



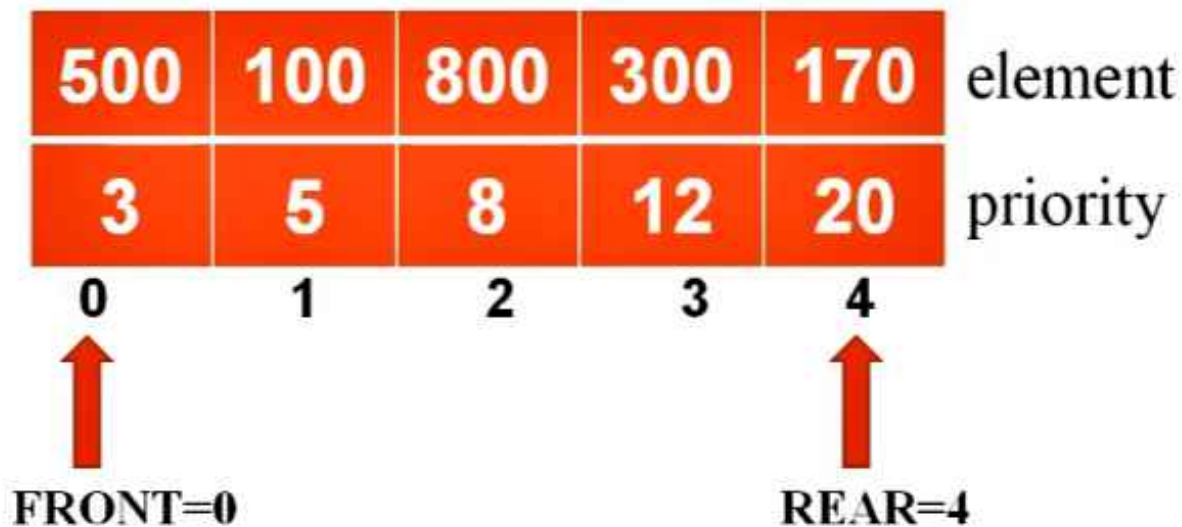
PRIORITY QUEUE

- Priority Queue is an extension of queue with following properties.
 - Every item has a priority associated with it.
 - An element with high priority is dequeued before an element with low priority.
 - If two elements have the same priority, they are served according to their order in the queue.

	800	300	170		element
	2	12	20		priority
0	1	2	3	4	
					
	FRONT=1		REAR=3		

Case 1: FRONT=0 and REAR=SIZE-1

Priority Queue is FULL



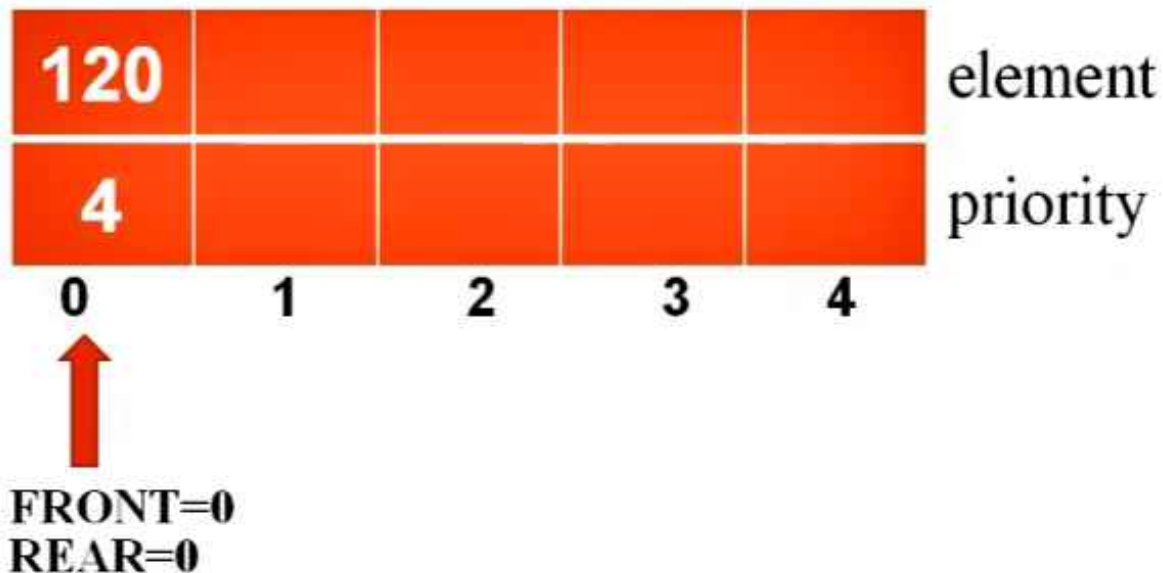
ENQUEUE_PQ(120,4)

