Time Series

May 9, 2021

```
[1]: import pandas as pd
      import numpy as np
      import matplotlib.pyplot as plt
      import statsmodels.api as sm
      from pmdarima import auto_arima
             ModuleNotFoundError
                                                        Traceback (most recent call last)
             <ipython-input-1-45d92691ba58> in <module>
               3 import matplotlib.pyplot as plt
               4 import statsmodels.api as sm
         ---> 5 from pmdarima import auto_arima
             ModuleNotFoundError: No module named 'pmdarima'
[27]: df=pd.read_csv("Mahakal_TimeSeriesData.csv")
      df.head()
[27]:
              Date Tweets
      0 11-Mar-21
                      2365
      1 12-Mar-21
                      1211
      2 13-Mar-21
                       400
      3 14-Mar-21
                       285
      4 15-Mar-21
                       203
[28]: df['Date']=pd.to_datetime(df['Date'])
      df.head()
[28]:
              Date Tweets
      0 2021-03-11
                      2365
      1 2021-03-12
                      1211
      2 2021-03-13
                       400
      3 2021-03-14
                       285
```

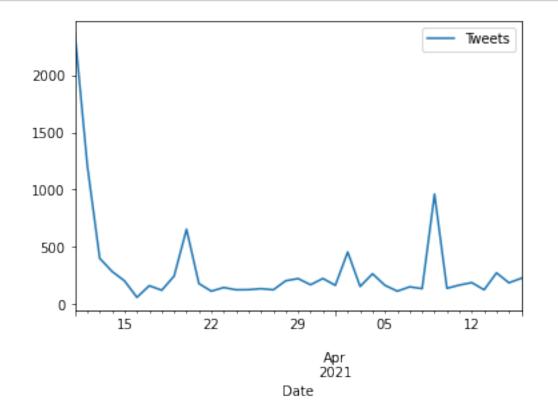
```
4 2021-03-15 203
```

```
[29]: df.set_index('Date',inplace=True)
    df.index.freq="D"
    df.head()
```

[29]: Tweets

Date
2021-03-11 2365
2021-03-12 1211
2021-03-13 400
2021-03-14 285
2021-03-15 203

[30]: df.plot();



```
[31]: # Testing For stationarity
from statsmodels.tsa.stattools import adfuller
```

[32]: # HO: It is non stationary # H1: It is stationary

[34]: adfuller_test(df["Tweets"])

ADF Test statistics: -8.772784249101026
P-value: 2.494858049465755e-14
#Lags Used: 0
Number of Observation Used: 36
Strong evidence against null hypothesis

[36]: #from statsmodels.tsa.stattools import grangercausalitytests

[83]: #grangercausalitytests(df[['Tweets', 'Tweets_First_Difference']], maxlag=3);

1 Differencing

```
[34]: #df['Tweets_First_Difference'] = df['Tweets']-df['Tweets'].shift(2) #df['Tweets'].shift(2)
```

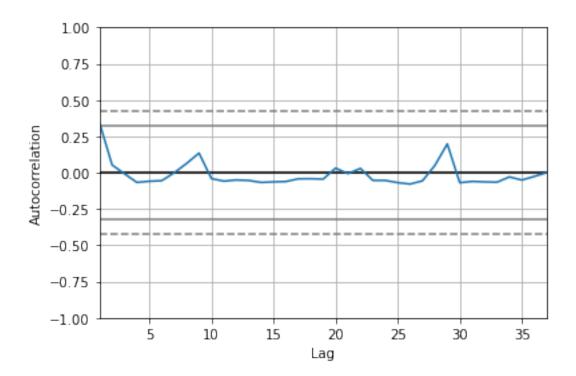
```
[33]:  # Again test dickey fuller test  #adfuller_test(df['Tweets_First_Difference'].dropna())
```

```
[117]: | #df['Tweets_First_Difference'].plot();
```

