

ECE6703J

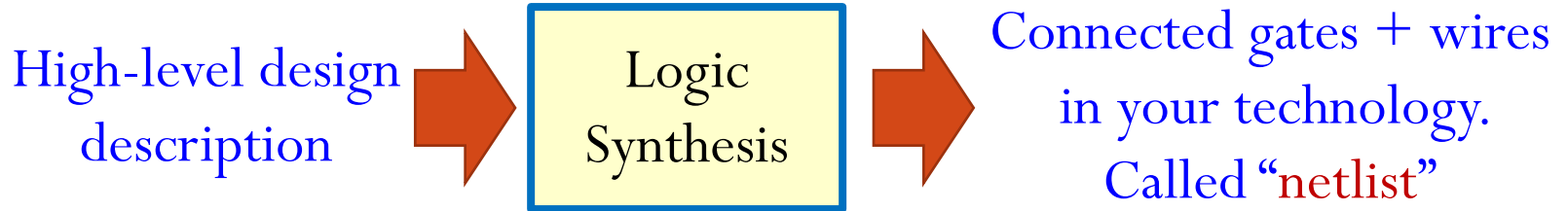
Computer-Aided Design of Integrated Circuits

Placement Basics

Outline

- ASIC Placement: Basics
- Wirelength Estimation
- Simple Iterative Improvement Placement

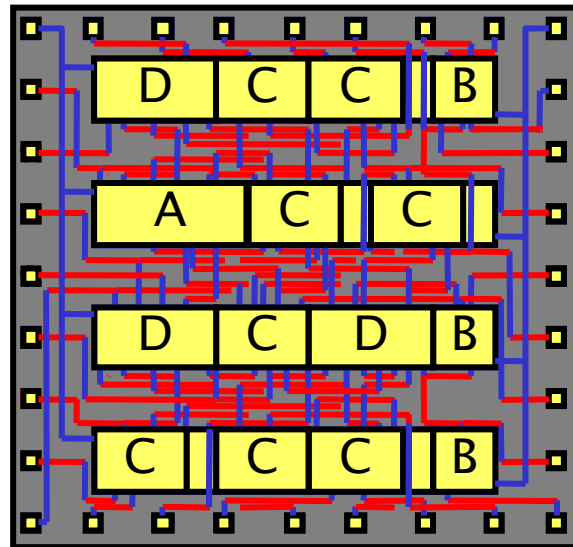
About Layout...



- Now we will look at how to turn the netlist into IC masks to build real chips.
 - This is called “**layout**” or “**physical design**”.
 - The starting topic: the **placement** problem.

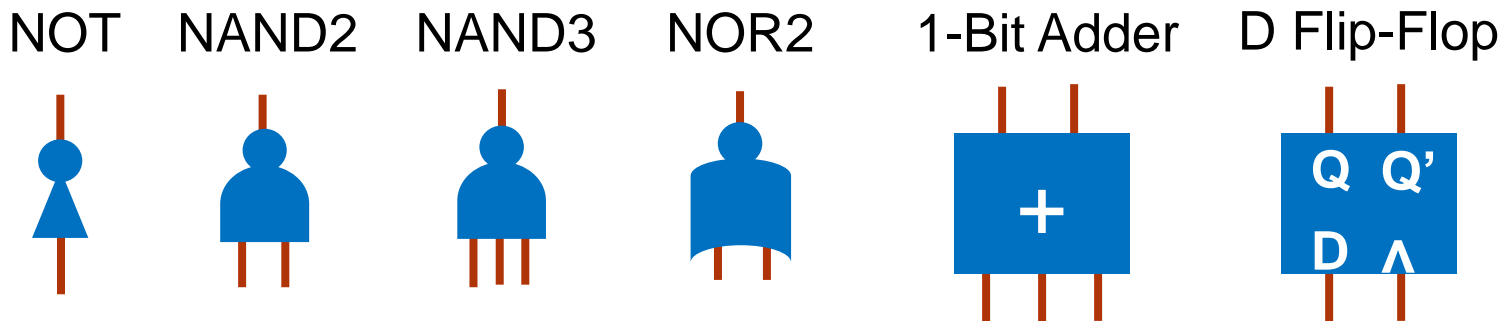
Placement for ASICs

- Focusing on the most common tasks in layout.
 - **Row-based standard cell layouts** for ASICs and SOCs.
- Logic synthesis gives a **netlist** of gates + wires.
- Our job is to **place** gates optimally in regions of the chip, and to **route the wires** to connect everything.



