Introduction: Motivation

- PDR was first devised as hardware verification technique in 2010 by Aaron Bradley[1]
  - ➔ Surprisingly won 3rd place at CAV 2010 hardware checking competition[2]

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“This new method appears to be the most important contribution to bit-level formal verification in almost a decade” [3]

- Using PDR on software may have similar performance!

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Introduction: Motivation

- Our goal:
  - Use PDR on software in the verification framework Ultimate[1]
    - ➔ Combining Trace Abstraction and PDR
    - ➔ Comparison to existing techniques

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Overview

- How does our PDR algorithm work?
  - Preliminaries
  - Running Example
  - Possible Improvements
  - Related Work

- PDR in Ultimate:
  - Combination of Trace Abstraction and our PDR algorithm
  - Implemented Improvements

Overview

- Evaluation:
  - Comparison of Trace Abstraction using PDR and Trace Abstraction using Nested Interpolants

- Future Work:
  - Implementing more Improvements

PDR Algorithm: Preliminaries

- Our algorithm uses CFGs

PDR Algorithm: Datastructures

- Frame $F_{i,\ell}$:
  - Represents a first-order formula
  - ℓ is the corresponding location
  - i is the corresponding level

  → Each location has multiple assigned frames

- Proof-Obligation (p, ℓ, i) :
  - p is a first-order formula
  - ℓ is the corresponding location
  - i is the corresponding level

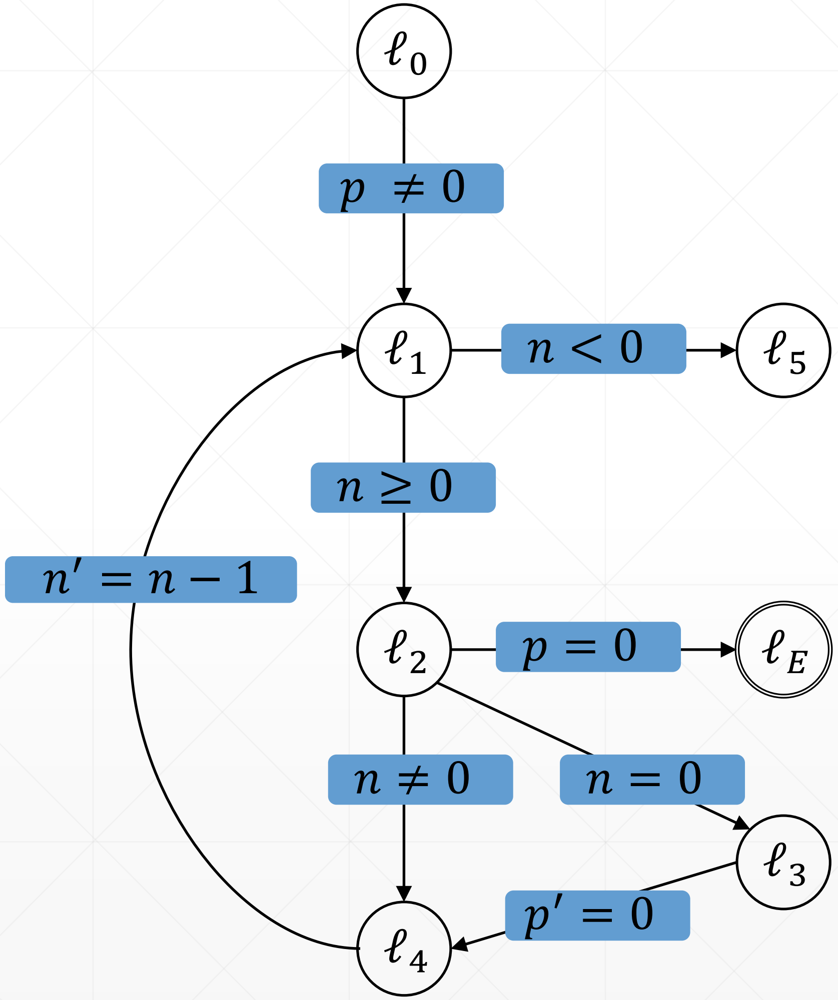
→ Need to be blocked

PDR Algorithm: Description

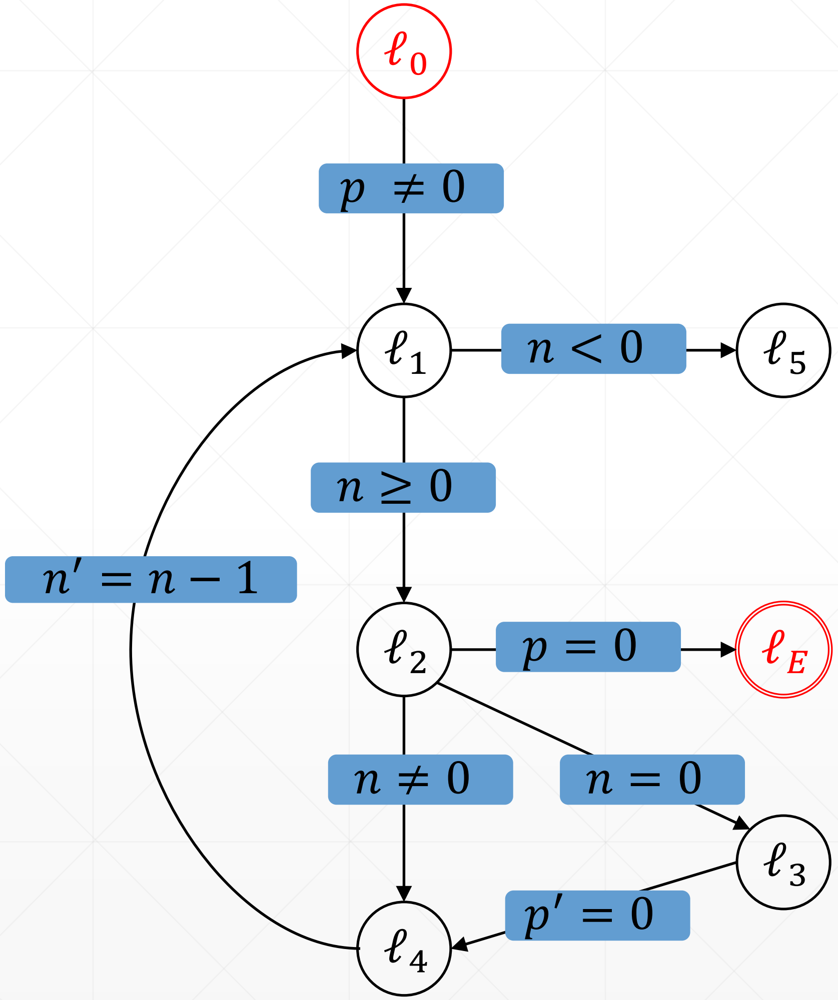
- Starts with checking for a 0-Counter-Example

- Repeats three phases until termination:
    1. Next Level Initialization Phase
    2. Blocking-Phase
    3. Propagation-Phase

Example: Running Example



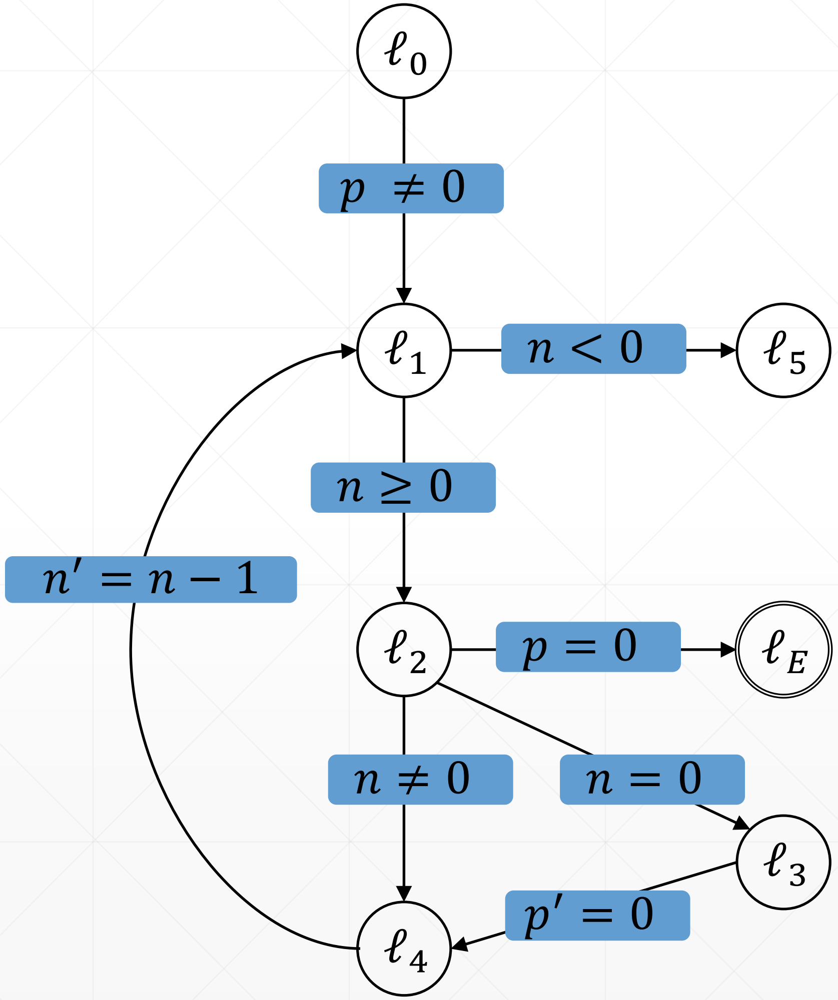
Example:



1. Step: Check for 0-Counter-Example

- Is $\ell_0 = \ell_E$?
  ➔ No, continue with initialization

Example:

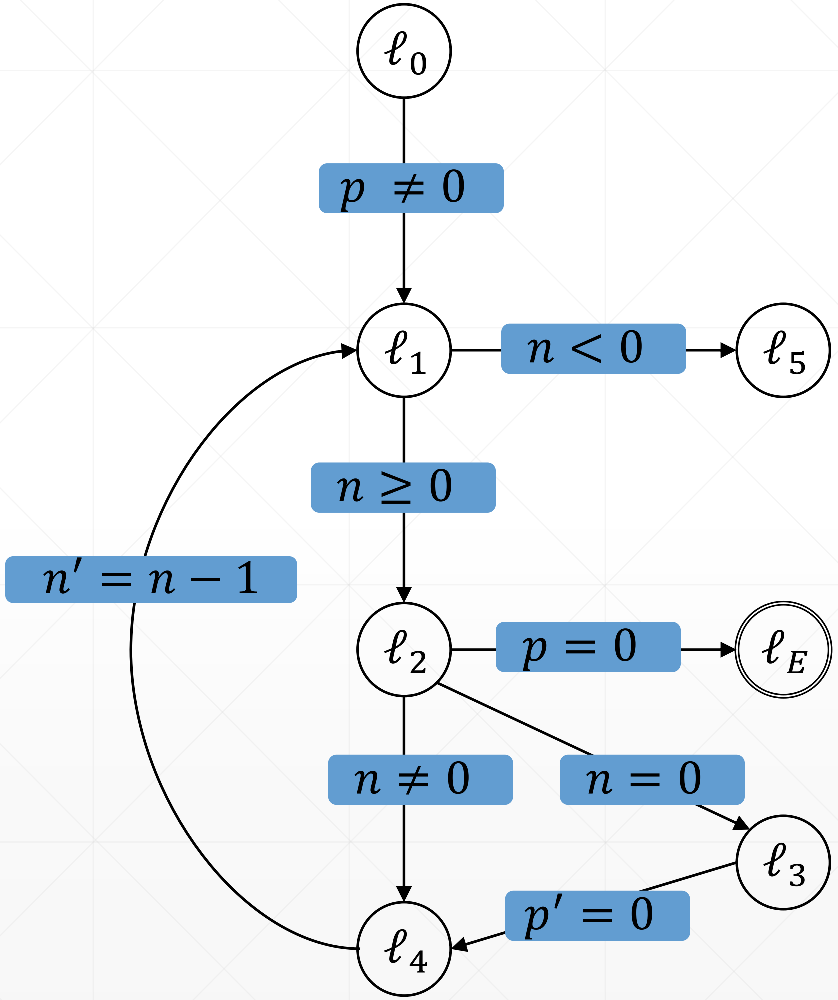


location	0
ℓ_0	
ℓ_1	
ℓ_2	
ℓ_3	
ℓ_4	

2. Step: Initialization of level 0

- $F_{0,\ell} = \begin{cases} \mathrm{T}, & \ell = \ell_0 \\ \mathrm{F}, & otherwise \end{cases}$

Example:

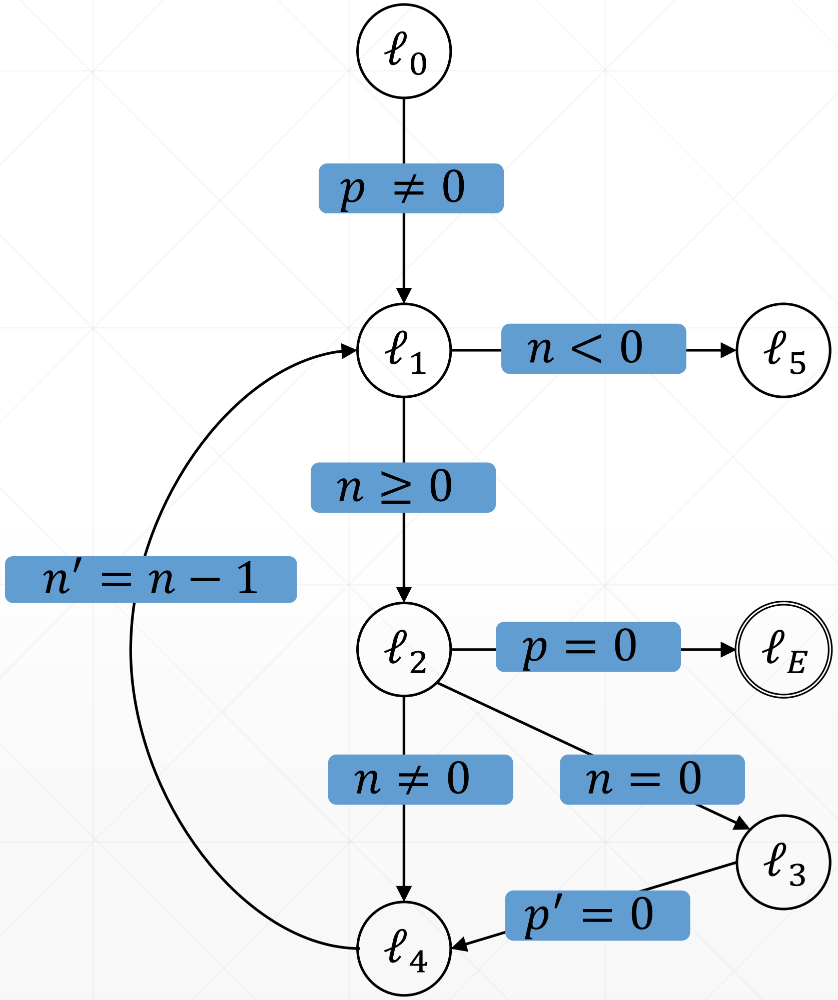


location	0
ℓ_0	t
ℓ_1	f
ℓ_2	f
ℓ_3	f
ℓ_4	f

2. Step: Initialization of level 0

- $F_{0,\ell} = \begin{cases} \mathrm{T}, & \ell = \ell_0 \\ \mathrm{F}, & otherwise \end{cases}$

