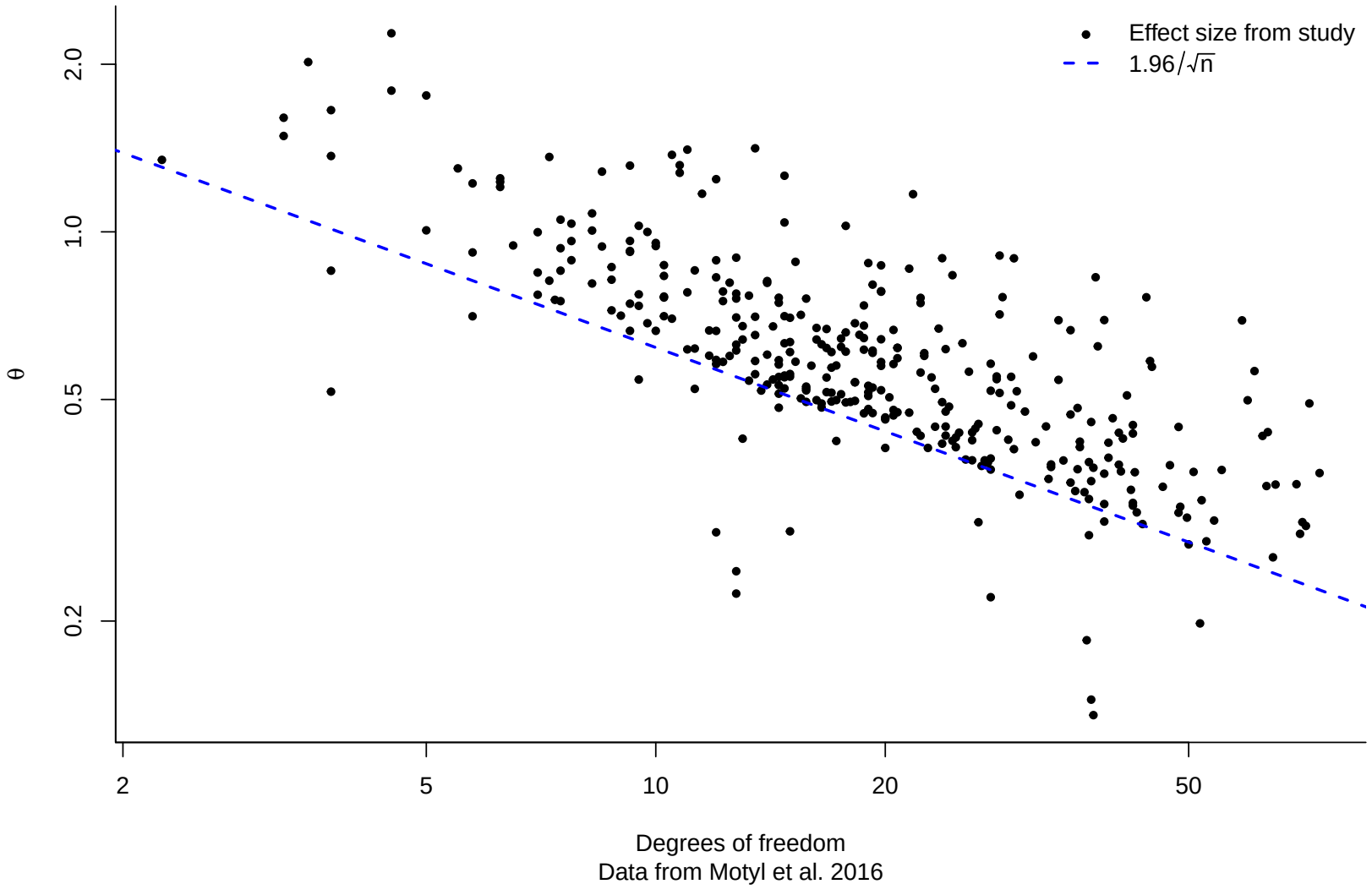
Habits

John Doe

March 22, 2005

This is what *p*-hacking looks like!



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  - effect of some psychological intervention.

But what's up with the plot?