```
### v2.1
# Importing the necessary packages
import tensorflow as tf
import numpy as np
import scipy.misc
from tensorflow.keras.applications.resnet v2 import ResNet50V2
from tensorflow.keras.preprocessing import image
from tensorflow.keras.applications.resnet v2 import preprocess input,
decode predictions
from tensorflow.keras import layers
from tensorflow.keras.layers import Input, Add, Dense, Activation,
ZeroPadding2D, Flatten, Conv2D, AveragePooling2D, MaxPooling2D,
GlobalMaxPooling2D
from tensorflow.keras.models import Model, load model
from resnets utils import *
from tensorflow.keras.initializers import random uniform,
glorot uniform, constant, identity
from tensorflow.python.framework.ops import EagerTensor
from matplotlib.pyplot import imshow
from test utils import summary, comparator
import public tests
%matplotlib inline
np.random.seed(1)
tf.random.set seed(2)
# The problem of deep neural networks is vanishing/exploding
aradients.
# Note
# In the case of deep neural networks, there is the problem of
vanishina aradients.
# The gradients of the initial layer weights are very small as
compared to the gradients of the weights of layers at the back.
# So Adam's optimization considers adaptive learning rate to be large
for the initial layers and small for the layers at
# the back. Still the deep neural networks suffer from vanishing
aradients.
# In the rare case of exploding gradients, the optimizing algorithm
may diverge.
# Due to vanishing gradients, the learning speed of weights of initial
layers is small when compared to the learning speed
# of weights of layers at the back.
```

```
# Resnets make it easier for the model to learn the identity function.
The gradient of the identity function is 1.
# So this reduces the chances of vanishing/exploding gradients which
happens as we backpropagate (multiplication of matrices)
# from the back to the initial layers.

# Two main types of blocks are used in a ResNet, depending mainly on
whether the input/output dimensions are the same or
# different. We are going to implement both of them: the "identity
block" and the "convolutional block."

# Here is where you're actually using the power of the Functional API
to create a shortcut path
```

Identity block

```
def identity block(X, f, filters, initializer=random uniform):
    Implementation of the identity block as defined in Figure 4
    Arguments:
    X -- input tensor of shape (m, n H prev, n W prev, n C prev)
    f -- integer, specifying the shape of the middle CONV's window for
the main path
    filters -- python list of integers, defining the number of filters
in the CONV layers of the main path
    initializer -- to set up the initial weights of a layer. Equals to
random uniform initializer
    Returns:
   X -- output of the identity block, tensor of shape (m, n H, n W,
n_C)
    # Retrieve Filters
    F1, F2, F3 = filters
    # Save the input value
    X shortcut = X
    # 'X shortcut' and 'X' are of shape nh x nw x nc
    # Note - Tensors are immutable unlike python lists and arrays
    # First component of main path
    X = Conv2D(filters = F1, kernel\_size = 1, strides = (1,1), padding
= 'valid', kernel initializer = initializer(seed=0))(X)
