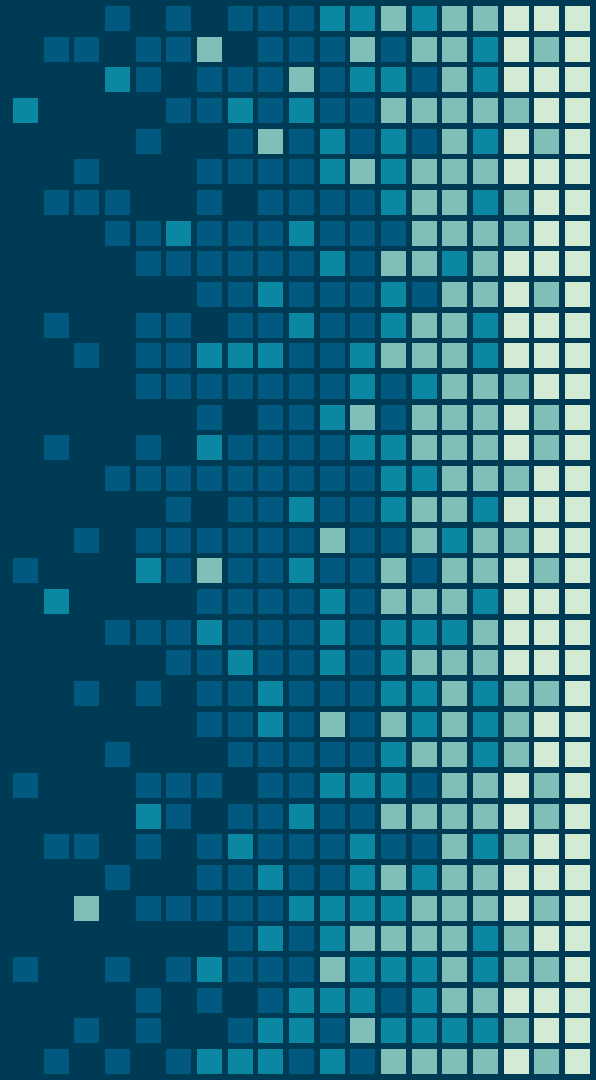


# Stylometry with R

## — Part 3. Distance and uncertainty

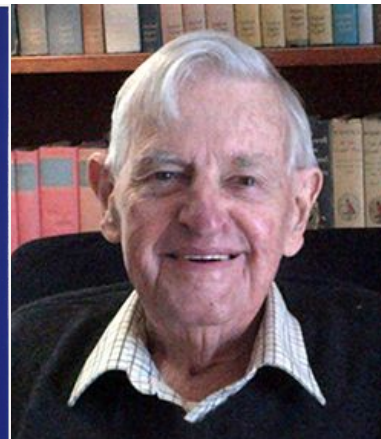
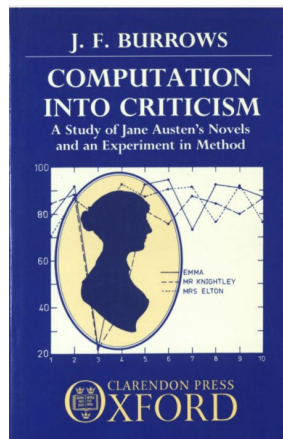
Joanna Byszuk, Artjoms  
Šeļa and Maciej Eder



# 1. Quick intro to Burrows' Delta

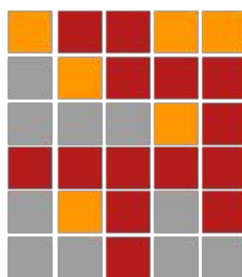
"Wealth of variables, many of which may be weak discriminators, almost always offer more tenable results than a smaller number of strong ones. [...] At all events, **a distinctive 'stylistic signature' is usually made up of many tiny strokes.**"

$$\Delta = \sum_{i=1}^n \frac{|z(x_i) - z(y_i)|}{n}$$



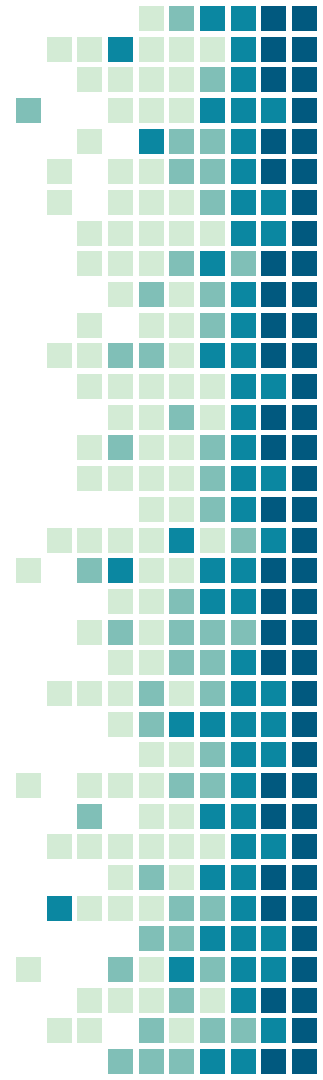
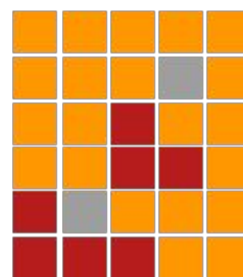
John Burrows (1928-2019)

TEXT 1

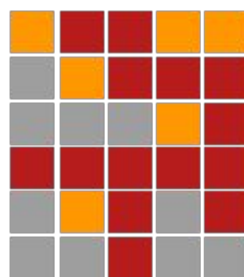


$$\Delta(T1, T2)$$

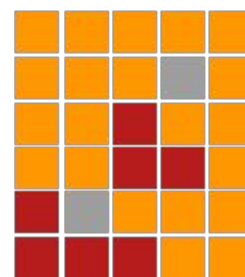
TEXT 2



TEXT 1



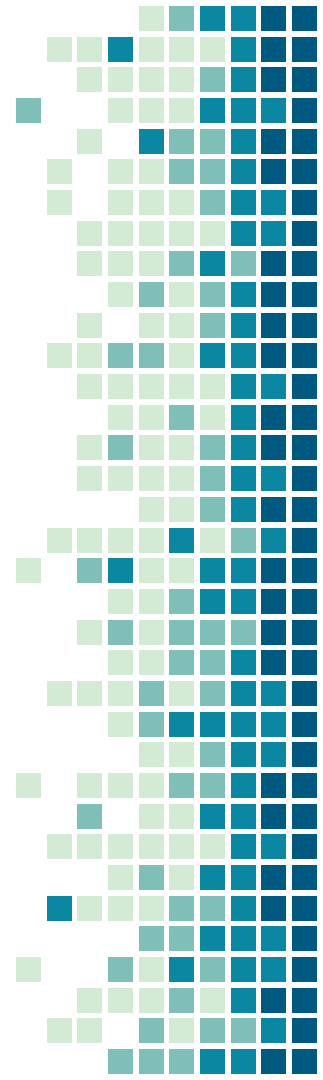
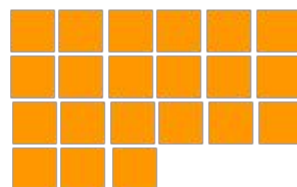
TEXT 2



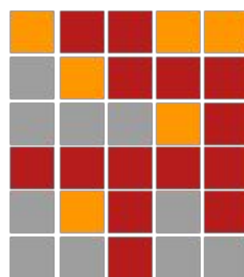
$\Delta$  (T1,T2)



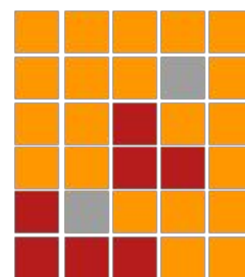
$\Delta$



TEXT 1



TEXT 2



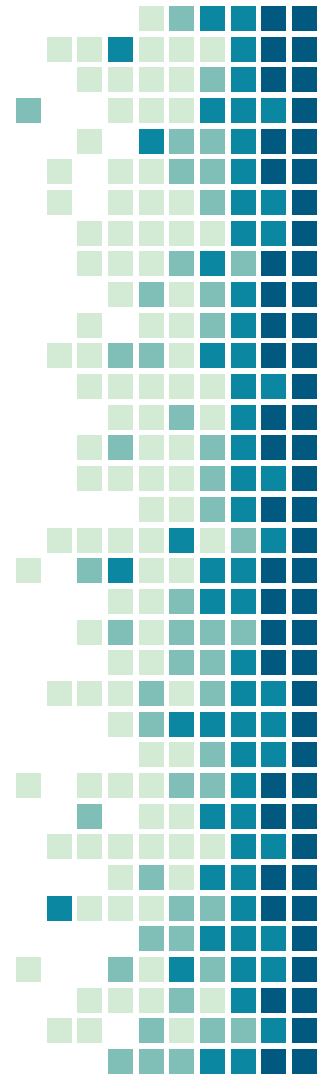
$\Delta (T1, T2)$



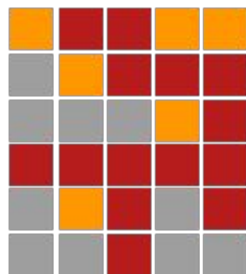
T1 [14, 6, 10]



