PROJECT-1

Predication of bike rental count on daily based on the environmental and seasonal settings

TABLE OF CONTENTS

| 1. CHAPTER 1 | : INTRODUCTION | 2 |
|----------------------|--------------------------------|----|
| a. 1.1 | : Problem statement | 2 |
| b. 1.2 | : Data | 2 |
| 2. CHAPTER 2 | : METHODOLOGY | 4 |
| a. 2.1 | : Pre-processing | 4 |
| • | 2.1.1 : Missing Value Analysis | 4 |
| • | 2.1.2 : Outlier Analysis | 5 |
| • | 2.1.3 : Categorical Plots | 7 |
| • | 2.1.4 : Feature Selection | 10 |
| b. 2.2 | : Modeling | 11 |
| 5. 2.2 • | 2.2.1 : Model Selection | 11 |
| | 2.2.2 : Linear Regression | 11 |
| | 2.2.3 : Random Forest | 12 |
| • | 2.2.4 : Decision Tree | 12 |
| 3. CHAPTER 3 | : EVALUATION OF THE MODEL | 14 |
| a. 3.1 | 4 | 14 |
| b. 3.2 | _ | 14 |
| c. 3.3 | : Root Mean Squared Error | 15 |
| Appendix – Python Co | ode | 16 |
| | | |
| References | | 28 |

CHAPTER 1: INTRODUCTION

1.1 PROBLEM STATEMENT

The objective of this Case is to Predication of bike rental count on daily based on the environmental and seasonal settings. These predicted values will help the business to meet the demand on those particular days by maintain the amount of supply.

Nowadays there are number of bike renting companies like, Uber Bikes, Rapido etc. And these bike rentingcompanies deliver services to lakhs of customers daily. Now it becomes really important to manage theirdata properly to come up with new business ideas to get best results. In this case we have to identify in which days there can be most demand, such that we have enough strategies met to deal with such demand.

1.2 DATA

The goal is to build regression models which will predict the number of bikes used based on the environmental and season behavior. Given below is a sample of the data set that we are using to predict the number of bikes. The given dataset contains 16 variables and 731 observations. The "cnt" is the target variable and remaining all other variables are the independent variables. See the detail of the data in following image.

| | instant | dteday | season | yr | mnth | holiday | weekday | workingday | weathersit | temp | atemp | hum | windspeed | casual | registered | cnt |
|---|---------|------------|--------|----|------|---------|---------|------------|------------|----------|----------|----------|-----------|--------|------------|------|
| 0 | 1 | 2011-01-01 | 1 | 0 | 1 | 0 | 6 | 0 | 2 | 0.344167 | 0.363625 | 0.805833 | 0.160446 | 331 | 654 | 985 |
| 1 | 2 | 2011-01-02 | 1 | 0 | 1 | 0 | 0 | 0 | 2 | 0.363478 | 0.353739 | 0.696087 | 0.248539 | 131 | 670 | 801 |
| 2 | 3 | 2011-01-03 | 1 | 0 | 1 | 0 | 1 | 1 | 1 | 0.196364 | 0.189405 | 0.437273 | 0.248309 | 120 | 1229 | 1349 |
| 3 | 4 | 2011-01-04 | 1 | 0 | 1 | 0 | 2 | 1 | 1 | 0.200000 | 0.212122 | 0.590435 | 0.160296 | 108 | 1454 | 1562 |
| 4 | 5 | 2011-01-05 | 1 | 0 | 1 | 0 | 3 | 1 | 1 | 0.226957 | 0.229270 | 0.436957 | 0.186900 | 82 | 1518 | 1600 |

Table 1.1: Bike Count Sample Data

As you can see in the below table we have the following 13 variables, which we used to predict the count of bikes:

| S.No | Variables |
|------|------------|
| 1 | Instant |
| 2 | Dteday |
| 3 | Session |
| 4 | Yr |
| 5 | Mnth |
| 6 | Holiday |
| 7 | Weekday |
| 8 | Workingday |
| 9 | Weathersit |
| 10 | Temp |
| 11 | Atemp |
| 12 | Hum |
| 13 | Windspeed |

Table 1.2: Predictor variables

Chapter 2: Methodology

After going through the dataset in detail and pre-understanding the data the next step is, Methodology that will help achieve our goal.

In Methodology following processes are followed:

- Pre-processing: It includes missing value analysis, outlier analysis, feature selection and data exploration.
- Modeling: It includes identifying suitable Machine Learning Algorithms and applying those algorithms in given dataset.

2.1: Pre-processing

Here, we will use techniques like missing value analysis, outlier analysis, feature selection etc. These techniques are used to structure our data. Basically, pre-processing is done because and the model asks for structured data and preprocessing is used to structure the data we have got. As, normally the data we get can be messy i.e.: it can include many missing values, inconsistent values etc. And these things needs to be checked prior developing a model.

2.1.1: Missing Value Analysis

Missing value is availability of incomplete observations in the dataset. This is found because of reasons like, incomplete submission, wrong input, manual error etc. These Missing values affect the accuracy of model. So, it becomes important to check missing values in our given data.