    \# 'X' is of shape nh x nw x F1
    # kernel initializer refers to the method used for the initial
weight initialization of the kernel (or weights) in a
    # layer of a neural network.
    # 'valid' padding means no padding
```

```
X = BatchNormalization(axis = 3)(X) # Default axis
    X = Activation('relu')(X)
    ## Second component of main path
    ## Set the padding = 'same'
    X = Conv2D(filters = F2, kernel size = f, strides = (1,1), padding
= 'same', kernel initializer = initializer(seed=0))(X)
    \# 'X' is of shape nh x nw x F2
    X = BatchNormalization(axis = 3)(X)
    X = Activation('relu')(X)
    ## Third component of main path
    ## Set the padding = 'valid'
    X = Conv2D(filters = F3, kernel size = 1, strides = (1,1), padding
= 'valid', kernel initializer = initializer(seed=0))(X)
    \# 'X' is of shape nh x nw x F3
    X = BatchNormalization(axis = 3)(X)
    ## Final step: Add shortcut value to main path, and pass it
through a RELU activation
    X = Add()([X,X shortcut])
    # Since this is an identity block, F3 = nc because X and
X shortcut have to be the same size
    X = Activation('relu')(X)
    return X
### you cannot edit this cell
tf.keras.backend.set learning phase(False)
np.random.seed(1)
tf.random.set seed(2)
X1 = np.ones((1, 4, 4, 3)) * -1
X2 = np.ones((1, 4, 4, 3)) * 1
X3 = np.ones((1, 4, 4, 3)) * 3
X = np.concatenate((X1, X2, X3), axis = 0).astype(np.float32)
A3 = identity block(X, f=2, filters=[4, 4, 3],
                   initializer=lambda seed=0:constant(value=1))
print('\033[1mWith training=False\033[0m\n')
A3np = A3.numpy()
print(np.around(A3.numpy()[:,(0,-1),:,:].mean(axis = 3), 5))
resume = A3np[:,(0,-1),:,:].mean(axis = 3)
print(resume[1, 1, 0])
tf.keras.backend.set learning phase(True)
print('\n\033[1mWith training=True\033[0m\n')
```

```
np.random.seed(1)
tf.random.set seed(2)
A4 = identity block(X, f=2, filters=[3, 3, 3],
                   initializer=lambda seed=0:constant(value=1))
print(np.around(A4.numpy()[:,(0,-1),:,:].mean(axis = 3), 5))
public_tests.identity_block_test(identity_block)
With training=False
                         0.
                                    0.
[[[
     0.
               0.
     0.
               0.
                         0.
                                           11
 [[192.99992 192.99992 192.99992
                                   96.999961
  [ 96.99996  96.99996  96.99996  48.99998]]
 [[578.99976 578.99976 578.99976 290.99988]
  [290.99988 290.99988 290.99988 146.99994]]]
96.99996
With training=True
[[[0.
           0.
                   0.
 [0.
           0.
                   0.
                           0.
 [[0.40732 0.40732 0.40732 0.40732]
  [0.40732 0.40732 0.40732 0.40732]]
 [[5.00011 5.00011 5.00011 3.25955]
  [3.25955 3.25955 3.25955 2.40732]]]
All tests passed!
# Note - The CONV2D layer on the shortcut path does not use any non-
linear activation function.
# Its main role is to just apply a (learned) linear function that
reduces the dimension of the input,
# so that the dimensions match up for the later addition step.
```

Convolutional block

```
def convolutional_block(X, f, filters, s = 2,
initializer=glorot_uniform):
    Implementation of the convolutional block as defined in Figure 4

    Arguments:
    X -- input tensor of shape (m, n_H_prev, n_W_prev, n_C_prev)
    f -- integer, specifying the shape of the middle CONV's window for
the main path
    filters -- python list of integers, defining the number of filters
```

```
in the CONV layers of the main path
    s -- Integer, specifying the stride to be used
    initializer -- to set up the initial weights of a layer. Equals to
Glorot uniform initializer.
                   also called Xavier uniform initializer.
    Returns:
    X -- output of the convolutional block, tensor of shape (m, n H,
n_W, n_C)
    # Retrieve Filters
    F1, F2, F3 = filters
    # Save the input value
    X shortcut = X
    ##### MAIN PATH #####
    # First component of main path
    X = Conv2D(filters = F1, kernel_size = 1, strides = (s, s),
padding='valid', kernel initializer = initializer(seed=0))(X)
    X = BatchNormalization(axis = 3)(X)
    X = Activation('relu')(X)
    \# X \text{ is of shape } ((nh-1)/2) + 1, ((nw-1)/2) + 1, F1
    ## Second component of main path
    X = Conv2D(filters = F2, kernel_size = f, strides = 1,
padding='same', kernel_initializer = initializer(seed=0))(X)
    X = BatchNormalization(axis = 3)(X)
    X = Activation('relu')(X)
    \# X \text{ is of shape } ((nh-1)/2) + 1, ((nw-1)/2) + 1, F2
    ## Third component of main path
    X = Conv2D(filters = F3, kernel_size = 1, strides = 1,
padding='valid', kernel initializer = initializer(seed=0))(X)
    X = BatchNormalization(axis = 3)(X)
    \# X \text{ is of shape } ((nh-1)/2) + 1, ((nw-1)/2) + 1, F3
    ##### SHORTCUT PATH #####
    X_shortcut = Conv2D(filters = F3, kernel_size = 1, strides = (s,
s), padding='valid', kernel initializer = initializer(seed=0))
(X shortcut)
    X shortcut = BatchNormalization(axis = 3)(X shortcut)
    \# X \text{ shortcut is of shape } ((nh-1)/2) + 1, ((nw-1)/2) + 1, F3
    # Add shortcut value to main path and pass it through a RELU
activation
    X = Add()([X, X shortcut])
```

```
X = Activation('relu')(X)
    return X
# Note
# In ResNet, there are 2 blocks - identity blocks and convolutional
blocks. I can understand how identity blocks result in the
# identity function. But in the case of convolutional blocks,
X shortcut is also passed through 1 convolutional layer.
