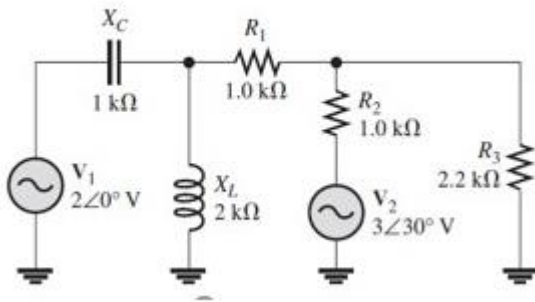


1. Con el método de superposición, calcule la corriente a través de  $R_3$  en la figura 19-44.



NODO VA

$$\frac{V_A - V_1}{-jX_C} + \frac{V_A}{jX_L} + \frac{V_A - V_B}{R_1} = 0$$

$$V_A \left( \frac{1}{-jX_C} + \frac{1}{jX_L} + \frac{1}{R_1} \right) - \frac{V_1}{jX_C} + \frac{V_B}{R_1} = 0$$

$$V_A(1 + 0.5j) - jV_1 - V_B = 0$$

NODO VB

$$\frac{V_B - V_A}{R_1} + \frac{V_B}{R_2} + \frac{V_B}{R_3} = 0$$

$$V_B \left( \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right) - \frac{V_A}{R_1} = 0$$

$$V_B(2.45) - V_A = 0$$

$$V_A = 2.45V_B$$

$$2.45V_B(1 + 0.5j) - jV_1 - V_B = 0$$

$$(1.45 + 1.23j)V_B = jV_1$$

$$V_B = \frac{(1 \angle 0^\circ)(2 \angle 0^\circ)}{(1.45 + 1.23j)}$$

$$IV_1 = \frac{(1.05 \angle 49.7^\circ)}{2200}$$

$$IV_1 = (0.48 \angle 49.7^\circ) \text{ mA}$$

NODO VC

$$\frac{V_C}{-jX_C} + \frac{V_C}{jX_L} + \frac{V_C - V_D}{R_1} = 0$$

$$V_C \left( \frac{1}{-jX_C} + \frac{1}{jX_L} + \frac{1}{R_1} \right) - \frac{V_D}{R_1} = 0$$

$$V_C(1 + 0.5j) = V_D$$

NODO VD

$$\frac{VD - VC}{R1} + \frac{VD - V2}{R2} + \frac{VD}{R3} = 0$$

$$VD \left( \frac{1}{R1} + \frac{1}{R2} + \frac{1}{R3} \right) - \frac{VC}{R1} - \frac{V2}{R2} = 0$$

$$VD(2.45) - VC - V2 = 0$$

$$2.45VD - \frac{VC}{1 + 0.5j} - v_2 = 0$$

$$VD(1.65 + 0.4j) = V2$$

$$VD = \frac{(3 \angle 30^\circ)}{(1.65 + 0.4j)}$$

$$VD = (1.8 + 16.4^\circ)V$$

$$IV2 = \frac{(1.8 + 16.4^\circ)}{2200}$$

$$IV2 = (0.8 \angle 16.4^\circ)mA$$

$$IV1 = (0.31 + 0.36j)mA$$

$$IV2 = (0.76 + 0.22j)mA$$

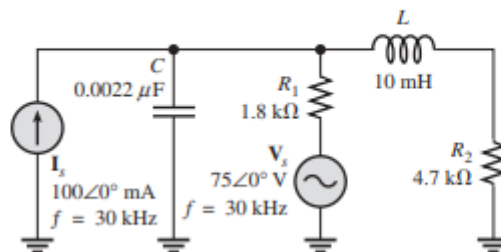
$$IR3 = IV1 + IV2$$

$$IR3 = (1.07 + 0.59j)mA$$

$$IR3 = (1.23 \angle 28.77^\circ)mA$$

3. Con el teorema de superposición, calcule la corriente a través de  $R_1$  en la figura 19-45.

► FIGURA 19-45



$$X_c = \frac{1}{2\pi f C}$$

$$X_c = \frac{1}{2\pi(30 * 10^3)(0.0022)}$$

$$X_c = 2.41k\Omega$$

$$X_l = 2\pi f l$$

$$X_c = 2\pi(30 * 10^3)$$

$$X_l = 1884\Omega$$

$$100 * 10^{-3} < 0^\circ + \frac{V_1}{2411 < -90^\circ} + \frac{V_1}{1,8k\Omega} + \frac{V_1}{1884 < 90^\circ\Omega + 4,7k\Omega} = 0$$

$$V_1 = 122,86 < 155,2^\circ V$$

$$I_1 = \frac{122,86 < 155,2^\circ}{1800}$$

$$I_1 = 68,26 < 155,2^\circ mA$$

$$\frac{V_1}{2,41 < -90^\circ k\Omega} + \frac{V_2 - 75^\circ < 0^\circ}{1,8k\Omega} + \frac{V_2}{1884 < 90^\circ\Omega + 4,7k\Omega} = 0$$

