## 7/9-17 Torsday (lab 2)

- · Byggde upp model an process I simulik med all a inst. som bestrive i manualen.
- · Boijar med stegsvar for 40 43 45 47

Okular dotid 10,47-10 = 0.47 sec=L

plot 1 € 13 47 → 52

Okulart dolld 0,60 = L

52-62

Okulart dotid 0,72=L

 $\frac{E \times 3! \text{ so}^{5} \Delta y = 96.6 - 56.3 = 40.3}{3} = \frac{40.3}{3} = 13.43 = \frac{49.3}{3}$ 

19.3 = 26,866

T2/3 = 83,67-L3=83,67-0,72 = 82,95

 $T_{3} = 35,68 - L_{3} = 35,68 - 0,72 = 34,96$ 

Ex2: 042 = 56.86 - 36,36 = 20 3 = 20 = 6.67

sy. · = 13,33 oy= +36,36 = 49,69 → T2/3 = 72,55 - L= 71,95

0y 3+36,36=43,03 → T/3=29,82-L=29,12

Ex1 45-47 = 36,5-30,07 = 6,43 = 2,14

30,07+2,14=32,21 => ay, = 4,29

→ T<sub>1/3</sub> = 24.00 25,76 - L, = 25,29 L, = 6,47

30,07 + 4,29 = 34,36 ⇒

→ Ty3 = 64,26 - L, = 63,79

$$\Delta y = 50,05 - 31,83 = 18,22$$
  $\Delta y = 6,0733$ 

$$T_{\frac{3}{2}} = 66.9b - L_{45-50} = \frac{66.65}{27.21}$$
 $T_{\frac{1}{3}} = 27.52 - L_{45-60} = \frac{27.21}{27.21}$ 

$$\Delta y_{3} = 69,41 - 32,79 = 36.82$$
  $\Delta y_{3} = 12,2733$ 

$$L_{45-55} = 0.78 \Rightarrow T_{13} = 31,915$$

$$T_{2/3} = 78.72$$

$$K_{45-47} = \frac{\Delta y_1}{\Delta u_1} = \left[ \Delta u = 47-46 \right] = \frac{6,43}{2} = \frac{3,215}{2} = K_1$$

$$Q_{1} = \frac{t_{1} 2/3}{t_{1} 1/3} = \frac{63.79}{26.29} = 2.52$$

$$Q_{2} = \begin{bmatrix} \end{bmatrix} = \frac{66.65}{27.21} = \frac{2.45}{21.21}$$

$$Q_{3} = \begin{bmatrix} \end{bmatrix} = \frac{78.72}{31.915} = \frac{2.47}{29.12}$$

$$Q_{4} = \begin{bmatrix} \end{bmatrix} = \frac{71.96}{29.12} = \frac{2.47}{31.915}$$

$$Q_{5} = \begin{bmatrix} \end{bmatrix} = \frac{82.95}{34.96} = 2.37$$

$$P_1 = [enl, tabell] = 1,6945$$
 $P_2 = [- - - ] = 1,094$ 
 $P_3 = [- - - ] = 1,094$ 
 $P_4 = [- - - ] = 1,094$ 
 $P_5 = [- - - ] = 1,093$ 

$$a_1 = [enl; tabell] = 0.04$$
 $a_2 = [-"-] = 0.06$ 
 $a_3 = [-"-] = 0.05$ 
 $a_4 = a_2$ 
 $a_5 = [enl; tabell] = 0.08$ 

$$T_{1} = \frac{t_{1} \cdot x_{3}}{P(1+\alpha)} = \frac{63.79}{10945(1+0.04)} = 56.04$$

$$T_{2} = \sum_{1} T_{2} = \frac{66.65}{1.094(1+0.06)} = 57.4747$$

$$T_{3} - \sum_{1} T_{2} = \frac{78.72}{1.094(1+0.05)} = 68.53$$

$$G_{1}(s) = \frac{K_{1} \cdot e}{(1+T_{6})(1+a_{1}T_{15})} = \frac{3215 \cdot e^{-0.47s}}{(1+56.04s)(1+0.04.5604s)}$$

$$G_{2}(s) = \frac{3.644 \cdot e^{-0.31s}}{(1+57.4747s)(1+0.06.57.4447s)}$$

$$G_{3}(s) = \frac{3.082 \cdot e^{-0.78s}}{(1+68.53s)(1+0.05.6855s)}$$