

## Lecture - 39

### (Queue problems)

problem :- 1 → Circular Tour

→ A circle

→ N petrol pump on the circle

You have two array:

1) Amount of petrol that every petrol pump has.

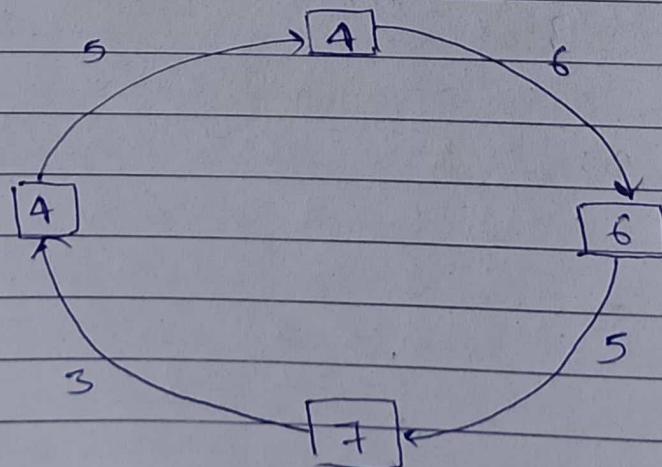
2) Distance from that petrol pump to next petrol pump.

1 litre petrol → 1 unit of distance

→  $N = 4$

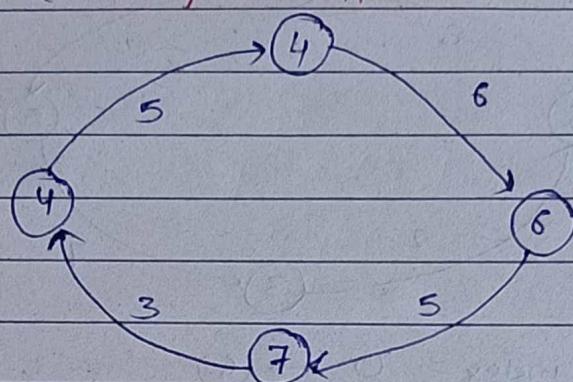
Petrol : 4 3 6 7 4

Distance : 6 5 3 5

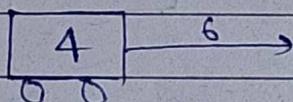


Return the point where it can start and complete all the petrol pump.  
otherwise return -1.

Approach 1 (Brute force Approach)

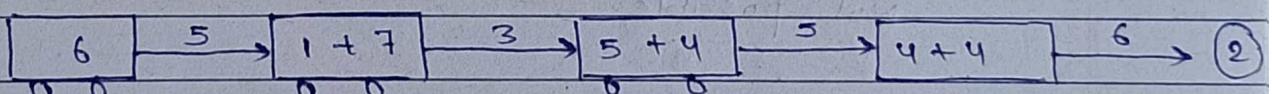


Start With index  $\rightarrow 0$  (4) X



With 4 litre of petrol we can't cover 6 unit distance  
Not possible

Start with index  $\rightarrow 1$  (6)

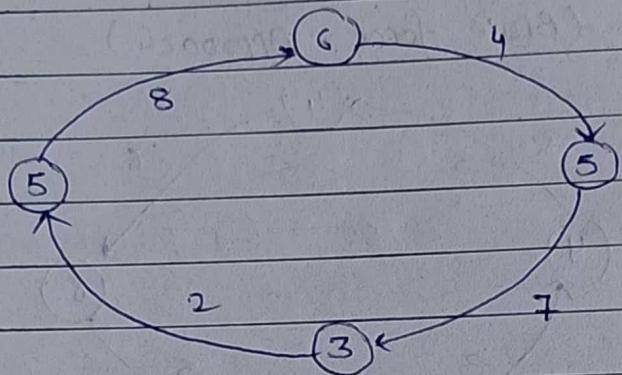


When We Start from index 1 where 6 litre of petrol, then We can traverse full circle.

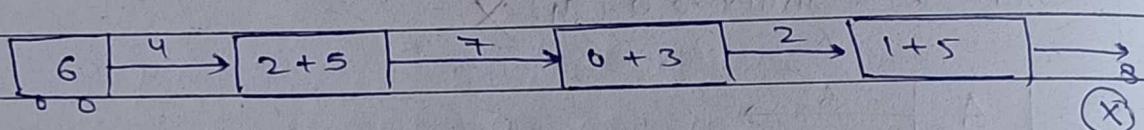
return (1) index.

