

Introduction to the bartMachine R package

Saint Louis R User Group

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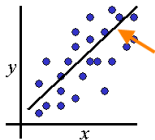
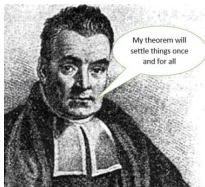
Outline

1. Brief BART overview
2. Installation and features
3. Demo
4. Further Considerations

What is BART?

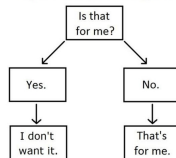


Bayesian Additive Regression Trees



regression
line

My Cat's Decision-Making Tree.



How it works

- ▶ Ensemble method which is the sum of many shallow trees.
- ▶ Complexity is regularized via Bayesian “priors.”
 - ▶ This frees us from ad hoc decisions
- ▶ Uses “Bayesian Backfitting”
 - ▶ Each tree is sequentially exposed to the residuals when all other trees are used to predict

Results:

- ▶ Each tree describes a tiny amount of the structure
- ▶ The Bayesian structure means variation is fully quantified.
 - ▶ Intervals, p-values, and model selection oh my!
- ▶ Outperforms many common models in out of sample prediction.

Powerful Predictive Performance

- ▶ Test RMSE of 100 random datasets simulated from various nonlinear functions (added noise with $s=1$)

Function	BART	XGBoost*	Random Forest*	Linear Reg(lol)
Friedman	1.08	1.21	1.64	2.61
Mirsha's Bird	1.53	2.78	2.90	26.59
Weird Exp	1.04	1.05	1.07	6.08
Linear	1.025	1.032	1.034	1.004

- ▶ `bartMachine` is relatively unknown
 - ▶ `xgboost`: ~43k downloads per month
 - ▶ `randomForest`: ~88k downloads per month
 - ▶ `bartMachine`: ~2k downloads per month

Package Features:

- ▶ Functions for Cross Validation
- ▶ Model fitting:
 - ▶ Is done in parallel¹
 - ▶ Can incorporate missing data
- ▶ Lots of fun statistical things
 - ▶ Credible interval calculation
 - ▶ Diagnostic plots/tests
- ▶ Variable selection
- ▶ Interaction detection
- ▶ Export fit trees

¹MCMC sampling is used, so speedups during model fitting aren't great

Installation and loading steps

1. Google “How to install rJava on [your OS]”
2. Do that
3. Run the following

```
install.packages("bartMachine")
```

To load the package with:

- ▶ 10GB of memory
- ▶ All but one core available for compute

```
options(java.parameters = "-Xmx10g")  
library(bartMachine)  
numcores <- parallel::detectCores()  
set_bart_machine_num_cores(numcores - 1)
```

Boston Data

```
data(Boston)
Boston %>% round(digits=2) %>% head
```

```
##   crim zn  indus chas  nox   rm  age  dis rad tax ptratio  black lstat medv
## 1 0.01 18   2.31    0 0.54 6.58 65.2 4.09   1 296    15.3 396.90  4.98 24.0
## 2 0.03  0   7.07    0 0.47 6.42 78.9 4.97   2 242    17.8 396.90  9.14 21.6
## 3 0.03  0   7.07    0 0.47 7.18 61.1 4.97   2 242    17.8 392.83  4.03 34.7
## 4 0.03  0   2.18    0 0.46 7.00 45.8 6.06   3 222    18.7 394.63  2.94 33.4
## 5 0.07  0   2.18    0 0.46 7.15 54.2 6.06   3 222    18.7 396.90  5.33 36.2
## 6 0.03  0   2.18    0 0.46 6.43 58.7 6.06   3 222    18.7 394.12  5.21 28.7
```

- Target: Predict home value(medv)

Fitting BART

```
y <- Boston$medv
X <- Boston %>% dplyr::select(-c("medv"))

#Fit BART model
bart.model <- bartMachine(X,y,
                           num_trees = 200,
                           num_burn_in = 1000,
                           num_iterations_after_burn_in = 5000)
```

BART is fit with MCMC, which requires a “burnin” set of initial iterations.

- ▶ NOTE: with 10 cores, each thread would fit $1000 + 5000/10$ or 1500 iterations

BART object

```
> bart.model
bartMachine v1.2.3 for regression

training data n = 506 and p = 13
built in 19.4 secs on 31 cores, 200 trees, 1000 burn-in and 5000 post.

sigsq est for y beforehand: 21.938
avg sigsq estimate after burn-in: 2.70319

in-sample statistics:
  L1 = 430.35
  L2 = 654.72
  rmse = 1.14
  Pseudo-Rsq = 0.9847
p-val for shapiro-wilk test of normality of residuals: 0
p-val for zero-mean noise: 0.98467
```

Did we overfit?

