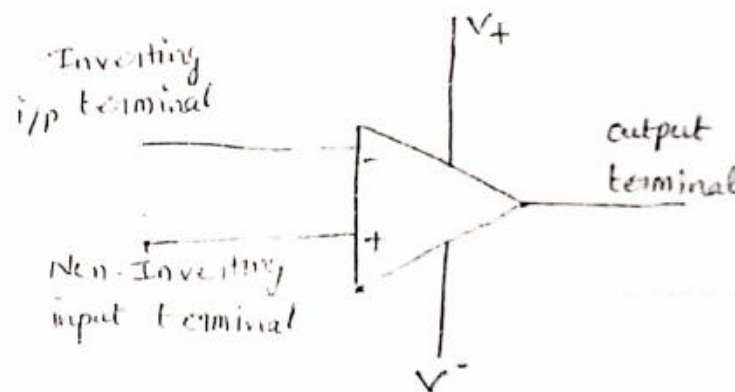


Syllabus: Introduction to Op-Amp, Differential Amplifier Configurations, CMRR, PSRR, Slew rate. Block diagram, PIN Configuration of 741 Op-Amp. Characteristics of Ideal Op-Amp - Concept of virtual ground. Op-Amp Applications: Inverting, Non-inverting Amplifier, Summing and differential amplifier. Voltage follower, Comparator, Differentiator, Integrator.

The circuit schematic of an Op-Amp is a triangle shape representation. It can be represented with five terminal representation.

Two terminals for supply, two terminals for input and one for output.



Packages :-

There are three popular packages are available

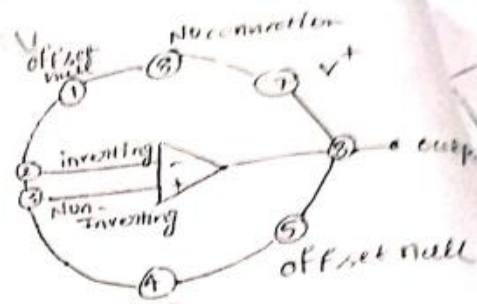
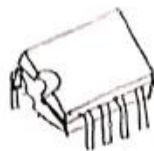
- i) Metal Can package.
- ii) Dual in line package
- iii) Flat type package.

Op-Amp packages may contain single, two (or) four op-Amps. Typical packages may have 8 terminals, 10 terminals and some times 14 terminals. The widely used Op-Amps are $\mu A741$ and the $\mu A747$ is a dual 741.

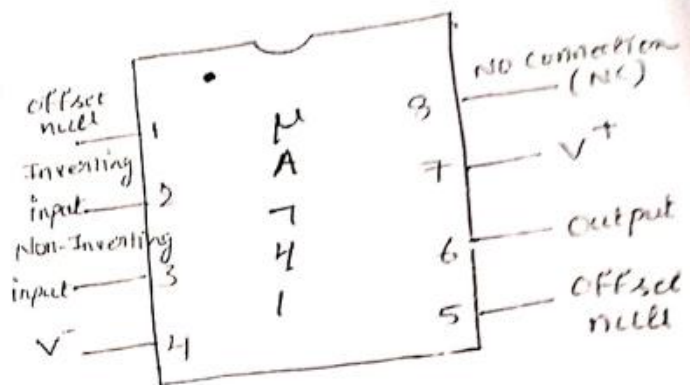
Metal Can-type



Dual-Inline package



8-pin metal can.



8 pin Dual Inline package

In these two sections, there are 8 pins numbered in counter clockwise. PIN 1 and PIN 5 represents offset null, PIN 2 is called inverting input terminal and PIN 3 is the Non-inverting input terminal, PIN-6 is called output terminal and PIN 7 & PIN 4 are the power supply terminal labelled as V^+ and V^- respectively. The pin 8 is marked as NC indicates "No connection". The terminal pins are started at where the dot representation is presented.

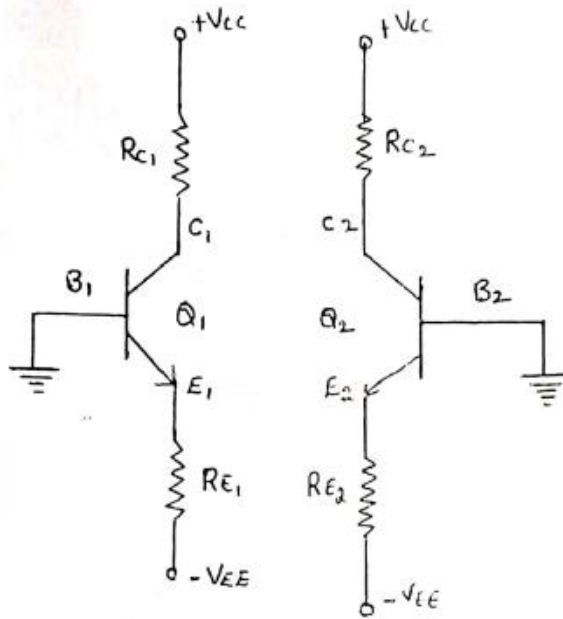
Manufacturers

Each Manufacturer uses a specific code and assigns a specific type number to the IC. The codes used by some of the we known manufacturers of Linear IC's are.

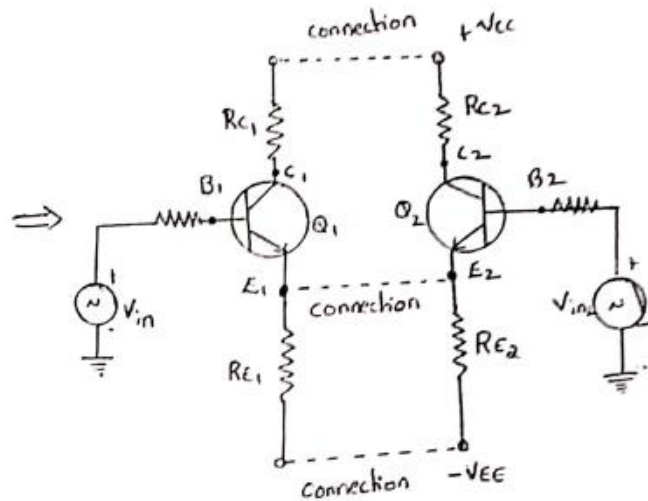
- i) Fairchild — μA , $\mu A F$
- ii) National Semi Conductor — LM
- iii) Motorola — MC, MFC
- iv) RCA — CA, CD
- v) Texas instrument — SN
- vi) Signetics — N/S, NE/n

Differential Amplifier

(2)

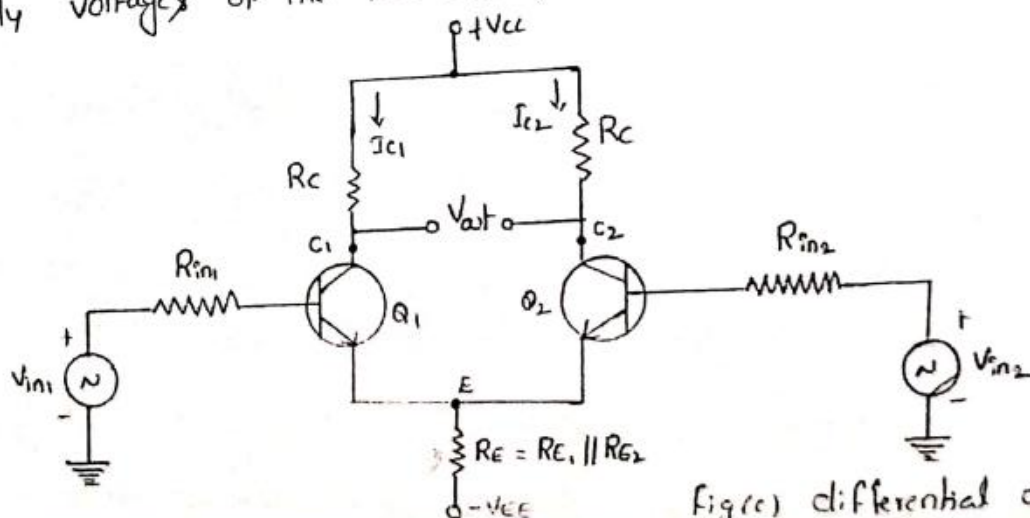


(a) Two identical emitter biased circuits



(b) Connecting the two identical emitter biased circuits together

Let us consider two identical emitter biased circuits using transistors Q_1 and Q_2 as shown in fig(a). The transistors Q_1 and Q_2 have identical characteristics with RE_1 and RE_2 , $RC_1 = RC_2$ and $|V_{CC}| = |-V_{EE}|$. The basic differential pair can be obtained by combining the two emitter biased circuit of fig(a) together. These two circuits can be combined together as shown in fig(b). we also connect the $+V_{CC}$ supply voltages of the two circuits and connect the $-V_{EE}$ supply voltages



fig(c) differential amplifier

Let us connect the emitter E_1 of transistor Q_1 to the emitter E_2 of transistor Q_2 . Thus, RE_1 gets connected in parallel with RE_2 . we also apply an input signal V_{in1} to the base B_1 of transistor Q_1 and V_{in2} to the base B_2 of transistor Q_2 . The output voltage is obtained between the collectors C_1 and C_2 .