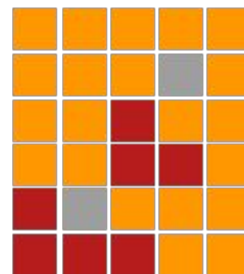
T2 [7, 21, 2]



TEXT 1



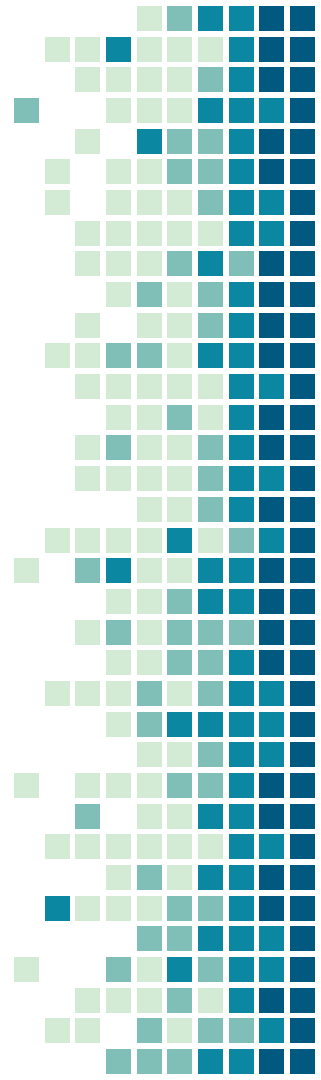
TEXT 2



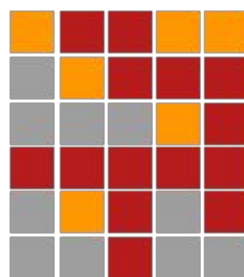
$\Delta$  (TEXT1, TEXT2)



