Generation and Improvization of Jazz music using LSTM network

January 19, 2024

```
[137]: ### v1.1
[138]: # Importing the necessary packages
       import IPython
       import sys
       import matplotlib.pyplot as plt
       import numpy as np
       import tensorflow as tf
       from music21 import *
       from grammar import *
       from qa import *
       from preprocess import *
       from music_utils import *
       from data_utils import *
       from outputs import *
       from test_utils import *
       from tensorflow.keras.layers import Dense, Activation, Dropout, Input, LSTM,
       →Reshape, Lambda, RepeatVector
       from tensorflow.keras.models import Model
       from tensorflow.keras.optimizers import Adam
       from tensorflow.keras.utils import to_categorical
[139]: # This is a snipper of the audio from the training set
       IPython.display.Audio('./data/30s_seq.wav')
[139]: <IPython.lib.display.Audio object>
[140]: # Here musical 'values' are defined as consisting of a pitch and duration. A
       →particular key when pressed for a particular
       # duration is a musical value.
       # The below code loads and preprocesses the raw music data into values
```

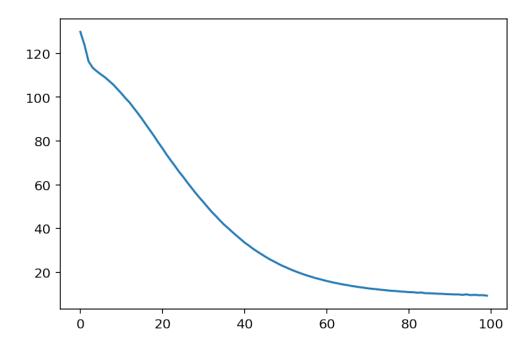
```
X, Y, n_values, indices_values, chords = load_music_utils('data/
        →original_metheny.mid')
[141]: print('number of training examples:', X.shape[0])
       print('Tx (length of sequence):', X.shape[1])
       print('total # of unique values:', n_values)
       print('shape of X:', X.shape)
       print('Shape of Y:', Y.shape)
       print('Number of chords', len(chords))
      number of training examples: 60
      Tx (length of sequence): 30
      total # of unique values: 90
      shape of X: (60, 30, 90)
      Shape of Y: (30, 60, 90)
      Number of chords 19
[142]: |# The shape of X is (m, T_x, 90) where m is the total number of training
        \rightarrow examples, T_x is the number of musical values in 1
       # training examples and 90 is the number of unique musical values (represented,
        \rightarrow as a one-hot vector).
       # The shape of Y is (T_y, m, 90). This is the actual truth output where Y<t+1>\Box
        \rightarrow = X < t >
       # Indices_values - A mapping or indexing of music data elements (e.g., a way tou
        →convert between notes and their
       # corresponding indices in a numerical representation).
[143]: n_values = 90 # number of music values
       n_a = 64 # number of dimensions for the hidden state of each LSTM cell.
       reshaper = Reshape((1, n_values)) # Defining the reshaper layer
       LSTM_cell = LSTM(n_a, return_state = True) # Defining the LSTM cell layer.
        →Please note that LSTM cell depends only on n_a
       densor = Dense(n_values, activation='softmax') # The densor layer is to_
        \rightarrow calculate the y_hat from the output of the LSTM cell block
[144]: def djmodel(Tx, LSTM_cell, densor, reshaper):
           Implement the dimodel composed of Tx LSTM cells where each cell is_{\sqcup}
        \hookrightarrow responsible
           for learning the following note based on the previous note and context.
           Each cell has the following schema:
                    [X_{t}, a_{t-1}, c_{t-1}] \rightarrow RESHAPE() \rightarrow LSTM() \rightarrow DENSE()
