

Report on code

Question1

(d)

编辑器 - /Users/yangjinglan/Desktop/Yangjinglan-hw1/q1.m

q1.m

```
1 cvx_begin
2   variable x1
3   variable x2
4   maximize 7.8*x1+7.1*x2
5   subject to
6     1/8*x1+1/2*x2<=90;
7     1/4*x1+1/6*x2<=80;
8     x1>=0;
9     x2>=0;
10
11 cvx_end
12
13 x1
14 x2
15
16
```

命令行窗口

```
norm(A), norm(b), norm(C) = 2.5e+00, 1.2e+02, 1.2e+01
Total CPU time (secs) = 0.10
CPU time per iteration = 0.01
termination code      = 0
DIMACS: 1.9e-14  0.0e+00  4.6e-12  0.0e+00  3.7e-10  3.7e-10

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Status: Solved
Optimal value (cvx_optval): +2724

x1 =

    240.0000

x2 =

    120.0000

fx >>
```

Question2

编辑器 - /Users/yangjinglan/Desktop/Yangjinglan-hw1/q2.m

q2.m

```
1 cvx_begin
2
3   variable X(5,5)
4   W=[100,20,13,11,28;
5     20,100,18,5,46;
6     13,18,100,9,27;
7     11,8,9,100,20;
8     28,46,27,20,100];
9   minimize sum(sum(W.*X))
10  subject to
11    sum(X(:,1))-sum(X(1,:))>=40;
12    sum(X(2,:))-sum(X(:,2))<=135;
13    sum(X(:,3))-sum(X(3,:))>=200;
14    sum(X(4,:))-sum(X(:,4))<=220;
15    sum(X(5,:))-sum(X(:,5))<=220;
16    sum(X(1,:))<=110;
17    sum(X(2,:))<=335;
18    sum(X(3,:))<=400;
19    sum(X(4,:))<=420;
20    sum(X(5,:))<=610;
21    for i = 1:5
22      for j = 1:5
23        X(i,j)>=0;
24      end
25    end
26
27 cvx_end
28
29 X
```

命令行窗口

```
Status: Solved
Optimal value (cvx_optval): +2400

X =

    0.0000    0.0000    0.0000    0.0000    0.0000
    0.0000    0.0000    0.0000    20.0000    0.0000
    0.0000    0.0000    0.0000    0.0000    0.0000
    40.0000    0.0000    200.0000    0.0000    0.0000
    0.0000    0.0000    0.0000    0.0000    0.0000

fx
```

Question3

```

编辑器 - /Users/yangjinglan/Desktop/YangJinglan-hw1/q3.m
q3.m
1 W=input("Input an n*n matrix W(n>2): ");
2 [n,m]=size(W);
3 cvx_begin
4     variable X(n,n);
5     minimize sum(sum(W.*X));
6     subject to
7         sum(X(1,:))-sum(X(:,1))==1;
8         sum(X(:,n))-sum(X(n,:))==1;
9         for i=2:n-1
10             sum(X(i,:))-sum(X(:,i))==0;
11         end
12         for i=1:n
13             for j=1:n
14                 X(i,j)<=1;
15                 X(i,j)>=0;
16             end
17         end
18     cvx_end
19
20 X
21

```

```

>> q3
Input an n*n matrix W(n>2): [100,5,4,100,100,100,100,100;
5,100,100,3,100,7,100,100;
4,100,100,100,1,2,100,100;
100,3,100,100,2,100,100,100;
100,100,1,2,100,100,2,5;
100,7,2,100,100,100,100,3;
100,100,100,100,2,100,100,1;
100,100,100,100,5,2,1,100]