$$V_2 = 51,2 < -24,79^\circ V$$

$$V_2 = I_2 R_1 + V_s$$

$$I_2 = \frac{V_2 - V_s}{R_1}$$

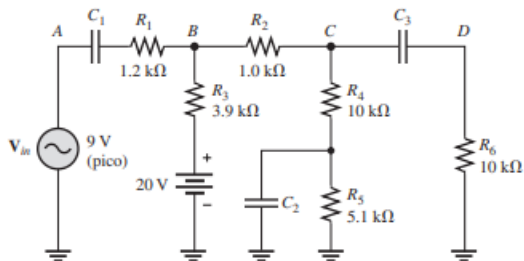
$$I_2 = 19,83 < -143^\circ mA$$

$$I = I_1 + I_2$$

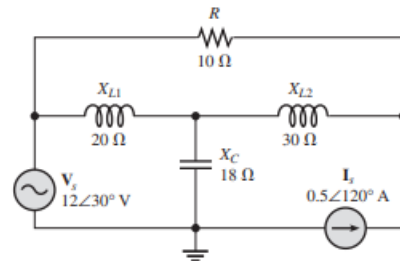
$$I = 80 < -12,07^\circ mA$$

\*5. Determine el voltaje en cada punto (A, B, C, D) señalado en la figura 19-47. Suponga  $X_c = 0$  para todos los capacitores. Trace las formas de onda de voltaje en cada punto.

\*6. Use el teorema de superposición para determinar la corriente en el capacitor de la figura 19-48.



▲ FIGURA 19-47



▲ FIGURA 19-48

Nodo B

$$\frac{v_B}{3900} + \frac{v_B - v_C}{1000} = 0$$

$$1.25v_B - v_C = 5.12$$

Nodo C

$$\frac{v_C}{15100} + \frac{v_C - v_B}{1000} = 0$$

$$1.06V_C = V_B$$

$$v_c = 15.17v$$

$$V_B = 16.17v$$

*Nodo B*

$$2.08v_B - v_c = 7.5$$

*Nodo C*

$$1.2v_c - v_B = 0$$

$$v_B = 5.97v$$

$$V_C = 4.97v$$

$$v_C = v_D$$

$$v_D = 4.97v$$

*El voltaje desarrollado en los puntos A, B, C y D debido a la fuente de voltaje de CC es el siguiente:*

$$v_A = 0v$$

$$v_B = 16.17v$$

$$v_C = 15.17v$$

$$V_D = 0V$$

*EL voltaje desarrollado en los puntos A, B, C y D debido a la fuente de voltaje de CA es el siguiente:*

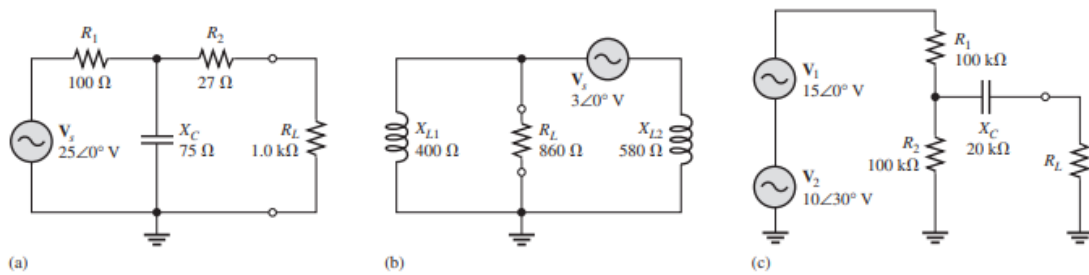
$$v_A = 9v$$

$$v_B = 5.97v$$

$$v_C = 4.97v$$

$$v_D = 1.97v$$

7. En cada circuito de la figura 19-49, determine el circuito equivalente de Thevenin para la parte vista por  $R_L$ .



▲ FIGURA 19-49

A)

Impedancia de Thevenin:

$$Z = \frac{(-j75) \cdot (100)}{-j75 + 100} = 36 - j48$$

$$Z = (27) + (36 - j48) = 63 - j48 \Omega$$

Determinamos voltajes de Thevenin:

$$A: 100 I_1 - j75 I_1 = 25$$

$$(100 - j75) I_1 = 25$$

$$I_1 = \frac{4}{25} + j \frac{3}{25}$$

$$V = I_z$$

$$V = \frac{4}{25} + j \frac{3}{25} * (-j75)$$

$$V_{th} = 9.16$$

B)

