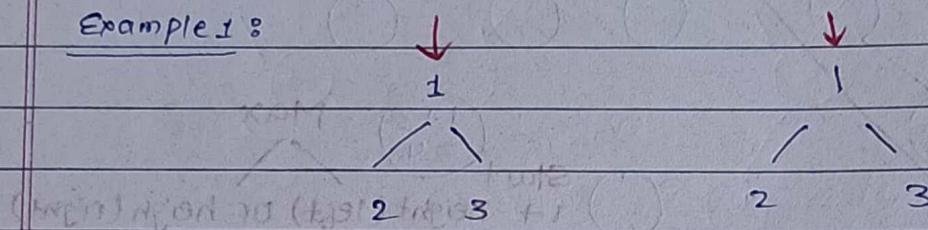


Lecture - 41Trees - Easy problem

problem - 18 Determine if Two trees are identical

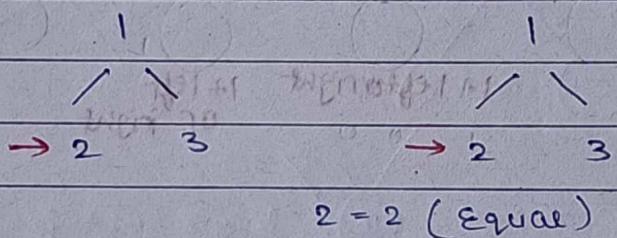
Example 1:



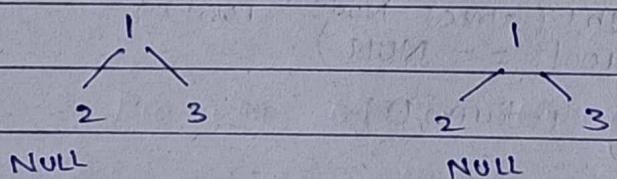
start from root

$1 = 1$ (equal)

Move to left

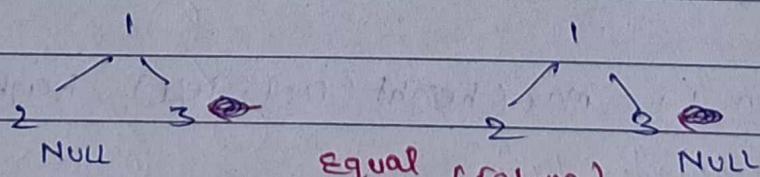


Move to left

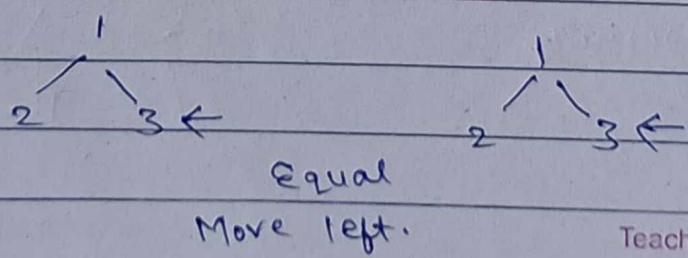


Equal.

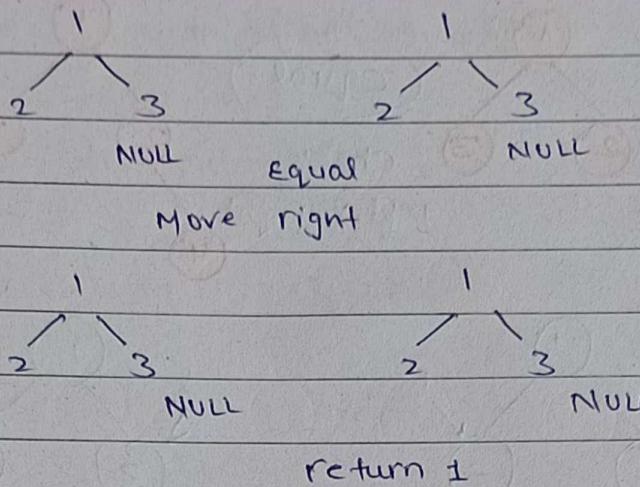
Move to right



Move right



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Case 8

Tree 1

NULL

Address

NULL

Address

Tree 2

Address → 0

NULL → 0

NULL → 1

Address → 0/1

Code 8

```
if ( $r_1 == \text{NULL}$  &&  $r_2 == \text{NULL}$ ) {
```

```
    return 1;
```

```
}
```

```
if ( $r_1 \neq \text{NULL}$  &&  $r_2 == \text{NULL}$  ||  $r_2 \neq \text{NULL}$  &&  $r_1 == \text{NULL}$ ) {
```

```
    return 0;
```