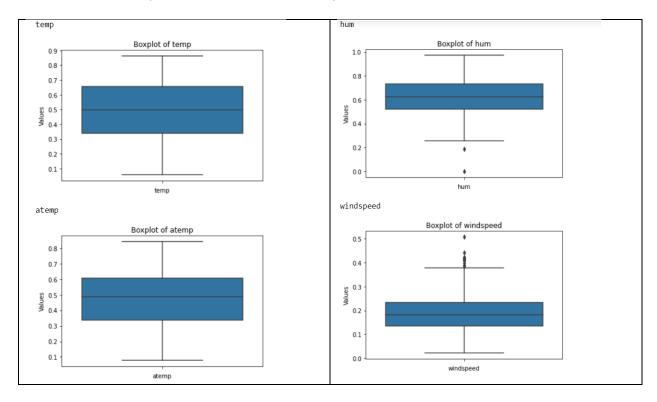
after checking the data, it is found that the data doesn't consist any missing values.

instant 0 dtedav 0 0 season 0 vr mnth 0 holiday 0 0 weekdav workingday 0 weathersit 0 temp atemp hum windspeed registered dtype: int64

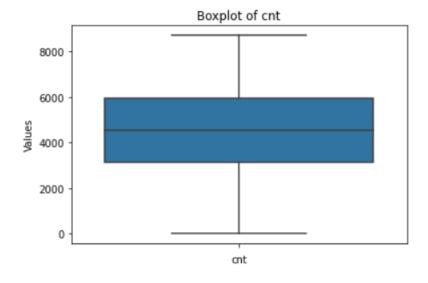
No missing value found 2.1.1: Missing Value

2.1.2: Outlier Analysis

Outlier is an abnormal observation that stands or deviates away from other observations. These happensbecause of manual error, poor quality of data and it is correct but exceptional data. But, it can cause an error in predicting the target variables. So we have to check for outliers in our data set and also remove or replace the outliers wherever required.

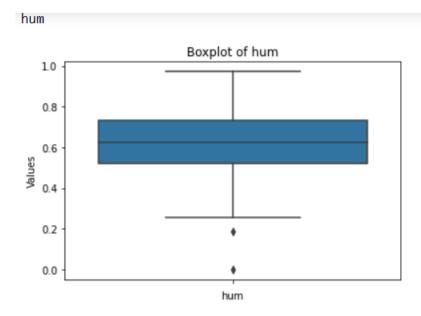


cnt

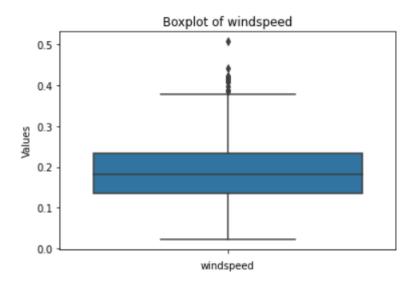


2.1.2: Boxplot for all variables

So as we can see outliers are found in only two variables these are Humidity and windspeed, following are the box plots for both the variables and dots outside the quartile ranges are outliers.



windspeed



Plot: Outliers

All these outliers mentioned above happened because of manual error, or interchange of data, or may be correct data but exceptional. But all these outliers can hamper our data model. So there is a requirement to eliminate or replace such outliers, and impute with proper methods to get better accuracy of the model. In this project, I used median method to impute the outliers in windspeed and humidity variables.

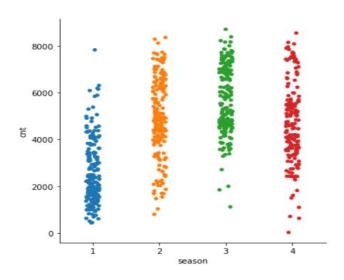
2.1.3: Categorical Plots

The catplot function provides a new framework giving access to several types of plots that show relationship between numerical variable and one or more categorical variables. Catplot can handle 8 different plots currently available in Seaborn. catplot function can do all these types of plots and one can specify the type of plot one needs with the kind parameter.

Categorical Plots is a process where we know our data in a better way by the help of visual representations and come up with initial ideas to develop our model. Here, the specific variables are plotted with respect to the target variable. In some cases two variables are compared, whereas in somecases three variables are plotted together for our better understanding and visualization.

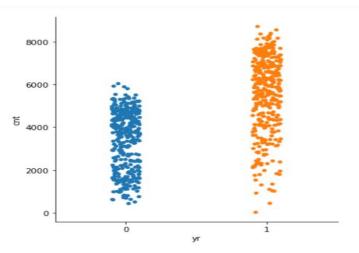
Categorical variables is as shown in the below figures:

A) Session



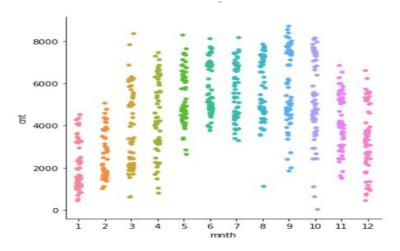
We have highest count in Season 2, 3 and 4