Example - 2 :

pebno	6	5	3	5
Distance	4	7	2	8

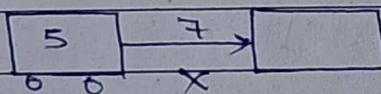


Start With index 0  $\rightarrow (6)$



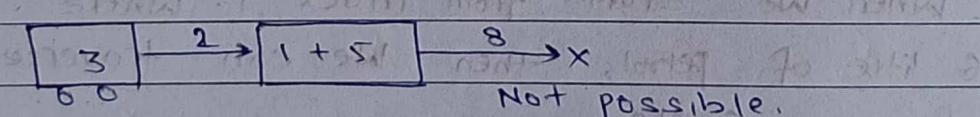
Start With index 1  $\rightarrow (8)$

Not possible



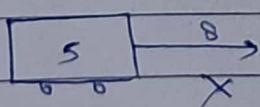
Not possible

Start With index 2  $\rightarrow (3)$



Not possible.

Start With index 3  $\rightarrow (5)$



Not Possible

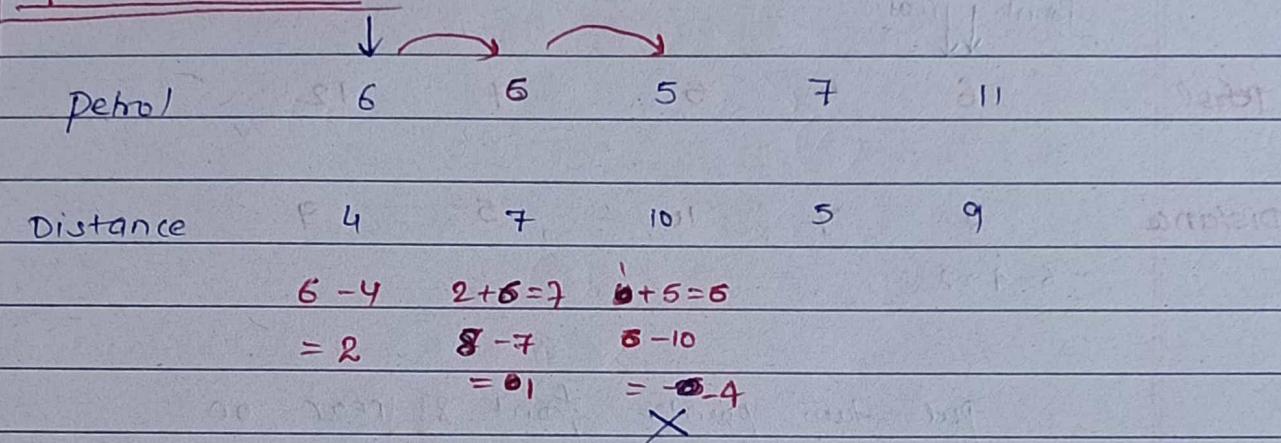
return -1

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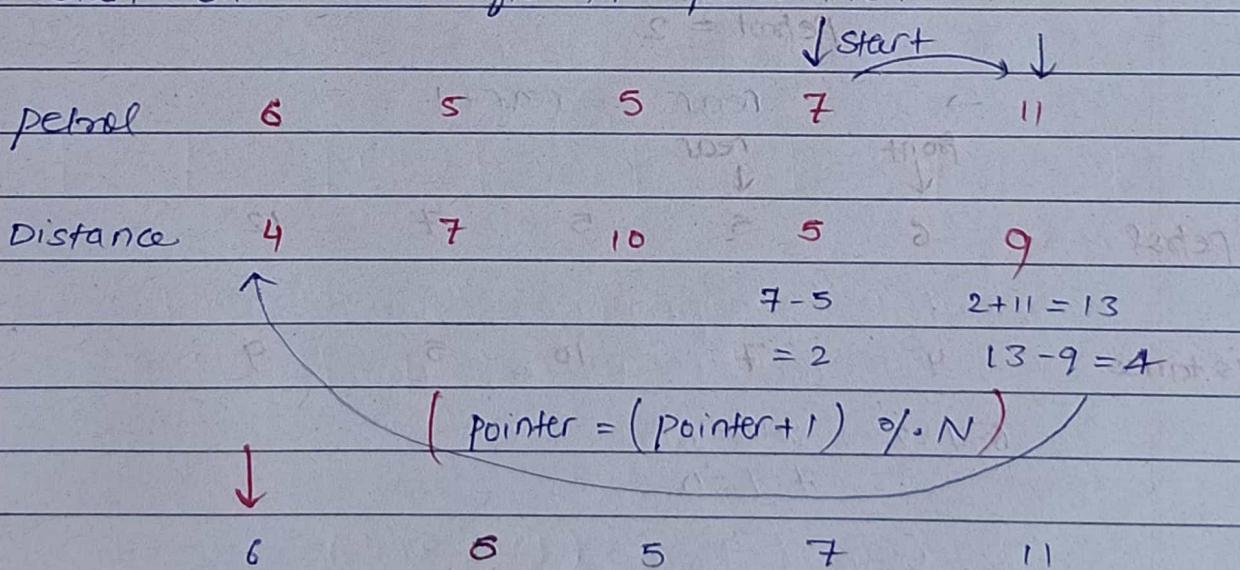
In this approach we check from all petrol pump and go to all other petrol pump.

