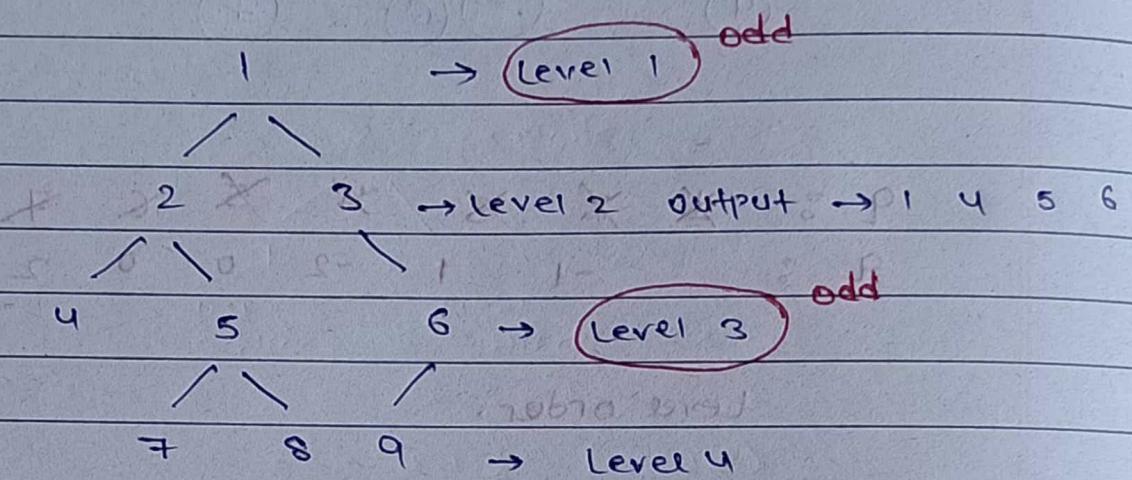


# Day - 42

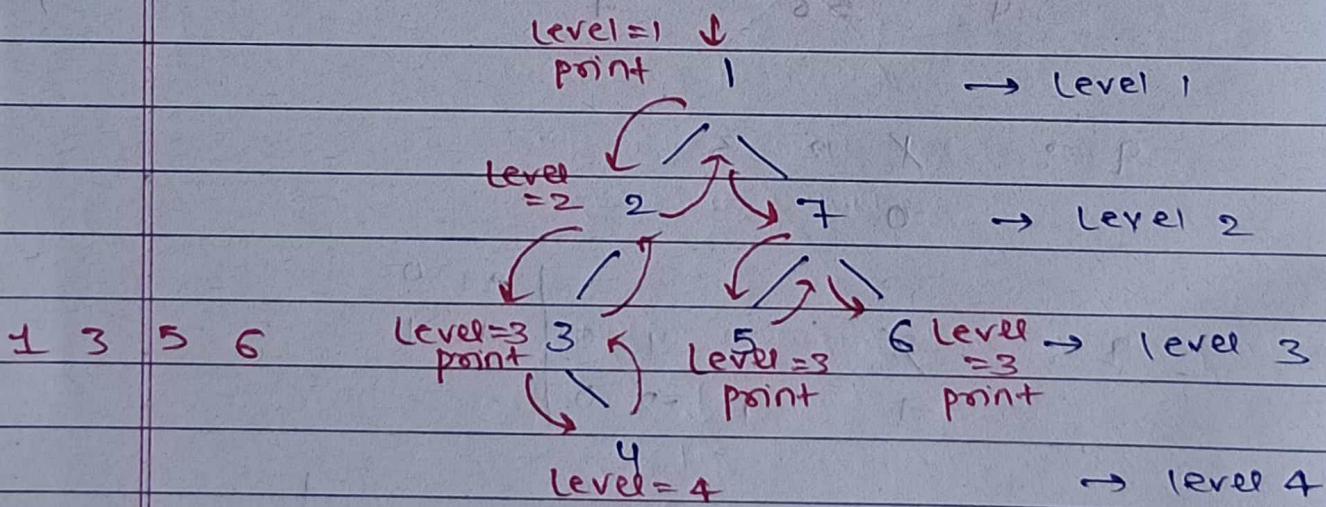
(Tree problem - easy & medium)

① Number of odd levels :



In this we use ~~level~~<sup>pre</sup> order traversal.

Check at Every Node, that we are present on which level.



Take a variable level and keep record of pointer that it is at which level.

Code:

```
Void preorder (Node* root, vector <Node*> &ans, int level) {
    if (root == NULL)
        return;

    if (level % 2 == 1)
        ans.push_back (root);

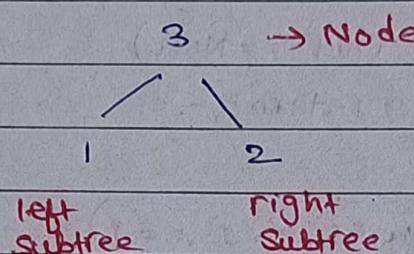
    preorder (root->left, ans, level + 1);
    preorder (root->right, ans, level + 1);
}
```

```
Vector <Node*> nodesAtOddLevels (Node *root) {
    vector <Node*> ans;
    int level = 1;
    preorder (root, ans, level);
    return ans;
}
```

Problem 28

Sum tree ?

Return true, if      Node = left subtree + right subtree.  
 Except leaf Node.

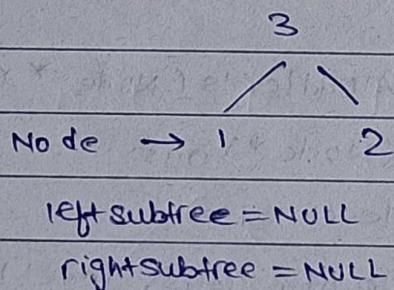
Ex :

$$3 = 1 + 2 \text{ (True)}$$

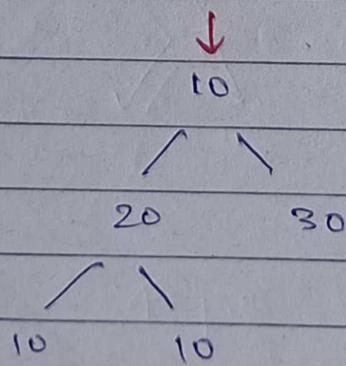
return.