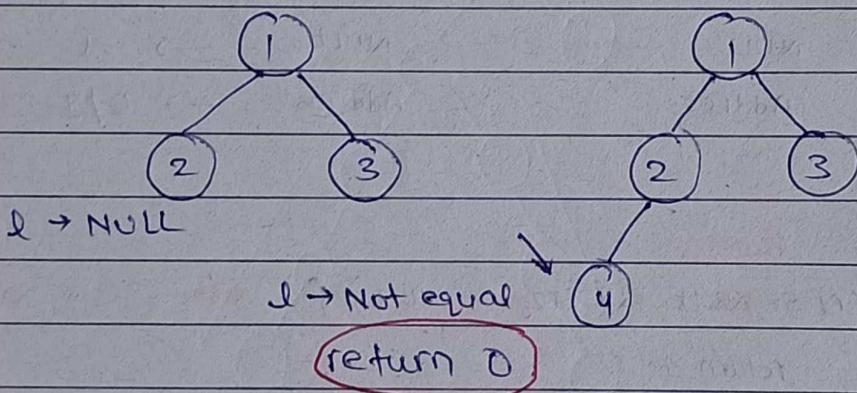
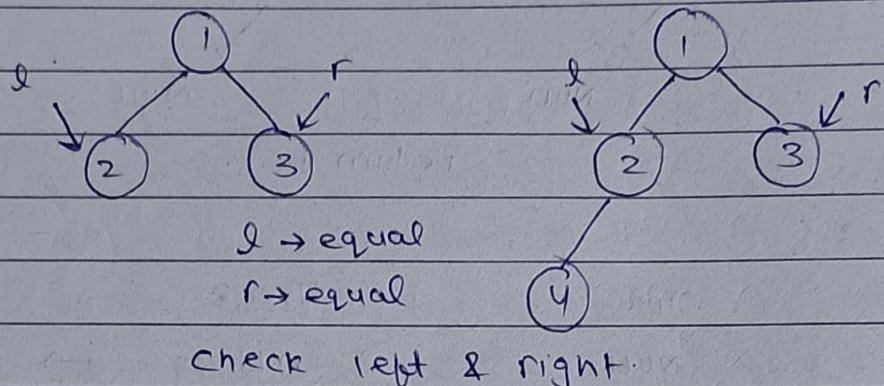
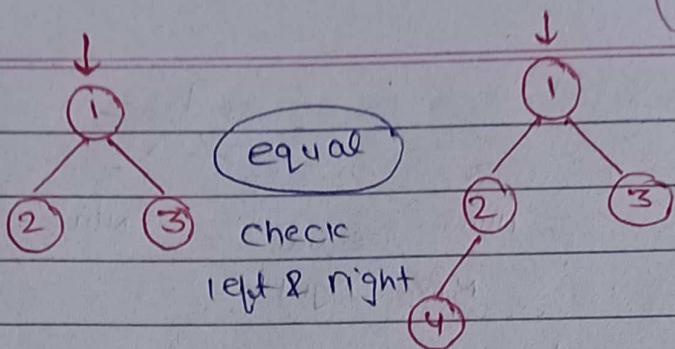
```
}
```

```
if ( $r_1 \rightarrow \text{data} \neq r_2 \rightarrow \text{data}$ ) {
```