Standard Cell Library: Revisit

- This is a library of things called “**standard cells**”.
 - A **standard cell** is a basic logic gate or small logic element, e.g., a NAND2 gate, a D flip-flop (DFF).
 - This is the set of **allowed logic elements** to build your chip.



- Why standard cell library?
 - Lots of complicated **electrical** stuff going on at the transistor level.
 - Each cell **hides** these electrical details, presents a simple, geometric **abstraction**.

How to think about a standard cell?

- Simple **abstraction** of a **geometric** “container” for the circuit to make the logic gate.
- Inside the cell: Complex device & mask & electrical issues.
- Outside the cell: **A box with pins.**

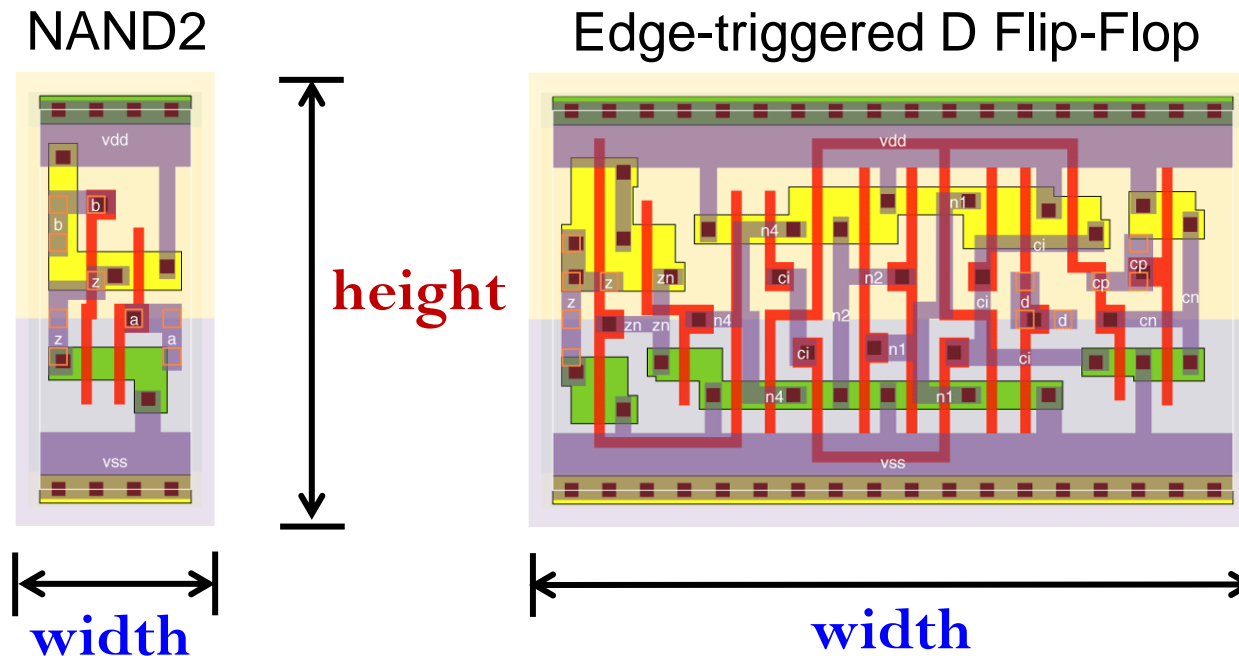
How Big is a Library--How Many Cells?

- Often, **quite** big.
 - For all logic functions, input/output variants, timing variants, electrical drive strengths ...

$$\left\{ \begin{array}{l} \text{Logic} \\ \text{functions} \\ \text{(AND,} \\ \text{OR ...)} \end{array} \right\} \times \left\{ \begin{array}{l} \text{Input/} \\ \text{output} \\ \text{variants} \end{array} \right\} \times \left\{ \begin{array}{l} \text{Timing} \\ \text{variants} \\ \text{(fast,} \\ \text{slow)} \end{array} \right\} \times \left\{ \begin{array}{l} \text{Drive} \\ \text{strength} \\ \text{variants} \\ \text{(1X, 2X} \\ \text{...)} \end{array} \right\} \approx 1000 \text{ Cells}$$