Node? Don't care about leaf Node.

Because it always gives false.



$$\text{NULL} + \text{NULL} ! = 1 \text{ (false)}.$$



```

if (root == NULL) {
    return 0;
}

if (root->left == NULL && root->right == NULL) {
    return root->data;
}

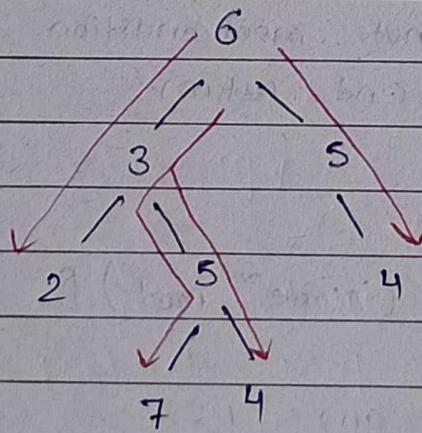
int left = sumTree (root->left, ans);
int right = sumTree (root->right, ans);

if (left + right != root->data)
    ans = 0;

return root->data + left + right;
}

```

Problem 3 : Root to leaf paths sum ?



4 path from root to leaf

632

6357

6354

654

$$\text{ans} = 632 + 6357 + 6354 + 654$$

Teacher's Signature.....

Path:

$$6 \rightarrow 3 \rightarrow 2 \rightarrow 632$$

$$6 \rightarrow 3 \rightarrow 5 \rightarrow 7 \rightarrow 6354$$

$$6 \rightarrow 3 \rightarrow 5 \rightarrow 4 \rightarrow 6357$$

$$6 \rightarrow 5 \rightarrow 4 \rightarrow 654$$

$$\text{Ans} = 632 + 6354 + 6357 + 654 \\ = 13997$$

How to solve?

Path 1: ↓num=6

$$\begin{array}{c}
 6 \\
 \swarrow \quad \downarrow \\
 3 \quad 63 \\
 \swarrow \quad \downarrow \\
 2 \quad 632
 \end{array}
 \begin{array}{l}
 \text{sum} = 0 \\
 \text{num} = \text{root} \rightarrow \text{data} \\
 \text{num} = 6 \\
 \text{num} = \text{num} \times 10 + \text{root} \rightarrow \text{left} \\
 = 6 \times 10 + 3 \\
 = 63
 \end{array}$$

$$63 \times 10 + 2$$

$$= 632$$

↳ Here we get 1st number from path 1.

add this to sum.

$$\text{sum} + \text{num}$$

$$\text{sum} = 632$$

Path 2:

↓num=6

$$\begin{array}{c}
 6 \\
 \swarrow \quad \downarrow \\
 3 \quad \text{num} = 6 \times 10 + 3 = 63
 \end{array}$$

$$\begin{array}{c}
 \swarrow \quad \downarrow \\
 5 \quad \text{num} = 63 \times 10 + 5 = 635
 \end{array}$$

$$\begin{array}{c}
 \swarrow \quad \downarrow \\
 7 \quad \text{num} = 635 \times 10 + 7 = 6357 \rightarrow 2^{\text{nd}} \text{ number}
 \end{array}$$

$$\text{sum} = \text{sum} + \text{num}$$

$$= 632 + 6357 = 6989$$

Teacher's Signature.....

Path 3:  $\downarrow \text{num} = 6$

$$\begin{array}{r} 6 \\ \swarrow \\ 3 \end{array} \quad 6 \times 10 + 3 = 63$$

$$\begin{array}{r} 63 \\ \swarrow \\ 5 \end{array} \quad 63 \times 10 + 5 = 635$$

$$\begin{array}{r} 635 \\ \swarrow \\ 4 \end{array} \quad 635 \times 10 + 4 = 6354$$

$$\text{num} = 6354$$

$$\text{sum} = \text{sum} + 6354$$

$$= 6989 + 6354$$

$$= 13343$$

Path 4:  $\downarrow \text{num} = 6$

$$\begin{array}{r} 6 \\ \swarrow \\ 5 \end{array} \quad 6 \times 10 + 5 = 65$$

$$\begin{array}{r} 65 \\ \swarrow \\ 4 \end{array} \quad 65 \times 10 + 4 = 654$$

$$\text{num} = 654$$

$$\text{sum} = \text{sum} + \text{num}$$

$$= 13344 + 654$$

$$= 13998$$

We move to all path from root to leaf

then return the sum.

At every step, we move either right or left.

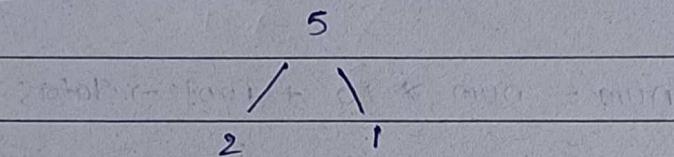
Code 8

```
Void findsum (Node *root, long long int &sum,  
              long long int num) {  
    if (root == NULL)  
        return;  
  
    num = num * 10 + root->data;  
  
    if (root->left == NULL && root->right == NULL) {  
        sum += num;  
        return;  
    }  
  
    findsum (root->left, sum, num);  
    findsum (root->right, sum, num);  
}
```

```
long long int treePathsum (Node *root) {  
    long long int sum = 0;  
    long long int num = 0;  
  
    findsum (root, sum, num);  
  
    return sum;  
}
```

