



Nesting Depth (5pts, 11pts)

Attempts	Penalties	Penalty Time	Points	Points
1	0	11:36:53	✓	✓

Competitive Submissions

Attempt 1	✓	✓	11:36:53	👁
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Problem

tl;dr: Given a string of digits **S**, insert a minimum number of opening and closing parentheses into it such that the resulting string is balanced and each digit *d* is inside exactly *d* pairs of matching parentheses.

Let the *nesting* of two parentheses within a string be the substring that occurs strictly between them. An opening parenthesis and a closing parenthesis that is further to its right are said to *match* if their nesting is empty, or if every parenthesis in their nesting matches with another parenthesis in their nesting. The *nesting depth* of a position *p* is the number of pairs of matching parentheses *m* such that *p* is included in the nesting of *m*.

For example, in the following strings, all digits match their nesting depth: $0((2)1)$, $(((3))1(2))$, $((((4))))$, $((2))((2))(1)$. The first three strings have minimum length among those that have the same digits in the same order, but the last one does not since $((22)1)$ also has the digits 221 and is shorter.

Given a string of digits **S**, find another string **S'**, comprised of parentheses and digits, such that:

- all parentheses in S' match some other parenthesis,
- removing any and all parentheses from S' results in \mathbf{S} ,
- each digit in S' is equal to its nesting depth, and
- S' is of minimum length.

Input

The first line of the input gives the number of test cases, \mathbf{T} . \mathbf{T} lines follow. Each line represents a test case and contains only the string \mathbf{S} .

Output

For each test case, output one line containing Case $\#x$: y , where x is the test case number (starting from 1) and y is the string S' defined above.

Limits

Time limit: 20 seconds per test set.

Memory limit: 1GB.

$1 \leq \mathbf{T} \leq 100$.

$1 \leq \text{length of } \mathbf{S} \leq 100$.

Test set 1 (Visible Verdict)