2 Auto Regressive Model

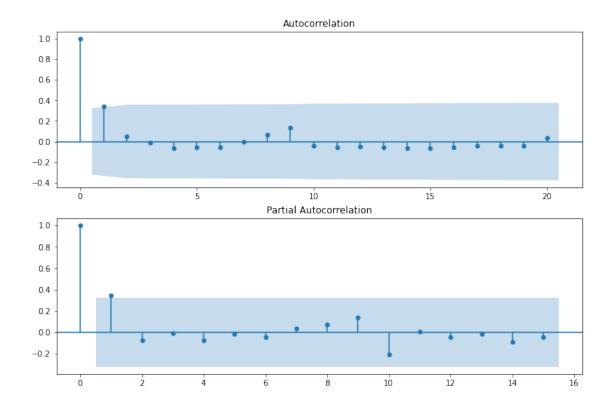
- Identification of an AR model is often best done with the PACF.
- Identification of an MA model is often best done with the ACF rather than PACF.

```
[35]: from pandas.plotting import autocorrelation_plot autocorrelation_plot(df['Tweets']);
```



```
[36]: from statsmodels.graphics.tsaplots import plot_acf,plot_pacf
  import statsmodels.api as sm

[38]: fig = plt.figure(figsize=(12,8))
  ax1 = fig.add_subplot(211)
  fig = sm.graphics.tsa.plot_acf(df['Tweets'].iloc[0:],lags=20,ax=ax1)
  ax2 = fig.add_subplot(212)
  fig = sm.graphics.tsa.plot_pacf(df['Tweets'].iloc[0:],lags=15,ax=ax2)
```



```
[39]: # For non-seasonal data
# p=1, d=0, q=0
from statsmodels.tsa.arima_model import ARMA
from statsmodels.tsa.arima_model import ARIMA
[40]: model = ARMA(df['Tweets'],order=(1,0))
model_fit1=model.fit()
```

 $\begin{tabular}{l} C:\Users\asus\anaconda3\lib\site-packages\statsmodels\tsa\arima_model.py:472: Future\warning: \end{tabular} \label{tabular}$

 ${\tt statsmodels.tsa.arima_model.ARMA} \ and \ {\tt statsmodels.tsa.arima_model.ARIMA} \ have been deprecated in favor of {\tt statsmodels.tsa.arima.model.ARIMA} \ ({\tt note the .between arima and model)} \ and$

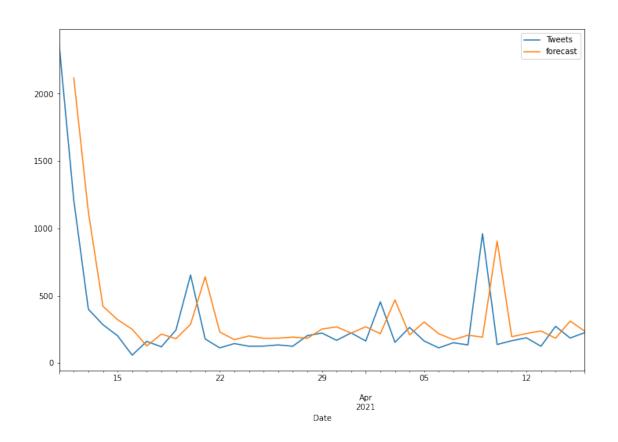
statsmodels.tsa.SARIMAX. These will be removed after the 0.12 release.

statsmodels.tsa.arima.model.ARIMA makes use of the statespace framework and is both well tested and maintained.

