

MODULE 1: INTRODUCTION TO PROGRAMMING

## Introduction to Collections (Part 2)



1 on 1s





## Yesterday

- What is a **namespace**?
- What are some properties of a **list**?
- What are some properties of a **stack**?
- What are some properties of a **queue**?

# Collections: Dictionary<T,T>

- A **dictionary** is an indexed collection that allows values to be located using user-defined keys.
- **You** define the data types of the key and values
- Keys **must** be unique

# Accessing Elements in a Dictionary



Truck



Webster

a large, heavy motor  
vehicle used for  
transporting goods,  
materials, or troops.

Webster["Truck"]

# LET'S CODE!



ELEVATE  YOURSELF

## Collections: HashSet<T>

- A **HashSet** is like a list except it does not allow duplicates.
- Elements are not kept in order

# LET'S CODE!



ELEVATE  YOURSELF



# Algorithmic Complexity

```
public bool IsLastElementEven(int[] array)
{
    return array[array.Length - 1] % 2 == 0;
}
```

We call this big O of  $O(1)$

**Big O Notation** is a way to represent how long an algorithm will take to execute.

## $O(1)$ — Constant Time

- Constant time algorithms will always take same amount of time to be executed. The execution time of these algorithm is independent of the size of the input.
- Accessing a value with an array index.
- Push()
- Pop()

## $O(n)$ - Linear time complexity

- An algorithm has a linear time complexity if the time to execute the algorithm is directly proportional to the input size  $n$ . Therefore the time it will take to run the algorithm will increase proportionately as the size of input  $n$  increases.

```
for (int i = 0; i < nums.length; i++) {  
    console.log(nums[i]);  
}
```

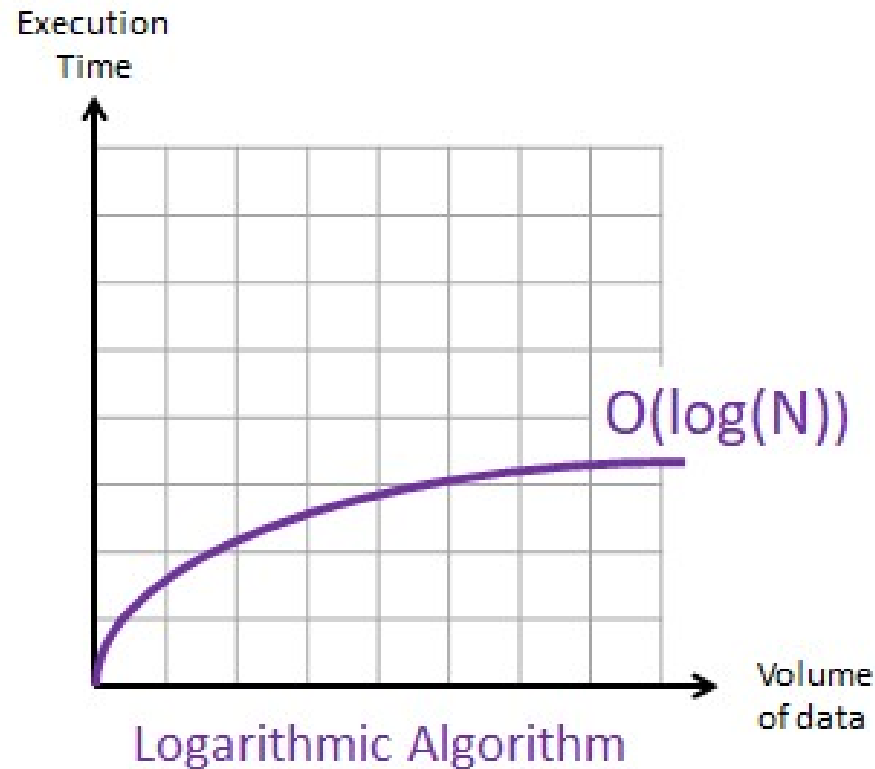
## $O(n^2)$ - Quadratic time complexity

- An algorithm has quadratic time complexity if the time to execute it is proportional to the square of the input size.

```
for(var i = 0; i < length; i++) { //has  $O(n)$  time complexity
  for(var j = 0; j < length; j++) { //has  $O(n^2)$  time complexity
    // More loops?
  }
}
```

# $O(\log n)$ - Logarithmic time complexity

- An algorithm has logarithmic time complexity if the time it takes to run the algorithm is proportional to the logarithm of the input size  $n$ .



WHAT QUESTIONS DO  
YOU HAVE?



# Reading for tonight: **Introduction to Classes**