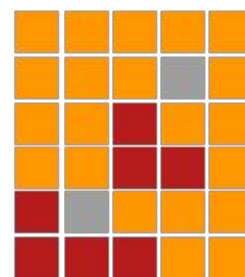
$\Delta$



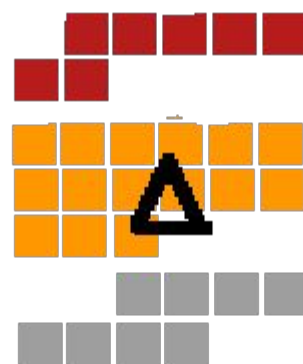
TEXT 1



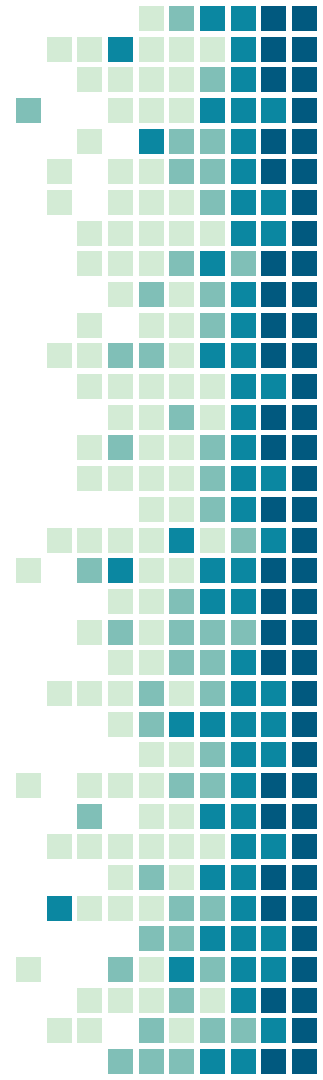
TEXT 2



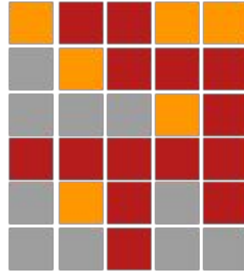
$\Delta (T1, T2)$



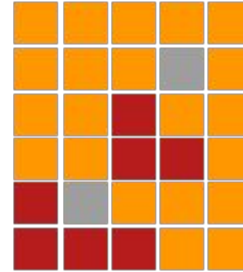
$\Delta (T1, T2) = [6, 15, 10]$



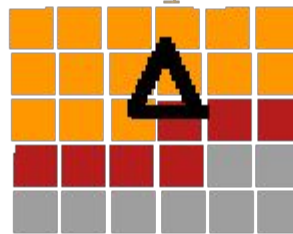
TEXT 1



TEXT 2



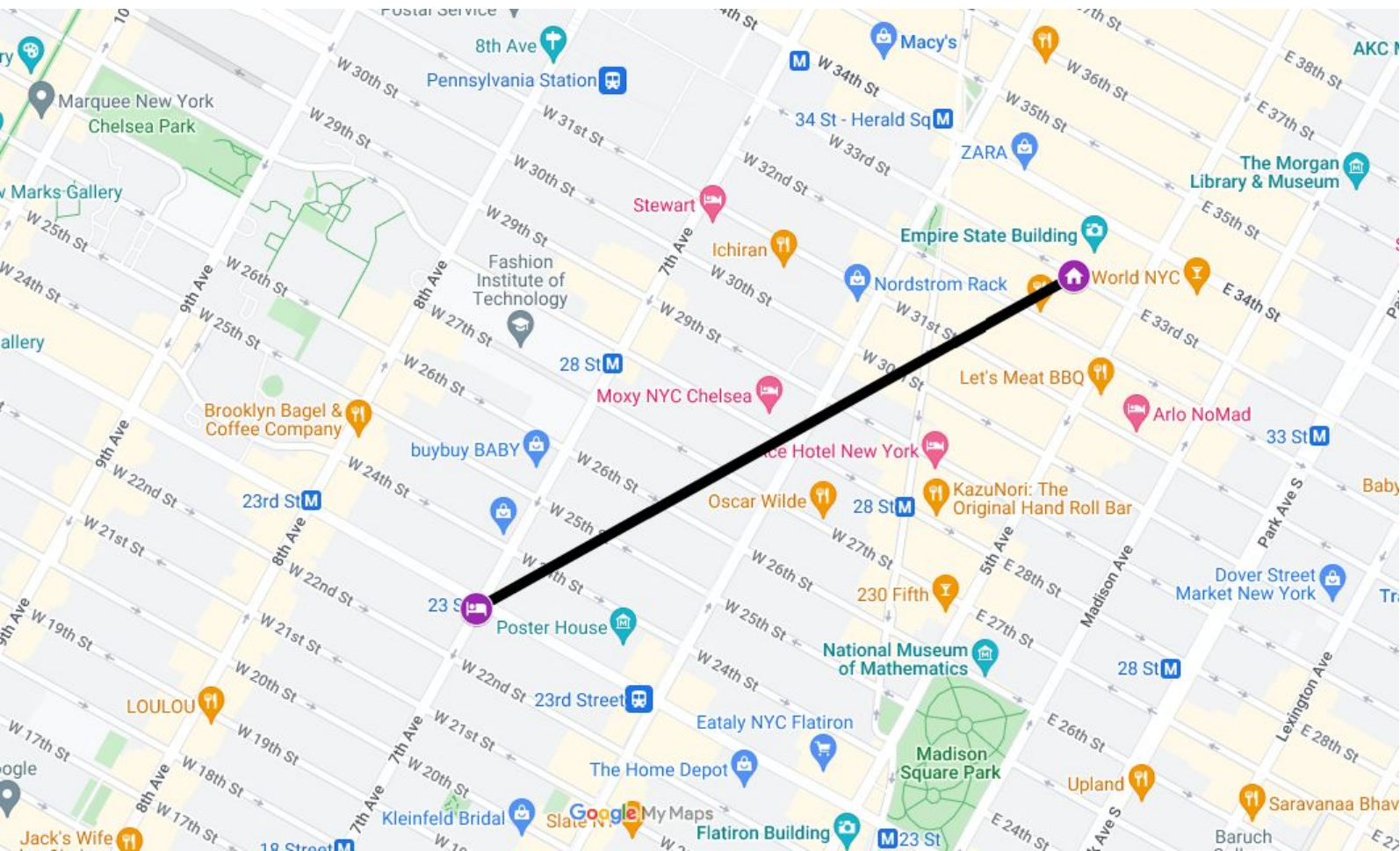
$\Delta (T1, T2)$



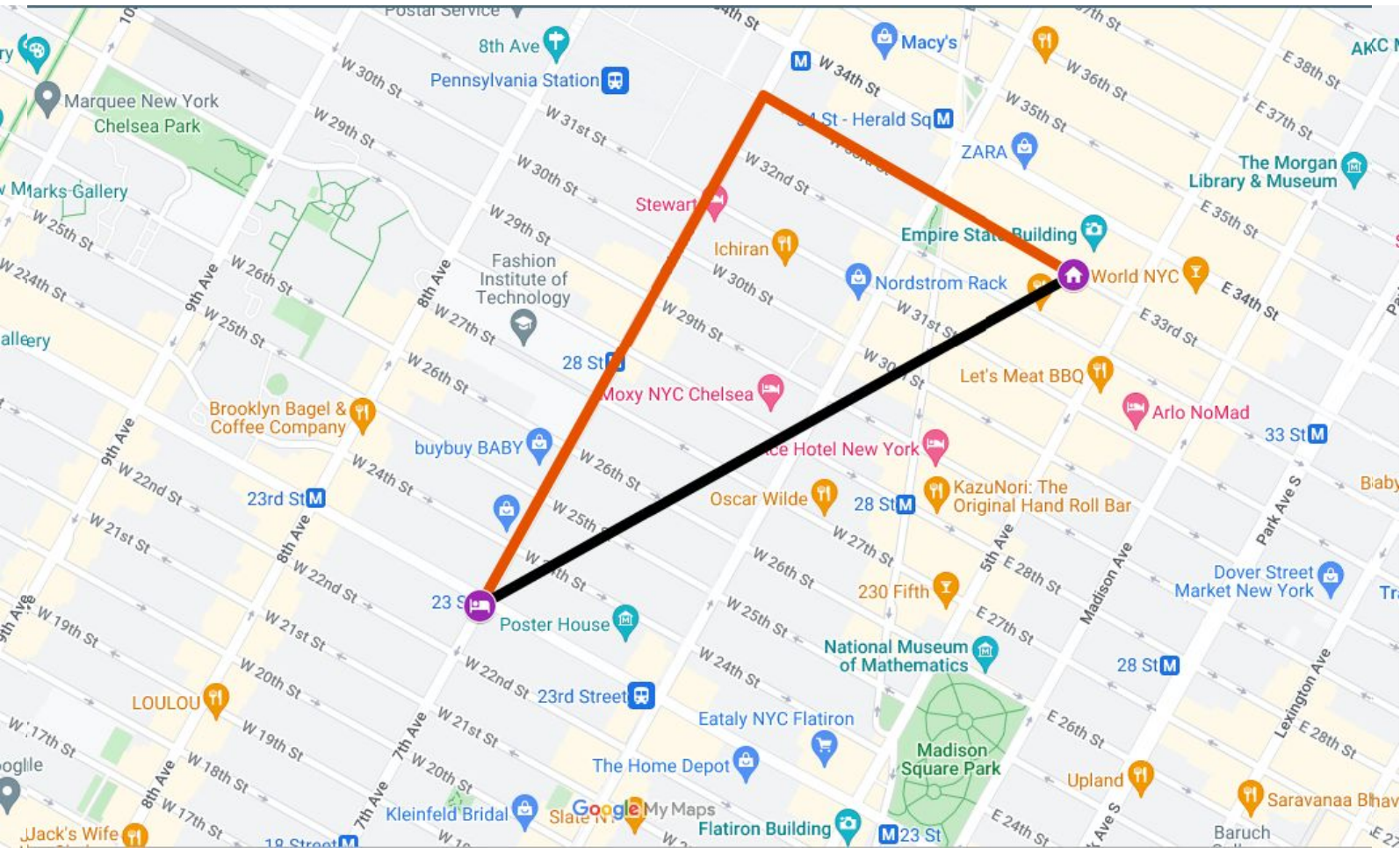
Manhattan, or city-block distance!  
But also reinvented by Burrows  
(with important adjustment)

$$\Delta (T1, T2) = 7 + 15 + 8 = 30$$



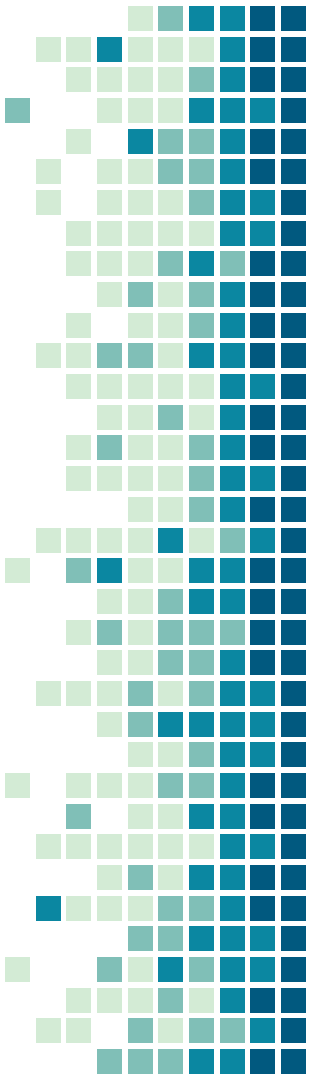
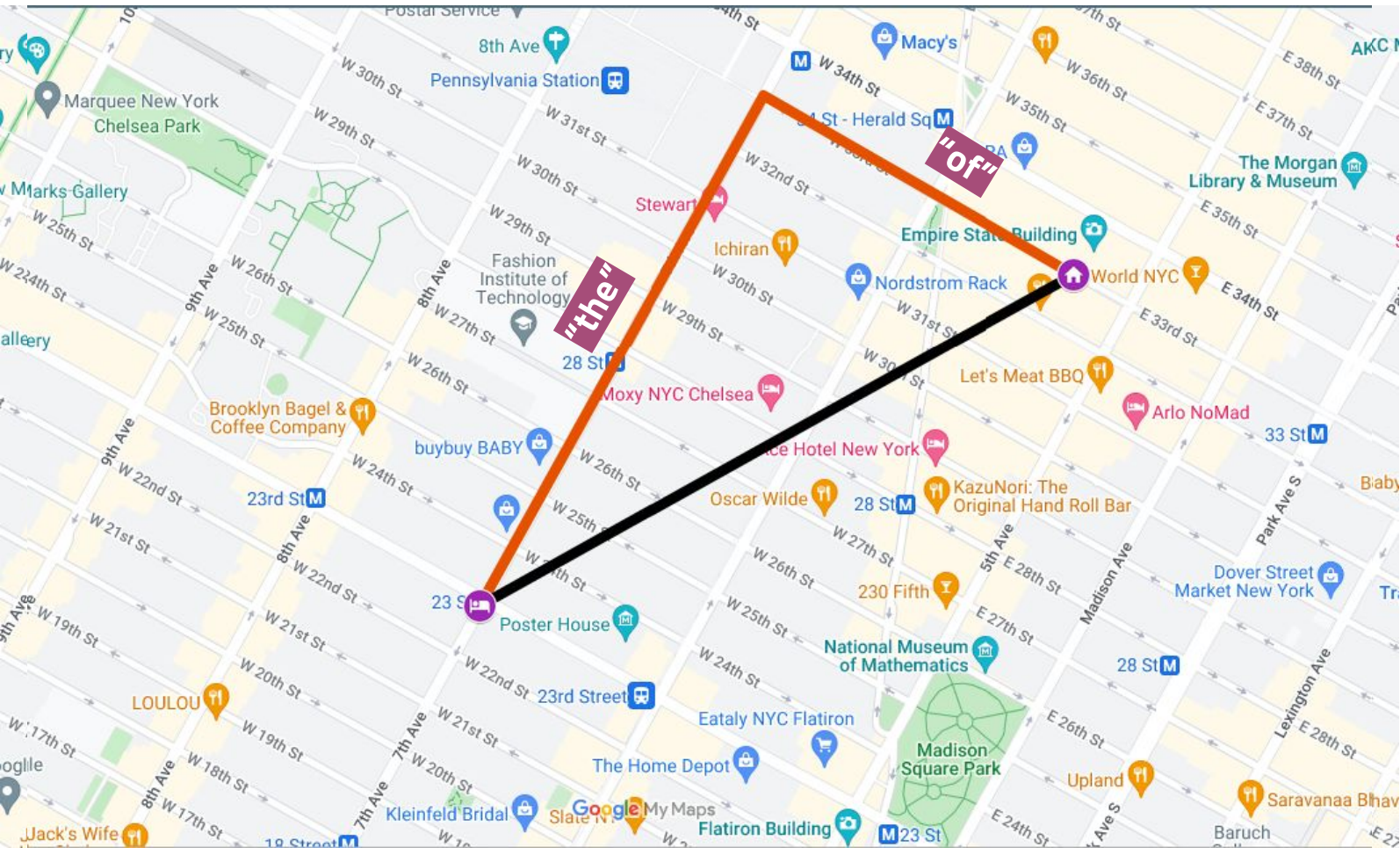


