

# Bayesian Mixed-Effects model of Pulse Pressure Variation by Tidal Volume and Respiratory Rate

This document presents code for fitting, analysing and visualising the Bayesian mixed-effects model presented in the paper. It includes a presentation of model priors, with arguments for why they are considered weakly informative.

## 1 Setup

```
library(tidyverse)
library(patchwork) # For combining plots

library(brms)      # For fitting Stan models
library(tidybayes) # For working with fitted Stan models
options(mc.cores = parallel::detectCores())

source("plot_settings.R") # Plot theme and utility functions
theme_set(theme_paper())
```

## 2 Load data

Data is shared in the `data/` folder in the code repository:

<https://github.com/JohannesNE/supplementary-PPV-ventilation-paper>

A codebook is available in the same folder.

```
PPV_df <- read_csv("data/vent_setting_study-ppv.csv") |>
  mutate(
    # Create factors for ventilator settings
    id_f = factor(id),
    vent_rel_vt_f = factor(vent_rel_vt, levels = c(10, 8, 6, 4)),
    vent_RR_f = factor(vent_RR, levels = c(10, 17, 24, 31)),
    vent_setting = interaction(vent_rel_vt, vent_RR, drop = TRUE) |>
      forcats::fct_relevel("10.10", "8.10", "6.10", "4.10",
                          "8.17", "6.17",
                          "8.24", "6.24",
                          "8.31", "6.31")
  ) |>
```

```

# Remove the 13 / 520 rows without a PPV value. PPV is missing either because the
# ventilator setting was not applied or because PPV estimation was infeasible
# because of frequent extra-systoles ( $\geq 3$  in one window).
drop_na(PPV_gam)

# Labels for vent settings
vent_setting_levels <- c(
  "10.10" = "VT=10, RR=10",
  "8.10" = "VT=8, RR=10",
  "6.10" = "VT=6, RR=10",
  "4.10" = "VT=4, RR=10",
  "8.17" = "VT=8, RR=17",
  "6.17" = "VT=6, RR=17",
  "8.24" = "VT=8, RR=24",
  "6.24" = "VT=6, RR=24",
  "8.31" = "VT=8, RR=31",
  "6.31" = "VT=6, RR=31"
)

vt_levels <- c(
  "10" = "VT=10",
  "8" = "VT=8",
  "6" = "VT=6",
  "4" = "VT=4"
)

rr_levels <- c(
  "10" = "RR=10",
  "17" = "RR=17",
  "24" = "RR=24",
  "31" = "RR=31"
)

# Pivot PPV data frame to long format with one column for PPV
# and one column indicating the method (Classic or GAM)
PPV_df_long <- PPV_df |>
  pivot_longer(c(PPV_gam, PPV_classic),
    values_to = "PPV",
    names_to = "PPV_method",
    names_prefix = "PPV_") |>
  mutate(PPV_vt = 10*PPV/vent_rel_vt,
    label = vent_setting_levels[as.character(vent_setting)] |>
      factor(levels = vent_setting_levels),
    PPV_method = factor(PPV_method, levels = c("gam", "classic")))

```

### 3 Model specification

The model (m1), fitted with brms, corresponds to the following model in mathematical notation:

$$\begin{aligned}
& \textbf{[Likelihood]} \\
& PPV_i \sim StudentT(\mu_i, \sigma_i, df = 4) \\
& \textbf{[Linear model of } \log(\mu) \textbf{]} \\
& \log(\mu_i) = \beta 0_{PPVmethod[i]} + \beta 1_{ventVT[i] \times PPVmethod[i]} + \beta 2_{ventRR[i] \times PPVmethod[i]} + \alpha_{subject[i]} \\
& \textbf{[Addaptive prior for random effect of subject]} \\
& \alpha_s \sim Normal(0, \sigma_\alpha) \\
& \quad , \text{ for subject } s = 1, \dots, 52 \\
& \textbf{[Prior for SD of subjects]} \\
& \sigma_\alpha \sim truncNormal(0, 1.5, low = 0) \\
& \textbf{[Prior for PPVmethod-specific intercept]} \\
& \beta 0_m \sim Normal(2.3, 1) \\
& \quad , \text{ for PPVmethod } m = (\text{gam}, \text{classic}) \\
& \textbf{[Prior for } \beta s \textbf{]} \\
& (\beta 1_{t,m}, \beta 2_{r,m}) \sim Normal(0, 2) \\
& \quad , \text{ for ventVT } t = (8, 6, 4); \text{ ventRR } r = (17, 24, 31); \text{ PPVmethod } m = (\text{gam}, \text{classic}) \\
& \textbf{[Linear model of } \log(\sigma) \textbf{]} \\
& \log(\sigma_i) = \gamma 0_{PPVmethod[i]} + \gamma 1_{ventVT[i] \times PPVmethod[i]} + \gamma 2_{ventRR[i] \times PPVmethod[i]} \\
& \textbf{[Prior for } \gamma s \textbf{]} \\
& (\gamma 0_m, \gamma 1_{t,m}, \gamma 2_{r,m}) \sim Normal(0, 1.5) \\
& \quad , \text{ for ventVT } t = (8, 6, 4); \text{ ventRR } r = (17, 24, 31); \text{ PPVmethod } m = (\text{gam}, \text{classic})
\end{aligned}$$

All independent variables are categorical. *PPVmethod* is one of the categories “GAM” or “Classic”, *ventVT* is one of the tidal volumes 10, 8, 6 or 4 ml kg<sup>-1</sup> (10 ml kg<sup>-1</sup> is the reference), *ventRR* is one of the respiratory rates 10, 17, 24 or 31 min<sup>-1</sup> (10 min<sup>-1</sup> is the reference). The random term ( $\alpha_s$ ) allows a subject specific intercept, reflecting that each subject presents with PPVs in different ranges.

Model 2 (m2) is similar, but instead of separate effects of tidal volume (*ventVT*) and respiratory rate (*ventRR*), the two ventilator settings are combined to *ventSetting*, giving estimates of all 10 applied combinations of tidal volume and respiratory rate.

