

VE527

Computer-Aided Design of Integrated Circuits

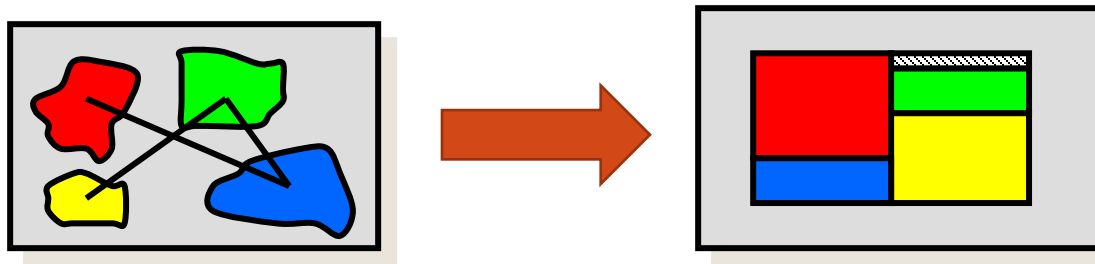
Floorplanning

Outline

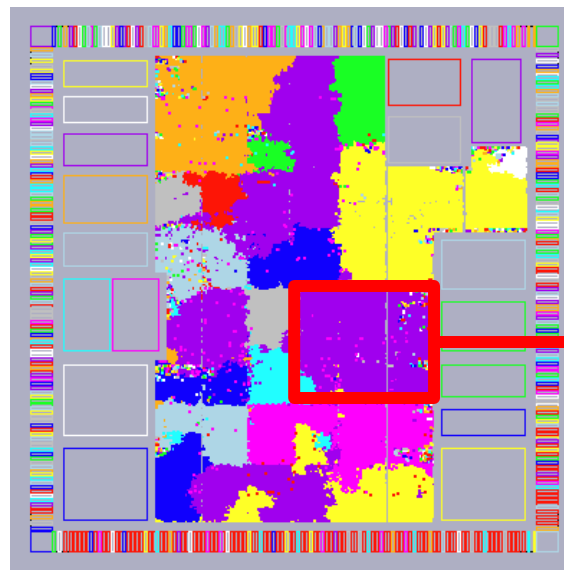
- Floorplanning
 - Basics
 - Placeholder Representation and Perturbation
 - Floorplan Sizing

Floorplanning: Problem

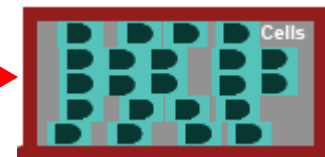
- Given **circuit modules** (may consist of a number of cells) and their connections, determine the approximate location of these modules



Real example of
Floorplanning

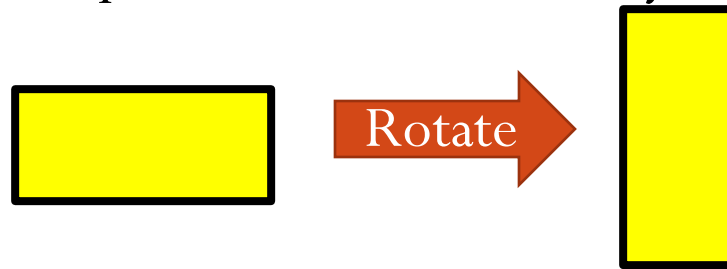


Placement



Modules

- Results of partitioning
- Fixed area, generally rectangular
- Two types of modules
 - Hard modules: shape is fixed. Rotation may or may not be allowed



- Soft modules: flexible shape
 - Discrete choices. E.g., $\{6 \times 4, 8 \times 3, 12 \times 2\}$
 - Continuous choices. Any aspect ratio (h_i/w_i) within $[0.8, 1.2]$

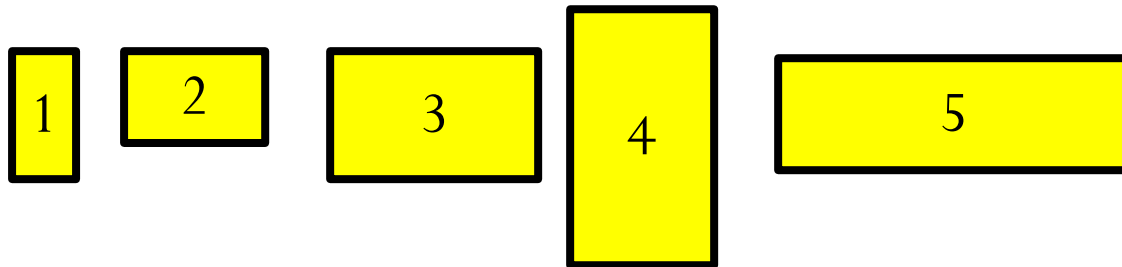
Floorplanning

- Objectives:
 - Minimize area of enveloping rectangle
 - Determine best shape of soft modules
 - Minimize total wirelength to make subsequent routing easy
 - Minimize power consumption
- Possible additional constraints:
 - Fixed location for some modules
 - Fixed dies. E.g., should put all the modules within a rectangle of $10\mu\text{m} \times 12\mu\text{m}$
 - Range of die aspect ratio, e.g., $h/w \in [0.9, 1.1]$
- NP-hard (what did you expect? 😊)