Petr Plecháč: <https://versologie.cz/talks/2017chicago/>

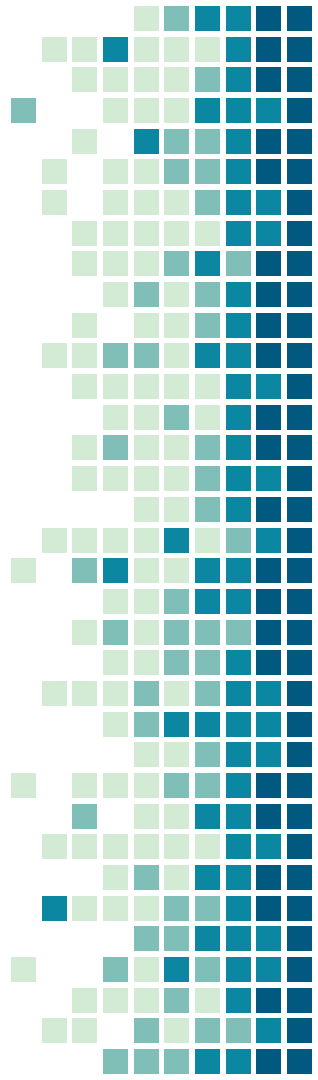
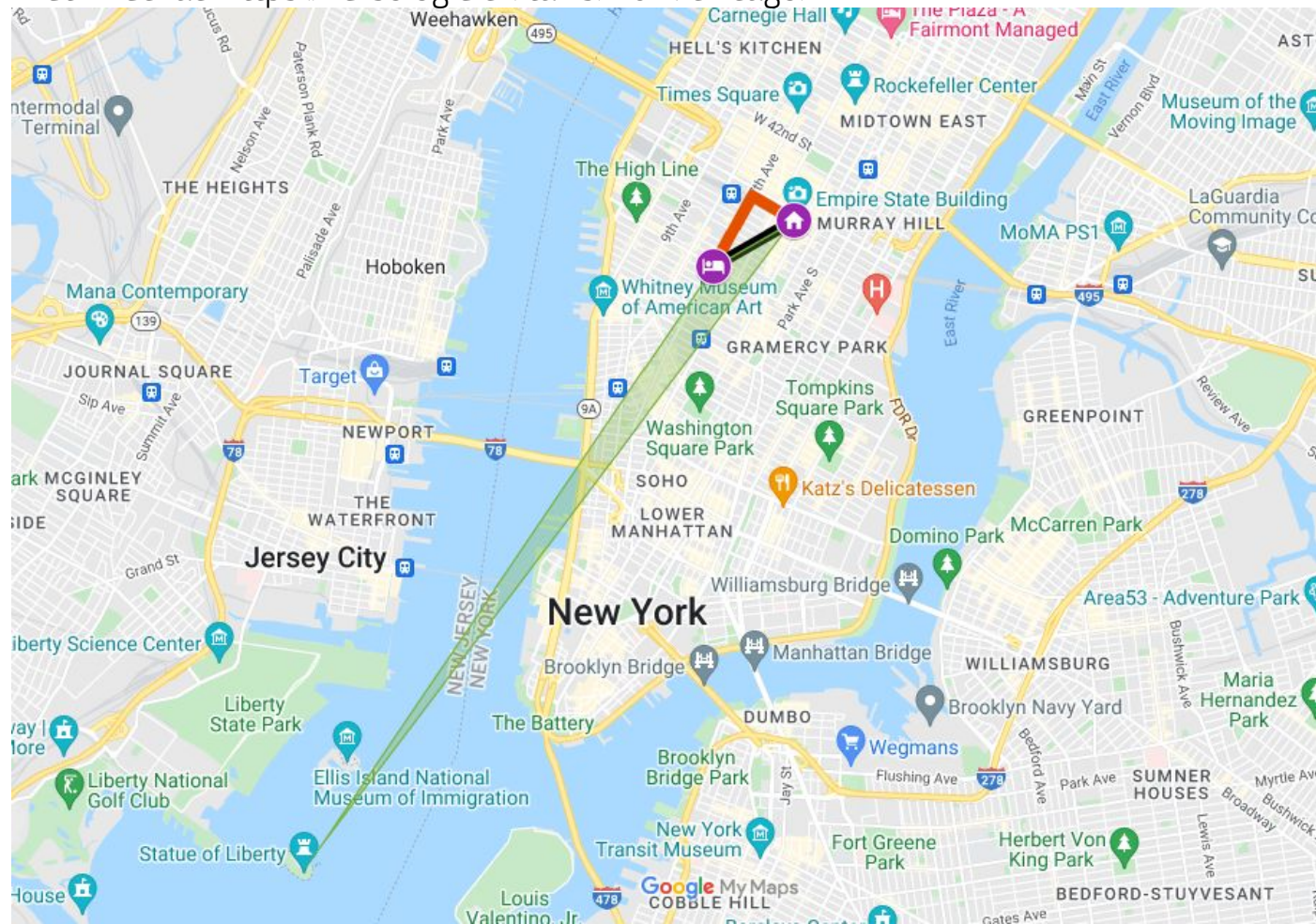




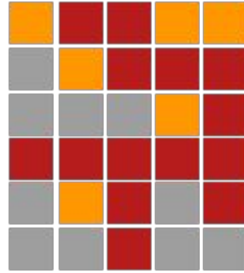
Petr Plecháč: <https://versologie.cz/talks/2017chicago/>



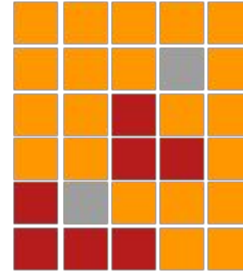
Petr Plecháč: <https://versologie.cz/talks/2017chicago/>



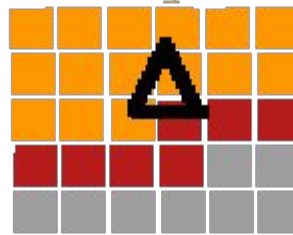
TEXT 1



TEXT 2



$\Delta (T1, T2)$

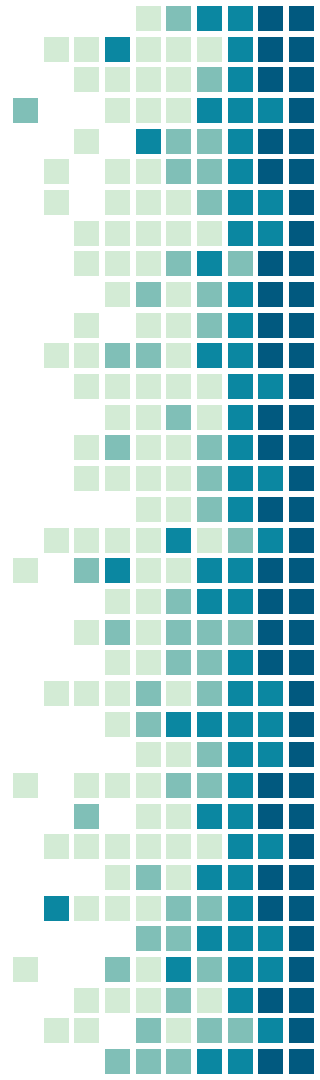


Manhattan, or city-block distance!  
But also reinvented by Burrows  
(with important adjustment)

$$\Delta (T1, T2) = 7 + 15 + 8 = 30$$

### DISTANCE MATRIX

	T1	T2	T3
T1	0		
T2	0.3	0	
T3	0.7	0.9	0

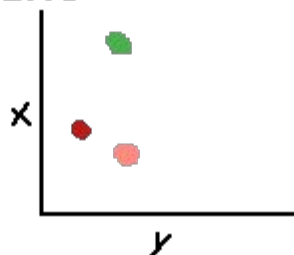


## DISTANCE MATRIX

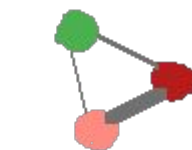
	T1	T2	T3
T1	0		
T2	0.3	0	
T3	0.7	0.9	0

## MULTIDIMENSIONAL SCALING

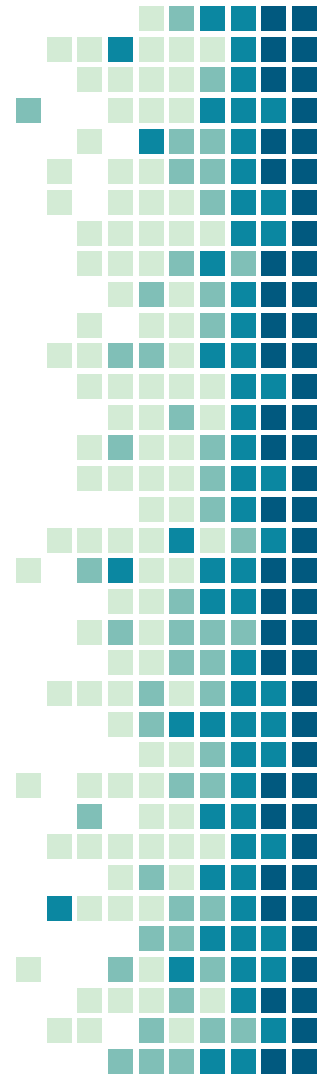
T1  
T2  
T3



HIERARCHICAL  
CLUSTERING



GRAPH





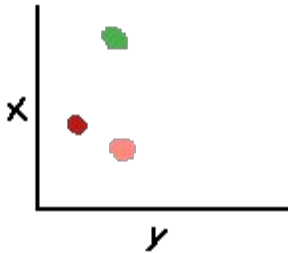
## DISTANCE MATRIX

	T1	T2	T3
T1	0		
T2	0.3	0	
T3	0.7	0.9	0

"A tree can be viewed as a simplified description of a matrix of distances"  
(Cavalli-Sforza et al.)