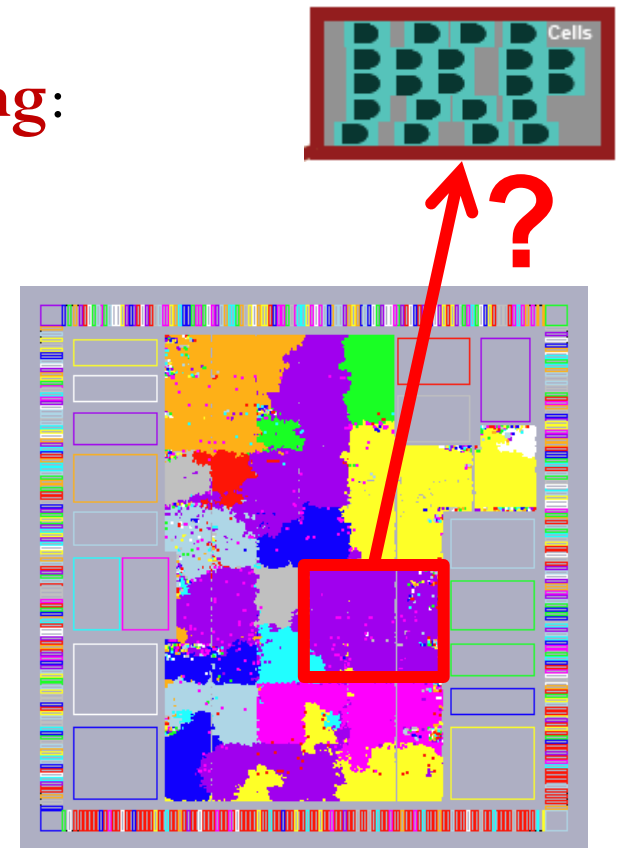
Some Real Standard Cells

- Example in older technology (130nm CMOS)
 - Geometric fact #1: All have **same height** (so we can arrange them in rows).
 - Geometric fact #2: Cells can have **different widths**, depending on circuit complexity



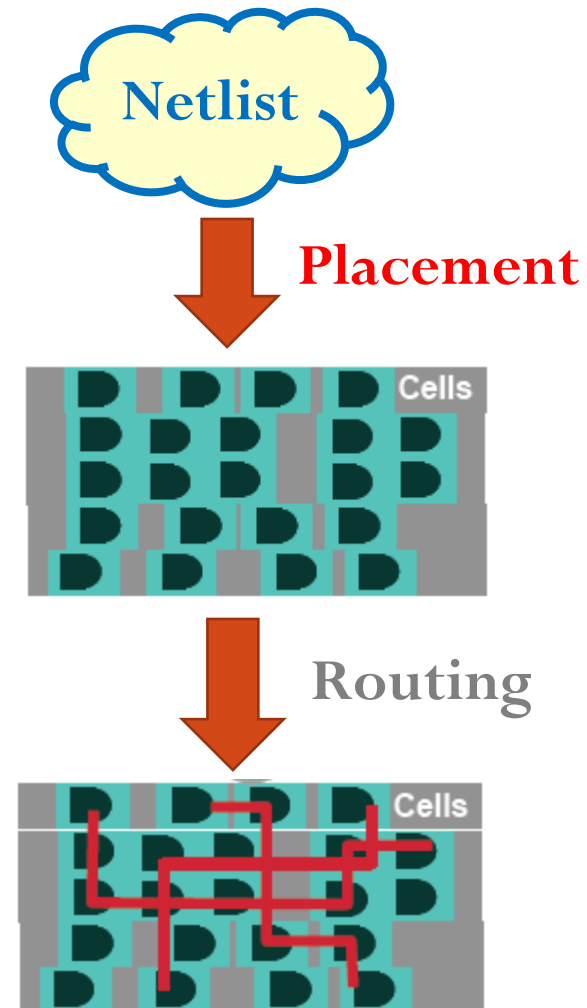
Realistic Context: Place One Block on SOC

- Big SOC's often designed **hierarchically**, composed from blocks which represent parts of the overall system.
- The first step is to do **floorplanning**:
 - How to place these “blocks”?
- Once floorplanning is done, we do **placement**:
 - Within each blocks, how to place gates that compose the block?