## Problem 4 : Maximum difference between node and its ancestor

Example

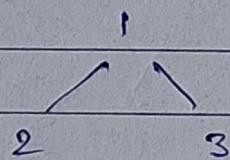


Ancestor of 5 = 2, 1

$$5 - 2 = 3$$

$$5 - 1 = \textcircled{4} \rightarrow \text{maximum.}$$

Example



7

Ancestor of 1 = 2, 3, 7

Ancestor of 3 = 7

There is no ancestor of 2, 7 (leaf node)

leaf Node on Acestor nahi nota ही,

$$1 - 2 = \textcircled{-1} \rightarrow \text{maximum (return)}$$

$$1 - 3 = -2$$

$$1 - 7 = -6$$

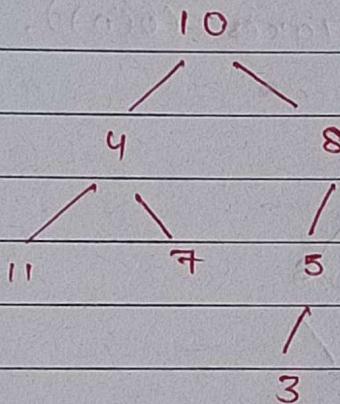
$$3 - 7 = -4$$

Initially

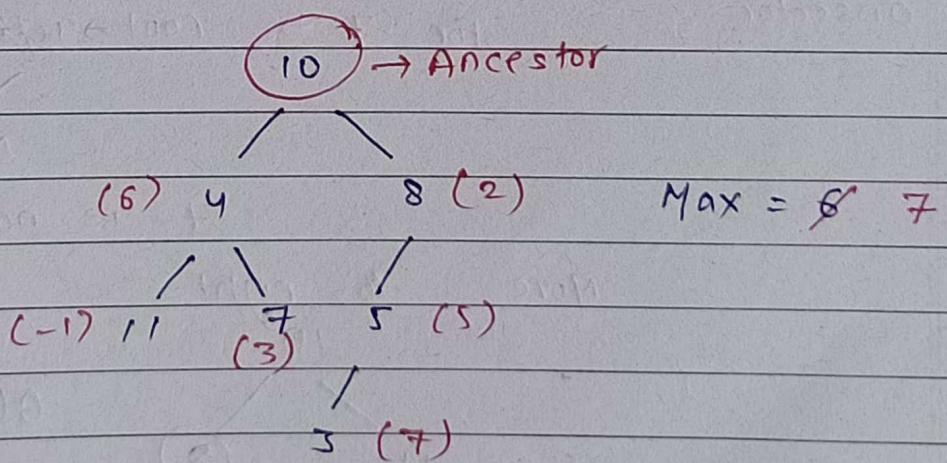
$\max = \text{Integer.MIN.}$

$A - B$   
 ✓      ↗  
 Ancestor      Descendant.

Example :



Ancestor of 10 : 4 11 7 8 5 3

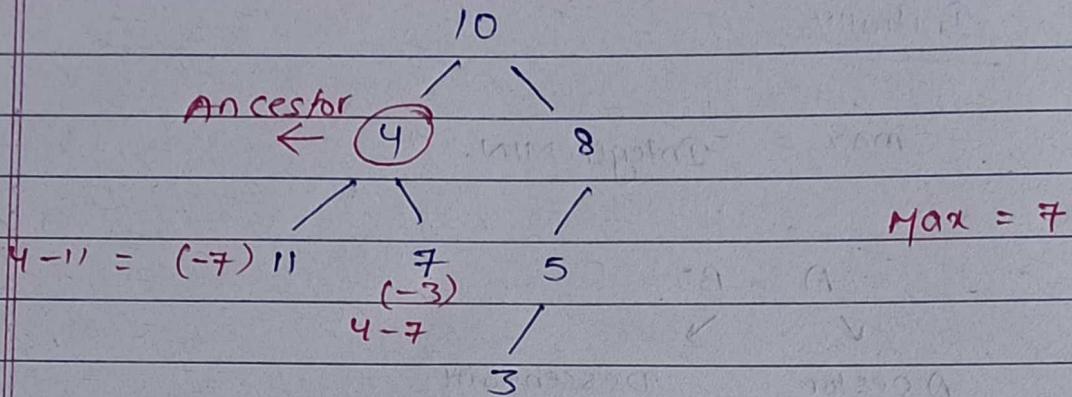


For 10 we check all possible value  
takes  $O(n)$  time.

But we have to check for all other.

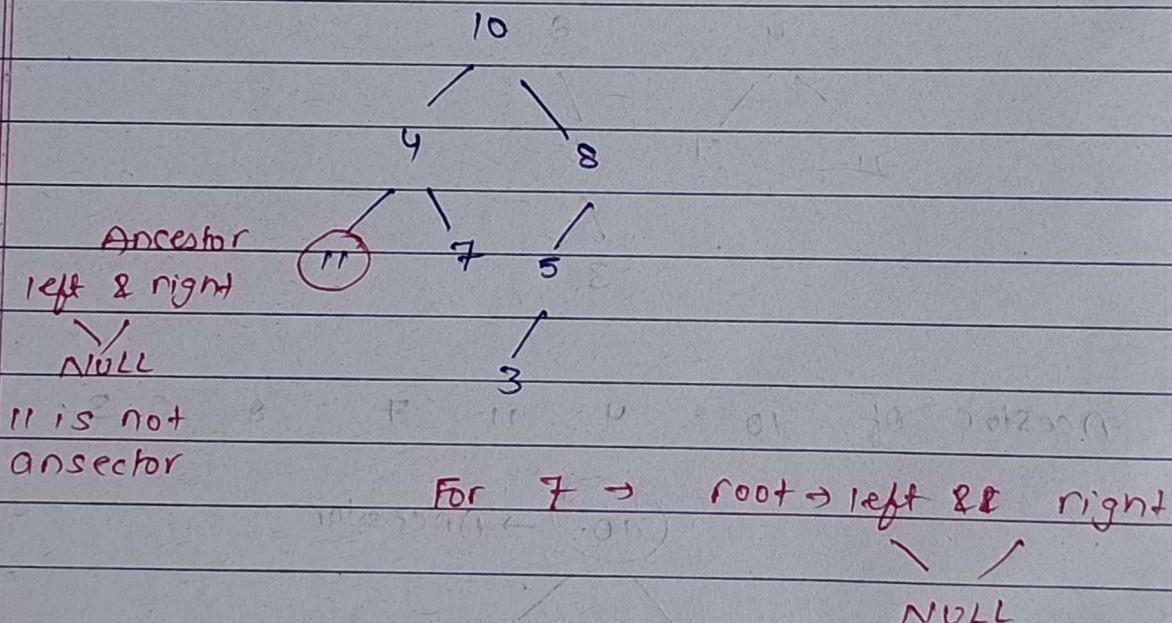
go to left.