#### 3.1 Priors

First we present the model priors. Generally these are weakly informative and only exclude unreasonably large effects. They simply serve as computational aids for fitting the model.

```

# Population-level terms -----
# Because of the log-link, these terms represent the log of the
# multiplicative effect on the outcome scale.
priors_pterms <- c(
  # Prior for the default population level effects.
  # A normal distribution with SD = 2, means that any effect of ventilator settings
  # different than VT=10, RR=10 is probably (68% interval) between a 7x increase
  # and a 7x decrease in PPV. 95% prior interval  $\exp(c(-4, 4)) \sim 1/50$  to 50.
  set_prior("normal(0, 2)", class = "b"),
  # Intercept (median PPV) is probably between 3 and 30 (i.e.  $\exp(c(1.3, 3.3))$ )
  # 95% prior interval  $\sim 1.4$  to 73
  set_prior("normal(2.3, 1)", coef = "PPV_methodgam"),
  set_prior("normal(2.3, 1)", coef = "PPV_methodclassic")
)

# Variability terms -----
# Between-subject variability (random effect)
# and within-subject variability (residuals)
priors_ranef <- c(
  # Prior for sd of random effect (half-normal prior).
  # Since this effect is on the log scale, a sd of 1 would mean that
  # 68 % of subjects are within 2.7x below and above the value predicted from
  # the fixed effects.
  set_prior("normal(0,1.5)", class = "sd"),
  # Priors for the linear predictors of log(sigma): The residual variability.
  # This gives 68% prior probability that sigma at VT=10,RR=10 is in the
  # range  $\exp(c(-1.5, 1.5)) = 0.22$  to 4.48.
  # The relative effect of VT and RR on sigma is assumed to be less than 4.5x (each).
  set_prior("normal(0,1.5)", dpar = "sigma")
)

priors <- c(priors_pterms,
           priors_ranef)

```

## 3.2 Model sampling

The models are sampled using Stan, via the R interface `brms`. Four chains with 4000 post-warmup draws each were used.

```

m1 <-
  brm(bf(PPV ~
    0 + PPV_method + (vent_rel_vt_f + vent_RR_f):PPV_method +
    (1 | id_f),
    sigma ~ 0 + PPV_method + (vent_rel_vt_f + vent_RR_f):PPV_method,
    # We fix nu (degrees of freedom in T distribution)
    nu = 4
  ),

```

```

prior = priors,
data = PPV_df_long,
seed = 1,
iter = 6000,
warmup = 2000,
family = student(link = "log"),
file = "temp_model_fits/m1",
file_refit = "on_change")

# Model with interaction between VT and RR
m2 <-
  brm(bf(PPV ~
        0 + PPV_method + vent_setting:PPV_method +
        (1 | id_f),
        sigma ~ 0 + vent_setting:PPV_method,
        nu = 4
      ),
    prior = priors,
    data = PPV_df_long,
    seed = 1,
    iter = 6000,
    warmup = 2000,
    family = student(link = "log"),
    file = "temp_model_fits/m2",
    file_refit = "on_change")

```

## 4 Convergence

We consider that models have converged if  $R_{\text{hat}}$  for all parameters are  $< 1.01$  (for details on the  $R_{\text{hat}}$  convergence measure, see [Vehtari et al, 2021](#)).

```

rhat_m1 <- rhat(m1) |> na.omit() # when nu is fixed, Rhat for nu is NaN
rhat_m2 <- rhat(m2) |> na.omit()

stopifnot(max(rhat_m1) < 1.01)
stopifnot(max(rhat_m2) < 1.01)

```

```
m1: max(rhat(m1)) = 1.0029832
```

```
m2: max(rhat(m2)) = 1.002467
```

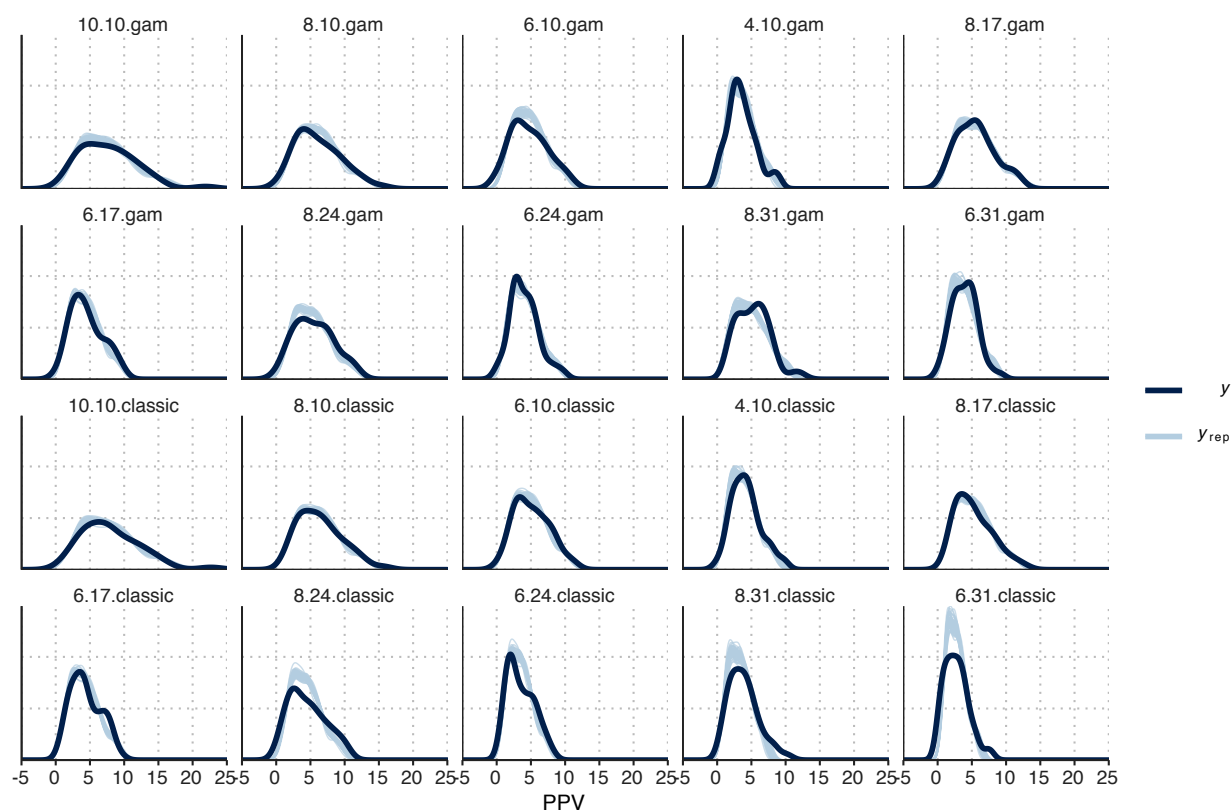
## 5 Posterior predictive plots

Below are plots showing the posterior prediction of PPV for all 10 ventilator settings (8.10.gam means VT=8 ml kg<sup>-1</sup>, RR=10 min<sup>-1</sup> with GAM method). The Student t distribution of the response places a (very) small area of the predictive distribution in negative PPV values. Negative

