

Day - 44

### (Tree - Hard problem)

Problem 1 : Maximum path sum between 2 special nodes

Given a binary tree

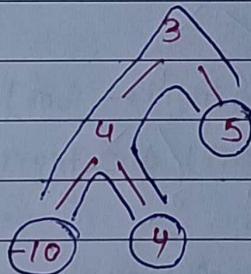
↳ each nodes element contain a number

Task : Maximum possible path sum for two special nodes.

Special Node is a node which is connected to exactly one different nodes.

2) Node दो बीच को sum 3 वाले Node  
रिक्त दो Node से Connect हो।

Example:



path possible :

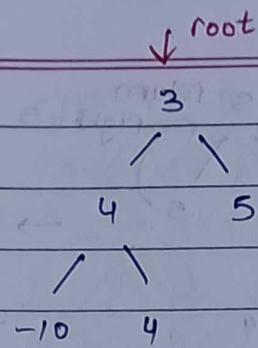
$$\textcircled{I} \quad -10 \rightarrow 4 \rightarrow 4 \quad \text{sum} = -2$$

$$\textcircled{II} \quad -10 \rightarrow 4 \rightarrow 3 \rightarrow 5 \quad \text{sum} = 2$$

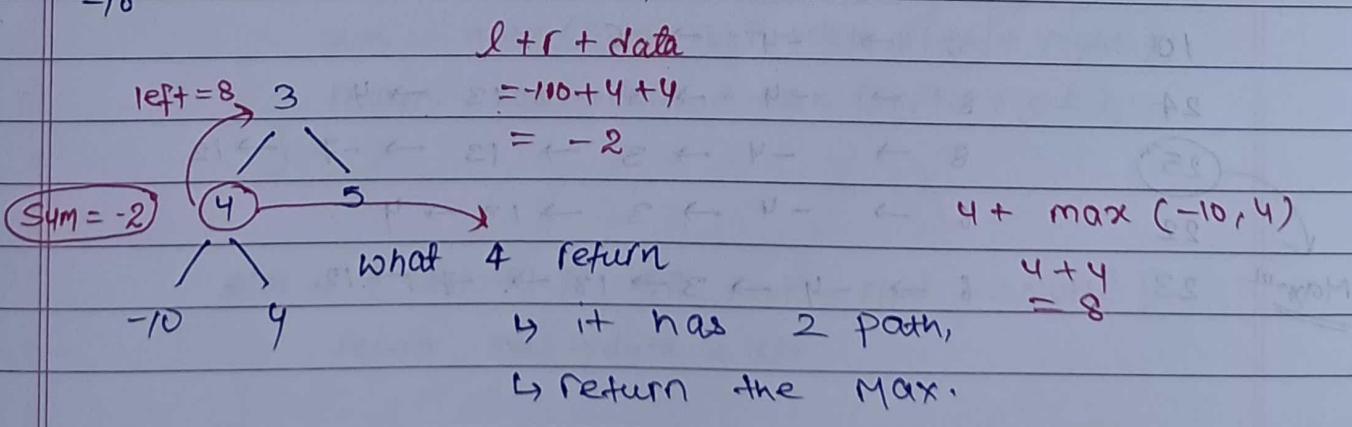
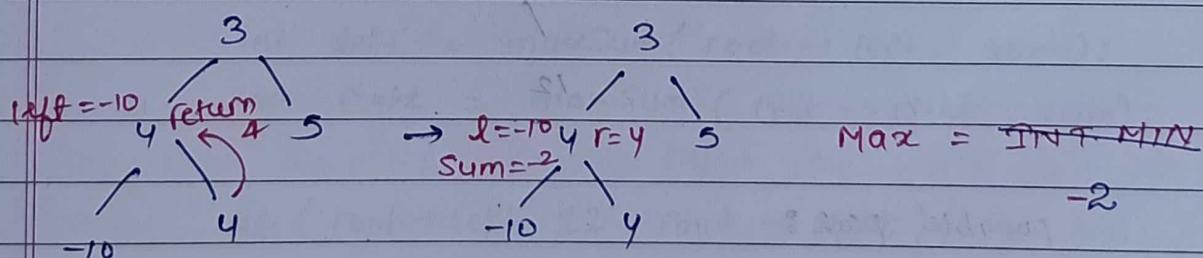
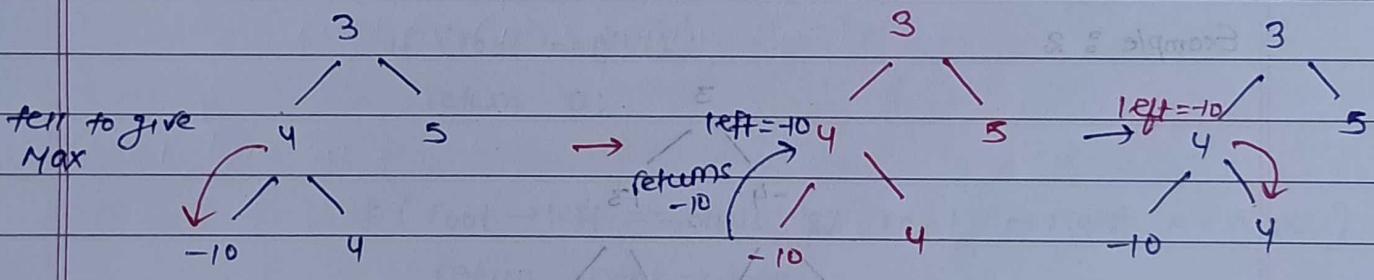
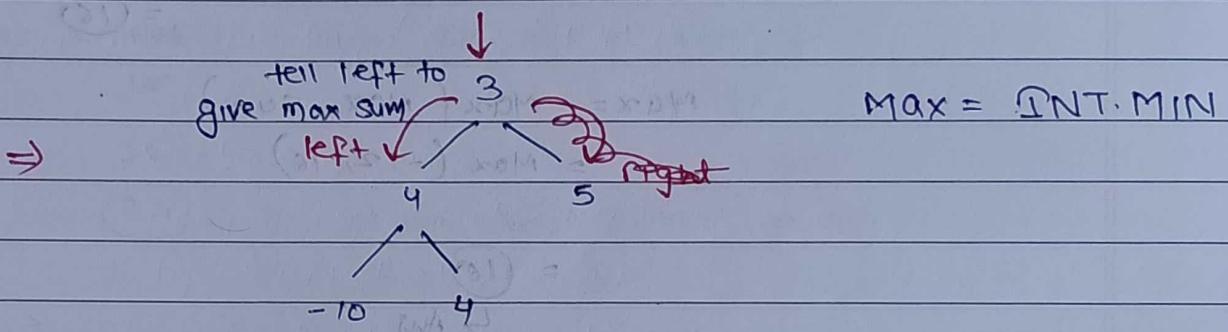
$$\textcircled{III} \quad 4 \rightarrow 4 \rightarrow 3 \rightarrow 5 \quad \text{sum} = \textcircled{16}$$