# But there is no activation function and hence there is no non-linear
transformation and this kind of represents the
# identity function. Because there is only linear transformation.
# This is not strictly identity function but it facilitates the
training of deeper networks by maintaining stronger
# gradient flows, even when the dimensions change.
### you cannot edit this cell
public tests.convolutional block test(convolutional block)
tf.Tensor(
[[[0.33485505 1.6415989 0.33789736 0.08511472 0.814965
                                                          0.
  [0.17509979 1.5699672 0.2606045 0.
                                               0.767209
                                                                    11
                                                          0.
              1.4983511 0.16896994 0.
 [[0.
                                               0.61830646 0.
  [0.
              1.4502985 0.11632714 0.
                                               0.58068544
          ]]], shape=(2, 2, 6), dtype=float32)
All tests passed!
```

Building of ResNet-50 model

```
# Details of ResNet-50 model

# Zero-padding pads the input with a pad of (3,3)
# Stage 1:
# The 2D Convolution has 64 filters of shape (7,7) and uses a stride of (2,2).
# BatchNorm is applied to the 'channels' axis of the input.
# MaxPooling uses a (3,3) window and a (2,2) stride.

# Stage 2:
# The convolutional block uses three sets of filters of size [64,64,256], "f" is 3, and "s" is 1.
# The 2 identity blocks use three sets of filters of size [64,64,256], and "f" is 3.

# Stage 3:
# The convolutional block uses three sets of filters of size [128,128,512], "f" is 3 and "s" is 2.
```

```
# The 3 identity blocks use three sets of filters of size
[128,128,512] and "f" is 3.
# Stage 4:
# The convolutional block uses three sets of filters of size [256,
256, 1024], "f" is 3 and "s" is 2.
# The 5 identity blocks use three sets of filters of size [256, 256,
10241 and "f" is 3.
# Stage 5:
# The convolutional block uses three sets of filters of size [512,
512, 2048], "f" is 3 and "s" is 2.
# The 2 identity blocks use three sets of filters of size [512, 512,
2048] and "f" is 3.
# The 2D Average Pooling uses a window of shape (2,2).
# The 'flatten' layer doesn't have any hyperparameters.
# The Fully Connected (Dense) layer reduces its input to the number of
classes using a softmax activation.
