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Assignment 2, Due Thursday Jan 30

Problem 1: Show that $e^{z_1}e^{z_2} = e^{z_1+z_2}$ via power series expansions.

Problem 2: Use graphical techniques to multiply $[6e^{i\pi}] [3e^{(3\pi/2)i}]$.

Problem 3: Write the general form for the following two series, and determine the disks of convergence.

$$1 + iz + \frac{2(iz)^2}{2!} + \frac{3(iz)^3}{3!} + \dots$$
$$1 + iz + \frac{(iz)^2}{2!} + \frac{(iz)^3}{3!} + \dots$$

Problem 4: (§2.10 15) Find all values of $\sqrt[6]{-64}$.

Problem 5: (§2.10 27,28) Using the fact that the complex equation is really two real equations, find the double angle formulas (for $\sin 2\theta$, $\cos 2\theta$) as well as the triple angle formulas (for $\sin 3\theta$, $\cos 3\theta$).

Problem 6: Find $e^{2+i\pi}$ in rectangular form.

Problem 7: Express the following integral in exponential form and then integrate $\int_{-\pi}^{\pi} \cos^2(2x)dx$.

Problem 8: Express the following in rectangular coordinates: 3^i , $(-1)^i$, $(2i)^{(i+1)}$.