ASIC Placement Problem

- What does a **placer** do?
 - **Input**: Netlist of gates & wires
 - **Output**: **Exact location** of each gate
 - **Goal**:
 1. Able to **route** all wires.
 2. **Meet/optimize** timing requirements.
- Is this important? **Yes!**
 - Bad placement → Much more wire
→ bigger, slower chip
 - If placement is very bad, next tool in the flow — the **router** — is even unable to connect all wires, or meet timing.

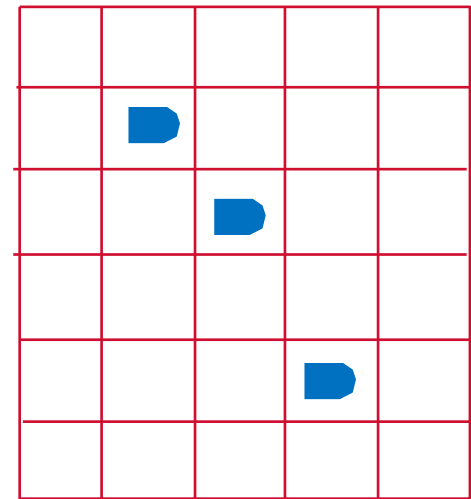


Outline

- ASIC Placement: Basics
- Wirelength Estimation
- Simple Iterative Improvement Placement

Let's Build a Very Simple Placer, To Start

- Very simple model of the **chip**
 - A simple grid – like a chess board.
 - Cells (gates) go in grid slots.
 - Pins (connect off-chip) fixed at edges.
- Very simple model of **gates**
 - All gates are exactly the **same** size.
 - Unrealistic, but simplifies things.
 - Each grid slot can **hold 1 gate**.



Target of Placer

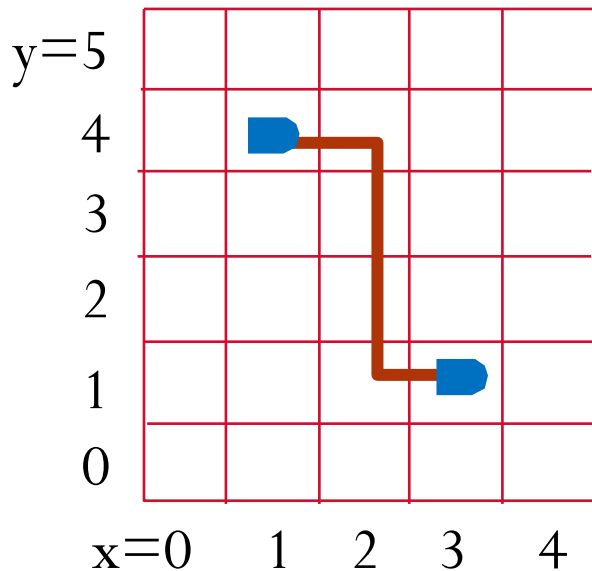
- Placer optimizes the ability of router to connect all the nets.
 - However, routers are computationally expensive tools. We can't run a router “inside” placer.
 - How can we proceed? We need a simple **approximation**.
- What does a placer do?
 - Minimizes the **total expected wirelength**.
 - For each wire in the design, **estimate** the **expected length** of the routed wire.
 - Then, **minimize** the objective: $\sum_{\text{wire } Wi} \text{EstimatedLength}(Wi)$

Placer “solves” for **gate locations** to minimize this objective.

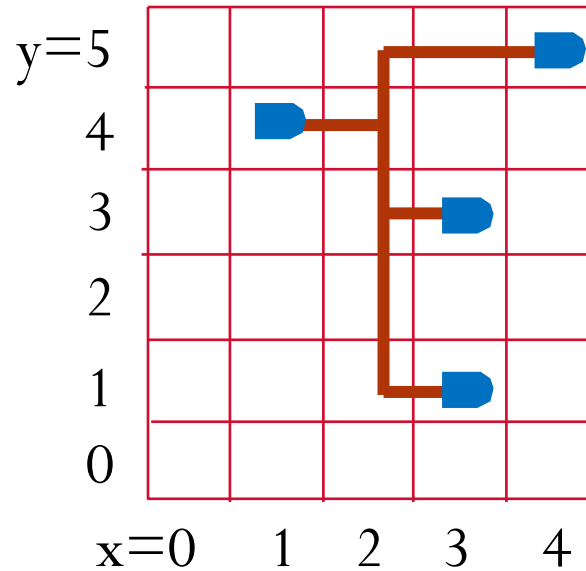
Terminology

- A wire in a layout is “a **net**”.
- The whole set of gates+wires is “the **netlist**”.
- A “ **k -point net**” is a net that connects k objects.