B) Year



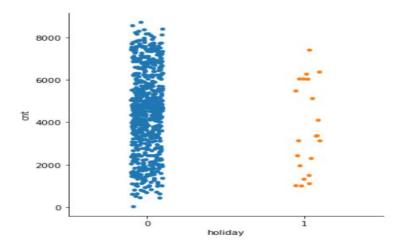
We have high count in year 1

C) Month



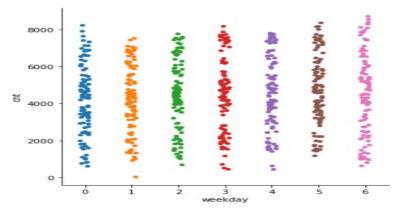
We have good count in month 3-10

D) Holiday



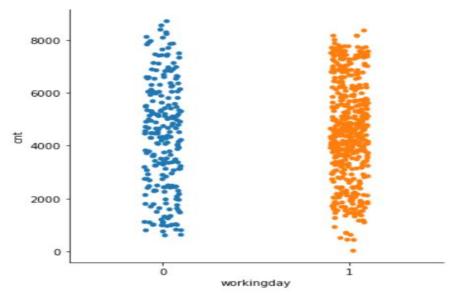
We have high count in holidays than non-holidays

E) Weekday



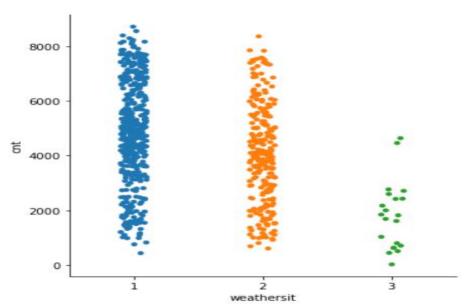
We have highest count in weekdays 0-6

F) Workingday



We have highest count in workingday 1

G) Weathersit



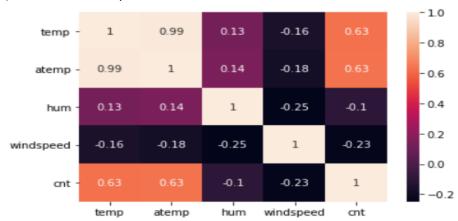
We have highest count in weather 1

2.1.4: Feature Selection

Feature Selection reduces the complexity of a model and makes it easier to interpret. It also reduces overfitting. Features are selected based on their scores in various statistical tests for their correlation with the outcome variable. Correlation plot is used to find out if there is any multicollinearity between variables.

Here, correlation analysis is done with numerical variables and ANOVA test is done with categorical variables to check if there is collinearity among the variables. And if there is any collinearity it's better to drop such variables, else this redundant variable can hamper the accuracy of the model.

A) Correlation Analysis



Plot: Correlation Analysis

Values which are close to 1 are highly correlated, so temp & temp are highly correlated with each other. So, we need to drop atemp as it is similar to temperature.

B) ANOVA Test

| | sum sq | df | F | PR(>F) |
|-----------|---------------|--------|------------|----------------|
| season | 4.517974e+08 | 1.0 | 143.967653 | 2.133997e-30 |
| Residual | 2.287738e+09 | 729.0 | NaN | NaN |
| | sum_sq | df | F | PR(>F) |
| yr | 8.798289e+08 | 1.0 | 344.890586 | 2.483540e-63 |
| Residual | 1.859706e+09 | 729.0 | NaN | NaN |
| | sum_sq | df | F | PR(>F) |
| mnth | 2.147445e+08 | 1.0 | 62.004625 | 1.243112e-14 |
| Residual | 2.524791e+09 | 729.0 | NaN | NaN |
| | sum_sq | df | F | PR(>F) |
| holiday | 1.279749e+07 | 1.0 | 3.421441 | 0.064759 |
| Residual | | | NaN | NaN |
| | sum_sq | df | F | PR(>F) |
| weekday | 1.246109e+07 | 1.0 | 3.331091 | 0.068391 |
| Residual | | | NaN | NaN |
| | sum_s | iq d | f F | PR(>F) |
| workingda | y 1.024604e+0 | 7 1. | 0 2.736742 | 0.098495 |
| Residual | 2.729289e+0 | 9 729. | 0 NaN | NaN |
| | sum_s | iq d | f | F PR(>F) |
| | t 2.422888e+0 | 1. | 0 70.72929 | 8 2.150976e-16 |
| Residual | 2.497247e+0 | 9 729. | 0 Na | N NaN |

Plot: ANOVA Test

From the observations, it is found that the variables holiday, weekday, and working day has p value > 0.05. Here, null hypothesis is accepted. I.e. these variables have no dependency over target variable. So, in further processes these variables can be dropped before modeling.

2.2: Modeling

After Data Analysis and Data Pre-Processing, next step is Modeling. Now we have our data ready to be implemented to develop a model. There are number of models and Machine learning algorithms that are used to develop model, some are like decision tree, random forest, SVM, KNN, Naïve Bayes, Linear regression, Logistic Regression etc. So, before implementing any model we have to choose our model. So, the first step in Modeling is selection of model.

2.2.1: Model Selection

In this case we have to predict the count of bike renting according to environmental and seasonal condition. So the target variable here is a continuous variable. For Continuous we can use various Regression models. Model having less error rate and more accuracy will be our final model.