Max

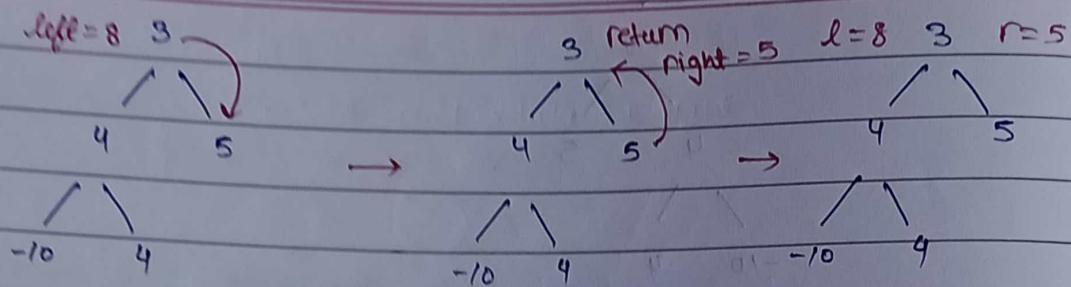
How to approach this to solve ?



3 बालगा दोनों side ont Max sum m<sup>int</sup> की 21,  
3+4+5 = left + right + root → data के लिए 21,



$$= \text{Root} \rightarrow \text{data} + \max(\text{left}, \text{right})$$



$$\text{sum} = \text{root} \rightarrow \text{data} + \text{left} + \text{right}$$

$$\begin{aligned} & \text{sum} = 3 + (-10) + 4 \\ & = 3 + 4 - 10 \\ & = 16 \end{aligned}$$

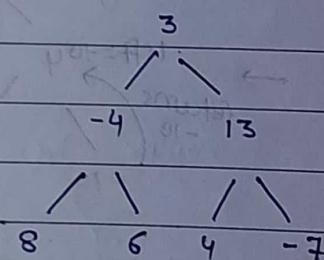
$$\text{Max} = \text{Max}(\text{Max}, \text{sum})$$

$$= \text{Max}(-12, 16)$$

$$= 16$$

↳ Ans

Example : 2



possible path:

10            8 → -4 → 6

24            8 → -4 → 3 → 13 → 4

25            8 → -4 → 3 → 13 → -7 → 12

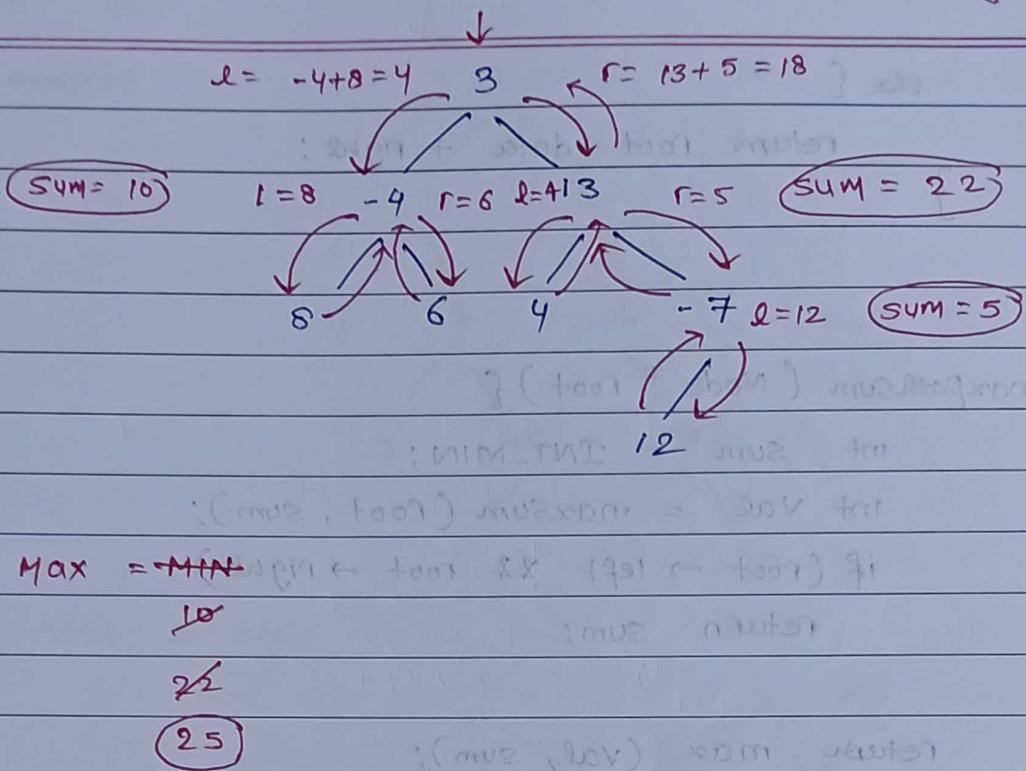
22            6 → -4 → 3 → 13 → 4

23            6 → -4 → 3 → 13 → -7 → 12

Max

25

$$\text{Max} = 18 + 4 + 3 = 25$$



~~Max = MIN(lval + root && rval + root) ?~~

~~10~~

~~25~~

~~(25)~~

Code :

```

int maxSum (Node *root , int &sum) {
    if (root == NULL)
        return 0;

    if (root->left == NULL && root->right == NULL)
        return root->data;

    int left = maxSum (root->left , sum);
    int right = maxSum (root->right , sum);

    if (root->left && root->right) {
        sum = max (sum , root->data + left + right);
        return root->data + max (left , right);
    }

    else if (root->left && root->right == NULL) {
        return root->data + left;
    }
}

```

```

else {
    return root->data + right;
}
}

int maxpathsum ( Node * root ) {
    int sum = INT_MIN;
    int val = maxsum ( root , sum );
    if ( root -> left && root -> right )
        return sum;

    return max ( val , sum );
}
}

```

### Problem 2 : Burning Tree

Given a Binary Tree

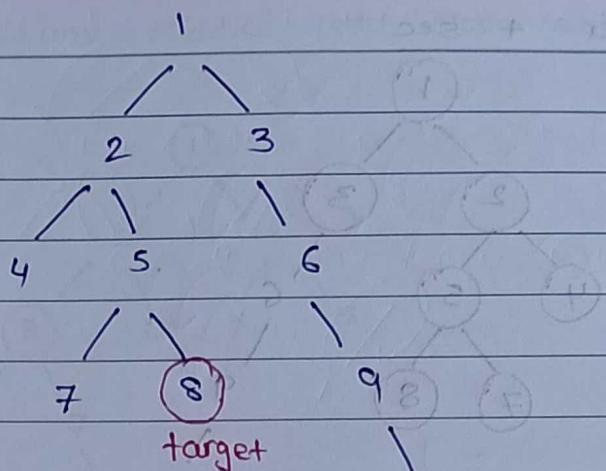
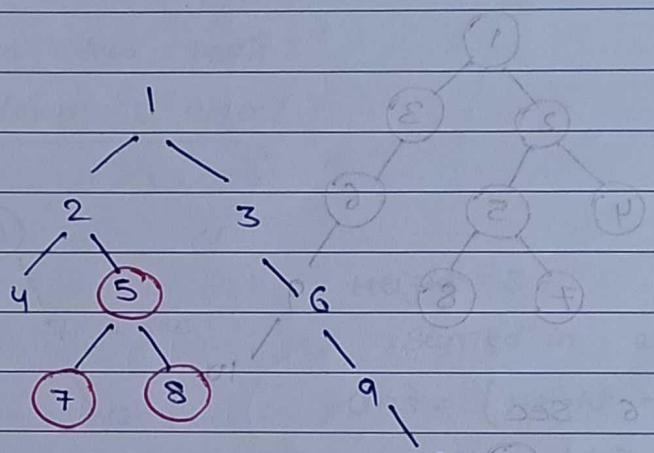
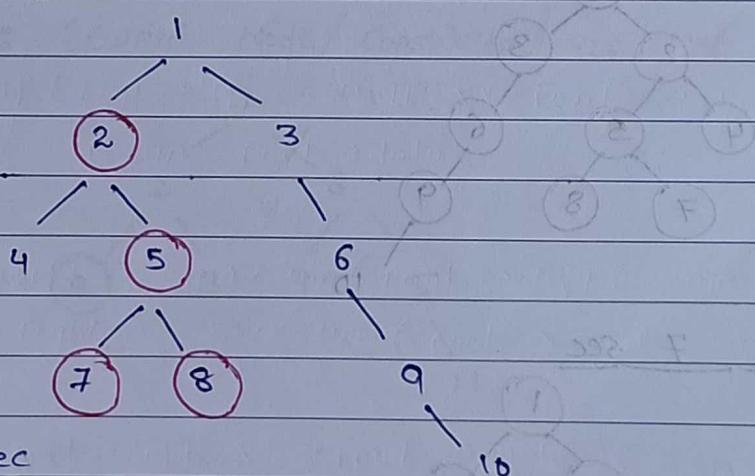
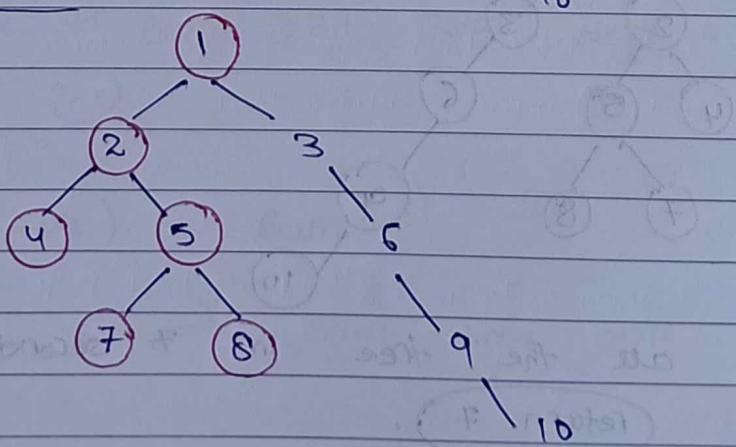
and a target value.