Impedancia de Thevenin:

$$z_{Th} = j400 + j580 = j980 \Omega$$

Determinamos voltajes de Thevenin:

$$A: j400 I_1 + j580 I_1 = 3$$

$$(j400 + j580) I_1 = 3$$

$$I_1 = \frac{3}{j980}$$

$$V = I_Z = \left( \frac{3}{j980} \right) \cdot (j980)$$

$$V_{th} = 3$$

C)

Impedancia de Thevenin:

$$Z = \frac{(100) \cdot (100)}{100 + 100} = j20$$

$$Z_{th} = 50 - j20\Omega$$

Equivalencia de las dos fuentes:

$$V_{feq} = 23.66 + j5V$$

Determinamos voltajes de Thevenin:

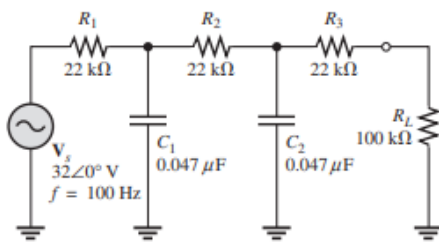
$$A: 100 I_1 + 100 I_1 = 23.66 + j5$$

$$I_1 = \frac{23.66 + j5}{200} = 0.1183 + j0.025mA$$

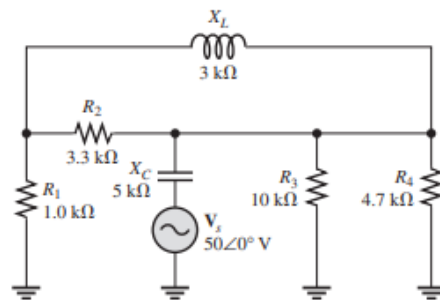
$$V: I_Z = (0.1183 + j0.025) \cdot 100$$

$$V_{th} = 11.83 + j2.5$$

9. Aplique el teorema de Thevenin y determine el voltaje en  $R_4$  en la figura 19-51.



▲ FIGURA 19-50



▲ FIGURA 19-51

$$Z_{eq1} = \left( \frac{1}{3.3} + \frac{1}{j3} \right)^{-1} = 1,493 + j1,642k\Omega$$

$$Z_{eq2} = Z_{eq1} + R_1 = 2,493 + j1,642k\Omega$$

$$Z_{eq3} = \left( \frac{1}{Z_{eq2}} + \frac{1}{R_3} \right)^{-1} = 2.131 + j1,0344$$

$$Z_r = Z_{eq3} + X_c = 2,1314 - j3,965k\Omega$$

$$I_r = \frac{V_s}{Z_r} = \frac{50V}{2,1314 - j3,965k\Omega} = 11,1 \angle 61,744^\circ mA$$

$$V_{th} = I_r * Z_{eq3} = (11,1 \angle 61,744^\circ mA)(2,131 + j1,0344k\Omega)$$

$$V_{th} = 26,307 \angle 87,632^\circ V$$

$$Z_{eq1} = \left(\frac{1}{3,3} + \frac{1}{j3}\right)^{-1} = 1,493 + j1,642k\Omega$$

$$Z_{eq2} = Z_{eq1} + R_1 = 2,493 + j1,642k\Omega$$

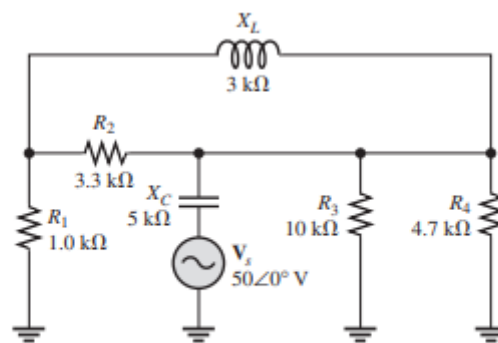
$$Z_{th} = \left(\frac{1}{Z_{eq2}} + \frac{1}{X_c} + \frac{1}{R_3}\right)^{-1} = 2,63 - j0,109k\Omega$$

$$I_t = \frac{V_{th}}{Z_{th} + R_4} = \frac{26,307 \angle 87,632^\circ V}{7,329 + j0,109k\Omega} = 3,589 \angle 88,484^\circ mA$$

$$V_4 = I_t * R_4 = (3,589 \angle 88,484^\circ mA)(4,7k\Omega)$$

$$V_4 = 16.868 \angle 88,484^\circ V$$

\* **13.** Aplique el teorema de Norton para determinar el voltaje en  $R_4$  en la figura 19-51.