A “**2-point net**”



A “**4-point net**”



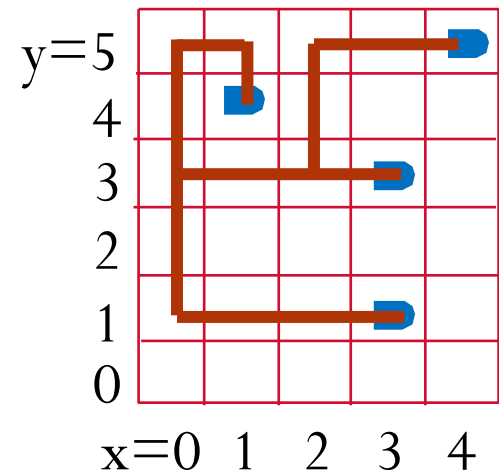
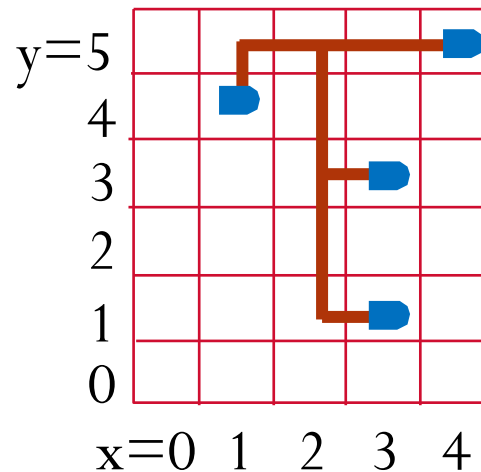
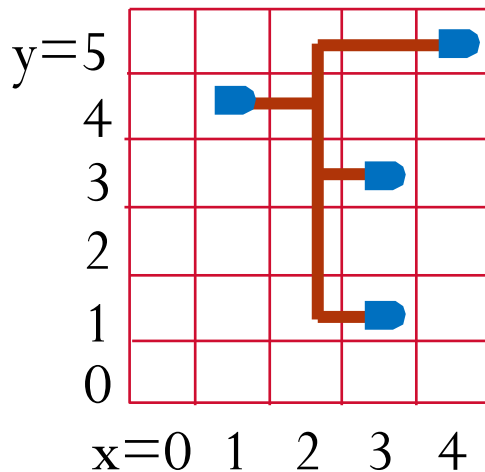
Why >2 points?

Logic fanout

Wirelength Estimation

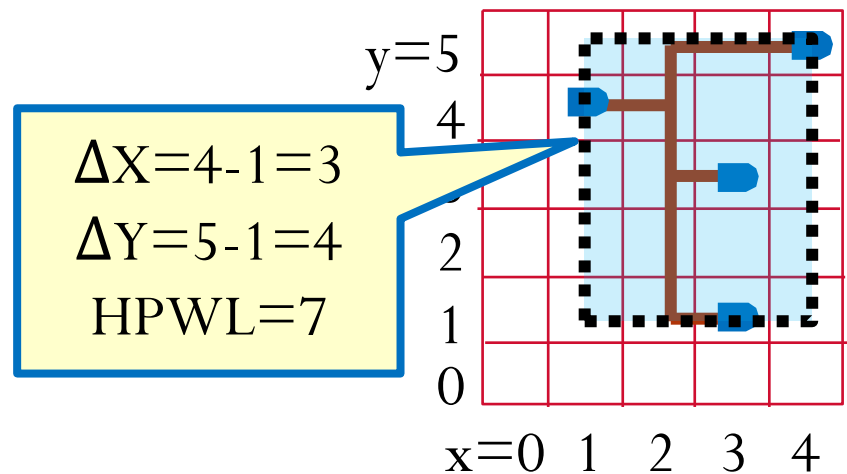
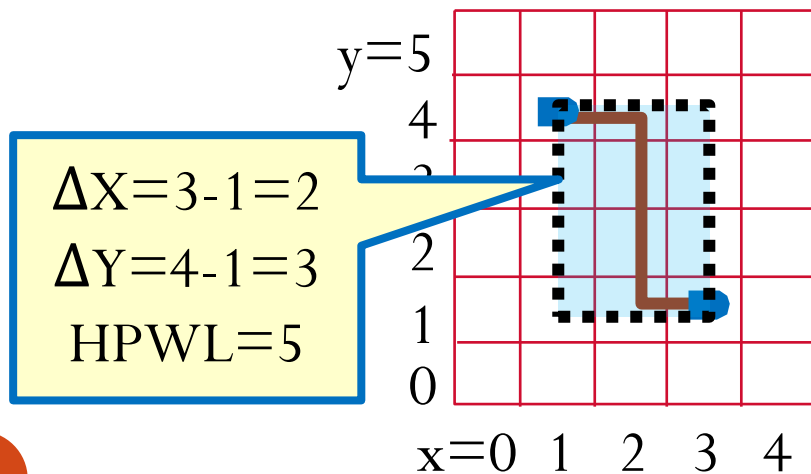
- Many different estimators, adapted to different placer methods.
- Wirelength estimation is hard. Why?
 - Multi-point nets can be routed in many **different paths**.
 - In a dense layout, nets do **not** all get routed in a “shortest path.”