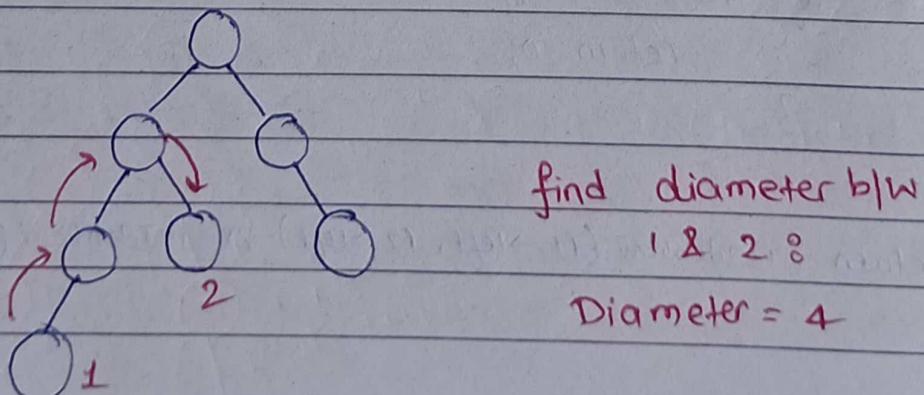
```
    return 0;
```

```
}
```

With + smooth line
 $\text{return } \text{isIdentical}(r_1 \rightarrow \text{left}, r_2 \rightarrow \text{left}) \&\& \text{isIdentical}(r_1 \rightarrow \text{right}, r_2 \rightarrow \text{right});$

Example 2Problem 2 : Diameter of a Binary Tree

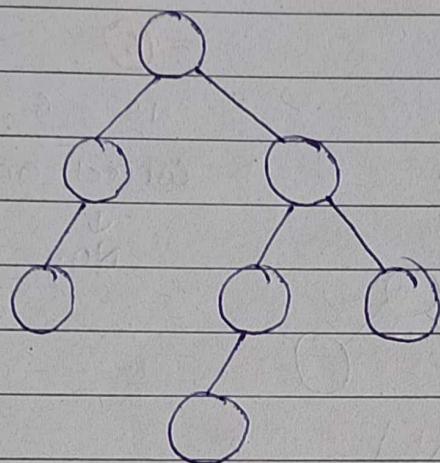
How to find diameter?



Your task is to find the longest diameter present in Binary tree.

Example:

Diameter: 2 Node to 6th Maximum Node
include both the two Node.

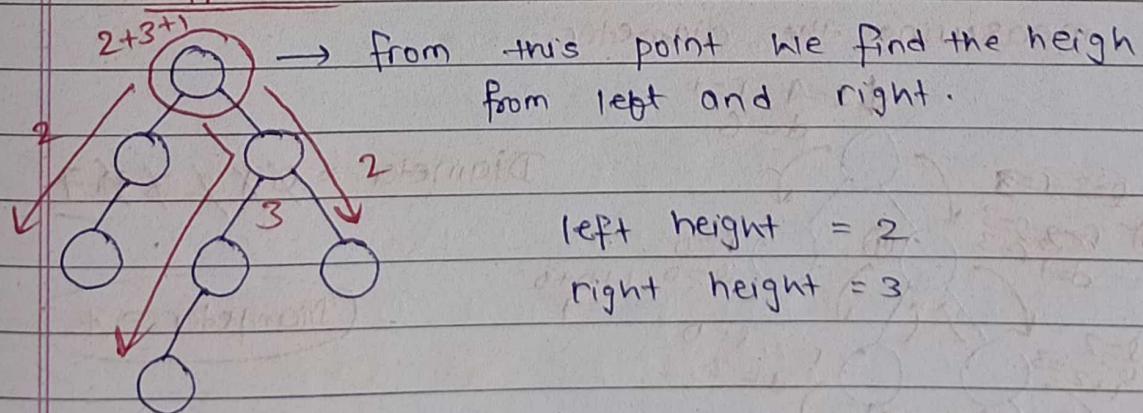


How to find?

diameter always start & end with leaf nodes.

find the leaf Node:

Approach 1:



$$\text{left height} = 2$$

$$\text{right height} = 3$$

$$\text{diameter} = 1 + 2 + 3$$

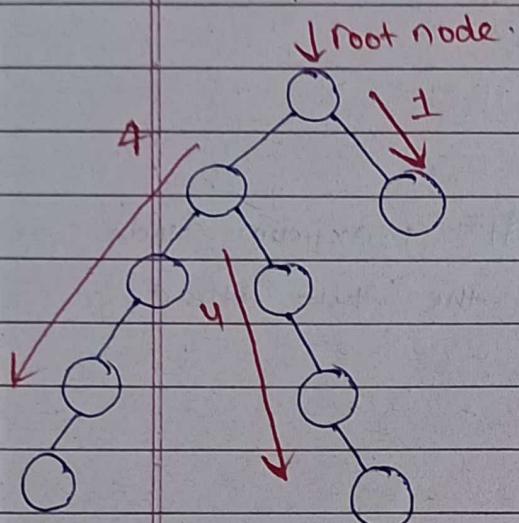
$$= 6$$

↳ Ans.