▲ FIGURA 19-51

Determinamos la impedancia equivalente:

$$Z_{eq1} = \frac{(1) \cdot (j3)}{1 + j3} = \frac{9}{10} + \frac{3}{10}j$$

$$Z_{eq2} = \frac{(10) \cdot (-j3.3)}{10 - j3.3} = 0.982 - j2.975$$

Impedancia Total:

$$Z_{eqNorton} = 3.3 + Z_{eq1} + Z_{eq2} = \frac{2591}{500} + \frac{267}{100}j$$

Corriente equivalente de Norton:

$$A: I_1 + 3.3I_1 - 3.3I_4 - j3.3I_1 + j3.3I_2 = -50$$

$$B: 10I_2 - 10I_3 - j3.3I_2 + j3.3I_1 = 50$$

$$C: 10I_3 - 10I_2 = 0$$

$$C: j3I_4 + 3.3I_4 - 3.3I_1 = 0$$

Resolución de sistema de ecuaciones:

$$A: I_1(4.3 - j3.3) + j3.3I_2 - 3.3I_4 = -50$$

$$B: j3.3 + I_2(10 - j3.3) - 10I_3 = 50$$

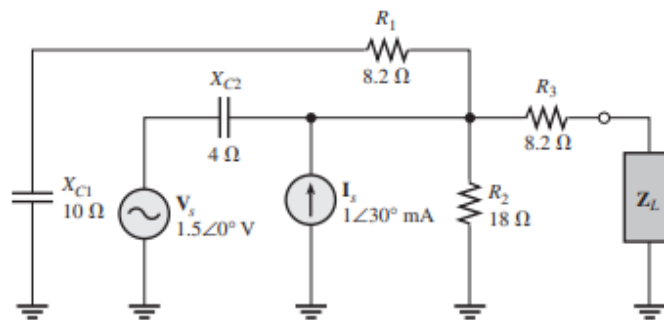
$$C: 10I_3 - 10I_2 = 0$$

$$C: -3.3I_1 + I_4(j3 + 3.3) = 0$$

Corriente de Resistencia de Carga:

$$I_3 = \frac{500}{33} \text{ mA}$$

\* 15. Determine  $Z_L$  para transferir potencia máxima en la figura 19-54.



▲ FIGURA 19-54

$$Z_1 = 8.2 - j10$$

$$Z_2 = \frac{(4 \angle -90^\circ)(18 \angle 0^\circ)}{18 - j4} = 3.9 \angle -77.47^\circ$$

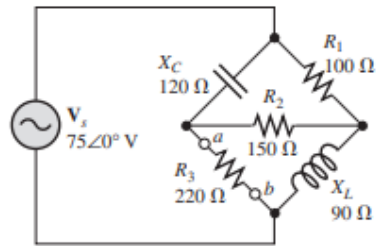
$$Z_{12} = \frac{(12.93 \angle 50.65^\circ)(3.9 \angle -77.47^\circ)}{8.2 - j10 + j3.806} = 3.05 \angle 71.34^\circ$$

$$Z_{TH} = 8.2 + 0.976 - j2.888 = 9.176 - j2.888$$

$$Z_{TH} = 9.176 + j2.888$$

\* 17. Se tiene que conectar una carga en el lugar de  $R_2$  en la figura 19-52 para lograr transferencia de potencia máxima. Determine el tipo de carga y exprésela en forma rectangular.





▲ FIGURA 19-52

$$Z_C = \frac{(120 \angle -90^\circ)(220 \angle 0^\circ)}{220 - j120} = 105.34 \angle -61.39^\circ$$

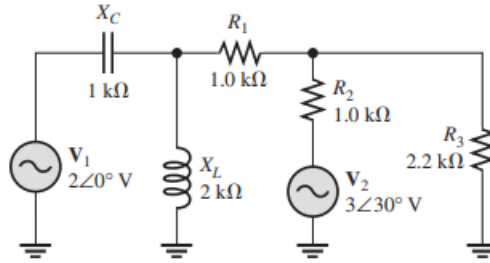
$$Z_L = \frac{(100 \angle 0^\circ)(90 \angle 90^\circ)}{100 + j90} = 66.89 \angle 48^\circ$$

$$Z_{TH} = 105.34 \angle -61.39^\circ + 66.89 \angle 48^\circ = 95.21 - j42.8$$

$$\mathbf{Z_{TH}: 95.21+j42.8 \, \Omega}$$

2. Use el teorema de superposición para determinar la corriente y el voltaje a través de la rama  $R_2$  de la figura 19-44.

► FIGURA 19-44



Fuente 1 Voltaje 0

$$Z_i = \frac{(1 \angle -90^\circ)(2 \angle 90^\circ)}{-j + j2} + 1 = -j2 + 1 = 2.24 \angle -63.44^\circ$$

$$Z_t = 1 + \frac{(2.24 \angle -63.44^\circ)(2.2 \angle 0^\circ)}{1 - j2 + 2.2} = 1 + 1.31 \angle -31.44^\circ = 2.225 \angle -17.91^\circ$$

$$I_t = \frac{3 \angle 30^\circ}{2.225 \angle -17.91^\circ} = 1.35 \angle 47.91^\circ \text{ mA}$$