PPV values are not possible. We also fitted the models with a lower bound of 0 on the response distribution, eliminating negative predictions. That model gave essentially identical results, so we decided to use the non-bounded distribution, as it's location parameter ( $\mu$ ) is equal to the expected value, allowing interpretation of model parameters as conditional effects on the expected value of PPV.

```
bayesplot::ppc_dens_overlay_grouped(
  m1$data$PPV,
  yrep = posterior_epred(m1, ndraws = 50),
  group = with(m1$data, interaction(vent_rel_vt_f, vent_RR_f, PPV_method))) +
  labs(title = "m1 - Posterior predictive plots (VT.RR.method)",
       x = "PPV") +
  scale_x_continuous(limits = c(-5, 25))
```

m1 - Posterior predictive plots (VT.RR.method)



We only include the posterior predictive distributions for m1. The plots for m2 look practically identical.

## 6 Pareto K diagnostic and comparison of m1 and m2

```
loo(m1, m2)
```

```
## Output of model 'm1':
##
## Computed from 16000 by 1014 log-likelihood matrix
##
##           Estimate    SE
## elpd_loo  -1548.4  33.7
## p_loo       91.3   3.2
## looic      3096.8  67.4
## -----
## Monte Carlo SE of elpd_loo is 0.1.
##
## All Pareto k estimates are good (k < 0.5).
## See help('pareto-k-diagnostic') for details.
##
## Output of model 'm2':
##
## Computed from 16000 by 1014 log-likelihood matrix
##
##           Estimate    SE
## elpd_loo  -1558.0  33.6
## p_loo      105.7   3.6
## looic      3116.0  67.1
## -----
## Monte Carlo SE of elpd_loo is 0.1.
##
## All Pareto k estimates are good (k < 0.5).
## See help('pareto-k-diagnostic') for details.
##
## Model comparisons:
##      elpd_diff se_diff
## m1    0.0         0.0
## m2   -9.6         3.4
```

All Pareto  $k$  are  $< 0.5$  for both models, indicating that we do not have any overly influential data points. The higher elpd of model 1 indicates that this model is probably preferable (it is both simpler and performs better in cross-validation). In the paper we only consider model 1 as it is simpler to interpret. Here, we present both for completeness.

## 6.1 Variation in data explained by the model

```
bayes_R2(m1)
```

```
##      Estimate  Est.Error    Q2.5    Q97.5
## R2  0.8345889  0.004815872  0.8246655  0.8435493
```

Model 1 explains ~83% of the variation in data.

```
bayes_R2(m1, re_formula = NA)
```

```
##      Estimate Est.Error      Q2.5      Q97.5
## R2 0.1487355 0.02132385 0.1099816 0.1942842
```

If we exclude the random effects (between individual variation), we can see that the fixed effects explain ~15% of the variation. I.e. Within individuals, just shy of half the variation in PPV is explained by change in ventilator settings.

```
bayes_R2(m2)
```

```
##      Estimate Est.Error      Q2.5      Q97.5
## R2 0.8355959 0.004851377 0.8254863 0.8445318
```

```
bayes_R2(m2, re_formula = NA)
```

```
##      Estimate Est.Error      Q2.5      Q97.5
## R2 0.1507257 0.02135861 0.1122716 0.1956838
```

## 7 Make figure for m1 - No interaction

The following is the code to produce figure 5 in the paper.

### 7.1 Plot observed PPV

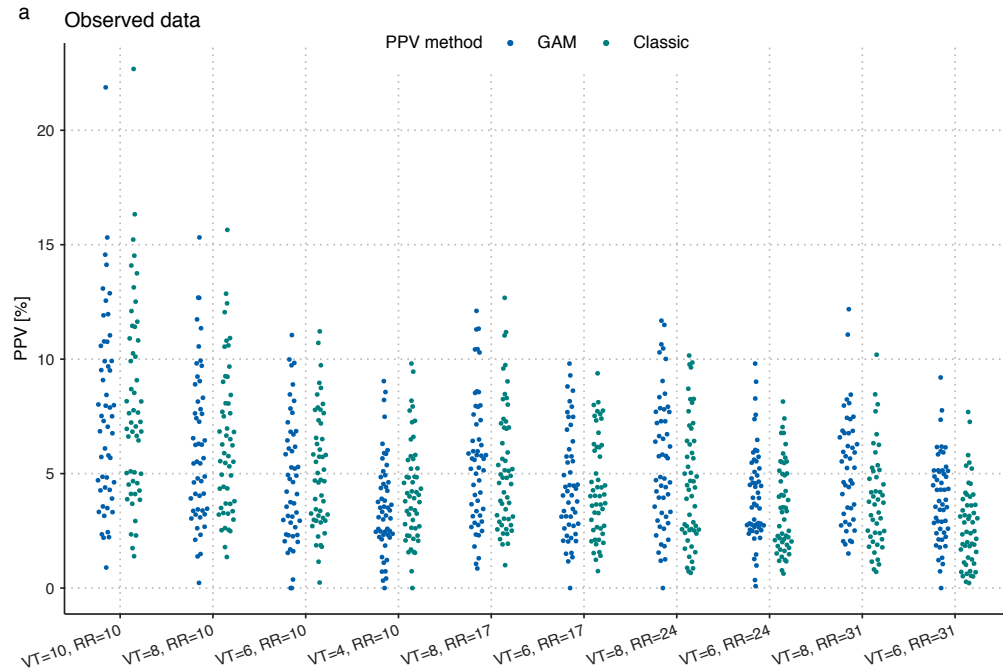
Plot of observed PPV for all ventilator settings and both methods (GAM and Classic)

```
observed_plot <- ggplot(PPV_df_long, aes(label, PPV)) +
  ggbeeswarm::geom_quasirandom(aes(color = PPV_method),
                              dodge.width=.6,
                              width = 0.1,
                              size = 0.7,
                              shape=16) +
  guides(color = guide_legend(override.aes = list(alpha = 1, size = 1))) +
  scale_color_discrete(limits = c("gam", "classic"), labels = c("GAM", "Classic")) +
  labs(title = "Observed data", x="", y="PPV [%]",
       color = "PPV method",
       tag = "a") +
  theme(axis.text.x = element_text(hjust = 1, angle = 20),
        legend.position = c(0.5, 1),
        legend.direction = "horizontal",
        legend.justification = c(0.5, 0.5),
```



```
legend.box.background = element_rect(color = NA, fill = "white"),
legend.text = element_text(size = rel(1))
```

