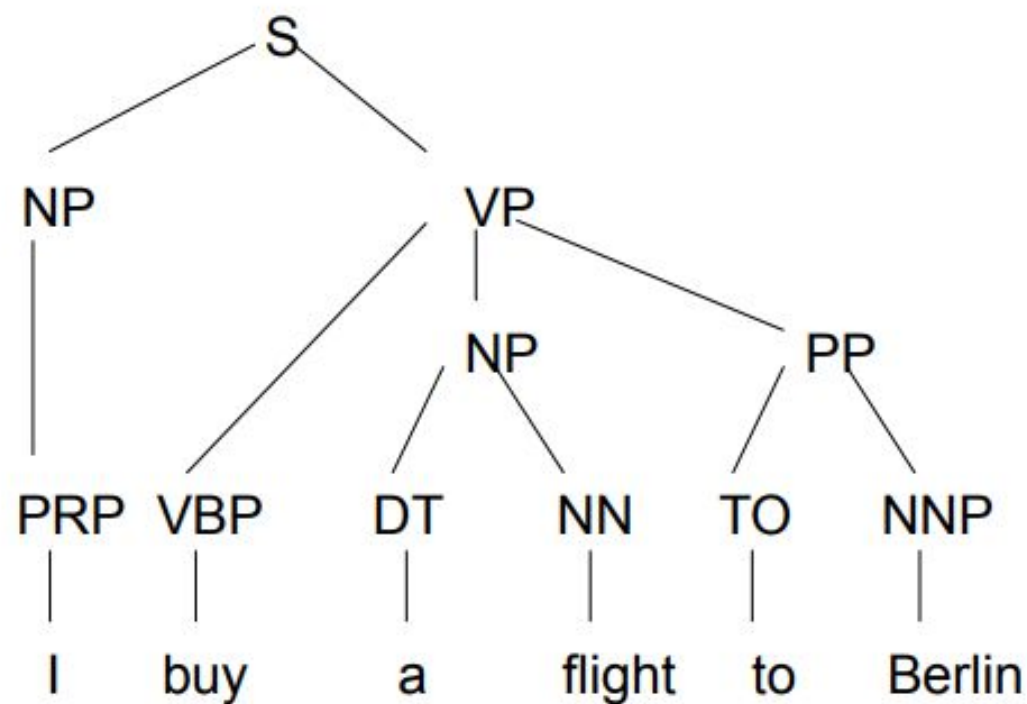


- Given a string and a grammar, return proper parse tree,

NP \rightarrow PRP
NP \rightarrow DT NN
PP \rightarrow TO NNP
VP \rightarrow VBP NP PP
S \rightarrow NP VP

+

I buy a flight to Berlin.



| | |
|------------------------------------|---|
| $S \rightarrow NP VP$ | $VP \rightarrow Verb NP$ |
| $S \rightarrow VP$ | $VP \rightarrow Verb$ |
| $NP \rightarrow Det Nominal$ | $PP \rightarrow Preposition NP$ |
| $NP \rightarrow Noun$ | $Det \rightarrow \text{this} \mid \text{that} \mid \text{a} \mid \text{the}$ |
| $NP \rightarrow Det Noun PP$ | $Verb \rightarrow \text{sleeps} \mid \text{sings} \mid \text{open} \mid \text{saw} \mid \text{paint}$ |
| $Nominal \rightarrow Noun$ | $Preposition \rightarrow \text{from} \mid \text{with} \mid \text{on} \mid \text{to}$ |
| $Nominal \rightarrow Noun Nominal$ | $Pronoun \rightarrow \text{she} \mid \text{he} \mid \text{they}$ |

Consider the grammar shown in Table 4.2 and the sentence
Paint the door.

$S \rightarrow NP VP$

$S \rightarrow VP$

$NP \rightarrow Det Nominal$

$NP \rightarrow Noun$

$NP \rightarrow Det Noun PP$

$Nominal \rightarrow Noun$

$Nominal \rightarrow Noun Nominal$

$VP \rightarrow Verb NP$

$VP \rightarrow Verb$

$PP \rightarrow Preposition NP$

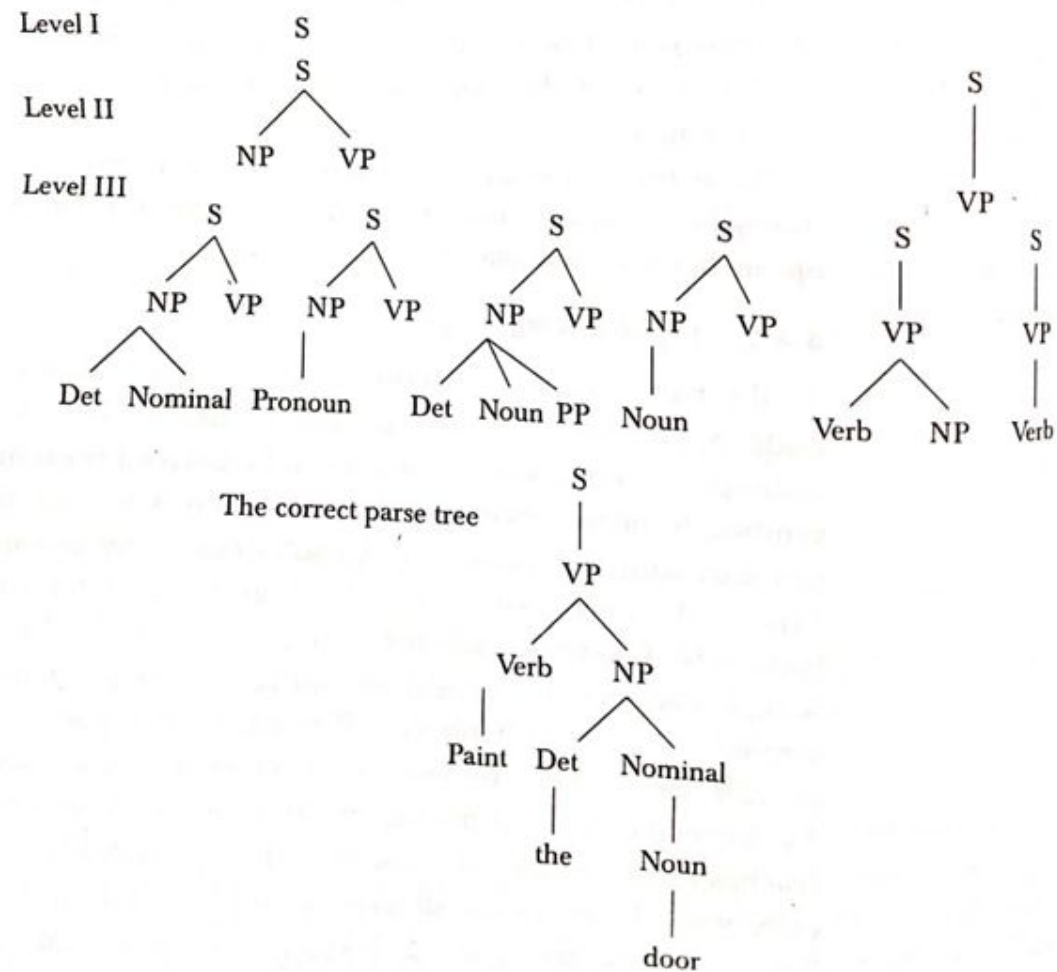
$Det \rightarrow this \mid that \mid a \mid the$

$Verb \rightarrow sleeps \mid sings \mid open \mid saw \mid paint$

$Preposition \rightarrow from \mid with \mid on \mid to$

$Pronoun \rightarrow she \mid he \mid they$

Consider the grammar shown in Table 4.2 and the sentence
Paint the door.