After carrying out all these changes, we obtain the differential amplifier circuit of fig (c). Since $RC_1 = RC_2 = RC$, since collector resistors are equal and also $RE = RE_1 \parallel RE_2$.

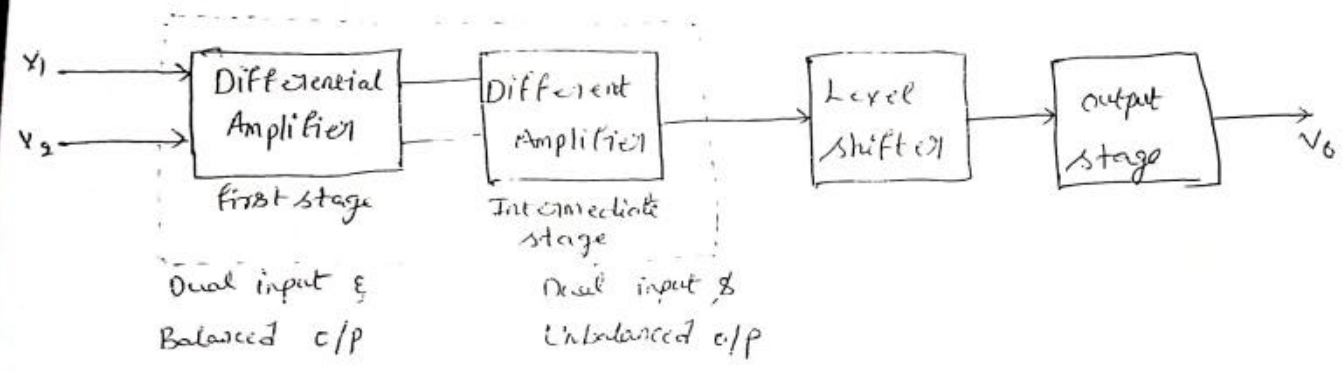
fig (c) shows the emitter coupled differential amplifier, This amplifier is dual input balanced output type amplifier, As the input signals are applied to both the input terminals, it is called as dual input and as the output is obtained between the collector of the two transistors, it is called as balanced output, since the output is obtained between two collectors it is known differential output. This amplifier is known as emitter coupled amplifier because the emitters of both the transistors are connected together.

terminal block

(2)

An OP-amp is a direct coupled multistage amplifier.
The different stages of OP-Amp are

- 1) Input stage — i) First stage
ii) Second stage (Intermediate stage)
- 2) Level shifter.
- 3) Output stage.



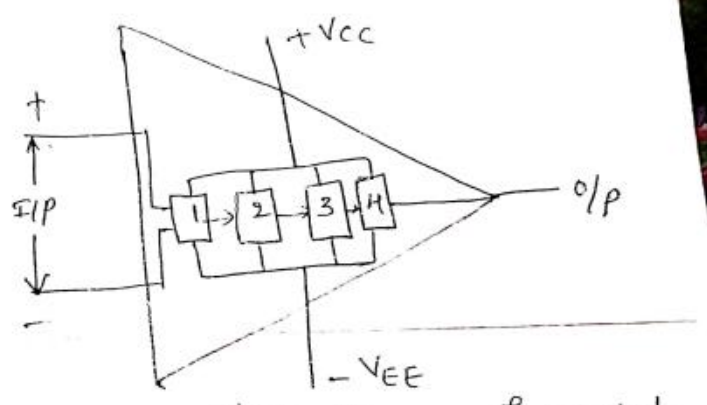
1) Input stage

* In input stage, the first and second stages are cascaded differential amplifiers used to provide high gain.

* The differential amplifier amplifies the difference of the input signal.

(i) First stage :-

The first stage is a dual input balanced output differential amplifier. In this configuration two input signals are used and output is balanced because



Block diagram of OP-Amb.

The output is measured between the two collector terminals which are at same DC potential.

i) This stage provides high voltage gain, High CMRR and high input impedance.

ii) The CMRR is the ability of canceling the common signal with

ii) Requirements of IInd stage

i) High voltage gain

ii) High i/p impedance

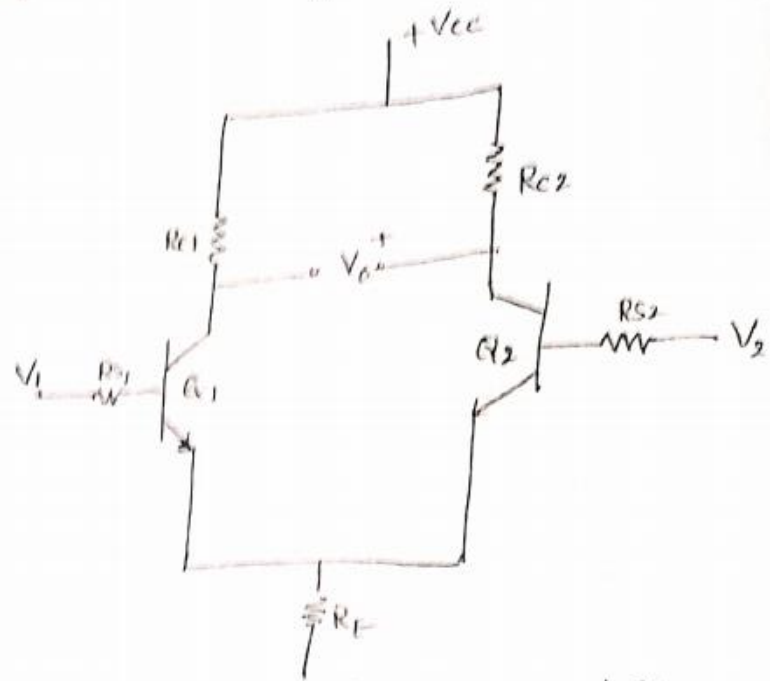
iii) Two i/p terminals

iv) Small i/p offset voltage

v) Small i/p offset current

vi) High CMRR

vii) Low bias current



② Dual input balanced output differential amplifier

The overall gain requirement of OP-Amp is very high.

Input first stage alone cannot provide such high gain.

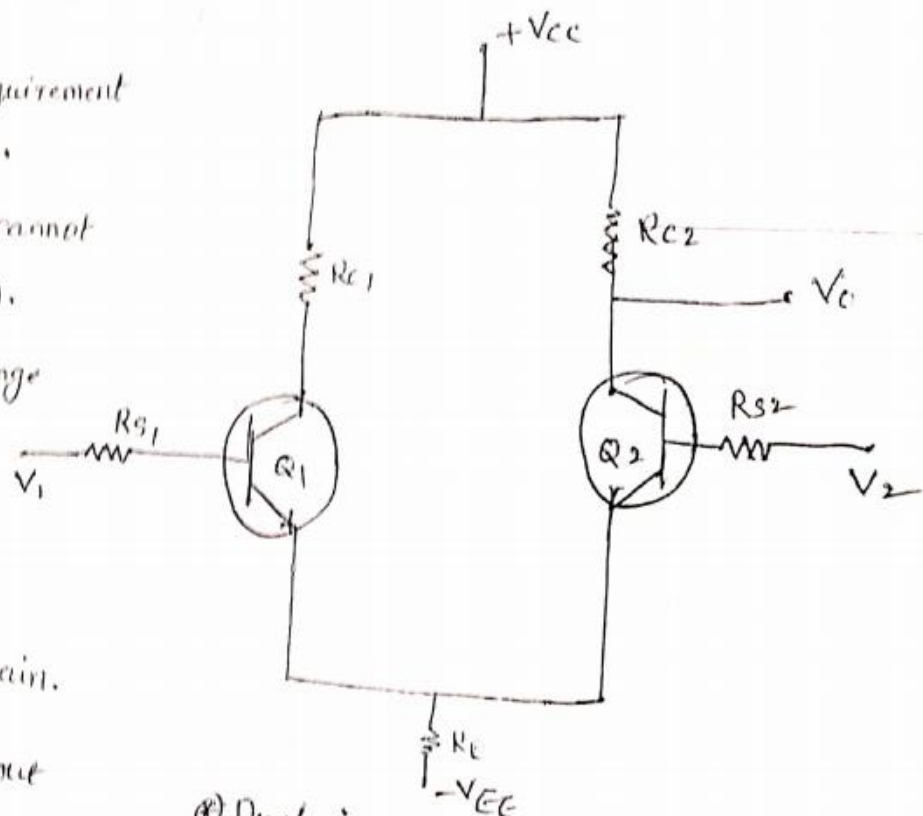
So, we go for second stage

of differential Amplifier.