Task to find minimum time required to burn the complete binary tree, if target is set on fire.

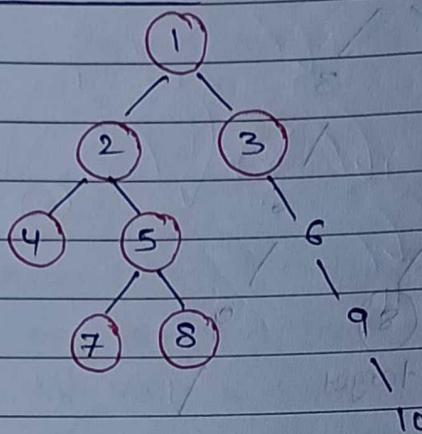
In 1 second all nodes connected to given node get burned.

Note : The tree contains unique values.

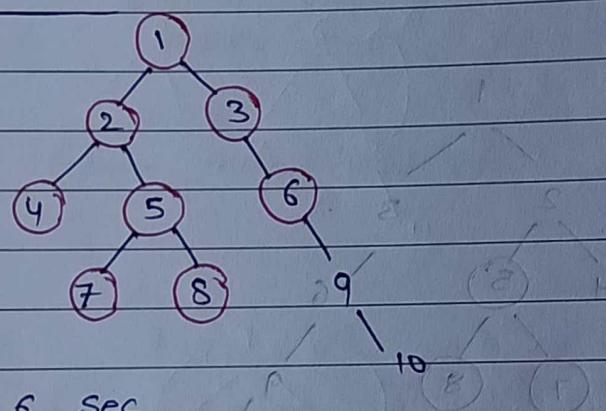
Example:

After 1 secAfter 2 secAfter 3 sec

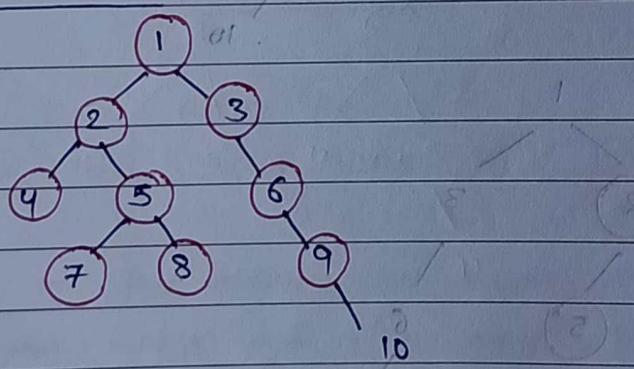
After 4 sec



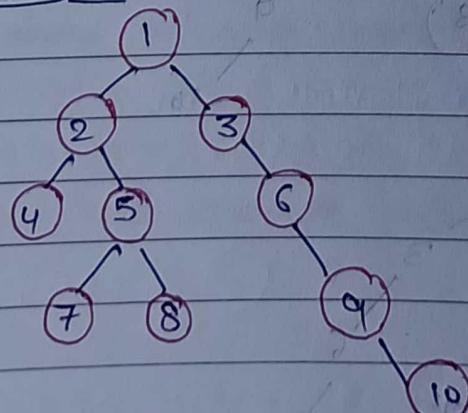
After 5 sec



After 6 sec



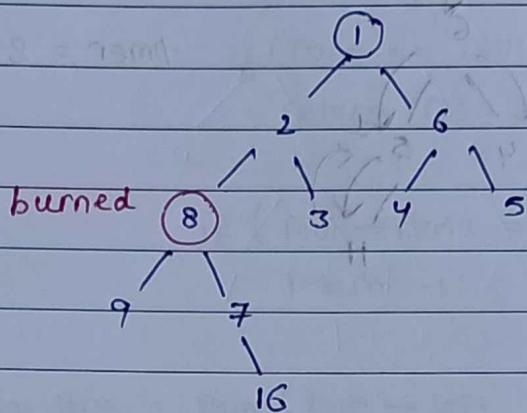
After 7 sec



It burn all the tree in 7 second.

(return 7)

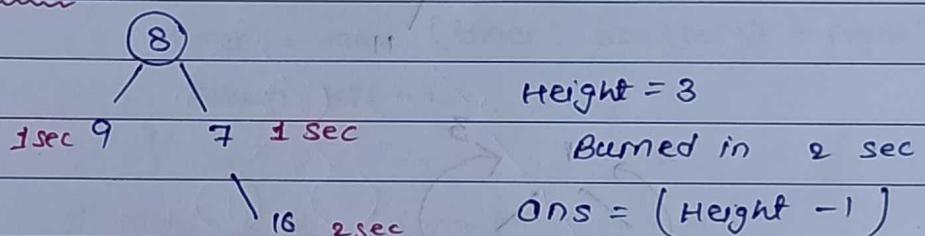
Example 2: If any Middle level Node is Burned.



problem divided in two parts :

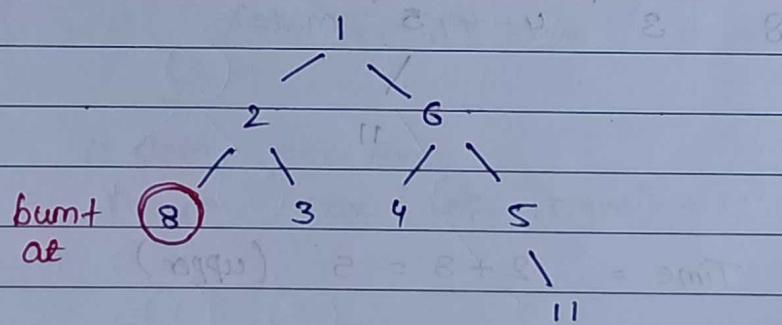
lower & upper

For lower :



↳ for lower part.

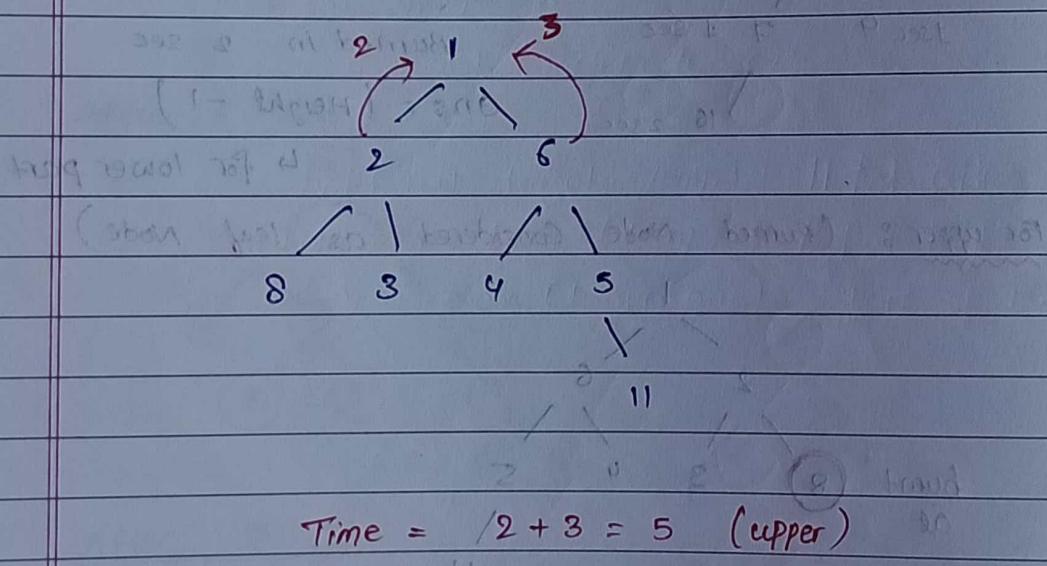
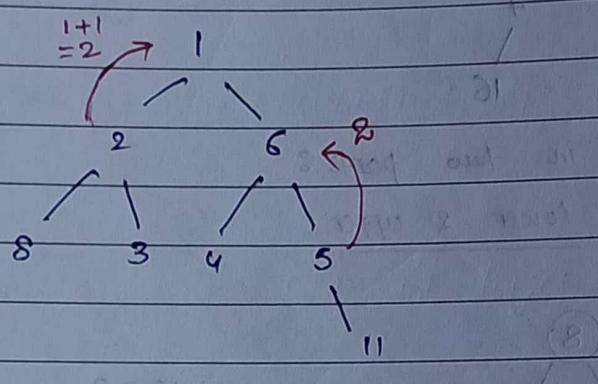
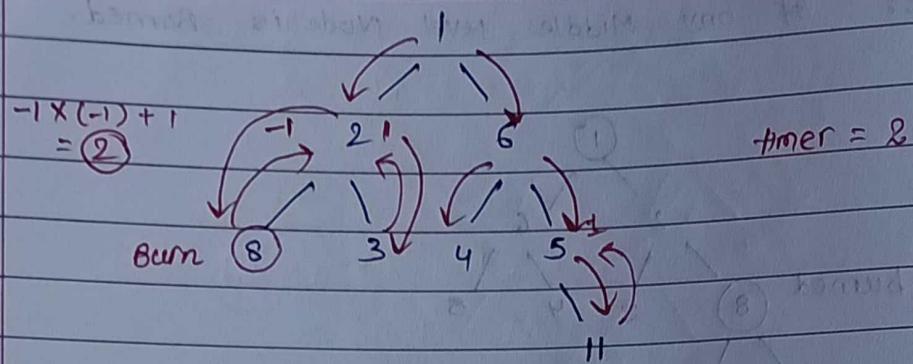
For upper : (Burned Node / Considered as leaf Node)