           Arguments:
               Tx -- length of the sequences in the corpus
               LSTM_cell -- LSTM layer instance
```

```
densor -- Dense layer instance
       reshaper -- Reshape layer instance
   Returns:
       model -- a keras instance model with inputs [X, a0, c0]
   # Get the shape of input values
   n_values = densor.units
   # Get the number of the hidden state vector
   n_a = LSTM_cell.units
   # Define the input layer and specify the shape
   X = Input(shape=(Tx, n_values)) # We don't have to specify 'm' while_
\rightarrow defining X. We define it for 1 training example
   # and it is applicable for the whole batch size. It is understood that X is \Box
\rightarrow of shape (m, T_x, n_values)
   # Define the initial hidden state a0 and initial cell state c0
   # using `Input`
   a0 = Input(shape=(n_a,), name='a0') # It is understood that a0 is of shape
\hookrightarrow (m, n_a)
   c0 = Input(shape=(n a,), name='c0') # It is understood that c0 is of shape
\hookrightarrow (m, n_a)
   a = a0 # Intial value of a
   c = c0 # Initial value of c
   outputs = []
   for t in range(Tx):
       # Select the "t"th time step vector from X.
       x = X[:,t,:]
       # Use reshaper to reshape x to be (1, n_values) because LSTM_cell_
\rightarrowexpects x to be in (m,1,n_values) format
       x = reshaper(x)
       # Perform one step of the LSTM_cell
       _, a, c = LSTM_cell(inputs=x, initial_state=[a, c])
       # Apply densor to the hidden state output of LSTM_Cell
       out = densor(a)
       # Append the output to "outputs"
       outputs.append(out)
   model = Model(inputs=[X, a0, c0], outputs=outputs) # In outputs, the outer_
→most level dimension is time step, then m and
```

```
# then atlast n_values. That's why we had initially defined Y as (T_y, m_{, \sqcup})
        \rightarrow n \ values)
           return model
[145]: # The function dimodel mainly calculates the 'outputs' which is then passed as [145]:
        → 'outputs' to 'Model' and the whole function
       # returns the defined model
[146]: ### YOU CANNOT EDIT THIS CELL
       model = djmodel(Tx=30, LSTM_cell=LSTM_cell, densor=densor, reshaper=reshaper)
[147]: ### YOU CANNOT EDIT THIS CELL
       # UNIT TEST
       output = summary(model)
       comparator(output, djmodel_out)
      All tests passed!
[148]: # Check your model
       #model.summary()
[149]: opt = Adam(lr=0.01, beta_1=0.9, beta_2=0.999, decay=0.01)
       model.compile(optimizer=opt, loss='categorical_crossentropy',__
        →metrics=['accuracy'])
[150]: m = 60
       a0 = np.zeros((m, n_a))
       c0 = np.zeros((m, n_a))
[151]: history = model.fit([X, a0, c0], list(Y), epochs=100, verbose = 0) # list(np).
        \rightarrow array([[1,2],[3,4],[5,6]])) = [array([1,2]), array([3,4]), array([5,6])]
       # Y is of shape (T_y, m, n_values). So list(Y) is a list of T_y elements, each
        \hookrightarrow of shape (m, n_values)
       # This is how we had defined 'outputs' while defining the 'model' using the \Box
        → function 'djmodel'
       # model.fit trains the weights of the 'LSTM_cell' and 'densor' layers
[152]: print(f"loss at epoch 1: {history.history['loss'][0]}")
       print(f"loss at epoch 100: {history.history['loss'][99]}")
       plt.plot(history.history['loss'])
```