Example:

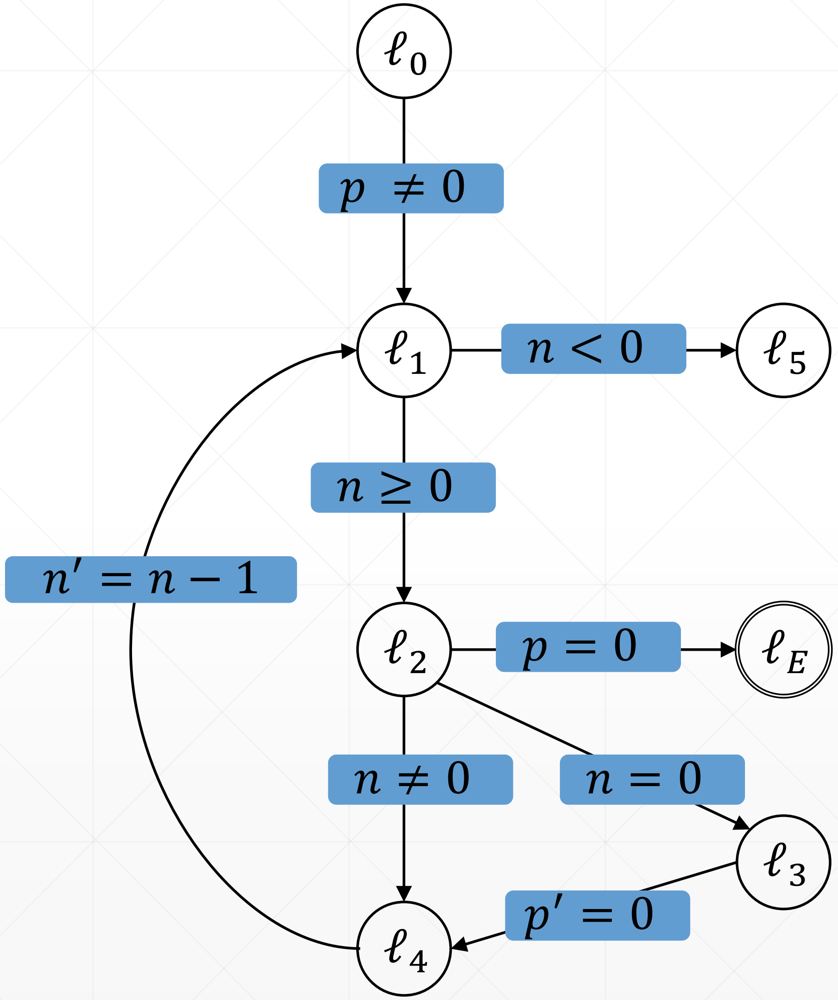


location	0	1
ℓ_0	t	
ℓ_1	f	
ℓ_2	f	
ℓ_3	f	
ℓ_4	f	

3. Step: Level 1

- Initialize level 1 frames as true

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	f	t
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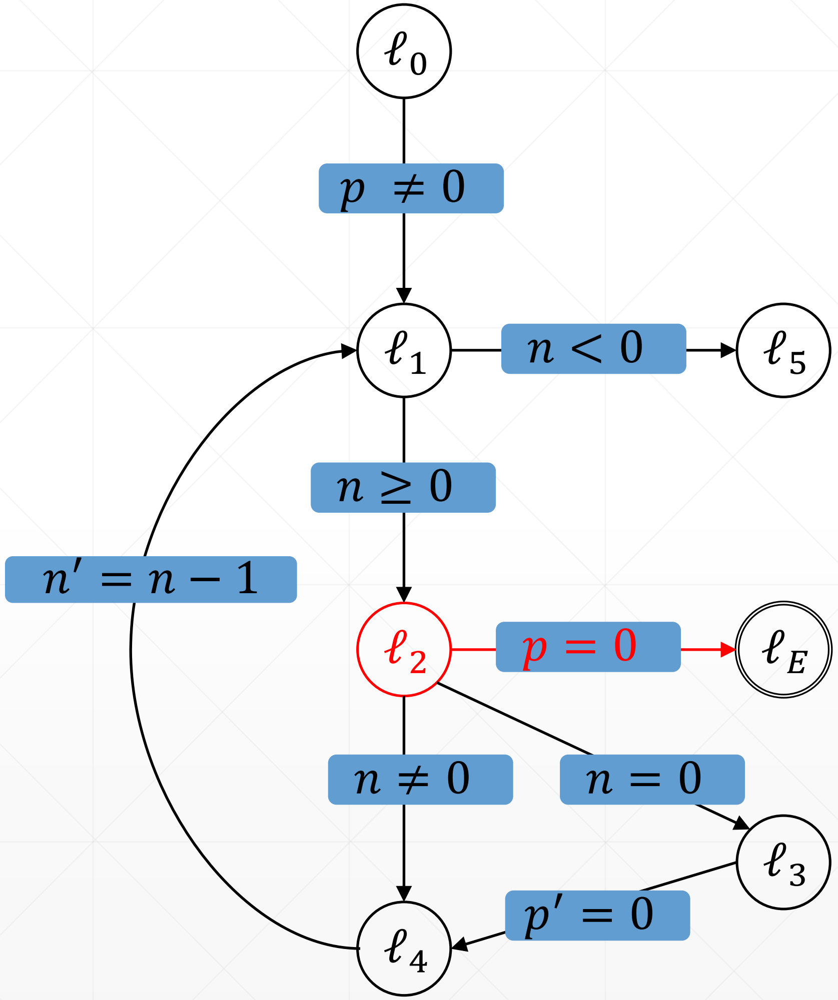


location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	f	t
ℓ_3	f	t
ℓ_4	f	t

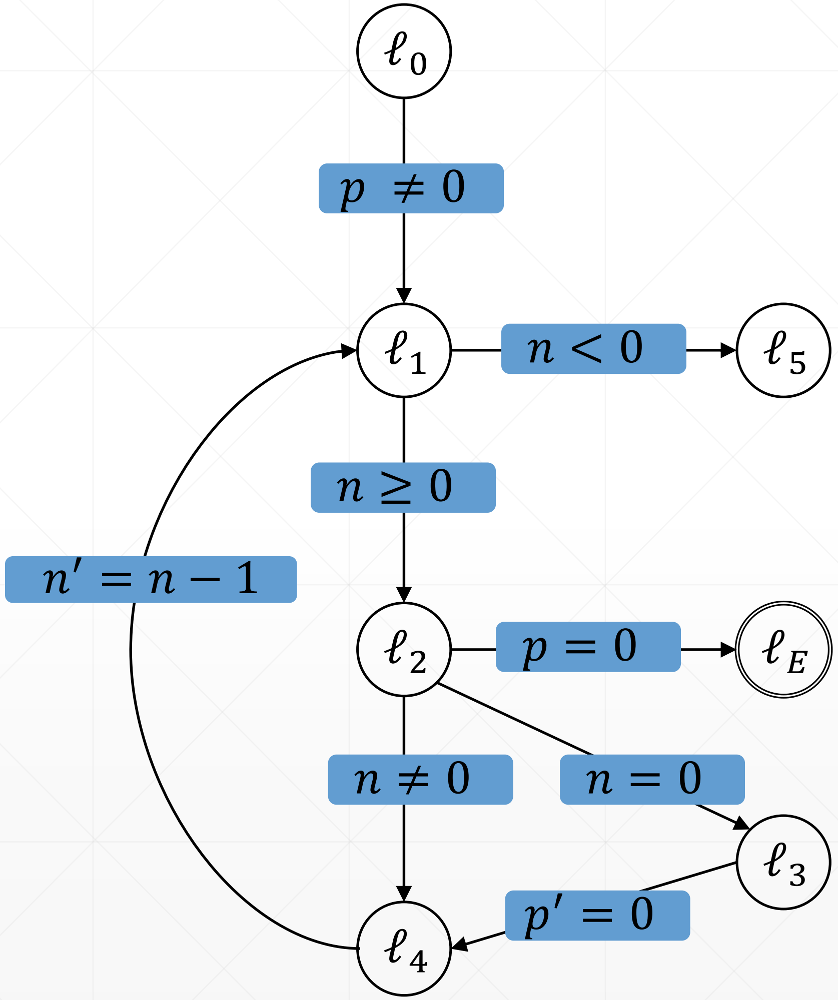
3. Step: Level 1

➢ Get initial proof-obligation

Proof-Obligations:

- $(p = 0, \ell_2, 1)$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	f	t
ℓ_3	f	t
ℓ_4	f	t

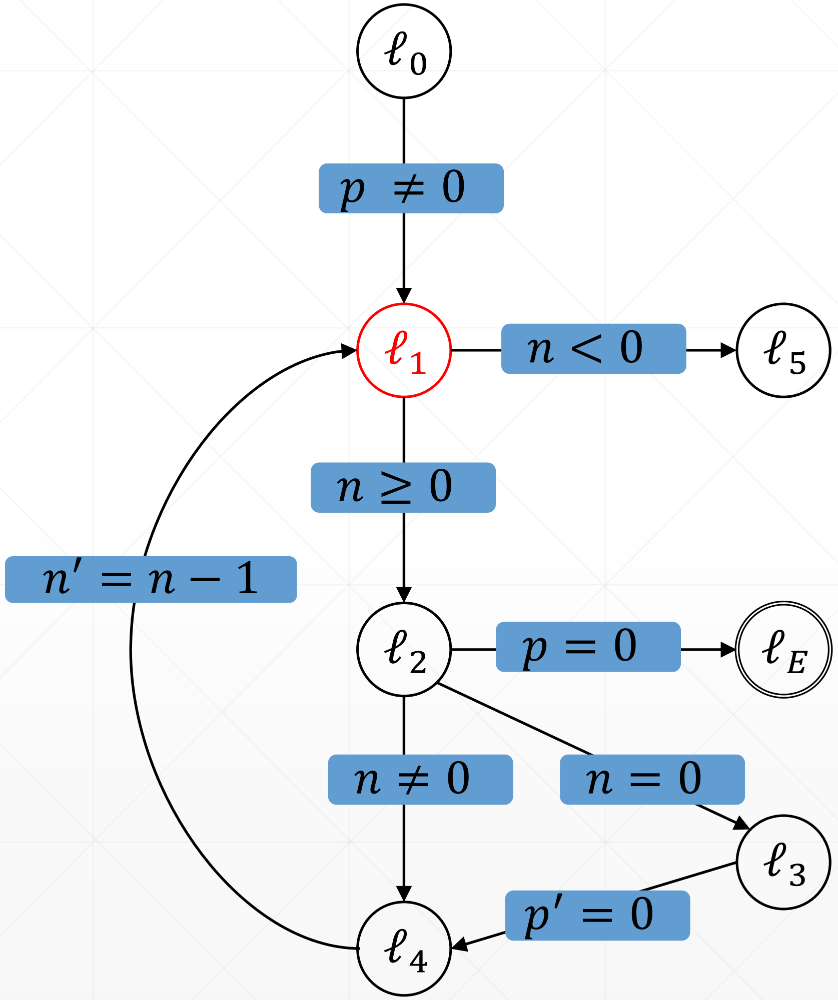
4. Step: Level 1 Blocking-Phase:

➢ Try to block $(p = 0, \ell_2, 1)$

Proof-Obligations:

- $(p = 0, \ell_2, 1)$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	f	t
ℓ_3	f	t
ℓ_4	f	t

4. Step: Level 1 Blocking-Phase:

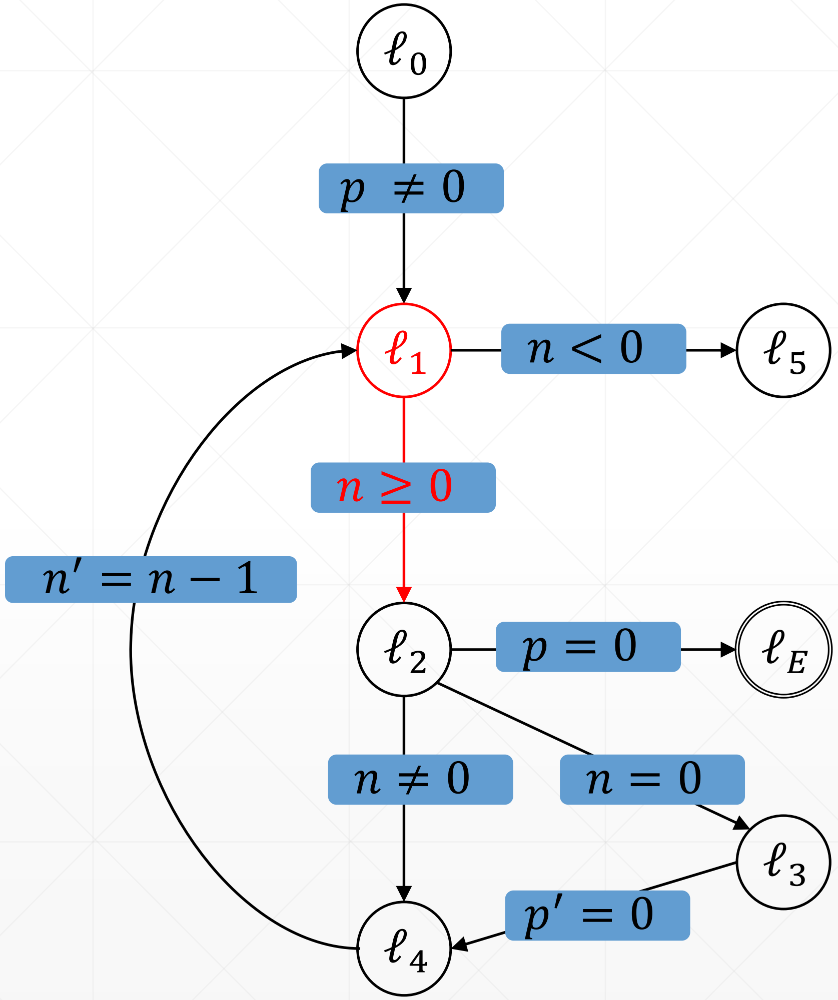
➢ Try to block $(p = 0, \ell_2, 1)$

- Predecessor ℓ_1:
  - $F_{0,\ell_1} \wedge T_{\ell_1 \to \ell_2} \wedge p' = 0$

Proof-Obligations:

- $(p = 0, \ell_2, 1)$

Example:



location	0	1
ℓ_0	t	t
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ℓ_2	f	t
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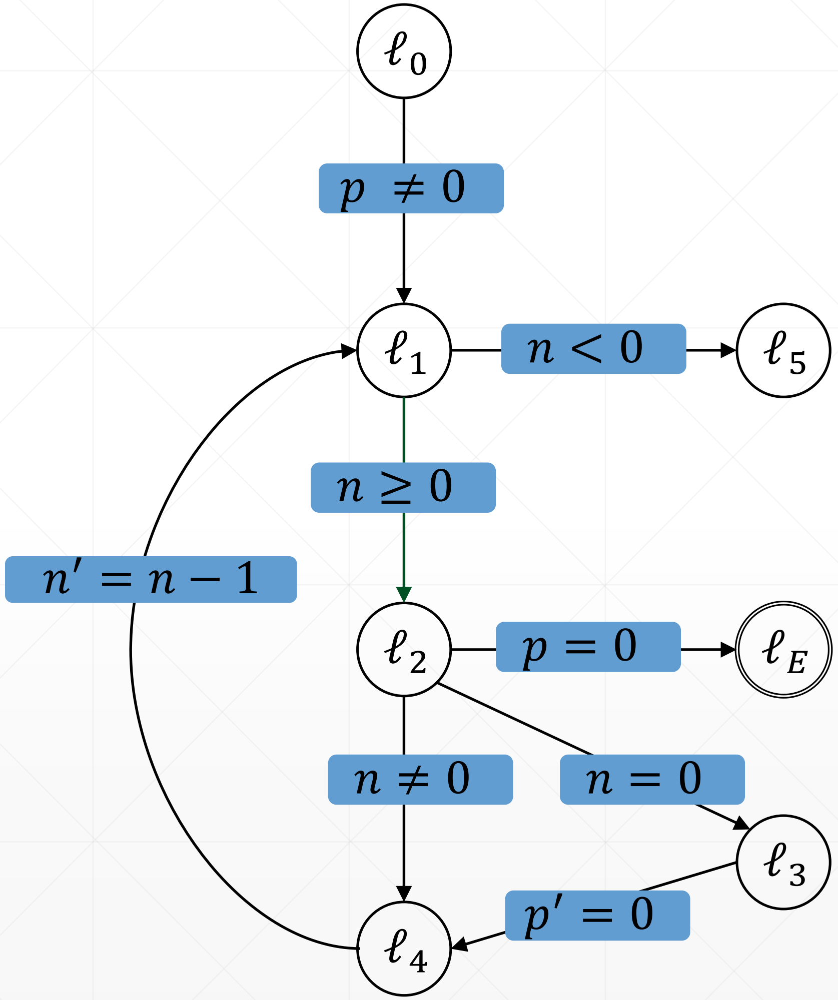
Proof-Obligations:

- $(p = 0, \ell_2, 1)$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	f	t
ℓ_3	f	t
ℓ_4	f	t

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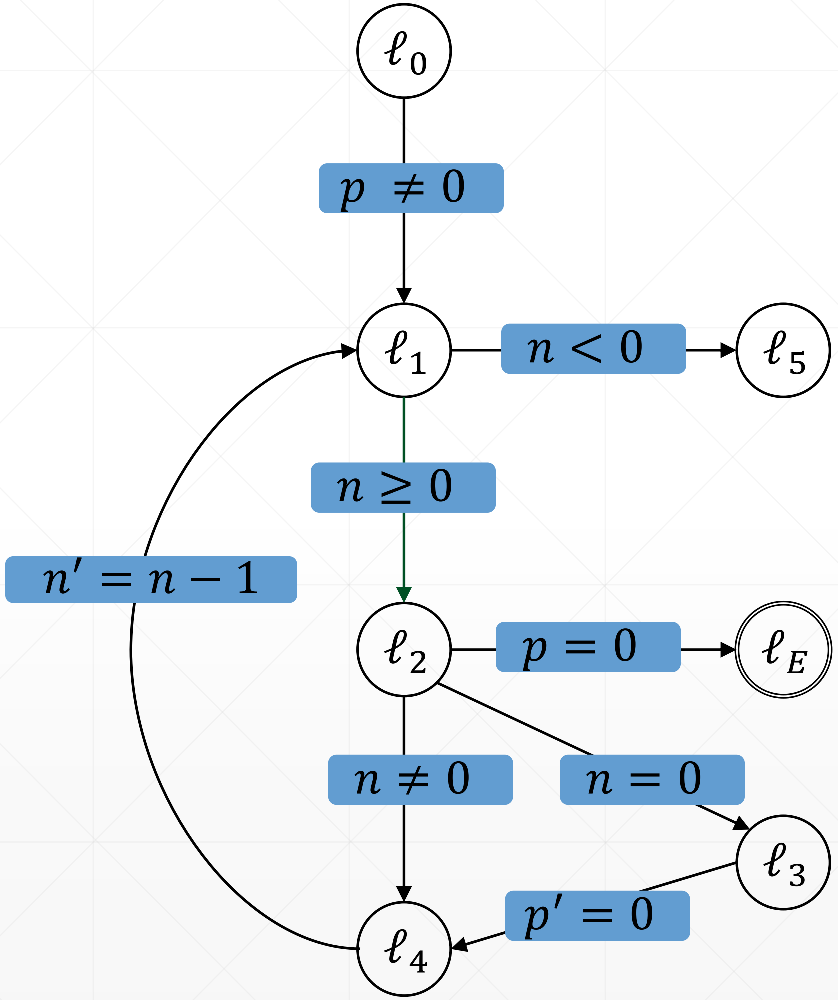
- Predecessor ℓ_1:
  - $f \ \wedge \ n \geq 0 \ \wedge \ p' = 0$
  - ➔ Unsatisfiable
  - ➔ Strengthen frames $F_{0,\ell_2}, F_{1,\ell_2}$

Proof-Obligations:

- $\emptyset$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t
ℓ_4	f	t

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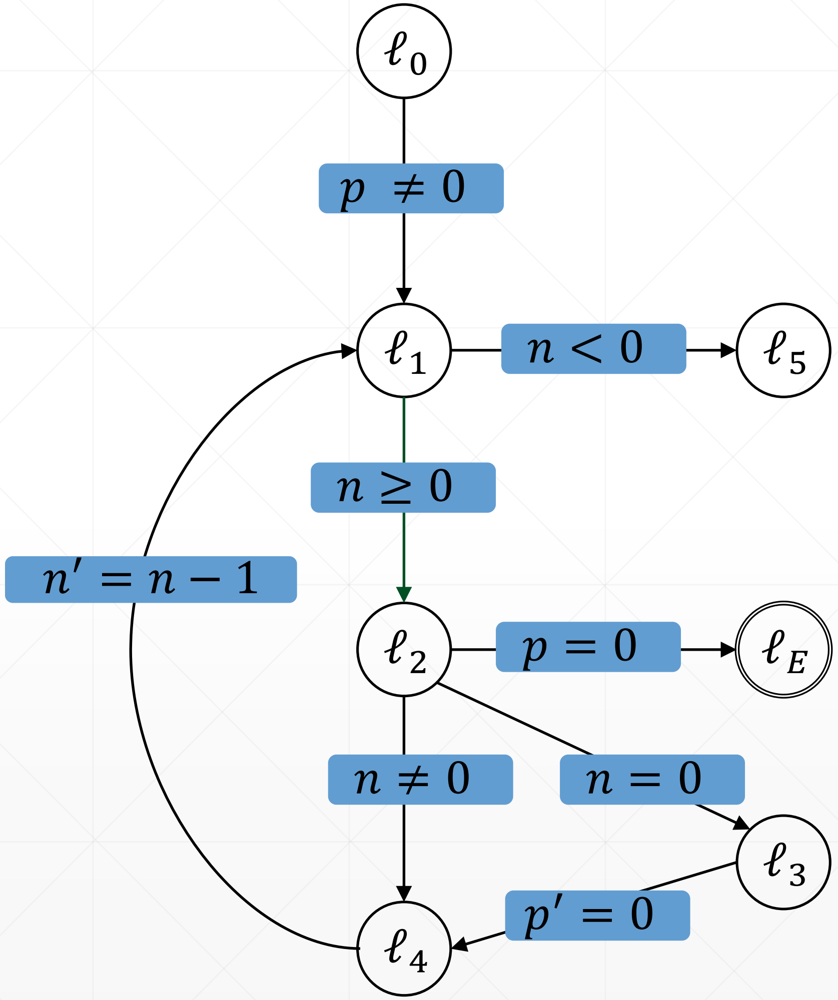


location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t
ℓ_4	f	t

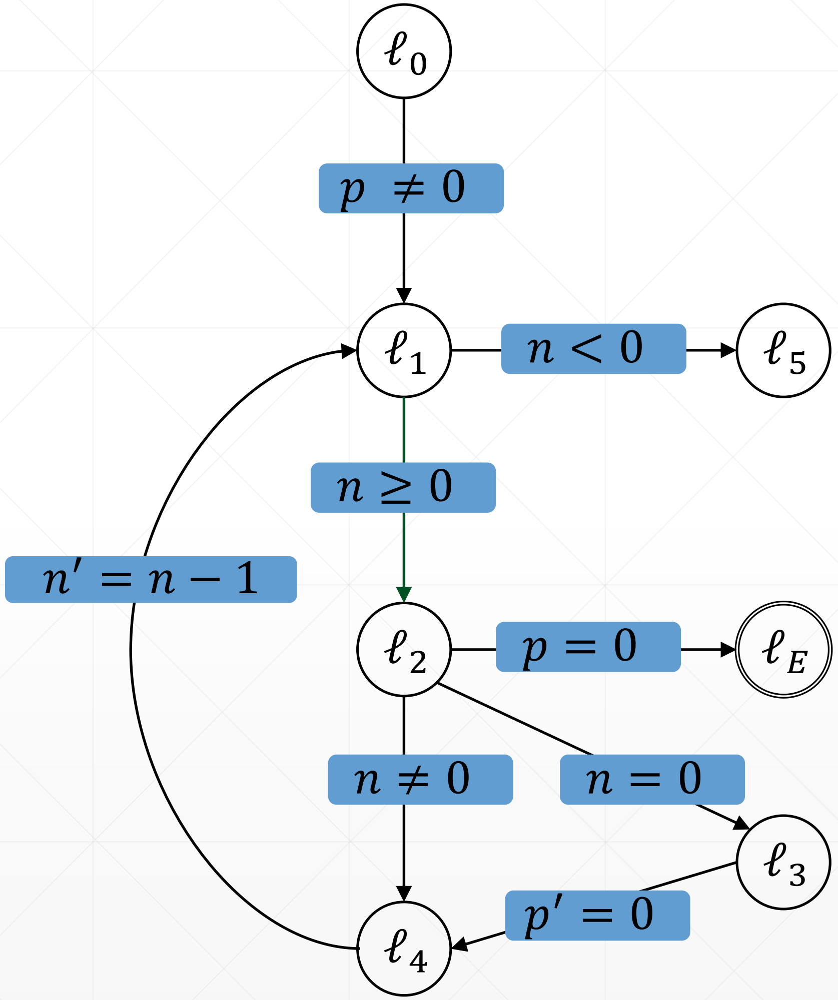
5. Step: Level 1 Propagation-Phase

➢ Is there a global fixpoint?

Proof-Obligations:

- $\emptyset$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t
ℓ_4	f	t

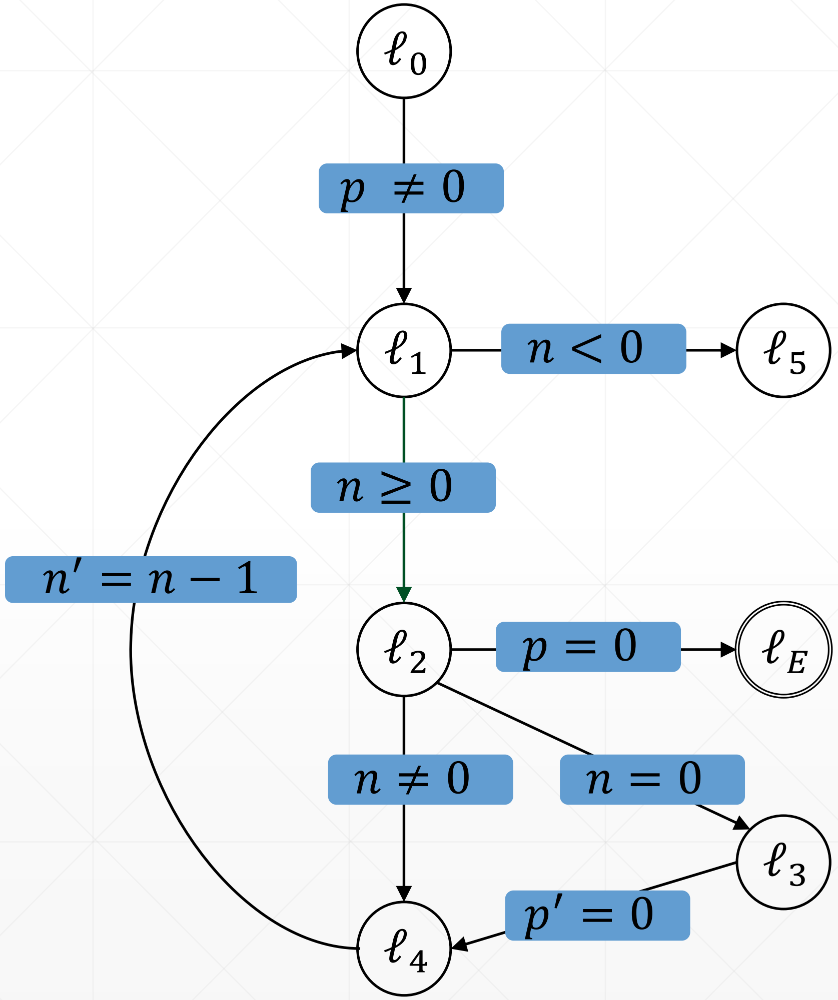
5. Step: Level 1 Propagation-Phase

- Is there an i where $F_{i-1,\ell} = F_{i,\ell}$ for $\ell \in L \setminus \{\ell_E\}$?