जिस side से Burnt हुआ तस्वीर Negative से denote करें।  
(-ve)

(-ve) → Burn द्वारा जाया

और उतना time लगा।



$$\text{ans} = \max(\text{lower\_timer}, \text{upper\_timer})$$

$$= \max(2, 5)$$

ans = 5

Code:

```
int Burn (Node *root, int target, int &timer) {
```

```
    if (root == NULL)
```

```
        return 0;
```

```
    if (root->data == target)
```

```
        return -1;
```

```
    int left = Burn (root->left, target, timer);
```

```
    int right = Burn (root->right, target, timer);
```

If left side burnout

```
    if (left < 0) {
```

```
        timer = max (timer, abs (left) + right);
```

```
        return left - 1;
```

```
}
```

If right side burnout

```
    if (right < 0) {
```

```
        timer = max (timer, abs (right) + left);
```

```
        return right - 1;
```

```
}
```

If Both positive

```
    return max (left, right) + 1;
```

```
}
```

```
void find (Node *root, int target, Node *&temp) {
```

```
    if (root == NULL)
```

```
        return;
```

```
    if (root->data == target) {
```

```
        temp = root;
```

```
        return;
```

```
}
```

find (root → left, target, temp);

find (root → right, target, temp);

}

int height (Node \* root){

if (root == NULL) root)

return 0;

return 1 + max (height (root → left), height (root → right));

}

int minTime (Node \* root, int target){

(height + (height - 1) \* num) num = result

int timer = 0;

Burn (root, target, timer);

Node \*temp;

find (root, target, temp); // find address of burn node

int num = height (temp) - 1; // find height of below

return max (timer, num); part of the tree.

}

problem 3 : check if all level of two trees are anagram or not

Given two binary trees

↳ having same number of nodes

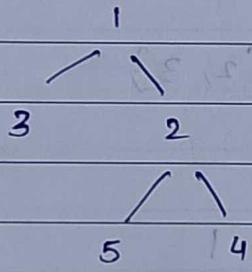
Task : check at each level that the levels are anagram or not

We use level order traversal here

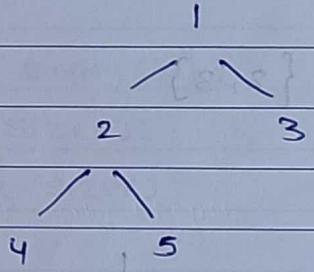
use queue for storing the nodes of each level.

Example :

Tree 1



Tree 2



q1



size<sub>1</sub> = 1

same

q2



size<sub>2</sub> = 1

v<sub>1</sub>

[1]

Sort vector

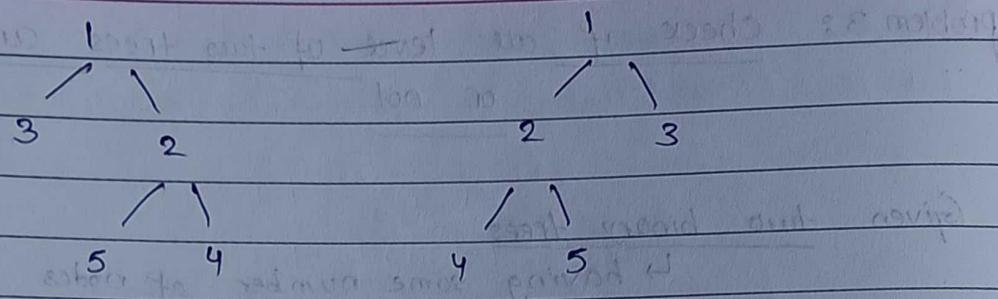
{1}

v<sub>2</sub>

[1]

