

MATH 371 - Game Theory

Justin Overstreet, Austin Spurlin, and Jonas Smith

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For the Game Theory Project we will be using python, and several different libraries to solve our problem.

We first load the "game" from a user defined excel sheet.

```
# Read information from user defined excel sheet
excel_file = ask_for_file()
game_info = pd.read_excel(excel_file)
```

Next we define the Game that we will use with our Dominance function to find dominance

```
# Game Definition Section
cols = np.array(game_info.iloc[:, 0].tolist())
game_info.drop(game_info.columns[0], axis=1, inplace=True)
rows = np.array(game_info.columns.tolist())
game = np.asarray(game_info)
initialGame = game
```

In our dominance function we first iterate through the rows and columns and determine if dominance can be found. We do a very similar process as below for columns.

```
# Loop through each row, looking for another row that is always worse.
remRows = []
for i in range(0, game.shape[0]):
    for j in range(0, game.shape[0]):
        if i == j or j in remRows:
            continue
        rem = True
        for k in range(0, game.shape[1]):
            if game[j][k] > game[i][k]:
                rem = False
                break
        if rem:
            remRows.append(j)
```

We then remove the non-dominant rows/cols...

```
# Remove the rows.
for i in remRows:
    game = np.delete(game, i, 0)
    rows = np.delete(rows, i, 0)
# Remove the columns.
for i in remCols:
    game = np.delete(game, i, 1)
    cols = np.delete(cols, i, 0)
```

We now call our methods that will build the linear equations for Player 1, and Player 2, and solve the system of linear equations.

```
p1 = PrettyTable(cols)
p1.title = "Player 1"
choices = optimizePlayer1(game)

for i in range(0, len(choices)):
    choices[i] = f"{choices[i]:.2%}"
```

Lastly we print our solution...

```
print(p1)
print(p2)
```