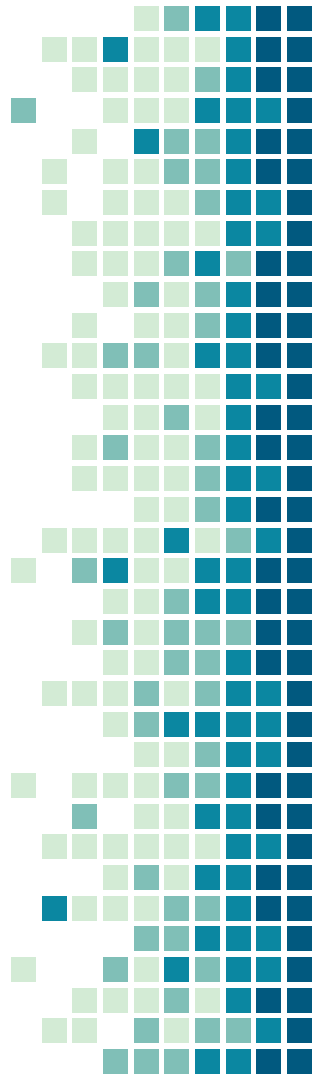
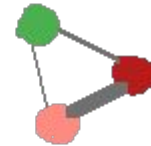
## MULTIDIMENSIONAL SCALING

T1  
T2  
T3



HIERARCHICAL CLUSTERING

GRAPH





## 2. Sampling & bootstrapping

Sample:   $p = 0.66$



## 2. Sampling & bootstrapping

Sample:   $p = 0.66$

Resample 1:  0.5



# Sidenote

**Sampling without replacement:**



# Sidenote

**Sampling without replacement:**



# Sidenote

**Sampling without replacement:**



# Sidenote

**Sampling without replacement:**



# Sidenote

**Sampling *\*with\** replacement:**



# Sidenote

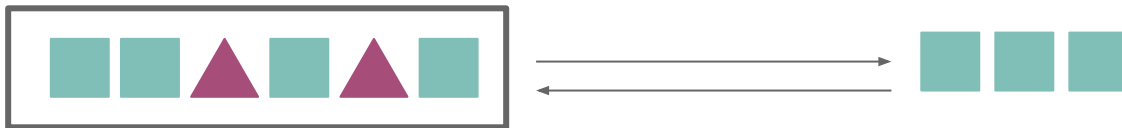
**Sampling *\*with\** replacement:**





# Sidenote

**Sampling \*with\* replacement:**



## 2. Sampling & bootstrapping

Sample:   $p = 0.66$

Resample 1:  0.5

Resample 2:  0.66



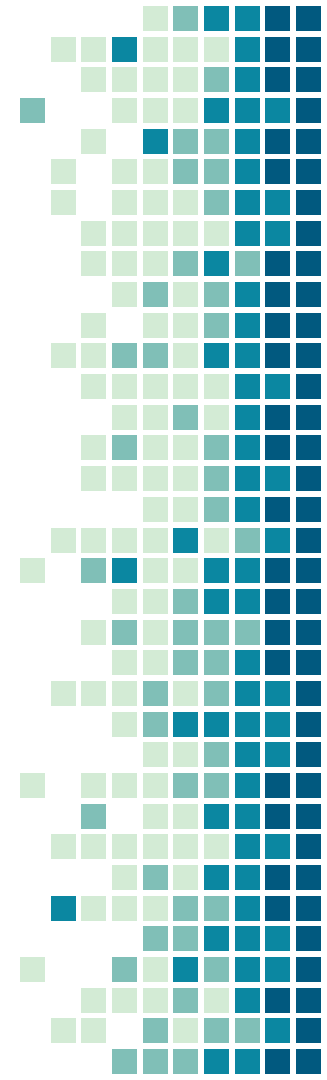
## 2. Sampling & bootstrapping

Sample:   $p = 0.66$

Resample 1:  0.5

Resample 2:  0.66

Resample 3:  0.33



## 2. Sampling & bootstrapping

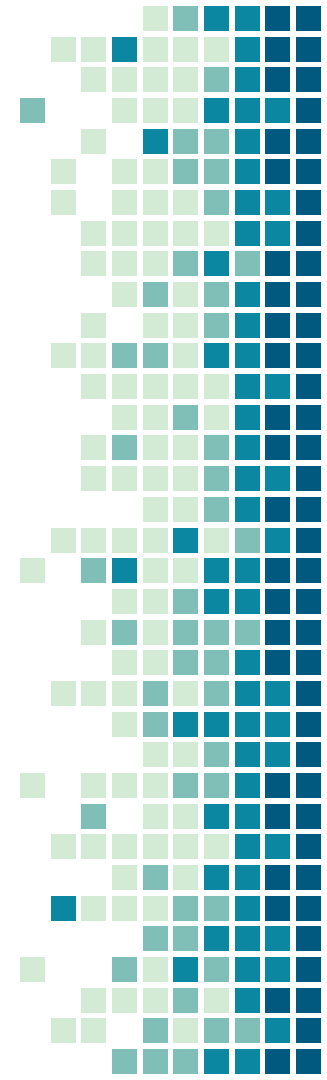
Sample:   $p = 0.66$

Resample 1:  0.5

Resample 2:  0.66

Resample 3:  0.33

Resample 4:  1



## 2. Sampling & bootstrapping

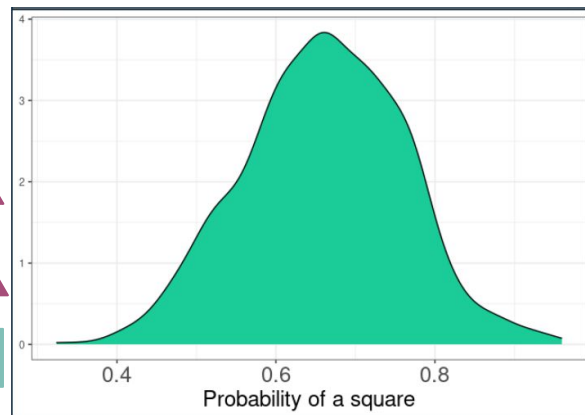
Sample:   $p = 0.66$

Resample 1: 

Resample 2: 

Resample 3: 

Resample 4: 

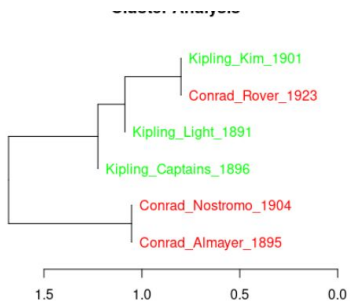


### 3. Estimating uncertainty in text similarity

- (Bootstrap) consensus trees (Eder 2013)
- (Bootstrap) consensus networks (Eder 2017)
- General Impostors (Kestemont et al. 2016)



