# Making Causal Critiques Day 3 - Assessing Causal Evidence

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# Solving the Problem of Causal Inference

- ▶ We cannot!
- ▶ But we can try and minimize the risks
- Selecting units that provide appropriate counterfactuals, avoiding:
  - Omitted variable bias
  - Selection Bias
  - Reverse Causation

- ► Field experiments provide confidence because treatment assignment is **controlled by the researcher**
- But still take place in real-world environments, so they identify (hopefully) meaningful treatment effects

► Why does randomization help us achieve causal inference?

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  - A treatment assignment mechanism that balances potential outcomes
    - Every unit has exactly the same probability of treatment
    - ► No omitted variable bias
    - ▶ No self-selection
    - No reverse causation

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  - $E(Y_1-Y_0)$

 $E(Y_1|D=1)$ .  $E(Y_0|D=0)$ 

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▶ With randomization,  $Y_1, Y_0 \perp D$ :

$$E(Y_1|D=1) = E(Y_1)$$

$$E(Y_1|D=1) = E(Y_1)$$

$$E(Y_0|D=0) = E(Y_0)$$

 $= E(Y_1 - Y_0)$ 

$$E(Y_1|D=1) - E(Y_0|D=0) = E(Y_1) - E(Y_0)$$
 (5)

(1)

(2)

(3)

(4)

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  - On average, potential outcomes will be balanced
  - More likely in larger samples
  - We cannot verify potential outcomes
  - ► But we can assess balance in *observable* covariates
  - What if some covariates are imbalanced?

- Analysing field experiments
  - Comparison of means: t-test to test significance
  - Regression achieves the same thing
    - $Y_i \sim \alpha + \beta D_i + \epsilon_i$
    - $Y_i = Y_{0i} + (Y_{1i} Y_{0i})D_i + \epsilon_i$
    - ▶ Just the conditional expectation function: E(Y|D=d)
  - Include covariates if:
    - There is residual imbalance
    - To increase precision of standard errors

- Assumptions
  - Compliance with randomization Treatment was truly random and accepted
  - SUTVA Treatment of one unit doesn't affect potential outcomes of other units
  - Excludability Effects of treatment assignment operate only through treatment
    - ► Depends if these effects are part of the causal chain

► Limitations of Field Experiments: **Answerable Questions** 

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  - Small sample sizes still prevent inference
  - ► Ethics
  - Logistics/Finance
  - Some treatments can't be manipulated (history)
  - Lack of control over treatment content and context is it informative?
  - Long-term effects/adaptation?

► Limitations of Field Experiments: **Internal Validity** 

- Limitations of Field Experiments: Internal Validity
  - No guarantee of actual balance (and Inefficient if we already know confounders)
  - Hawthorne effect: participants adapt behaviour in experiments
  - Biased measurement if not double-blind (non-excludability)
  - Average Treatment Effect can be skewed by Outliers
  - Always complications of non-compliance, SUTVA, attrition
  - Publication/Selection bias
  - Unbiased but imprecise; variation still high if lots of other variables also affect Y
  - Treatment assignment mechanism itself affects outcomes

- ► All these complications mean we need lots of assumptions and background knowledge
- Just as with other methodologies

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- ► Why lab experiments?

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- Why lab experiments?
  - Treatments we cannot administer in reality
  - Outcome measurements that are hard to take in reality
  - Random treatment assignment not permitted in reality

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- Treatment: Not a manipulation of real world political or economic processes, but establishing controlled 'lab' conditions
  - The advantage: Control over context helps isolate mechanisms
  - ► The disadvantage: Can we generalize to the real world from this artificial context?

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- What is a natural experiment?
  - Treatment assignment is independent of potential outcomes
    - ► So randomized or 'as-if' random ('exogenous')
  - BUT The researcher doesn't control the treatment assignment process or treatment itself
    - So not a field experiment
  - Can make possible analysis of questions that researchers might find unethical or impractical

# **Analysis Types and Assumptions**

Week	Assumption:	Researcher Controls Treatment Assign- ment?	Treatment Assign- ment Inde- pendent of Potential Outcomes	SUTVA	Additional Assump- tions
	Controlled Experiments				
1	Field Experiments	✓	✓	√	
2	Survey and Lab Experiments	√	√	√	Controlled Environment for treatment exposure
	Natural Experiments				
3	Randomized Natural Experiments	х	√	√	
4	Instrumental Variables	х	√	<b>√</b>	First stage and Exclusion Re- striction (Instrument explains treatment but not outcome)
5	Regression Discontinuity	X	√	<b>√</b>	Continuity of covariates; No manipulation; No compounding discontinuities
	Observational Studies				
6	Difference-in-Differences	х	x	√	No Time-varying confounders; Parallel Trends
7	Controlling for Confounding	х	Х	√	Blocking all Back-door paths
8	Matching	X	X	√	Overlap in sample characteristics

- ► Three types of natural experiments
  - ► 'Pure' natural experiments, where policy is as-if random
  - Instrumental Variables
  - Regression Discontinuities

- ► Because we don't control assignment, we need to verify the assumptions behind natural experiments
  - How do we know assignment was truly random?
  - How was the treatment applied? Consistently?
- ► We need 'Causal-process observations'

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- ► Challenges due to lack of control over treatment:
  - We must be lucky to 'find' natural experiments; what if the treatments/experiments that exist don't answer useful political economy questions?
  - The treatment and control groups produced by 'nature' may not produce treatment and control groups which differ in ways that represent a causal effect of interest (Sekhon and Titiunik 2012)
  - We also must be lucky to find a sample that is relevant and interesting - unlike a controlled trial we don't control the recipients either (eg. if we care about states, not municipalities, the audits are no use)

- ► Challenges due to lack of control over treatment:
  - Spillovers can be an issue treatment units affect control units' potential outcomes (eg. women's quotas discourage women in non-reserved seats)
  - Generalizability a very open question; what causal process does the experiment really capture?
  - The treatment assignment of a natural experiment might have unique effects (excludability)

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- ► What can we do when the treatment assignment mechanism is not 'as-if' random?
- ► Natural experiments focus on a specific **part** of treatment assignment that is 'as-if' random
- An 'instrument' is a variable which assigns treatment in an 'as-if' random way
  - Or at least in a way which is 'exogenous' not related to confounders
  - Even if other confounding variables also affect treatment

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- ▶ NOT the effect of the instrument on the outcome

- Example Instruments:
  - ► Rainfall for conflict
  - Sex-composition for effect of third child
  - Distance from the coast for exposure to slave trade

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  - Strong First Stage: The Instrument must affect the treatment
  - We can test this with a simple regression:
     Treatment ~ Instrument
  - ► The instrument should be a significant predictor of treatment
  - ► Rule-of-thumb: *F statistic* > 10

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  - We cannot test or prove this assumption!
  - Theory and qualitative evidence needed to argue that the instrument is not correlated with any other factors affecting the outcome
  - Sometimes, the exclusion restriction may be more credible if we include controls

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    - Save the predicted values from this regression:  $\hat{D} = D \sim Instrument$
    - ► Estimate how the predicted values affect the outcome:  $Y \sim \hat{D}$
    - ▶ Interpret the coefficient on  $\hat{D}$

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  - 'Local' to the units whose treatment status actually changed
- Remember, those 'Local' units are not representative so we can't generalize