Hard to predict!



Most Famous Estimator: Half-Perimeter

- Called **Half-Perimeter Wirelength (HPWL)**, also **Bounding Box (BBOX)**.
 - Put **smallest “bounding”** box around all gates.
 - Assume gate lives in “**center**” of the grid slot.
 - Add width (ΔX) and height (ΔY) of the BBOX. That’s the wirelength estimate.



About HPWL Estimator

- **Easy** to calculate, even for a multi-point net
- General formula:

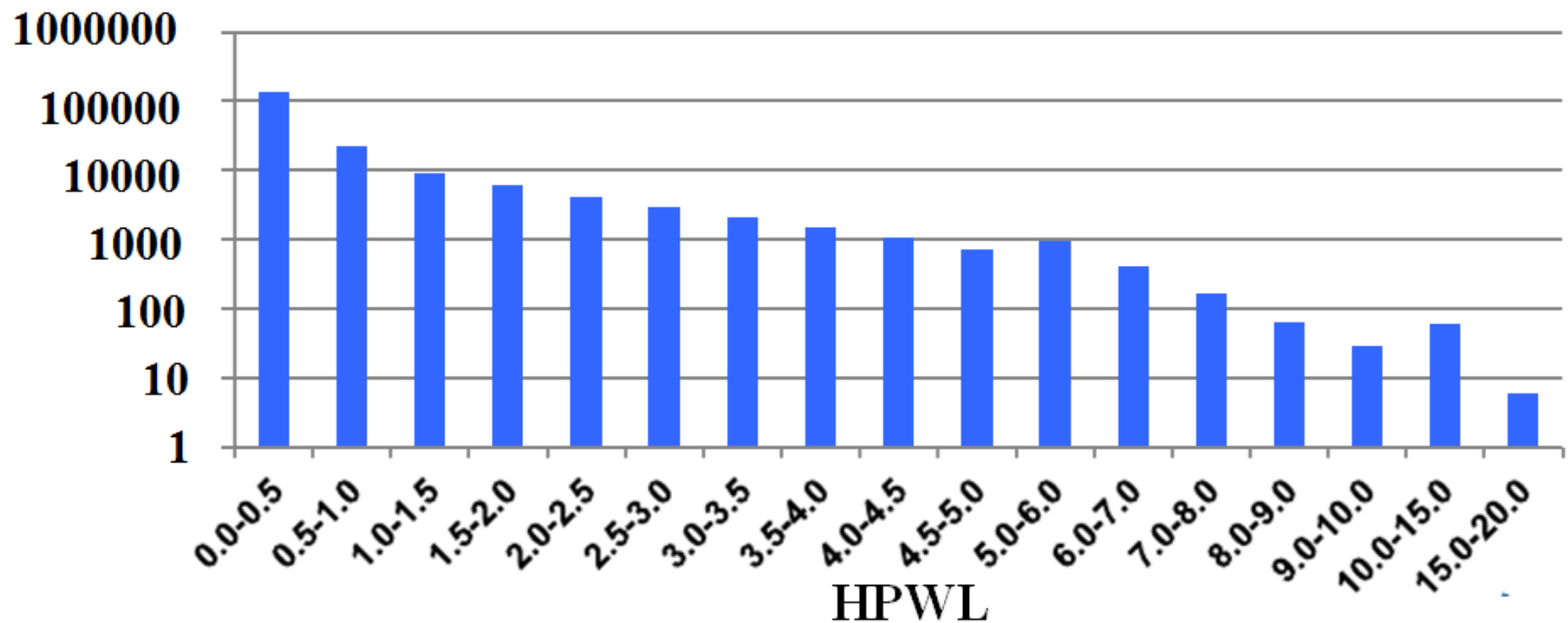
$$\text{HPWL} = [\max\{X \text{ coordinates of all gates}\} - \min\{X \text{ coordinates of all gates}\}] \\ + [\max\{Y \text{ coordinates of all gates}\} - \min\{Y \text{ coordinates of all gates}\}]$$