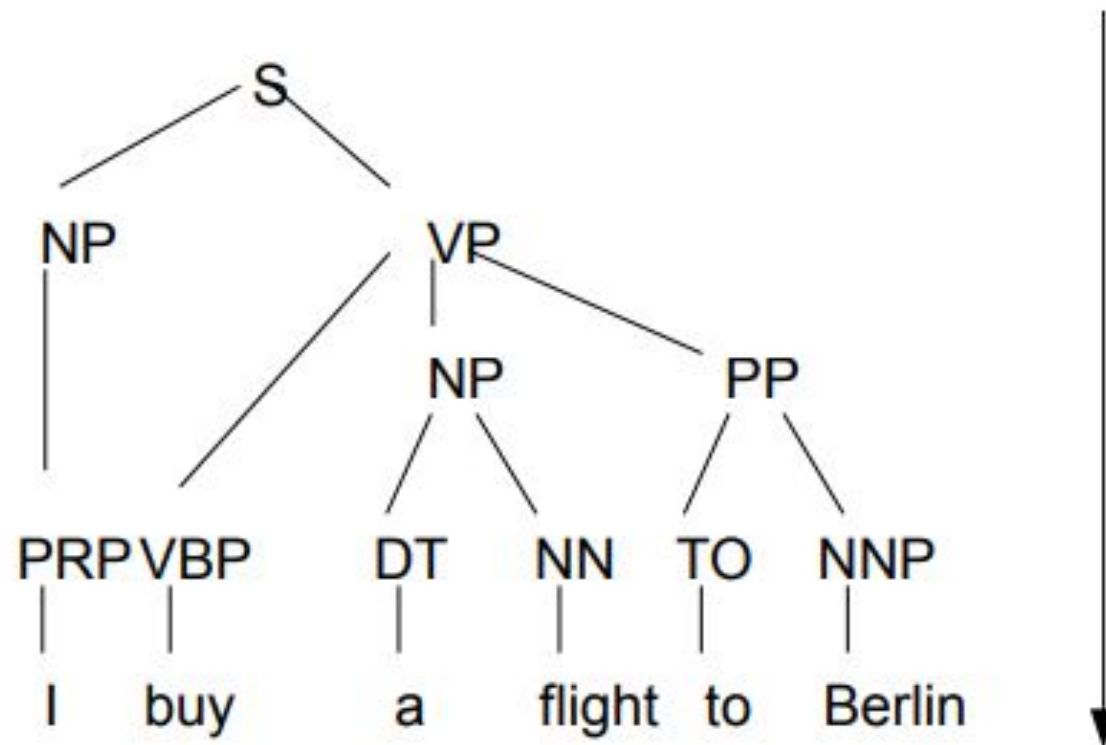


Parsing Algorithms

- Top-Down
- Bottom-up

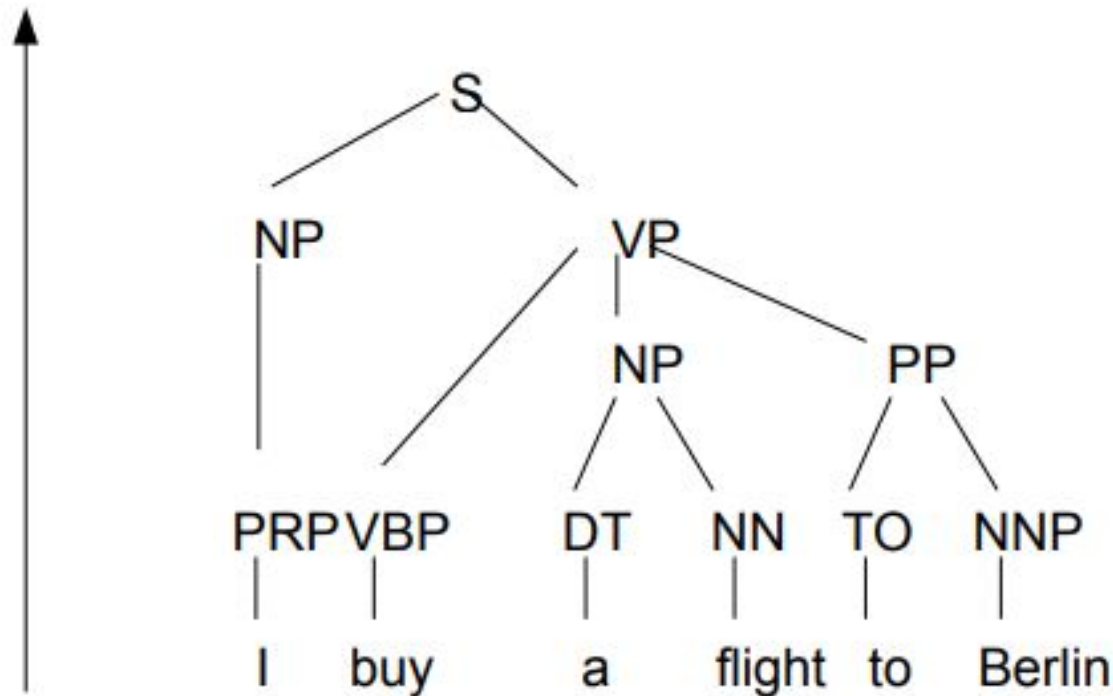
Parsing Algorithms

- Top-Down
 - Start with the rules that contains the S
 - Work on the way down to the words



Parsing Algorithms

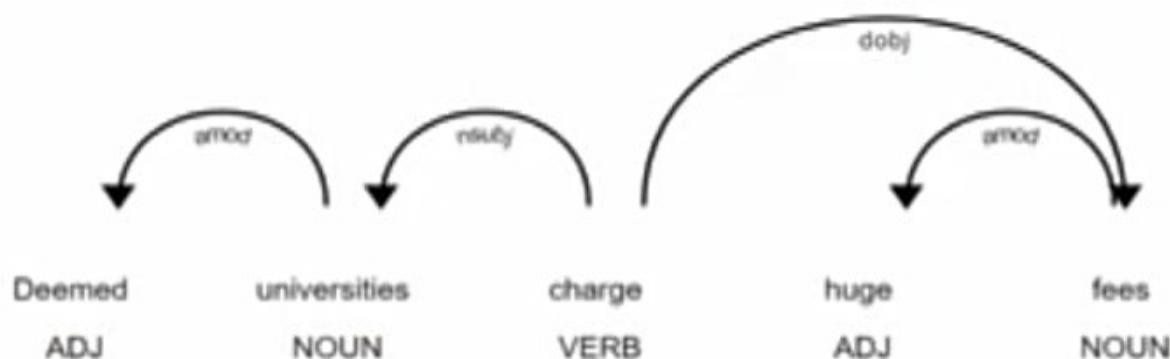
- Bottom-Up
 - Start with trees that link up with the words
 - Work on the way up to larger and larger trees



| Sr. No. | Key | Top Down Parsing | Bottom Up Parsing |
|---------|-----------------|---|--|
| 1 | Strategy | Top down approach starts evaluating the parse tree from the top and move downwards for parsing other nodes. | Bottom up approach starts evaluating the parse tree from the lowest level of the tree and move upwards for parsing the node. |
| 2 | Attempt | Top down parsing attempts to find the left most derivation for a given string. | Bottom up parsing attempts to reduce the input string to first symbol of the grammer. |
| 3 | Derivation Type | Top down parsing uses leftmost derivation. | Bottom up parsing uses the rightmost derivation. |
| 4 | Objective | Top down parsing searches for a production rule to be used to construct a string. | Bottom up parsing searches for a production rule to be used to reduce a string to get a starting symbol of grammer. |

WHAT IS DEPENDENCY PARSING?