loss at epoch 1: 129.82150268554688 loss at epoch 100: 9.377666473388672

[152]: [<matplotlib.lines.Line2D at 0x7f7980612e50>]



```
[153]: # Note to Self 1
       # When you create an instance of 'Model' (which has been imported from
       → tensorflow.keras.models),
       # you define the 'inputs' to the model and the 'outputs' generated by the model.
       → You show the model the procedure to
       # generate (predict) the 'outputs'.
       # When you do model.fit(inputs = inputs, true output, epochs, etc), here
       → 'model' is an instance of already defined 'Model'.
       # Now this line of code will start generating the 'outputs' as it was defined
       → in the 'Model' and will compare the
       # predicted 'outputs' with the 'true_output' and update the weights of the
       → 'LSTM_cell' and 'densor' layers.
       # Note - Before you start model.fit(), it is necessary to model.compile() where \Box
       →you define the optimization algorithm and
       # the loss function to be used
       # After the weights of 'LSTM_cell' and 'densor' layers have been trained, we_
       → are defining another
```

```
# Note to Self 2

# In the inference model, why are we feeding the y<1> as x<2>, y<2> as x<3> and______so on?

# We are predicting the entire sequence and we are being given just x<1>. If______ the 'weights' are the right values (zero loss),

# then the predicted y<1> would be nothing but x<2> and that's why we are______ feeding y<1> (which is same as x<2>) while

# predicting y<2>.

# The weights have been trained in a such a manner that when input is x<t>, the_______ output is y<t> (which is same as x<t+1>
```

[155]: # MUSIC INFERENCE

```
[156]: def music_inference_model(LSTM_cell, densor, Ty=100):

"""

Uses the trained "LSTM_cell" and "densor" from model() to generate a

⇒sequence of values.

Arguments:

LSTM_cell -- the trained "LSTM_cell" from model(), Keras layer object
densor -- the trained "densor" from model(), Keras layer object
Ty -- integer, number of time steps to generate

Returns:

inference_model -- Keras model instance
"""

# Get the shape of input values
n_values = densor.units
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# Get the number of the hidden state vector
           n_a = LSTM_cell.units
           # Define the input of model with a shape
           x0 = Input(shape=(1, n_values)) # Actually of shape (m, 1, n_values)
           # Define initial hidden state for the decoder LSTM
           a0 = Input(shape=(n a,), name='a0') # Actually of shape (m, n a)
           c0 = Input(shape=(n_a,), name='c0') # Actually of shape (m, n_a)
           a = a0 # Intial value of 'a'
           c = c0 # Intial value of 'c'
           x = x0 \# Intial value of 'x'
           # Create an empty list of "outputs" to later store your predicted values
           outputs = []
           # Loop over Ty and generate a value at every time step
           for t in range(Ty):
               # Perform one step of LSTM_cell.
               _, a, c = LSTM_cell(inputs=x, initial_state=[a, c])
               # Apply Dense layer to the hidden state output of the LSTM_cell
               out = densor(a)
               # Append the prediction "out" to "outputs". out.shape = (None, 90).
        \rightarrowActually
               outputs.append(out)
               x = tf.math.argmax(out, axis=1) # Gives the indice of maximum value
               x = tf.one_hot(x, depth=n_values) # Converts into one-hot_
        \rightarrowrepresentation vector
               # RepeatVector(1) converts x into a tensor with shape=(None, 1, 90)
        \hookrightarrow because LSTM_cell accepts x as a tensor of shape (None, 1,90)
               x = RepeatVector(1)(x)
           # Create model instance with the correct "inputs" and "outputs"
           inference_model = model = Model(inputs=[x0, a0, c0], outputs=outputs)
           return inference model
[157]: ### YOU CANNOT EDIT THIS CELL
       inference_model = music_inference_model(LSTM_cell, densor, Ty = 50)
[158]: ### YOU CANNOT EDIT THIS CELL
       # UNIT TEST
```

```
inference_summary = summary(inference_model)
comparator(inference_summary, music_inference_model_out)
```

All tests passed!

```
[159]: # Check the inference model #inference_model.summary()
```

```
[160]: # Initializing the inputs to be fed into the Inference model

x_initializer = np.zeros((1, 1, n_values))
a_initializer = np.zeros((1, n_a))
c_initializer = np.zeros((1, n_a))

# We are passing just 1 training example
```