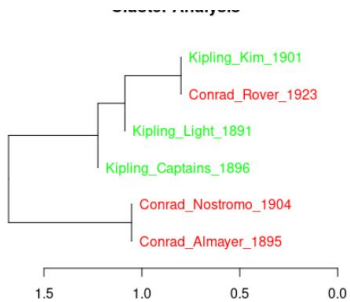
## 4. Consensus trees



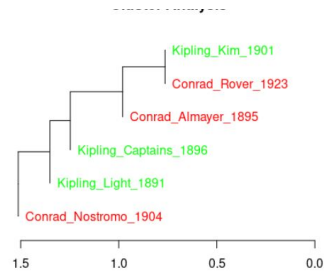
**Feature set 1**



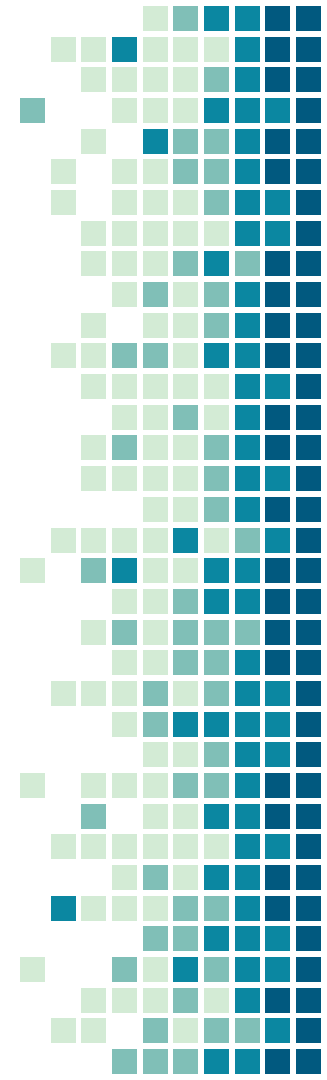
## 4. Consensus trees



Feature set 1

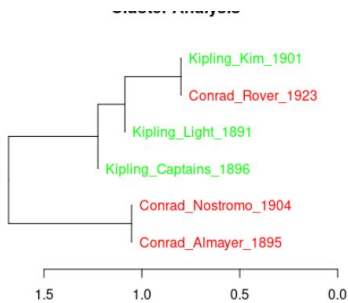


Feature set 2

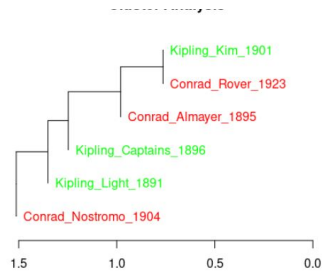




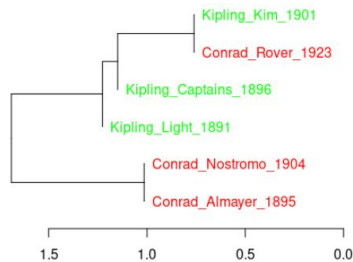
## 4. Consensus trees



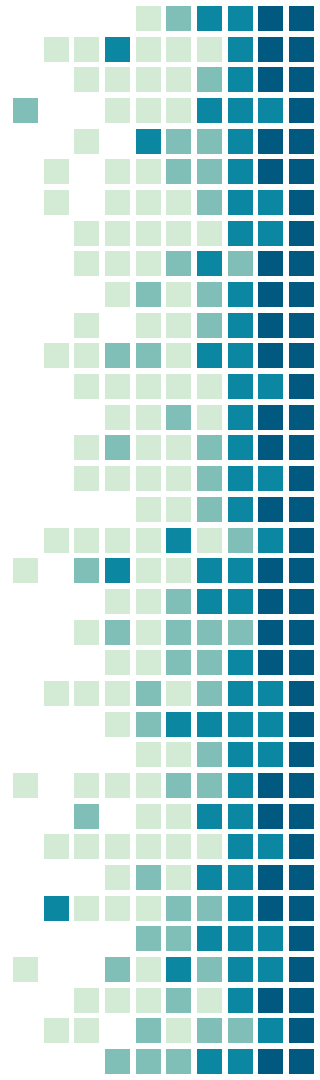
**Feature set 1**



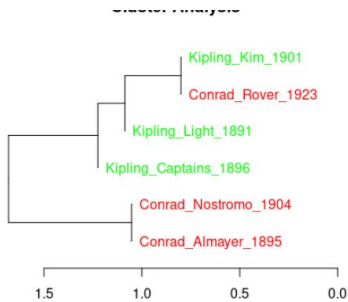
**Feature set 2**



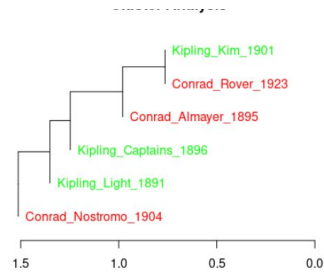
**Feature set 3**



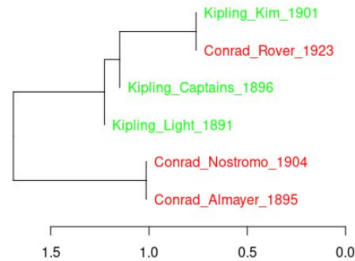
## 4. Consensus trees



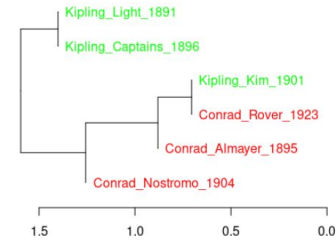
**Feature set 1**



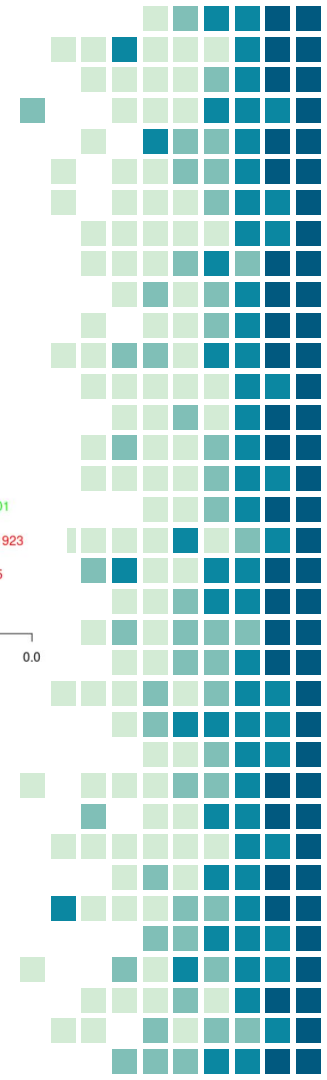
**Feature set 2**



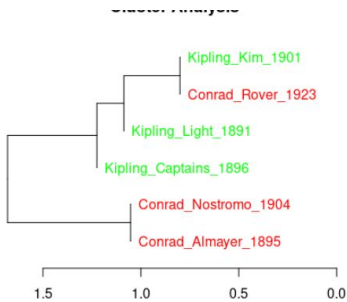
**Feature set 3**



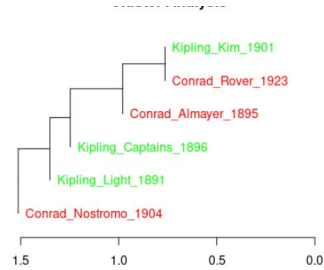
**Feature set 4**



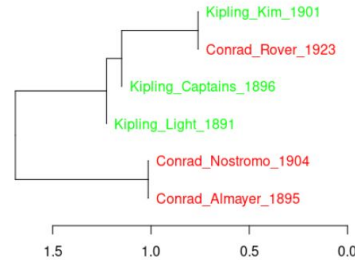
## 4. Majority rule (>50% of branches)



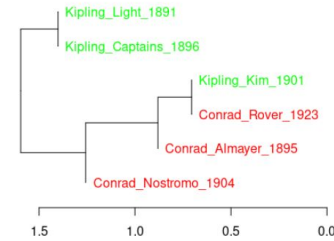
Feature set 1



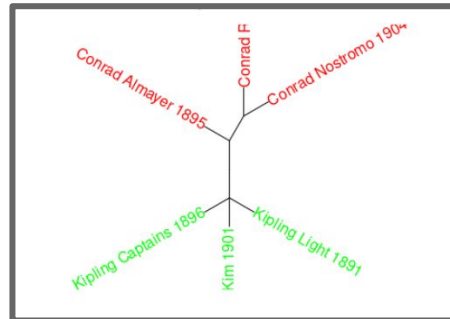
Feature set 2



Feature set 3



Feature set 4



## 5. Consensus trees

Using `stylo()` out of the box you can “bootstrap”:

- MFW length
- Culling strength
- Text themselves (take samples from texts)



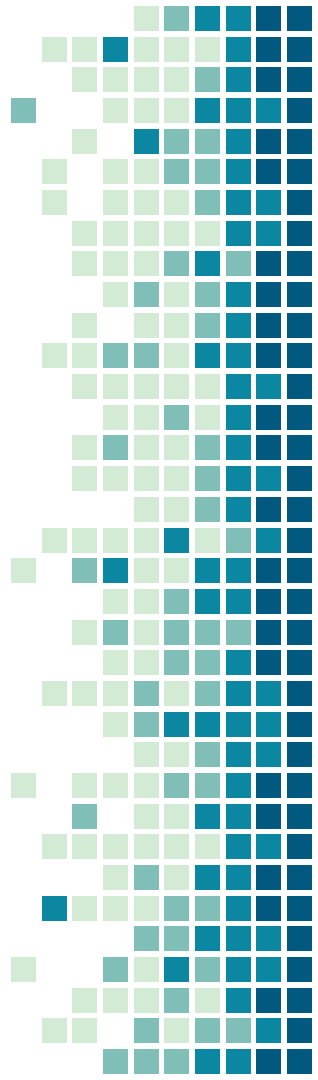
## 5. Consensus trees

Using `stylo()` out of the box you can “bootstrap”:

- MFW length
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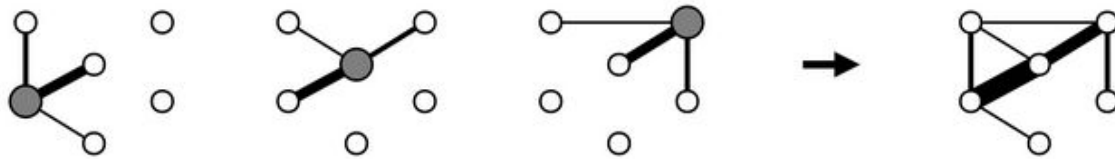
....