- The term Dependency Parsing (DP) refers to the process of examining the dependencies between the phrases of a sentence in order to determine its grammatical structure. The process assumes that there is a direct relationship between each linguistic unit in a sentence.
- The relationships between each linguistic unit, or phrase, in the sentence are expressed by directed arcs.



DEPENDENCE TAG

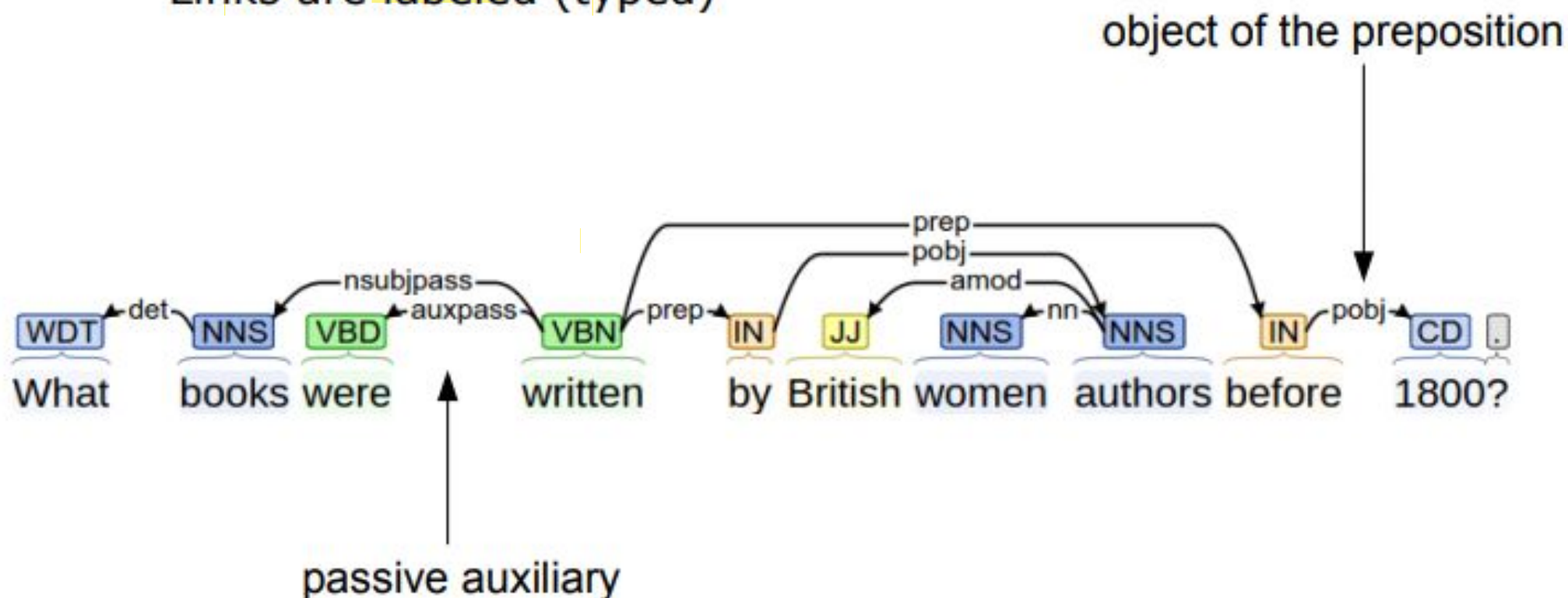
A dependence tag indicates the relationship between two phrases. For example, in the dependency graph below **huge** modifies the word **fees**.

Where the arrow **starts** represents the **pinnacle** and where it **ends** represents the **dependent** or the child. In this example **fees** is the pinnacle and **huge** is the child. The dependency between the two terms is represented by **amod** which stands for **adjectival modifier**.



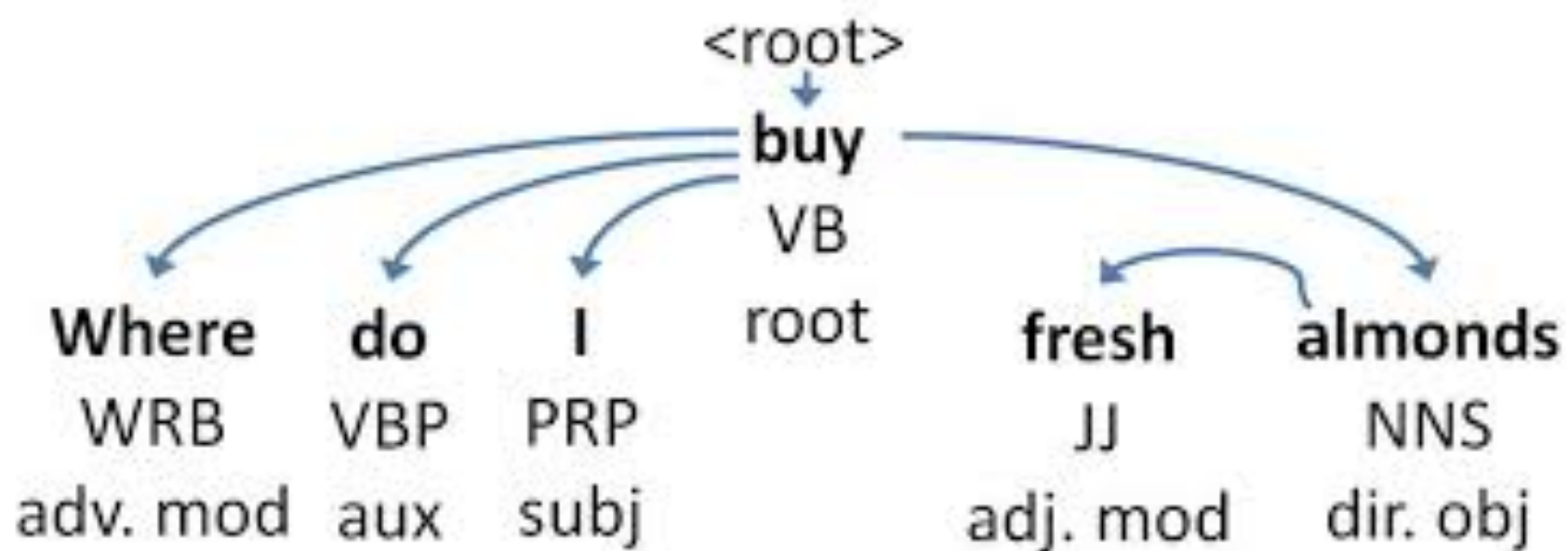
Dependency grammars

- No constituents, but **typed dependencies**
 - Links are **labeled** (typed)



| Dependency Tag | Description | Dependency Tag | Description |
|----------------|---|----------------|--|
| acl | clausal modifier of a noun (adnominal clause) | compound | compound |
| acl:reld | relative clause modifier | compound:lvc | gentle verb building |
| advcl | adverbial clause modifier | compound:prt | phrasal verb particle |
| advmod | adverbial modifier | compound:redup | reduplicated compounds |
| advmod:emph | emphasizing phrase, intensifier | compound:svc | serial verb compounds |
| advmod:lmod | locative adverbial modifier | conj | conjunct |
| amod | adjectival modifier | cop | copula |
| appos | appositional modifier | csubj | clausal topic |
| aux | auxiliary | csubj:move | clausal passive topic |
| aux:move | passive auxiliary | dep | unspecified dependency |
| case | case-marking | det | determiner |
| cc | coordinating conjunction | det:numgov | pronominal quantifier governing the case of the noun |
| cc:preconj | preconjunct | det:nummod | pronominal quantifier agreeing with the case of the noun |
| ccomp | clausal complement | det:poss | possessive determiner |
| clf | classifier | discourse | discourse ingredient |