Proof-Obligations:

- $\emptyset$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t
ℓ_4	f	t

5. Step: Level 1 Propagation-Phase

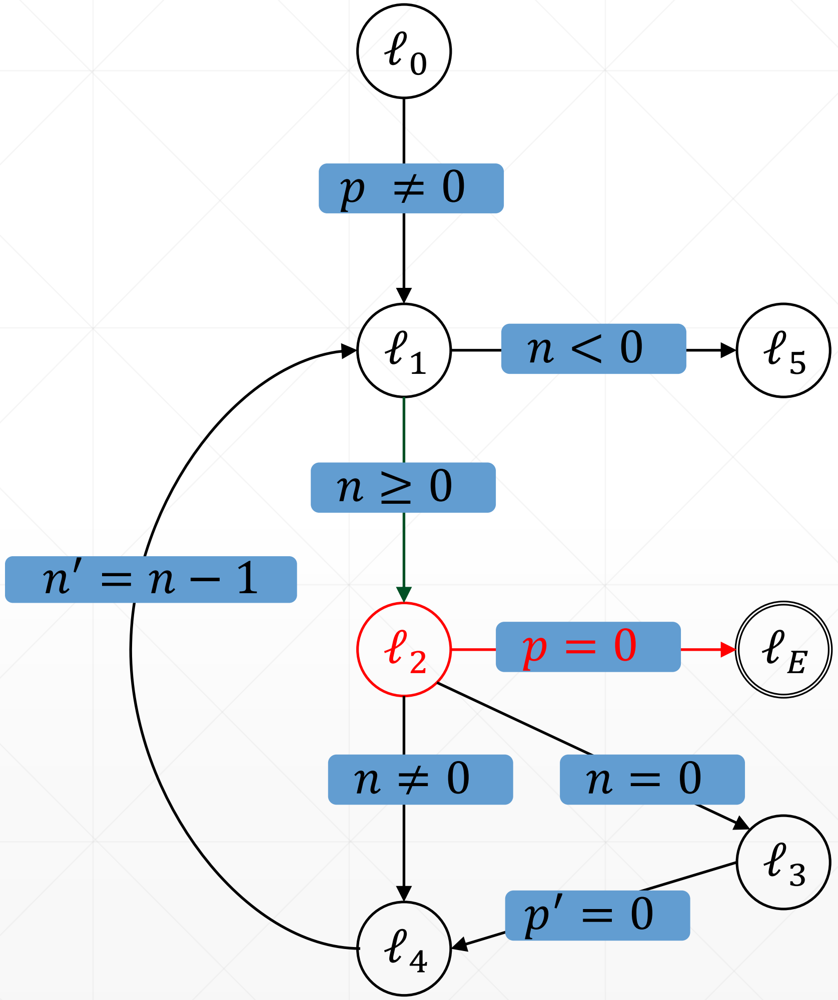
➢ Is there an i where $F_{i-1,\ell} = F_{i,\ell}$ for $\ell \in L \setminus \{\ell_E\}$?

➔ No. Continue with next level.

Proof-Obligations:

- $\emptyset$

Example:



location	0	1
ℓ_0	t	t
ℓ_1	f	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t
ℓ_4	f	t

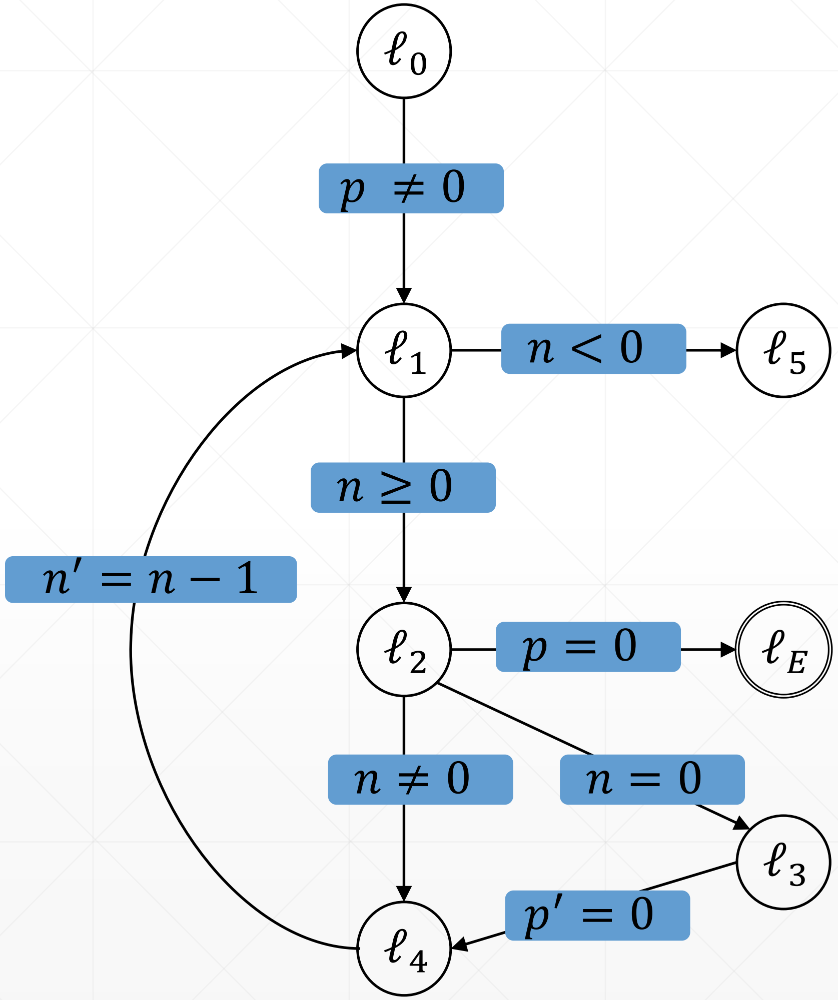
6. Step: Level 2

- Initzialize new frames
- Add initial proof-obligation $(p = 0, \ell_2, 2)$

Proof-Obligations:

- $\emptyset$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	f	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

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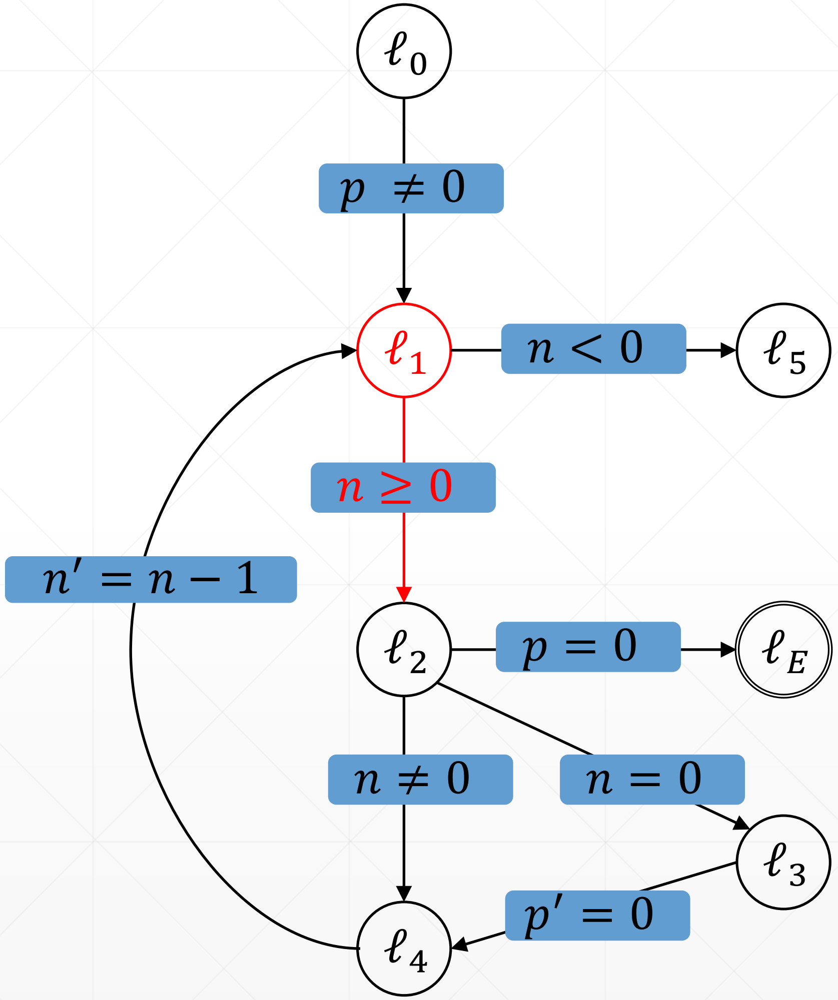
Proof-Obligations:

- $(p = 0, \ell_2, 2)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	f	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

7. Step: Level 2 Blocking-Phase:

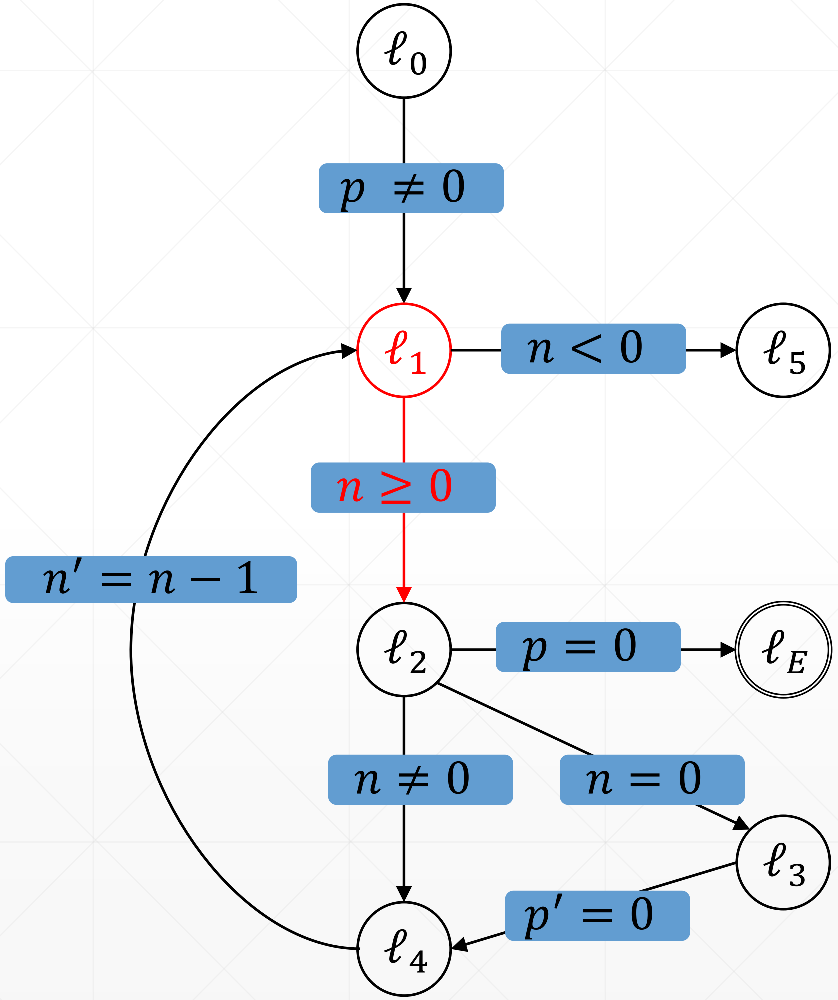
➢ Try to block $(p = 0, \ell_2, 2)$

- Predecessor ℓ_1:
  - $t \wedge n \geq 0 \wedge p' = 0$

Proof-Obligations:

- $(p = 0, \ell_2, 2)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	f	t	t
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ℓ_4	f	t	t

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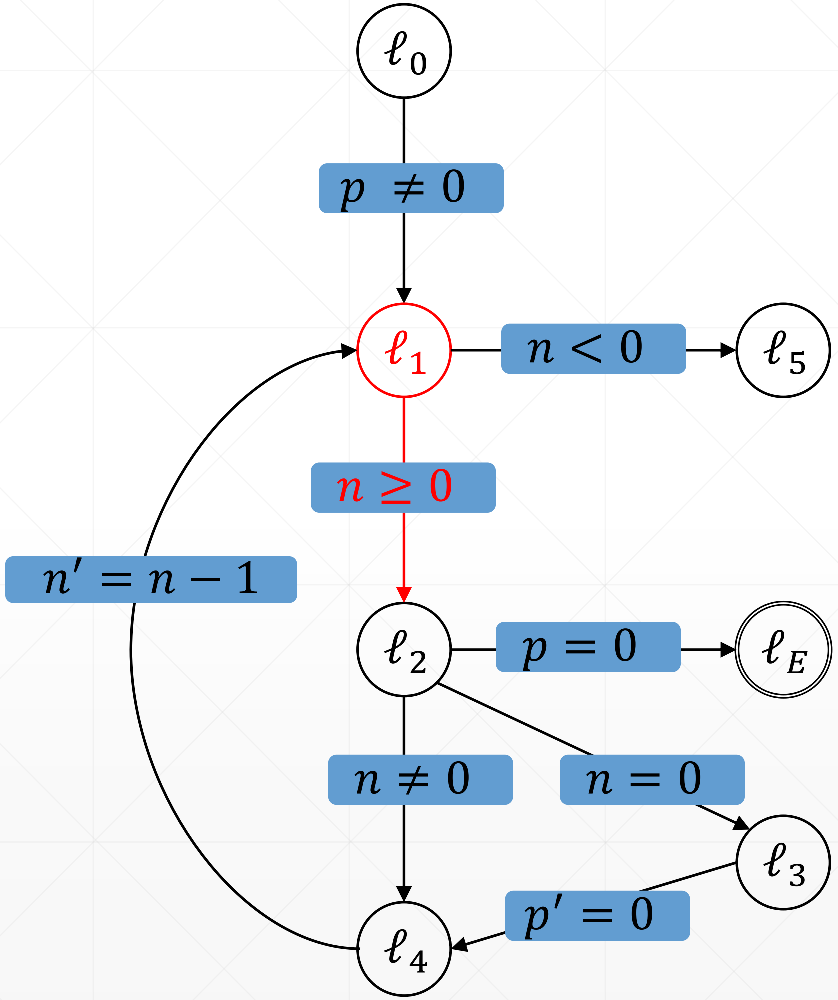
➢ Try to block $(p = 0, \ell_2, 2)$

- Predecessor ℓ_1:
  - $t \wedge n \geq 0 \wedge p' = 0$
    - ➔ Satisfiable!
    - ➔ $wp(n \geq 0, p' = 0) = (p = 0)$
  - ➔ New proof-obligation $(p = 0, \ell_1, 1)$

Proof-Obligations:

- $(p = 0, \ell_2, 2)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	f	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