observed\_plot

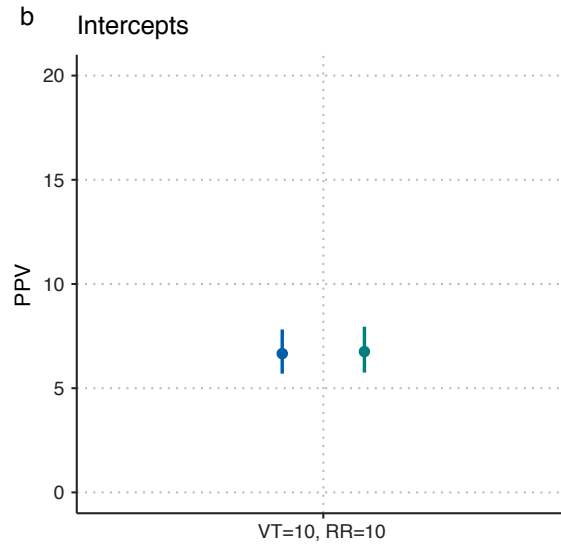


## 7.2 Plot ventilation effects

```
# Intercepts
intercept_draws_m1 <- gather_draws(m1, `b_PPV_method(gam|classic)`, regex = TRUE) |>
  mutate(PPV_method = str_remove(.variable, "b_PPV_method") |>
    factor(levels = c("gam", "classic")),
    intercept = exp(.value),
    label = "VT=10, RR=10")

intercept_plot_m1 <- ggplot(intercept_draws_m1, aes(label, intercept, color = PPV_method)) +
  stat_pointinterval(point_size = 1,
    interval_size = 1,
    position = position_dodge(width = 0.4),
    .width = 0.95) +
  coord_cartesian(ylim = c(0, 20)) +
  labs(x="", y="PPV", tag = "b",
    title = "Intercepts") +
  theme(legend.position = "none")

intercept_plot_m1
```



```
# Contrasts
contrast_draws_m1 <- gather_draws(m1, `b_PPV_method(gam|classic):.+`, regex = TRUE) |>
  separate(.variable, into = c("PPV_method", "setting"), sep = ":") |>
  separate(setting, into = c("setting_type", "setting"), sep = "_f") |>
  mutate(PPV_method = str_remove(PPV_method, "b_PPV_method") |>
    factor(levels = c("gam", "classic")),
    rel_effect = exp(.value))

contrast_draws_vt_m1 <- filter(contrast_draws_m1, setting_type == "vent_rel_vt") |>
  mutate(label = vt_levels[setting] |> factor(levels = vt_levels))

contrast_plot_layers <- list(
  stat_pointinterval(point_size = 1,
    interval_size = 1,
    position = position_dodge(width = 0.4),
    .width = 0.95),
  labs(y = "Relative effect", x = ""),
  scale_y_continuous(labels = scales::label_percent(accuracy = 1),
    breaks = seq(0.4, 1, by = 0.2)),
  coord_cartesian(ylim = c(0.4, 1)),
  theme(legend.position = "none")
)

contrast_plot_vt_m1 <- ggplot(contrast_draws_vt_m1,
  aes(label, rel_effect, color = PPV_method)) +
  contrast_plot_layers +
  labs(title = "Effect of tidal volume (VT) on PPV",
    subtitle = "Relative to VT=10 ml kg-1", tag = "c")

contrast_draws_rr_m1 <- filter(contrast_draws_m1, setting_type == "vent_rr") |>
```

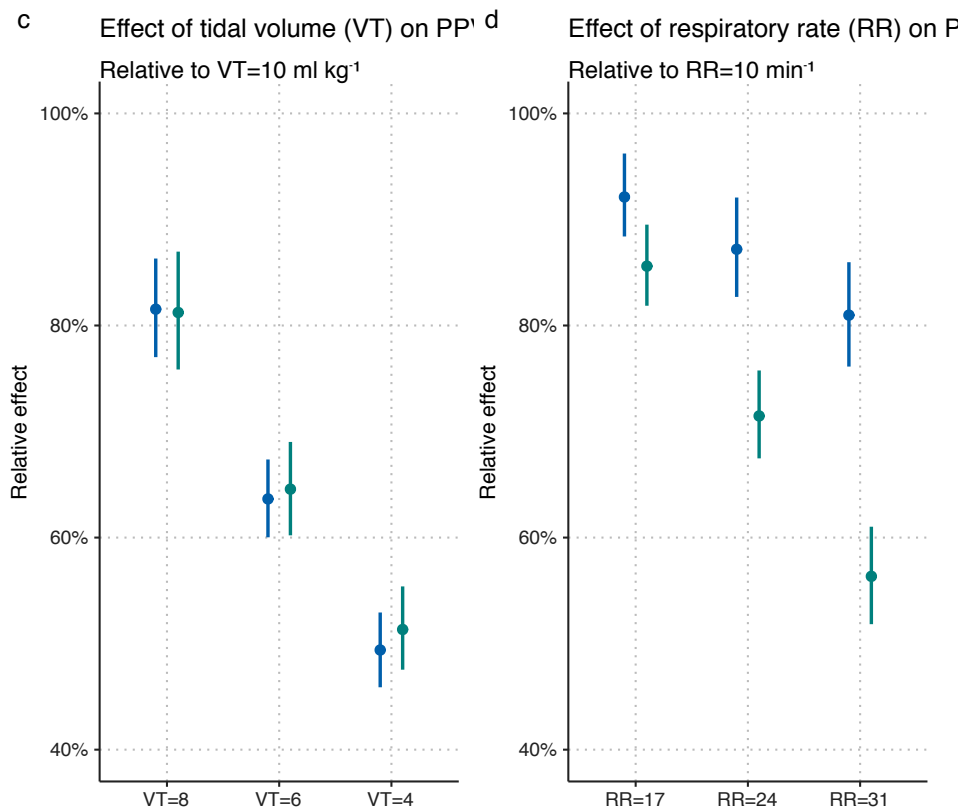
```

mutate(label = rr_levels[setting] |> factor(levels = rr_levels))

contrast_plot_rr_m1 <- ggplot(contrast_draws_rr_m1,
                             aes(label, rel_effect, color = PPV_method)) +
  contrast_plot_layers +
  labs(title = "Effect of respiratory rate (RR) on PPV",
       subtitle = "Relative to RR=10 min-1", tag = "d")

contrast_plot_vt_m1 + contrast_plot_rr_m1