Models built are:-

2.2.2: Linear Regression

Linear regression is used to predict the value of variable *Y* based on one or more input predictor variables *X*. The goal of this method is to establish a linear relationship between the predictor variables and the response variable. Such that, we can use this formula to estimate the value of the response *Y*, when only the predictors (*X*- *Values*) are known.

Linear Regression is applied in Python; details are described following.

```
from sklearn.linear_model import LinearRegression
lin = LinearRegression()
lin.fit(X_train, y_train)
ylin_pred = lin.predict(X_test)

from sklearn import metrics

print("Mean absolute error:",metrics.mean_absolute_error(y_test, ylin_pred))
print("Mean Squared Error:",metrics.mean_squared_error(y_test, ylin_pred))
print("Root Mean Squared Error:",np.sqrt(metrics.mean_squared_error(y_test, ylin_pred)))
print("R2 score:{:0.2f}".format(metrics.r2_score(y_test, ylin_pred)*100),"%")

Mean absolute error: 569.74077815677
Mean Squared Error: 648801.3757133388
Root Mean Squared Error: 805.4820765934763
R2 score:82.44 %
```

So with Linear Regression model in python we got R2 score 82.44%.

2.2.3: Random Forest

The next model to be followed in this project is Random forest. It is a process where the machine follows an ensemble learning method for classification and regression that operates by developing a number of decision trees at training time and giving output as the class that is the mode of the classes of all the individual decision trees.

In this project Random Forest is applied in Python, details are described following.

```
from sklearn.ensemble import RandomForestRegressor
import random
random.seed(1)
classifier = RandomForestRegressor(n_estimators = 50)
classifier.fit(X_train, y_train.values.ravel())
yRand_pred = classifier.predict(X_test)

print('Mean absolute error:',metrics.mean_absolute_error(y_test, yRand_pred))
print('Mean Squared Error:',metrics.mean_squared_error(y_test, yRand_pred))
print('Root Mean Squared Error:', np.sqrt(metrics.mean_squared_error(y_test, yRand_pred)))
print("R2 score:{:0.2f}".format(metrics.r2_score(y_test, yRand_pred)*100),"%")

Mean absolute error: 411.155238095238
Mean Squared Error: 370310.8203020408
Root Mean Squared Error: 608.53169210982
R2 score:89.98 %
```

So with Random Forest model in python we got R2 score 89.98%.

Like the above all the criteria values that are used to develop the Random Forest model in python. Everything is kept default only except n_estimators, which is tree numbers. Although this attributes can be altered to get a model with a better score. After this the error rate, R Square and accuracy of the model is noted.

2.2.4: Decision Tree

Decision Tree is a supervised learning predictive model that uses a set of binary rules to calculate the target value/dependent variable.

A tree has many analogies in real life, and turns out that it has influenced a wide area of machine learning, covering both classification and regression. In decision analysis, a decision tree can be used to visually and explicitly represent decisions and decision making. As the name goes, it uses a tree-like model of decisions.

In this project Decision tree is applied in Python, details are described following.

```
from sklearn import tree
clf = tree.DecisionTreeRegressor()
clf.fit(X_train, y_train)
yDec_pred = clf.predict(X_test)
```

```
print('Mean absolute error:',metrics.mean_absolute_error(y_test, yDec_pred))
print('Mean Squared Error:',metrics.mean_squared_error(y_test, yDec_pred))
print('Root Mean Squared Error:', np.sqrt(metrics.mean_squared_error(y_test, yDec_pred)))
print('R2 score:{:0.2f}'.format(metrics.r2_score(y_test, yDec_pred)*100),"%")
```

Mean absolute error: 538.2925170068028 Mean Squared Error: 614816.7551020408 Root Mean Squared Error: 784.1025156840404

R2 score:83.36 %

So with Decision Tree model in python we got R2 score 83.36%.

The above fit plot shows the criteria that is used in developing the decision tree in Python. To develop the model in python, during modeling I have kept all the attributes at default. Although these attributes can be played around to derive better score of the model, which is called Hyper tuning of the model. After this the fit is used to predict in test data and the error rate, R-Square and accuracy is calculated.

Model Summary:

From the above mentioned various models that can be developed for the given data. At first place, The Data is divided into train and test. Then the models are developed on the train data. After that the modelis fit into it to test data to predict the target variable. After predicting the target variable in test data, the actual and predicted values of target variable are compare to get the error and accuracy. And looking overthe error and accuracy rates, the best model for the data is identified and it is kept for future usage.

CHAPTER 3: EVALUATION OF THE MODEL

Now we have developed few models for predicting the target variable, now the next step is evaluate the models and identify which one to choose for deployment. To decide this, error metrics are used.

3.1: Mean Absolute Error (MAE)

MAE or Mean Absolute Error, it is one of the error measures that is used to calculate the predictive performance of the model. It is the sum of calculated errors. In this project we will apply this measure to our models

| Method | MAE Error |
|-------------------|-------------------|
| Linear Regression | 569.74077815677 |
| Random Forest | 411.155238095238 |
| Decision Tree | 538.2925170068028 |

If we observe the above tables, we choose the model with lowest MAE as a suitable Model. Here, we get Random Forest as a better model. So following this we can conclude that Both Random Forest and Decision Tree can be used asmodel for this data, if you evaluate on the basis of MAE. But we need more error metrics to cross check this.

