IN THIS STEP WE FIND THE CONCAVITY OF THE **GRAPH.**

HERE WE FIND THE INFLECTION POINTS AND WHERE THE GRAPH CONCAVES LIP AND DOWN.

- -TO FIND THE INFLECTION POINTS OF THE GRAPH WE NEED TO SOLVE FOR $F(X)^{"} = \emptyset;$
- -NEXT WE FIND WHERE THE GRAPH IS CONCAVE UP AND DOWN ---->
 - -IF THE f(X)" > Ø THEN THERE IS A CONCAVE UP
 - -IF THE F(X)" < Ø THEN THERE IS A CONCAVE DOWN

Second Derivative:

$$f''(x) = \frac{-8x(x^2+1)^2 - 4(1-x^2)(2)(x^2+1)(2x)}{(x^2+1)^4}$$
$$= \frac{-8x^3 - 8x - 16x + 16x^3}{(x^2+1)^3} = \frac{8x^3 - 24x}{(x^2+1)^3} = \frac{8x(x^2-3)}{(x^2+1)^3}$$

$$f''(x) = 0 \Rightarrow x = 0 \text{ or } x = \pm\sqrt{3}$$

$$f''(x) = 0 \Rightarrow x = 0 \text{ or } x = \pm\sqrt{3}$$

 $f(0) = 0, \quad f(\pm\sqrt{3}) = \frac{\pm 4\sqrt{3}}{(\pm\sqrt{3})^2 + 1} = \pm\sqrt{3}$

x		$-\sqrt{3}$		0		$\sqrt{3}$	
f(x))	$-\sqrt{3}$	V	0	0	$\sqrt{3}$	C
f''(x)	25	0	+	0		0	+

 $(-\sqrt{3}, -\sqrt{3})$, (0,0), and $(\sqrt{3}, \sqrt{3})$ are points of inflection.