# Calculation of total number of layers in ResNet-50 model
# 12 Identity blocks = 36 layers
# 4 convolutional_blocks = 12 layers
# 1 convolutional layer = 1 layer
# 1 fully connected layer = 1 layer
# Total = 50 layers
def ResNet50(input shape = (64, 64, 3), classes = 6, training=False):
    Stage-wise implementation of the architecture of the popular
ResNet50:
    CONV2D -> BATCHNORM -> RELU -> MAXPOOL -> CONVBLOCK -> IDBLOCK*2 -
> CONVBLOCK -> IDBLOCK*3
    -> CONVBLOCK -> IDBLOCK*5 -> CONVBLOCK -> IDBLOCK*2 -> AVGPOOL ->
FLATTEN -> DENSE
    Arguments:
    input shape -- shape of the images of the dataset
    classes -- integer, number of classes
    Returns:
    model -- a Model() instance in Keras
    # Define the input as a tensor with shape input shape
    X input = Input(input shape)
    # Zero-Padding
```

```
X = ZeroPadding2D((3, 3))(X input)
    # Stage 1
    X = Conv2D(64, (7, 7), strides = (2, 2), kernel initializer =
glorot uniform(seed=0))(X)
    X = BatchNormalization(axis = 3)(X)
    X = Activation('relu')(X)
    X = MaxPooling2D((3, 3), strides=(2, 2))(X)
    # Stage 2
    X = convolutional_block(X, f = 3, filters = [64, 64, 256], s = 1)
    # After above step, suppose X is of shape nh, nw, 256
    X = identity block(X, 3, [64, 64, 256])
    # After above step, X is of shape nh, nw, 256
    X = identity block(X, 3, [64, 64, 256])
    # After above step, X is of shape nh, nw, 256
    # Note - For the convolutional block, we can blindly take any
values of f, filters, s
    # But for identity block, if input is of shape (nh,nw,nc), then
filters is [F1,F2,nc]. f can be any value
    # Use the instructions above in order to implement all of the
Stages below
    # Make sure you don't miss adding any required parameter
    ## Stage 3
    X = convolutional block(X, f = 3, filters = [128, 128, 512], s =
2)
    # After above step, X is of shape ((nh-1)/2) + 1, ((nw-1)/2) + 1,
512 or (nh',nw',512)
    # the 3 `identity block` with correct values of `f` and `filters`
for this stage
    X = identity block(X, 3, [128, 128, 512])
    # After above step, X is of shape ((nh-1)/2) + 1, ((nw-1)/2) + 1,
512 or (nh',nw',512)
    X = identity block(X, 3, [128, 128, 512])
    # After above step, X is of shape ((nh-1)/2) + 1, ((nw-1)/2) + 1,
512 or (nh',nw',512)
    X = identity_block(X, 3, [128, 128, 512])
    # After above step, X is of shape ((nh-1)/2) + 1, ((nw-1)/2) + 1,
512 or (nh',nw',512)
    # Stage 4
    # add `convolutional block` with correct values of `f`, `filters`
and `s` for this stage
    X = convolutional block(X, f = 3, filters = [256, 256, 1024], s =
2)
```

```
# After above step, X is of shape ((nh'-1)/2) + 1, ((nw'-1)/2) +
1, 1024 or (nh'', nw'', 1024)
    # the 5 `identity block` with correct values of `f` and `filters`
for this stage
    X = identity block(X, 3, [256, 256, 1024])
    # After above step, X is of shape ((nh'-1)/2) + 1, ((nw'-1)/2) +
1, 1024 or (nh'', nw'', 1024)
    X = identity block(X, 3, [256, 256, 1024])
    # After above step, X is of shape ((nh'-1)/2) + 1, ((nw'-1)/2) +
1, 1024 or (nh'', nw'', 1024)
    X = identity_block(X, 3, [256, 256, 1024])
    # After above step, X is of shape ((nh'-1)/2) + 1, ((nw'-1)/2) +
1, 1024 or (nh'', nw'', 1024)
    X = identity_block(X, 3, [256, 256, 1024])
    # After above step, X is of shape ((nh'-1)/2) + 1, ((nw'-1)/2) +
1, 1024 or (nh'', nw'', 1024)
    X = identity_block(X, 3, [256, 256, 1024])
    # After above step, X is of shape ((nh'-1)/2) + 1, ((nw'-1)/2) +
1, 1024 or (nh'', nw'', 1024)
    # Stage 5
    # add `convolutional block` with correct values of `f`, `filters`
and `s` for this stage
   X = convolutional block(X, f = 3, filters = [512, 512, 2048], s =
2)
    # After above step, X is of shape ((nh''-1)/2) + 1, ((nw''-1)/2) +
1, 2048 or (nh''', nw''', 2048)
    # the 2 `identity block` with correct values of `f` and `filters`
for this stage
    X = identity block(X, 3, [512, 512, 2048])
    # After above step, X is of shape ((nh''-1)/2) + 1, ((nw''-1)/2) +
1, 2048 or (nh''', nw''', 2048)
    X = identity block(X, 3, [512, 512, 2048])
    # After above step, X is of shape ((nh''-1)/2) + 1, ((nw''-1)/2) +
1, 2048 or (nh''', nw''', 2048)
    # AVGPOOL
    X = AveragePooling2D((2,2))(X)
    # output layer
    X = Flatten()(X)
    X = Dense(classes, activation='softmax', kernel initializer =
glorot uniform(seed=0))(X)
    # Create model
    model = Model(inputs = X input, outputs = X)
```

```
return model
tf.keras.backend.set learning phase(True)
# The above line of code explicitly sets it to the learning/training
phase which is different from inferrence/prediction phase.