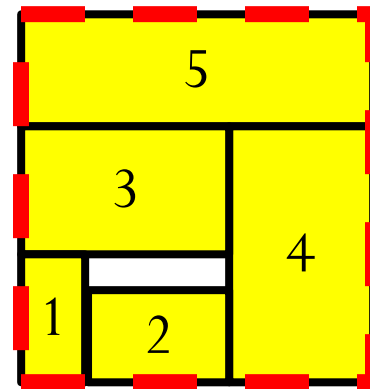
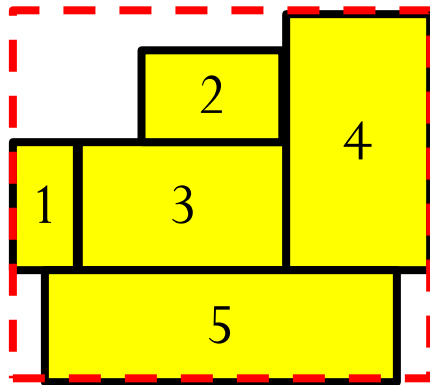
Floorplanning Example

- Minimizing area, with hard module and no rotation

Given



Enveloping
Rectangle

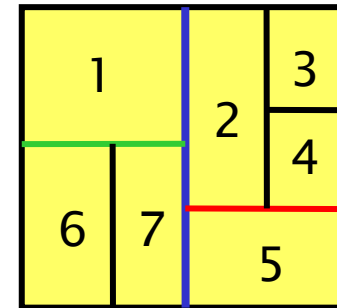


Floorplanning: Why Important?

- Early stage of physical design
 - Determines the location of large blocks
 - ➔ detailed placement easier (divide and conquer!)
 - Estimates of area, delay, power
 - ➔ important design decisions
 - Impact on subsequent design steps (e.g., routing, heat dissipation analysis and optimization)

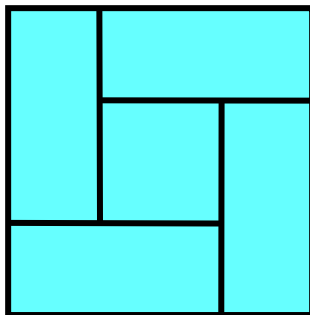
Floorplan Classes

- **Slicing**, recursively defined as:
 - A module, or
 - A floorplan that can be partitioned into two slicing floorplans with a horizontal or vertical cut line

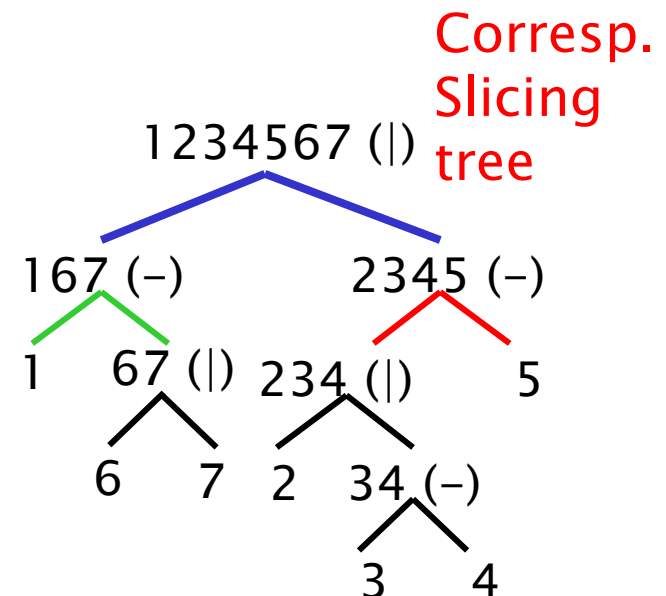


Slicing floorplan

- **Non-slicing**
 - Superset of slicing floorplans
 - Contains the “wheel” shape too



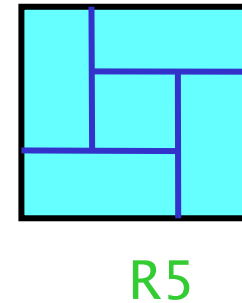
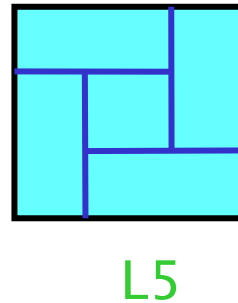
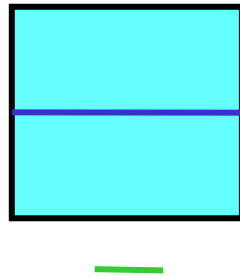
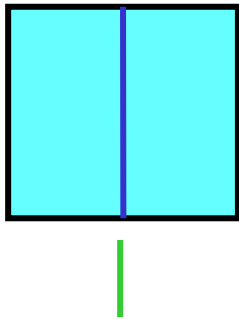
Non-Slicing floorplan



