# **ASP Modelling 2**

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#### **List of Tasks**

1 Exercises from Lifschitz' Book

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## Please complete past exercises

If you did not finish past labs, please work on that first.

### 1 Exercises from Lifschitz' Book

Solve the following exercises from [1]

• Exercise 7.1

```
ANSWER: - \# count\{I : I = 1..n, in(I)\} != m.
```

Note that the original choice rule was selecting m in-elements.

 $\{in(1..n)\}$  chooses subsets of in-elements, but it does not specify how many. So we need to ensure that only m are chosen, which is done by the above constraint, which says that the number of Is in in cannot be different from m.

• Exercise 7.2

```
ANSWER: howmany(I,N) :- N = \#count{C : where(C,I)}, I = 1..k.
```

For an arbitrary floor I (from 1 to k), we count the number N of classes C such that C is taught on floor I, captured by the relation where(C, I).

• Exercise 7.5 (HINT: Use #count)

```
ANSWER: \#count\{X : p(X)\}.
```

In the rule  $\#sum\{1,X:p(X)\}$ . by summing by one for each element in p(X) we are counting the elements in p(X), which is what the rule above is doing.

• Exercise 7.9

```
ANSWER: howmany(I,N) :- N = \#count\{C : where(C,I)\}\,

I = 1..K, K = \#max\{J : where(C,J)\}\.
```

We get the value of K by the taking the maximum value J for which is known that a class is taught on that floor.

• Exercise 7.10 (HINT: You need to add another rule)

```
ANSWER::- #sum{Vol,I : in(I), volume(I,Vol)} > maxvolume.
```

We ensure that the total volume, that is, the sum of the volume of all items I in in, does not exceed the  ${\tt maxvolume}$ . Note that different items might have the same volume, that is why we have Vol, I on the lhs of:

### References

[1] Vladimir Lifschitz. Answer Set Programming. Springer, 2019.