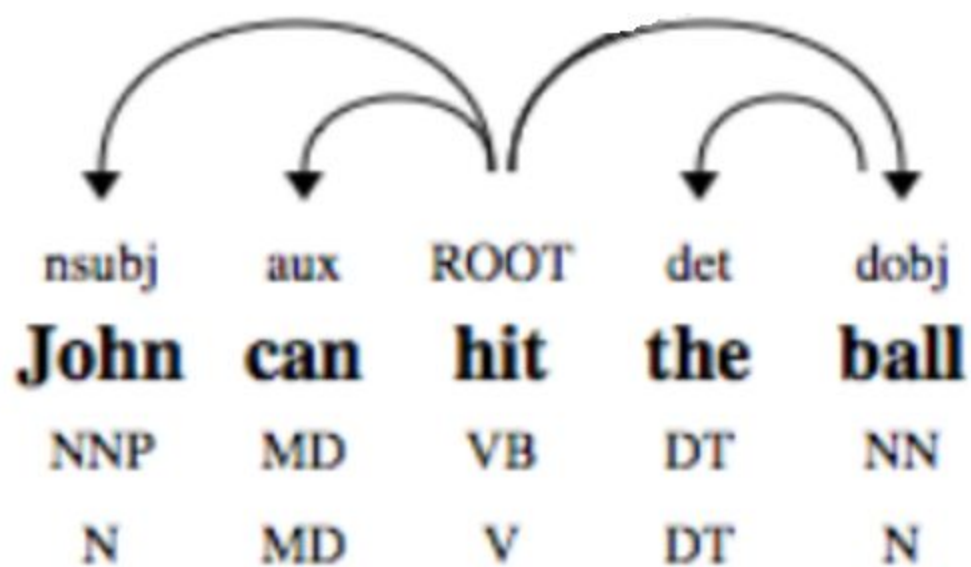


Label

Token

POS

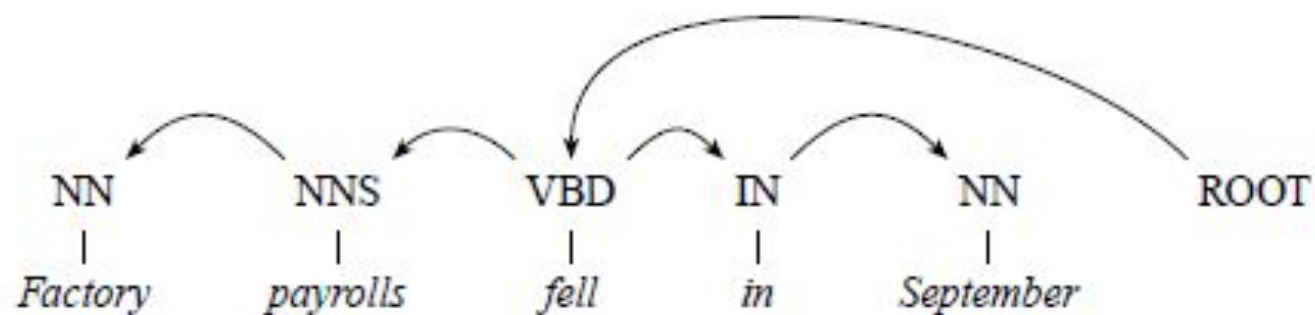
Category



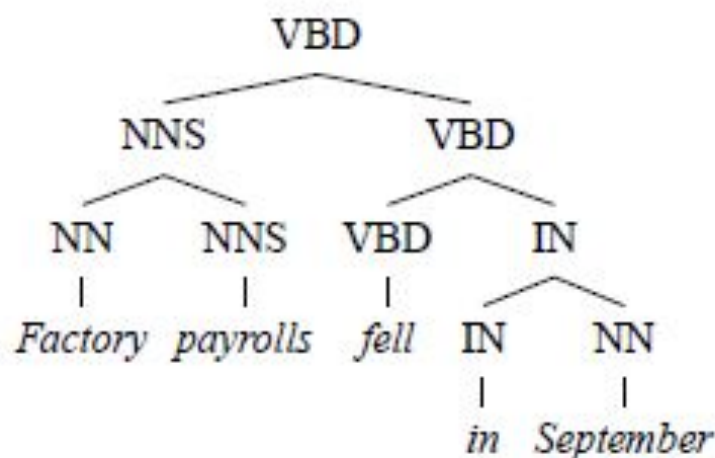
NOW TRY

Factory Payroll fell in September

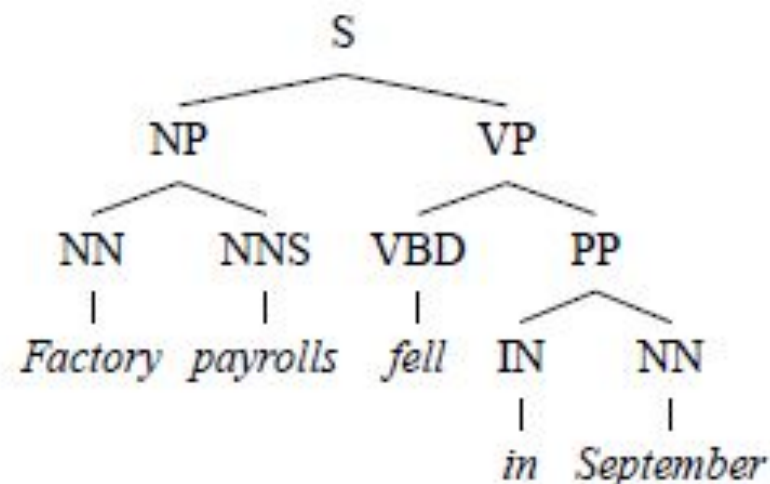
I prefer the morning flight through Denver