[161]: # PREDICTING

```
[162]: def predict_and_sample(inference_model, x_initializer = x_initializer,__
        →a_initializer = a_initializer,
                                c_initializer = c_initializer):
           11 11 11
           Predicts the next value of values using the inference model.
           Arguments:
           inference_model -- Keras model instance for inference time
           x_i initializer -- numpy array of shape (1, 1, 90), one-hot vector y
        ⇒initializing the values generation
           a_initializer -- numpy array of shape (1, n_a), initializing the hidden
        ⇒state of the LSTM cell
           c_initializer -- numpy array of shape (1, n_a), initializing the cell state
        \hookrightarrow of the LSTM_cel
           Returns:
           results -- numpy-array of shape (Ty, 90), matrix of one-hot vectors ⊔
        →representing the values generated
           indices -- numpy-array of shape (Ty, 1), matrix of indices representing the \sqcup
        \hookrightarrow values generated
           11 11 11
           n_values = x_initializer.shape[2]
           # Using the inference model, we predict an output sequence given_
        \rightarrow x_i initializer, a_initializer and c_initializer.
           pred = inference model.predict([x_initializer, a_initializer,__
        →c_initializer])
```

```
# The shape of pred is (T_y, 1, 90)
           # We convert "pred" into an np.array() of indices with the maximum
        \rightarrowprobabilities
           indices = np.argmax(pred, axis=2)
           # The shape of 'indices' is (T_y, 1)
           # We convert indices to one-hot vectors
           results = to_categorical(indices, num_classes=n_values)
           # The shape of 'results' is (T_y, n_values = 90)
           return results, indices
[163]: # Note to self 3
       # The shape of 'pred' is (T_y,1,90). This is because that's how we defined the
        → procedure to generate(predict) the
       # 'outputs' while defining the inference 'Model'.
       # Actually 'pred' is a list of numpy arrays. Each element of 'pred' is of shape_
        \rightarrow (1,90) and there are T_y = 50 such elements.
[164]: # Example usage of np.argmax() and to_categorical()
       indices = np.argmax([[1,2],[3,4],np.array((6,5))], axis = 1)
       print(indices.shape)
       to_categorical(indices, num_classes=5)
       # Note to self 4
       # In the above case, we are passing a 2-d array to np.argmax() and so the
       \rightarrow resultant shape is (3,)
       # Whereas inside the function 'predict_and_sample', we are passing a 3-d array_
       → to np.argmax() and hence the resultant shape
       # is (50,1)
      (3,)
[164]: array([[0., 1., 0., 0., 0.],
              [0., 1., 0., 0., 0.],
              [1., 0., 0., 0., 0.]], dtype=float32)
[165]: # Example usage of np.argmax() on a 2-d array
       print(np.array([[1,2],[3,4],[5,6]]).shape)
       print()
       print(np.argmax(np.array([[1,2],[3,4],[5,6]]), axis = 0))
```