Teacher's Signature.....

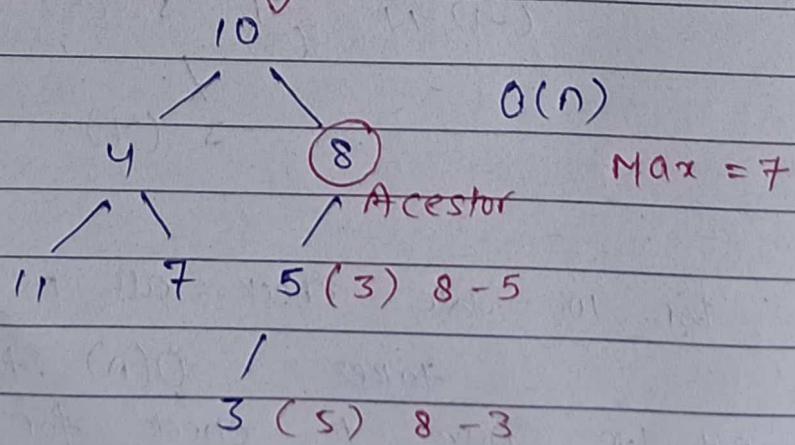


Ancestor of 4; 11, 7

Takes  $O(n)$ .



Move to right.



$$\Theta \text{ for } 8 = 5, 3$$

We check for 5 & 3 and Maximum  
we get:

$$\text{Max} = 7.$$

$$n * (n-1)$$

Time Complexity :  $O(n^2)$

↳

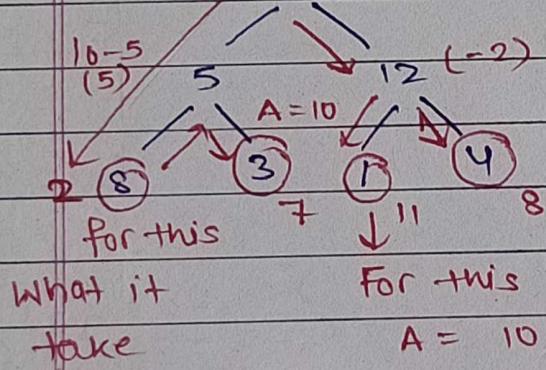
We check for every node  
and for every node we  
subtract every possible.

\* How we solve this in  $O(N)$ ?

$$A = 10$$

10

preorder



$$A - B \Rightarrow \text{Max}$$

↳ When A is  
big number.

$$\text{diff} = \emptyset \neq 15$$

Answ

What it  
take

For this

$$A = 10 \oplus 12$$

$$= 12 (\text{Max})$$

5 or 10

Max (A, root  $\rightarrow$  data)

$$(10 - 8 = 2) \rightarrow \text{Always false max.}$$

$$5 - 8 = -3$$

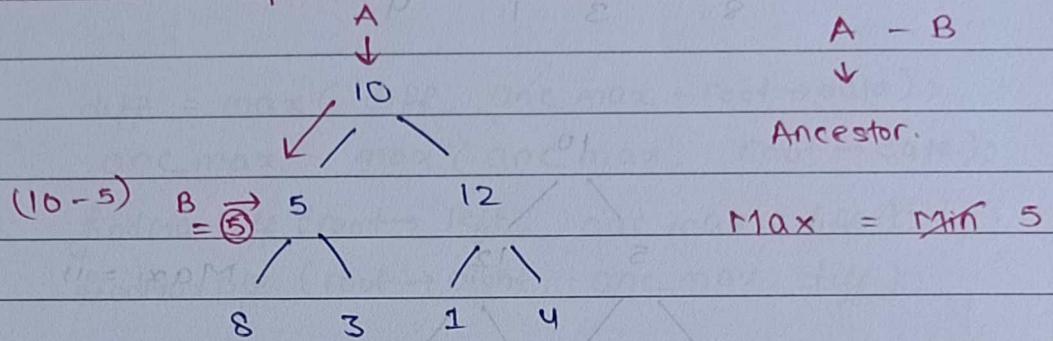
By this we can  
solve in  $O(N)$

problem 4 : Maximum difference between node and its ancestor ?

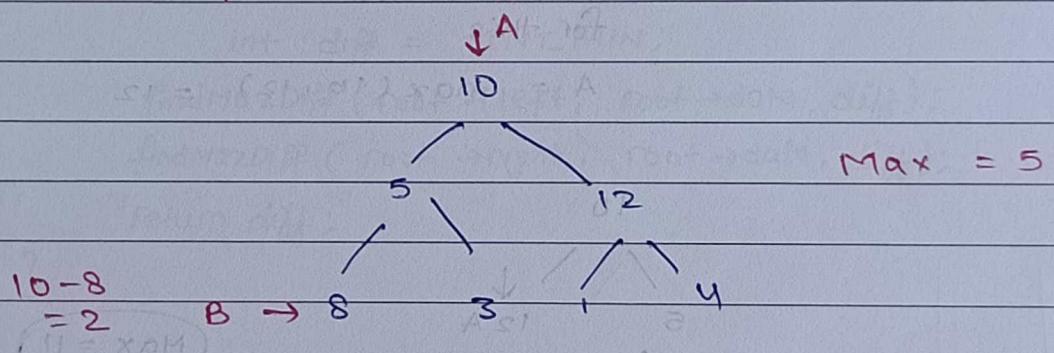
Approach 2 :

Optimal

$O(N)$



We use preorder traversal here.