Fuente 2 Voltaje 0

$$R_t = 1 + \frac{1 * 2.2}{1 + 2.2} = 1.69$$

$$Z_t = -j + \frac{(1.69 \angle 0^\circ)(2 \angle 90^\circ)}{1.69 + j2} = -j + 1.29 \angle 40.2^\circ = 1 \angle -9.67^\circ$$

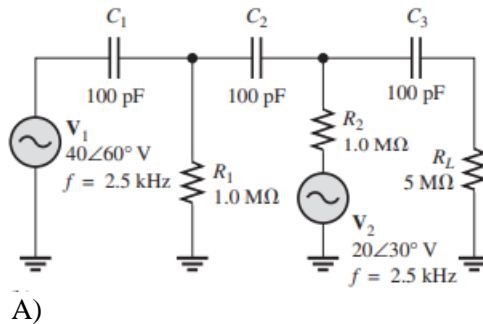
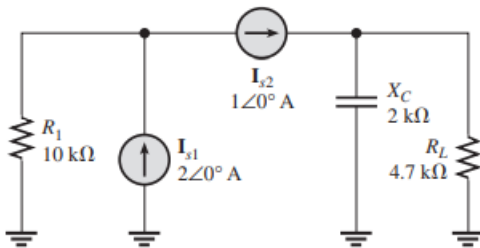
$$I_t = \frac{2 \angle 0^\circ}{1 \angle -9.67^\circ} = 2 \angle 9.67^\circ \text{ mA}$$

$$I_1 = \frac{2 \angle 90^\circ}{1.69 + j2} * 2 \angle 9.67^\circ = 1.53 \angle 49.87^\circ$$

$$I_2 = \frac{2.2}{3.2} * 1.53 \angle 49.87^\circ = 1.05 \angle 49.87^\circ$$

$$I_t \text{ en } R_2 = 1.05 \angle 49.87^\circ + 1.35 \angle 47.91^\circ = 2.4 \angle 48.77^\circ \text{ mA}$$

4. Con el teorema de superposición, determine la corriente a través de  $R_L$  en cada circuito de la figura 19-46.



Fuente 1 Corriente 0

$$I_2 = \frac{2 \angle -90^\circ}{4.7 - j2} * 1 \angle 0^\circ = 0.39 \angle -67^\circ A$$

Fuente 2 Corriente 0

$$Z_d = \frac{(4.7 \angle 0^\circ)(2 \angle -90^\circ)}{4.7 - j2} = 1.84 \angle -67^\circ$$

$$I_{d2} = \frac{10 \angle 0^\circ}{10 + 0.719 - j1.695} * 2 \angle 0^\circ = 1.84 \angle 8.98^\circ$$

$$I_2 = \frac{2 \angle -90^\circ}{4.7 - j2} * 1.84 \angle 8.98^\circ = 0.72 \angle -58.02^\circ A$$

$$I_{tL} = 0.39 \angle -67^\circ A + 0.72 \angle -58.02^\circ A = 1.11 \angle -61.17^\circ A$$

b)

Fuente 2 Voltaje 0

$$X_{c1} = X_{c2} = X_{c3} = \frac{1}{2 * \pi * 2500 * 100 * 10^{-12}} = 0.64 M\Omega$$

$$R_A = 5 - j0.64 = 5.041 \angle -7.3^\circ$$

$$R_B = \frac{(1 \angle 0^\circ)(5.041 \angle -7.3^\circ)}{1 + 5 - j0.64} = 0.84 \angle -1.2^\circ$$

$$R_C = -j0.64 + 0.84 \angle -1.2^\circ = 1.067 \angle -38^\circ$$

$$R_D = \frac{(1 \angle 0^\circ)(1.067 \angle -38^\circ)}{1 + 0.84 - 0.658} = 0.55 \angle -18.3^\circ$$

$$R_t = -j0.64 + 0.55 \angle -18.3^\circ = 2.52 \angle -35.2^\circ$$

$$I_{s1} = \frac{40 \angle 60^\circ}{2.52 \angle -35.2^\circ} = 15.87 \angle 24.8^\circ \mu A$$

$$I_A = \frac{1 \angle 0^\circ}{1 + 1.067 \angle -38^\circ} * 15.87 \angle 24.8^\circ = 7.05 \angle 60^\circ \mu A$$

$$I_{l1} = \frac{(1 \angle 0^\circ)(7.05 \angle 60^\circ)}{1 + 5.041 \angle -7.3^\circ} = 1.17 \angle 66.1^\circ \mu A$$

Fuente 1 Voltaje 0

$$R_A = \frac{(0.64 \angle -90^\circ)(1 \angle 0^\circ)}{1 - j0.64} = 0.54 \angle -57.4^\circ$$

$$R_B = -j0.64 + 0.54 \angle -57.4^\circ = 1.133 \angle -75.1^\circ$$

$$R_C = 5 - j0.64 = 5.041 \angle -7.3^\circ$$

$$R_D = \frac{(1.133 \angle -75.1^\circ)(5.041 \angle -7.3^\circ)}{1.133 \angle -75.1^\circ + 5.041 \angle -7.3^\circ} = 1.11 \angle -64.25^\circ$$