```



### 7.3 Make figure 5 (without CV and residuals)

```

param_plot_design_m1_simple <- "
  AAA
  BCD
"

m1_plot_simple <- observed_plot +
  intercept_plot_m1 + contrast_plot_vt_m1 + contrast_plot_rr_m1 +
  plot_layout(design = param_plot_design_m1_simple,
             heights = c(2, 3),

```

```

        widths = c(1, 3, 3)
      )

save_plot("fig5_mix_model_fig", m1_plot_simple, width = 18, height = 11, scale = 1)

## [1] "plots/fig5_mix_model_fig.png" "plots/fig5_mix_model_fig.pdf"

```

## 7.4 Plot residuals

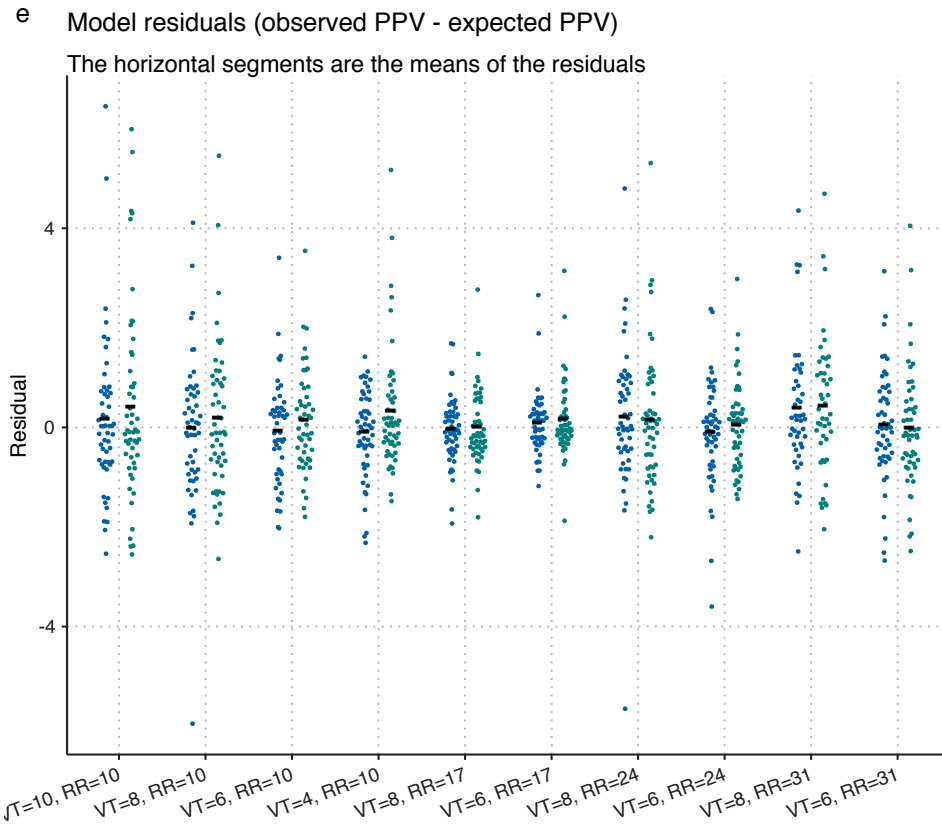
```

# Get mean residuals for both m1 and m2.
PPV_df_long_resid <- PPV_df_long |>
  mutate(
    resid_m1 = residuals(m1, method = "posterior_predict")[, "Estimate"],
    resid_m2 = residuals(m2, method = "posterior_predict")[, "Estimate"]
  )

resid_plot_m1 <- ggplot(PPV_df_long_resid,
  aes(label, resid_m1, color = PPV_method)) +
  ggbeeswarm::geom_quasirandom(dodge.width=.6,
    width = 0.1,
    size = 0.5,
    shape=16) +
  stat_summary(aes(color = NULL, group = PPV_method), fun = mean, geom = "point",
    shape = "-", size = 5,
    position = position_dodge(width = 0.6)) +
  labs(title = "Model residuals (observed PPV - expected PPV)",
    subtitle = "The horizontal segments are the means of the residuals",
    x="", y="Residual",
    tag = "e") +
  theme(axis.text.x = element_text(hjust = 1, angle = 20),
    legend.position = "none")

resid_plot_m1

```



## 7.5 Plot residual standard deviation

Since we use a student t distribution for the likelihood, the sigma parameter does not equal the standard deviation (SD). SD of a T distribution is

$$SD = \sqrt{\sigma^2 \frac{\nu}{\nu - 2}}, \text{ for } \nu > 2$$

where  $\nu$  (nu) is the degrees of freedom parameter.

```
sd_t <- function(sigma, nu) {
  stopifnot(nu > 2)
  sqrt( sigma^2 * (nu / (nu-2)) )
}

# Make a data frame with one row for each combination of PPV_method and vent_setting
newdata_method_setting <- PPV_df_long |>
  tidyr::expand(PPV_method, nesting(vent_setting,
                                     vent_rel_vt, vent_RR,
                                     vent_rel_vt_f, vent_RR_f))

# Make draws of mean of posterior predictions (epred)
# include sigma and nu for each draw (they are used to calculate SD).
```