- Always a **lower bound** on the real wire length
 - Fact: all wiring on big chips is **strictly horizontal & vertical** – no “arbitrary angles” for manufacturing reasons.
 - Result: No matter how complex the final routed wire path is, you need **at least** this much wire to connect everything.

HPWL Wirelength Estimation

- Real distribution of HPWL for 165K gate ASIC from IBM.
 - 181K nets.
 - Note the **LOG scale** of y-axis.
 - **Most nets are short.** But there is a long tail to distribution.

Number of nets



Outline

- ASIC Placement: Basics
- Wirelength Estimation
- Simple Iterative Improvement Placement

A Very Simple Placer

- Two big ideas
 1. Start with a **random** placement
 - Just **randomly assign** each gate to a grid location (only 1 gate per grid!)
 - Result: a **terrible** placement.
Really big $L = \sum_{\text{nets } Ni} \text{HPWL}(Ni)$.
 2. **Random iterative improvement**

Random Iterative Improvement

- **Random iterative improvement**

- Pick a **random pair** of gates in the grid. **Exchange** their locations (called a “**swap**”).
- Evaluate the **change** in $L = \sum_{\text{nets } Ni} \text{HPWL}(Ni)$, i.e., compute $\Delta L = [\text{new_HPWL} - \text{old_HPWL}]$.
- If $\Delta L < 0$, new L got smaller: Good! **Keep** this swap.
- If $\Delta L > 0$, new L got bigger: Bad! **Undo** this swap.
- Keep doing this for many, many random swaps, until L stops improving.

Algorithm

//random initial placement

foreach(gate **Gi** in netlist)

 place **Gi** in random location (**x,y**) in grid not already occupied;

//calculate initial HPWL for whole netlist

L=0;

foreach(net **Ni** in the netlist) **L = L + HPWL(Ni);**

//main improvement loop

while (total HPWL **L** is improving) {

 pick random gate **Gi**; pick random gate **Gk**; swap gates **Gi** and **Gk**;

 evaluate $\Delta L = \text{new_HPWL} - \text{old_HPWL}$;

if ($\Delta L < 0$) // improved placement! Update HPWL

L = L + ΔL ;

else // $\Delta L > 0$, this is a worse placement

 undo swap of **Gi** and **Gk**;

}

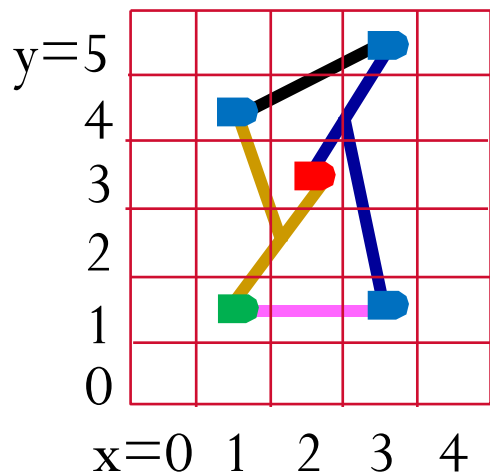
Computing ΔL Efficiently: Incrementally

- **Incremental** wirelength update calculation.
 - Cannot afford to re-compute length of each net in entire placement after each swap!
 - Most nets did **not** change! Do this incrementally--just look at nets that **could** change.