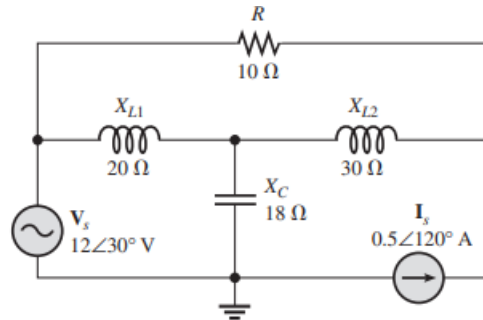
$$R_t = 1.11 \angle -64.25^\circ + 1 = 1.788 \angle -34^\circ M\Omega$$

$$I_{s2} = \frac{20 \angle 30^\circ}{1.788 \angle -34^\circ} = 11.19 \angle 64^\circ \mu A$$

$$I_{tL} = \frac{1.133 \angle -75.1^\circ}{1.133 \angle -75.1^\circ + 5.041 \angle -7.3^\circ} * 11.19 \angle 64^\circ = 2.27 \angle 7.05^\circ \mu A$$

$$I_L = 2.24 \angle 7.05^\circ + 1.17 \angle 66.1^\circ = 3.041 \angle 26.31^\circ \mu A$$

\*6. Use el teorema de superposición para determinar la corriente en el capacitor de la figura 19-48.



Fuente I Corriente 0

$$Z1 = \frac{(30 < 90^\circ)(18 < -90^\circ)}{j30 - j18} = 45 < -90^\circ$$

$$Z2 = j20 - j45 = 25 < -90^\circ$$

$$Zt = \frac{(25 < -90^\circ)(10 < 0^\circ)}{10 - j25} = 9.28 < -21.8^\circ$$

$$Is = \frac{12 < 30^\circ}{9.28 < -21.8^\circ} = 1.3 < 51.8^\circ A$$

$$I1 = \frac{10 < 0^\circ}{10 - j25} * 1.3 < 51.8^\circ = 0.48 < 120^\circ A$$

$$Ic = \frac{30 < 90^\circ}{j30 - j18} * 0.48 < 120^\circ = 1.2 < 120^\circ A$$

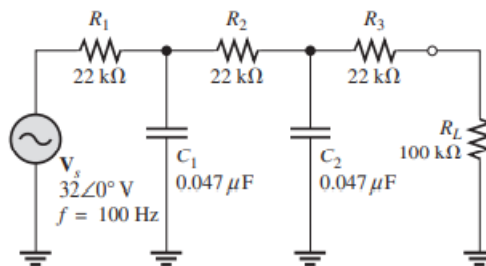
Fuente V Voltaje 0

$$I1 = \frac{10 < 0^\circ}{10 - j25} * 0.5 < 120^\circ = 0.19 < 188.2^\circ A$$

$$Ic = \frac{20 < 90^\circ}{j20 - j18} * 0.19 < 188.2^\circ = 1.9 < 188.2^\circ$$

$$Itc = 1.9 < 188.2^\circ + 1.2 < 120^\circ = 2.597 < 162.82^\circ A$$

8. Aplique el teorema de Thevenin y determine la corriente a través de la carga  $R_L$  en la figura 19-50.



$$Xc1 = Xc2 = \frac{1}{2\pi * 100 * 0.047 * 10^{-6}} = 33.9 k\Omega$$

$$RA = \frac{(33.9 < -90^\circ)(22 < 0^\circ)}{22 - j33.9} = 18.46 < -33^\circ$$

$$RB = 22 + 18.46 < -33^\circ = 38.82 < -15.02^\circ$$

$$RC = \frac{(33.9 < -90^\circ)(38.82 < -15.02^\circ)}{-j33.9 + 38.82 < -15.02^\circ} = 22.78 < -55.5^\circ$$

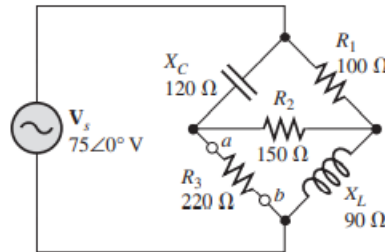
$$RTH = 22 + 22.78 < -55.5^\circ = 34.89 - j18.77 k\Omega$$

$$I_t = \frac{32 \angle 0^\circ}{\frac{39.62 \angle -28.28^\circ}{33.9 \angle -90^\circ}} = 0.81 \angle 28.28^\circ \text{ mA}$$

$$I_1 = \frac{-j33.9 + 38.82 \angle -15.02^\circ}{33.9 \angle -90^\circ} * 0.81 \angle 28.28^\circ = 0.48 \angle -12.19^\circ$$

$$I_R = \frac{33.9 \angle -90^\circ}{-j33.9 + 22} * 0.48 \angle -12.19^\circ = 0.4 \angle -45.19^\circ \text{ mA}$$

\* 10. Simplifique el circuito externo a  $R_3$  mostrado en la figura 19-52 a su equivalente de Thevenin.