{1}

both equal proceed



$q_1$  [  $\emptyset, \emptyset$  ]  $q_2$  [  $X, 3$  ]   
 $\text{size}_1 = 2$   $\text{size}_2 = 2$

$$v_1 = \{3, 2\} \text{ and } v_2 = \{2, 3\}$$

Size1--

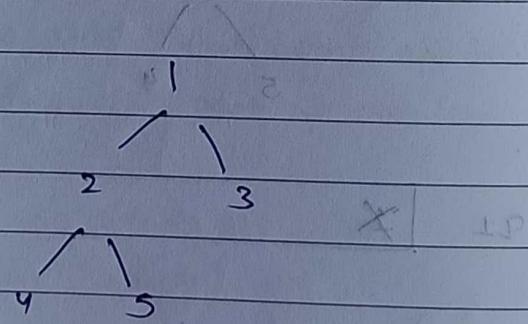
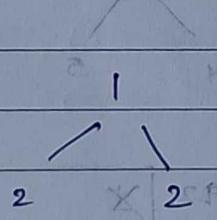
Size1=0

Sort  $v_1$  &  $v_2$

$$\{2, 3\}$$

$$\{2, 3\}$$

equal.



$q_1$  [  $\emptyset, \emptyset$  ]

$q_2$  [  $A, B$  ]

$$v_1 = \{5, 4\}$$

$$v_2 = \{4, 5\}$$

sort

$\{4, 5\}$  becomes loops Mod  $\{4, 5\}$

equal

Size = 0

return 1

4 loop bread

Code :

```

    : (start → laban) doBqf . LV
Bool areAnagrams (Node* root1, Node* root2) {
    if (root1 == NULL && root2 == NULL) {
        return true; on) qf
    } : (1791 ← laban) doBqf . LP

    if (root1 == (NULL & 11ban) root2 == NULL) {
        if (11ban ← 15) return false;
    } : (1791 ← soban) qf

    queue<Node*> q1; doBqf . SP
    queue<Node*> q2;
    q1.push(root1); 11ban ← soban) qf
    q2.push(root2); 1791 ← 15) doBqf . SP

```

```

    while (!q1.empty() && !q2.empty()) {
        int size1 = q1.size();
        int size2 = q2.size();
        : ((15ban . LV , 11ban . LV ) 1102
        if ((size1 != size2) { sv ) 1103
            return false;
    } : (sv = ! LV ) qf
    : 1102 of count

```

```
Vector<int> v1;
```

```
Vector<int> v2;
```

```

    while (size1 > 0) {
        Node* node1 = q1.front();
        Node* node2 = q2.front();
        q1.pop();
        q2.pop();
    }

```

```

    v1.push_back(node1->data);
}
V2.push_back(node2->data);
}

if (node1->left) {
    q1.push(node1->left);
}

if (node1->right) {
    q1.push(node1->right);
}

if (node2->left) {
    q2.push(node2->left);
}

if (node2->right) {
    q2.push(node2->right);
}

if (size1 == 0 || !q1.empty() || !q2.empty()) return;

}

if (v1.begin() == v1.end() || v2.begin() == v2.end()) return;

if (v1 != v2) return false;

return true;
}

```

Problem 4: Construct tree from Inorder & preorder

Given & Array: Inorder & preorder

Tree contain duplicate elements.

Task: Construct a tree and print the postorder Traversal.

Inorder: 3 1 4 0 5 2 (LNR)

Preorder: 0 1 3 4 2 5 (NLR)

preorder: 1<sup>st</sup> Node is always root node.  
↓  
root node.

Tree = { 0 }

check in Inorder

3 1 4 0 5 2  
left side                          right side.

Preorder: 0 1 3 4 2 5

1 Comes left side.

0

Tree = { 0, 1 }

1

left side

right side.

