

8.1 In-mapper Pair Approach

class Mapper

method Initialize

$H = \text{new associative array}$

method Map(docid a ; doc d)

for all term w in doc d do

for all term u in Neighbors(w) do

$H\{\text{pair}(w, u)\} = H\{\text{pair}(w, u)\} + 1$

method close

for all pair (w, u) in H do

emit($\text{pair}(w, u)$; count $H\{\text{pair}(w, u)\}$)

Class Reducer

method Reduce(pair (u, v) ; counts $[c_1, c_2, \dots]$)

$S = 0$

for all count c in counts $[c_1, c_2, \dots]$ do

$S = S + c$

Emit(pair (u, v) , count S)

Q.1. In-mapper Pair Approach Illustration

Let's say,

mapper-0 input

24, 31, 7, 81, 31

mapper-1 input

7, 20, 81

$$\begin{array}{l} 24 \rightarrow 24 \% 4 = 0 \\ 31 \rightarrow 31 \% 4 = 3 \\ 7 \rightarrow 7 \% 4 = 3 \\ 81 \rightarrow 81 \% 4 = 1 \\ 20 \rightarrow 20 \% 4 = 0 \end{array}$$

In pair approach, we make pairs of a term with its neighbors. Also, if we use in-mapper aggregation, then it will produce local aggregation of each pair. So, the mappers' output will be -

mapper-0 output

$\langle (24, 31), 2 \rangle$, $\langle (24, 7), 1 \rangle$, $\langle (24, 81), 1 \rangle$,
 $\langle (31, 7), 1 \rangle$, $\langle (31, 81), 1 \rangle$, $\langle (7, 81), 1 \rangle$, $\langle (7, 31), 1 \rangle$
 $\langle (81, 31), 1 \rangle$

mapper-1 output

$\langle (7, 20), 1 \rangle$, $\langle (7, 81), 1 \rangle$, $\langle (20, 81), 1 \rangle$

These outputs will be shuffled by using partition logic and sent to four reducers after performing groupBy operation.

Use: $\text{partition} = (\text{int}) \text{key.hashCode()} \% r$

So, we will have -

R0

R1

R2

R3

Input - $\langle (20, 81), [1] \rangle$
 $\langle (24, 7), [1] \rangle$
 $\langle (24, 31), [1] \rangle$
 $\langle (24, 81), [1] \rangle$

$\langle (81, 31), [1] \rangle$

$\langle (7, 20), [1] \rangle$
 $\langle (7, 31), [1] \rangle$
 $\langle (7, 81), [1, 1] \rangle$
 $\langle (31, 7), [1] \rangle$
 $\langle (31, 81), [1] \rangle$

Output $\langle (20, 81), 1 \rangle$
 $\langle (24, 7), 1 \rangle$
 $\langle (24, 31), 1 \rangle$
 $\langle (24, 81), 1 \rangle$

$\langle (81, 31), 1 \rangle$

$\langle (7, 20), 1 \rangle$,
 $\langle (7, 31), 1 \rangle$,
 $\langle (7, 81), 2 \rangle$, $\langle (31, 7), 1 \rangle$
 $\langle (31, 81), 1 \rangle$