$$T.C = O(n^2)$$

### Optimal Solution



The next starting index is where we fail, we start one index after the failed index.



[last]  $\rightarrow$  [next] + last = total

	4	7	10	5	9
$4+6=10$	$6+5=11$	$5+5=10$			
$10-4=6$	$12-7=5$	$10-10=0$			

In this case we reached all petrol pump if we start from index 3.

$$T.C = O(n)$$

### Implementation:

	Point ↓	rear
Petrol	6	5

Distance	4	7	10	5	9
	6-4=2				

put two pointer front & rear on index 0 of petrol.

~~check  $\text{petrol}[i] + \text{petrol}[j]$~~   
 $\rightarrow$  check  $\text{petrol}[0] - \text{Distance}[0] > 0$   
 $\text{Petrol} = 2$

	front	rear	= rear + 1
Petrol	6	5	5

Distance	4	7	10	5	9
	6-4=2	2+5=7			
		7-7=0			

$$\text{Petrol} = \text{petrol} + \text{petrol}[r] - \text{Distance}[r];$$

$$\text{Petrol} = 0$$

$$(0 >= 0)$$

rear++

Teacher's Signature.....

	front	front	rear	rear	front
petrol	6	5	5	7	12
oil	1	1	1	1	1

Distance 4 7 10 5 9

$$2 \quad 0 \quad 0+5=5$$

5-10

$$= -5$$

$(-5 < 0) \rightarrow \text{front} = \text{rear} + 1;$   
 $\text{rear} = \text{front};$

petrol 6 5 5 7 12

Distance 4 7 10 5 9

4-5

= 2

$$\text{petrol} = (2 > 0) \text{ w}$$

~~reas + +~~

$\downarrow$  front       $\downarrow$  rear

6        5        5        7        12

$$\begin{array}{r} 4 & 7 & 10 & 5 & 9 \\ \hline & & & 2 & 2+12=14 \\ & & & & 14-9=5 \end{array}$$

$$p_{\text{ethanol}} = 5 > 0$$

real++;

Diagram illustrating a circular queue with 6 elements. The front pointer is at index 5 and the rear pointer is at index 7. The formula  $\text{rear} = (\text{rear} + 1) \% n$  is shown.

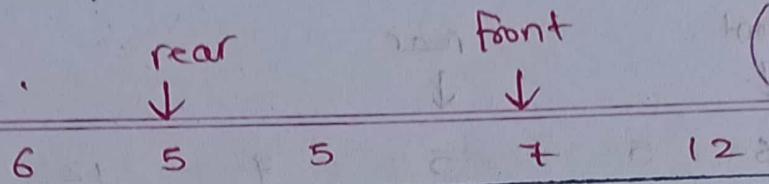
4              7              10              5              9

$$5+6=11$$

$$11 - 4 = 7$$

petrol = 7 > 0 rear++;

$\text{rear} = (\text{rear} + 1) \% n$  • Teacher's Signature...