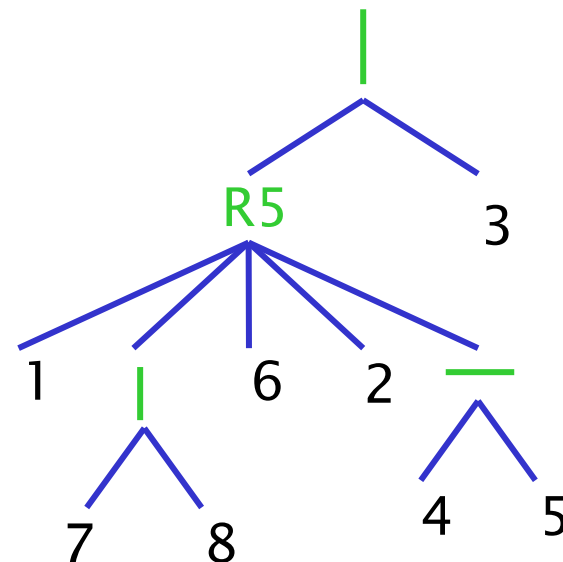
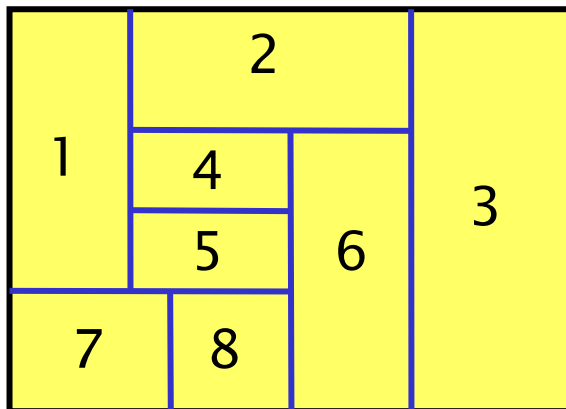
Non-slicing Floorplan Example

- Hierarchical floorplan of order 5

- Templates



- Floorplan and tree example



Review: Simulated Annealing Algorithm

```
curSoln = random initial solution;
T = temperature = hot;
while (T > Tfreeze) {
    for (s=1; s< #moves per temp; s++) {
        nextSoln = perturb(curSoln);
        Compute  $\Delta\text{cost} = \text{cost}(\text{nextSoln}) - \text{cost}(\text{curSoln})$ ;
        if ( $\Delta\text{cost} < 0$ ) then curSoln = nextSoln; //accept next solution
        else {
            if( uniform_random() < exp(  $-\Delta\text{cost}/T$  ) )
                then curSoln = nextSoln; //accept a new, worse solution
        }
    }
    T = coolDown(T); // cool the temperature; do more gate swaps
}
return (curSoln as best solution);
```

Components of Simulated Annealing Algorithm

- Solution space (e.g., different slicing floorplans)
- Cost function (e.g., the area of a floorplan)
 - Determines how “good” a particular solution is
- Perturbation rules (e.g., transforming a floorplan to a new one)
- Simulated annealing engine
 - A temperature variable T
 - An initial temperature T_0 (e.g., $T_0 = 40,000$)
 - A freezing temperature T_{freeze} (e.g., $T_{\text{freeze}} = 0.1$)
 - A cooling schedule (e.g., $T = 0.95 * T$)

Components of Floorplanning Algorithms

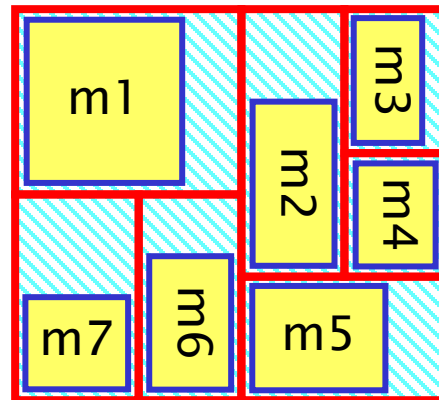
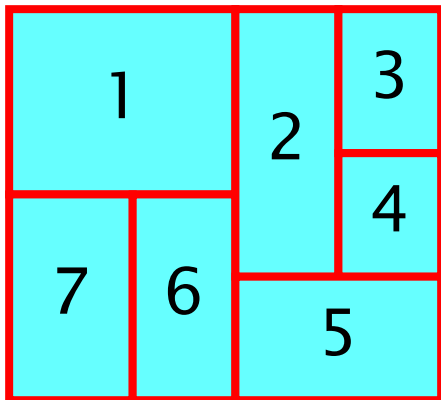
- Solution space representation: “Placeholder” representation
 - Defines the relative position of modules
 - Slicing class: slicing tree, reverse Polish notation
 - Non-slicing class: sequence pair, etc.
- Area cost calculation: floorplan sizing
 - Definition: given a floorplan tree, choose the best shape for each module to minimize area
 - Slicing: polynomial, bottom-up algorithm
 - Non-slicing: NP! Use mathematical programming (exact solution)
- Perturbation: going from one floorplan to another

Outline

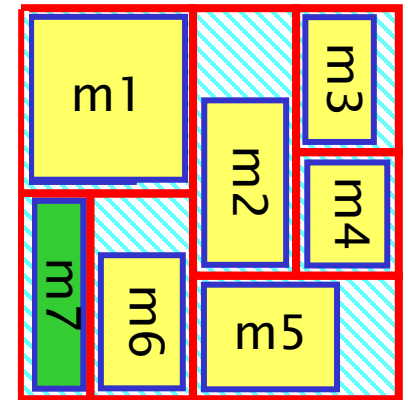
- Floorplanning
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Placeholders and Soft Modules

- The hierarchy tree define “placeholders” for modules
- Area utilization
 - Depends on how nicely the hard modules’ shapes are matched
 - Soft modules can take different shapes to “fill in” empty slots
➔ floorplan sizing