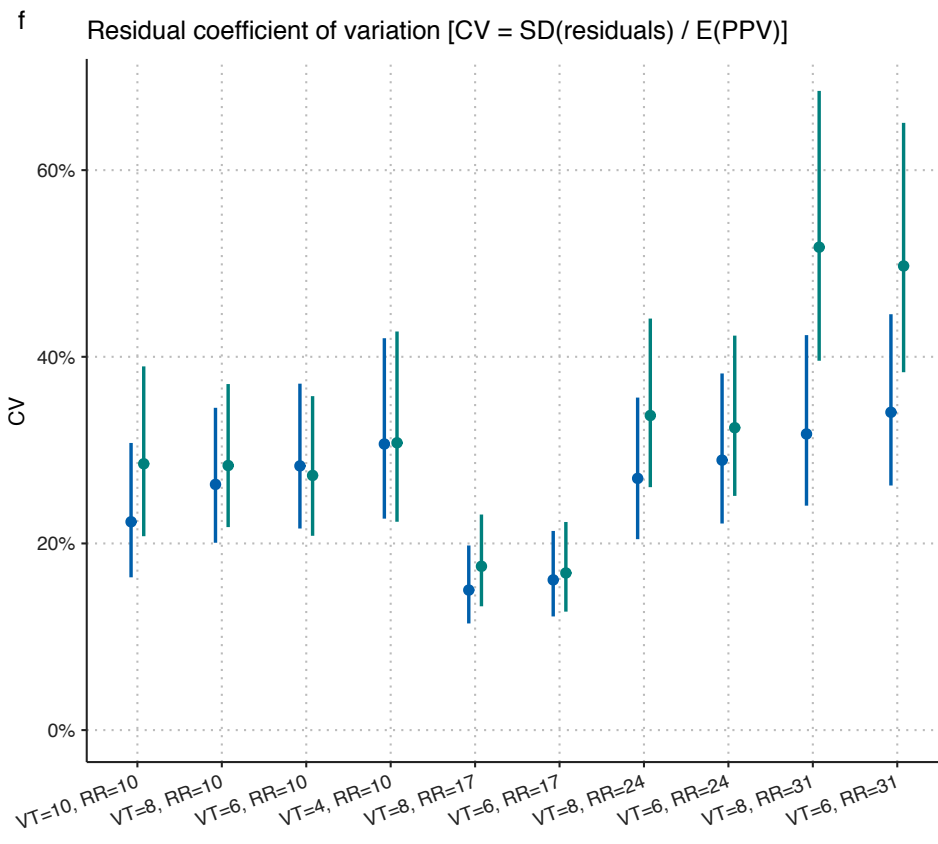
```

vent_setting_epred_m1 <- newdata_method_setting |>
  add_epred_draws(m1, re_formula = NA,
                  dpar = c("sigma", "nu")) |>
  mutate(label = vent_setting_levels[as.character(vent_setting)] |>
    factor(levels = vent_setting_levels),
    SD = sd_t(sigma, nu),
    CV = SD/.epred)

sd_plot_m1 <- ggplot(vent_setting_epred_m1, aes(label,
                                                  CV,
                                                  color = PPV_method)) +
  stat_pointinterval(position = position_dodge(width = 0.3),
                    .width = 0.95, interval_size = 1,
                    point_size = 1, show.legend = FALSE) +
  scale_y_continuous(limits = c(0, NA), labels = scales::label_percent()) +
  labs(title = "Residual coefficient of variation [CV = SD(residuals) / E(PPV)]",
       x="", y="CV", color = "PPV method",
       tag = "f") +
  theme(axis.text.x = element_text(hjust = 1, angle = 20))

sd_plot_m1

```



## 7.6 Combine plots in one figure

```
param_plot_design_m1 <- "
  AAA
  BCD
  EEE
  FFF
"

m1_plot <- observed_plot +
  intercept_plot_m1 + contrast_plot_vt_m1 + contrast_plot_rr_m1 +
  resid_plot_m1 +
  sd_plot_m1 +
  plot_layout(design = param_plot_design_m1,
              heights = c(1, 1.5, 1, 1),
              widths = c(1, 3, 3)
              )

save_plot("suppl_m1_plot", m1_plot, width = 18, height = 18, scale = 1)

## [1] "plots/suppl_m1_plot.png" "plots/suppl_m1_plot.pdf"
```

## 8 Make table of relative effects for m1 (relative to VT=10 ml kg<sup>-1</sup>, RR=10 min<sup>-1</sup>)

These are the estimates that are visualized in panel c and d.

```
contrast_draws_m1 |>
  group_by(PPV_method, setting_type, setting) |>
  median_qi(rel_effect) |>
  mutate(label = sprintf("%.0f [%.0f; %.0f]%%",
                          rel_effect * 100,
                          .lower * 100,
                          .upper * 100)) |>
  select(-c(.width, .point, .interval)) |>
  knitr::kable(booktabs = TRUE, digits = 2)
```

PPV\_method

setting\_type

setting

rel\_effect

.lower

.upper

label  
 gam  
 vent\_\_rel\_\_vt  
 4  
 0.49  
 0.46  
 0.53  
 49 [46; 53]%  
 gam  
 vent\_\_rel\_\_vt  
 6  
 0.64  
 0.60  
 0.67  
 64 [60; 67]%  
 gam  
 vent\_\_rel\_\_vt  
 8  
 0.82  
 0.77  
 0.86  
 82 [77; 86]%  
 gam  
 vent\_\_RR  
 17  
 0.92  
 0.88  
 0.96  
 92 [88; 96]%  
 gam  
 vent\_\_RR  
 24  
 0.87  
 0.83



0.92  
87 [83; 92]%  
gam  
vent\_\_RR  
31  
0.81  
0.76  
0.86  
81 [76; 86]%  
classic  
vent\_\_rel\_\_vt  
4  
0.51  
0.48  
0.55  
51 [48; 55]%  
classic  
vent\_\_rel\_\_vt  
6  
0.65  
0.60  
0.69  
65 [60; 69]%  
classic  
vent\_\_rel\_\_vt  
8  
0.81  
0.76  
0.87  
81 [76; 87]%  
classic  
vent\_\_RR  
17  
0.86

0.82  
 0.90  
 86 [82; 90]%  
 classic  
 vent\_RR  
 24  
 0.71  
 0.67  
 0.76  
 71 [67; 76]%  
 classic  
 vent\_RR  
 31  
 0.56  
 0.52  
 0.61  
 56 [52; 61]%

## 9 Compare m1 coefficient of variation (CV) between $PPV_{Classic}$ and $PPV_{GAM}$ across ventilator settings

```

vent_setting_epred_m1 |>
  ungroup() |>
  pivot_wider(id_cols = c(.draw, vent_setting),
              names_from = PPV_method, values_from = CV, names_prefix = "CV_") |>
  mutate(CV_classic_m_gam = CV_classic - CV_gam) |>
  group_by(vent_setting) |>
  select(vent_setting, CV_classic_m_gam) |>
  median_qi(CV_classic_m_gam) |>
  mutate(label = sprintf("%.0f [%.0f; %.0f]%%-points",
                        CV_classic_m_gam * 100,
                        .lower * 100,
                        .upper * 100)) |>
  select(-c(.width, .point, .interval)) |>
  knitr::kable(booktabs = TRUE, digits = 2)
  
```

vent\_setting  
 CV\_classic\_m\_gam

.lower  
.upper  
label  
10.10  
0.06  
-0.03  
0.17  
6 [-3; 17]%points  
8.10  
0.02  
-0.06  
0.10  
2 [-6; 10]%points  
6.10  
-0.01  
-0.10  
0.07  
-1 [-10; 7]%points  
4.10  
0.00  
-0.12  
0.13  
0 [-12; 13]%points  
8.17  
0.03  
-0.03  
0.08  
3 [-3; 8]%points  
6.17  
0.01  
-0.05  
0.06  
1 [-5; 6]%points  
8.24