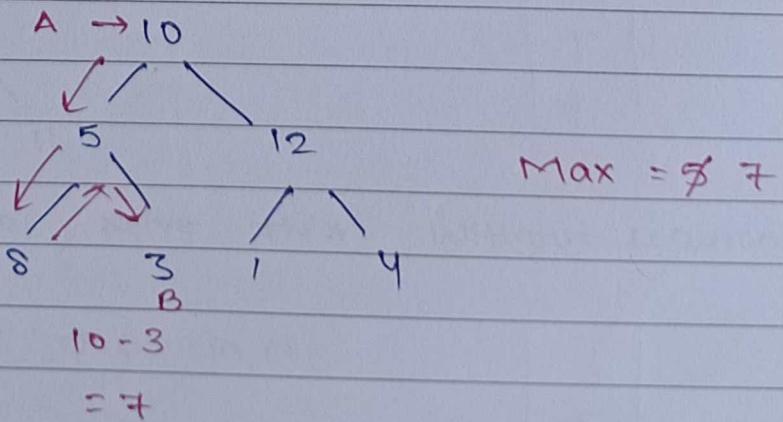
for 8 → which is Ancestor who give maximum value.

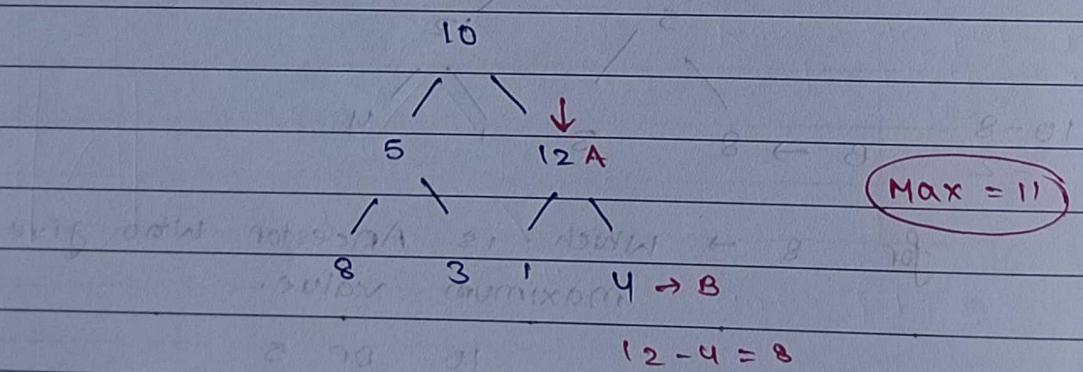
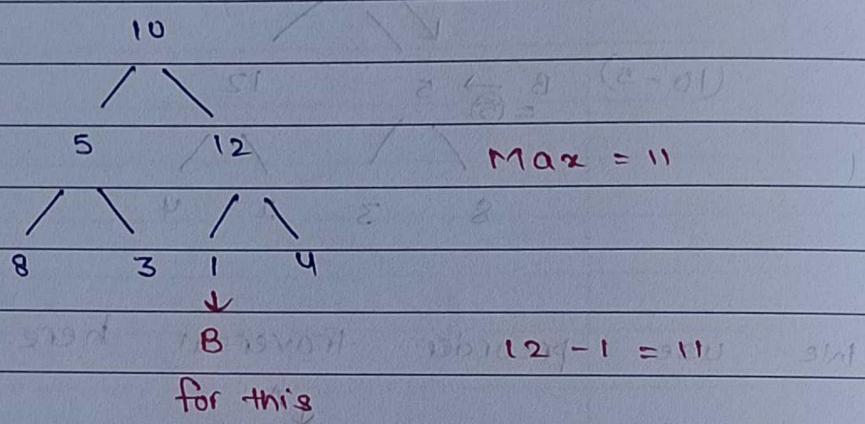
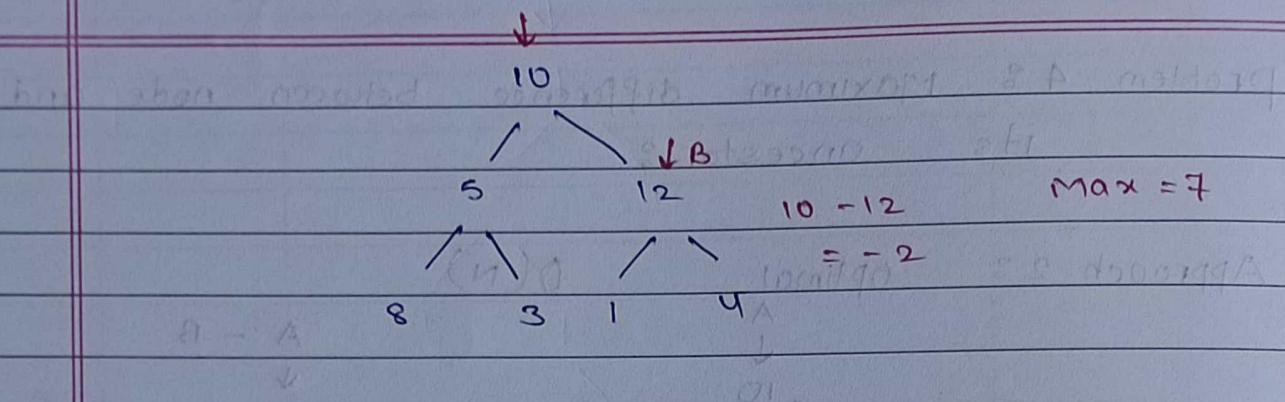
10 or 5

Bigger Number gives Max.

so, we take  $\max(A, \text{root} \rightarrow \text{data})$

$\text{Max} = A$





By this approach, we can solve  
in  $O(n)$  time.