K fold CV using our fit model

```
k_fold_cv(X, y, k_folds = 10,  
          num_trees = 200,  
          num_burn_in = 1000,  
          num_iterations_after_burn_in = 5000)
```

```
.....
```

```
$y_hat
```

```
[1] 24.932807 20.522438 31.149051 36.071931...
```

```
$L1_err
```

```
[1] 1022.238
```

```
$L2_err
```

```
[1] 4624.004
```

```
$rmse
```

```
[1] 3.02297
```

```
$PseudoRsq
```

```
[1] 0.8917508
```

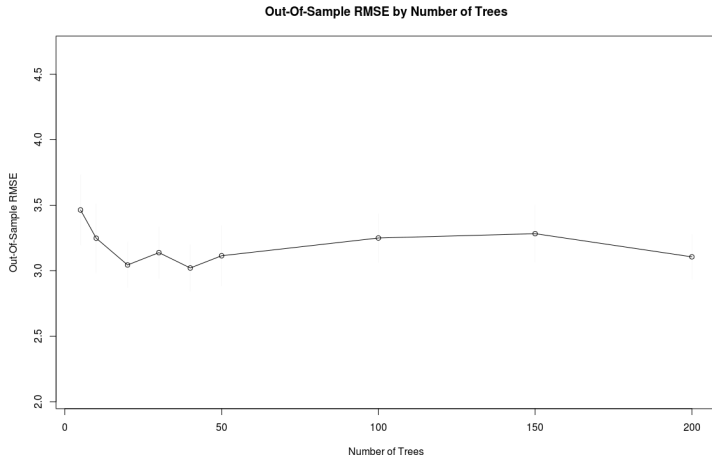
```
$folds
```

```
[1] 8 10 3 1 ....
```

Select the number of Trees

```
rmse_by_num_trees(bart.model, num_replicates = 20)
```

- ▶ This fits the model 20 times for a number of various numbers of trees
- ▶ Aggregates out of sample RMSE



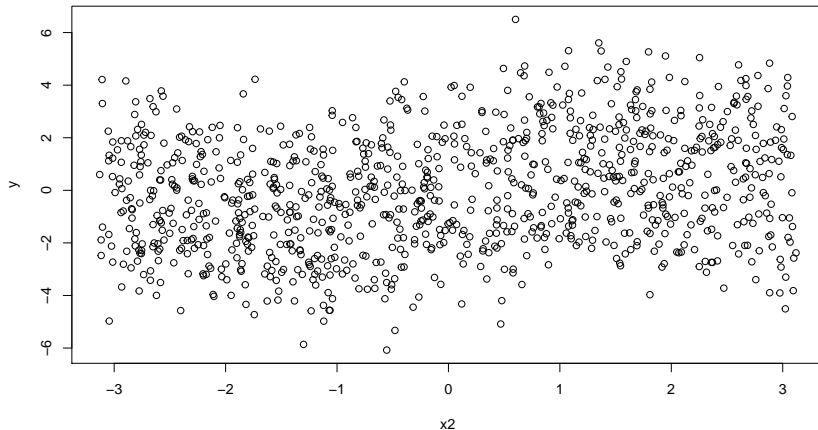
Cross Validate

```
bart.model.cv <- bartMachineCV(X, y,  
                                num_burn_in = 1000,  
                                num_iterations_after_burn_in = 5000)
```

- ▶ To automatically cross validate, we just need to add a CV to the end of the function!
- ▶ This takes a while

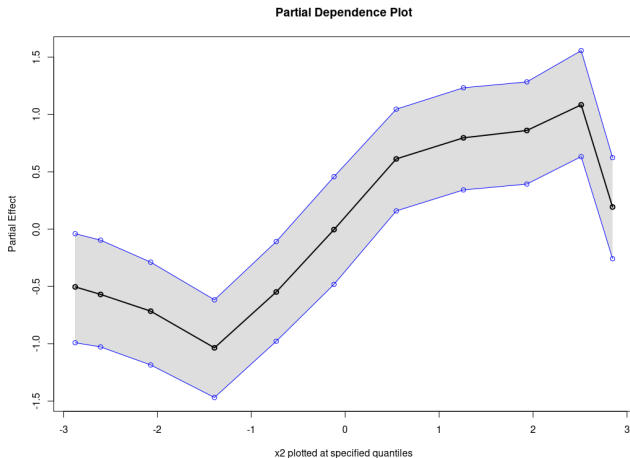
Aside: Partial Dependence

```
nsim <- 1000  
x1 <- runif(nsim, -3.14, 3.14)  
x2 <- runif(nsim, -3.14, 3.14)  
  
y <- x1 + sin(x2) + rnorm(nsim)  
plot(x2, y)
```



Aside: Partial Dependence

```
bart.model <- bartMachine(data.frame(x1,x2),y,  
                                num_trees = 200,  
                                num_burn_in = 1000,  
                                num_iterations_after_burn_in = 4000)  
pd_plot(bart.model, j = "x2")
```



Code Time

Coding demo

John's Final Thought

- ▶ BART is a powerful technique which brings many advantages
 - ▶ At the expense of computational efficiency.

```
# n is 10000, p is 100
bart.model <- bartMachine(X,y,
                           num_trees = 100,
                           num_burn_in = 1000,
                           num_iterations_after_burn_in = 5000,
                           mem_cache_for_speed = TRUE)
```

```
CPU [|||||] 100.0%   IO [|||||] 100.0%
```

```
Mem[|||||] 148G/189G
```

```
Swp[|||||] 0K/31.4G
```

- ▶ Statistical advantages are numerous
- ▶ Great for small to mid sized data
- ▶ Good results with removing expected variation and feeding residuals into BART.