Se abre del circuito el  $R_3$  y se calcula el voltaje en los extremos, el cual es el voltaje de la impedancia calculada

$$V_{th} = 75 \angle 0^\circ \text{ V}$$

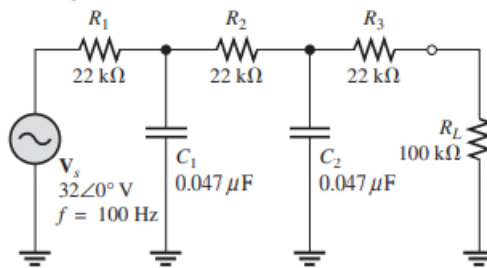
Ahora se calcula la impedancia  $Z_{th}$  y para esto se va a poner la fuente en circuito abierto

$$Z_{eq1} = X_C + R_1 = 100 - j120 \Omega$$

$$Z_{eq2} = \left( \frac{1}{Z_{eq1}} + \frac{1}{R_2} \right)^{-1} = 76.853 - j35.11 \Omega$$

$$Z_{th} = Z_{eq2} + X_L = 76.853 - j54.88 \Omega$$

12. Aplique el teorema de Norton y determine la corriente a través del resistor de carga  $R_L$  en la figura 19-50.



Para empezar, tenemos que poner en corto  $R_L$  y a continuación se sabrá la corriente que circula, esta es igual a calcular la corriente en  $R_3$

$$X_{C1} = X_{C2} = \frac{1}{2\pi f C_1} = \frac{1}{2\pi(0.1 \text{ KHz})(0.047 \text{ uF})} = -j33.86 \text{ K}\Omega$$

$$Z_{eq1} = \left( \frac{1}{X_{C2}} + \frac{1}{R_3} \right)^{-1} = 15.46 - j10.05 \text{ K}\Omega$$

$$Z_{eq2} = Z_{eq1} + R2 = 37.46 - j10.05 \text{ K}\Omega$$

$$Z_{eq3} = \left( \frac{1}{Z_{eq2}} + \frac{1}{Xc1} \right)^{-1} = 12.89 - j18.75 \text{ K}\Omega$$

$$Z_T = Z_{eq3} + R1 = 34.89 - j18.75 \text{ K}\Omega$$

Con la ley de ohm, hallaremos la corriente Zeq3 y también su voltaje.

$$I_{eq3} = I_T = \frac{VT}{Z_T} = \frac{32 \angle 0^\circ \text{ V}}{34.892 - j18.75 \text{ K}\Omega} = 0.80 \angle 28.25^\circ \text{ mA}$$

$$V_{eq2} = V_{eq3} = I_{eq3} Z_{eq3} = (0.80 \angle 28.25^\circ \text{ mA})(12.892 - j18.75 \text{ K}\Omega)$$

$$V_{eq3} = 18.38 \angle -27.38^\circ \text{ V}$$

$$I_{eq1} = I_{eq2} = \frac{V_{eq2}}{Z_{eq2}} = \frac{18.382 - 27.23^\circ \text{ V}}{37.46 - j10.05 \text{ K}\Omega} = 0.47 \angle -12.22^\circ \text{ mA}$$

$$V3 = V_{eq1} = I_{eq1} Z_{eq1} = (0.47 \angle -12.22^\circ \text{ mA})(15.46 - j10.05 \text{ K}\Omega)$$

$$V3 = 8.74 \angle -45.23^\circ \text{ V}$$

$$I_n = I3 = \frac{V3}{R3} = \frac{8.74 \angle -45.23^\circ \text{ V}}{22 \text{ K}\Omega} = 0.39 \angle -45.23^\circ \text{ mA}$$

Para calcular las impedancias de Norton procedemos a poner en cortocircuito a la fuente y obtenemos RL

$$Z_{eq1} = \left( \frac{1}{Xc1} + \frac{1}{R1} \right)^{-1} = 15.46 - j10.05 \text{ K}\Omega$$

$$Z_{eq2} = Z_{eq1} + R2 = 37.46 - j10.05 \text{ K}\Omega$$

$$Z_{eq3} = \left( \frac{1}{Z_{eq2}} + \frac{1}{Xc1} \right)^{-1} = 12.89 - j18.75 \text{ K}\Omega$$

$$Z_n = Z_{eq3} + R3 = 34.89 - j18.75 \text{ K}\Omega$$

La impedancia es igual a

$$Z_T = \left( \frac{1}{Z_n} + \frac{1}{RL} \right)^{-1} = 22.27 - j10.11 \text{ K}\Omega$$