But can we always find the correct height from only root.

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Example 2 :



left height = 4

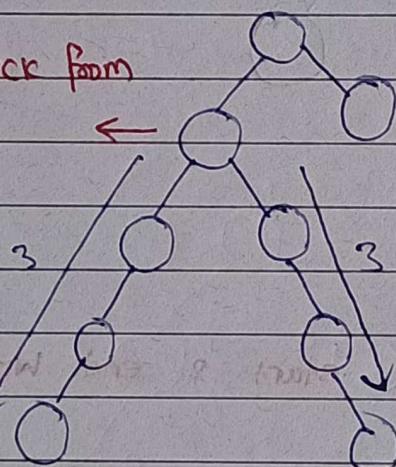
right height = 1

$$\text{diameter} = 1 + 4 + 1 \\ = 6$$

is 6 is the
correct answer.↓
No.

If we check from
this point then
diameter is

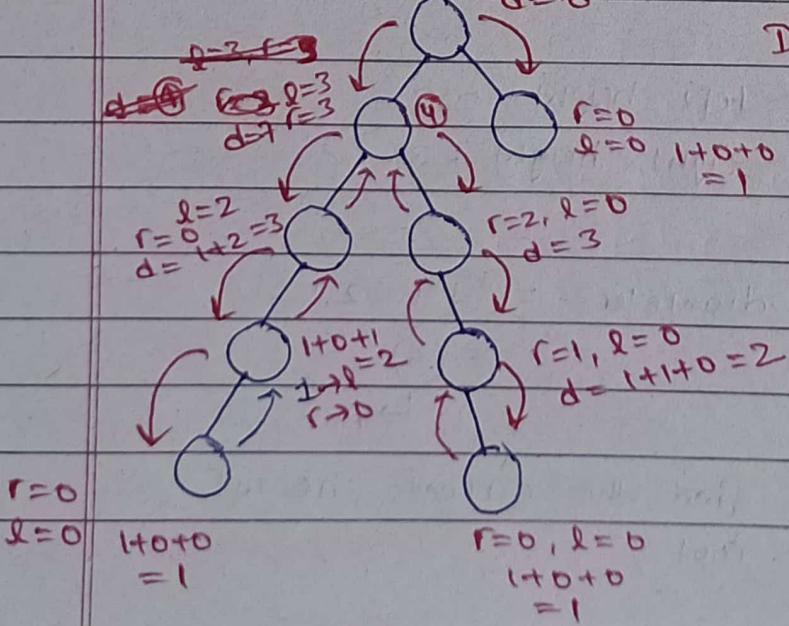
$$3+3+1 \\ = 7$$

 $7 > 6$ 

So, we have to check every node for measuring the diameter.

$$\downarrow l=4, r=1 \\ d=6$$

$$\text{Diameter} = \cancel{0} \times \cancel{2} \cancel{+} \cancel{6} \cancel{-} \cancel{7}$$



$$\text{Diameter} = 7$$

- (1) left height
- (2) right height
- (3) find max from both and $+1 = \text{temp}$
- (4) diameter = $\max(\text{diameter}, \text{temp})$

base condition :

either Node Exist or NULL.

Code :

```
int diameter(Node *root) {
    int ans = 0;
    find(root, ans);
    return ans;
}
```

```
int find(Node *root, int &ans) {
```

```
    if (!root)
```

```
        return 0;
```

```
    int left = find(root->left, ans);
```

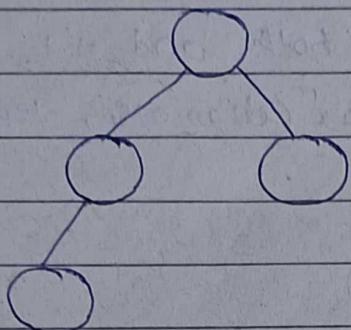
```
    int right = find(root->right, ans);
```

```
    ans = max(ans, 1 + left + right);
```

```
    return 1 + max(left, right);
```

```
}
```

Problem 3 : Check for balanced Tree

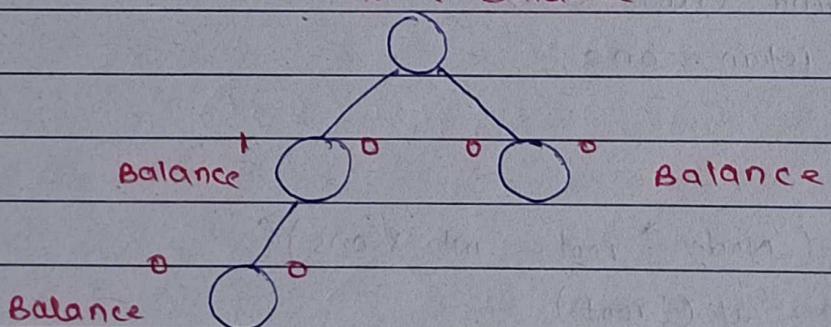


difference of left
& right subtree
not > 1 .