To silence this warning and continue using ARMA and ARIMA until they are removed, use:

```
import warnings
    warnings.filterwarnings('ignore', 'statsmodels.tsa.arima_model.ARMA',
                      FutureWarning)
    warnings.filterwarnings('ignore', 'statsmodels.tsa.arima_model.ARIMA',
                      FutureWarning)
     warnings.warn(ARIMA_DEPRECATION_WARN, FutureWarning)
[41]: model_fit1.summary()
[41]: <class 'statsmodels.iolib.summary.Summary'>
                           ARMA Model Results
    Dep. Variable:
                           Tweets
                                  No. Observations:
                                                              37
                        ARMA(1, 0) Log Likelihood
    Model:
                                                        -267.954
    Method:
                          css-mle S.D. of innovations
                                                          331.825
                    Sat, 17 Apr 2021 AIC
    Date:
                                                          541.908
    Time:
                          22:06:59 BIC
                                                          546.741
                        03-11-2021 HQIC
    Sample:
                                                          543.612
                       - 04-16-2021
    _____
                  coef
                        std err
                                  z
                                          P>|z|
                                                  [0.025
    ______
    const 557.8855 407.796 1.368 0.171 -241.379 1357.150 ar.L1.Tweets 0.8630 0.138 6.259 0.000 0.593 1.133
                               Roots
                 Real Imaginary
                                     Modulus Frequency
    _____
                            +0.0000j
               1.1587
                                           1.1587
```

```
[43]: df['forecast']=model_fit1.predict(start=1,end=39, dynamic=False)
#pd.Series(model_fit1.fittedvalues,copy=True)
df[['Tweets','forecast']].plot(figsize=(12,8));
```



```
#y16=799.22+(1.5339)*df['Tweets'][15]-0.6678*df['Tweets'][14]
[44]: model_fit1.forecast(steps=2)[0]
[44]: array([271.45534191, 310.68507806])
[45]:
      import pmdarima as pm
[51]: def arimamodel(df):
          automodel=pm.
       →auto_arima(df,start_p=0,start_q=0,max_p=4,max_q=4,test="adf",seasonal=False,trace=True)
          return automodel
[52]: arimamodel(df["Tweets"])
     Performing stepwise search to minimize aic
      ARIMA(0,0,0)(0,0,0)[0]
                                          : AIC=568.887, Time=0.01 sec
      ARIMA(1,0,0)(0,0,0)[0]
                                          : AIC=541.635, Time=0.03 sec
      ARIMA(0,0,1)(0,0,0)[0]
                                          : AIC=inf, Time=0.03 sec
      ARIMA(2,0,0)(0,0,0)[0]
                                          : AIC=543.617, Time=0.05 sec
      ARIMA(1,0,1)(0,0,0)[0]
                                          : AIC=543.620, Time=0.05 sec
                                          : AIC=inf, Time=0.11 sec
      ARIMA(2,0,1)(0,0,0)[0]
```

```
ARIMA(1,0,0)(0,0,0)[0] intercept : AIC=541.908, Time=0.02 sec
      Best model: ARIMA(1,0,0)(0,0,0)[0]
      Total fit time: 0.312 seconds
[52]: ARIMA(order=(1, 0, 0), scoring_args={}, suppress_warnings=True,
             with_intercept=False)
 []:
 []:
 []:
 []:
[26]:
       #model = sm.tsa.
        \rightarrow SARIMAX(df["Tweets"], trend='c', order=(2,0,1), enforce_stationarity=False, enforce_invertibility
       #model_fit2=model.fit()
      #model_fit2.summary()
[355]:
[356]: | #df['forecast']=model_fit2.predict(start=1,end=40,dynamic=True)
       #df[['Tweets', 'forecast']].plot(figsize=(12,8))
[32]: \#fc, se, conf = fitte
[34]: | #arima_model = auto_arima(df,n_fits=16,seasonal=False,error_action="ignore")
[35]:
       #arima_model.summary()
[36]: | #prediction = pd.DataFrame(arima_model.predict(n_periods=20),index=df.index)
       #prediction.columns=['prediction_tweets']
       #prediction
[37]: #plt.figure(figsize=(8,5))
       #plt.plot(df)
       #plt.plot(prediction);
 []:
```