(a) Classical Dependency Structure

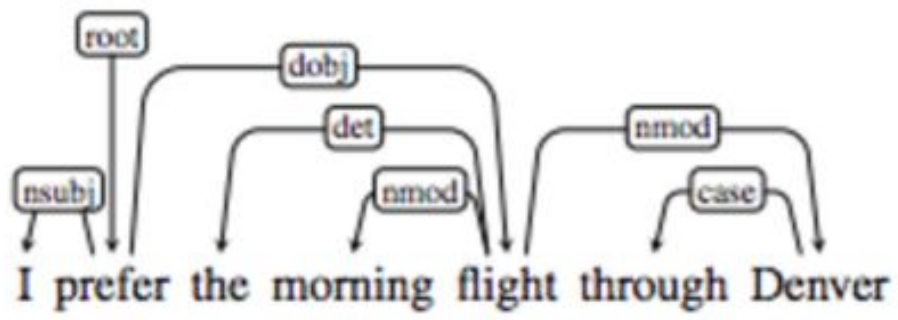
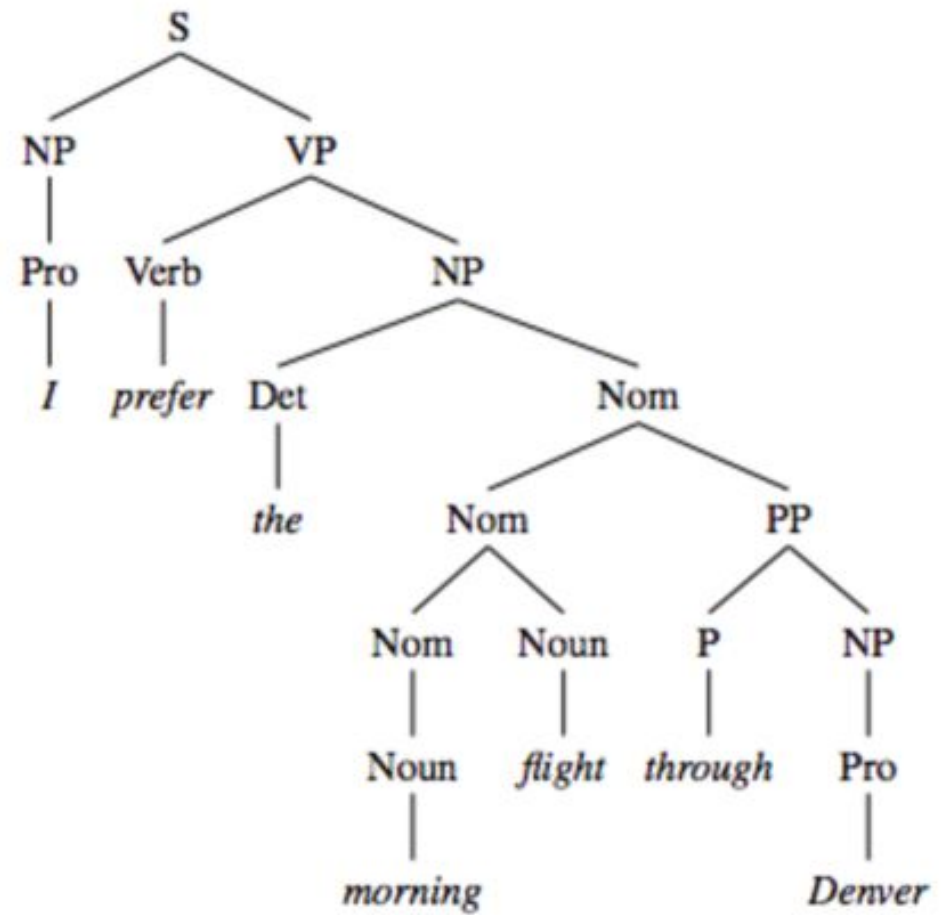


(b) Dependency Structure as CF Tree



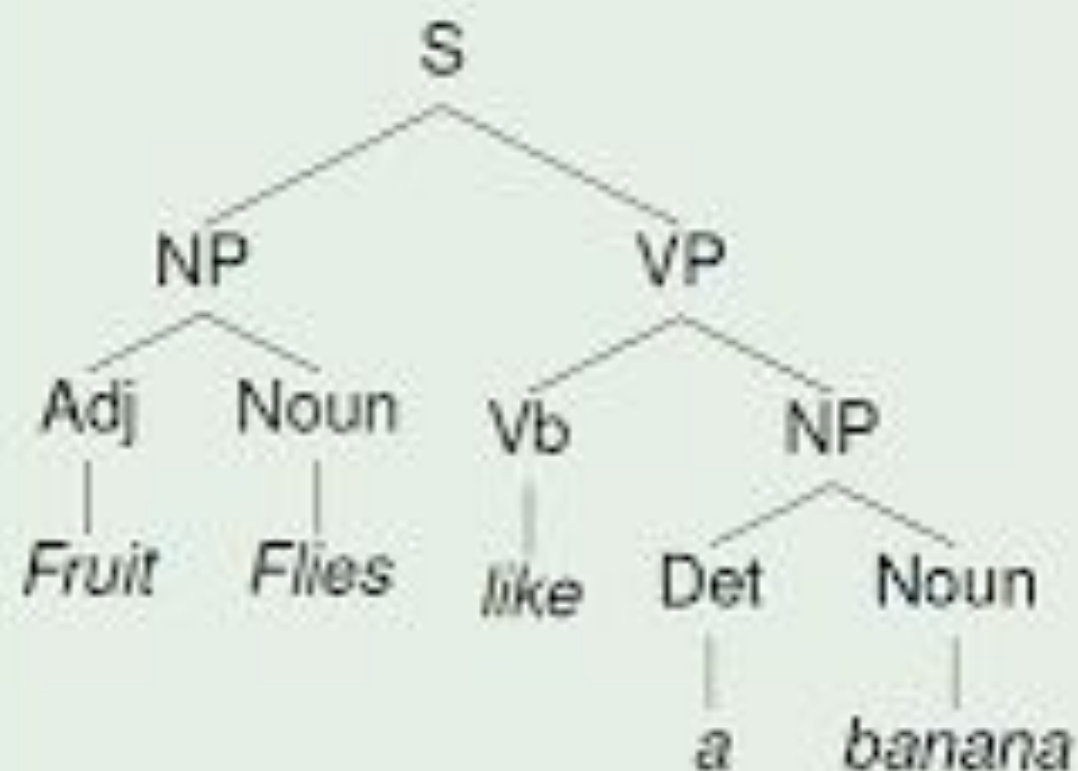
(c) CFG Structure

Figure : Three kinds of parse structures.



Fruit flies like a banana

Constituency Structure



Dependency Structure



Full Parsing

Goal: build a *complete parse tree* for a sentence.

- Problems with full parsing:
 - Low accuracy
 - Slow
 - Domain Specific
- These problems are relevant for both symbolic and statistical parsers

Light Parsing

Goal: assign a *partial structure* to a sentence.

- Simpler solution space
- Local context
- Non-recursive
- Restricted (local) domain

Chunk Parsing

Goal: divide a sentence into a sequence of chunks.

- Chunks are non-overlapping regions of a text

[I] saw [a tall man] in [the park]

- **Chunks are non-recursive**
 - A chunk can not contain other chunks
- **Chunks are non-exhaustive**
 - Not all words are included in the chunks

Chunk Parsing Examples

- Noun-phrase chunking:

[I] saw [a tall man] in [the park].

- Verb-phrase chunking:

The man who [was in the park] [saw me].

Chunks and Constituency

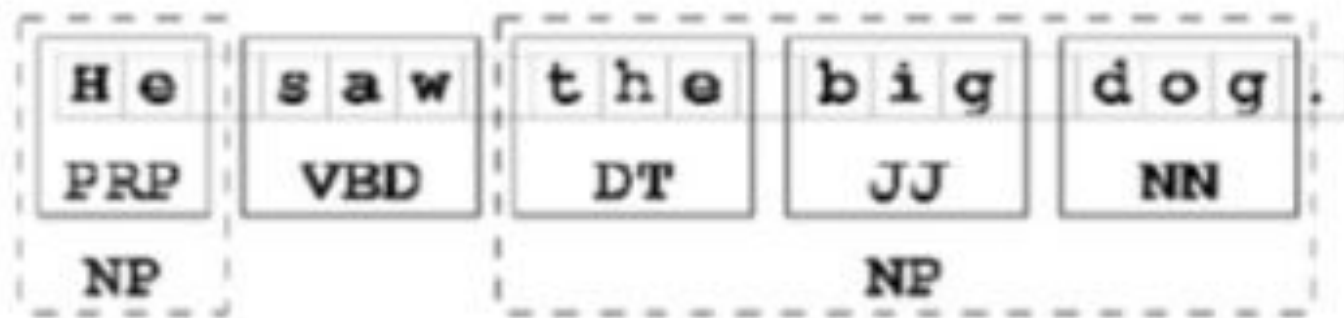
Constituents: [a tall man in [the park]].

