# Practical 2

## Jumping Rivers

During this practical we will mainly use the **caret** package, we should load that package

```
library("caret")
```

The cars2010 data set

The cars2010 data set contains information about car models in 2010. The aim is to model the FE variable which is a fuel economy measure based on 13 predictors.<sup>1</sup>

The data is part of the **AppliedPredictiveModeling** package and can be loaded by

```
data(FuelEconomy, package = "AppliedPredictiveModeling")
```

#### Exploring the data

- 1. Prior to any analysis we should get an idea of the relationships between variables in the data. <sup>2</sup> Use the pairs() function to explore the data. The first few are shown in figure @??fig:fig1 1).
- 2. An alternative to using pairs() is to specify a plot device that has enough space for the number of plots required to plot the response against each predictor

```
op = par(mfrow = c(3, 5), mar = c(4, 2, 1, 1.5))
plot(FE ~ ., data = cars2010)
par(op)
```

We don't get all the pairwise information amongst predictors but it saves a lot of space on the plot and makes it easier to see what's going on. It is also a good idea to make smaller margins.

- 1. Create a simple linear model fit of FE against EngDispl using the train() function<sup>3</sup>. Call your model m1.
- 2. Examine the residuals of this fitted model, plotting residuals against fitted values
- 3. We can add the lines showing where we expect the standardised residuals to fall to aid graphical inspection

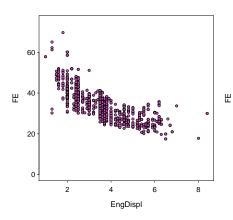
```
abline(h = c(-2, 0, 2), col = 2:3, lty = 2:1)
```

4. What do the residuals tell us about the model fit using this plot?

¹ Further information can
be found in the help page,
help("cars2010", package =
"AppliedPredictiveModeling").

 $^2$  The FE  $\sim$  . notation is shorthand for FE against all variables in the data frame specified by the data argument.

 $<sup>^3</sup>$  Hint: use the train() function with the  ${\tt lm}$  method.



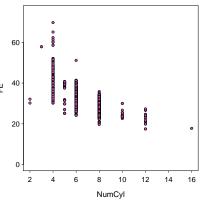


Figure 1: Plotting the response against some of the predictor variables in the 'cars2010' data set.

- 1. Plot the fitted values vs the observed values
- 2. What does this plot tell us about the predictive performance of this model across the range of the response?
- 3. Produce other diagnostic plots of this fitted model, e.g. a q-q plot
- 4. Are the modelling assumptions justified?

## Extending the model

- 1. Do you think adding a quadratic term will improve the model fit?
- 2. Fit a model with the linear and quadratic terms for EngDispl and call it m2
- 3. Assess the modelling assumptions for this new model. How do the two models compare?
- 4. Add NumCyl as a predictor to the simple linear regression model m1 and call it m3
- 5. Examine model fit and compare to the original.
- 6. Does the model improve with the addition of an extra variable?

# Visualising the model

The **jrAnalytics** package contains a plot3d() function to help with viewing these surfaces in  $3D.^4$ 

We can also examine just the data interactively, via

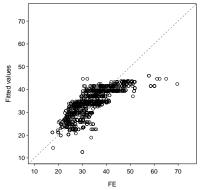


Figure 2: Plot of fitted against observed values. It's always important to pay attention to the scales.

<sup>&</sup>lt;sup>4</sup> We can also add the observed points to the plot using the points() argument to this function, see the help page for further information.

- 1. Try fitting other variations of this model using these two predictors. For example, try adding polynomial and interaction terms
- 2. How is prediction affected in each case? Don't forget to examine residuals, R squared values and the predictive surface.
- 3. If you want to add an interaction term you can do so with the : operator, how does the interaction affect the surface?

#### Other data sets

A couple of other data sets that can be used to try fitting linear regression models.

Data set	Package	Response
diamonds	ggplot2	price
Wage	ISLR	wage
BostonHousing	mlbench	$\operatorname{medv}$
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