All problems solved with Lindo 6.1 1 a.

	HAS	Reports V	Vindow
max c ST	(Ca) (Ca) (Ca) (Ca) (Ca) (Ca) (Ca) (Ca)	ECTIVE FUNCTION VALU	
g = 0 b - a <= 8	1)	16.00000	
f - a <= 10 = - b <= 10 - b <= 4 d - c <= 3 = - d <= 25 f - d <= 18 d - e <= 9 g - e <= 7 a - f <= 5 b - f <= 7 c - f <= 3	VARIABLE C G B A F E D H	VALUE 16.000000 0.000000 12.000000 4.000000 13.000000 0.000000 3.000000	REDUCED COST 0.000000 0.000000 0.000000 0.000000 0.000000
= - f <= 2 h - g <= 3 d - g <= 2 a - h <= 4 b - h <= 9	ROW 2) 3) 4) 5)	SLACK OR SURPLUS 0.000000 0.000000 1.000000 22.000000 0 000000	DUAL PRICES 1.000000 0.000000 0.000000 0.000000 1 000000

b.

LP OPTIMUM FOUN	ND AT STEP	0	LP OPTIMUM FO	OUND AT STEP	0
OBJECTIV	VE FUNCTION VALU		OBJECT	TIVE FUNCTION VA	LUE
1)	7.000000		1)	12.00000	
VARIABLE A G B F E C D H	VALUE 7.000000 0.000000 12.000000 13.000000 15.000000 16.000000 2.000000 3.000000	REDUCED COST 0.000000 0.000000 0.000000 0.000000 0.000000	VARIABLE B G A F E C D H	VALUE 12.000000 0.000000 7.000000 13.000000 15.000000 2.000000 3.000000	REDUCED COST 0.000000 0.000000 0.000000 0.000000 0.000000
NO. ITERATIONS=	. 0		NO. ITERATIONS	S= 1	
LP OPTIMUM FOUN	ID AT STEP	0	LP OPTIMUM FOU	IND AT STEP	0
OBJECTIV	E FUNCTION VALU	E	OBJECTI	VE FUNCTION VALU	JE
1)	2.000000		1)	17.00000	
VARIABLE D G B A F E C H	VALUE 2.000000 0.000000 12.000000 7.000000 13.000000 15.000000 16.000000	REDUCED COST 0.000000 0.000000 0.000000 0.000000 0.000000	VARIABLE F G B A E C D H	VALUE 17.000000 0.000000 12.000000 7.000000 19.000000 16.000000 2.000000	REDUCED COST 0.000000 0.000000 0.000000 0.000000 0.000000

NO. ITERATIONS= 0

NO. ITERATIONS= 0

LP OPTIMUM FOUND AT STEP 1

LP OPTIMUM FOUND AT STEP 0

OBJECTIVE FUNCTION VALUE

OBJECTIVE FUNCTION VALUE

1) 19.00000 1) 3.000000

VARIABLE	VALUE	REDUCED COST	VARIABLE	VALUE	REDUCED COST
E	19.000000	0.000000	н	3.000000	0.000000
(A) Z(1)	0.000000	0.000000	G	0.000000	0.000000
ē			В	12.000000	0.000000
B	12.000000	0.000000	A	7.000000	0.000000
A	7.000000	0.00000	F	17.000000	0.000000
F	17.000000	0.000000	E	19.000000	0.000000
C	16.000000	0.000000	Ē	16.000000	0.000000
D	2.000000	0.000000	ñ	2.000000	0.000000
H	3.000000	0.000000	D	2.000000	0.000000

LP OPTIMUM FOUND AT STEP

OBJECTIVE FUNCTION VALUE

1) 120196.0

VARIABLE	VALUE	REDUCED COST
S	7000.000000	0.000000
P	13625.000000	0.000000
B	13100.000000	0.000000
C	8500.000000	0.000000
ROW 2) 3) 4) 5) 6) 7) 8) 9)	SLACK OR SURPLUS 125.000000 0.000000 0.000000 1000.000000 3625.000000 375.000000 2500.000000	DUAL PRICES 0.000000 29.000000 27.200001 3.450000 0.000000 0.0000000 0.0000000 0.000000
11)	100.000000	0.000000
12)	2900.000000	0.000000