print()

```
print(np.argmax(np.array([[1,2],[3,4],[5,6]]), axis = 1))
      (3, 2)
      [2 2]
      [1 \ 1 \ 1]
[166]: # Note to Self 5
       # Example of usage of np.argmax() on a 3-dimensional array
       array_example = np.array([
           Γ
               [1, 2, 3, 4],
               [5, 6, 7, 8],
               [9, 10, 11, 12]
           ],
               [13, 14, 15, 16],
               [17, 18, 19, 20],
               [21, 22, 23, 24]
           ]
       ])
       print(array_example.shape)
       print()
       maximum_0 = np.argmax(array_example, axis = 0)
       maximum_1 = np.argmax(array_example, axis = 0)
       maximum_2 = np.argmax(array_example, axis = 0)
       # In a (2x3x4) array, the first dimension = 2 (no. of layers), second dimension
       \rightarrow= 3 (no.of rows) and
       # third dimension (no. of columns) = 4
       print(maximum_0)
       print()
       # When axis = 0, it is along the layers direction. First we go from the lower |
       → dimension (columns) to rows (higher dimension).
       # But the filling of elements in 'maximum_O' is always from columns to rows to_
       \rightarrow higher dimension.
       print(maximum_1)
       print()
       # When axis = 1, it is along the rows direction. First we go from the lower,
        → dimension (columns) to layers (higher dimension).
```

```
# But the filling of elements in 'maximum 1' is always from columns to rows tou
        \rightarrow higher dimension.
       print(maximum 2)
       # When axis = 2, it is along the columns direction. First we go from the lower |
        → dimension (rows) to layers (higher dimension).
       # But the filling of elements in 'maximum_2' is always from columns to rows to_\sqcup
        \rightarrow higher dimension.
      (2, 3, 4)
      [[1 1 1 1]
       [1 1 1 1]
       [1 1 1 1]]
      \lceil \lceil 1 \ 1 \ 1 \ 1 \rceil
       [1 1 1 1]
       [1 1 1 1]]
      [[1 1 1 1]
       [1 1 1 1]
       [1 1 1 1]]
[167]: ### YOU CANNOT EDIT THIS CELL
       results, indices = predict_and_sample(inference model, x_initializer,__
        →a_initializer, c_initializer)
       print("np.argmax(results[12]) =", np.argmax(results[12]))
       print("np.argmax(results[17]) =", np.argmax(results[17]))
       print("list(indices[12:18]) =", list(indices[12:18]))
      np.argmax(results[12]) = 1
      np.argmax(results[17]) = 36
      list(indices[12:18]) = [array([1]), array([35]), array([2]), array([14]),
      array([57]), array([36])]
[168]: print(indices.shape)
       print(results.shape)
       (50, 1)
       (50, 90)
[169]: # GENERATING MUSIC
[170]: out_stream = generate_music(inference_model, indices_values, chords)
```

Predicting new values for different set of chords.

Generated 32 sounds using the predicted values for the set of chords ("1") and after pruning

Generated 32 sounds using the predicted values for the set of chords ("2") and after pruning $\ensuremath{\text{0}}$

Generated 32 sounds using the predicted values for the set of chords ("3") and after pruning

Generated 32 sounds using the predicted values for the set of chords ("4") and after pruning

Generated 32 sounds using the predicted values for the set of chords ("5") and after pruning

Your generated music is saved in output/my_music.midi

```
# Inside the function 'generate_music', there is the function \( \)

\( \times \) 'predict_and_sample' which outputs the 'results' and 'indices'.

# Either 'indices' or 'results' can be converted to musical notes using the \( \times \) 'indices_values'

# This is how generate_music gives the ouput 'out_stream'

# And the generated music is saved in 'output/my_music.midi'
```

```
[172]: # Using a basic midi to wav parser you can have a rough idea about the audious clip generated by this model.

# The parser is very limited.

mid2wav('output/my_music.midi')

IPython.display.Audio('./output/rendered.wav')

# The MIDI file ('output/my_music.midi') is the direct output of the musicus generation LSTM model, and

# the WAV file ('rendered.wav') is the rendered audio version of that MIDIus file, allowing us to listen to the music our

# model has created. The conversion process does not alter the fundamental musical content created by the model;

# it simply translates it into a form that can be audibly played back.
```

[172]: <IPython.lib.display.Audio object>

```
[173]: # Here is a 30 second audio clip generated using this algorithm

IPython.display.Audio('./data/30s_trained_model.wav')
```

[173]: <IPython.lib.display.Audio object>

Note # The 2 generated clips are different due to the following reasons : # Different Model States: The two clips might be outputs from the model atualiferent stages of training. # Different Input Seeds: If the model generates music based on some initialuals seed or input, variations in this input can lead to # different outputs. # Differences in Post-Processing: The process used to convert the MIDI orual generative output to WAV format might differ in # terms of instruments used, synthesizer settings, effects applied