0

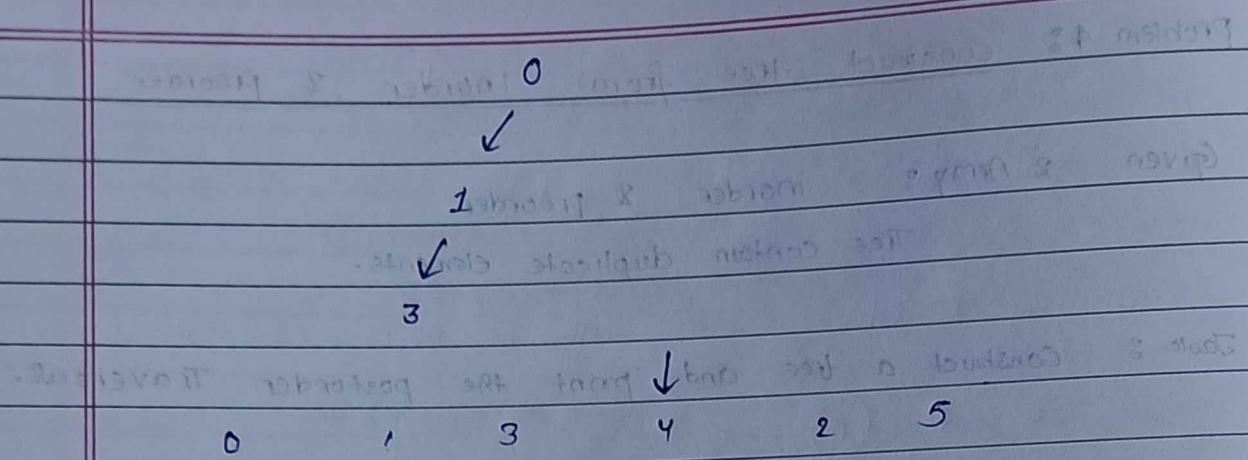
1

3

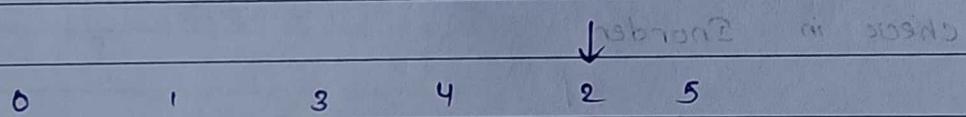
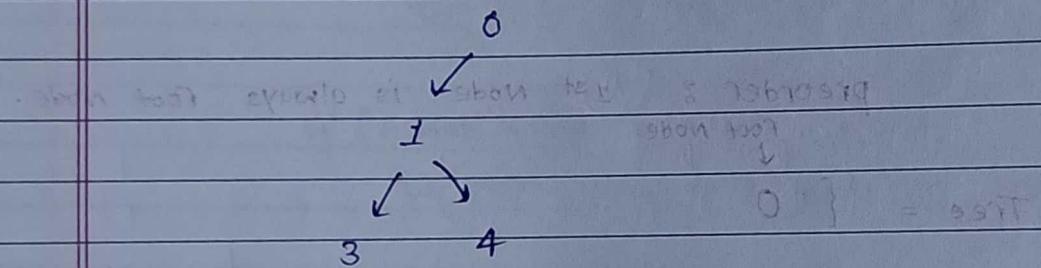
4

5

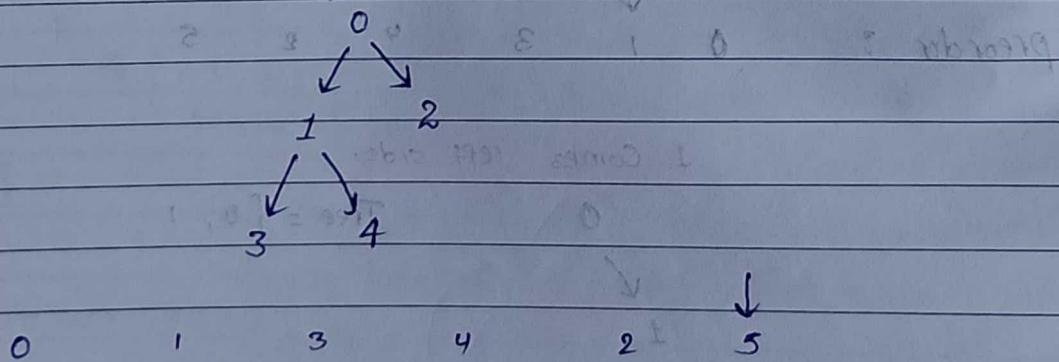
3 Comes left side of 1



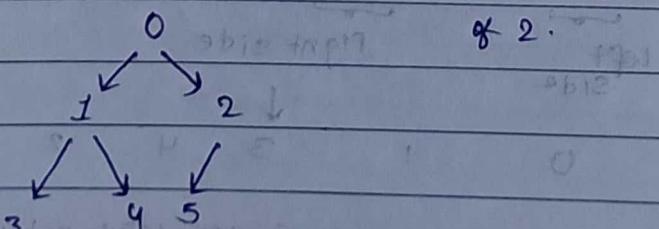
(Ans) 4 comes up to the right of 1.



2 comes right of 0



5 comes left of 2



Tree

preorder : P A - E B C का traverse करें।

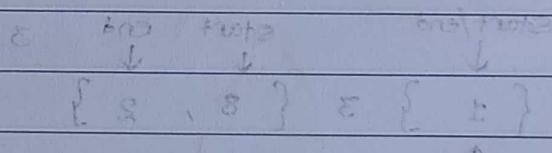
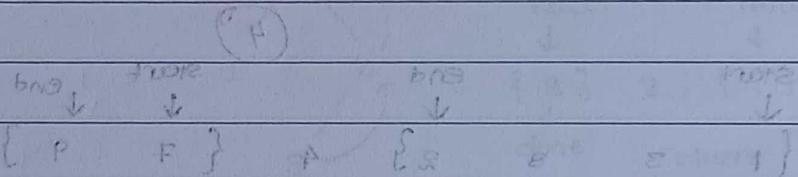
( Inorder : direction बताएं। )

problem 5 :- Construct tree from postorder & inorder

on this problem

( Inorder direction बताएं। )

Postorder : E B C A का traverse करें।  
( पीछे से ).



A

E

B

C

E

B

C

A