3.2: Accuracy

The second matric to identify or compare for better model is Accuracy. It is the ratio of number of correctpredictions to the total number of predictions made.

| Method | Accuracy (in Percentage) | | |
|-------------------|--------------------------|--|--|
| Linear Regression | 82.44 | | |
| Random Forest | 89.98 | | |
| Decision Tree | 83.36 | | |

As, Accuracy derives from MAE its observations also suggest same models as better models as suggested by MAE. Here, the models with highest accuracy are chosen, and from the observations it is found that both Random Forest and Decision Tree are good models for the given data set.

3.3: Root Mean Squared Error

Root Mean Squared Error is another metric that helps us to know about the predicted values.

| Method | R – Square |
|-------------------|-------------------|
| Linear Regression | 805.4820765934763 |
| Random Forest | 608.53169210982 |
| Decision Tree | 784.1025156840404 |

Root Mean Squared Error is identified as a better error metric to evaluate models. If we observe the above tables, we choose the model with highest R Square as a suitable Model. Here, it is found that Random Forest is a best fit model for the given data.

Conclusion: -

Here we found that Random Forest is a best fit model for the given data.

APPENDIX

Python Code

Importing the libraries

```
import pandas as pd
import os
import seaborn as sns
import numpy as np
from random import randrange,uniform
from sklearn.metrics import r2_score
from scipy import stats
import matplotlib.pyplot as plt
from sklearn import preprocessing
from sklearn.preprocessing import StandardScaler
from sklearn import linear_model
from sklearn.metrics import mean_squared_error
```

Some utility functions ¶

```
In [2]: def set_day(df):
              This function assigns day names to each of the
              rows in the dataset.
             ## Assumes the first day of the dataset is Saturday
days = ["Sat", "Sun", "Mon", "Tue", "Wed", "Thr", "Fri"]
              temp = ['d']*df.shape[0]
              indx = 0
              cur_day = df.weekday[0]
              for day in df.weekday:
                 temp[indx] = days[(day-cur_day+7)%7]
              df['dayWeek'] = temp
              return df
         # Function that takes in a dataframe with yr and mnth attribute and calculates an array denoting the month number from the start
              Compute the count of months from the start of
              the time series.
              import itertools
             yr = df['yr'].tolist()
mnth = df['mnth'].tolist()
              out = [0] * df.shape[0]
              indx = 0
              for x, y in zip(mnth, yr):
                  out[indx] = x + 12 * y
                  indx += 1
              return out
```

```
os.chdir("C:/Users/prashant/OneDrive/Desktop/Edwisor/Projects/Project1 (Bike Rental-Jitendra)")
 In [4]: os.getcwd()
 Out[4]: 'C:\\Users\\prashant\\OneDrive\\Desktop\\Edwisor\\Projects\\Project1 (Bike Rental-Jitendra)'
In [5]: #Importing Data
          dir = 'C:\\Users\\prashant\\OneDrive\\Desktop\\Edwisor\\Projects\\Project1 (Bike Rental-Jitendra)'
         df = pd.read csv(os.path.join(dir, 'day.csv'))
         print(df.info())
          <class 'pandas.core.frame.DataFrame'>
          RangeIndex: 731 entries, 0 to 730
          Data columns (total 16 columns):
          # Column
                            Non-Null Count Dtype
          0
               instant
                            731 non-null
                                              int64
               dteday
                            731 non-null
                                              object
          1
               season
                            731 non-null
                                              int64
                            731 non-null
                                              int64
               mnth
                            731 non-null
                                              int64
               holiday
                            731 non-null
          5
                                              int64
           6
               weekday
                            731 non-null
                                              int64
               workingday 731 non-null
                                              int64
               weathersit 731 non-null
          8
                                              int64
                            731 non-null
                                              float64
               temp
                            731 non-null
                                              float64
           10
               atemp
           11
               hum
                            731 non-null
                                              float64
           12
               windspeed
                            731 non-null
                                              float64
          13 casual
                            731 non-null
                                              int64
          14 registered 731 non-null
                                              int64
          15 cnt
                            731 non-null
                                              int64
          dtypes: float64(4), int64(11), object(1)
          memory usage: 91.5+ KB
         None
In [6]: # Load Data
       bikesData = pd.read csv("day.csv")
In [7]: bikesData.head()
Out[7]:
          instant
                   dteday season yr mnth holiday weekday workingday weathersit
                                                                         temp
                                                                               atemp
                                                                                        hum
                                                                                            windspeed casual registered
                                                                                                                    cnt
              1 2011-01-01
                               0
                                                                    2 0.344167 0.363625 0.805833
                                                                                              0.160446
                                                                                                       331
                                                                                                                    985
              2 2011-01-02
                                           0
                                                  0
                                                                    2 0.363478 0.353739 0.696087
                                                                                              0.248539
                                                                                                       131
                                                                                                                670
                                                                                                                    801
              3 2011-01-03
                             1 0
                                           0
                                                                    1 0.196364 0.189405 0.437273
                                                                                              0.248309
                                                                                                       120
                                                                                                               1229 1349
                                                  2
        3
              4 2011-01-04
                             1 0
                                           0
                                                                    1 0.200000 0.212122 0.590435
                                                                                              0.160296
                                                                                                       108
                                                                                                               1454 1562
              5 2011-01-05
                             1 0
                                                                    1 0.226957 0.229270 0.436957
                                                                                              0.186900
                                                                                                               1518 1600
```