Case 2: FRONT=-1 and REAR=-1

FRONT=REAR=0

A[REAR].item=120

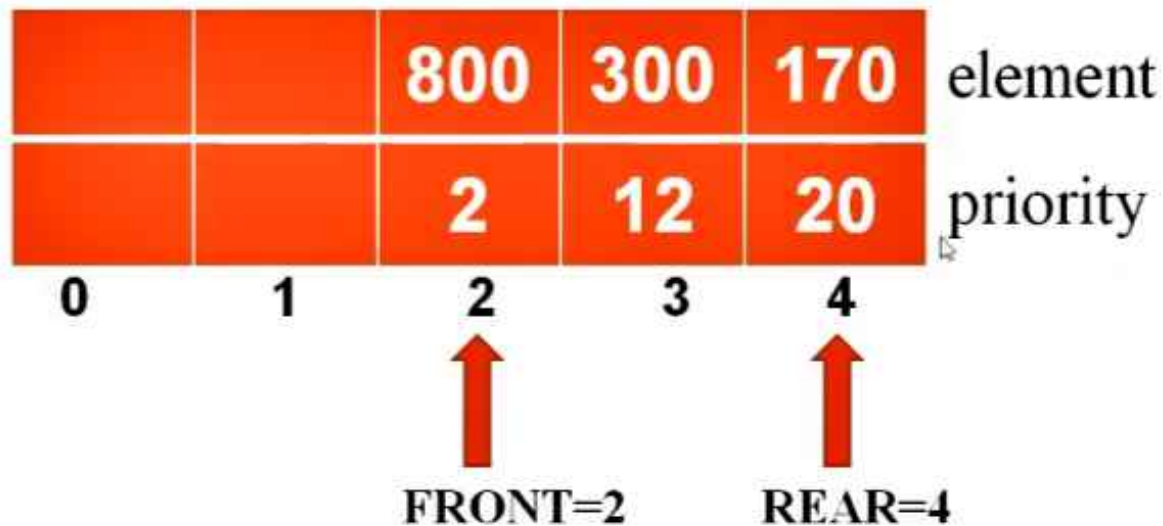
A[REAR].priority=4



ENQUEUE_PQ(120,4)

Case 3: if $\text{REAR} = \text{SIZE} - 1$

Shift all elements one position to left



ENQUEUE_PQ(120,4)

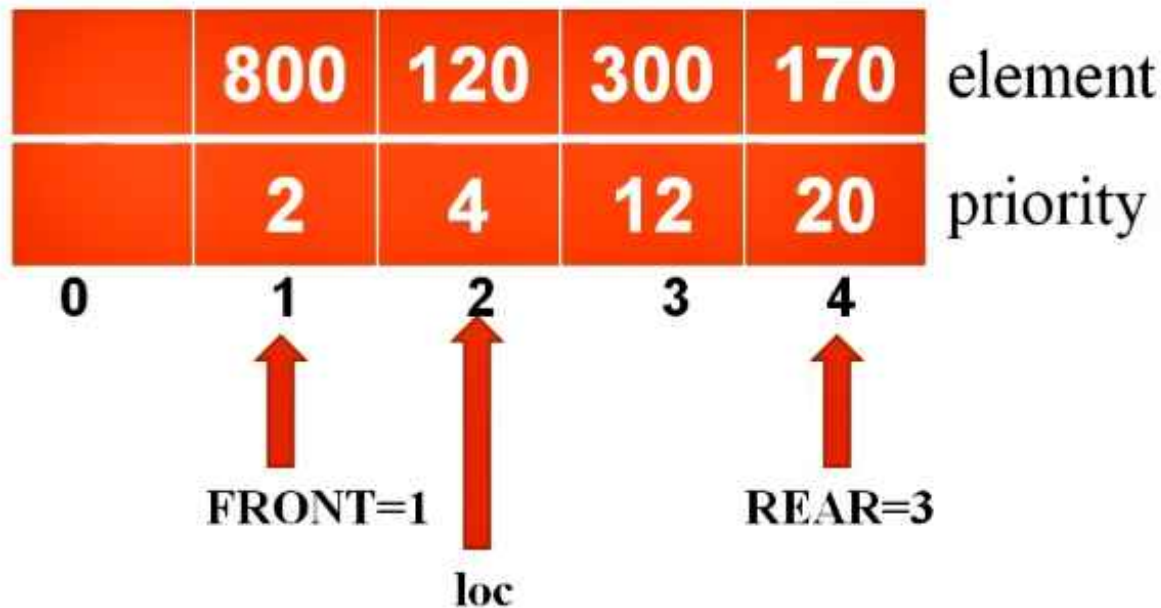
Case 3: if $\text{REAR} = \text{SIZE} - 1$