i) Requirements:

1) Very High & Voltage gain.

2) Direct coupling without capacitors.



③ Dual input unbalanced output differential Amplifier

2. Second stage of OP Amp is a dual input unbalanced output differential amplifier. In this configuration two input signals are used and output is measured at one of the collector terminals with respect to ground. It is related to unbalanced output because the collector at which output is measured is at some finite DC potential i.e., there is a DC voltage at the output terminal without any input signal.

* The second stage provides some additional voltage gain. Practically this stage consists of chain of cascaded amplifiers called "Multistage amplifier".

As we are going for direct coupling without capacitors, the dc component is not filtered. Due to that, it is to be also filtered.

There are two reasons for using a level shifter in operational amplifier.

(i) Because of direct coupling the amplifier also amplifies the dc signals. as a result the dc level raises from stage to stage. Due to this high voltage levels, the transistors are driven into saturation ~~so that~~ which may cause clipping of the o/p voltage. So that the level shifter is used to shift the DC level to zero with respect to ground, when no o/p signal is applied.

ii) The output should have quiescent voltage level i.e. zero volts for zero input signal for better amplification.

⊗ The simplest type of a level shifter is an emitter follower shown in figure.

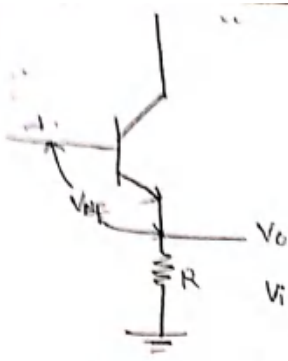


Fig. (1)

$$V_i = V_{BE} + V_o$$

$$= 0.7 + V_o$$

$$V_o = V_i - 0.7$$

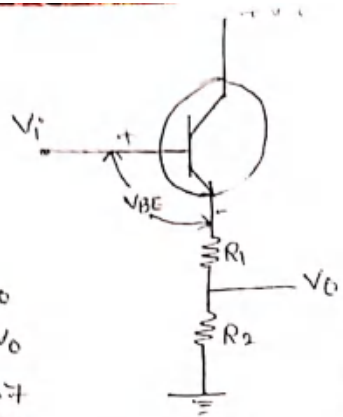
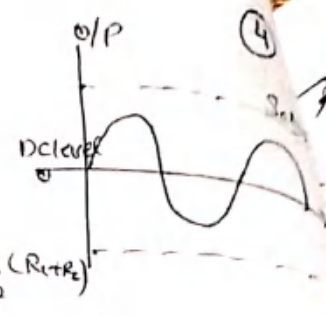


Fig. (2)

$$V_i = V_{BE} + \frac{V_o (R_1 + R_2)}{R_2}$$

$$V_o = \frac{R_2}{R_1 + R_2} (V_i - 0.7)$$

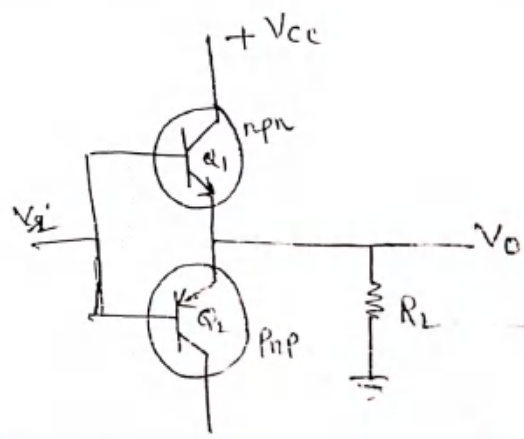


Hence,
seen that
Therefore
is load and
currents

A Buffer usually used here is an emitter follower with high i/p impedance.

From Fig (1), the amount of shift obtained is $V_o = V_i - 0.7$. This shift is insufficient. So, o/p can be taken at the junction of two resistors R_1 & R_2 as shown in fig (2). Now, shift obtained is $V_o = \frac{R_2}{R_1 + R_2} (V_i - 0.7)$

But this arrangement has the disadvantage that the signal voltage also gets attenuated by $R_2 / (R_1 + R_2)$. This disadvantage can be overcome by replacing R_2 with current mirror circuit.



The function of the output stage in op-Amp to supply the load current and provide a low o/p impedance.

A simple output stage is an emitter follower with complementary transistors is as shown in the figure. When V_i is positive, Q_1 is ON and supplies current to the load. When V_i is negative, Q_1 is off and Q_2 acts as a sink to remove current from R_L .

* The output stage provides:-

- i) Large o/p voltage swing capacity.
- ii) Low o/p resistance.
- iii) Short circuit protection.

seen that the same current flows through signal source and this load current. Therefore, the signal source could be capable of providing independent of R_L . It may

Features of 741 Op Amp :-

The 741 Op-Amp is originally manufactured by Fairchild and it is sold as $\mu A 741$. Where μA represents the manufacturer's code.

The 741 Op-Amp is also manufactured by some other manufacturers.

Ex :- National Semiconductor	LM741
Motrola	MC1741
Texas Instruments	SN52741
Signetics	NS741
RCA	CA3741

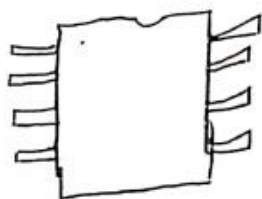
All these op-Amps have some specifications.

→ There are three types of packages.

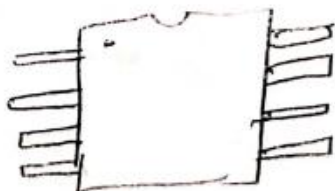
i) The ~~Pl~~ Metal Can



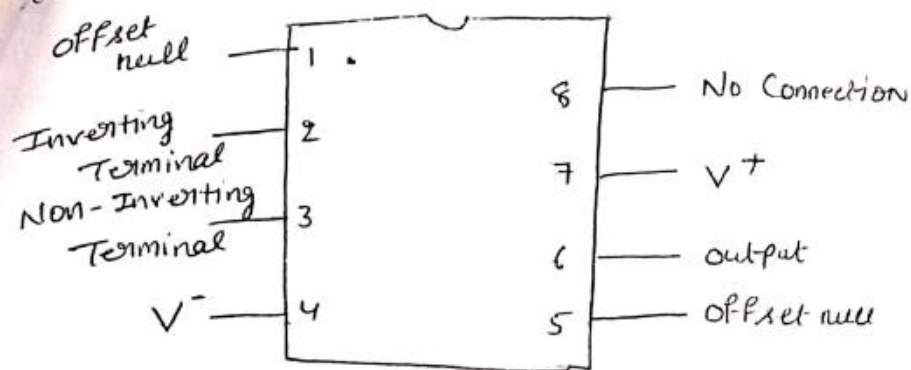
(ii) The ~~Metal Can type~~ Dual in line package



(iii) ~~Dual in line package~~ Flat type package



Configuration



Features :-

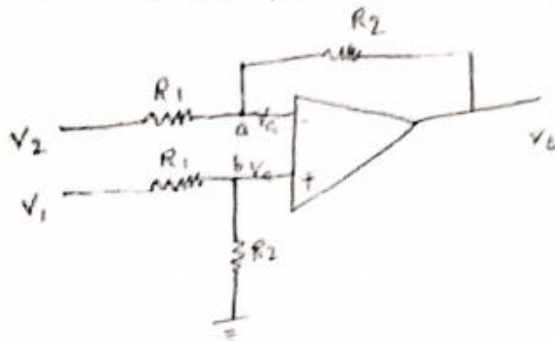
- No Frequency Compensation required.
- Short circuit Protection
- Offset ~~and~~ voltage null capacity
- Lower power Consumption.
- Large Common mode & differential input voltage range.