In [3]: # Working directory

```
In [8]: #Type of DataFrame
         print(type(bikesData))
         <class 'pandas.core.frame.DataFrame'>
 In [9]:
         #Varaibles
         print(bikesData.dtypes)
         instant
                         int64
         dteday
                        object
         season
                         int64
                         int64
         yr
         mnth
                         int64
         holiday
                         int64
         weekday
                         int64
         workingday
                         int64
         weathersit
                         int64
         temp
                       float64
         atemp
                       float64
                       float64
         hum
         windspeed
                       float64
         casual
                         int64
         registered
                         int64
         cnt
                         int64
         dtype: object
In [10]: print(bikesData.shape)
         (731, 16)
In [11]:
         # Index range
         print(bikesData.index)
         RangeIndex(start=0, stop=731, step=1)
```

```
In [12]: #columns
          print("Columns", bikesData.columns)
          Columns Index(['instant', 'dteday', 'season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday', 'weathersit', 'temp', 'atemp', 'hum', 'windspeed',
                   'casual', 'registered', 'cnt'],
                 dtype='object')
In [13]: #unique values in dataset
          bikesData.nunique()
Out[13]: instant
                          731
          dteday
                          731
          season
                            4
          yr
                            2
          mnth
                           12
          holiday
                            2
          weekday
                            7
          workingday
                            2
          weathersit
                            3
          temp
                          499
                          690
          atemp
          hum
                          595
          windspeed
                          650
          casual
                          606
          registered
                          679
          cnt
                          696
          dtype: int64
 In [14]: #As we observe, some of the attributes are not required as per the requirement.
           # So we can dropped :['instant','casual','registered','dteday'].
           columnsToDrop = ['instant','casual','registered','dteday']
           print(bikesData.shape)
           (731, 16)
 In [15]: numeric_var = ['temp', 'atemp', 'hum', 'windspeed', 'cnt']
           categorical_var = ['season', 'yr', 'mnth', 'holiday', 'weekday', 'workingday', 'weathersit']
```

Analyzing the dataset

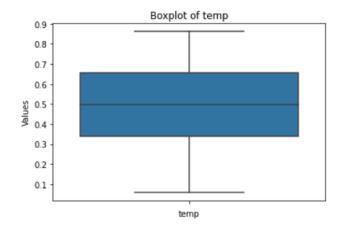
```
In [16]: # dataset with null value
         bikesData.isnull().sum()
Out[16]: instant
                       0
         dteday
                       0
         season
                       0
         yr
                       0
         mnth
         holiday
         weekday
         workingday
         weathersit
                       0
         temp
         atemp
                       0
         hum
         windspeed
         casual
         registered
                       0
         cnt
         dtype: int64
```

No missing value found

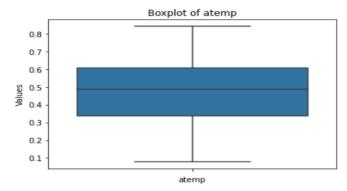
Outlier Analysis

```
In [17]: for i in numeric_var:
    print(i)
    sns.boxplot(y = bikesData[i])
    plt.xlabel(i)
    plt.ylabel("Values")
    plt.title("Boxplot of " + i)
    plt.show()
```

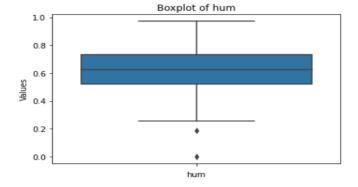
temp



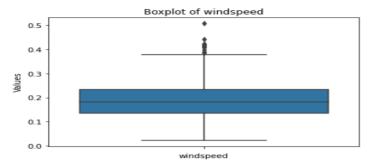
atemp



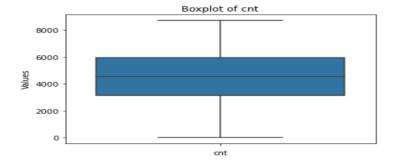
hum







cnt



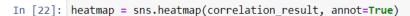
outliers are in windspeed and humidity.

```
In [18]: for i in numeric_var:
               print(i)
               q75, q25 = np.percentile(bikesData.loc[:,i], [75, 25])
               iqr = q75 - q25
               Innerfence = q25 - (iqr*1.5)
              Upperfence = q75 + (iqr*1.5)
print("Innerfence= "+str(Innerfence))
print("Upperfence= "+str(Upperfence))
               print("IQR ="+str(iqr))
          temp
          Innerfence= -0.14041600000000015
          Upperfence= 1.1329160000000003
          IQR =0.3183330000000001
          atemp
          Innerfence= -0.06829675000000018
          Upperfence= 1.01474125000000002
          IQR =0.2707595000000001
          hum
          Innerfence= 0.20468725
          Upperfence= 1.04552125000000002
          IQR =0.210208500000000002
          windspeed
          Innerfence= -0.0124467500000000034
          Upperfence= 0.38061125
          IQR =0.0982645
          cnt
          Innerfence= -1054.0
          Upperfence= 10162.0
          IQR =2804.0
In [19]: bikesData.loc[bikesData[i] < Innerfence, i] = np.nan</pre>
          bikesData.loc[bikesData[i]>Upperfence, i] = np.nan
```

```
In [20]: # Dropping original date column
train=bikesData.drop(['dteday','instant','casual','registered','dteday'], axis=1)
```