NO. ITERATIONS= 0

```
max 3.45s + 2.32p + 2.81b + 3.25c

ST

0.125s <= 1000

0.08p + 0.05b + 0.03c <= 2000

0.05b + 0.07c <= 1250

s <=7000

s >= 6000

p >= 10000

p <= 14000

c >= 6000

c <= 8500

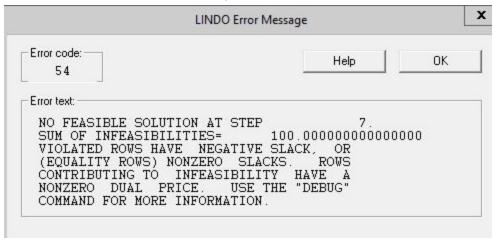
b >= 13000

END
```

3 a. Cost = 17100

```
Reports Window
                                                 _ O X
LP OPTIMUM FOUND AT STEP
       OBJECTIVE FUNCTION VALUE
       1)
                17100.00
                                                                                               <untitled>
 VARIABLE
                  VALUE
                                  min cost
               17100.000000
                                  ST
     COST
                                  costpw - 10plw1 - 15plw2 - 11p2w1 - 8p2w2 - 13p3w1 - 8p3w2 - 9p3w3 - 14p4w2 - 8p4w3 = 0
   COSTPW
                9000.000000
                                  costwr - 5w1r1 - 6w1r2 - 7w1r3 - 10w1r4 - 12w2r3 - 8w2r4 - 10w2r5 - 14w2r6 - 14w3r4 - 12w3r5 - 12w3r6 - 6w3r7 = 0
     P1W1
                 150.000000
     P1W2
                                  cost - costpw - costwr = 0
                   0.000000
                                  p1 = 150
p2 = 450
     P2W1
                 200.000000
                 250.000000
     P2W2
     P3W1
                   0.000000
                                  p3 = 250
                                  p4 = 150
                 150.000000
     P3W2
     P3W3
                                  p1 - p1w1 - p1w2 = 0
                 100.000000
                                  p2 - p2w1 - p2w2 = 0
p3 - p3w1 - p3w2 - p3w3 = 0
     P4W2
                   0.000000
                 150.000000
     P4W3
                                  p4 - p4w2 - p4w3 = 0
r1 = 100
   COSTWR
                8100.000000
     W1R1
                 100.000000
                                  r2 = 150
r3 = 100
     W1R2
                 150.000000
     W1R3
                 100.000000
                   0.000000
                                  r4 = 200
     W1R4
                                  r5 = 200
     W2R3
                   0.000000
                                  r6 = 150
     W2R4
                 200.000000
     W2R5
                 200.000000
                                  r7 = 100
                                  r1 - w1r1 = 0
                   0.000000
     W2R6
                   0.000000
                                  r2 - w1r2 = 0
     W3R4
                                  r3 - w1r3 - w2r3 = 0
     W3R5
                   0.000000
                                  r4 - w1r4 - w2r4 - w3r4 = 0
     W3R6
                 150.000000
                                  r5 - w2r5 - w3r5 = 0
r6 - w2r6 - w3r6 = 0
     W3R7
                 100.000000
                 150.000000
       P1
                                  r7 - w3r7 = 0
       P2
                 450.000000
                                  p1w1 + p2w1 + p3w1 - w1r1 - w1r2 - w1r3 - w1r4 = 0
       P3
                 250.000000
       P4
                                  plw2 + p2w2 + p3w2 + p4w2 - w2r3 - w2r4 - w2r5 - w2r6 = 0
                 150.000000
       R1
R2
                                  p3w3 + p4w3 - w3r4 - w3r5 - w3r6 - w3r7 = 0
                 100.000000
                 150.000000
       R3
                 100.000000
       R4
                 200.000000
       R5
                 200.000000
       R6
                 150.000000
       R7
                 100.000000
```