Chunks: [a tall man] in [the park].

- Chunks are *not* constituents
 - Constituents are recursive
- Chunks are typically *subsequences* of constituents.
 - Chunks do not cross constituent boundaries

Segmenting vs. Labeling

- Tokenization *segments* the text
- Tagging *labels* the text
- Shallow parsing does both simultaneously.



[_{NP} He] saw [_{NP} the big dog]

Chunk Parsing: Accuracy

Chunk parsing achieves higher accuracy

- Smaller solution space
- Less word-order flexibility *within* chunks than *between* chunks
 - Fewer long-range dependencies
 - Less context dependence
- Better locality
- No need to resolve ambiguity
- Less error propagation

Dynamic Programming Parsing

To avoid extensive repeated work you must cache intermediate results, specifically found constituents

Caching (memoizing) is critical to obtaining a polynomial time parsing algorithm for CFGs

Dynamic programming algorithms based on both top-down and bottom-up search can achieve $O(n^3)$ recognition time where n is the length of the input string.

Dynamic Programming Parsing Methods

CKY (Cocke-Kasami-Younger) algorithm based on bottom-up parsing and requires first normalizing the grammar.

Earley parser is based on top-down parsing and does not require normalizing grammar but is more complex.

Obtaining the best parse

- Call the best parse $T(S)$, where S is your sentence
 - Get the tree which has the highest probability, i.e.
 - $T(S) = \operatorname{argmax}_{T \in \text{parse-trees}(S)} P(T)$
- Can use the Cocke-Younger-Kasami (CYK) algorithm to calculate best parse
 - CYK is a form of dynamic programming
 - CYK is a chart parser, like the Earley parser₁₂

The CYK algorithm

- Base case
 - Add words to the chart
 - Store $P(A \rightarrow w_i)$ for every category A in the chart
- Recursive case \rightarrow makes this dynamic programming because we only calculate B and C once
 - Rules must be of the form $A \rightarrow BC$, i.e., exactly two items on the RHS (we call this Chomsky Normal Form (CNF))
 - Get the probability for A at this node by multiplying the probabilities for B and for C by $P(A \rightarrow BC)$
 - $P(B)*P(C)*P(A \rightarrow BC)$
- For a given A , only keep the maximum probability (again, this is dynamic programming)

Let $w = w_1 w_2 w_3 \dots w_i \dots w_j \dots w_n$

and $w_{ij} = w_i \dots w_{i+j-1}$

// Initialization step

for $i := 1$ to n do

for all rules $A \rightarrow w_i$ do

chart $[i, 1] = \{A\}$

// Recursive step

for $j = 2$ to n do

for $i = 1$ to $n - j + 1$ do

begin

chart $[i, j] = \emptyset$

for $k = 1$ to $j - 1$ do

chart $[i, j] := \text{chart}[i, j] \cup \{A \mid A \rightarrow BC \text{ is a production and}$
 $B \in \text{chart}[i, k] \text{ and } C \in \text{chart}[i+k, j-k]\}$

end

if $S \in \text{chart}[1, n]$ then accept else reject

Figure 4.12 The CYK algorithm

CKY Algorithm

function CKY-PARSE(*words*, *grammar*) **returns** *table*

for $j \leftarrow$ **from** 1 **to** LENGTH(*words*) **do**

Looping over the columns

$table[j - 1, j] \leftarrow \{A \mid A \rightarrow words[j] \in gram$

Filling the bottom cell

for $i \leftarrow$ **from** $j - 2$ **downto** 0 **do**

Filling row i in column j

for $k \leftarrow i + 1$ **to** $j - 1$ **do**

Looping over the possible split locations between i and j .

$table[i, j] \leftarrow table[i, j] \cup$

Check the grammar for rules that link the constituents in $[i, k]$ with those in $[k, j]$. For each rule found store the LHS of the rule in cell $[i, j]$.

$\{A \mid A \rightarrow BC \in grammar,$
 $B \in table[i, k],$
 $C \in table[k, j]\}$

Example: The flight includes a meal

| | | | | |
|-------------------|---|-----------------|-------|-------|
| Det: .40 [0,1] | NP: $.30 * .40 * .02$ = .0024 [0,2] | [0,3] | [0,4] | [0,5] |
| | N: .02 [1,2] | [1,3] | [1,4] | [1,5] |
| | | V: .05 [2,3] | [2,4] | [3,5] |
| | | | [3,4] | [3,5] |
| | | | | [4,5] |

| | |
|------------------------------|----------------------------|
| $S \rightarrow NP VP$.80 | $Det \rightarrow the$.50 |
| $NP \rightarrow Det N$.30 | $Det \rightarrow a$.40 |
| $VP \rightarrow V NP$.20 | $N \rightarrow meal$.01 |
| $V \rightarrow includes$.05 | $N \rightarrow flight$.02 |

The flight includes a meal



Probabilistic Context-Free Grammars (PCFGs)

- Definition of a CFG:
 - Set of non-terminals (N)
 - Set of terminals (T)
 - Set of rules/productions (P), of the form $A \rightarrow \beta$
 - Designated start symbol (S)
- Definition of a PCFG:
 - Same as a CFG, but with one more function, D
 - D assigns probabilities to each rule in P

Probabilities

- The function D gives probabilities for a non-terminal A to be expanded to a sequence β .
 - Written as $P(A \rightarrow \beta)$
 - or as $P(A \rightarrow \beta | A)$
- The idea is that, given A as the mother non-terminal (LHS), what is the likelihood that β is the correct RHS
 - Note that $\sum_i (A \rightarrow \beta_i | A) = 1$
- For example, we would augment a CFG with these probabilities:
 - $P(S \rightarrow NP VP | S) = .80$
 - $P(S \rightarrow Aux NP VP | S) = .15$
 - $P(S \rightarrow VP | S) = .05$