Shift all elements one position to left

Find the location where the new elmt is to be inserted

Shift loc to REAR elements one position to right

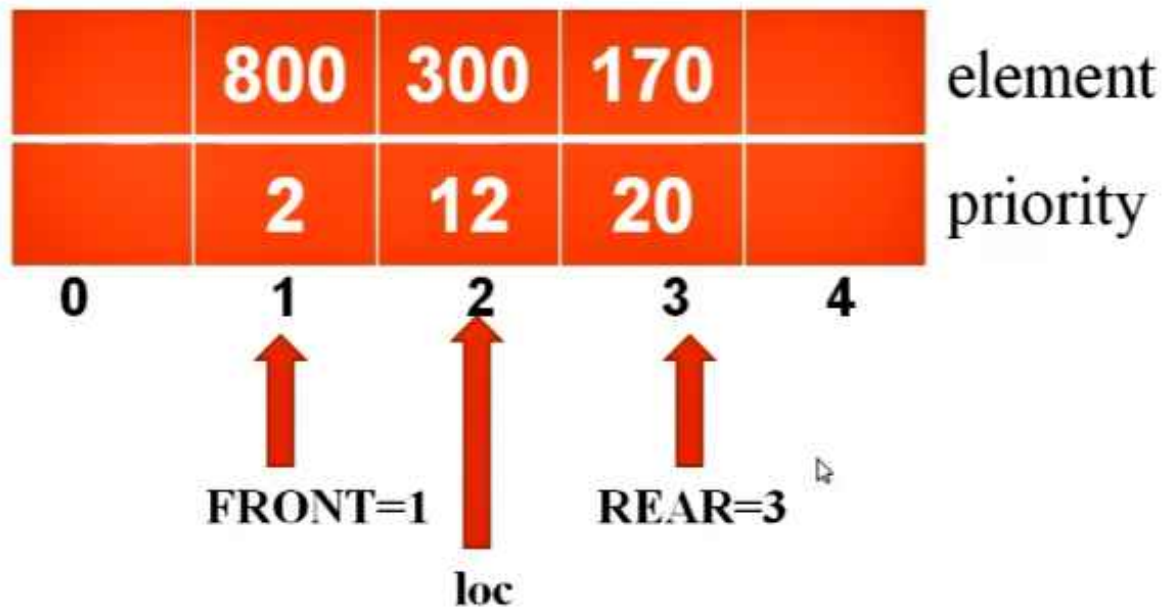
Insert the data at the index loc



ENQUEUE_PQ(120,4)

