

Q 1.1) b) continuation

dim

$$z' = M x' \Rightarrow \begin{bmatrix} z_1 \\ \vdots \\ z_2 \\ \vdots \end{bmatrix} = \begin{bmatrix} [W_1^T | 0] & [W_2^T | 0] & \dots & [W_n^T | 0] & 0 & 0 & \dots & 0 \\ 0 & [W_1^T | 0] & \dots & [W_n^T | 0] & 0 & 0 & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots & \vdots & \vdots & \ddots & \vdots \\ 0 & \dots & 0 & [W_1^T | 0] & \dots & \dots & \dots & [W_n^T | 0] \\ [0 W_1^T | 0] & [0 W_2^T | 0] & \dots & [0 W_n^T | 0] & 0 & \dots & 0 & 0 \\ 0 & [0 W_1^T | 0] & \dots & [0 W_n^T | 0] & 0 & \dots & 0 & 0 \\ \vdots & \vdots & \ddots & \vdots & \vdots & \vdots & \ddots & \vdots \\ 0 & \dots & 0 & [0 | W_1^T] & [0 | W_2^T] & \dots & [0 | W_n^T] & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ \vdots \\ x_2 \\ \vdots \end{bmatrix}$$

where  $[W_1^T | 0]$  is

where in the first line  $[W_1^T | 0]$  is a padded version of  $W_1^T$  with zeros to only apply to  $x_1$  column of  $x'$ . in line 2 we "moved" the filter one to the right so that  $[W_1^T | 0]$  now applies to  $x_2$ . we do this for every column of the first line in "step 1". then we move the filter one of the image

line below,  $[0 W_1^T | 0]$ , in "step 2" and repeat the process for the second line of the image. we do this for all lines of the image to get  $\begin{bmatrix} z_1 \\ \vdots \\ z_2 \\ \vdots \end{bmatrix}$ .