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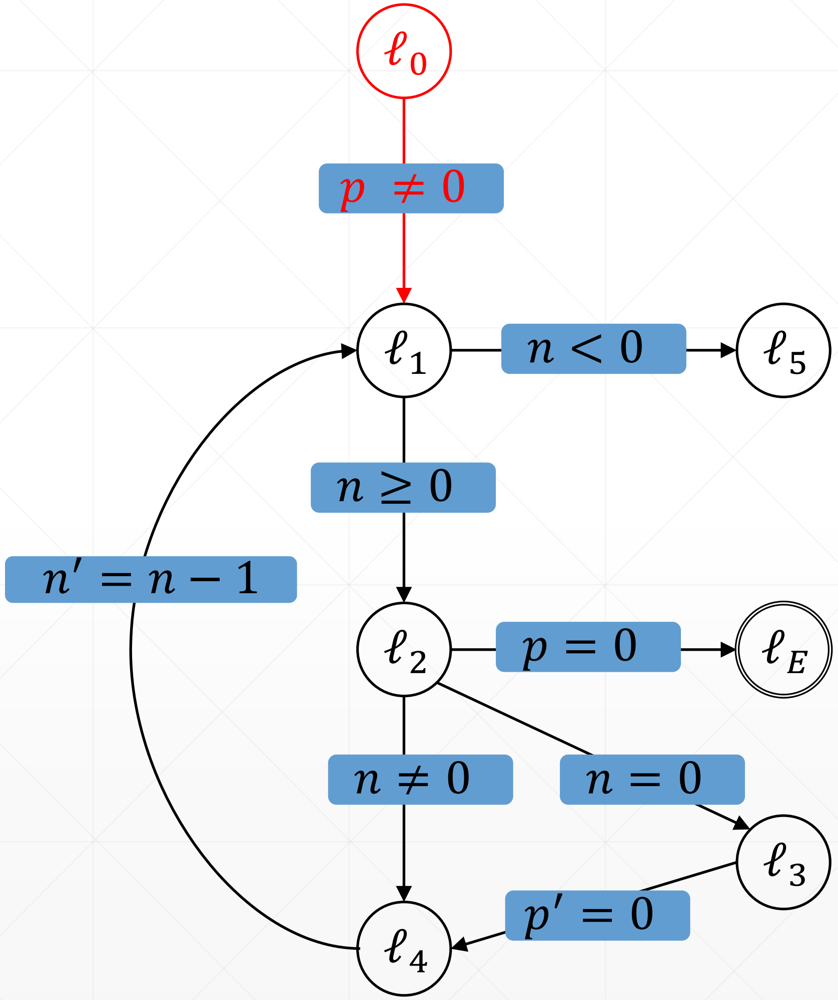
Proof-Obligations:

- $(p = 0, \ell_2, 2)$
- $(p = 0, \ell_1, 1)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	f	t	t
ℓ_2	$f \land p \neq 0$	$t \land p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

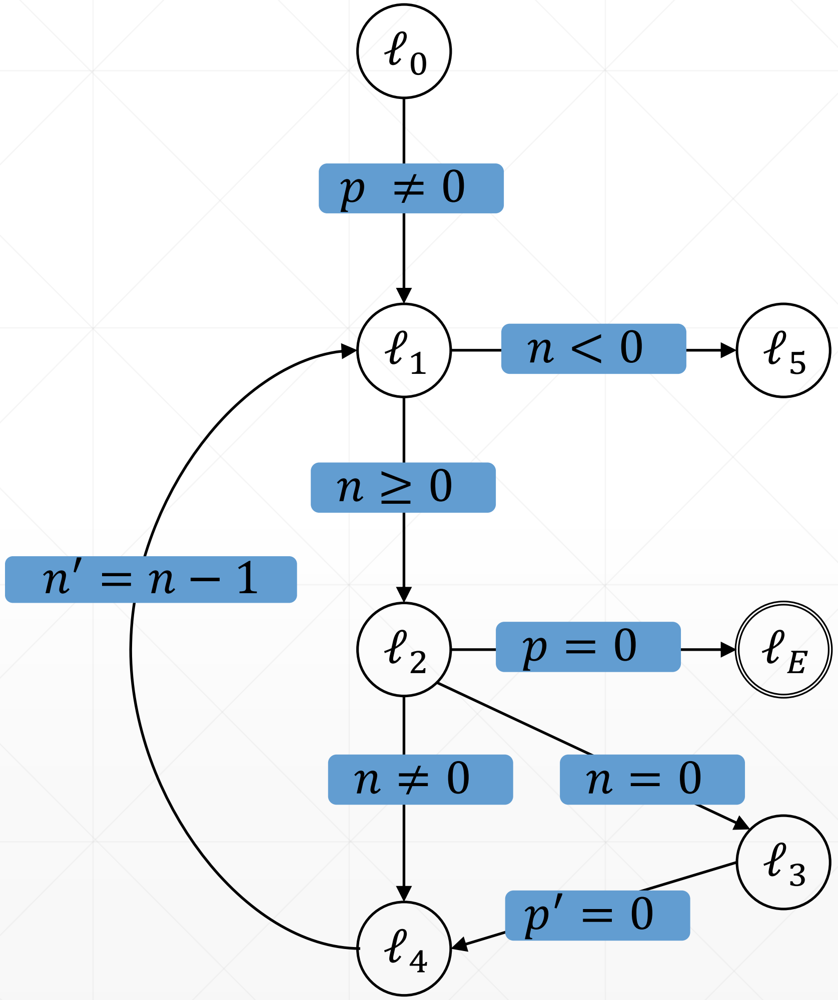
7. Step: Level 2 Blocking-Phase:

- Try to block $(p = 0, \ell_1, 1)$
  - Predecessor ℓ_0:
    - $t \land p \neq 0 \land p' = 0$

Proof-Obligations:

- $(p = 0, \ell_2, 2)$
- $(p = 0, \ell_1, 1)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

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- Try to block $(p = 0, \ell_1, 1)$

- Predecessor ℓ_0:
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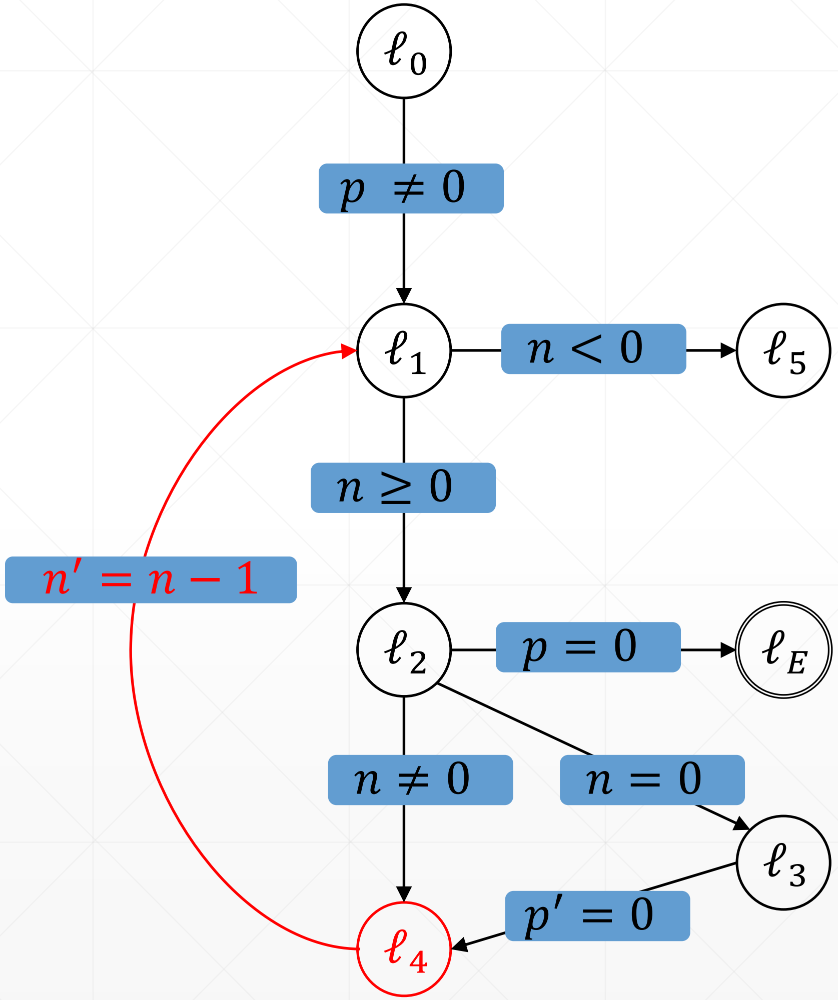
  - ➔ Unsatisfiable!
  - ➔ Strengthen frames $F_{0,\ell_1}, F_{1,\ell_1}$

Proof-Obligations:
- $(p = 0, \ell_2, 2)$
- $(p = 0, \ell_1, 1)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

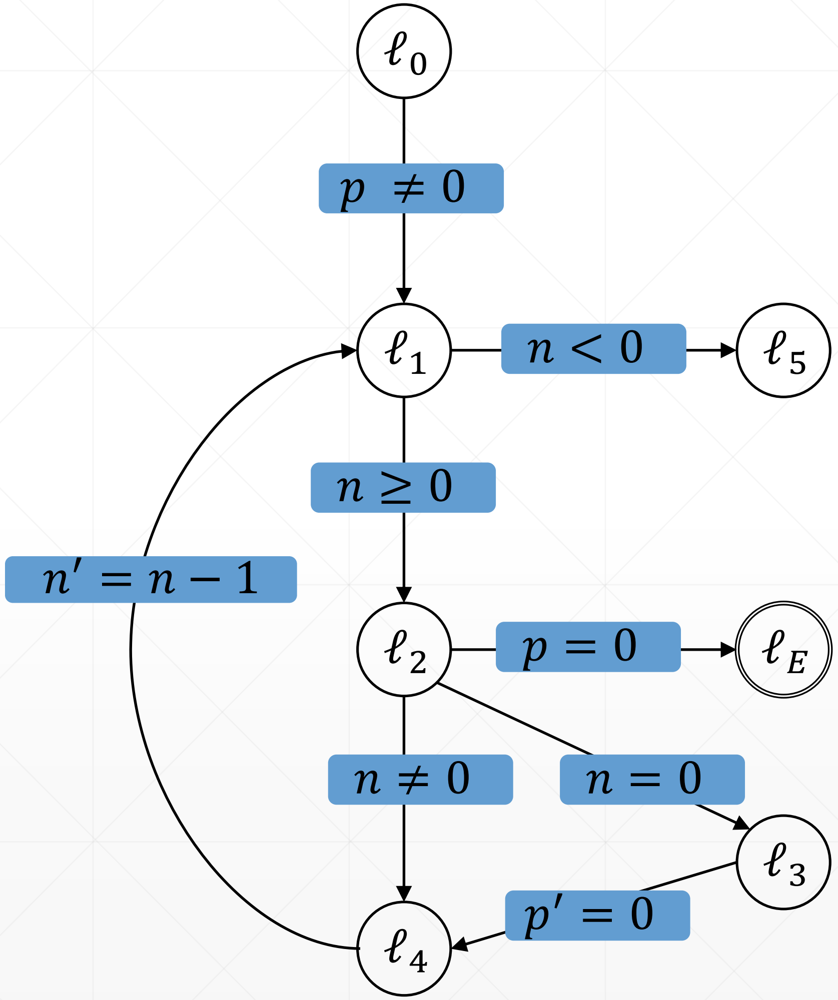
7. Step: Level 2 Blocking-Phase:

- Try to block $(p = 0, \ell_1, 1)$
  - Predecessor ℓ_4:
    - $f \wedge n' = n - 1 \wedge p' = 0$

Proof-Obligations:

- $(p = 0, \ell_2, 2)$
- $(p = 0, \ell_1, 1)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

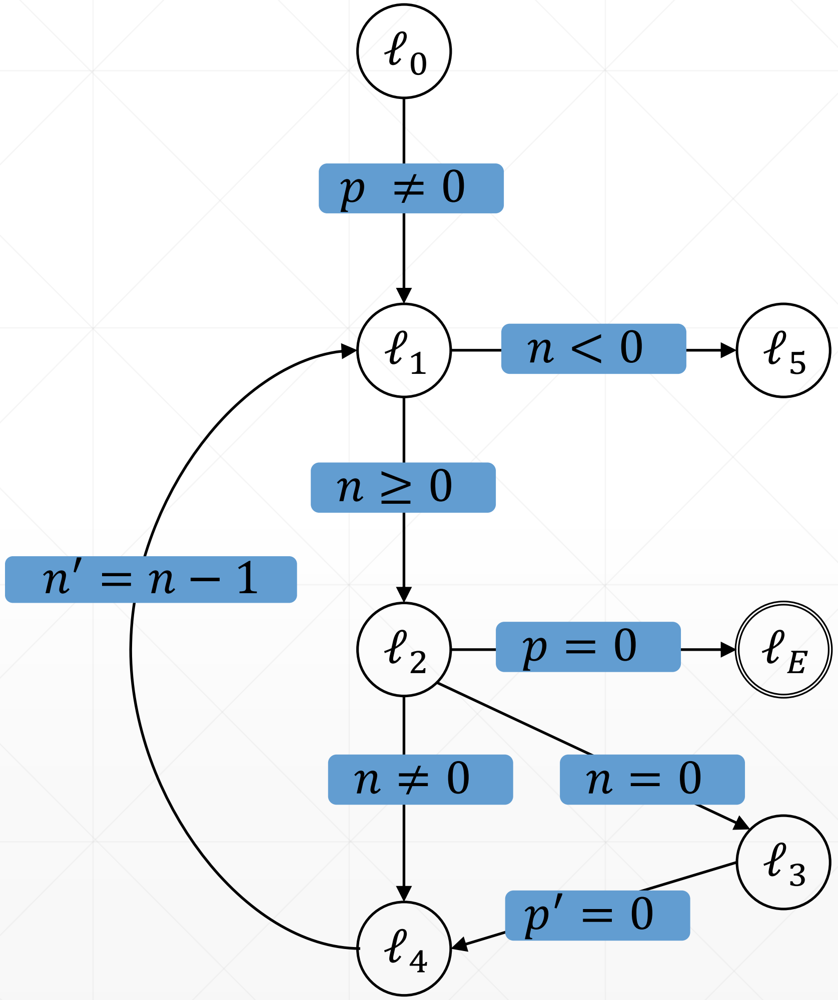
7. Step: Level 2 Blocking-Phase:

- Try to block $(p = 0, \ell_1, 1)$

- Predecessor ℓ_4:
  - $f \wedge n' = n - 1 \wedge p' = 0$
  - ➔ Unsatisfiable!