0.07  
 -0.03  
 0.17  
 7 [-3; 17]%points  
 6.24  
 0.03  
 -0.06  
 0.13  
 3 [-6; 13]%points  
 8.31  
 0.20  
 0.07  
 0.36  
 20 [7; 36]%points  
 6.31  
 0.16  
 0.03  
 0.30  
 16 [3; 30]%points

## 10 Make figure for m2 - Model that allows interaction of VT and RR effects

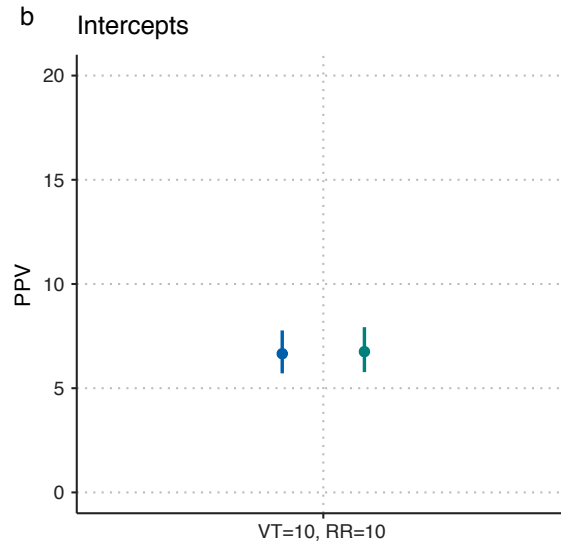
### 10.1 Plot ventilation effects

```

intercept_draws_m2 <- gather_draws(m2, `b_PPV_method(gam|classic)`, regex = TRUE) |>
  mutate(PPV_method = str_remove(.variable, "b_PPV_method") |>
    factor(levels = c("gam", "classic")),
    intercept = exp(.value),
    label = "VT=10, RR=10")

intercept_plot_m2 <- intercept_plot_m1 %>% intercept_draws_m2

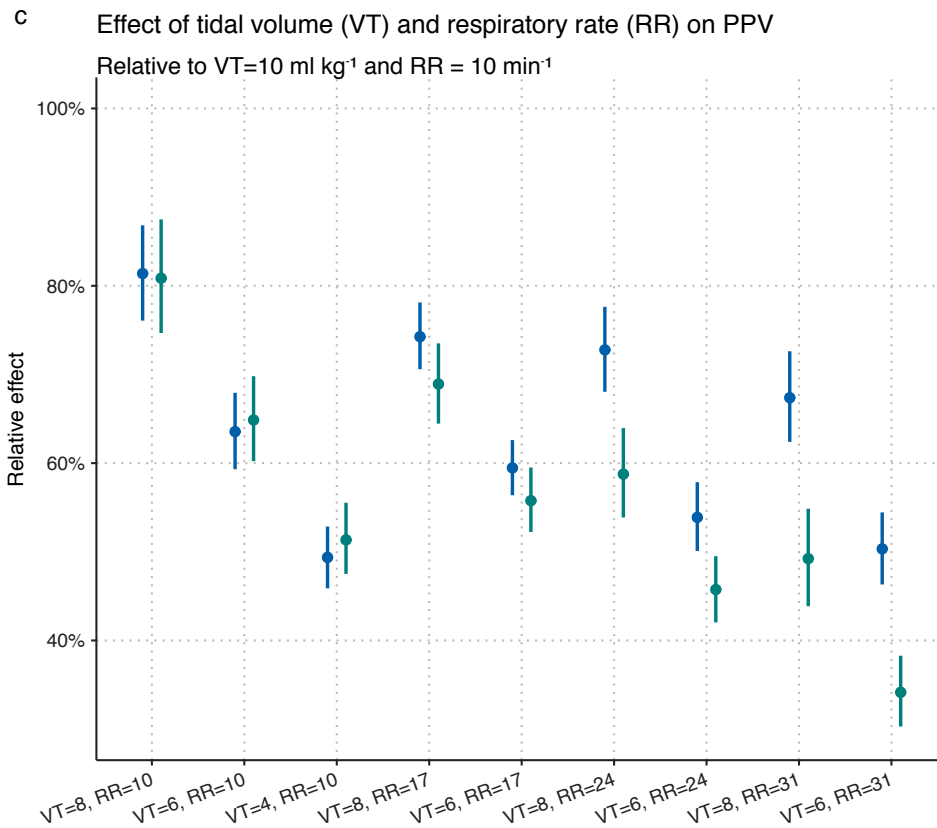
intercept_plot_m2
  
```



```
contrast_draws_m2 <- gather_draws(m2, `b_PPV_method(gam|classic):.+`, regex = TRUE) |>
  separate(.variable, into = c("PPV_method", "vent_setting"), sep = ":") |>
  mutate(PPV_method = str_remove(PPV_method, "b_PPV_method") |>
    factor(levels = c("gam", "classic")),
    vent_setting = str_remove(vent_setting, "vent_setting"),
    label = vent_setting_levels[vent_setting] |>
    factor(levels = vent_setting_levels),
    rel_effect = exp(.value))

contrast_plot_m2 <- ggplot(contrast_draws_m2,
  aes(label, rel_effect, color = PPV_method)) +
  stat_pointinterval(point_size = 1,
    interval_size = 1,
    position = position_dodge(width = 0.4),
    .width = 0.95) +
  labs(y = "Relative effect", x = "",
    title = "Effect of tidal volume (VT) and respiratory rate (RR) on PPV",
    subtitle = "Relative to VT=10 ml kg-1 and RR = 10 min-1", tag = "c") +
  scale_y_continuous(labels = scales::label_percent(accuracy = 1),
    breaks = seq(0.4, 1, by = 0.2)) +
  coord_cartesian(ylim = c(0.3, 1)) +
  theme(legend.position = "none",
    axis.text.x = element_text(hjust = 1, angle = 20))

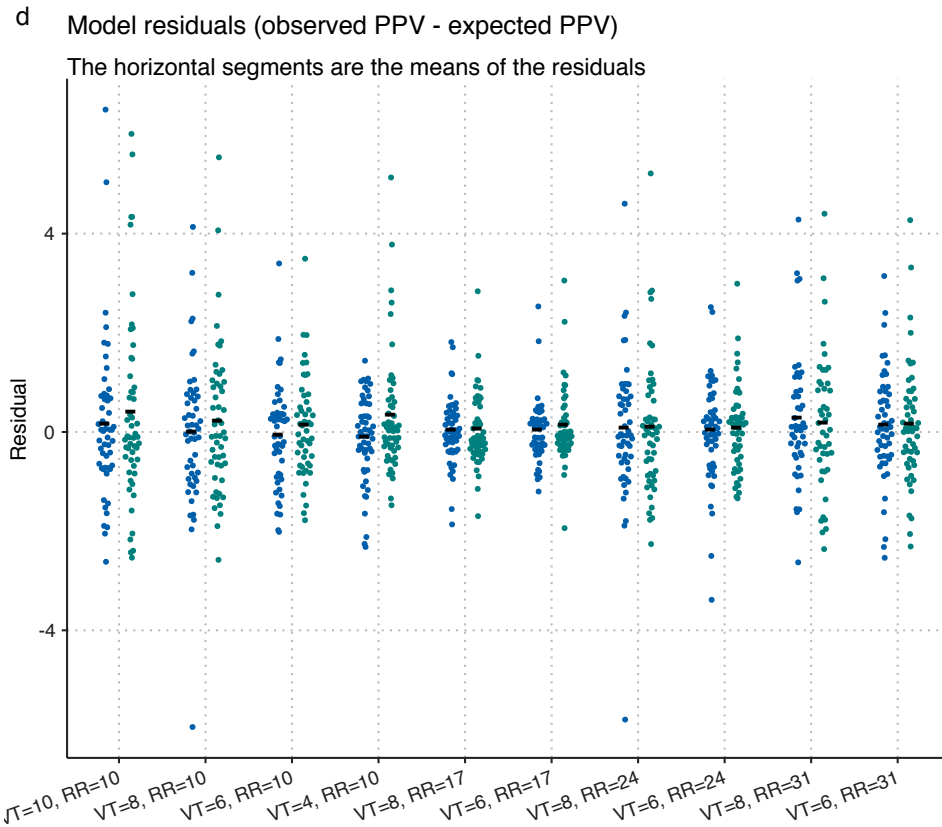
contrast_plot_m2
```