Case 4: All other cases

Find the location where the new elmt is to be inserted

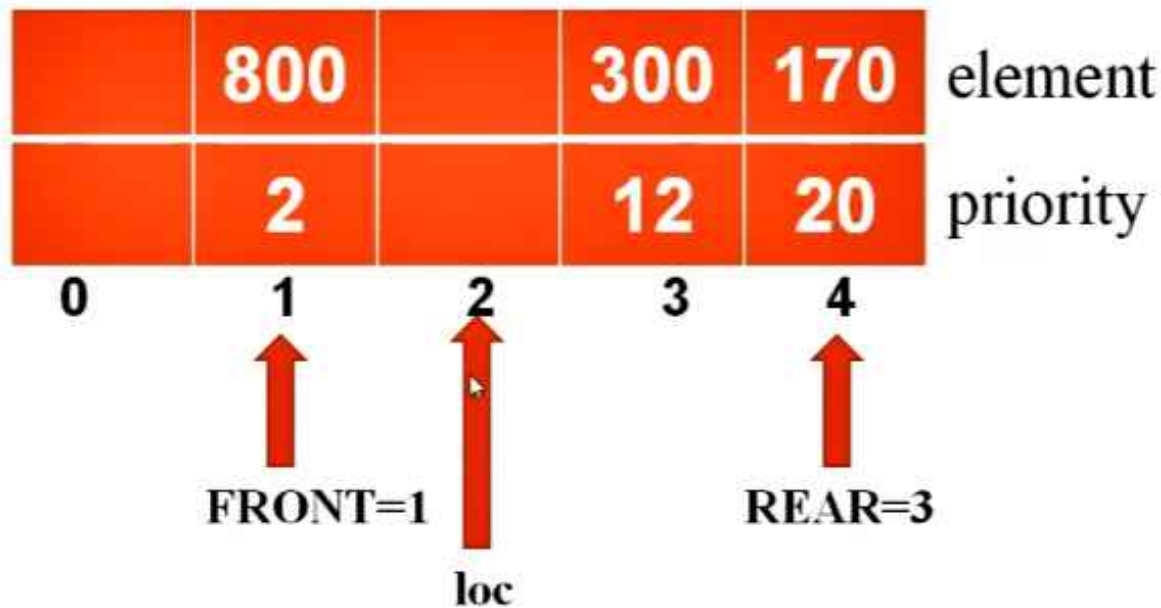


ENQUEUE_PQ(120,4)

Case 4: All other cases

Find the location where the new elmt is to be inserted

Shift elements from loc to REAR one position right

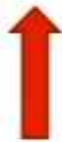


DEQUEUE_PQ0

Case 1: FRONT=-1 and REAR=-1

Print "Priority Queue is EMPTY"

					element
					priority
0	1	2	3	4	

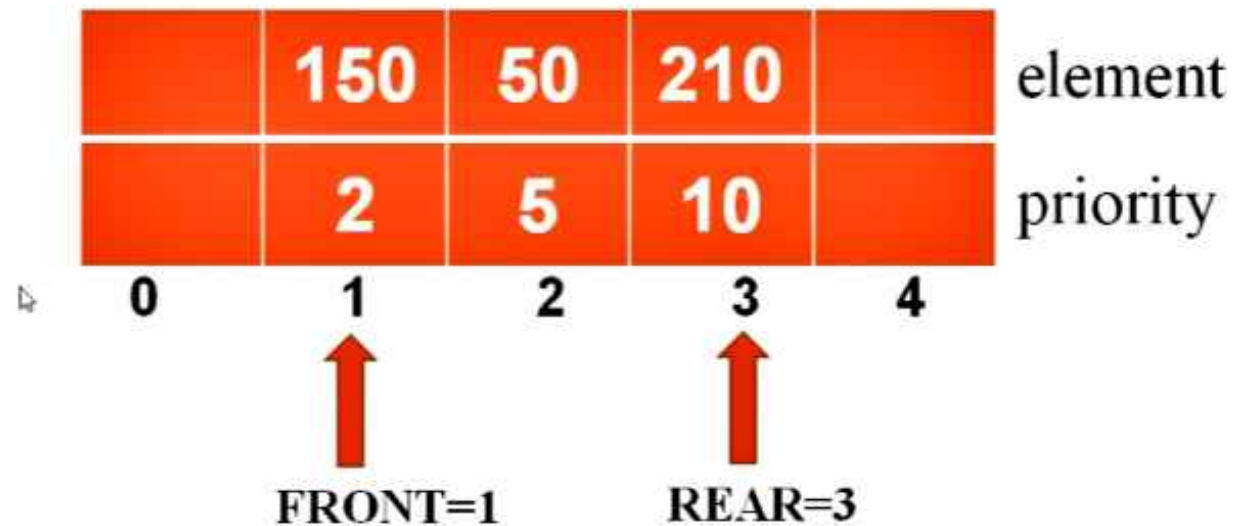


FRONT=-1
REAR=-1

PRIORITY QUEUE – DEQUEUE Algorithm

Algorithm DISPLAY_PQ()