Code:

```

void findMaxDiff ( Node *root, int anc_max, int &diff ) {
    if ( root == NULL )
        return;

    diff = max ( diff, anc_max - root->data );
    anc_max = max ( anc_max, root->data );
    findMaxDiff ( root->left, anc_max, diff );
    findMaxDiff ( root->right, anc_max, diff );
}

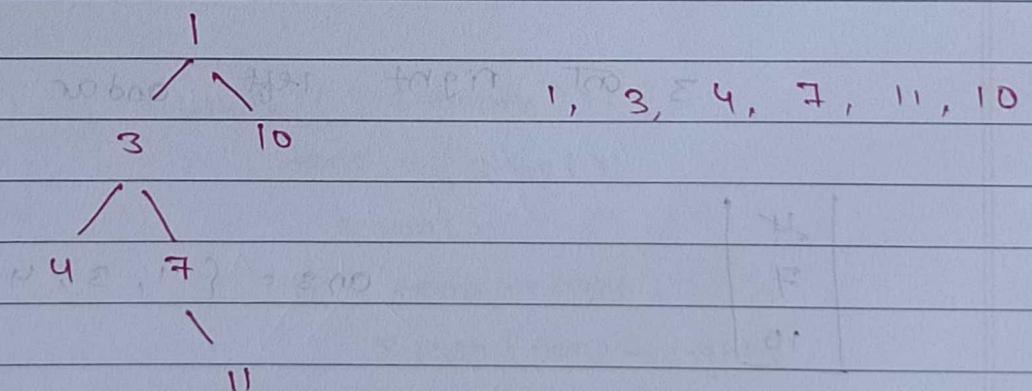
```

```

int maxDiff (Node * root) {
    int diff = INT_MIN;
    findMaxDiff (root->left, root->data, diff);
    findMaxDiff (root->right, root->data, diff);
    return diff;
}

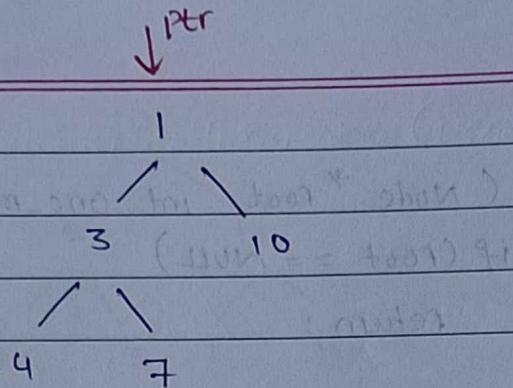
```

Problem 5 : preorder traversal (iterative)



We have to solve this without recursion.

so, we use static in it.



NLR

→ point 1      ans = {1, 2, 3, 4}

(gib, gibbe-topf 1731 + 1007) <http://www.bnf.fr>

(Hub, robot tour / the son ) ~~grooming~~

$\rightarrow$  3 10 Now we put right  
First then left

八  
四

NOW we put right  
first then left

$$\text{ans} = \{1, 3\}$$

3 on right left and at

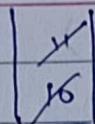
47  
10

$$\text{ans} = \{1, 3, 4\}$$

minimum fractionally on right & left andar sm

11  
X  
10

$$\text{ans} = \{1, 3, 4, 7\}$$



ans = {1, 3, 4, 7, 11, 10}

① root ko daal do stack me

② Jab tak stack khali nahi hota.

→ top ont point kro

→ pop one at top ont

→ top ke right ont stack me dalo

→ top ke left ont stack me dalo.

Code :

```
vector<int> preOrder (Node *root) {
```

```
    vector<int> ans;
```

```
    stack<Node*> s;
```

```
    s.push (root);
```

```
    Node * temp;
```

```
    while (!s.empty ()) {
```

```
        temp = s.top();
```

```
        s.pop();
```

```
        if (temp → right)
```

```
            s.push (temp → right);
```

```
        if (temp → left)
```

```
            s.push (temp → left);
```

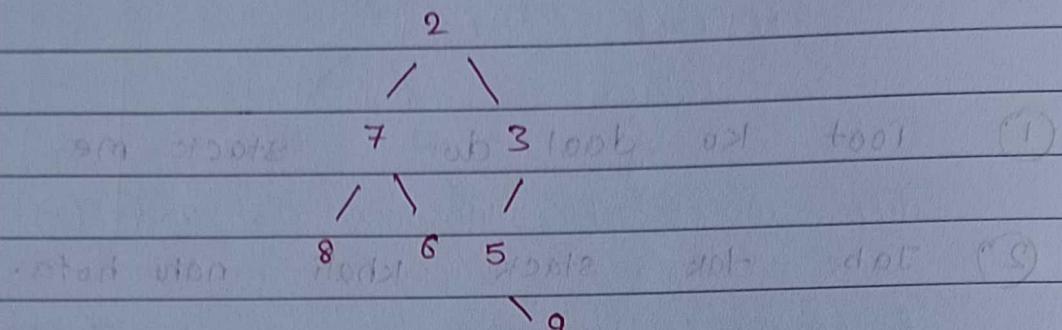
```
        ans.push_back (temp → data);
```

```
}
```

```
return ans;
```

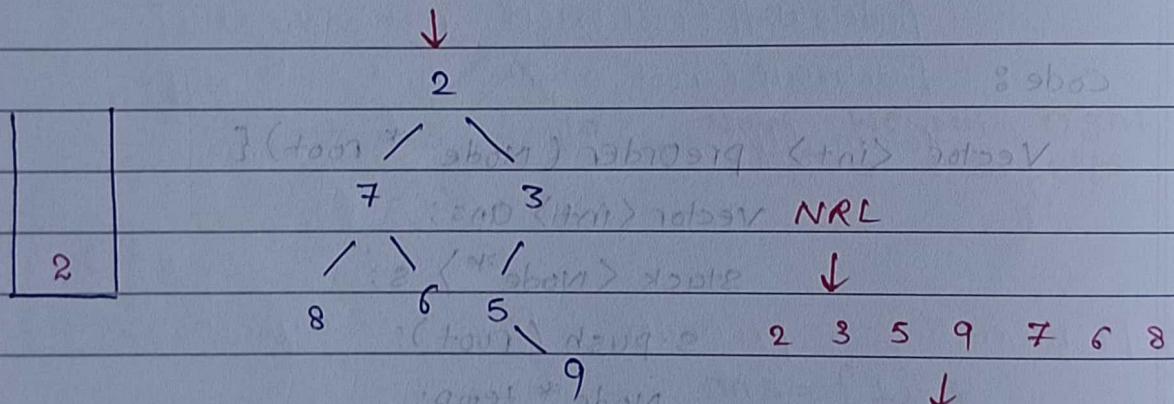
```
}
```

## problem 6 : postorder Traversal (iterative)



Not by recursion  
Not solve by stack.