Area = $20 \times 22 = 440$



Area = $20 \times 19 = 380$

Bounds on Aspect Ratios

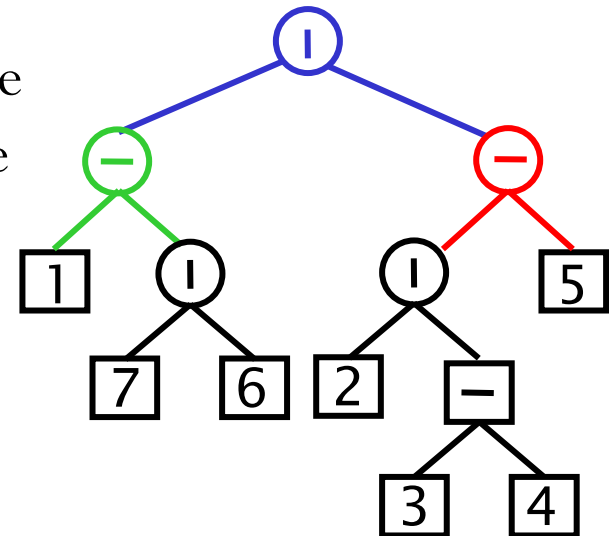
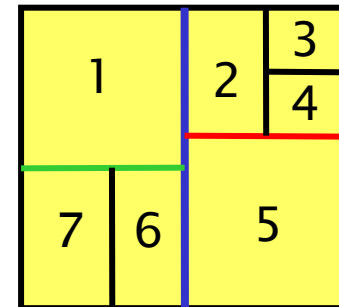
- If there is no bound on the aspect ratio (h_i/w_i) of each module, can we pack everything tightly?
 - Sure!



- But we don't want to layout blocks as long strips, so we have constraint $r_i \leq h_i/w_i \leq s_i$ for each soft module i

Reverse Polish Notation (RPN)

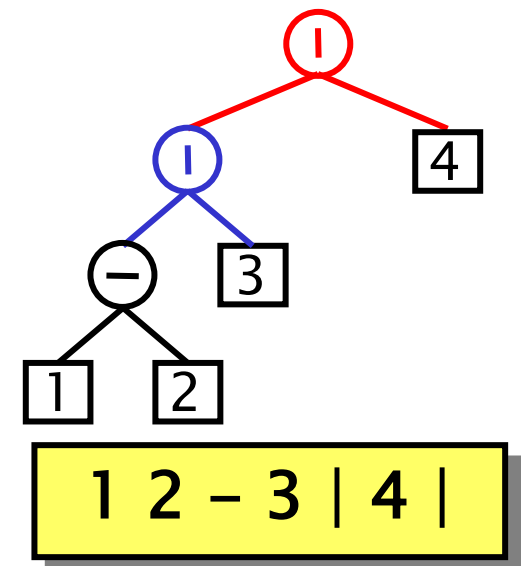
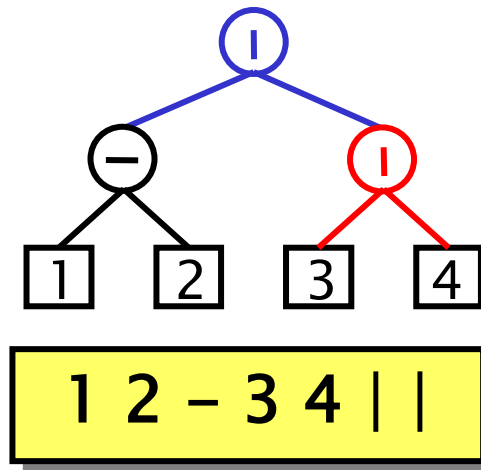
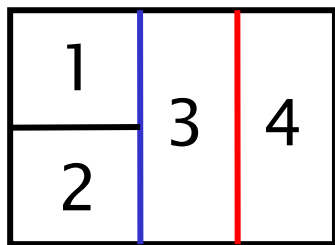
- Tree representation of the floorplan
 - Left (right) child of a V-cut in the tree represents the left (right) slice in the floorplan
 - Left (right) child of an H-cut in the tree represents the top (bottom) slice in the floorplan
- **Reverse Polish Notation (RPN)**
 - A string of symbols obtained by traversing a binary tree in post-order.



1 7 6 | - 2 3 4 - | 5 - |

Problem with Reverse Polish Notation?

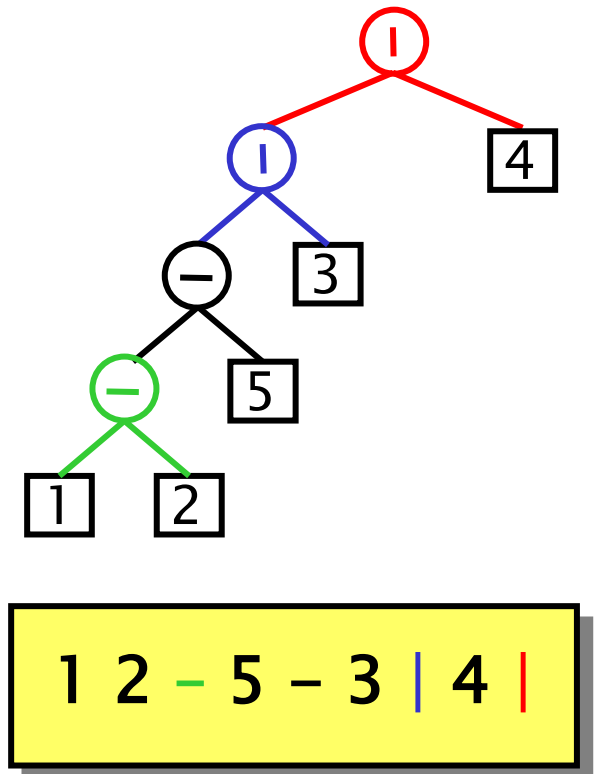
- Multiple representations for some slicing trees
 - When more than one cut in one direction cut a floorplan
- Consequence #1: larger solution space on slicing trees
- Consequence #2: simulated annealing-based algorithm will be more biased towards floorplans with multiple representations