Approach :

- (1) calculate left side height
- (2) calculate right " "
- (3) find the diff.
↳ if > 1 return 0.

2. 1 Balance



Ex answer variable

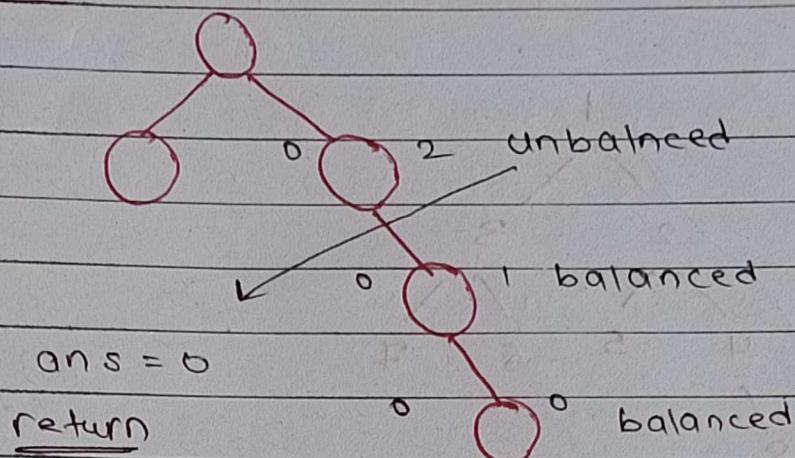
Ans \rightarrow 0

Ans = 1;

Ans can get Node balance left & right

at which point 0 kar denge
or return ans 1,

Example : 2



Code :

```
bool isBalanced (Node *root) {
    bool ans = 1;
    findHeight (root, ans);
    return ans;
}
```

```
int findHeight (Node *root, bool &ans) {
    if (root == NULL)
        return 0;

    int left = findHeight (root -> left, ans);
    int right = findHeight (root -> right, ans);

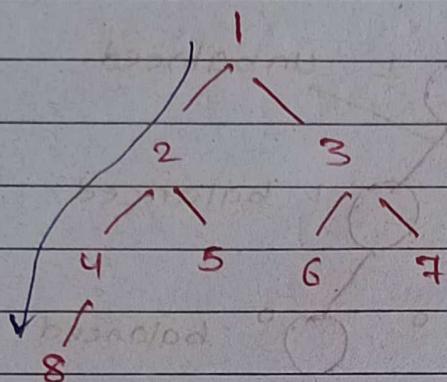
    if (abs (left - right) > 1)
        ans = 0;

    return 1 + max (left, right);
```

}

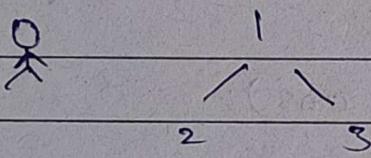
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Problem 4: Left View of Binary tree

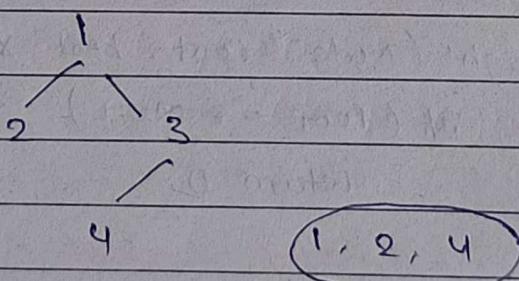


Left View : 1 2 4 8

Visited from left side.



(1, 2) output



How to solve this?