Electrical Characteristics of TL081C at $V_s = \pm 15V$ at $25^\circ C$

- Input bias current $I_B = 500nA$ (max)
- Input offset current $I_{i0} = 200nA$ (max)
- Input offset voltage (V_{io}) = $60mV$ (max)
- Input Resistance (R_i) = $2M\Omega$
- Output Resistance (R_o) = 75Ω
- CMRR = $90dB$
- PSRR = $150\mu V/V$
- Offset voltage drift = $15\mu V/^\circ C$
Offset current drift = $200pA/^\circ C$
- Slew rate = $0.5V/\mu s$
- Large signal voltage gain $A_{OL} = 2 \times 10^5$
- Power Consumption = $85mW$

Differential Amplifier

The differential Amplifier is an Amplifier which amplifies the difference between the input signals. The differential amplifier circuit is as shown in the figure.



Applying KCL at node 'a'

$$\frac{V_a - V_2}{R_1} + \frac{V_a - V_0}{R_2} = 0$$

$$V_a = 0$$

$$-\frac{V_2}{R_1} - \frac{V_0}{R_2} = 0$$

$$V_0 = -\frac{R_2}{R_1} V_2$$

$$V_a \left[\frac{1}{R_1} + \frac{1}{R_2} \right] - \frac{V_2}{R_1} - \frac{V_0}{R_2} = 0$$

$$V_a \left[\frac{1}{R_1} + \frac{1}{R_2} \right] = \frac{V_0}{R_2} + \frac{V_2}{R_1} \rightarrow (1)$$

Applying KCL at node 'b'

$$\frac{V_a - V_1}{R_1} + \frac{V_a}{R_2} = 0$$

$$V_a \left[\frac{1}{R_1} + \frac{1}{R_2} \right] - \frac{V_1}{R_1} = 0$$

$$\Rightarrow V_a \left[\frac{1}{R_1} + \frac{1}{R_2} \right] = \frac{V_1}{R_1} \rightarrow (2)$$

From (1) & (2)

$$\frac{V_0}{R_2} + \frac{V_2}{R_1} = \frac{V_1}{R_1}$$

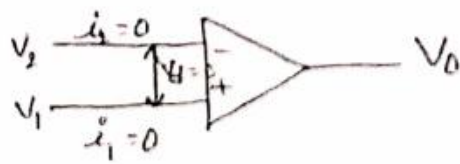
$$\Rightarrow \frac{V_0}{R_2} = \frac{1}{R_1} (V_1 - V_2)$$

$$\boxed{V_0 = \frac{R_2}{R_1} (V_1 - V_2)}$$

Therefore, the difference between two input voltage is amplified by $\frac{R_2}{R_1}$ times in the differential Amplifier.

The Ideal Operational Amplifier :

The schematic symbol of an ideal OP-Amp is shown below.



Characteristics :-

- 1) open loop voltage gain $A_{OL} = \infty$
- 2) Input Impedance $R_i = \infty$
- 3) Output Impedance $R_o = 0$
- 4) Band width $BW = \infty$
- 5) Zero offset i.e., $V_o = 0$ when $V_1 = V_2 = 0$

The above properties can never be realized in practice. There are practical OP-Amps that can be made approximate to some of these characteristics.

Feed back :-

The utility of an OP-Amp can be greatly increased by providing negative feedback. There are two feedback connections are used.

- i) Inverting Operational Amplifier.
- ii) Non inverting Operational Amplifier.

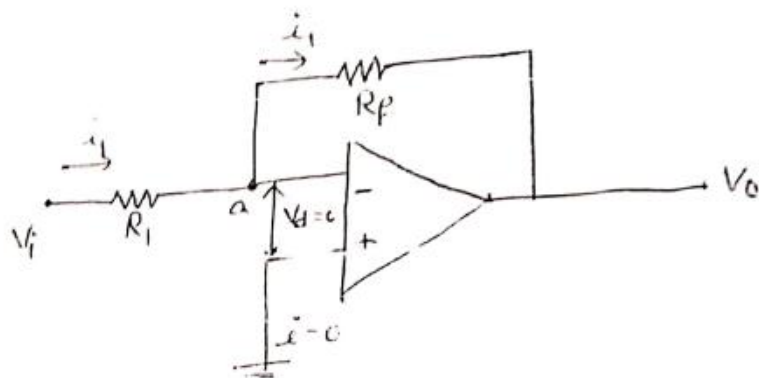
concept of Virtual Ground

In electronics, A virtual ground is a node of a circuit that is at a zero potential, without being directly connected to a ground potential.

It is a concept that made for easy explanation and calculation purpose as voltage is approximated to zero in ideal operational Amplifiers.

Inverting Operational Amplifier

In this, the output voltage V_o is fed back to the inverting input terminal through the R_f and R_i . Where R_f is the feed back resistor.



Input signal V_i (AC or DC) is applied to the ~~input~~ input terminal through R_i and Non-inverting input terminal of OP-Amp is grounded.

Applying KCL at node 'a'.

$$\frac{V_i - V_a}{R_i} = \frac{V_a - V_o}{R_f}$$

$$V_a = 0 \quad (\because \text{Virtual ground})$$

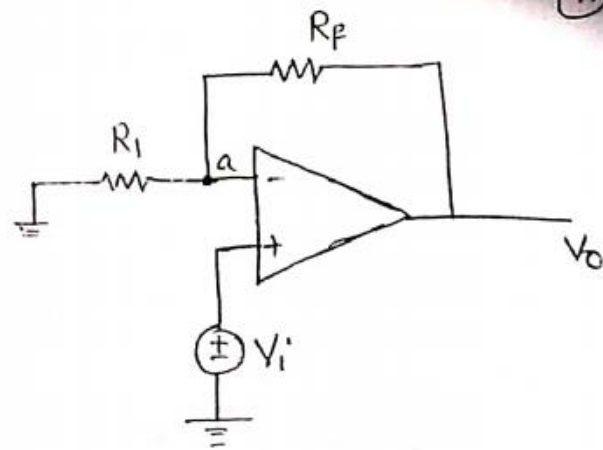
$$\frac{V_i}{R_i} = -\frac{V_o}{R_f}$$

$$\therefore A_{CL} = \frac{V_o}{V_i} = -\frac{R_f}{R_i}$$

• -ve sign indicates a phase shift of 180° between V_i and V_o .

Inverting Operational Amplifier

The circuit representation of Non-Inverting Amplifier is shown.



Applying KCL at node 'a'

$$\frac{V_i - V_o}{R_f} + \frac{V_i}{R_i} = 0$$

$$V_i \left(\frac{1}{R_f} + \frac{1}{R_i} \right) = \frac{V_o}{R_f}$$

$$\frac{V_o}{R_f} = V_i \left(\frac{R_i + R_f}{R_i \cdot R_f} \right)$$

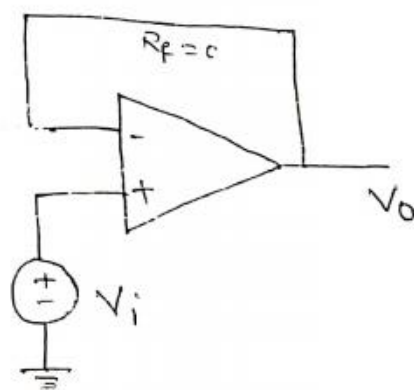
$$\frac{V_o}{V_i} = R_f \left(\frac{R_i + R_f}{R_i R_f} \right) \Rightarrow \frac{V_o}{V_i} = \frac{R_i R_f}{R_i R_f} + \frac{R_f \cdot R_f}{R_i R_f}$$

$$\therefore \frac{V_o}{V_i} = 1 + \frac{R_f}{R_i}$$

\therefore Closed Loop gain for Non-inverting op Amp is $A_{CL} = 1 + \frac{R_f}{R_i}$

Voltage follower

For a Non-inverting operational amplifier, if $R_f = 0$ & $R_i = \infty$ then input voltage follows the output voltage. This circuit is called "Voltage follower."