Solution: Normalized RPN

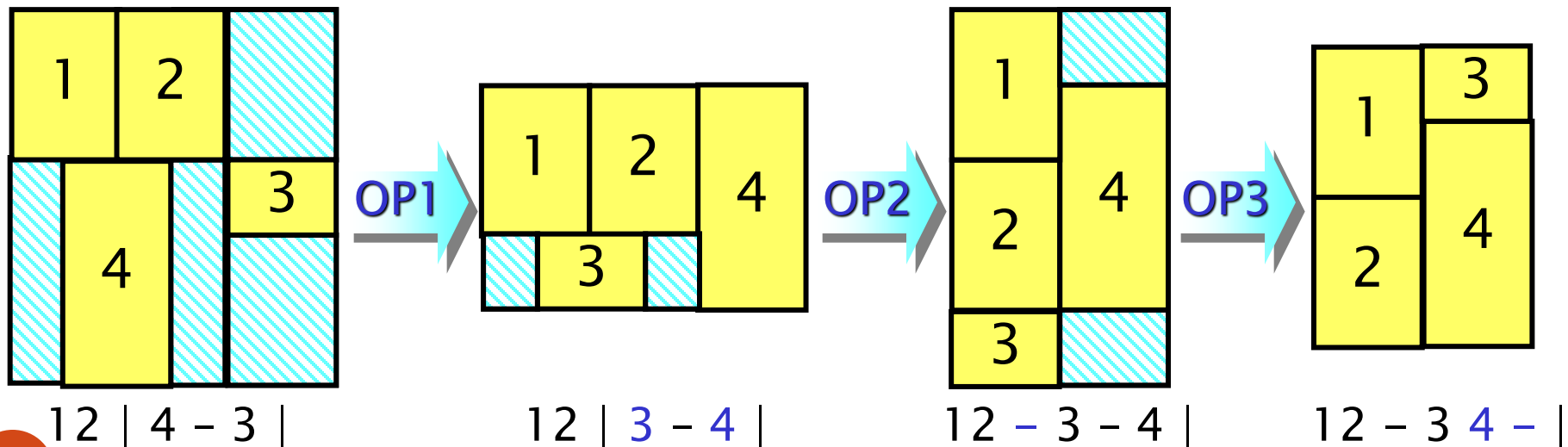
- Assign priorities to the cuts
- In a top-down tree construction, pick the **right-most** cut and the **lowest** cut first
- **Property**: no two same operators adjacent in the normalized RPN (i.e., no “| |” or “— —”)
 - Not the case for general RPN

1	3	4
2		
5		



Perturbation

- OP1: Exchange two **operands** that have no other operands in between
- OP2: Complement a series of **operators** between two operands
- OP3: Exchange adjacent **operand and operator** if the resulting expression is still a normalized RPN

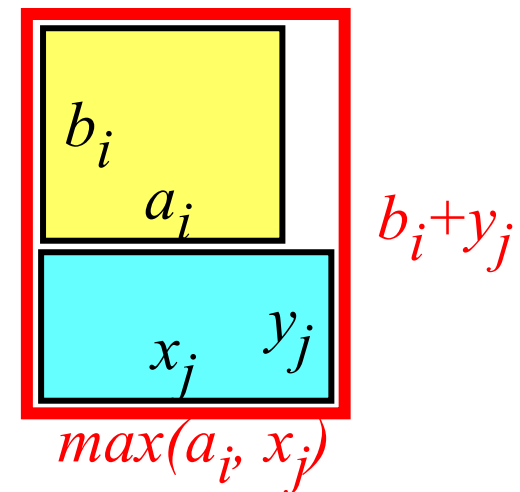
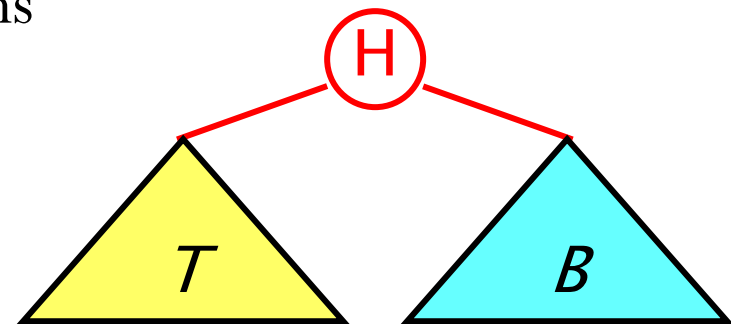
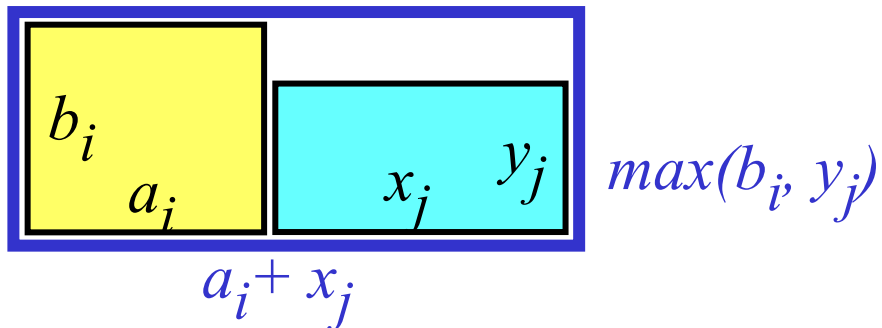
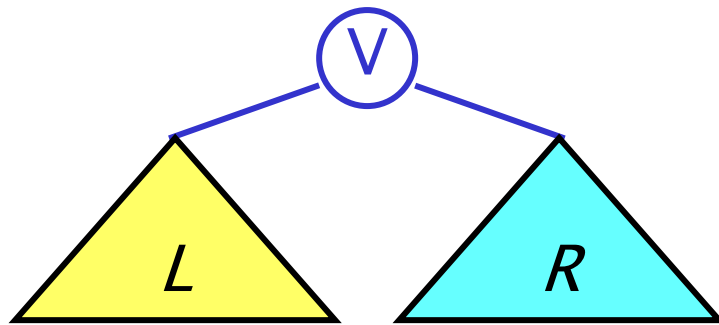