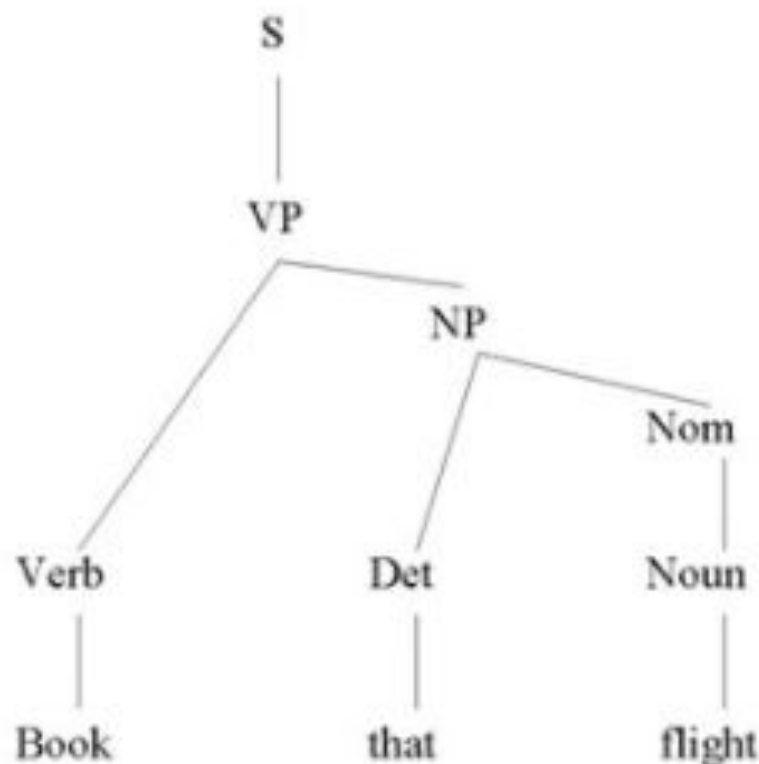
An Example

| | |
|------------------------------------|-------|
| $S \rightarrow NP VP$ | [.80] |
| $S \rightarrow Aux NP VP$ | [.15] |
| $S \rightarrow VP$ | [.05] |
| $NP \rightarrow Pronoun$ | [.35] |
| $NP \rightarrow Proper-Noun$ | [.30] |
| $NP \rightarrow Det Nominal$ | [.20] |
| $NP \rightarrow Nominal$ | [.15] |
| $Nominal \rightarrow Noun$ | [.75] |
| $Nominal \rightarrow Nominal Noun$ | [.20] |
| $Nominal \rightarrow Nominal PP$ | [.05] |
| $VP \rightarrow Verb$ | [.35] |
| $VP \rightarrow Verb NP$ | [.20] |
| $VP \rightarrow Verb NP PP$ | [.10] |
| $VP \rightarrow Verb PP$ | [.15] |
| $VP \rightarrow Verb NP NP$ | [.05] |
| $VP \rightarrow VP PP$ | [.15] |
| $PP \rightarrow Preposition NP$ | [1.0] |

| | | | | | | | |
|-----------------------------------|-------|--|-----------|-------|--|----------|-------|
| $Det \rightarrow that$ | [.10] | | a | [.30] | | the | [.60] |
| $Noun \rightarrow book$ | [.10] | | $flight$ | [.30] | | | |
| | | | $meal$ | [.15] | | $money$ | [.05] |
| | | | $flights$ | [.40] | | $dinner$ | [.10] |
| $Verb \rightarrow book$ | [.30] | | $include$ | [.30] | | | |
| | | | $prefer$ | [.40] | | | |
| $Pronoun \rightarrow I$ | [.40] | | she | [.05] | | | |
| | | | me | [.15] | | you | [.40] |
| $Proper-Noun \rightarrow Houston$ | [.60] | | | | | | |
| | | | TWA | [.40] | | | |
| $Aux \rightarrow does$ | [.60] | | can | [.40] | | | |
| $Preposition \rightarrow from$ | [.30] | | to | [.30] | | | |
| | | | on | [.20] | | $near$ | [.15] |
| | | | $through$ | [.05] | | | |

Using Probabilities to Parse

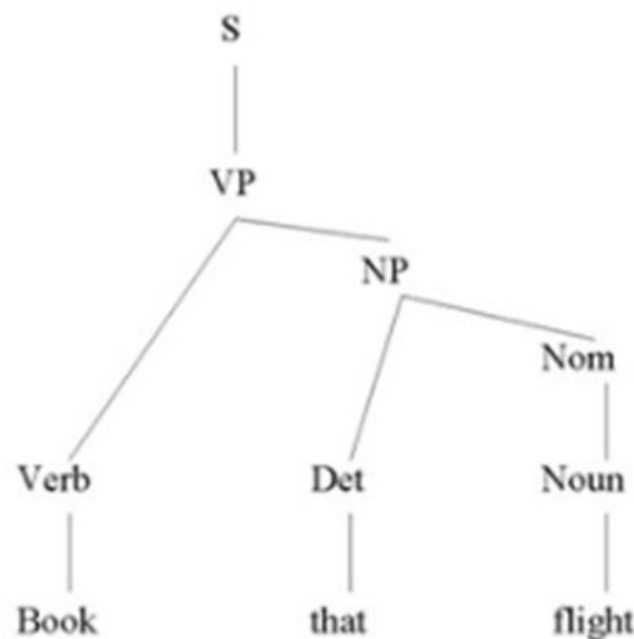
- $P(T)$: Probability of a particular parse tree
- $P(T,S) = \prod_{n \in T} p(r(n)) = P(T).P(S|T)$
- $P(T) = \prod_{n \in T} p(r(n))$
i.e., the product of the probabilities of all the rules r used to expand each node n in the parse tree



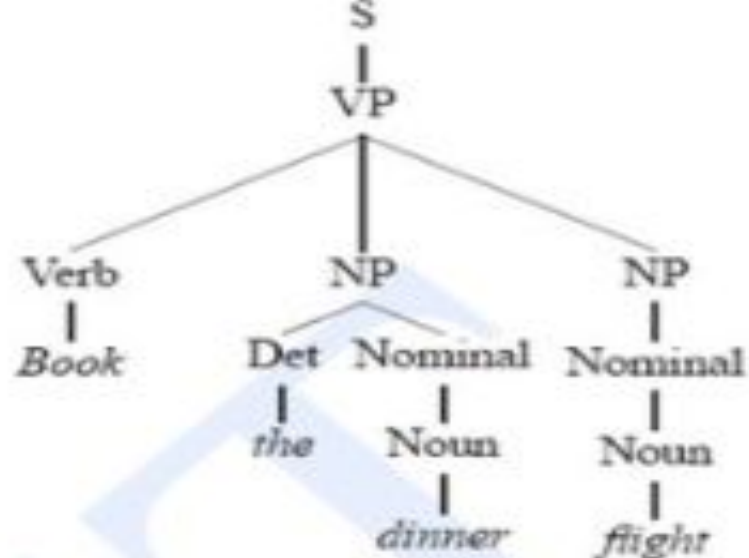
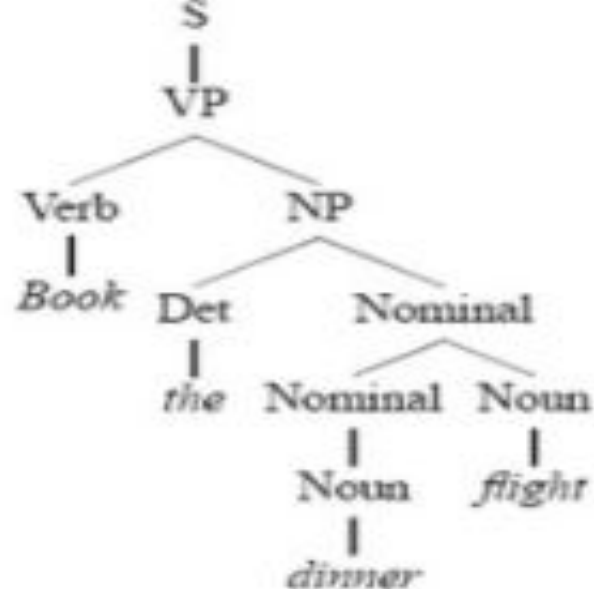
Computing probabilities

- We have the following rules and probabilities

- $S \rightarrow VP$.05
- $VP \rightarrow V NP$.40
- $NP \rightarrow Det N$.20
- $V \rightarrow \text{book}$.30
- $Det \rightarrow \text{that}$.05
- $N \rightarrow \text{flight}$.25



- $P(T) = P(S \rightarrow VP) * P(VP \rightarrow V NP) * \dots * P(N \rightarrow \text{flight})$
 $= .05 * .40 * .20 * .30 * .05 * .25 = .000015, \text{ or } 1.5 \times 10^{-5}$



| Rules | | P |
|---------|----------------|-----|
| S | → VP | .05 |
| VP | → Verb NP | .20 |
| NP | → Det Nominal | .20 |
| Nominal | → Nominal Noun | .20 |
| Nominal | → Noun | .75 |
| Verb | → book | .30 |
| Det | → the | .60 |
| Noun | → dinner | .10 |
| Noun | → flights | .40 |

| Rules | | P |
|---------|---------------|-----|
| S | → VP | .05 |
| VP | → Verb NP NP | .10 |
| NP | → Det Nominal | .20 |
| NP | → Nominal | .15 |
| Nominal | → Noun | .75 |
| Nominal | → Noun | .75 |
| Verb | → book | .30 |
| Det | → the | .60 |
| Noun | → dinner | .10 |
| Noun | → flights | .40 |