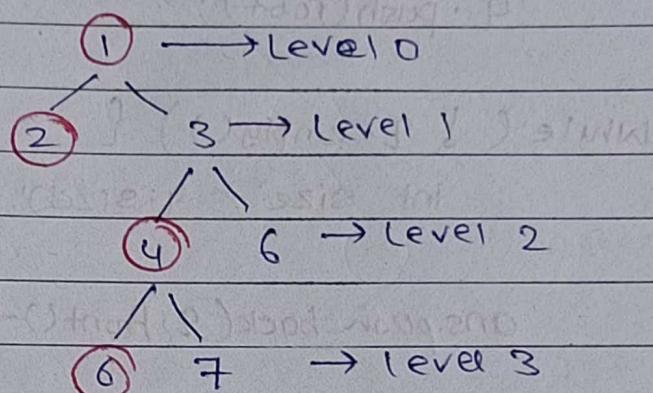
↳ recursion

↳ iterative.

(1)

Iterative approach

Visit level 0 first node



Check all level and

return 1st Node of each
level from left.

Queue

2, 3

1 visited

Ans : 1, 2

↳ said 2, 3

only first
can be taken
in answer.

first element → 2

3 can't answer

Neglect all
other.

4, 5

Ans : 1, 2, 4

5 can't answer

6, 7

Ans : 1, 2, 4, 6

7 can't answer

Code :

```

Vector<int> ans;
if (root == NULL) return ans;
queue<Node*> q;
q.push(root);
    
```

```
while (!q.empty()) {
```

int size = q.size(); // tells the no. of
element present on
ans.push_back(q.front()→data); that level.

```
while (size--) {
```

```
Node* temp = q.front();
```

```
q.pop();
```

```
if (temp → left) {
```

```
q.push(temp → left);
```

```
}
```

```
if (temp → right)
```

```
q.push(temp → right);
```

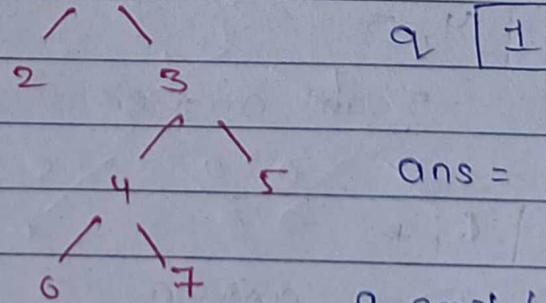
```
}
```

```
3
```

```
return ans;
```

Explanation (dry run)

① q.push(root) →



q.empty() → NO

Size = 1

ans.push(q.front) = ①

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temp = 1

q.pop();

1 deleted.

q [2 3]

temp → left = ~~NULL~~ 2

↪ ~~push~~ push to queue

temp → right = 3 push

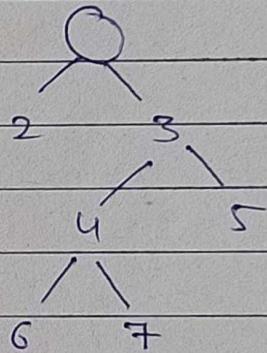
loop end

again loop start

Size = 2

ans.push(2)

ans = {1, 2 }



temp = 2

2 deleted from q. Size = 1

temp → left NULL

temp → right NULL

temp = 3

3 deleted

q [4 5]