b. The solution is infeasible because warehouse 3 is the only warehouse that ships to retailers 5, 6 and 7 which require 450 fridges total. Factories 3 and 4 are the only ones that can reach warehouse 3 and they only produce 400 between them.



```
<untitled>
min cost
ST
costpw - 10p1w1 - 15p1w2 - 11p2w1 - 8p2w2 - 13p3w1 - 8p3w2 - 9p3w3 - 14p4w2 - 8p4w3 = 0
costwr - 5w1r1 - 6w1r2 - 7w1r3 - 10w1r4 - 12w2r3 - 8w2r4 - 10w2r5 - 14w2r6 - 14w3r4 - 12w3r5 - 12w3r6 - 6w3r7 = 0
cost - costpw - costwr = 0
D1 = 150
p2 = 450
p3 = 250
p4 = 150
p1 - p1w1 - p1w2 = 0
p2 - p2w1 - p2w2 = 0
p3 - p3w1 - p3w2 - p3w3 = 0
p4 - p4w2 - p4w3 = 0
r1 = 100
r2 = 150
r3 = 100
r4 = 200
r5 = 200
r6 = 150
r7 = 100
r1 - w1r1 = 0
r2 - w1r2 = 0
r3 - w1r3 - w2r3 = 0
r4 - w1r4 - w2r4 - w3r4 = 0
r5 - w2r5 - w3r5 = 0
r6 - w2r6 - w3r6 = 0
r7 - w3r7 = 0
p1w1 + p2w1 + p3w1 - w1r1 - w1r2 - w1r3 - w1r4 = 0
p1w2 + p2w2 + p3w2 + p4w2 - w2r3 - w2r4 - w2r5 - w2r6 = 0
p3w3 + p4w3 - w3r4 - w3r5 - w3r6 - w3r7 = 0
p1w2=0
p2w2 = 0
p3w2=0
```

p4w2=0 END

C. Cost = 18300

```
Reports Window
                                              _ D X
LP OPTIMUM FOUND AT STEP
        OBJECTIVE FUNCTION VALUE
                18300.00
       1)
                                                                                                      <untitled>
 VARIABLE
                   VALUE
                                     min cost
                18300.000000
     COST
                                    costpw - 10p1w1 - 15p1w2 - 11p2w1 - 8p2w2 - 13p3w1 - 8p3w2 - 9p3w3 - 14p4w2 - 8p4w3 = 0
costwr - 5w1r1 - 6w1r2 - 7w1r3 - 10w1r4 - 12w2r3 - 8w2r4 - 10w2r5 - 14w2r6 - 14w3r4 - 12w3r5 - 12w3r6 - 6w3r7 = 0
   COSTPW
                 9600.000000
     P1W1
                  150.000000
     P1W2
                    0.000000
                                    cost - costpw - costwr = 0
                                    p1 = 150
     P2W1
                  350.000000
                  100.000000
     P2W2
                                    p2 = 450
                                    p3 = 250
     P3W1
                    0.000000
                                    p4 = 150
     P3W2
                    0.000000
     P3W3
                  250.000000
                                    p1 - p1w1 - p1w2 = 0
                                    p2 - p2w1 - p2w2 = 0
                    0.000000
     P4W2
                                    p3 - p3w1 - p3w2 - p3w3 = 0
p4 - p4w2 - p4w3 = 0
r1 = 100
     P4W3
                  150.000000
   COSTWR
                 8700.000000
     W1R1
                  100.000000
                                    r2 = 150
     W1R2
                  150.000000
                                    r3 = 100
     W1R3
                  100.000000
                                    r4 = 200
     W1R4
                  150.000000
                                    r5 = 200
     W2R3
                    0.000000
                                    r6 = 150
     W2R4
                   50.000000
                                    r7 = 100
     W2R5
                   50.000000
                                    r1 - w1r1 =0
                    0.000000
     W2R6
                                    r2 - w1r2 = 0
r3 - w1r3 - w2r3 = 0
r4 - w1r4 - w2r4 - w3r4 = 0
     W3R4
                    0.000000
     W3R5
                  150.000000
     W3R6
                  150.000000
                                    r5 - w2r5 - w3r5 = 0
     W3R7
                  100.000000
                  150.000000
                                    r6 - w2r6 - w3r6 = 0
       P1
       P2
                  450.000000
                                    r7 - w3r7 = 0
        P3
                  250.000000
                                    p1w1 + p2w1 + p3w1 - w1r1 - w1r2 - w1r3 - w1r4 = 0
                                    p1w2 + p2w2 + p3w2 + p4w2 - w2r3 - w2r4 - w2r5 - w2r6 = 0
        P4
                  150.000000
                                    p3w3 + p4w3 - w3r4 - w3r5 - w3r6 - w3r7 = 0
        R1
                  100.000000
                                    p1w2 + p2w2 + p3w2 + p4w2 = 100
END
        R2
                  150.000000
        R3
                  100.000000
        R4
                  200.000000
                  200.000000
        R5
        R6
                  150.000000
                  100.000000
        R7
```