Not by recursion  
Not solve by stack.



Ans: 8 6 7 9 5 3 2

So, here we solve by N.R.L.

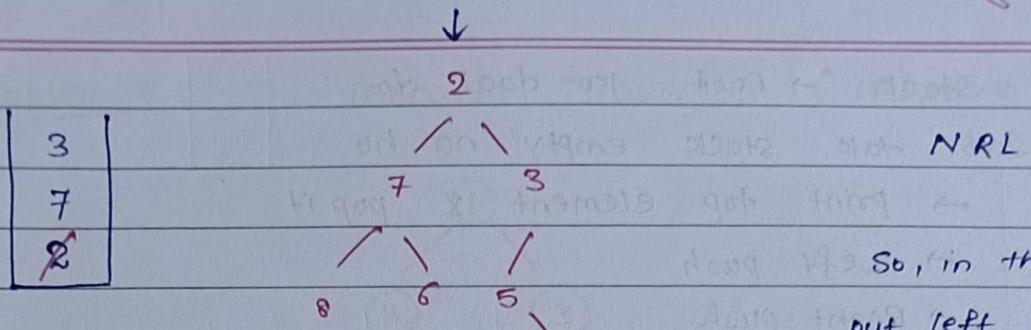
(opposite) depth

We want N first:

(leftmost) depth = 1

(middle) depth = 2

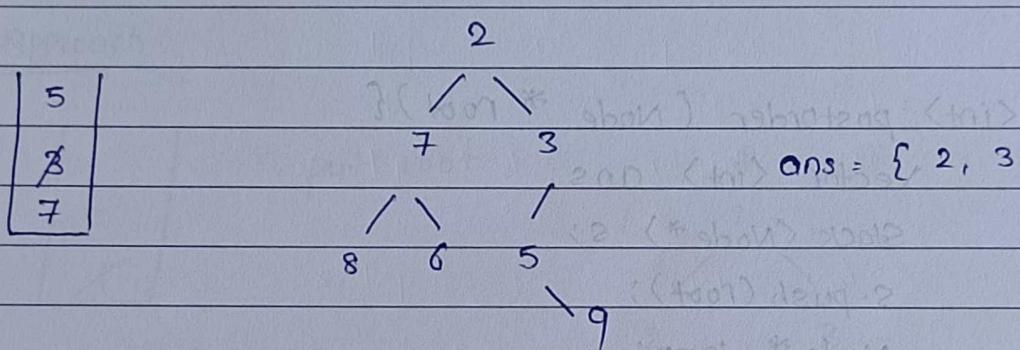
depth = 3



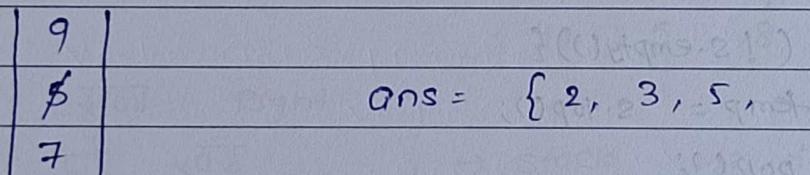
$$\text{ans} = \{ 2$$

NRL

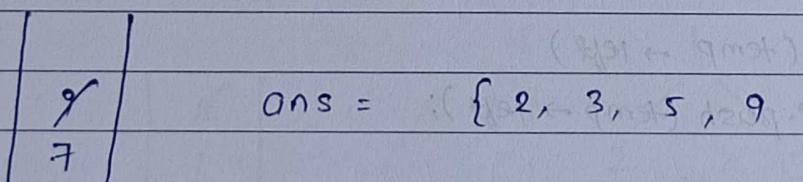
So, in this we  
put left part first  
in stack then we  
put right part.



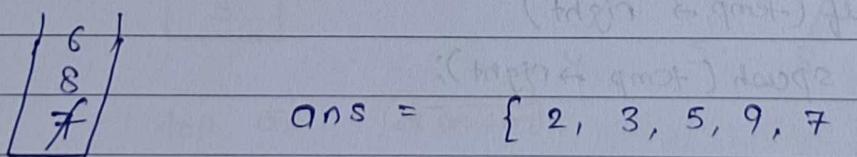
$$\text{ans} = \{ 2, 3$$



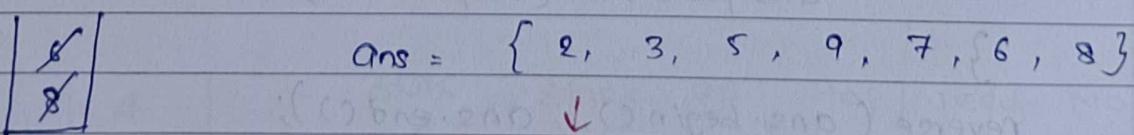
$$\text{ans} = \{ 2, 3, 5,$$



$$\text{ans} = \{ 2, 3, 5, 9$$



$$\text{ans} = \{ 2, 3, 5, 9, 7$$



$$\text{ans} = \{ 2, 3, 5, 7, 9, 6, 8 \}$$

reverse

8 6 7 9 5 3 2

↳ required answer.

- (1) stack  $\rightarrow$  root lco daal do
- (2) Jab tak stack empty na ho
  - $\rightarrow$  print top element & pop it
  - $\rightarrow$  Left push
  - $\rightarrow$  Right push.
- (3) Reverse the answer.