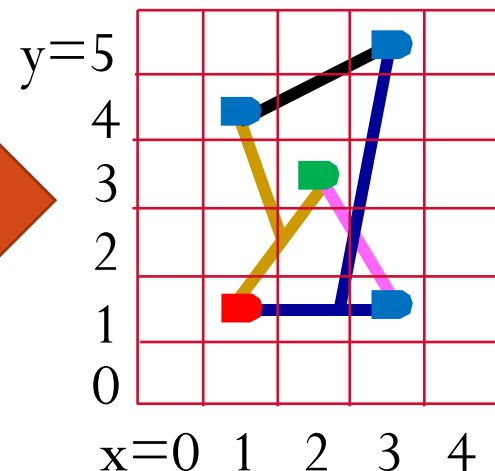
Computing ΔL Efficiently: Incrementally

- Suppose we swap gate i with j . For each net N , it falls in the following 4 cases: Could HPWL(N) change?

- | | |
|------------------------------------|-------------|
| 1. $i \notin N$ and $j \notin N$. | No! |
| 2. $i \in N$ and $j \notin N$. | Yes! |
| 3. $i \notin N$ and $j \in N$. | Yes! |
| 4. $i \in N$ and $j \in N$. | No! |

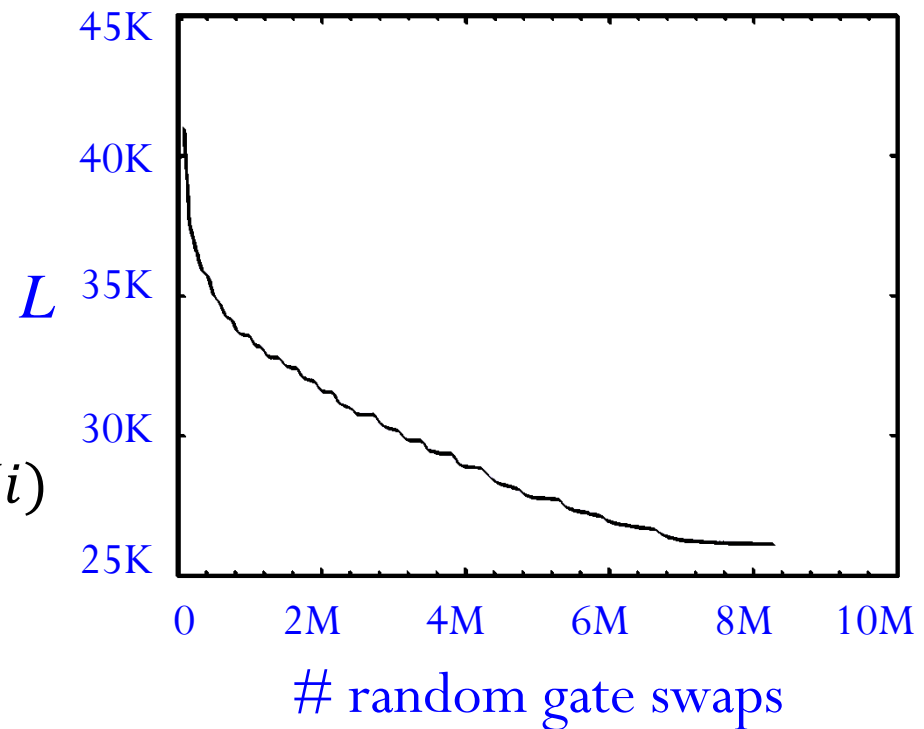


Swap Green (i)
with Red (j)



How Does This Work...?

- It works ok....
 - Small benchmark
 - ~ 2500 gates + ~ 500 pins
 - Placed in a 50×50 grid
- Graph shows “progress”
 - Y axis: $L = \sum_{\text{nets } Ni} \text{HPWL}(Ni)$
 - X axis: # swaps
 - This ran for 8M swaps until progress on L stopped.



Random Iterative Improvement

- Easy to understand and to implement.
 - Start with a random placement. Randomly improve until it **stops** getting better.
 - Can optimize what we care about: estimated total wirelength $L = \sum_{\text{nets } Ni} \text{HPWL}(Ni)$.
 - It will improve. Sometimes, a lot.
- But... final result is still not very good.
 - We can do better. A lot better...