4 7 10 5 7 9

$$7 \quad 7+5 \\ = 12 \\ 12 - 7 = 5$$

$5 > 0$  rear++;

↓ rear ↓ front

6 5 (5) > 7 12

4 7 10 5 9

$$5 \quad 5+5=10$$

$$10-10 \\ = 0$$

$0 >= 0$  rear++;

↓ rear ↓ front

6 5 5 7 12

4 7 10 5 9

(front == rear)

return front;

Code:

```
int tour (petrolpump p[], int n) {
    int front = 0, rear = 0;
    int petrol = 0;
```

while (front < n) {

petrol += p[rear].petrol - p[rear].distance;

if (petrol < 0) {

if (rear < front)

return -1;

```

petrol = 0;
front = rear + 1;
rear = front;
}

else {
    rear = (rear + 1) % n;
    if (front == rear)
        return front;
}

return -1;
}

```

### Approach 3:

↓

petrol	6	5	5	7	12
--------	---	---	---	---	----

Distance	4	7	10	5	9
	6-4	2+5-7	0+5-10	0+7-5	2+12-9
	=2	=0	=-5	=2	=5

Deficit :

Balance :	X	0	-50	X	5
-----------	---	---	-----	---	---

At last we check

$$\text{balance} + \text{deficit} \geq 0$$

↳ true

↳ then return start

↳ false

↳ return -1

~~Start step 4<sup>th</sup> at balance 0 & on 2<sup>nd</sup> point on  
station 2<sup>nd</sup> can 3<sup>rd</sup>) start on point on~~

Code :

```
int deficit = 0, balance = 0, start = 0;
```

```
for (int i = 0; i < n; i++) {
    balance += p[i].petrol - p[i].distance;
    if (balance < 0) {
        deficit += balance;
        balance = 0;
        start = i + 1;
    }
}
```

```
if (balance + deficit >= 0)
    return start;
```

```
return -1;
```

```
}
```

## Dequeue

updated Version of Queue

push and pop from both side.

### Dequeue operation:

dequeue <int> d;

d.push-back(9);

d.push-front(11);

d.pop-back();

d.pop-front();

d.front(); → for getting element.

d.back();

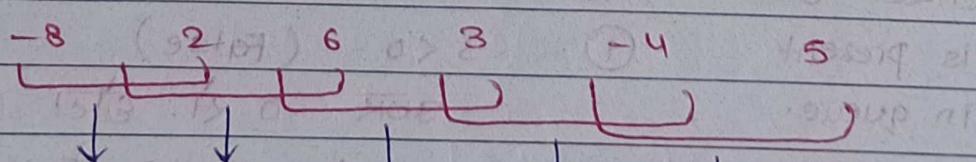
problem 2: First Negative Integer in every window of size K.

N = 5

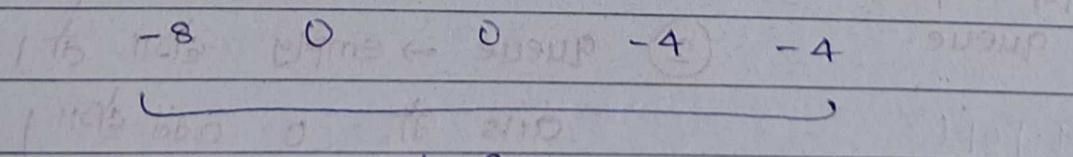
A[] = {-8, 2, 6, 3, -4, 5}

K=2

↳ window size



O(n \* k)



return

Teacher's Signature.....

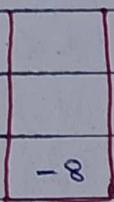
Better Approach

SIZE = 8

(K=3)

-8      2      6      3      -7      -11      13      14

from the 1st Window

put all the negative number  
in ~~stack~~ queue.so for 1st window  $\rightarrow$  1st Negative isq.front()      ~~push back~~  
 $\hookrightarrow$  -8

Ans: -8

Size of Ans = Size of A[J] - K + 1

$$= 8 - 3 + 1$$

$$= 6$$

 $\hookrightarrow$  6 Window possible.

From 2nd Window:

$\rightarrow$  -8      2      6      3      -7      -11      13      14

$\downarrow$   
check -8

is present  
in queue..

Pop it from  
queue.

q.pop()

$\downarrow$   
3

①

$3 < 0$  (False)

ANS 0 से दोहरा होगा

②

to queue में push कर दिया

queue  $\rightarrow$  empty होगा तो,

ANS में 0 add होगा।

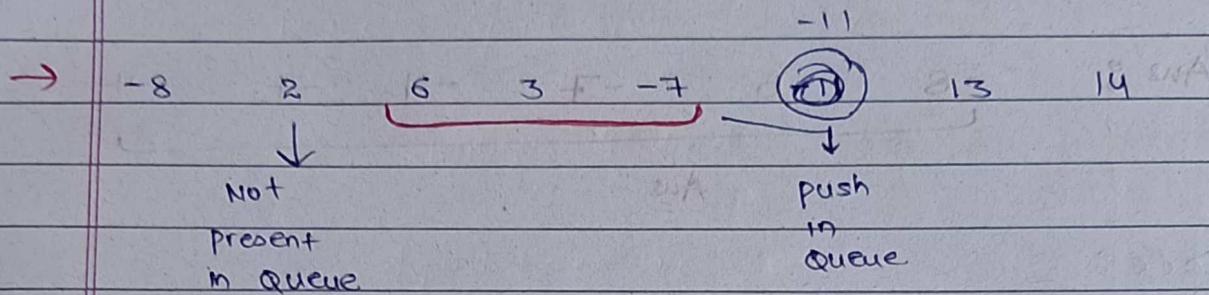
Teacher's Signature.....