For a Non-inverting op-Amp $A_{CL} = 1 + \frac{R_f}{R_i}$

$$\frac{V_o}{V_i} = 1 + \frac{R_f}{R_i} \quad \text{but } R_f = 0, R_i = \infty, \text{ so}$$

$$\frac{V_o}{V_i} = 1 + \frac{0}{\infty} = 1$$

$$\therefore \frac{V_o}{V_i} = 1$$

$$\therefore V_o = V_i$$

The Common mode rejection ratio is the ratio of differential mode gain to the Common mode gain.

$$CMRR (P) = \left| \frac{A_{DM}}{A_{CM}} \right|$$

Usually it is expressed in decibels.

Ideally A_{DM} must be very large and A_{CM} should be zero.

So, higher the value of CMRR, better is the op-amp.

Power supply rejection ratio is defined as the ratio of the change in input offset voltage due to the change in the supply voltage producing it, keeping other power supply voltage constant. It is also called as Power supply sensitivity (PSV).

$$PSRR = \frac{\Delta V_{ios}}{\Delta V_{CC}} \Big|_{\text{constant } V_{EE}}$$

$$PSRR = \frac{\Delta V_{ios}}{\Delta V_{EE}} \Big|_{\text{constant } V_{CC}}$$

It is also called as Supply Voltage Rejection Ratio.

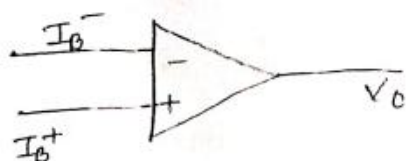
Operational Amplifier has two types of characteristics
Those are

- 1) DC characteristics
- 2) AC characteristics.

DC Characteristics

The DC characteristics are Input bias current, Input offset current, Input offset voltage and thermal drift.

In an ideal op amp, we assumed that no current is drawn from the input terminals. However, practically, input terminals do conduct small value of dc current to bias the input transistors. The base currents entering into the inverting and non-inverting terminals are as shown in I_B^- and I_B^+ respectively. Even though both the transistors are identical, I_B^- and I_B^+ are not exactly equal due to internal imbalances between the two inputs.

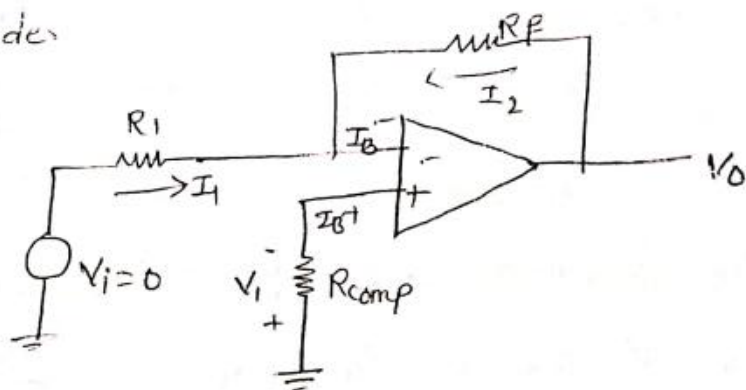


The average bias current given by the manufacturer can be given as $I_B = \frac{I_B^+ + I_B^-}{2}$

For a 741 op-amp, the bias current is 500 nA (or) less.

Because of this bias current, the voltage at the output terminal is $V_O = (I_B^-) R_F$

To compensate this output voltage because of bias current can be avoided by connecting a compensating resistance at non-inverting terminal side.



$$V_i = I_B^+ R_{comp}$$

$$I_B^+ = \frac{V_i}{R_{comp}}$$

The node 'a' is at voltage $(-V_i)$, because the voltage at the non-inverting input terminal is $(-V_i)$. So, with $V_i = 0$ we get

$$I_1 = \frac{V_1}{R_1}$$

$$I_2 = \frac{V_2}{R_F}$$

For Compensation, V_o should zero for $V_i = 0$.

$$V_o = 0 \Rightarrow V_i = V_1 - V_2 = 0$$

$$V_1 = V_2$$

$$\therefore I_2 = \frac{V_1}{R_F}$$

$$I_B^- = I_1 + I_2 = \frac{V_1}{R_F} + \frac{V_1}{R_1} = V_1 \left(\frac{1}{R_F} + \frac{1}{R_1} \right) = V_1 \left(\frac{R_1 + R_F}{R_1 R_F} \right)$$

Assuming $I_B^+ = I_B^-$

$$V_1 \left(\frac{R_1 + R_F}{R_1 R_F} \right) = \frac{V_1}{R_{comp}}$$

$$\therefore R_{comp} = R_1 \parallel R_F$$

Bias Current Compensation will work if both bias currents I_B^+ and I_B^- are equal. Since the input transistors cannot be made identical, there will always be some small difference between I_B^+ and I_B^- . This difference is called the offset current I_{os} and can be written as

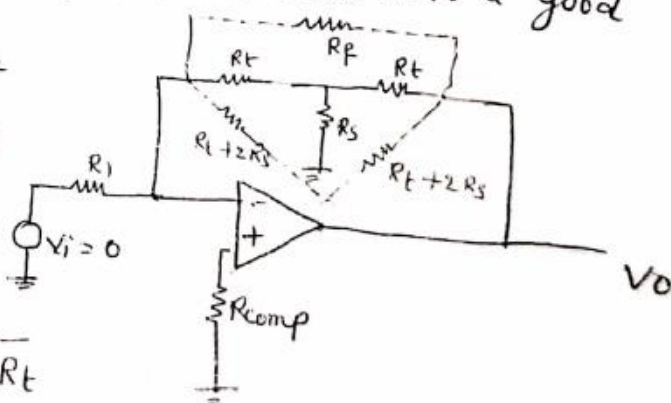
$$|I_{os}| = I_B^+ - I_B^-$$

Because of this offset current, the output voltage can be given as $V_o = R_F I_{os}$.

To compensate this, the T-Feedback network is a good solution. This will allow large feedback resistance while keeping the resistance to ground low.

By T to π conversion

$$R_F = \frac{R_t^2 + 2R_t R_s}{R_s} \Rightarrow R_s = \frac{R_t^2}{R_F - 2R_t}$$



(9)

Input offset voltage :-

Input offset voltage is the voltage applied at the input terminals to nullify the output voltage which is due to unavoidable imbalances inside the opamp.

The op voltage due to i/p offset voltage is $V_o = \left(1 + \frac{R_f}{R_i}\right) V_{ios}$

where V_{ios} = input offset voltage

Slew Rate :-

The slew rate is defined as the maximum rate of change of output voltage per unit time and is expressed in Volts/sec. For a 741 OP-Amp, slew rate is 0.5 V/sec.

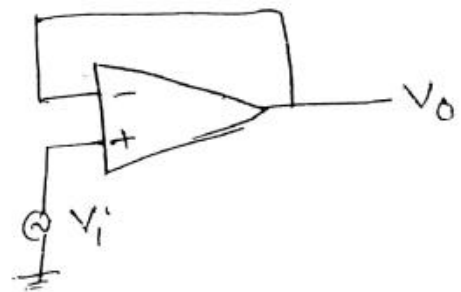
- The slew rate change with
- i) Frequency & Amplitude of i/p signal.
 - ii) Temperature.
 - iii) Gain of OP-Amp.

Determination of Slew Rate :-

Let us consider a voltage follower

Circuit: $V_s = V_m \sin \omega t$

$$V_o = V_s = V_m \sin \omega t$$



$$\begin{aligned} \text{Slew rate} &= \frac{dV_o}{dt} / \text{max} = \frac{d}{dt} (V_m \sin \omega t) / \text{max} \\ &= \omega V_m \cos \omega t / \text{max} \end{aligned}$$

\cos is maximum at $\omega t = 0$ then $\cos \omega t = \cos 0 = 1$

$$\therefore \text{Slew rate} = \omega V_m = 2\pi f V_m \text{ V}/\mu\text{sec}$$

$$\therefore \text{Slew rate for voltage follower is } 2\pi f V_m \text{ V}/\mu\text{sec}$$

Op-Amp may be used to design a circuit whose output is the sum of several input signals. Such a circuit is called a Summing Amplifier or 'summer'. The summer is classified as either inverting summer (or) Non-inverting Summer.