Figure 14.2 Two parse trees for an ambiguous sentence. The transitive parse (a) corresponds to the sensible meaning “Book flights that serve dinner”, while the ditransitive parse (b) to the nonsensical meaning “Book flights on behalf of ‘the dinner’”.

$$P(T_{left}) = .05 * .20 * .20 * .20 * .75 * .30 * .60 * .10 * .40 = 2.2 \times 10^{-6}$$

$$P(T_{right}) = .05 * .10 * .20 * .15 * .75 * .75 * .30 * .60 * .10 * .40 = 6.1 \times 10^{-7}$$

Initialization:

for $i := 1$ to n do
for all rules $A \rightarrow w_i$ do

$$\phi[i, 1, A] = P(A \rightarrow w_i)$$

Recursive Step:

for $j = 2$ to n do
for $i = 1$ to $n - j + 1$ do

begin

$$\phi[i, 1, A] = \phi$$

for $k = 1$ to $j - 1$ do

$$\phi'[i, j, A] = \max_k \phi'[i, k, B] \times \phi'[k, j, C] \times P(A \rightarrow BC),$$

such that $A \rightarrow BC$ is a production rule in grammar

$$BP[i, j, A] = \{ k, A, B \}$$

end

Figure 4.15 Probabilistic CYK algorithm

Problems with PCFGs

- It's still only a CFG, so dependencies on non-CFG info not captured
 - e.g., Pronouns are more likely to be subjects than objects:
 - $P[(NP \rightarrow \text{Pronoun}) \mid NP = \text{subj}] \gg P[(NP \rightarrow \text{Pronoun}) \mid NP = \text{obj}]$

| | Pronoun | Non-Pronoun |
|---------|---------|-------------|
| Subject | 91% | 9% |
| Object | 34% | 66% |

Problems with PCFGs

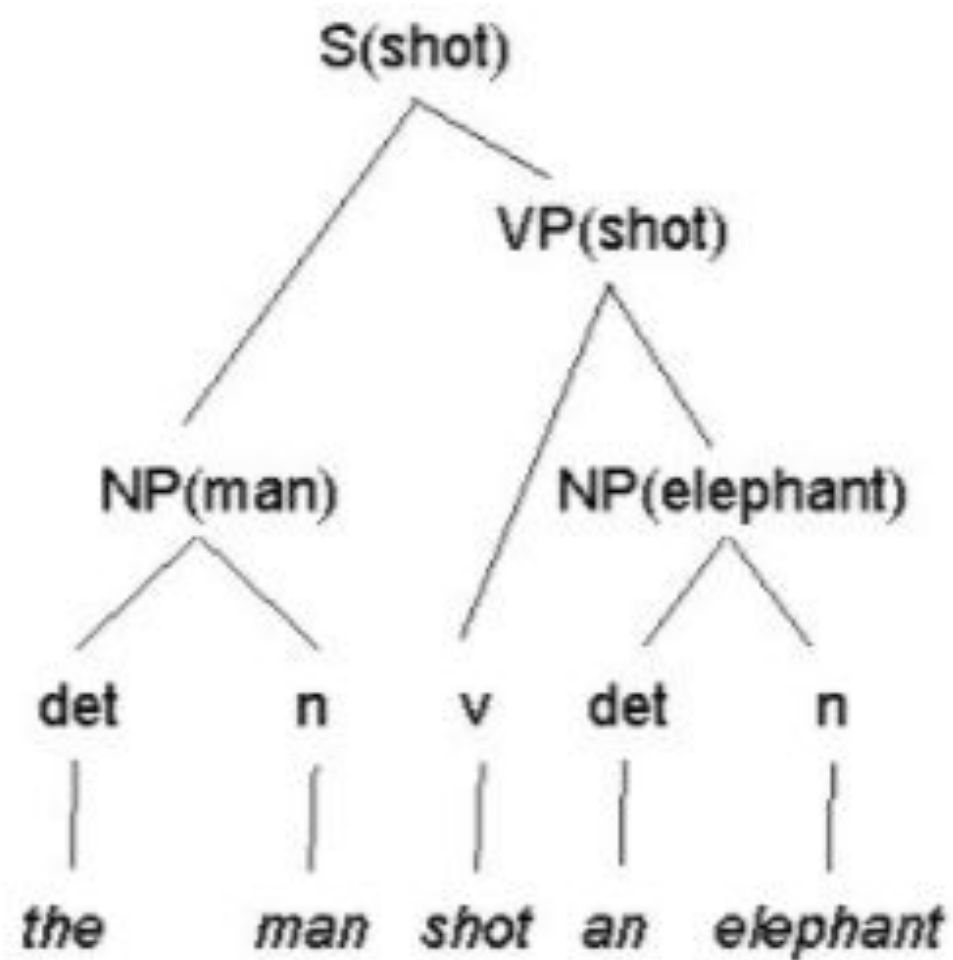
- Ignores lexical information (statistics), which is usually crucial for disambiguation
 - (T1) America sent [[250,000 soldiers] [into Iraq]]
 - (T2) America sent [250,000 soldiers] [into Iraq]
 - send with into-PP always attached high (T2) in PTB!
- To handle lexical information, we'll turn to lexicalized PCFGs

Probabilistic Lexicalized CFGs

- Key notion: "head"
 - Each non-terminal assoc w/lexical head
 - E.g. verb with verb phrase, noun with noun phrase
 - Each rule must identify RHS element as head
 - Heads propagate up tree
 - Conceptually like adding 1 rule per head value
 - VP(dumped) -> VBD(dumped)NP(sacks)PP(into)
 - VP(dumped) -> VBD(dumped)NP(cats)PP(into)

Probabilistic Lexicalised CFGs

- One solution is to identify in each rule that one of the elements on the RHS (daughter) is more important: the “head”
 - This is quite intuitive, e.g. the n in an NP rule, though often controversial (from linguistic point of view)
- Head must be a lexical item
- Head value is percolated up the parse tree
- Added advantage is that PS tree has the feel of a dependency tree



Feature Structure

- Feature structure – feature value pairs
- Features – atomic symbols drawn from some finite set
- Values – Atomic symbols or feature structures themselves
- Represented in terms of attribute-value matrix

AVM:

| | |
|----------------------|--------------------|
| FEATURE ₁ | value ₁ |
| FEATURE ₂ | value ₂ |
| ⋮ | |
| FEATURE _n | value _n |

To make this concrete, consider the

these features are associated with:

| | |
|--------|-----|
| CAT | NP |
| NUMBER | sg |
| PERSON | 3rd |

This structure can be used to repre

Represents 3rd person singular NP

Feature Structures, Grammar, Parsing

Feature Structures

- describe additional syntactic-semantic information, like category, person, number, e.g. goes \equiv $\langle \text{verb}, 3^{\text{rd}}, \text{singular} \rangle$
- specify feature structure constraints (agreements) as part of the grammar rules
- during parsing, check agreements of feature structures (unification)

example

S \rightarrow NP VP

$\langle \text{NP number} \rangle = \langle \text{VP number} \rangle$

S \rightarrow NP VP

$\langle \text{NP agreement} \rangle = \langle \text{VP agreement} \rangle$

For Detailed Explanation on Feature structures,
Unification of feature structures watch below
video.

<https://www.youtube.com/watch?v=wHDCvbZ3zDI>