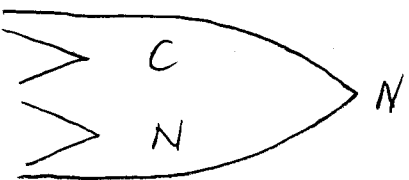


1. Factor	R/F	N/C
i = State	R	
j = Environment	F	
t = Lake	R	

Thus, we use the Mixed Model: $(\alpha\beta)_{ij} \stackrel{iid}{\sim} N(0, \sigma_{int}^2)$

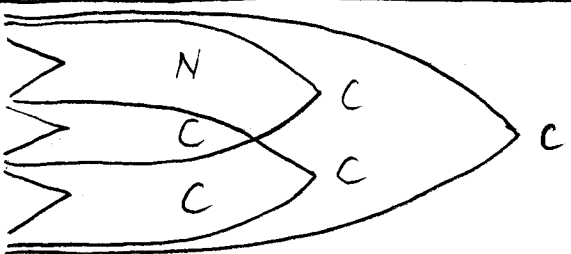
$$Y_{ijt} = \mu + \alpha_i + \beta_j + (\alpha\beta)_{ij} + \varepsilon_{ijt}, \quad \alpha_i \stackrel{iid}{\sim} N(0, \sigma_{state}^2), \quad \varepsilon_{ijt} \stackrel{iid}{\sim} N(0, \sigma^2).$$

Y_{ijt} = the phosphorous level of t^{th} lake in j^{th} environment of state i .

i = New York, Pennsylvania, Vermont.

j = agriculture land, forest.

t = 1, 2, 3, 4

2. Factor	R/F	N/C
i = Type	F	
j = Road	R	
k = Paint	F	
t = Year (replicate)	R	

Thus, we use the Mixed Model:

$$Y_{ijkt} = \mu + \alpha_i + \beta_{j|k} + \gamma_k + \varepsilon_{ijkt}, \quad \beta_{j|k} \stackrel{iid}{\sim} N(0, \sigma_{road}^2), \quad \varepsilon_{ijkt} \stackrel{iid}{\sim} N(0, \sigma^2)$$

Y_{ijkt} = number of crashes on road j of type i with or without paint.

i = mountainous, city

j = 1, 2, 3, 4, 5, 6, 7, 8, 9, 10

k = with, without

t = 1, 2, 3.