## 10.2 Plot residuals

```
resid_plot_m2 <- ggplot(PPV_df_long_resid, aes(label, resid_m2)) +
  ggbeeswarm::geom_quasirandom(aes(color = PPV_method),
    dodge.width=.6,
    width = 0.1,
    size = 0.7,
    shape=16) +
  stat_summary(aes(color = NULL, group = PPV_method), fun = mean, geom = "point",
    shape = "-", size = 5,
    position = position_dodge(width = 0.6)) +
  labs(title = "Model residuals (observed PPV - expected PPV)",
    subtitle = "The horizontal segments are the means of the residuals",
    x="", y="Residual",
    tag = "d") +
  theme(axis.text.x = element_text(hjust = 1, angle = 20),
    legend.position = "none")

resid_plot_m2
```



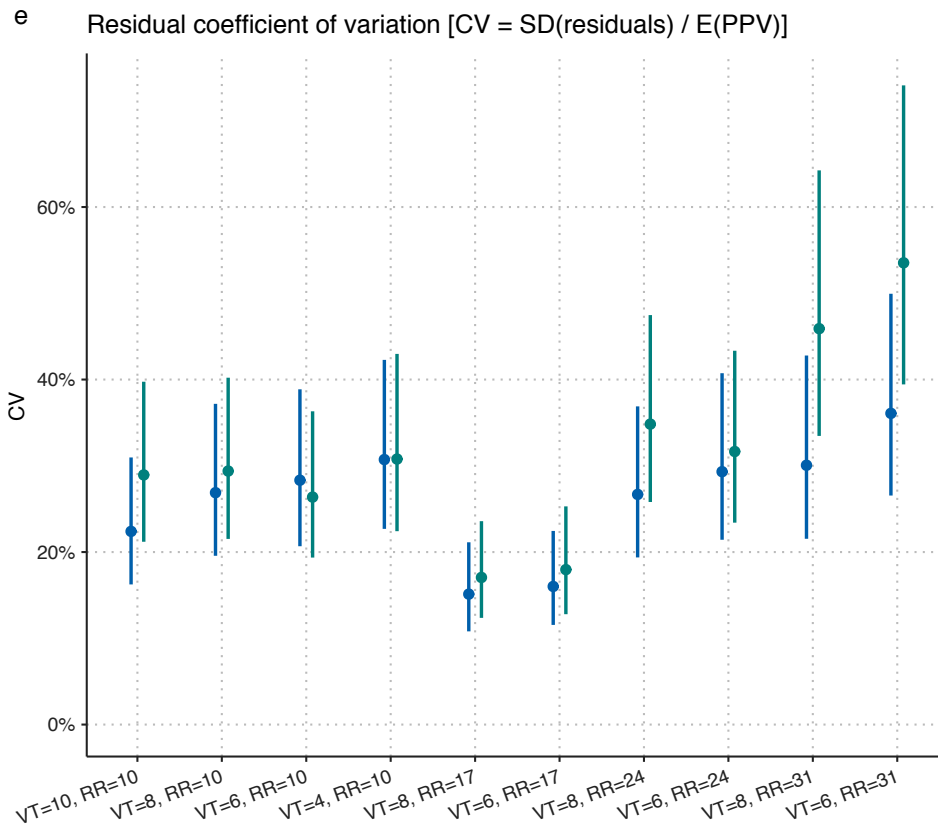
### 10.3 Plot residual standard deviation

```
# Make draws of mean of posterior predictions (epred)
# include sigma for each draw.

vent_setting_epred_m2 <- newdata_method_setting |>
  add_epred_draws(m2, re_formula = NA,
                  dpar = c("sigma", "nu")) |>
  mutate(label = vent_setting_levels[as.character(vent_setting)] |>
    factor(levels = vent_setting_levels),
         SD = sd_t(sigma, nu),
         CV = SD/.epred)

# Reuse the sd plot from model 1, but with new data
sd_plot_m2 <- sd_plot_m1 %>% vent_setting_epred_m2 +
  labs(tag = "e")

sd_plot_m2
```



## 10.4 Combine plots in one figure

```
param_plot_design_m2 <- "
  AA
  BC
  DD
  EE
"

m2_plot <- observed_plot +
  intercept_plot_m2 +
  contrast_plot_m2 +
  resid_plot_m2 +
  sd_plot_m2 +
  plot_layout(design = param_plot_design_m2,
    heights = c(1, 1.5, 1, 1),
    widths = c(1, 5)
  )

save_plot("extra_m2_plot", m2_plot, width = 18, height = 18, scale = 1)

## [1] "plots/extra_m2_plot.png" "plots/extra_m2_plot.pdf"
```



m2\_plot