But the possibilities are limitless



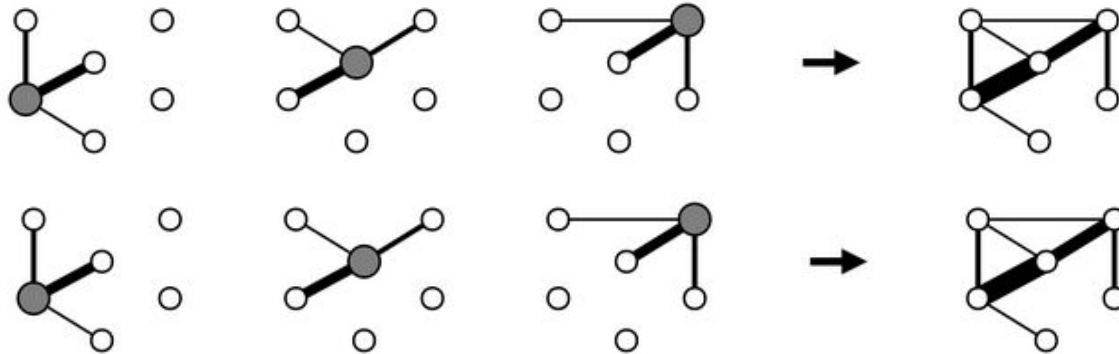
## 5. Consensus trees

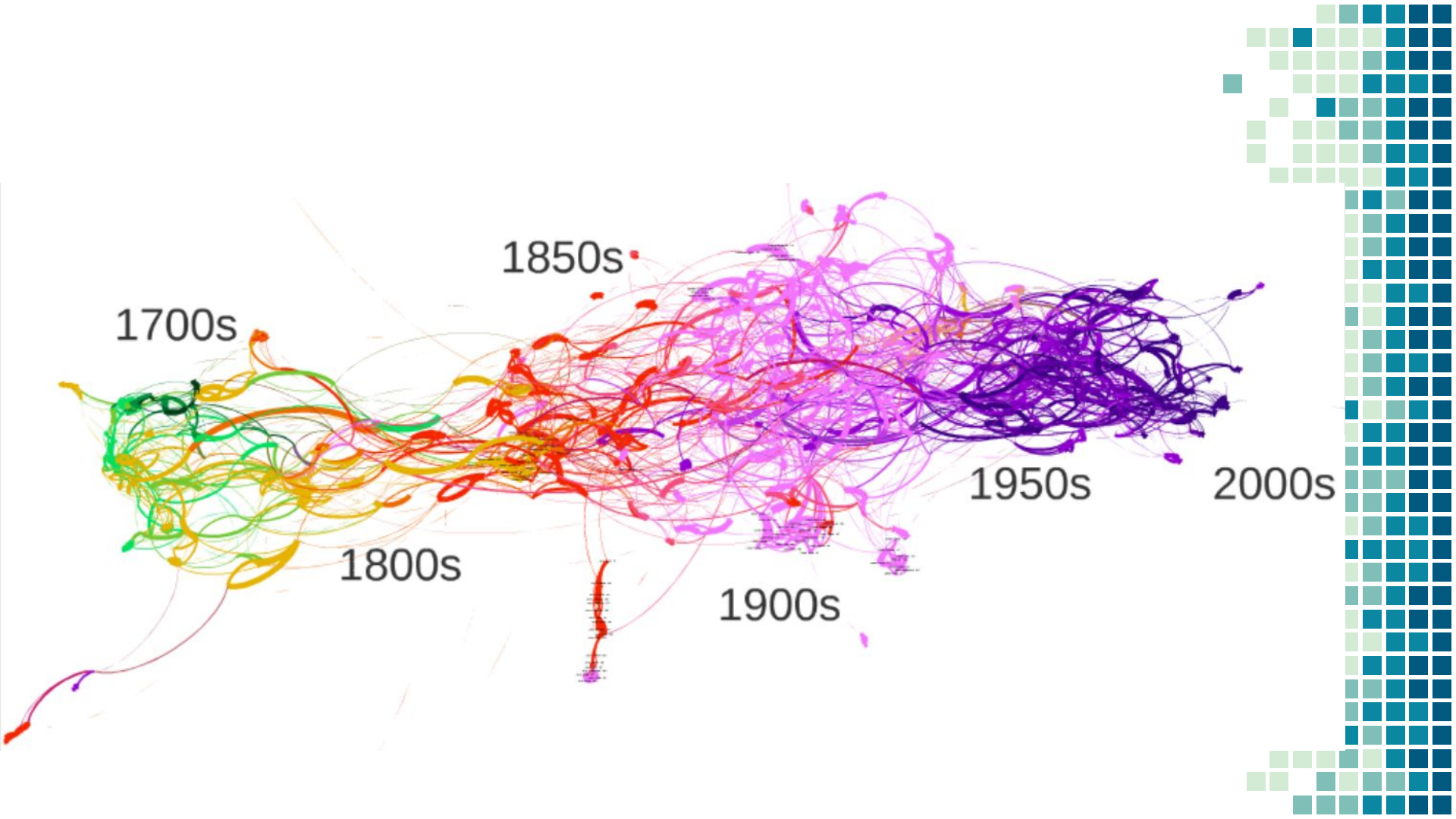
1. Look at the neighbours!



## 5. Consensus trees

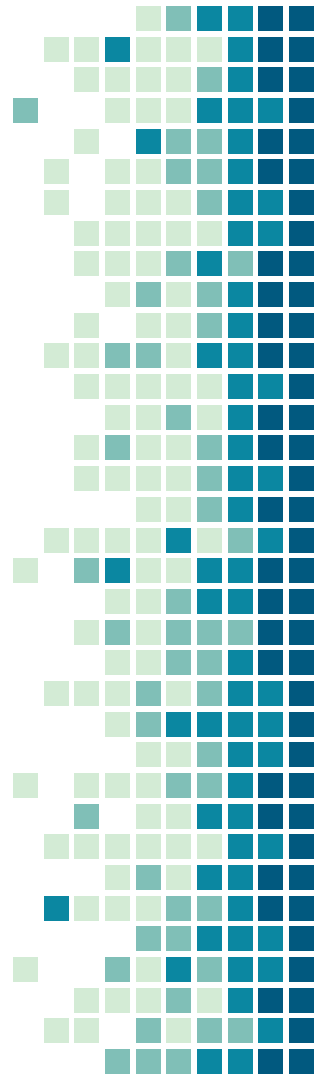
1. Look at the neighbours!
2. Then look at the neighbours many times!







- Try using `stylo.network()` (alpha version!)
- Or brave the depths of Gephi
- Or work with networks from R!
  - Best tutorial I know:
  - **<https://kateto.net/network-visualization>**

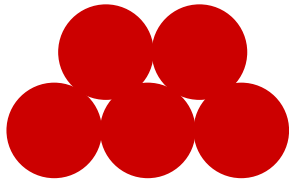


## 6. General imposters

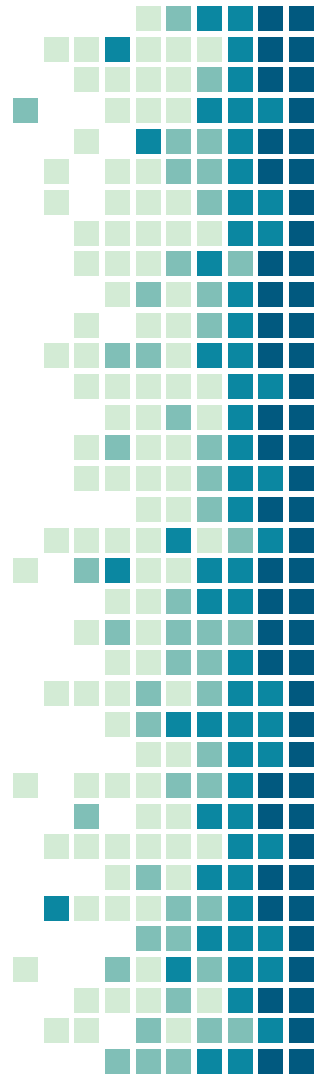
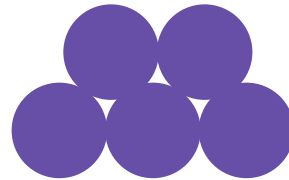
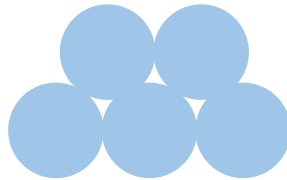
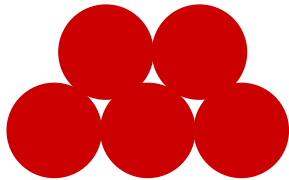
**A**