(3) q.empty() की तरीके से क्या होता है?

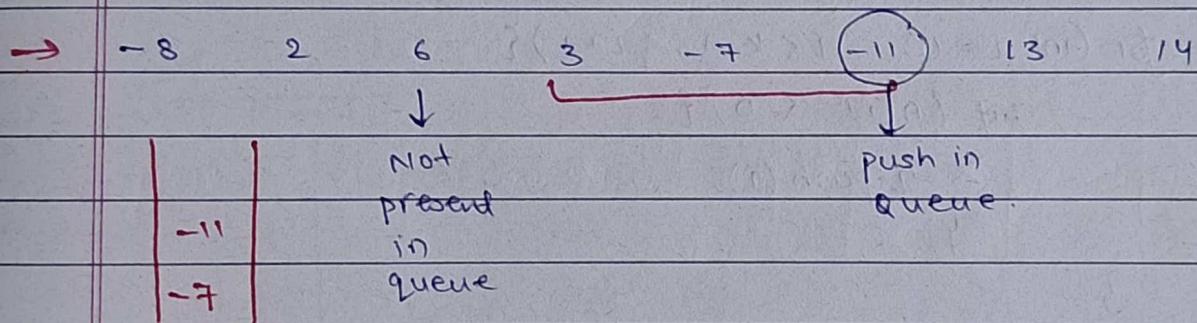
Ans की q.push\_back

q.front() को push करो।

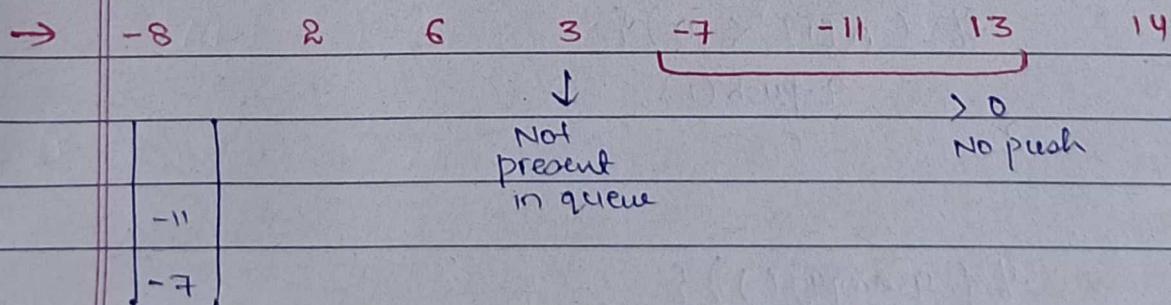
Ans: -8 0



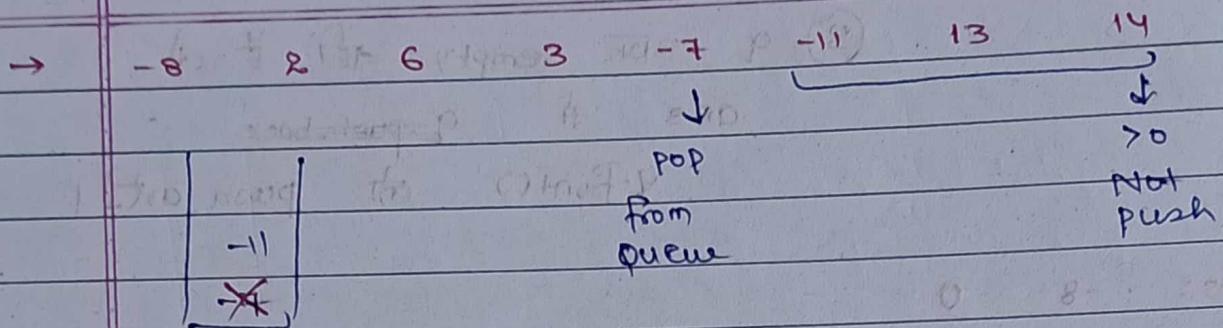
Ans: -8 0 -7  
(q.front())