```

Calling SDPT3 4.0: 136 variables, 64 equality constraints
For improved efficiency, SDPT3 is solving the dual problem.

```

num. of constraints = 64
dim. of linear var = 128
dim. of free var = 8 *** convert ublk to lblk
*****
SDPT3: Infeasible path-following algorithms
*****
version predcorr gam expon scale_data
NT 1 0.000 1 0
it pstep dstep pinfeas dinfeas gap prim-obj dual-obj cputime
0|0.000|0.000|1.0e+00|1.5e+01|1.1e+06| 3.029219e+04 0.000000e+00| 0:0:00| chol 1 1
1|1.000|1.000|8.0e-07|5.0e-01|4.7e+04| 2.386813e+04 -1.348474e+03| 0:0:00| chol 1 1
2|1.000|1.000|6.7e-08|1.5e-01|3.2e+03| 1.212704e+03 -1.112367e+03| 0:0:00| chol 1 1
3|0.881|0.916|1.8e-07|5.4e-02|4.0e+02| 1.926330e+02 -3.979935e+00| 0:0:00| chol 1 1
4|0.832|0.948|4.4e-08|1.6e-02|7.3e+01| 3.268270e+01 1.257268e+01| 0:0:00| chol 1 1
5|0.979|0.272|3.6e-08|1.2e-02|3.7e+01| 3.322365e+00 8.461316e+00| 0:0:01| chol 1 1
6|0.974|0.608|1.2e-08|5.6e-03|1.5e+01|-4.608080e+00 -5.578724e-01| 0:0:01| chol 1 1
7|1.000|0.763|3.6e-09|1.6e-03|3.2e+00|-7.687110e+00 -5.511840e+00| 0:0:01| chol 1 1
8|0.982|0.977|1.2e-09|1.4e-04|7.4e-02|-7.993461e+00 -7.589650e+00| 0:0:01| chol 1 1
9|0.986|0.943|3.0e-11|3.9e-05|4.0e-03|-7.999894e+00 -7.874459e+00| 0:0:01| chol 1 1
10|1.000|0.929|1.2e-12|1.3e-05|5.6e-04|-7.999906e+00 -7.960981e+00| 0:0:01| chol 1 1
11|0.989|0.989|3.2e-13|7.6e-07|1.7e-05|-7.999999e+00 -7.999552e+00| 0:0:01| chol 1 1
12|1.000|0.988|5.0e-14|2.3e-08|5.9e-07|-8.000000e+00 -7.999995e+00| 0:0:01| chol 1 1
13|1.000|0.988|1.6e-14|7.9e-10|2.2e-08|-8.000000e+00 -8.000000e+00| 0:0:01|
stop: max(relative gap, infeasibilities) < 1.49e-08

```

```

-----
number of iterations   = 13
primal objective value = -8.00000000e+00
dual  objective value = -7.99999994e+00
gap := trace(XZ)      = 2.17e-08
relative gap          = 1.28e-09
actual relative gap   = -3.41e-09
rel. primal infeas (scaled problem) = 1.58e-14
rel. dual    "      "      "      = 7.86e-10
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual    "      "      "      = 0.00e+00
norm(X), norm(y), norm(Z) = 6.5e+02, 2.0e+00, 8.0e+00
norm(A), norm(b), norm(C) = 2.0e+01, 6.5e+02, 9.2e+00
Total CPU time (secs) = 0.58
CPU time per iteration = 0.04
termination code      = 0
DIMACS: 1.0e-13  0.0e+00  3.6e-09  0.0e+00  -3.4e-09  1.3e-09
-----

```

```

-----
Status: Solved
Optimal value (cvx_optval): +8

```

X =

-0.0000	0.0000	1.0000	-0.0000	-0.0000	-0.0000	-0.0000	-0.0000
-0.0000	-0.0000	-0.0000	0.0000	-0.0000	-0.0000	-0.0000	-0.0000
-0.0000	-0.0000	-0.0000	-0.0000	1.0000	0.0000	-0.0000	-0.0000
-0.0000	0.0000	-0.0000	-0.0000	0.0000	-0.0000	-0.0000	-0.0000
-0.0000	-0.0000	0.0000	0.0000	-0.0000	-0.0000	1.0000	0.0000
-0.0000	-0.0000	0.0000	-0.0000	-0.0000	-0.0000	-0.0000	0.0000
-0.0000	-0.0000	-0.0000	-0.0000	0.0000	-0.0000	-0.0000	1.0000
-0.0000	-0.0000	-0.0000	-0.0000	-0.0000	0.0000	0.0000	-0.0000