temp → left = 4

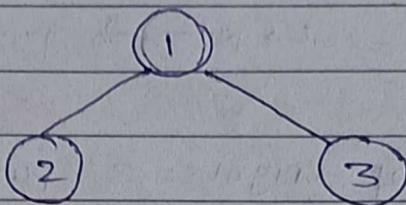
temp → right = 5

size = 0

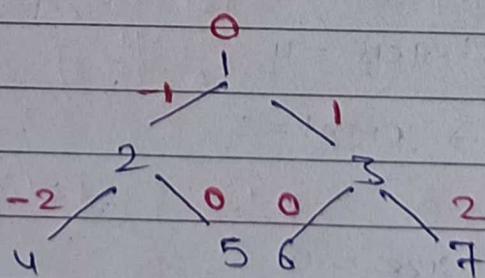
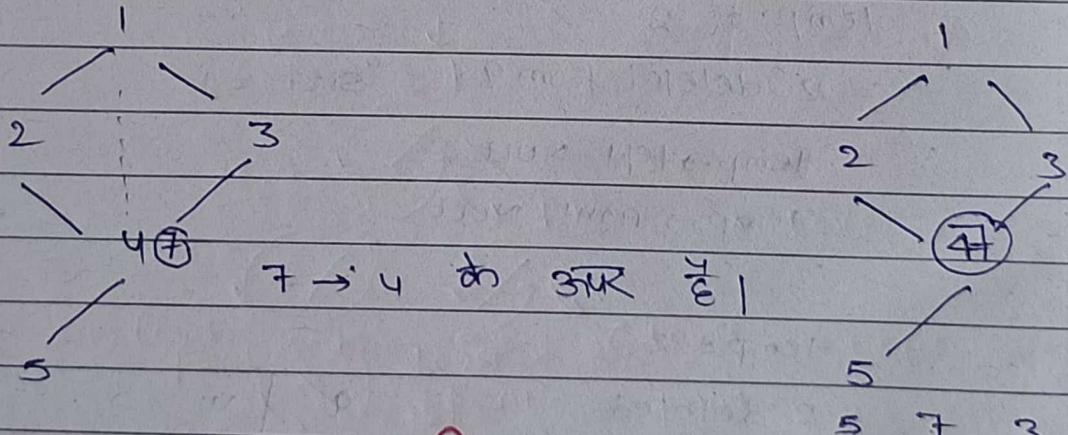
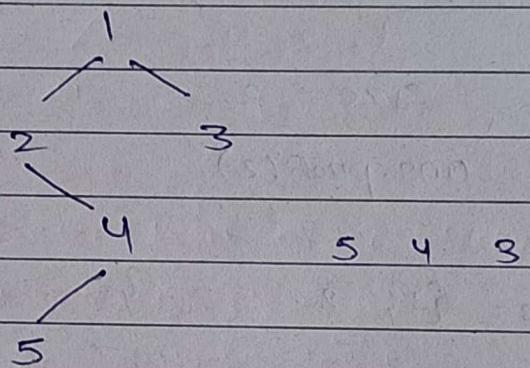
loop end

By this process we can complete the question.

Problem 5 : Bottom View of Binary Tree



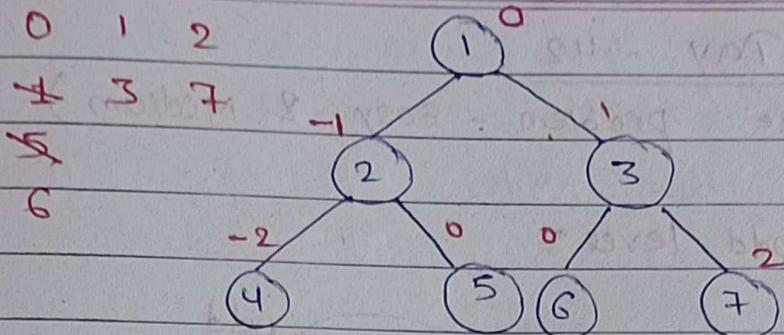
Ans :- 2 1 3



-2 -1 0 1 2
 4 02 6 3 7

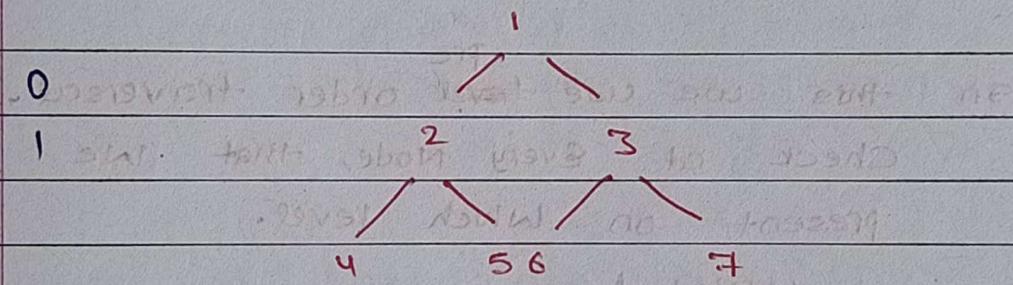
Teacher's Signature.....

-2 -1 0 1 2
 4 2 4 3 7
 6 5



q : * * * * * * *
 q : -1 1 -2 0 0 2

Level order.



q : * 2 3
 q : 0

q : * 3 4 5	0
-1 1 -2 0	1

q : * 4 5 6 7	-1 0 1
-1 -2 0 0 2	2 1 3

q : 4 5 6 7	-1 0 1 2
-2 0 0 0 2	4 2 1 3 7
	6

Ans: (4 2 6 3 7) Teacher's Signature.....