Code :

```
vector<int> postorder (Node *root) {
```

```
    vector<int> ans;
```

```
    stack<Node*> s;
```

```
    s.push(root);
```

```
    Node *temp;
```

```
    while (!s.empty()) {
```

```
        temp = s.top();
```

```
        s.pop();
```

```
        if (temp  $\rightarrow$  left)
```

```
            s.push(temp  $\rightarrow$  left);
```

```
        if (temp  $\rightarrow$  right)
```

```
            s.push(temp  $\rightarrow$  right);
```

```
        ans.push_back(temp  $\rightarrow$  data);
```

```
}
```

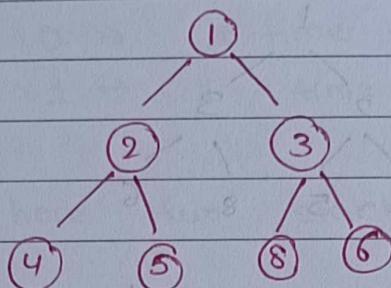
```
    reverse (ans.begin(), ans.end());
```

```
    return ans;
```

```
}
```

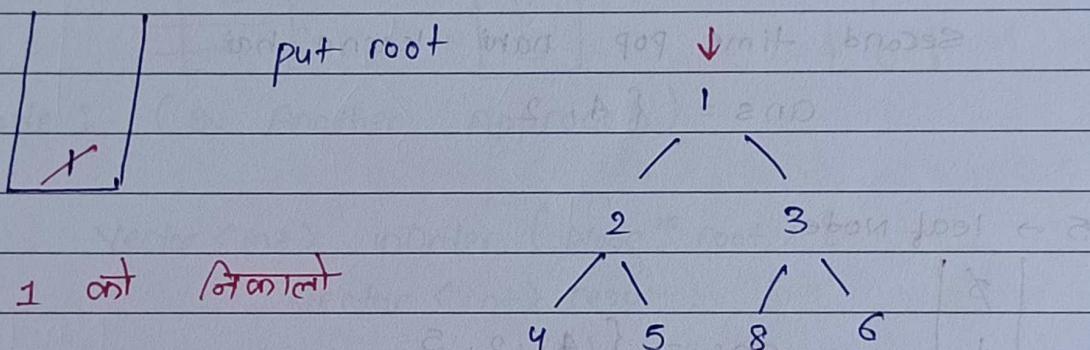
### problem 7:

## Inorder Traversal (Iterative)

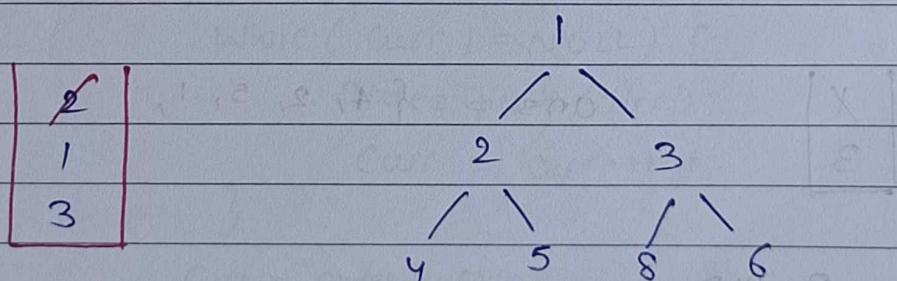


4 2 5 1 8 3 6

## Approach

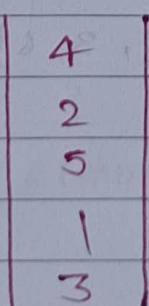


3x3x3      Right      }  
at    5x5      } → stack      Mr dallo  
3x3x3      left      }



top on / on / on /

Right, at दूसरे, left }  $\rightarrow$  stack में साले।

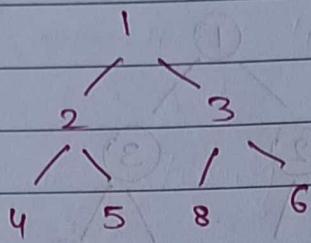


उपर stack का top leaf Node  
दौड़ा तो उसका point कर  
दूर |

`s.top() ->right == NULL && s.top() ->left`

$$\text{Ans} = \{ 4 \}$$

2
5
1
3



अब stack को top पर एक pop हो जाए  
जिस से push के तृप्ति हो जाए  
ब्रेंथ point को को pop कर दें।

Second time pop नहीं करा जाएगा।

$$\text{Ans} = \{ 4, 2 \}$$

5 → leaf Node

5
1
3

$$\text{Ans} = \{ 4, 2, 5 \}$$

1 → यहाँ से चुका हो।

X
3

$$\text{Ans} = \{ 4, 2, 5, 1, \}$$

3 pop

(right, self, left) → push

8
8
8

$$\text{Ans} = \{ 4, 2, 5, 1, 8, 3, 6 \}$$

8 → leaf

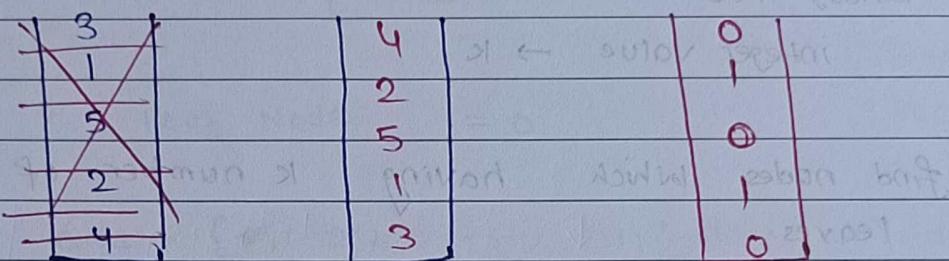
3 → यहाँ से चुका हो।

6 → leaf

$$\text{ans} = \{ 4, 2, 5, 1, 8, 3, 6 \}$$

( 0 → 0 time popped  
 1 → 1 time popped.)

We made here two stack



Code : (By Another Approach)

```

vector<int> inOrder ( Node* root ) {
    vector<int> result;
    stack<Node*> nodes;

    Node* curr = root;
    while ( curr != NULL || !nodes.empty() ) {
        while ( curr != NULL ) {
            nodes.push ( curr );
            curr = curr->left;
        }
        curr = nodes.top();
        nodes.pop();

        result.push_back ( curr->data );
        curr = curr->right;
    }
    return result;
}
  
```