Ans: -8 0 -7 -7



Ans: -8 0 -7 -7 -7



Ans :  $-8 \quad 6 \quad -7 \quad -7 \quad -7 \quad -11$

Code :

```
vector<long long int> ans;
vector<long long int> q;

for (int i = 0; i < k - 1; i++) {
    if (A[i] < 0) {
        q.push(i);
    }
}
```

```
for (int i = k - 1; i < N; i++) {
    if (A[i] < 0) {
        q.push(i);
    }
}
```

```
if (q.empty()) {
    ans.push_back(0);
}
```

```
else {
    ans.push_back(A[q.front()]);
}
```

```

if (!q.empty()) && q.front() <= i - k + 1) {
    q.pop();
}
}

return ans;
}

```

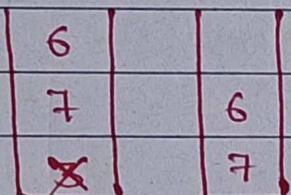
### problem 3: Sliding Window Maximum (interviewBit)

3 7 6 8 11 5 -2 4

Find Maximum from Window

$$k = 3$$

→ 3 7 6 8 11 5 -2 4



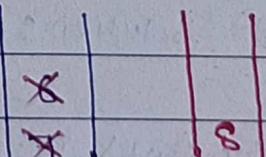
$$\text{Max} = 7$$

Ans:

→ 3 7 6 8 11 5 -2 4

↓  
Not present  
in Queue

↓  
greater  
than 6  
 $8 > 7$

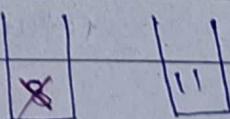


Ans: 7 8

→ 3 7 6 8 11 5 -2 4

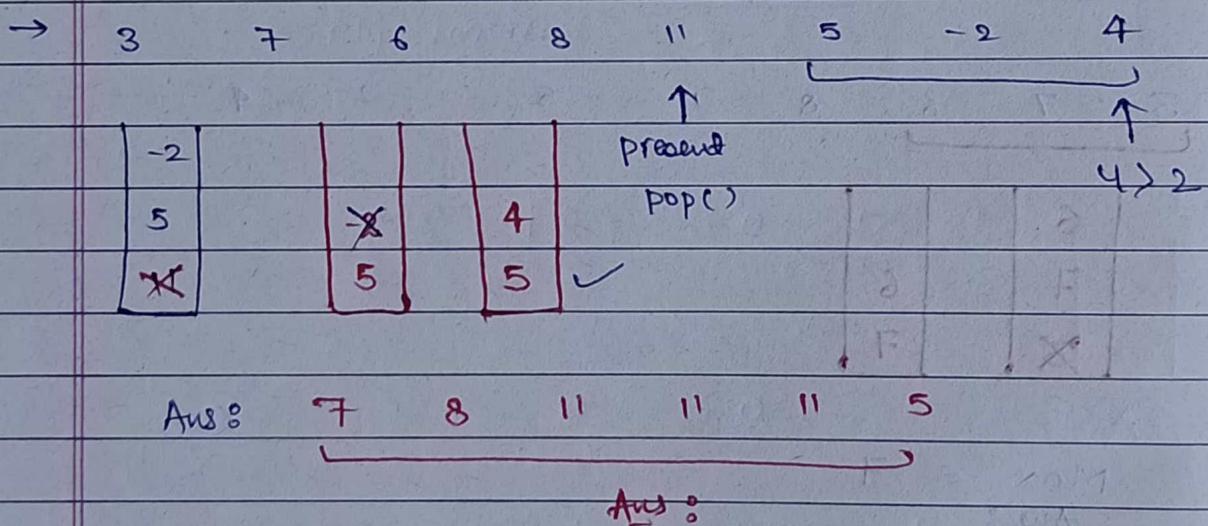
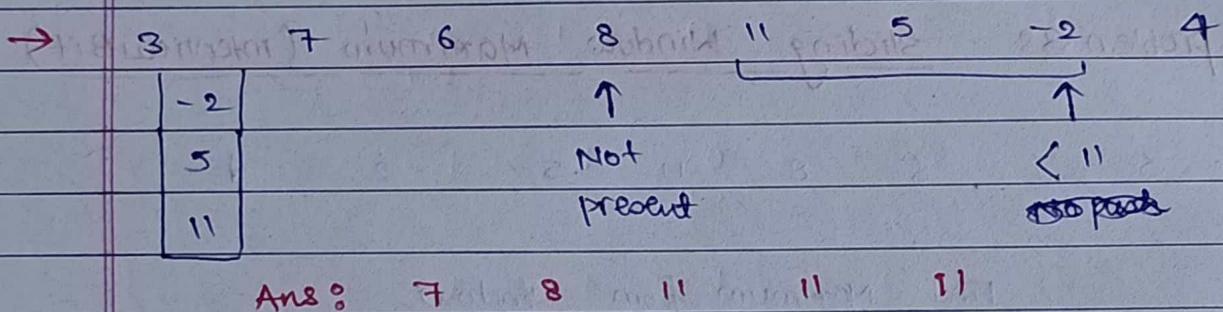
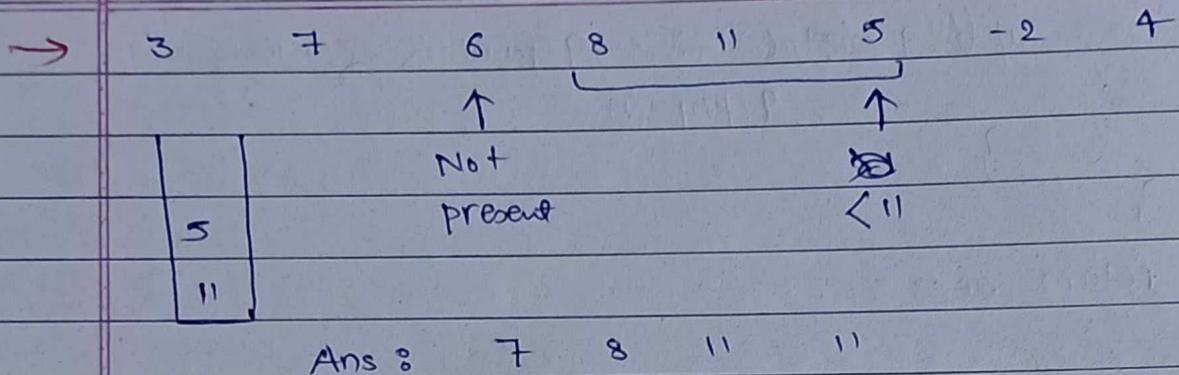
↓  
Not present