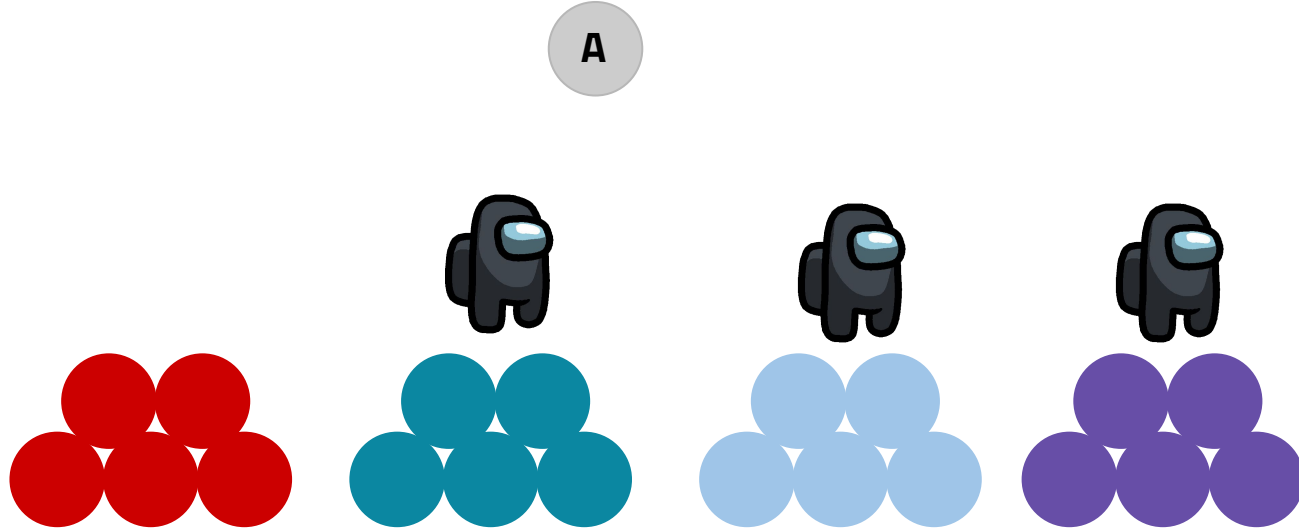
## 6. General imposters



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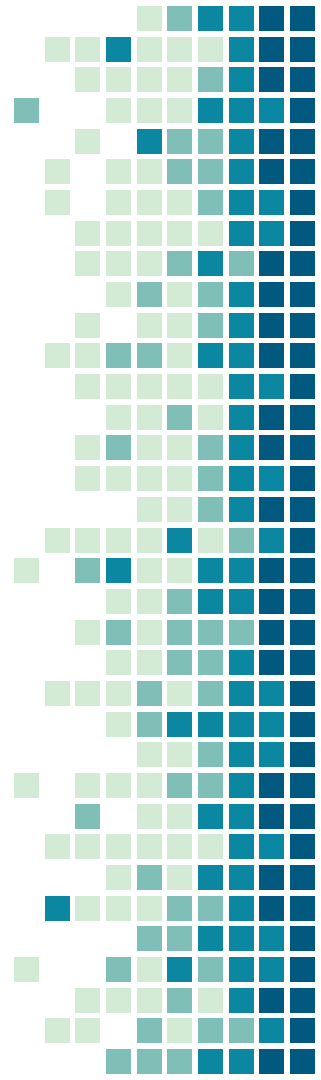
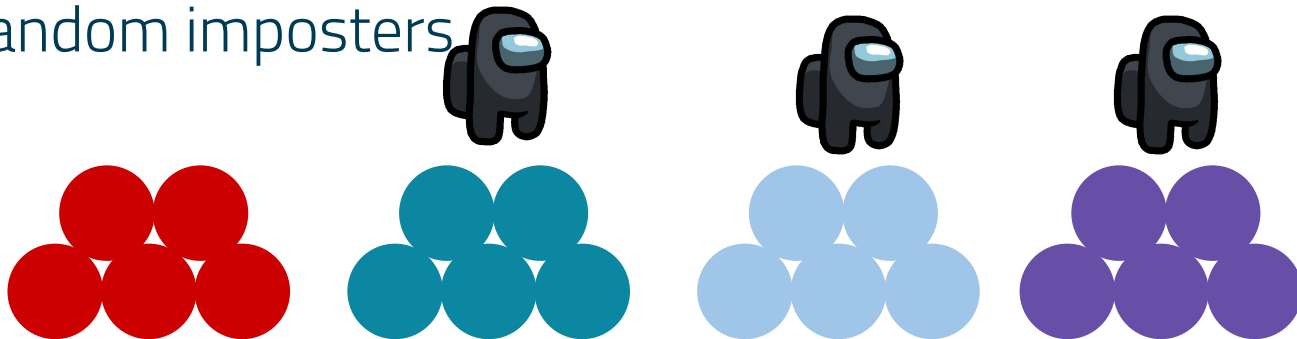
## 6. General imposters

Random samples

Random features

Random imposters

A

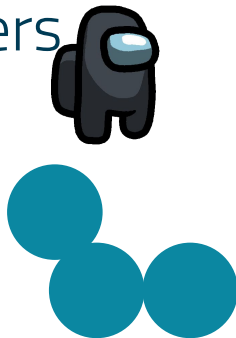
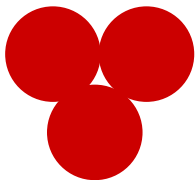


## 6. General imposters

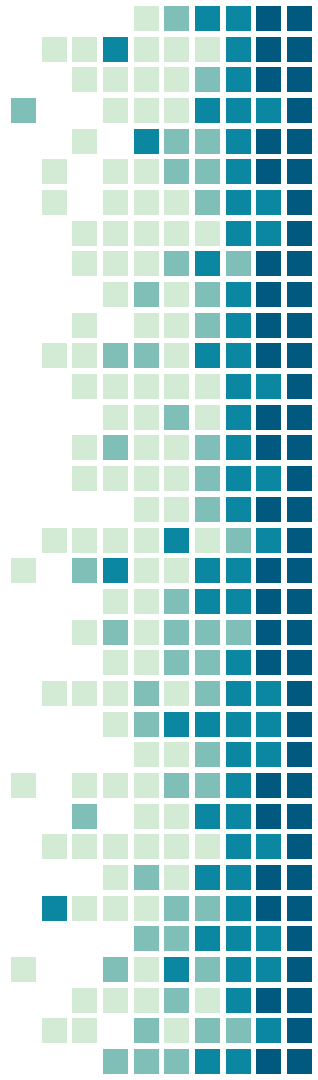
Random samples

Random features

Random imposters



A



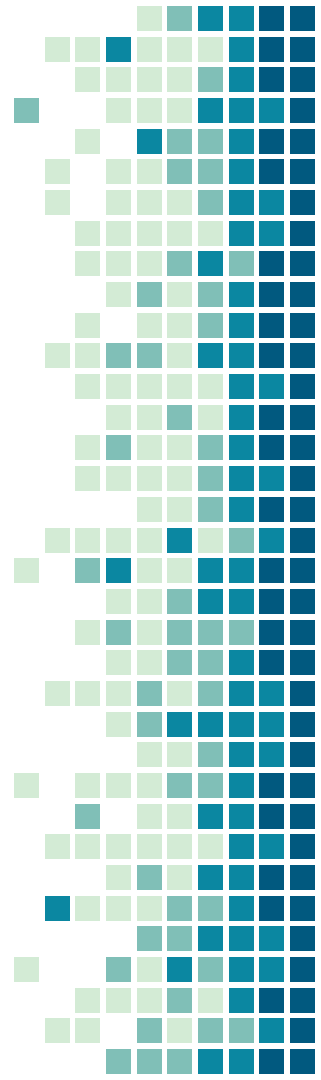
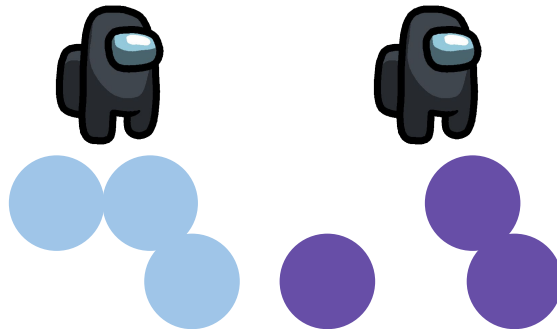
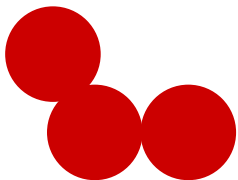
## 6. General imposters

Random samples

Random features

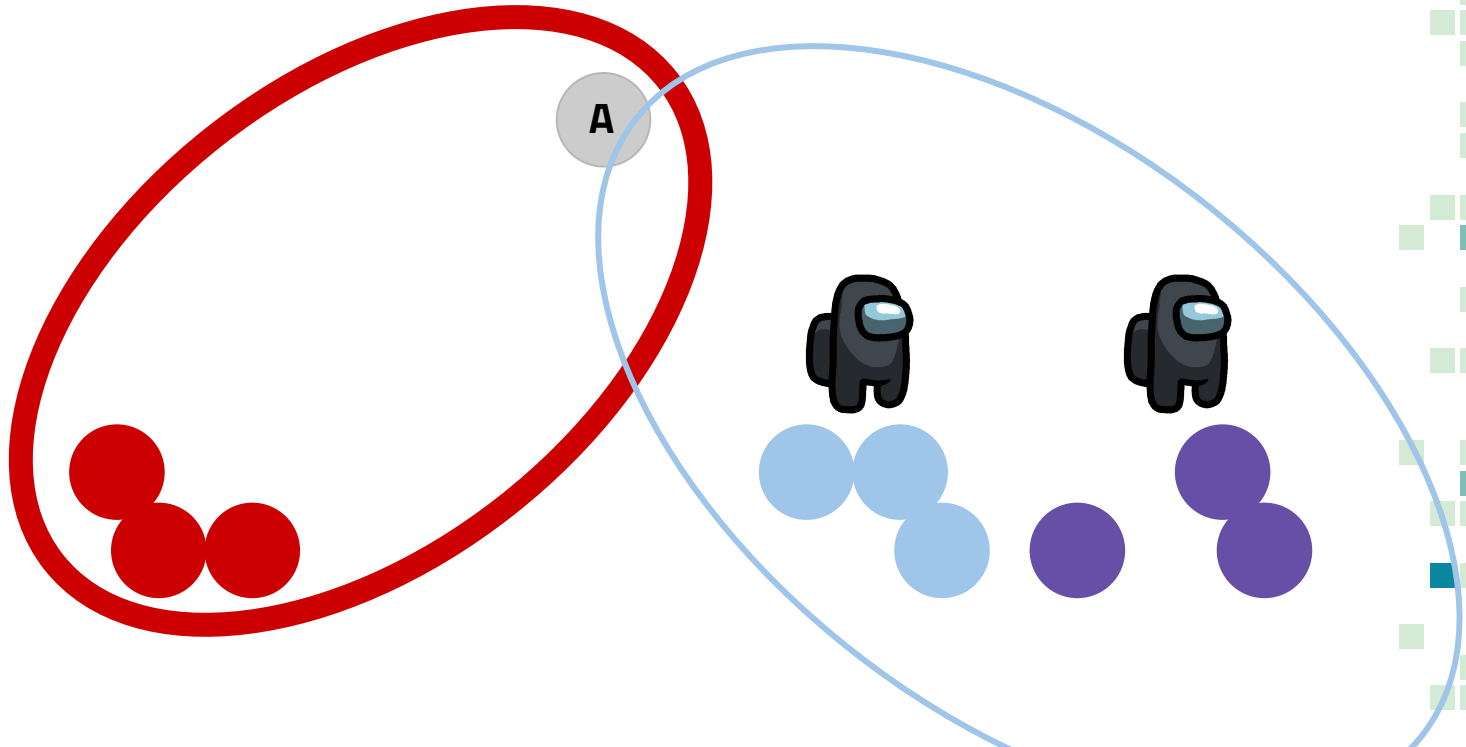
Random imposters

A





## 6. General imposters



## 7. Cross-validation: estimating the distribution of prepredictions