# Differences between training and prediction phase
# During training, dropout randomly sets input units to 0 at a rate of
rate at each step, which helps prevent overfitting, and
# batch normalization normalizes the input using the batch statistics.
# During inference, dropout is not applied, and batch normalization
uses the moving average and variance calculated during
# training.
# In TensorFlow 2.x and later,
# When calling model.fit(), TensorFlow automatically sets the learning
phase to training mode.
# When using model.evaluate() or model.predict(), TensorFlow sets the
learning phase to inference mode.
model = ResNet50(input_shape = (64, 64, 3), classes = 6)
print(model.summary())
### you cannot edit this cell
from outputs import ResNet50 summary
model = ResNet50(input shape = (64, 64, 3), classes = 6)
comparator(summary(model), ResNet50 summary)
All tests passed!
```

Compiling the model

```
np.random.seed(1)
tf.random.set_seed(2)
opt = tf.keras.optimizers.Adam(learning_rate=0.00015)
model.compile(optimizer=opt, loss='categorical_crossentropy',
metrics=['accuracy'])
```

Loading the dataset

```
X_train_orig, Y_train_orig, X_test_orig, Y_test_orig, classes =
load_dataset()

# Normalize image vectors
X_train = X_train_orig / 255.
X_test = X_test_orig / 255.
```

```
# Convert training and test labels to one hot matrices
Y_train = convert_to_one_hot(Y_train_orig, 6).T
Y_test = convert_to_one_hot(Y_test_orig, 6).T

print ("number of training examples = " + str(X_train.shape[0]))
print ("number of test examples = " + str(X_test.shape[0]))
print ("X_train shape: " + str(X_train.shape))
print ("Y_train shape: " + str(Y_train.shape))
print ("X_test shape: " + str(X_test.shape))
print ("Y_test shape: " + str(Y_test.shape))

number of training examples = 1080
number of test examples = 120
X_train shape: (1080, 64, 64, 3)
Y_train shape: (120, 64, 64, 3)
Y_test shape: (120, 64, 64, 3)
Y_test shape: (120, 6)
```

Training the model

```
model.fit(X train, Y train, epochs = 10, batch size = 32)
Epoch 1/10
- accuracy: 0.3019
Epoch 2/10
accuracy: 0.5259
Epoch 3/10
accuracy: 0.6583
Epoch 4/10
accuracy: 0.7648
Epoch 5/10
accuracy: 0.8574
Epoch 6/10
accuracy: 0.9009
Epoch 7/10
accuracy: 0.8963
Epoch 8/10
accuracy: 0.9065
Epoch 9/10
34/34 [=======
      accuracy: 0.9343
```

Using a pre_trained model

```
pre trained model = load model('resnet50.h5')
preds = pre trained model.evaluate(X test, Y test)
print ("Loss = " + str(preds[0]))
print ("Test Accuracy = " + str(preds[1]))
accuracy: 0.9500
Loss = 0.1595880389213562
Test Accuracy = 0.94999988079071
# Note
# Very deep "plain" networks don't work in practice because vanishing
gradients make them hard to train.
# Skip connections help address the Vanishing Gradient problem. They
also make it easy for a ResNet block to learn an
# identity function.
# There are two main types of blocks: The identity block and the
convolutional block.
# Very deep Residual Networks are built by stacking these blocks
together.
```