Se procede a hallar el voltaje en RL y su corriente

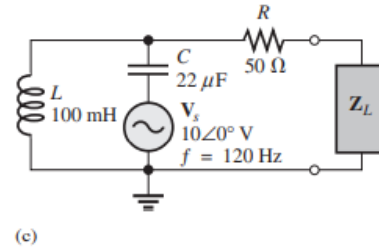
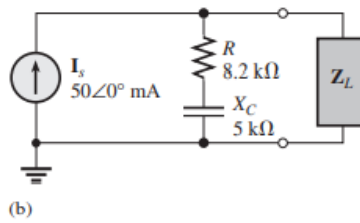
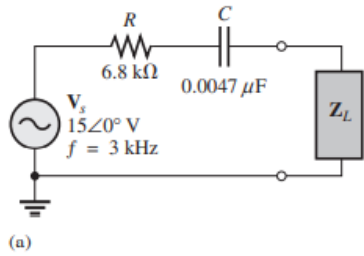
$$VT = I_n * Z_T = (0.39 \angle -45.23^\circ \text{ mA})(22.27 - j10.11 \text{ K}\Omega)$$

$$VT = 11.54 \angle -65.57^\circ \text{ V}$$

$$I_L = \frac{VT}{R_T} = \frac{11.54 \angle -65.57^\circ \text{ V}}{100 \text{ K}\Omega}$$

$$I_L = 0.11 \angle -65.57^\circ \text{ mA}$$

14. En cada circuito de la figura 19-53, se tiene que transferir potencia máxima a la carga  $R_L$ . Determine el valor apropiado para la impedancia de carga en todos los casos.



a)

$$X_C = \frac{1}{2\pi f C} = \frac{1}{2\pi(3 \text{ KHz})(0.0047 \text{ μF})} = -j1.12 \text{ K}\Omega$$

$$Z_{eq} = X_C + R = 6.8 - j1.128 \text{ K}\Omega$$

$$Z_L = 6.8 + j1.128 \text{ K}\Omega$$

b)

$$Z_{eq} = X_C + R = 8.2 - j5 \text{ K}\Omega$$

$$Z_L = 8.2 + j5 \text{ K}\Omega$$

c)

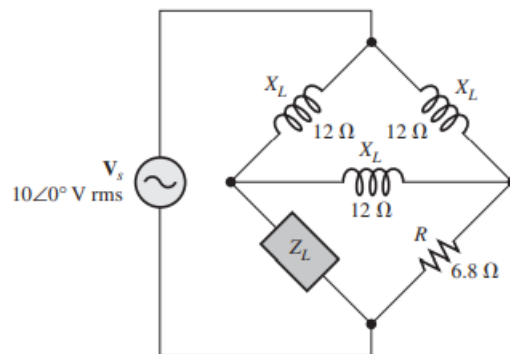
$$X_C = \frac{1}{2\pi f C} = \frac{1}{2\pi(0.12 \text{ KHz})(22 \text{ μF})} = -j60.28 \Omega$$

$$X_L = 2\pi f L = 2\pi(0.12 \text{ KHz})(0.1 \text{ μH}) = j75.39 \Omega$$

$$Z_{th} = \left( \frac{1}{X_L} + \frac{1}{X_C} \right)^{-1} + R = 50 - j300.78 \Omega$$

$$Z_L = 50 + j300.78 \Omega$$

- \*16. Determine la impedancia de carga requerida para transferir potencia máxima a  $Z_L$  en la figura 19-55. Determine la potencia real máxima.



Se procede a poner la fuente y la Resistencia  $Z_L$  en corto

$$Z_{eq1} = X_{L1} + X_{L2} = j24 \Omega$$

$$Z_{eq2} = \left( \frac{1}{Z_{eq1}} + \frac{1}{X_{L3}} \right)^{-1} = j8 \Omega$$

$$Z_{th} = Z_{eq2} + R = 6.8 + j8 \Omega$$

$$Z_L = 6.8 - j8 \Omega$$

En los cálculos del voltaje de Thévenin se procederá a calcular el voltaje en las aberturas  $Z_L$ .

$$V_{TH} = 10 \angle 0^\circ \text{ V rms}$$

Se calculará la impedancia total del circuito

$$\begin{aligned} Z_t &= Z_{th} + Z_L = 13.6 \, \Omega \\ I_T &= \frac{V_{th}}{Z_t} = \frac{10 \text{ V rms}}{13.6 \, \Omega} = 0.735 \text{ A} \\ P_l(\text{real}) &= I_R(T)^2 R_l = (0.735 \text{ A})^2 (6.8 \, \Omega) \\ P_L(\text{real}) &= 3.67 \text{ W} \end{aligned}$$