FEATURE SELECTION

```
In [21]: # Correlation Analysis and Anova test # we have correlation value in between temp ,atemp, hum, windspeed, cnt
         bikesData_cor = bikesData.loc[:, numeric_var]
         correlation_result = bikesData_cor.corr()
         print(correlation result)
                        temp
                                 atemp
                                             hum windspeed
         temp
                    1.000000 0.991702 0.126963
                                                 -0.157944 0.627494
                    0.991702
                             1.000000
                                        0.139988
                                                  -0.183643 0.631066
         atemp
         hum
                    0.126963 0.139988 1.000000
                                                 -0.248489 -0.100659
         windspeed -0.157944 -0.183643 -0.248489
                                                  1.000000 -0.234545
                    0.627494   0.631066   -0.100659   -0.234545   1.000000
         cnt
```

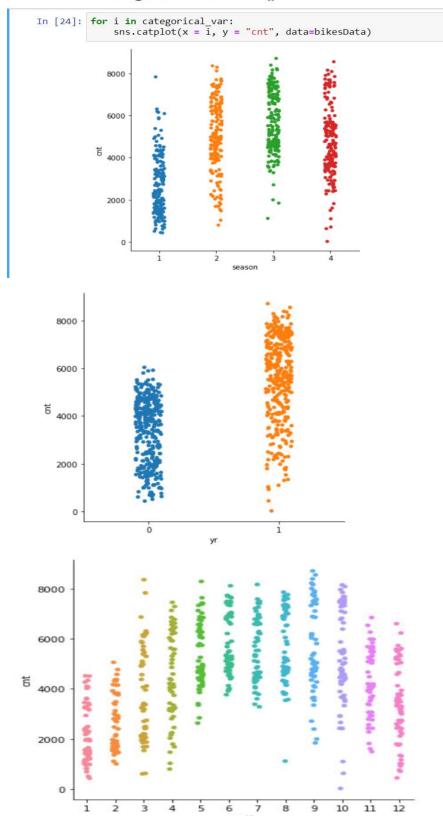


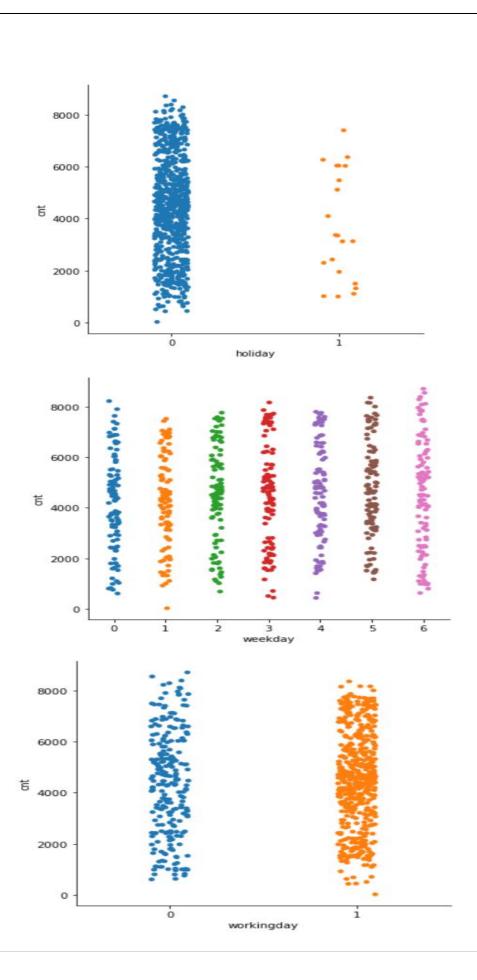


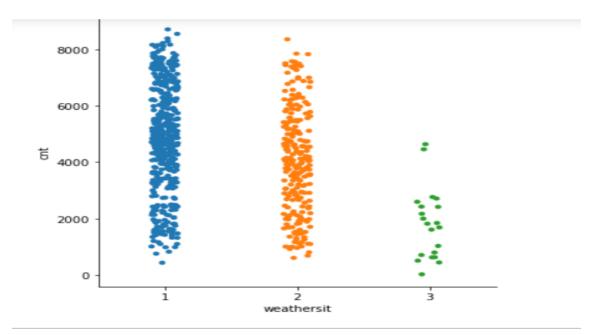
Values which are close to 1 are highly correlated, so temp & atemp are highly correlated with each other

```
In [23]: # Anova Test
          import statsmodels.api as sm
          from statsmodels.formula.api import ols
         for i in categorical_var:
   mod = ols('cnt' + '~' + i, data = bikesData).fit()
              anova_table = sm.stats.anova_lm(mod, typ = 2)
              print(anova_table)
                                      df
                           sum_sq
                                                              PR(>F)
          season
                    4.517974e+08
                                     1.0
                                          143.967653
                                                       2.133997e-30
          Residual
                    2.287738e+09
                                   729.0
                                                  NaN
                                                                 NaN
                           sum_sq
                                      df
                                                              PR(>F)
                    8.798289e+08
                                     1.0
                                          344.890586
                                                       2.483540e-63
          Residual
                    1.859706e+09
                                   729.0
                                                  NaN
                                                                 NaN
                          sum_sq
                                      df
                                                   F
                                                             PR(>F)
          mnth
                    2.147445e+08
                                     1.0 62.004625
                                                      1.243112e-14
         Residual
                    2.524791e+09
                                   729.0
                                                 NaN
                                                                NaN
                          sum_sq
                                      df
                                                  F
                                                       PR(>F)
         holiday
                    1.279749e±07
                                     1.0 3.421441
                                                     0.064759
                    2.726738e+09
          Residual
                                   729.0
                                                          NaN
                                                NaN
                                                       PR(>F)
                                      df
                          sum sq
                                                 F
                                     1.0 3.331091
          weekdav
                    1.246109e+07
                                                     0.068391
         Residual
                                  729.0