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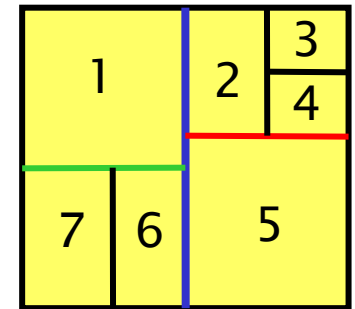
Floorplan Sizing for Slicing Floorplans

- Bottom-up process
- Has to be done per floorplan perturbation
- There are two basic operations



Sizing Slicing Floorplans

- Simple case:
 - All modules are hard macros
 - No rotation allowed
 - So, just one shape



[1234567 (|)] 17x16

[167 (-)] 9x15

[2345 (-)] 8x16

[1] 8x8

[76 (|)] 9x7

[234 (|)] 8x11

[5]

7x5

[7]

5x4

[6]

4x7 4x8

[2]

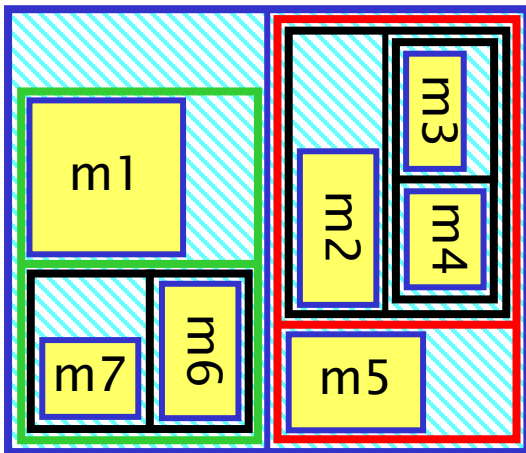
[34 (-)] 4x11

[3]

3x6

[4]

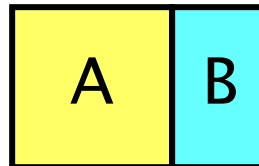
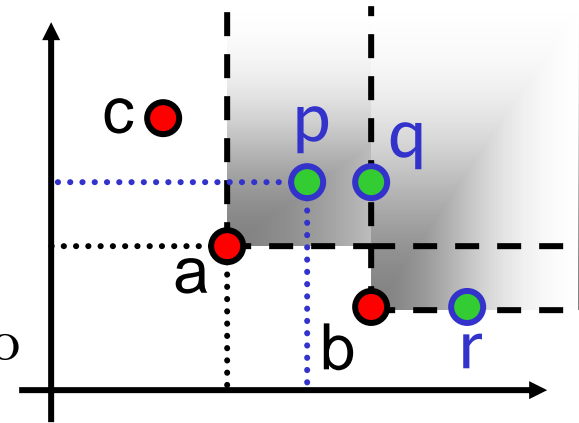
4x5



Width x Height

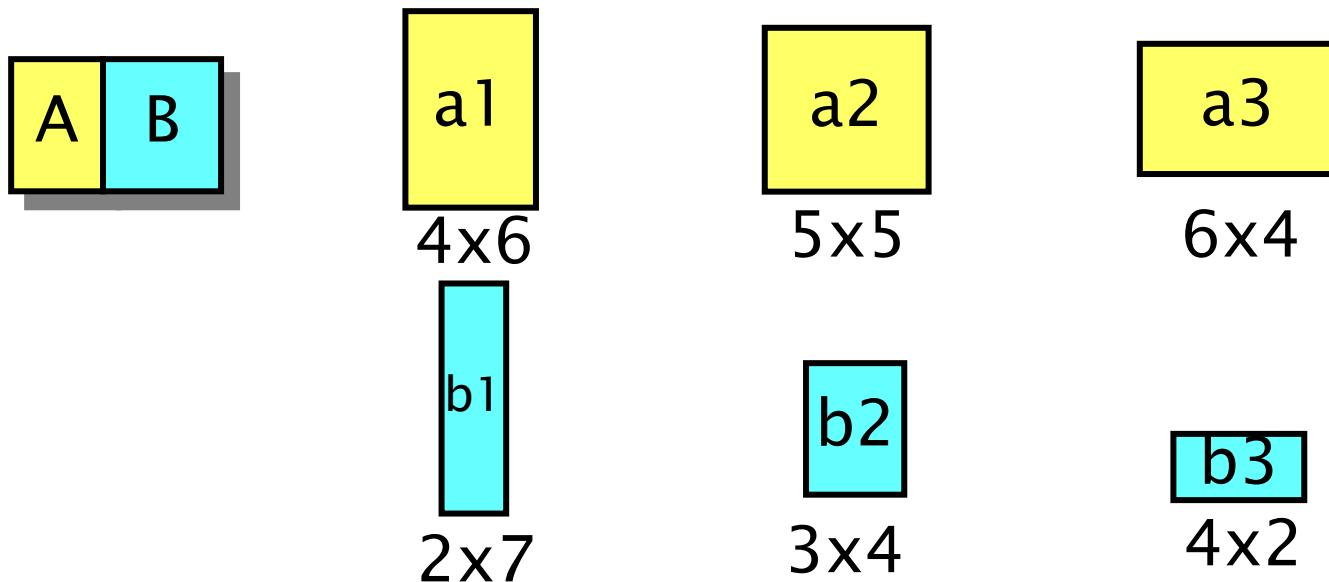
Sizing Slicing Floorplans with Multiple Module Shapes