Proof-Obligations:
- $(p = 0, \ell_2, 2)$
- $(p = 0, \ell_1, 1)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

7. Step: Level 2 Blocking-Phase:

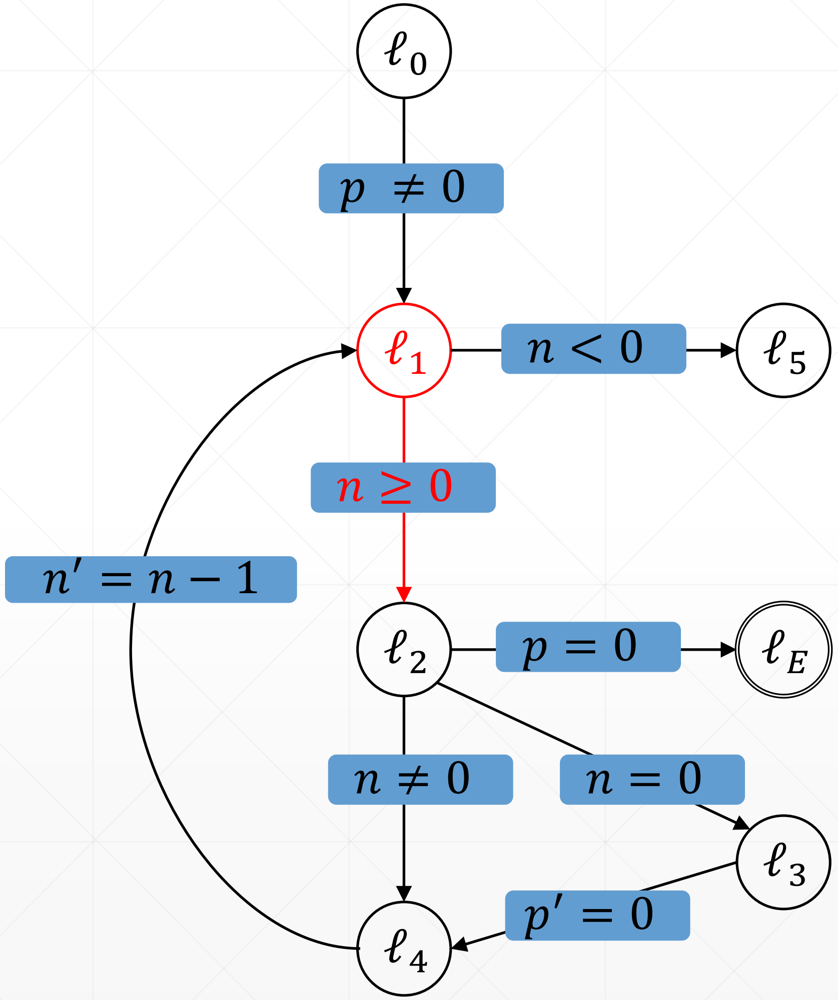
- Try to block $(p = 0, \ell_1, 1)$

- Predecessor ℓ_4:
  - $f \wedge n' = n - 1 \wedge p' = 0$

  ➔ Unsatisfiable!

Proof-Obligations:
- $(p = 0, \ell_2, 2)$

Example:



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ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t
ℓ_4	f	t	t

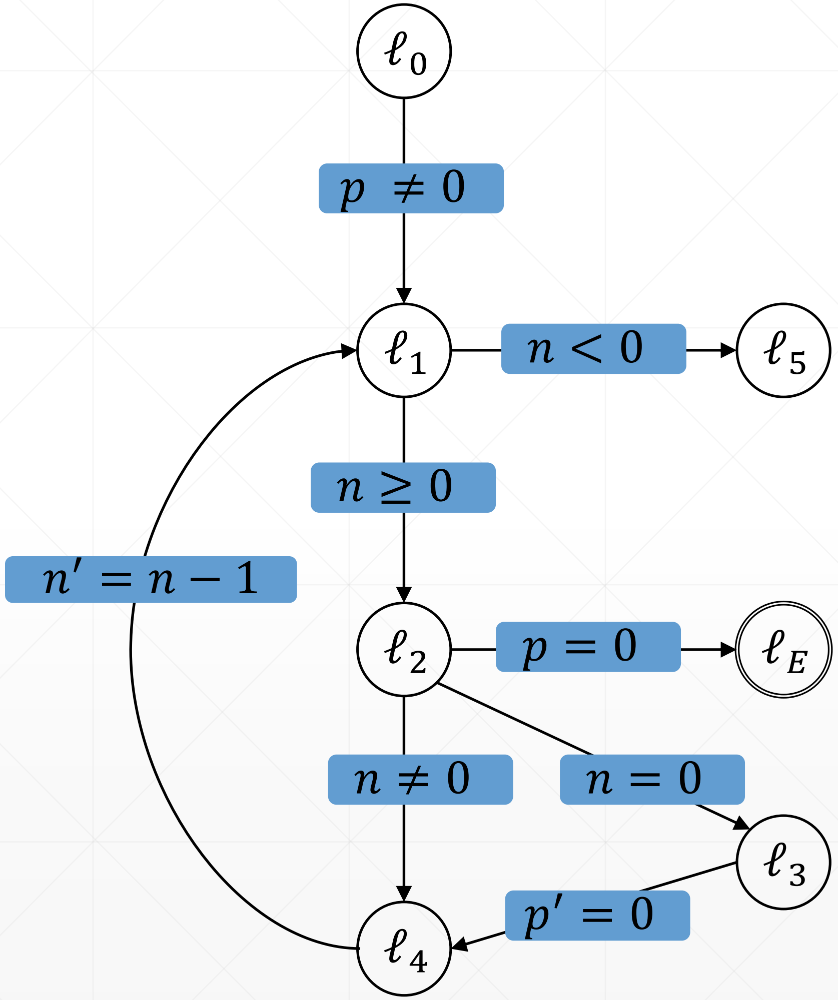
7. Step: Level 2 Blocking-Phase:

- Try to block $(p = 0, \ell_2, 2)$ again

- Predecessor ℓ_1:
  - $t \wedge p \neq 0 \wedge n \geq 0 \wedge \ p' = 0$

Proof-Obligations:
- $(p = 0, \ell_2, 2)$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t	t
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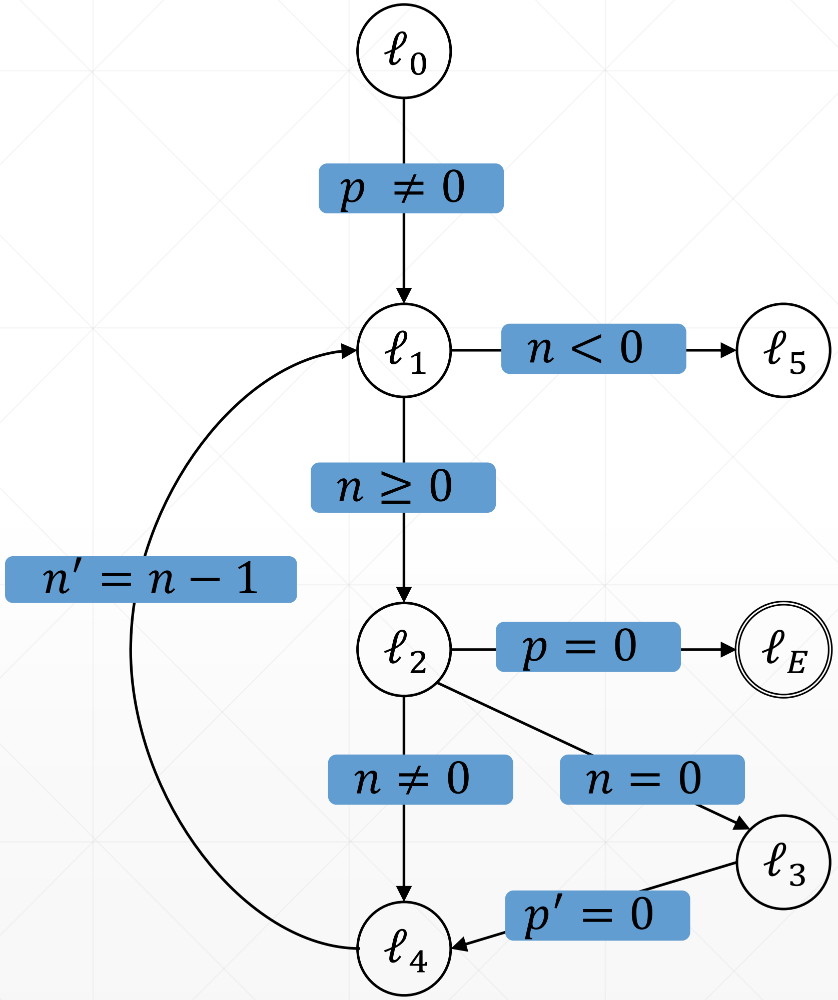
- Try to block $(p = 0, \ell_2, 2)$ again
- Predecessor ℓ_1:
  - $t \wedge p \neq 0 \wedge n \geq 0 \wedge p' = 0$
  - ➔ Unsatisfiable!
  - ➔ Strengthen frames F_{2,ℓ_2}

Proof-Obligations:

- $\emptyset$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t	t
ℓ_4	f	t	t

8. Step: Level 2 Propagation-Phase:

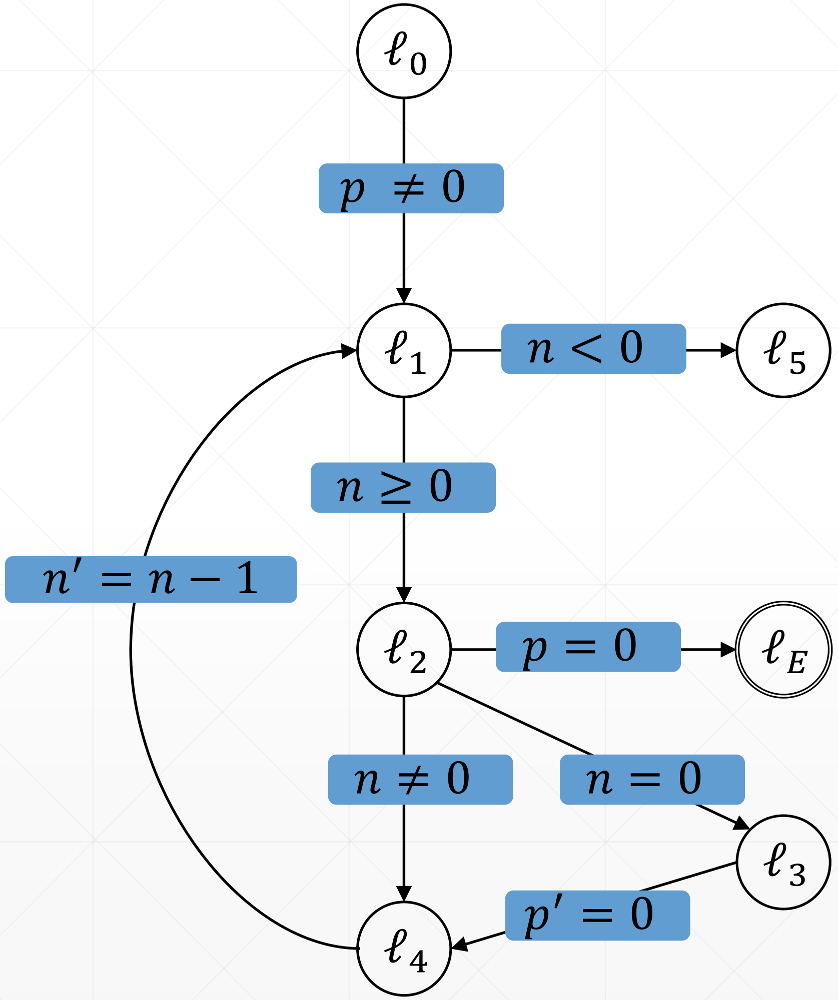
- Is there a global fixpoint?

➔ No, continue with level 3

Proof-Obligations:

- $\emptyset$

Example:



location	0	1	2
ℓ_0	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t	t
ℓ_4	f	t	t

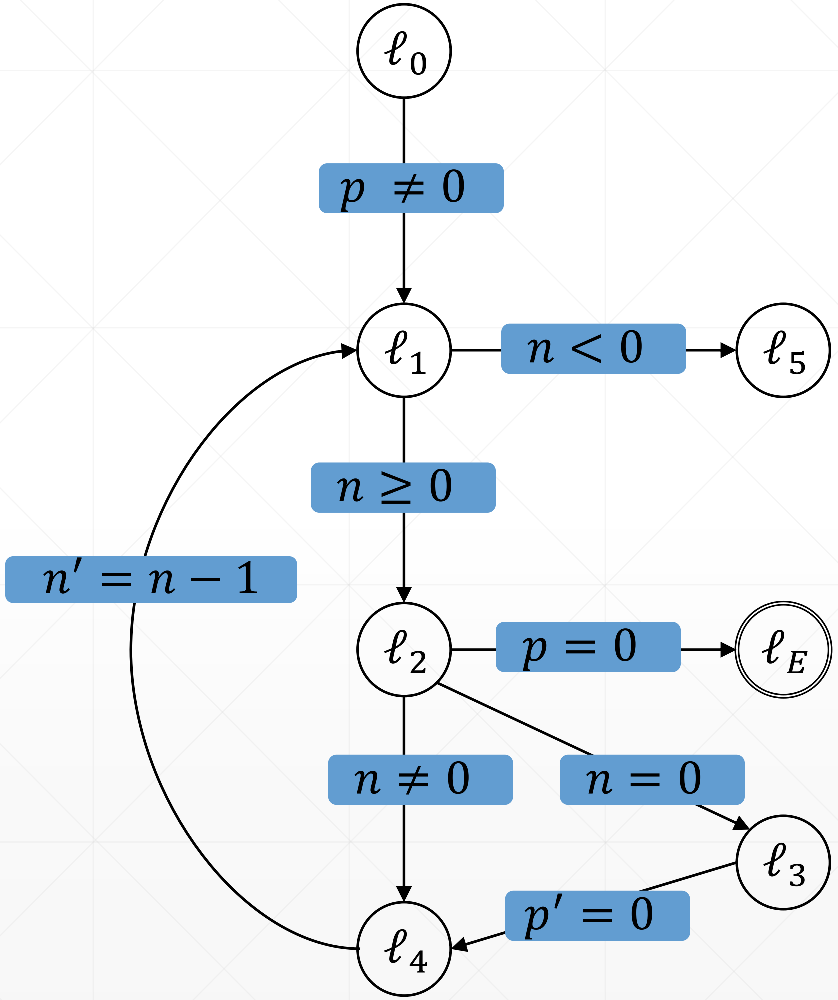
9. Step: Level 3

- Initzialize new frames
- Get initial proof-obligations

Proof-Obligations:

- $\emptyset$

Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t	t
ℓ_4	f	t	t	t

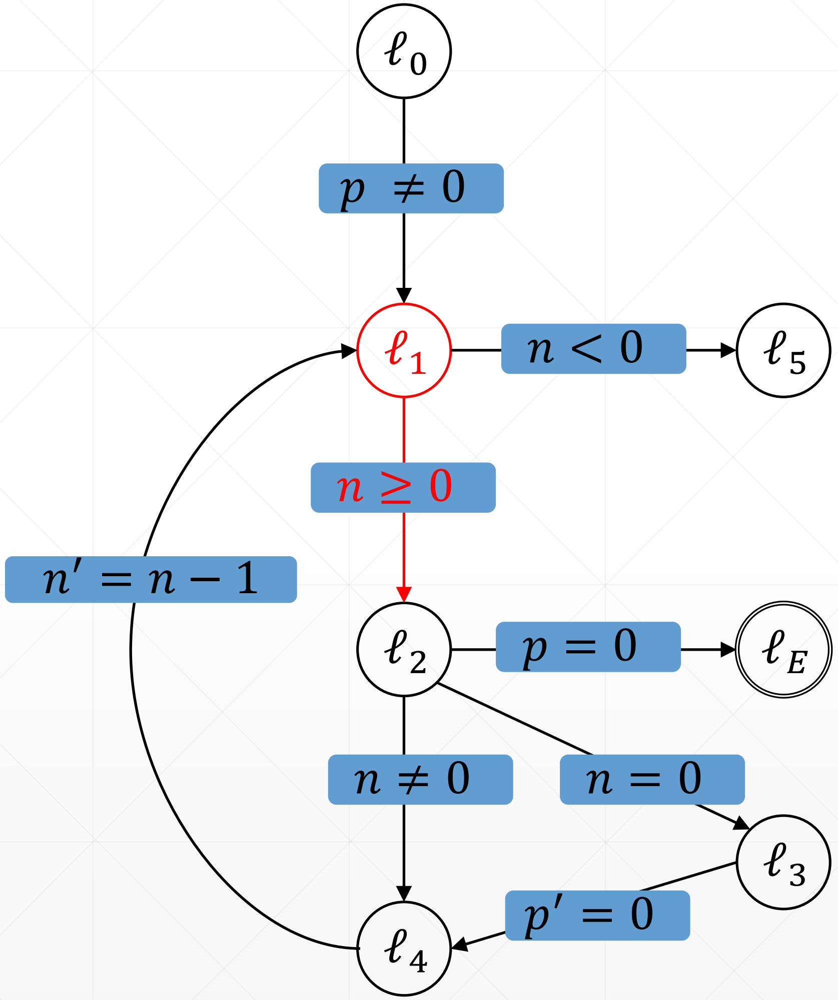
9. Step: Level 3

- Initialize new frames
- Get initial proof-obligations

Proof-Obligations:

- $(p = 0, \ell_2, 3)$

Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t	t
ℓ_4	f	t	t	t

10. Step: Level 3 Blocking-Phase

- Try to block $(p = 0, \ell_2, 3)$

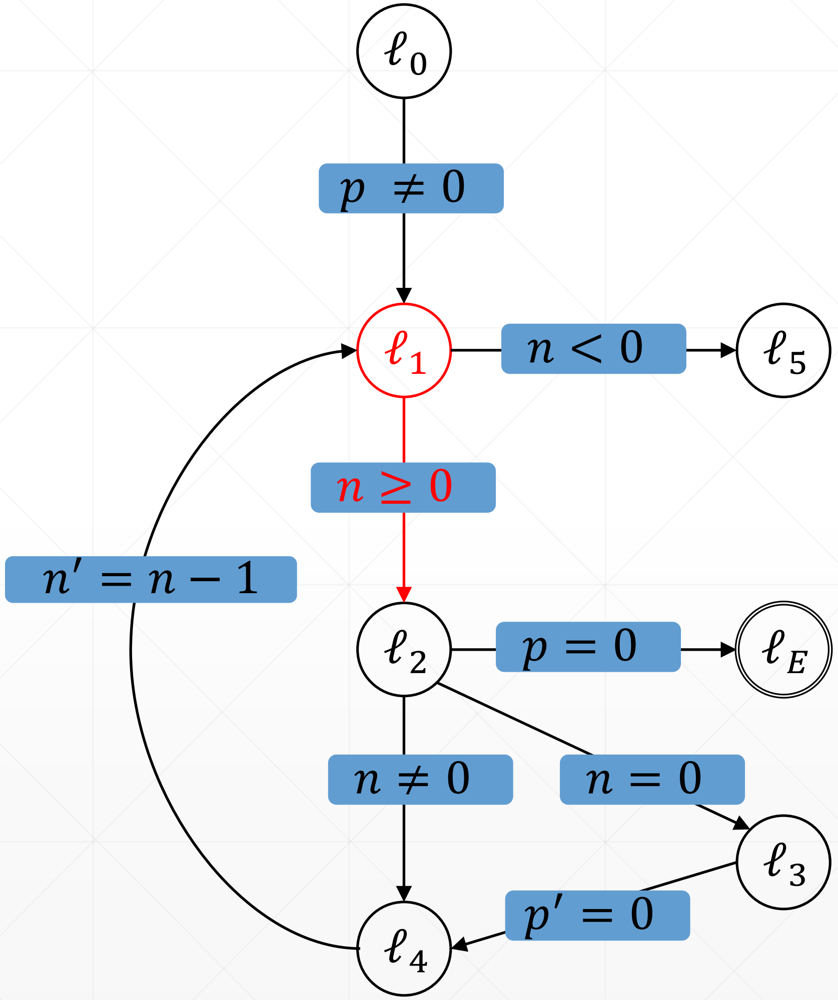
- Predecessor ℓ_1:
  - $t \wedge n \geq 0 \wedge p' = 0$

  ➔ Like the level before this is satisfiable

Proof-Obligations:

- $(p = 0, \ell_2, 3)$

Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \land p \neq 0$	$t \land p \neq 0$	t	t
ℓ_2	$f \land p \neq 0$	$t \land p \neq 0$	$t \land p \neq 0$	t
ℓ_3	f	t	t	t
ℓ_4	f	t	t	t

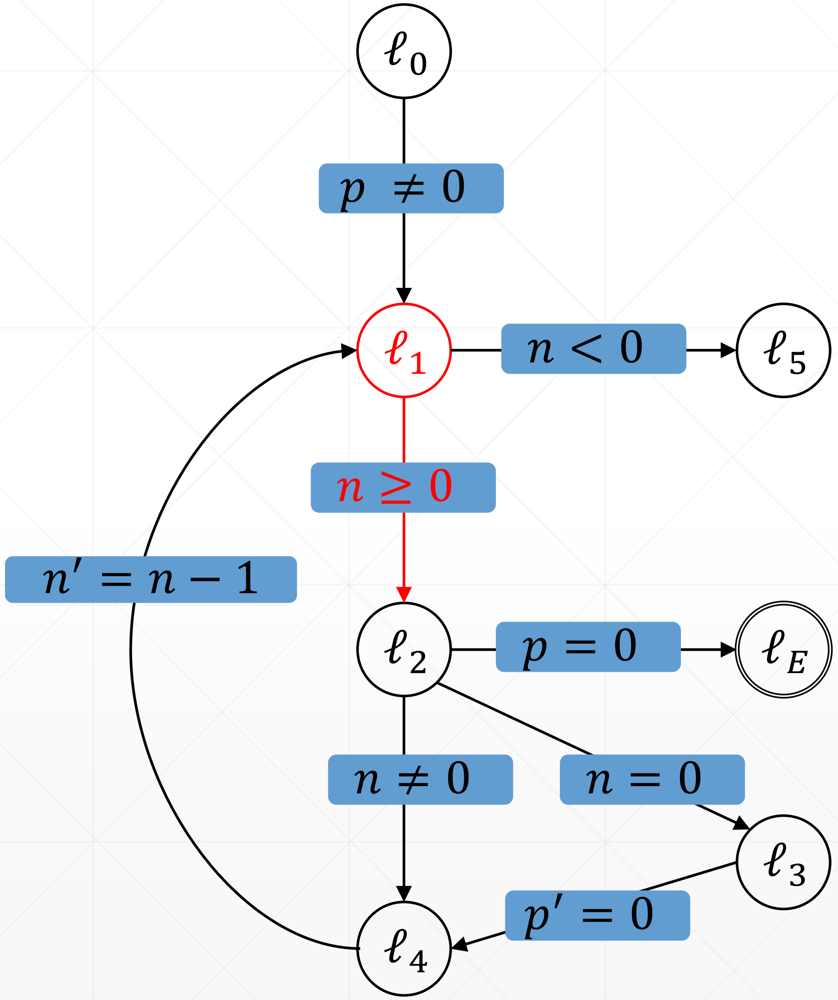
10. Step: Level 3 Blocking-Phase

- Try to block $(p = 0, \ell_2, 3)$

- Predecessor ℓ_1:
  - $t \land n \geq 0 \land p' = 0$
  - ➔ Like the level before, get the same new proof-obligation but on level 2
  - ➔ $(p = 0, \ell_1, 2)$

Proof-Obligations:
- $(p = 0, \ell_2, 3)$

Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t	t
ℓ_4	f	t	t	t

10. Step: Level 3 Blocking-Phase

- Try to block $(p = 0, \ell_2, 3)$

- Predecessor ℓ_1:
  - $t \wedge n \geq 0 \wedge p' = 0$

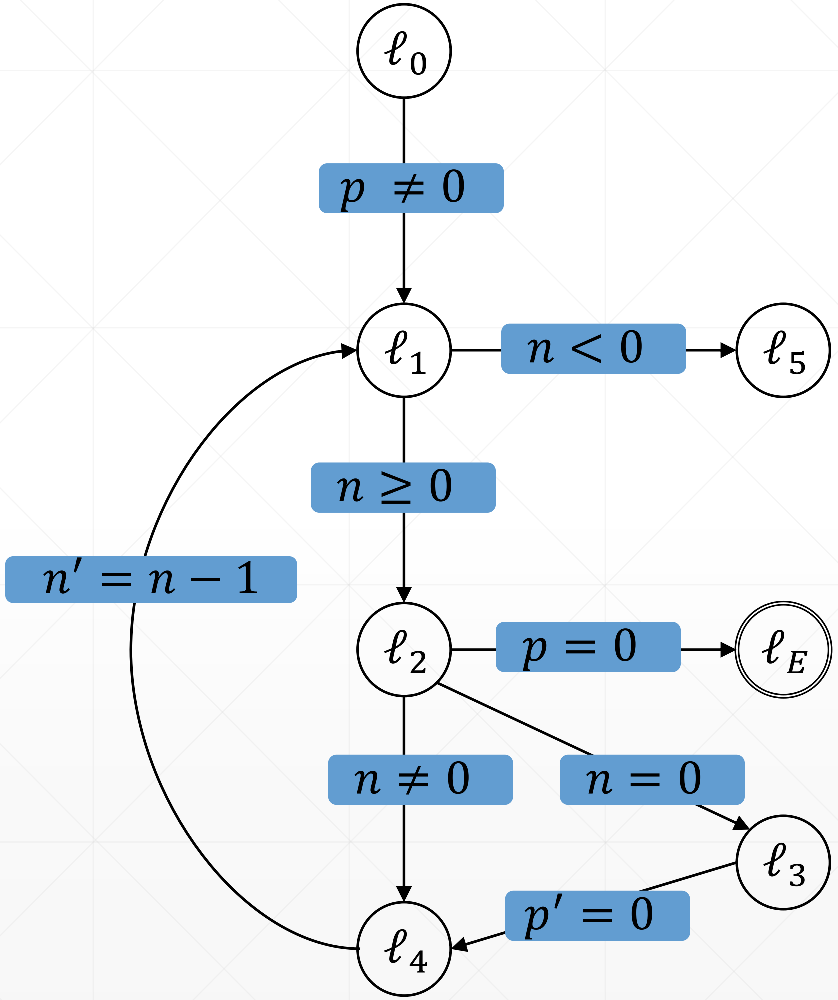
  ➔ Like the level before, get the same new proof-obligation but on level 2

  ➔ $(p = 0, \ell_1, 2)$

Proof-Obligations:

- $(p = 0, \ell_2, 3)$
- $(p = 0, \ell_1, 2)$

Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t	t
ℓ_4	f	t	t	t

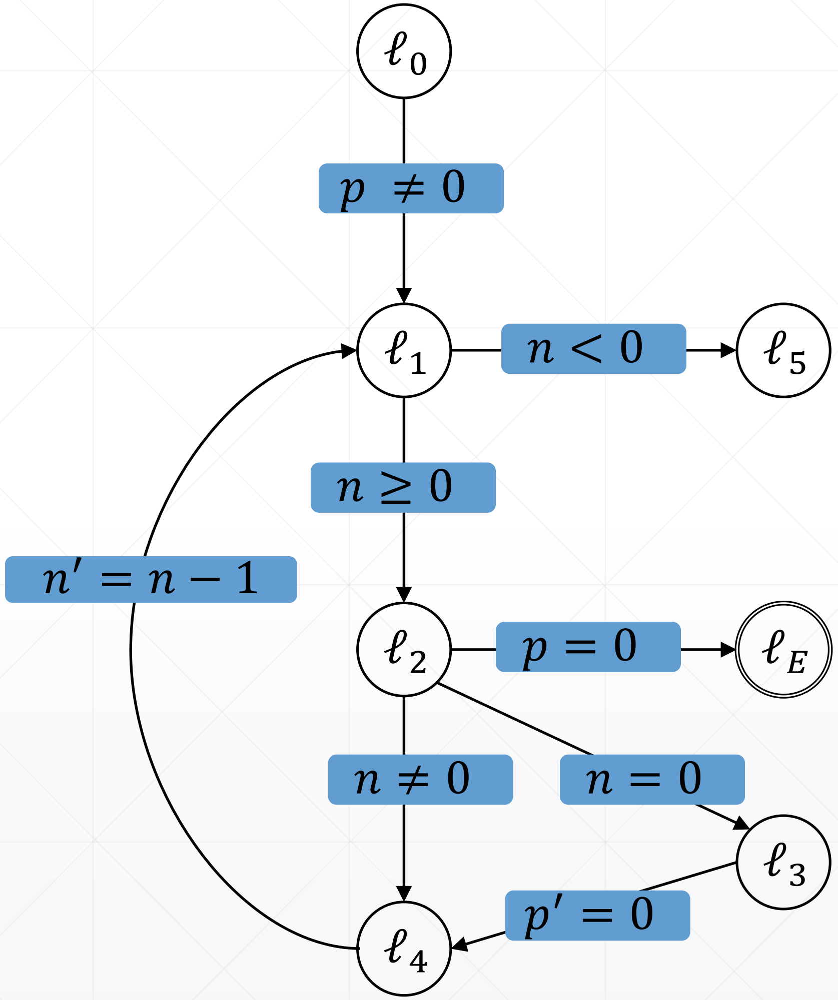
10. Step: Level 3 Blocking-Phase

- There are a lot of repetitions

Proof-Obligations:

- $(p = 0, \ell_2, 3)$
- $(p = 0, \ell_1, 2)$

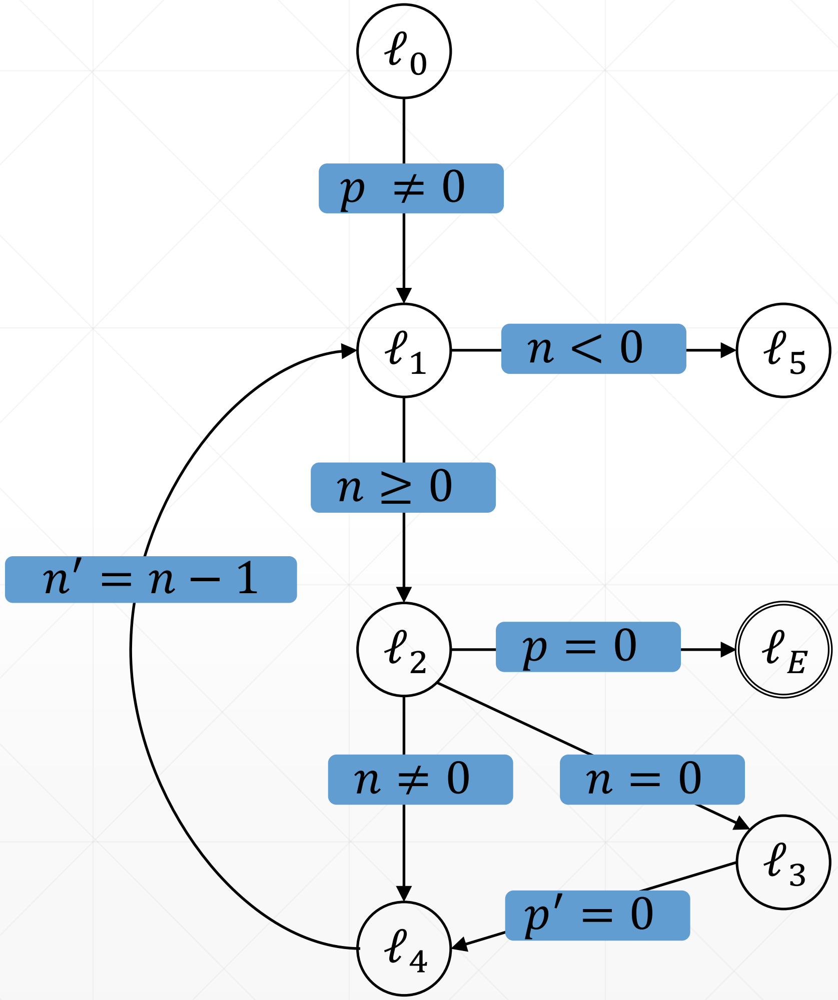
Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t	t	t
ℓ_4	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t

11. Step: Level 3 Done

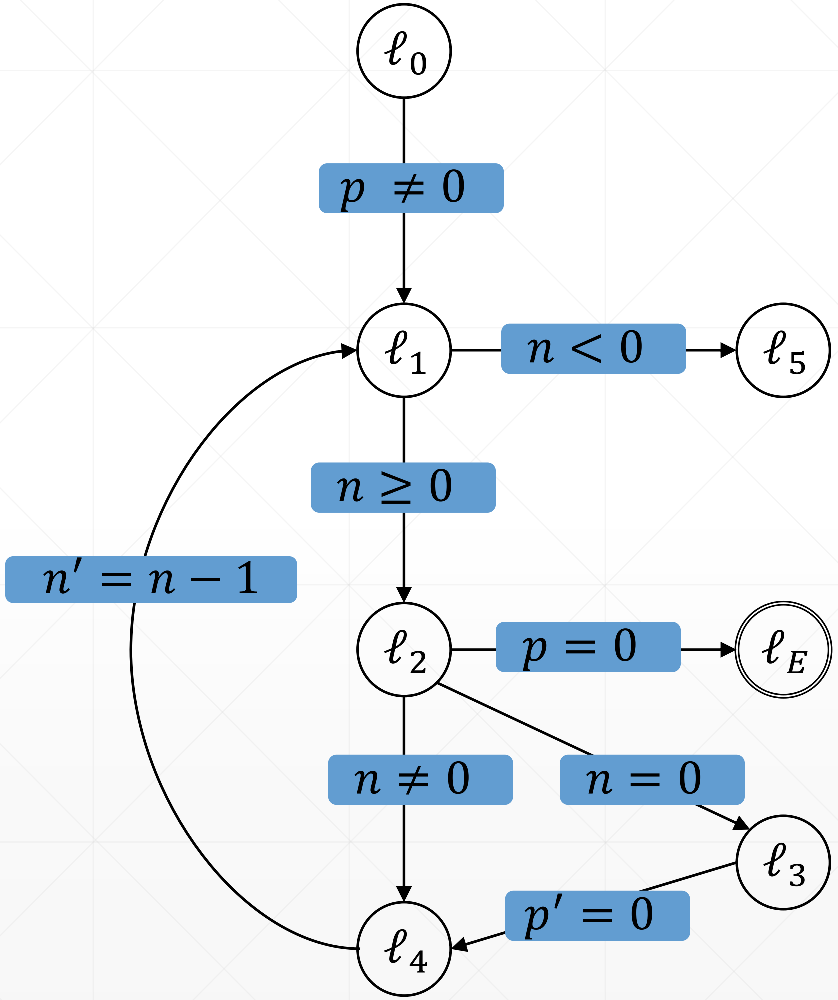
Example:



location	0	1	2	3
ℓ_0	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	f	t	t	t
ℓ_4	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t

11. Step: Level 4

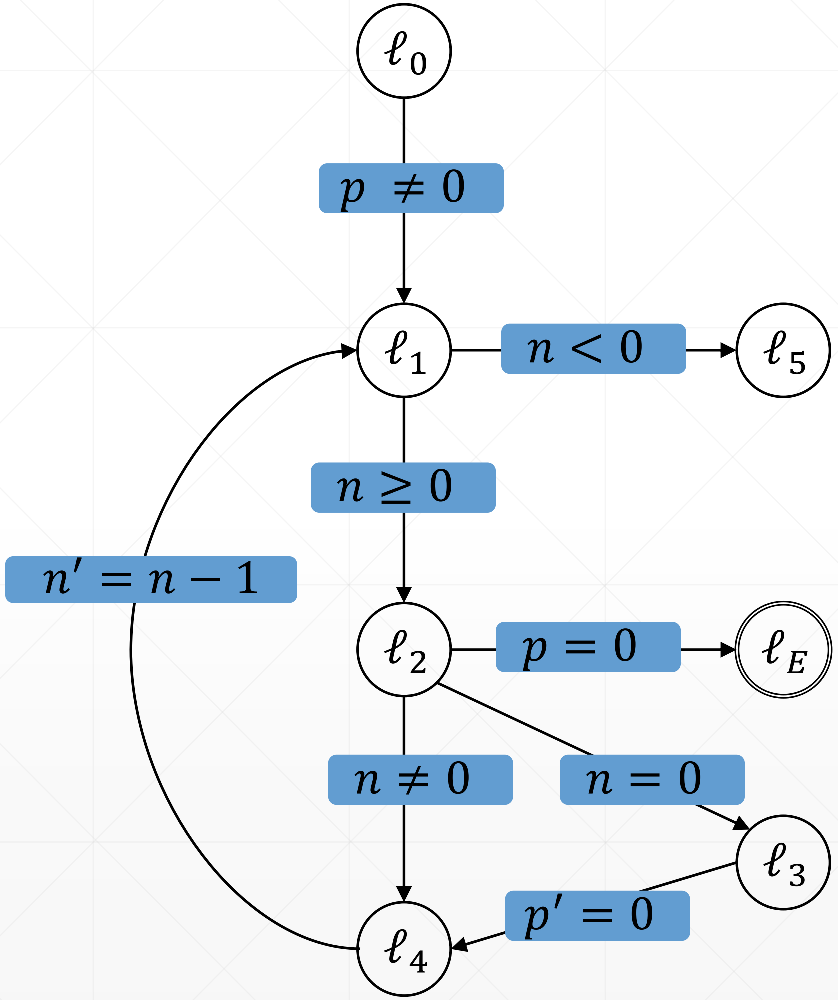
Example:



location	0	1	2	3	4
ℓ_0	t	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t	t	t
ℓ_4	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t	t

11. Step: Level 4 Initialization

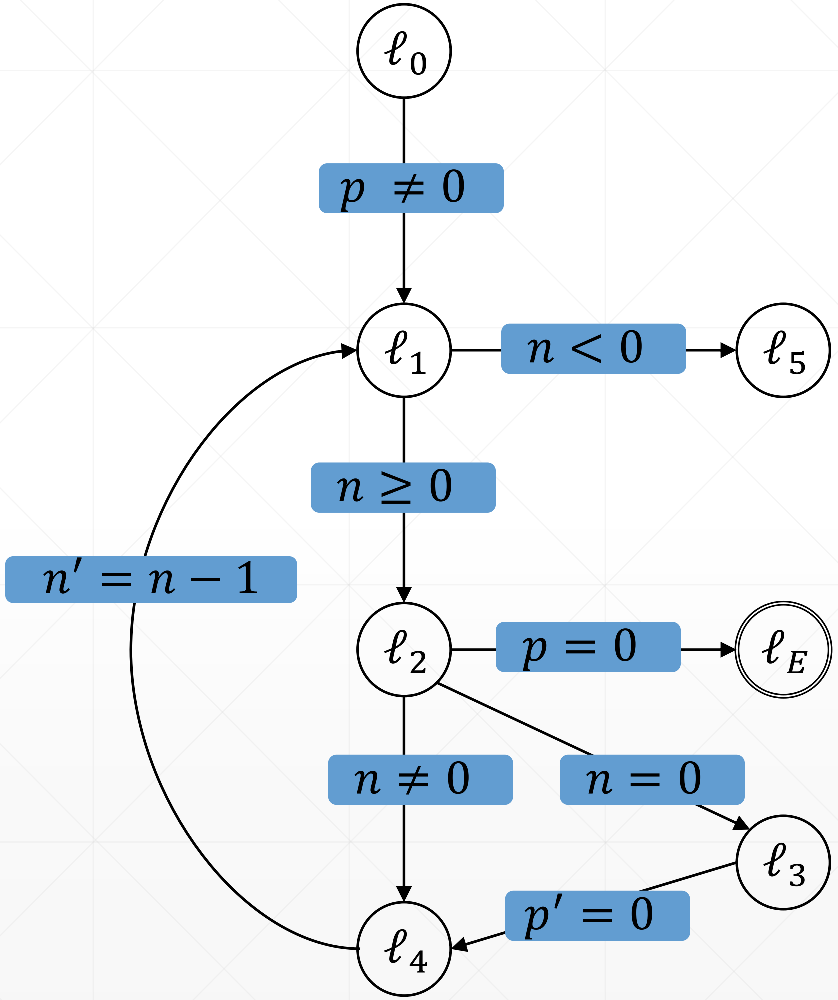
Example:



location	0	1	2	3	4
ℓ_0	t	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_3	f	t	t	t	t
ℓ_4	$f \wedge p \neq 0$	$t \wedge p \neq 0$	t	t	t

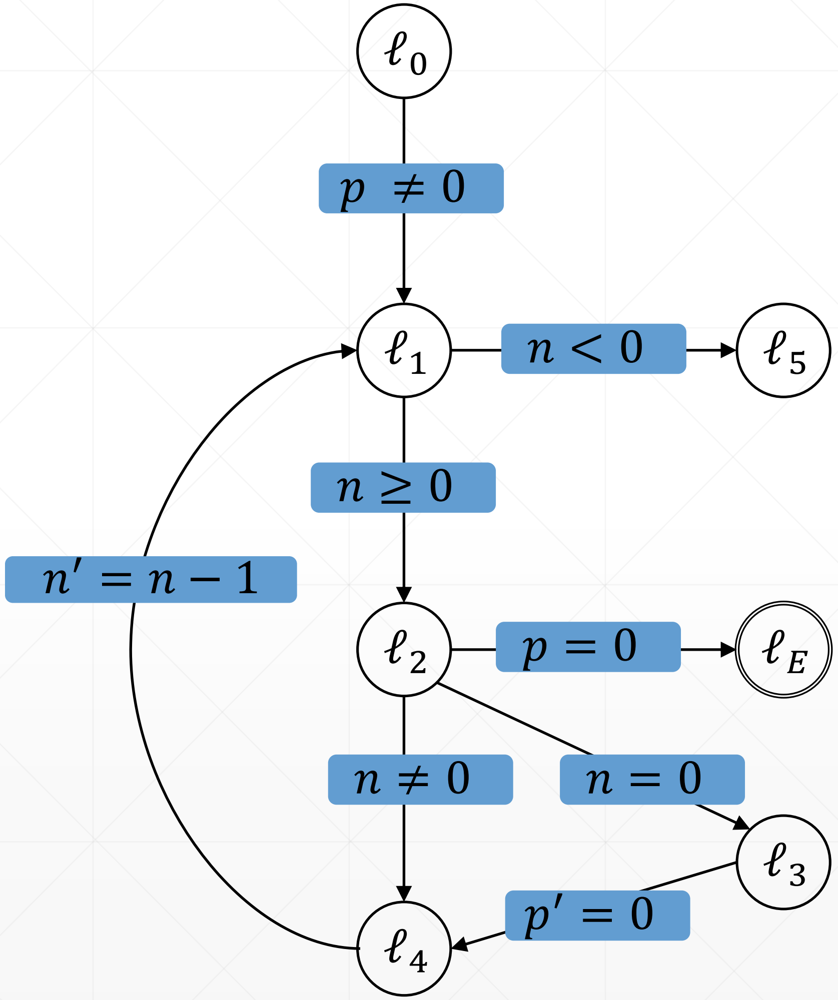
TODO The new interesting proof-obligation!

Example:



location	0	1	2	3	4
ℓ_0	t	t	t	t	t
ℓ_1	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t
ℓ_2	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$
ℓ_3	$f \wedge f$	$t \wedge f$	t	t	t
ℓ_4	$f \wedge p \neq 0$	$t \wedge p \neq 0$	$t \wedge p \neq 0$	t	t

Example:



location	0	1	2	3	4	5
ℓ_0						
ℓ_1						
ℓ_2						
ℓ_3						
ℓ_4						

Text

Proof-Obligations:

Related Work: Other Approaches

- Bit-Blasting
- Using Abstract Reachability Trees

PDR Algorithm: Possible Improvements

- Generalization of Proof-Obligations:
  - Using the disjunctive normal form (DNF):

    @TODO EXPLANATION WITHOUT CUBES

    ➔ Split large proof-obligations into smaller ones by taking each conjunct of the DNF as a separate proof-obligation

  - Using Interpolation:
    - Instead of strengthening frames with the negated proof-obligation, compute an interpolant
    - @ToDo MOAR

Implementation in Ultimate: Trace Abstraction with PDR

- Step by Step how trace abstraction works

Implementation in Ultimate: Implemented Improvements

Evaluation: Data Comparison

Evaluation: Discussion

Future Work: Implementing Further Improvements

Conclusion