## Strategies for finding magnetic fields with materials

- 8. Is the magnetization  $\vec{M}$  given? If so, calculate the bound currents from M. Now you know all the currents so use step 6.
- 9. Is  $\mu$  (or  $\chi_m$ ) for the material given along with the free current and you have symmetry? If so, use Ampere's Law to find H first  $\oint \vec{H} \cdot d\vec{l} = I_{f,enc}$ . Then use  $\vec{B} = \mu \vec{H}$  to get B from H. (You can also get M from H if you need to.)

## Strategy for finding E with time changing B

10. Is there symmetry? Use  $\oint \vec{E} \cdot d\vec{l} = -\frac{d\Phi_{enc}}{dt}$  to get E from the time changing magnetic flux. Check the sign with Lenz's Law.

## Strategy for finding B from time changing E

11. Is there symmetry? Use  $\oint \vec{B} \cdot d\vec{l} = \mu_0 \varepsilon_0 \frac{\partial}{\partial t} \int \vec{E} \cdot d\vec{a}$  to get B from the displacement current enclosed by a loop.

#### Strategy for finding Capacitance of a configuration of two conductors

12. Put +Q on one conductor and -Q on the other. Calculate E between the conductors and find the potential difference between them using  $\Delta V = -\int \vec{E} \cdot d\vec{l}$ . The capacitance is given by  $C = \frac{Q}{\Delta V}$ .

# Strategy for finding Resistance of a configuration of two conductors

13. Set a potential difference  $\Delta V$  between the conductors and find the total current I that flows. Use Ohm's Law to relate E to the current density  $\vec{J} = \sigma \vec{E}$  and integrate to find the total current I flowing from one conductor to the other. The resistance is  $R = \Delta V/I$ . (Sometimes it's easier to start with the current, find E from Ohm's Law, then find  $\Delta V$  from E.)

### **Strategy for finding Self Inductance**

- 14. Run a current I through the wire and calculate the flux through the loop. Use  $\Phi = LI$  to find the inductance L. Don't forget to include the number of turns linking the flux.
- 15. If it's hard to define one single loop, first calculate B everywhere and use magnetic energy to get the inductance from  $U_m = \int \frac{B^2 d\tau}{2\mu_0} = \frac{1}{2}LI^2$

#### **Strategy for finding Mutual Inductance**

16. Run a current I through one loop and calculate the magnetic flux through the other loop. Use  $\Phi = MI$  to find the mutual inductance M.