Inverting Summer :



applying KCL

$$\frac{V_a - V_1}{R_1} + \frac{V_a - V_2}{R_2} + \frac{V_a - V_3}{R_3} + \frac{V_a - V_o}{R_f} = 0$$

but for an ideal Op-Amp the potential difference is zero

$$\text{so } V_a = 0$$

$$\frac{0 - V_1}{R_1} + \frac{0 - V_2}{R_2} + \frac{0 - V_3}{R_3} + \frac{0 - V_o}{R_f} = 0$$

$$-\left(\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3}\right) - \frac{V_o}{R_f} = 0$$

$$\frac{V_o}{R_f} = -\left(\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3}\right)$$

$$V_o = -\left(\frac{V_1 R_f}{R_1} + \frac{V_2 R_f}{R_2} + \frac{V_3 R_f}{R_3}\right)$$

$$\text{if } R_1 = R_2 = R_3 = R_f$$

$$V_o = -(V_1 + V_2 + V_3)$$

Basic applications of OP-Amp :-

The Operational Amplifier has a count less applications are classified as

- Linear applications

(ii) Non-Linear Applications.

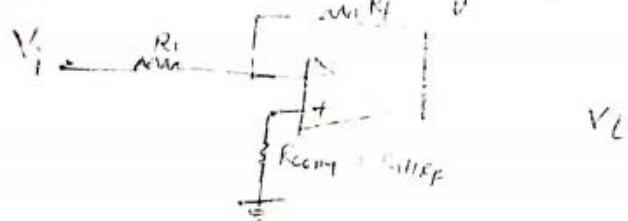
~~The~~ In the Linear Applications the output signal varies with the input signal in a Linear manner. Some Linear Applications are adder, subtractor, Voltage to Current Converter and Current to Voltage Converter Instrumentation Amplifier etc

In Non-Linear Applications the output signal varies with the input signal in a Non-Linear manner. Some Non-Linear Applications are Sample and Hold Circuits etc

Linear Applications :

i) Scale Change / Inverter :

The basic inverting Operational Amplifier is



The gain of the inverting OP-Amp is

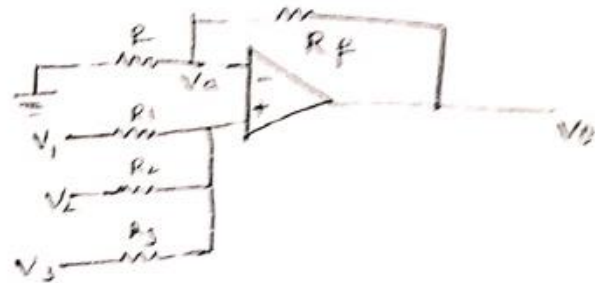
$$A_{cl} = -\frac{R_f}{R_i}$$

if we make $R_i = R_f$ then $A_{cl} = -1$ - then that circuit is called as inverter i.e. the output is 180° out of phase with respect to input though. The magnitudes are same.

In this case, when all the input voltages are (2)
 tied up but inverted.

Non-inverting Summer:

The circuit diagram representation of Non-inverting Summer is shown below.



Since voltage at the inverting terminal is V_a , and to satisfy the ideal condition i.e., $V_d = 0$, we have to maintain zero V_a at 'inverting' input terminal.

\therefore By applying KCL

$$\frac{V_1 - V_a}{R_1} + \frac{V_2 - V_a}{R_2} - \frac{V_3 - V_a}{R_3} = 0$$

$$\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3} - V_a \left(\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right) = 0$$

$$V_a \left(\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right) = \frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3}$$

$$\therefore V_a = \frac{\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3}}{\left(\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right)}$$

~~For~~ Let $R_1 = R_2 = R_3 = R$ then

$$\therefore V_a = \frac{\frac{V_1}{R} + \frac{V_2}{R} + \frac{V_3}{R}}{\frac{1}{R} + \frac{1}{R} + \frac{1}{R}} = \frac{\frac{1}{R} (V_1 + V_2 + V_3)}{\frac{3}{R}} = \frac{1}{3} (V_1 + V_2 + V_3)$$

We know that for Non-inverting Operational Amplifier

Output voltage $V_0 = \left(1 + \frac{R_f}{R}\right) \times V_a$

Let $R_f = 2R$

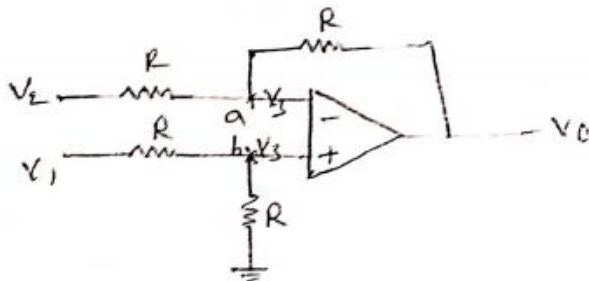
then $\underline{V_0} = \left(1 + \frac{2R}{R}\right) \times V_a$
 $= \frac{3 \times (V_1 + V_2 + V_3)}{3}$

$= V_1 + V_2 + V_3$

\therefore In the above circuit, if we made $R_1 = R_2 = R_3 = R$, and $R_f = 2R$ then that Non-inverting mode OP-Amp can be used as Adder.

Subtractor :-

The basic differential Amplifier can be used as a Subtractor with all resistors are equal.



Applying KCL at node 'a'

$$\frac{V_3 - V_2}{R} + \frac{V_3 - V_0}{R} = 0$$

$$\frac{V_3}{R} - \frac{V_2}{R} + \frac{V_3}{R} - \frac{V_0}{R} = 0 \Rightarrow \frac{2V_3}{R} - \frac{V_2}{R} - \frac{V_0}{R} = 0 \rightarrow (1)$$

Applying KCL node 'b'

$$\frac{V_3 - V_1}{R} + \frac{V_3}{R} = 0 \Rightarrow \frac{V_3}{R} - \frac{V_1}{R} + \frac{V_3}{R} = 0 \Rightarrow \frac{2V_3}{R} = \frac{V_1}{R} \rightarrow (2)$$

Substituting (2) in (1)

$$\frac{V_1}{R} - \frac{V_2}{R} - \frac{V_0}{R} = 0$$

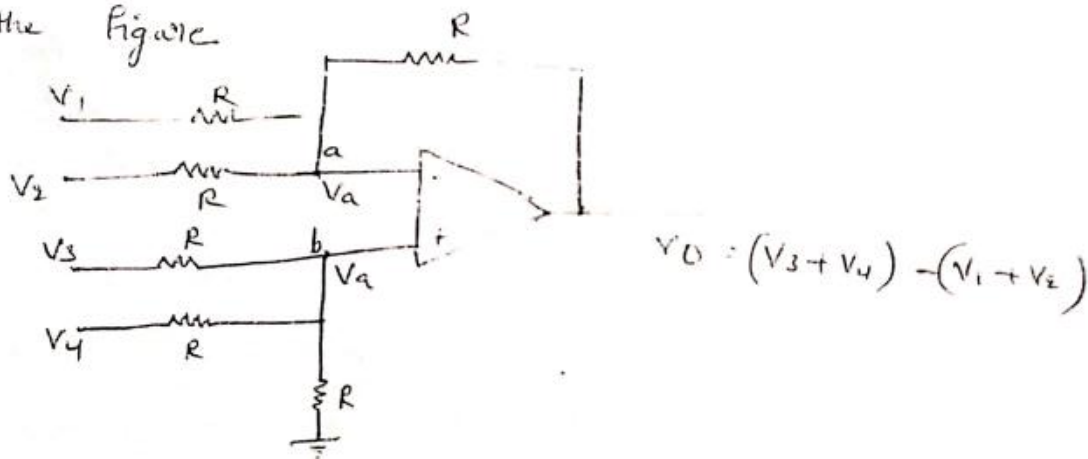
$$\frac{V_1 - V_2}{R} = \frac{V_0}{R}$$

$$\therefore V_0 = V_1 - V_2$$

\therefore In this manner, an O differential Amplifier can be working as a subtractor, if we make all resistors as equal