- What if modules have more than one shape?
- If area is the only concern:
 - Module A has shapes 4x6, 7x8, 5x6, 6x4, 7x4, which ones should we pick?
- Dominant points
 - Shape (x_1, y_1) dominates (x_2, y_2) if $x_1 \leq x_2$ and $y_1 \leq y_2$
- **Question:** can area along be a factor to eliminate a shape?
 - Consider module A has shapes 4x6, 5x5 and we have a B (3x5)

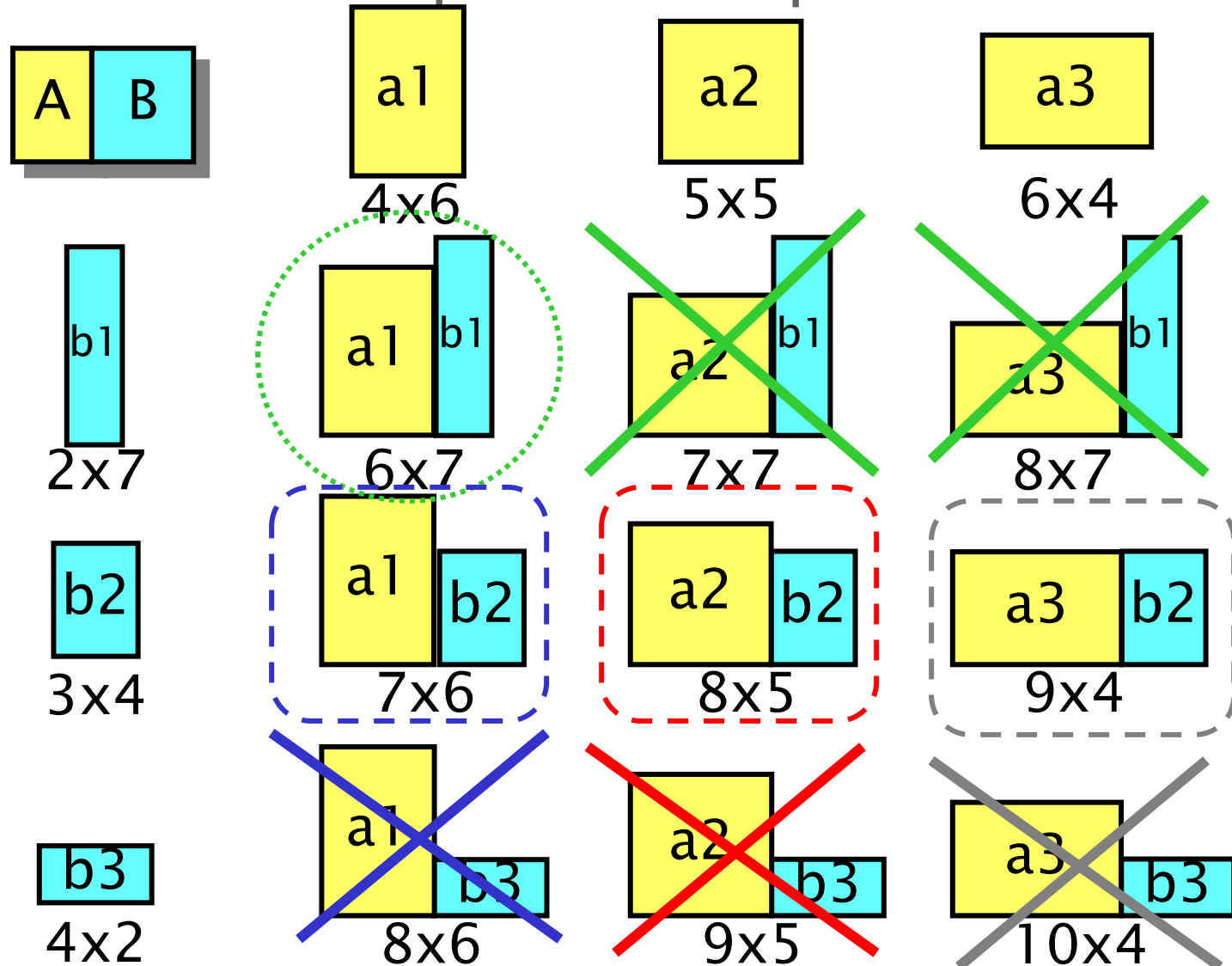


Sizing Slicing Floorplans with Multiple Module Shapes: Vertical Cut

- In general, module A and B have multiple shapes
- Sort these shapes in decreasing height
 - Claim: the width must be in increasing order. (Why?)