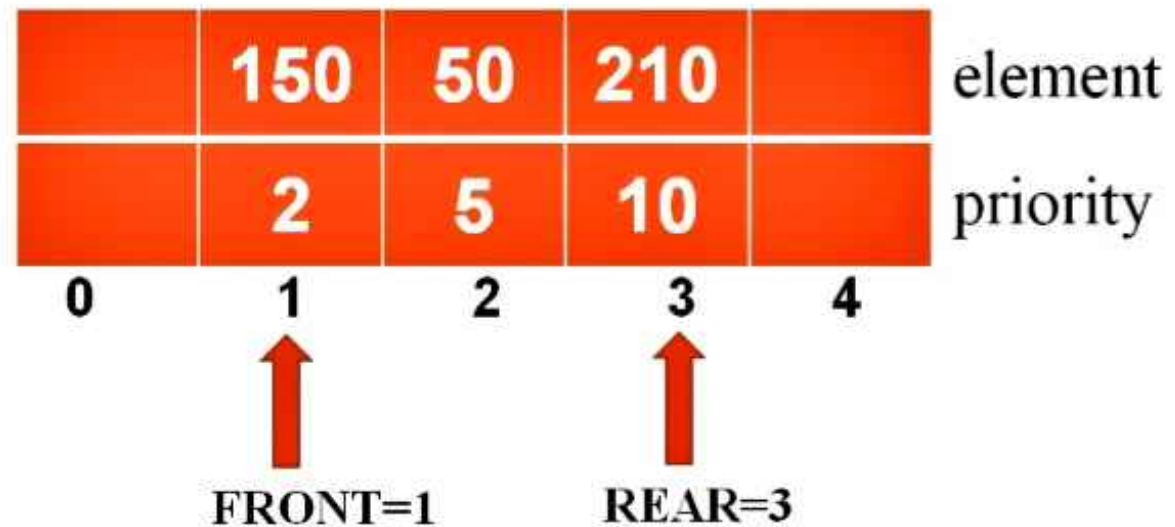
```
{    if FRONT=-1 then
        Print "Priority Queue is EMPTY"
    else
        for i=FRONT to REAR do
            Print A[i].item
        }
}
```



PRIORITY QUEUE – DEQUEUE Algorithm

Algorithm DISPLAY_PQ()

```
{  if FRONT=-1 then
    Print "Priority Queue is EMPTY"
else
{  for i=FRONT to REAR do
    Print A[i].item
}
}
```



PRIORITY QUEUE – ENQUEUE Algorithm

Algorithm ENQUEUE_PQ(ITEM,PRIORITY)

{

if FRONT=0 and REAR=SIZE-1 then

 Print “Priority Queue is FULL”

else if FRONT=-1 then

{

 FRONT=REAR=0

 A[FRONT].item=ITEM

 A[FRONT].priority=PRIORITY

}

else if REAR=SIZE-1 then

{

for i=FRONT to REAR do

$A[i-1]=A[i]$

FRONT=FRONT-1

REAR=REAR-1

for i=REAR to FRONT do

{ if $A[i].priority < PRIORITY$ then

 break;

}

loc=i+1

for i=REAR to loc do

$A[i+1]=A[i]$

$A[loc].item=ITEM$

$A[loc].priority=PRIORITY$

REAR=REAR+1

}

else

{

for i=REAR to FRONT do

{ if A[i].priority<PRIORITY then

break;

}

loc=i+1

for i=REAR to loc do

A[i+1]=A[i]

A[loc].item=ITEM

A[loc].priority=PRIORITY

REAR=REAR+1

}

}

PRIORITY QUEUE – DEQUEUE Algorithm

Algorithm DEQUEUE_PQ()

```
{    if FRONT=-1 then
        Print "Priority Queue is EMPTY"
    else if FRONT=REAR then
        {    Print "Dequeued item is " A[FRONT].item
            FRONT=REAR=-1
        }
    else
        {    Print "Dequeued item is " A[FRONT].item
            FRONT=FRONT+1
        }
}
```

PRIORITY QUEUE – DEQUEUE Algorithm

Algorithm DEQUEUE_PQ()

```
{    if FRONT=-1 then
        Print "Priority Queue is EMPTY"
    else if FRONT=REAR then
        {    Print "Dequeued item is " A[FRONT].item
            FRONT=REAR=-1
        }
    else
        {    Print "Dequeued item is " A[FRONT].item
            FRONT=FRONT+1
        }
}
```


PRIORITY QUEUE IMPLEMENTATION

- **Using ordered Array:**

- Elements are inserted in the sorted order of their priority. The time complexity = $O(n)$
- Deletion operation is performed from the front end. The time complexity = $O(1)$

- **Using unordered Array:**

- Elements are inserted at any end. The time complexity = $O(1)$
- For deletion, search an element in the Queue with highest priority. The time complexity = $O(n)$

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DIFFERENT PRIORITY QUEUES

- **Max-Priority Queue:** Element with highest priority is served first
- **Min-Priority Queue:** Element with lowest priority is served first.

APPLICATIONS OF PRIORITY QUEUE

- CPU Scheduling
- Graph algorithms like Dijkstra's shortest path algorithm, Prim's Minimum Spanning Tree, etc
- All queue applications where priority is involved