Adder-Subtractor :-

The circuit diagram for Adder-Subtractor is as shown in the figure



Apply KCL Node 'a'

$$\frac{V_1 - V_a}{R} + \frac{V_2 - V_a}{R} + \frac{V_0 - V_a}{R} = 0$$

$$\frac{1}{R} (V_1 + V_2) + \frac{V_0}{R} - \frac{3V_a}{R} = 0$$

$$\frac{1}{R} (V_1 + V_2 + V_0) = \frac{3V_a}{R}$$

$$\therefore 3V_a = V_1 + V_2 + V_0 \quad \text{--- (1)}$$

Apply KCL at node 'b'

$$\frac{V_3 - V_a}{R} + \frac{V_4 - V_a}{R} + \frac{0 - V_a}{R} = 0$$

$$\frac{1}{R} (V_3 + V_4) - \frac{3V_a}{R} = 0$$

$$\frac{1}{R} (V_3 + V_4) = \frac{3V_a}{R}$$

$$\therefore 3V_a = V_3 + V_4 \quad \text{--- (2)}$$

From (1) & (2)

$$V_1 + V_2 + V_0 = V_3 + V_4$$

$$\therefore V_0 = (V_3 + V_4) - (V_1 + V_2)$$

\therefore The above circuit can be used as for an ~~adder~~ for both Adder - subtractor circuit.

Instrumentation Amplifier :-

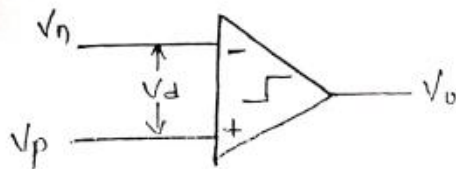
In a number of industrial and consumer applications, one is required to measure and control physical quantities. Some typical examples are measurement and control of temperature, humidity, light intensity, water flow, etc. These physical quantities are usually measured with the help of transducers. The output of transducer has to be amplified, that it can drive the indicator (or) display system. This function is performed by an instrumentation amplifier.

The features of instrument amplifier is as shown below

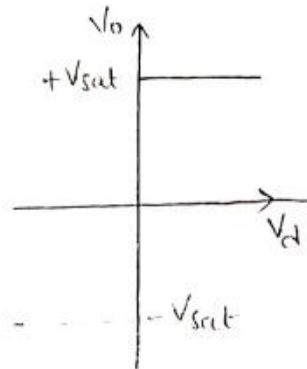
- i) High gain Accuracy
- ii) High CMRR
- iii) High

Comparator

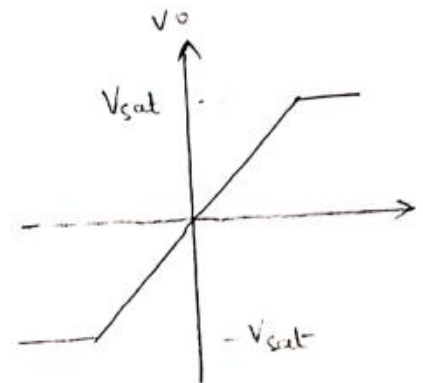
A comparator is a circuit, which compares an input signal with a known reference voltage. It is basically an open loop op-Amp with output $\pm V_{sat}$



Comparator signal



Ideal & practical characteristics



Comparator transfer characteristics

The comparator operation can be expressed as

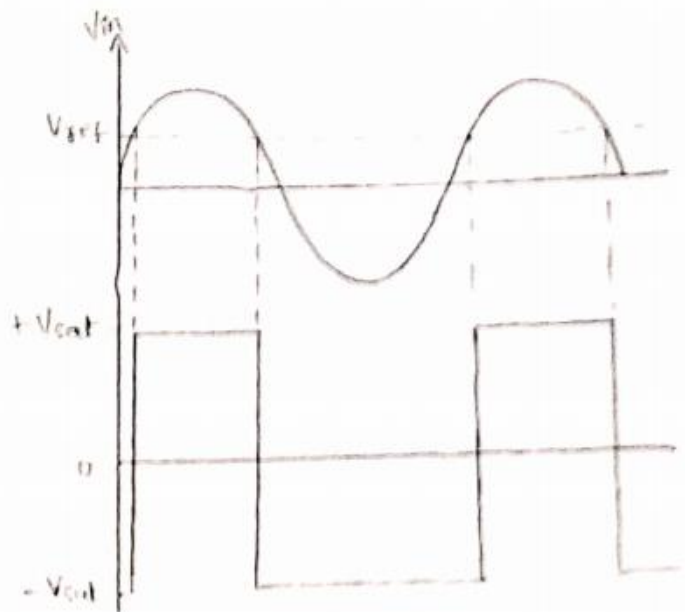
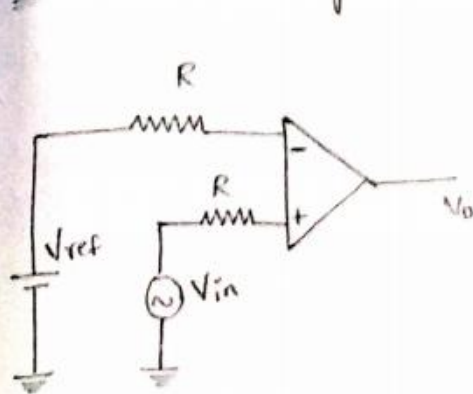
$$V_o = +V_{sat} \quad \text{for } V_p > V_n$$

$$V_o = -V_{sat} \quad \text{for } V_p < V_n$$

⇒ For all possible V_p & V_n values, V_o is restricted to only two values $+V_{sat}$ & $-V_{sat}$. Thus the comparator accepts analog signals at the input and produces a binary signal at the output.

⇒ In ideal transfer characteristics of comparator, the vertical line indicates the infinite gain. practical op-Amp gains are typically in the range 10^3 to 10^5

(a) Non-Inverting comparator

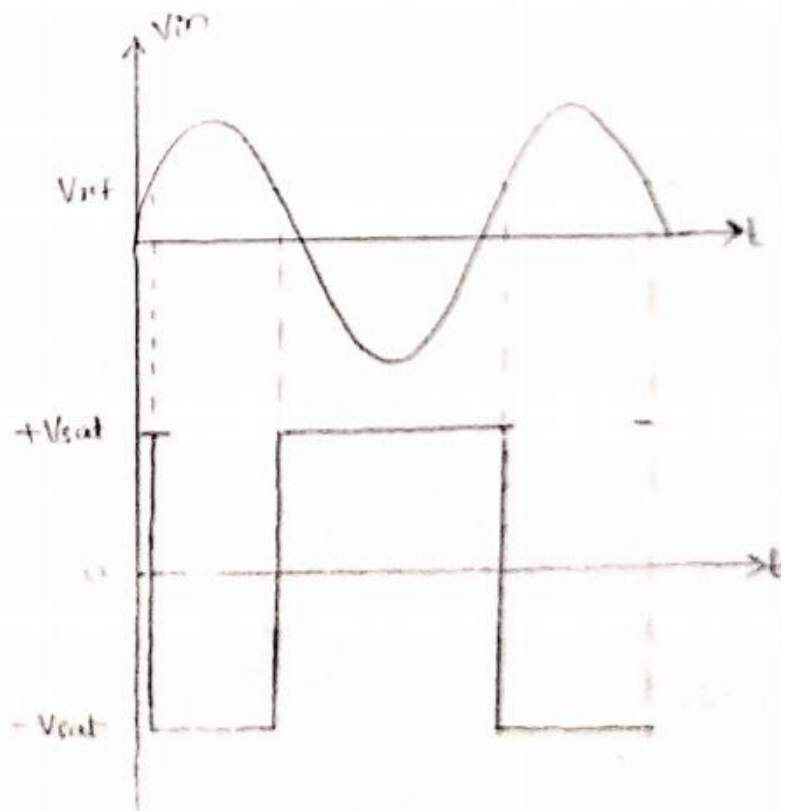
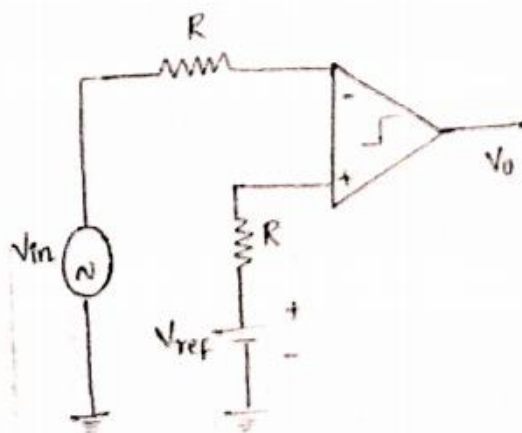


Here input signal is applied to the non inverting terminal and a reference voltage V_{ref} is applied to the inverting terminal.