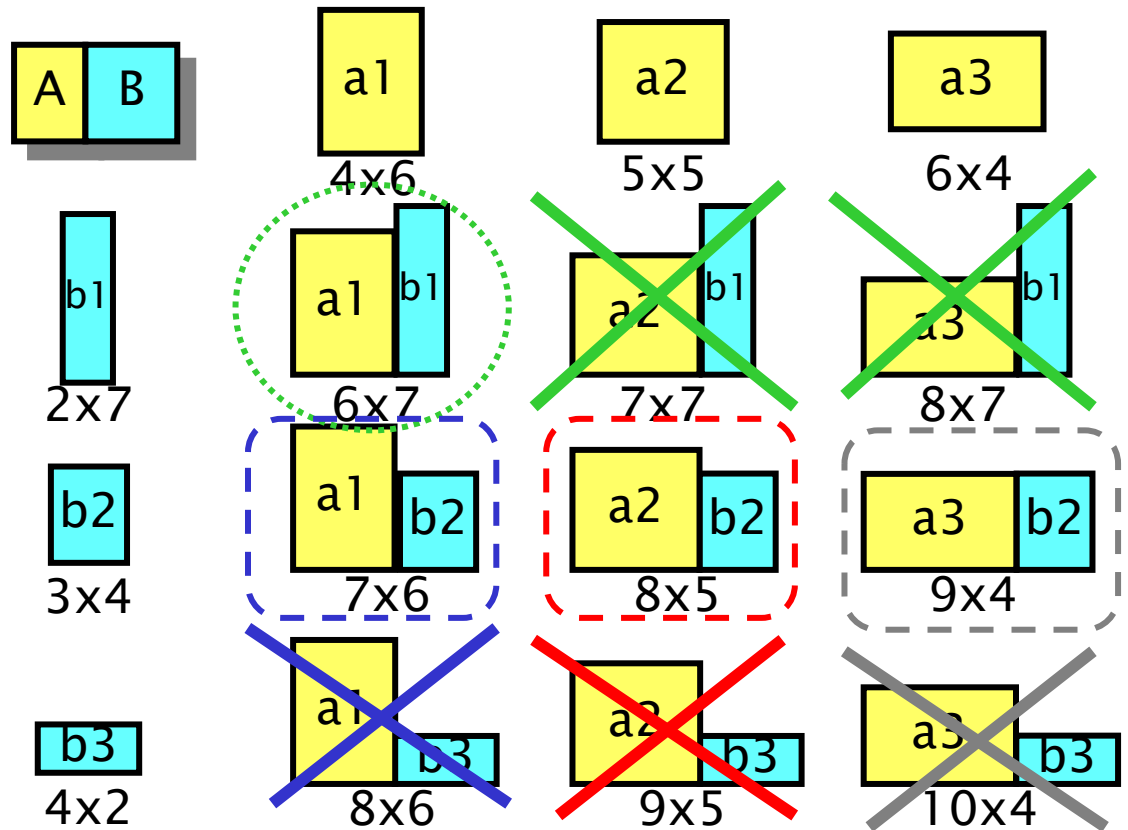


Sizing Slicing Floorplans with Multiple Module Shapes: Example



Analysis of the Example

Each dominating height will eliminate the elements to the right of an item in a row, or the elements to the bottom of an item in a column



Sizing Slicing Floorplans with Multiple Module Shapes: Algorithm

// **Input:** two sorted lists $L=\{(a_1,b_1), \dots,(a_s,b_s)\}$, $R=\{(x_1, y_1), \dots,$
// $(x_t, y_t)\}$, where $a_i < a_{i+1}$, $b_i > b_{i+1}$, $x_i < x_{i+1}$, $y_i > y_{i+1}$ for all i
// **Output:** A sorted list $H = \{(c_1, d_1), \dots, (c_u, d_u)\}$,
// where $u \leq s + t - 1$, $c_i < c_j$, $d_i > d_j$ for all $i < j$

```
Vertical_Node_Sizing{ } {  
    H =  $\phi$ ; i = 1; j = 1; k = 1;  
    while ( (i  $\leq$  s) and (j  $\leq$  t) ) {  
        (ck, dk) = (ai + xj, max(bi, yj))  
        H = H  $\cup$  { (ck, dk) }; k = k + 1;  
        if max(bi, yj) = bi then i = i + 1;  
        if max(bi, yj) = yj then j = j + 1;  
    }  
}
```

A_i higher than B_j

B_j higher than A_i

Note: the resulting shapes are also in
increasing width/decreasing height order

Sizing Slicing Floorplans with Multiple Module Shapes: Algorithm

// **Input:** two sorted lists $L = \{(a_1, b_1), \dots, (a_s, b_s)\}$, $R = \{(x_1, y_1), \dots, (x_t, y_t)\}$, where $a_i < a_{i+1}$, $b_i > b_{i+1}$, $x_i < x_{i+1}$, $y_i > y_{i+1}$ for all i
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        if max(bi, yj) = bi then i = i + 1;  
        if max(bi, yj) = yj then j = j + 1;  
    }  
}
```

What happens if $b_i == y_j$?
Would the algorithm still work correctly?

What's the time complexity?

How about the horizontal cut?

Sizing Slicing Floorplan: Algorithm

- Input: floorplan tree, modules shapes
- Start with sorted shape lists of modules
- In a bottom-up fashion, perform:
 - Vertical_Node_Sizing or Horizontal_Node_Sizing
- When get to the root node, we have a list of shapes. Select the one that is best in terms of area
- In a top-down fashion, traverse the floorplan tree and set module sizes
- Time complexity is $O(n)$, where n is the sum of the number of shapes of all the modules