↓  
 $> 8$



Ans: 7 8 11

Teacher's Signature.....



Code :

vector<int> Solution :: slidingMaximum ( const vector<int>& A,

int B) {

vector<int> v;

if (A.size() == 0)

return v;

dequeue <int> d;

```
int i=0, n=A.size();  
for(i=0; i<n && i<B; i++) {  
    while (d.size() && A[d.back()] < A[i])  
        d.pop_back();  
    d.push_back(i);  
}  
v.push_back(A[d.front()]);  
if (B >= A.size())  
    return v;  
  
for ( ; i<n; i++) {  
    if ((i-B) == d.front())  
        d.pop_front();  
  
    while (d.size() && A[d.back()] < A[i])  
        d.pop_back();  
    d.push_back(i);  
    v.push_back(A[d.front()]);  
}  
return v;  
}
```

Problem 48 Minimum Number of k consecutive Bit Flips

Example :  $\text{nums} = [0, 1, 0]$

$k = 1$

0 1 0

1 1 0

1 1 1

Flip required = 2

Example :

$\text{num} = [0, 1, 0, 0, 1, 1, 0, 1]$

$k = 3$

0 1 0 0 1 0 1

1 0 1 0 1 0 1

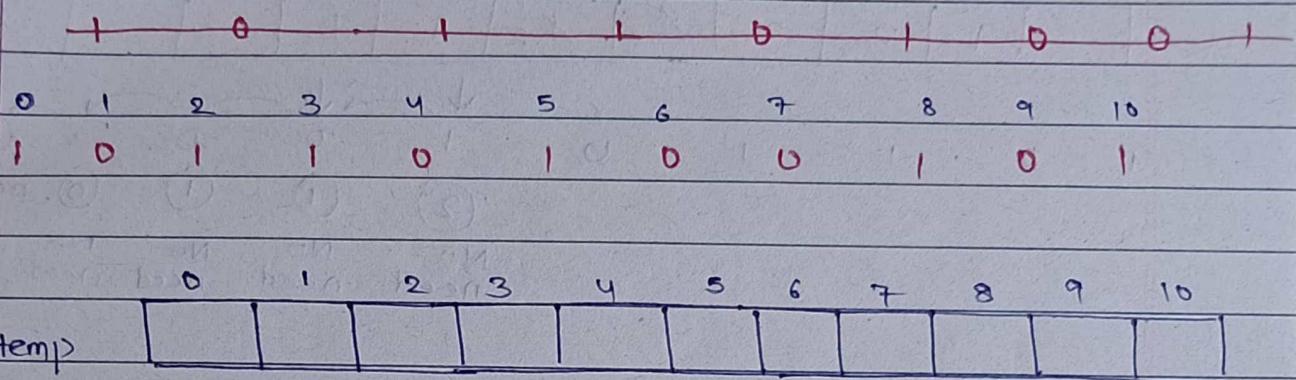
1 1 0 1 1 0 1

1 1 1 0 0 0 1

1 1 1 1 1 1 1

Flip required = 4

Find zero → पहले zero find करना तो flip  
माना है।



find the zero

Take subarray of size 10.

→ 10-size subarray return -1

→ flip every bit.

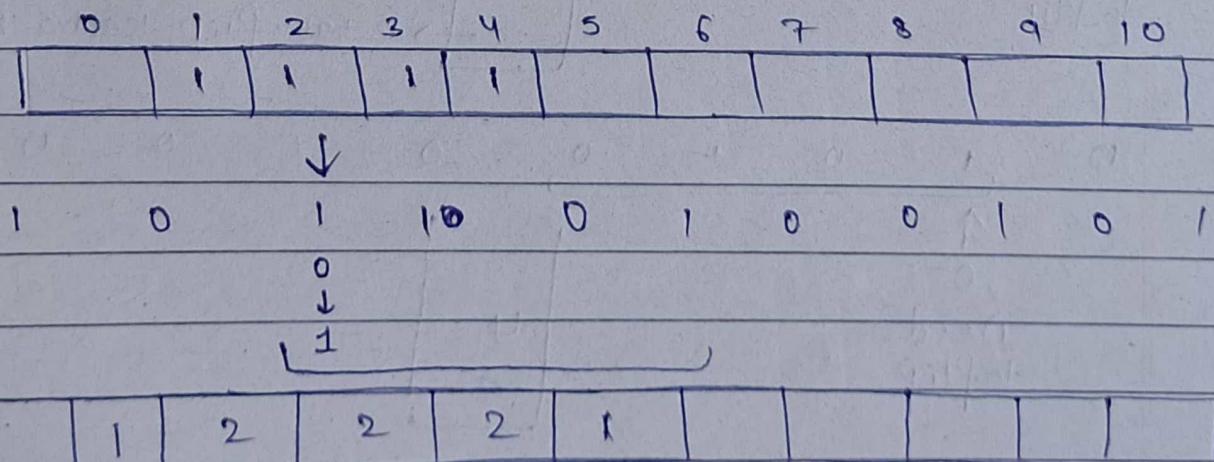


1 0 1 1 0 1 0 0 1 0 1  
flip

with this

whole subarray

can flip



↓  
1 0 1 1 0 1 0 0 0 1 0 1  
② ②

NO need      needed

	0	1	2	3	4	5	6	7	8	9	10
	1	2	2	$\frac{1}{3}$	$\frac{1}{2}$	1	1	0	1	1	

↓      ↓      ↓      ↓  
 1 0 1 0 1 0 1 0  
 (2)    (1)    (1)    (0)    need  
 No      No      No      No  
 need    need    need    need

	1	2	2	3	2	1	1				
--	---	---	---	---	---	---	---	--	--	--	--

1 0 1 1 0 1 1 0 1 0 1  
Not possible.

return -1

Next Approach (Queue)

0 1 2 3 4 5 6 7 8

0 1 0 1 0 0 1 0 0

14

Need

to flip

$\rightarrow$  3 tak flip karha hai

0 . 1 0 1 0 0 + 1 0 0

1

need  
to flip

61

2 3 4 5

0 1 0 1 0 0 1 0 0

↑  
 (2)  
 need

3 4 5

3 4 5 6  
0 1 0 1 0 0 1 0 0

↑  
 (3)  
 need

3 4 5 6

4 5 6 7  
0 1 0 1 0 0 1 0 0

↑  
 POP(3)

(3)

POP(fop)

NO  
↑  
need

4 5 6

5 6 7 8  
0 1 0 1 0 0 1 0 0

4 popped      ①  
needed

5 6 7

1 1 1 1 1 1 1 1 1