If input voltage is above V_{ref} , then output at high state ($+V_{sat}$)

$$V_o = \begin{cases} +V_{sat} & \text{for } V_{in} > V_{ref} \\ -V_{sat} & \text{for } V_{in} < V_{ref} \end{cases}$$

Inverting Comparator:



Here the input signal is applied to inverting terminal and a reference voltage V_{ref} is applied to non-inverting terminal.

If the input voltage is above the V_{ref} then output is at low state ($-V_{sat}$).

The output voltage $V_o = -V_{sat}$ for $V_{in} > V_{ref}$

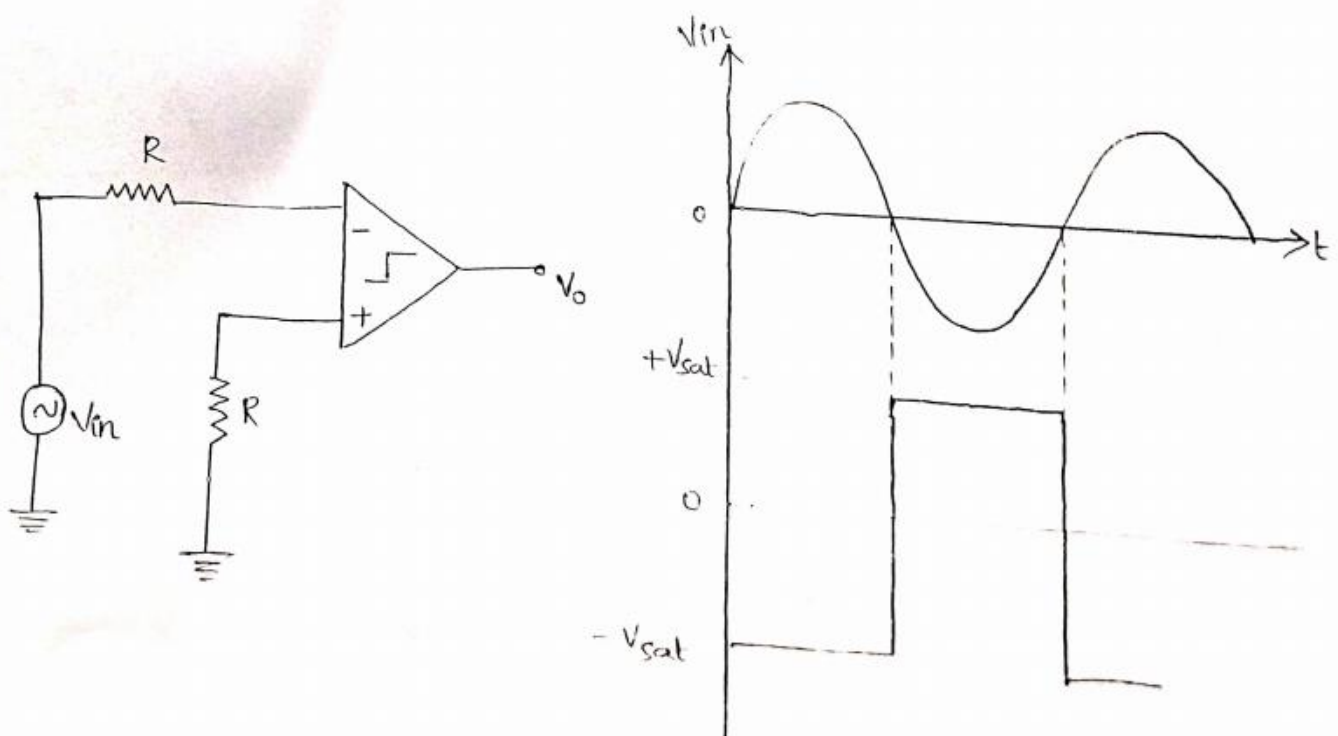
$V_o = +V_{sat}$ for $V_{in} < V_{ref}$.

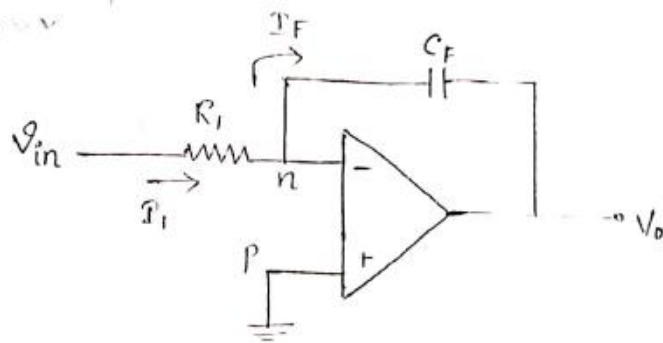
Applications of Comparator:

- (1) Zero crossing detector
- (2) Window detector
- (3) Time marker generator
- (4) phase detector
- (5) Voltage limiter

(1) Zero crossing detector:

In the basic comparator circuit, if $V_{ref} = 0$ then, the output will change from one state to another state every time when input passes through zero.





Integrator circuit

From figure,

Apply KCL at node 'n'

$$I_i = I_F$$

$$\frac{V_{in} - V_n}{R_i} = C_F \frac{d(V_n - V_o)}{dt}$$

\therefore [the current through the capacitor $i = C \frac{dv}{dt}$]

$$\frac{V_{in}}{R} = -C_F \frac{dV_o}{dt} \quad (\because V_n - V_p = 0)$$

$$\frac{d}{dt}(V_o) = -\frac{1}{R_i C_F} V_{in}$$

Taking integration on both sides

$$V_o = -\frac{1}{R_i C_F} \int V_{in} dt + V_c(0) \quad \text{--- (1)}$$

where $V_c(0)$ is the integration constant or the value of V_o at $t = 0$.

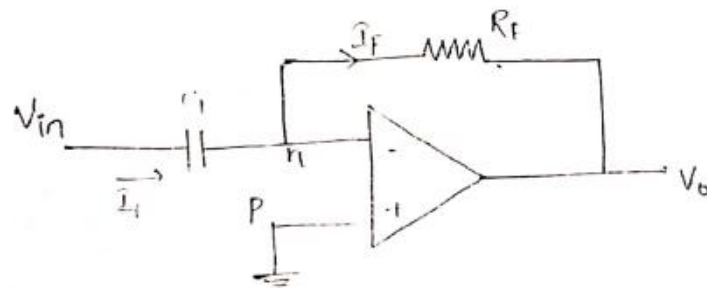
From eq (1), $V_o(t)$ is directly proportional to the negative integral of $V_{in}(t)$

$V_o(t)$ is inversely proportional to the time constant $R_i C_F$.

Examples

V_{in}	V_o
Sine wave	Cosine wave
Square wave	Triangular wave
Step input	Ramp signal

This circuit performs the mathematical operation of differentiation i.e., the output wave is the derivation of input wave-form. If R_i and C_F of the integrator are interchanged as shown in figure we obtain a differentiation circuit.



Apply KVL at node 'n'

$$I_i = I_f$$

$$C_i \frac{d}{dt} (V_{in} - V_n) = - \frac{V_n - V_o}{R_f}$$

$$C_i \frac{dV_{in}}{dt} = - \frac{V_o}{R_f}$$

$$V_o = - R_f C_i \frac{dV_{in}}{dt}$$

Hence the output is the differentiation of input.

Transfer function

Apply Laplace transform to eq(1) on both sides

$$V_o(s) = - R_f C_i s V_{in}(s)$$

$$\text{Transfer function } \frac{V_o(s)}{V_{in}(s)} = - s R_f C_i$$

$$T(j\omega) = -j\omega R_f C_i$$

$$\text{Gain } |T(j\omega)| = \omega R_f C_i$$

The frequency at which gain = 1 is $\omega_0 = \frac{1}{R_f C_i}$