                   2.727074e+09
                                                          NaN
                                               NaN
                                        df
                                                    F
                                                         PR(>F)
                             sum sa
          workingday 1.024604e+07
                                       1.0
                                            2.736742
                                                       0.098495
          Residual
                      2.729289e+09
                                     729.0
                                                  NaN
                                                             NaN
                                        df
                                                               PR(>F)
                             sum sq
          weathersit
                      2.422888e+08
                                       1.0
                                             70.729298
                                                        2.150976e-16
          Residual
                      2.497247e+09
                                     729.0
                                                   NaN
```

Categorical Plots ¶







Results we got -

We have highest count in Season 2, 3 and 4

we have high count in year 1

we have good count in month 3-10

we have high count in holidays than non holidays

we have highest count in weekdays 0-6

we have highest count in workingday 1

we have highest count in weather 1

```
In [25]: #Removing variables atemp beacuse it is highly correlated with temp,
train=bikesData.drop(['atemp'], axis=1)
```

Modeling & Model Evaluation

Linear Regression

```
In [28]: from sklearn.linear_model import LinearRegression
lin = LinearRegression()
lin.fit(X_train, y_train)
ylin_pred = lin.predict(X_test)

In [29]: from sklearn import metrics

print("Mean absolute error:",metrics.mean_absolute_error(y_test, ylin_pred))
print("Mean Squared Error:",metrics.mean_squared_error(y_test, ylin_pred))
print("Root Mean Squared Error:",np.sqrt(metrics.mean_squared_error(y_test, ylin_pred)))
print("R2 score:{:0.2f}".format(metrics.r2_score(y_test, ylin_pred)*100),"%")

Mean absolute error: 569.74077815677
Mean Squared Error: 648801.3757133388
Root Mean Squared Error: 805.4820765934763
R2 score:82.44 %
```

Random Forest

```
In [30]: from sklearn.ensemble import RandomForestRegressor
import random
random.seed(1)
classifier = RandomForestRegressor(n_estimators = 50)
classifier.fit(X_train, y_train.values.ravel())
yRand_pred = classifier.predict(X_test)

In [31]: print('Mean absolute error:',metrics.mean_absolute_error(y_test, yRand_pred))
print('Mean Squared Error:',metrics.mean_squared_error(y_test, yRand_pred))
print('Root Mean Squared Error:', np.sqrt(metrics.mean_squared_error(y_test, yRand_pred)))
print("R2 score:{:0.2f}".format(metrics.r2_score(y_test, yRand_pred)*100),"%")

Mean absolute error: 411.155238095238
Mean Squared Error: 370310.8203020408
Root Mean Squared Error: 608.53169210982
R2 score:89.98 %
```

Decision Tree

```
In [32]: from sklearn import tree
    clf = tree.DecisionTreeRegressor()
    clf.fit(X_train, y_train)
    yDec_pred = clf.predict(X_test)

In [33]: print('Mean absolute error:',metrics.mean_absolute_error(y_test, yDec_pred))
    print('Mean Squared Error:',metrics.mean_squared_error(y_test, yDec_pred))
    print('Root Mean Squared Error:', np.sqrt(metrics.mean_squared_error(y_test, yDec_pred)))
    print('R2 score:{:0.2f}'.format(metrics.r2_score(y_test, yDec_pred)*100),"%")

    Mean absolute error: 538.2925170068028
    Mean Squared Error: 614816.7551020408
    Root Mean Squared Error: 784.1025156840404
    R2 score:83.36 %

In [34]: #Conclusion
    ##Model has been developed and result calculated.

In []:
```

References

- www.edwisor.com
- www.youtube.com
- www.wikipedia.com
- Machine Learning Yearning By Andrew NG

NOTE- I have completed the project only in python not R as per got confirmation from Support Team Member-Arjun in query session. We got instruction that we don't need to work on R, we need to work only in python so I have completed in Python.