

# FLS 6441 - Methods III: Explanation and Causation

## Week 2 - A Framework for Explanation

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# Section 1

## Explanation



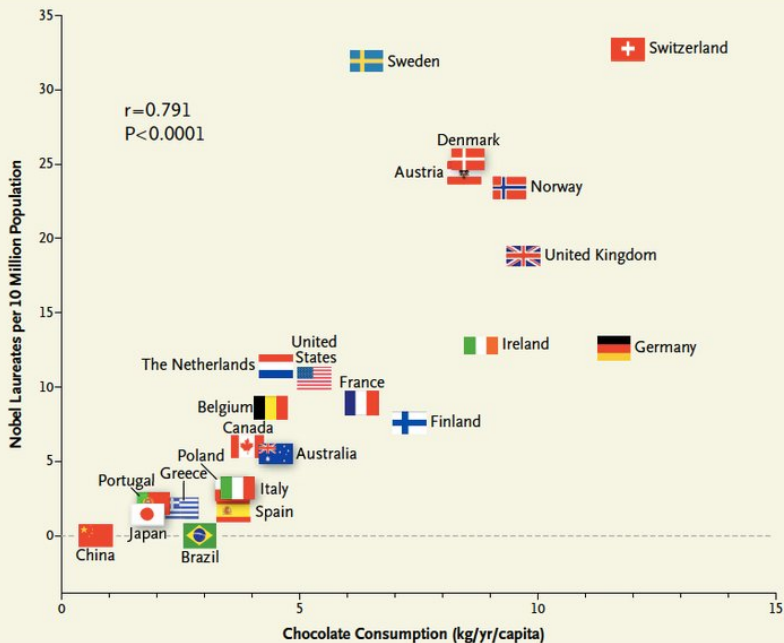


Figure 1. Correlation between Countries' Annual Per Capita Chocolate Consumption and the Number of Nobel

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  - ▶ But for **intervention**, correlation does not help: forcing people to eat more chocolate does nothing on its own to produce more Nobel Laureates
  - ▶ For **explanation**, correlation also fails - it is no *explanation* to say that Switzerland has the most Nobel Laureates because it has the highest chocolate consumption



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- ▶ If  $D$  explains  $y$ , we are saying that the *absence* of  $D$  would have led to a different value of  $y$
- ▶ There exists a 'counterfactual' possibility that did not happen

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## Probabilistic Explanation

- ▶ If  $D$  happens, the **probability** of  $Y$  increases
- ▶ Treatment effects are a distribution, not a single value

# Explanation

- ▶ Two perspectives on explanation:

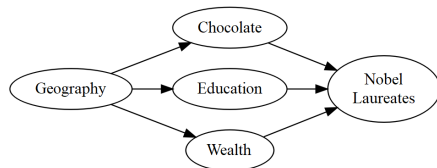
# Explanation

- Two perspectives on explanation:

<b>Causes of Effects</b>	<b>Effects of Causes</b>
What caused Y?	Does D cause Y?
Why does Switzerland have so many Nobel laureates?	Does chocolate cause more Nobel laureates?
Backward-looking	Forward-looking

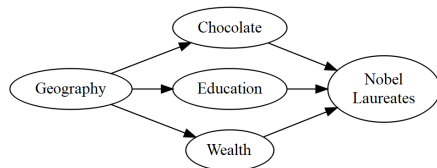
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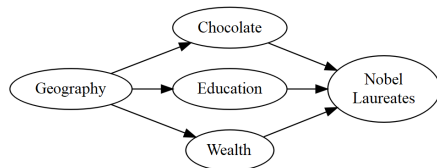
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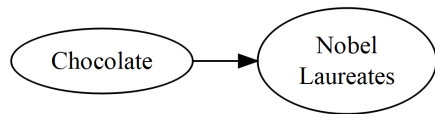
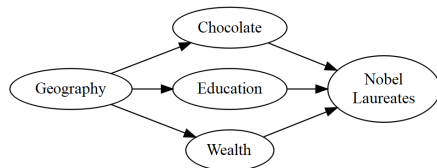
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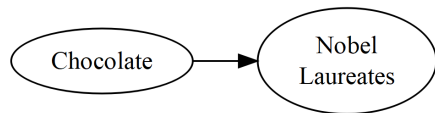
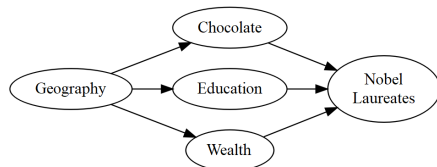


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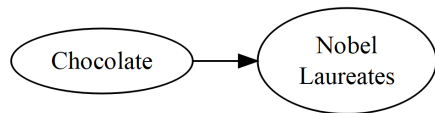
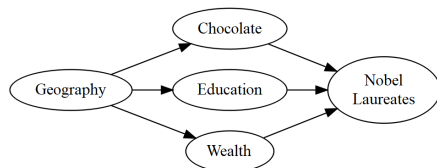
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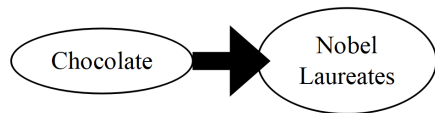
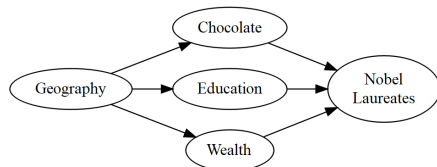
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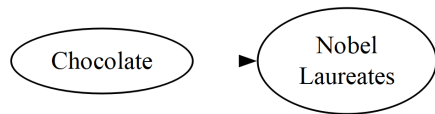
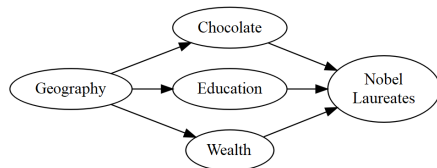
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  - ▶ What is the opposite of investing \$1bn in education?
  - ▶ No investment, or investing it elsewhere?
- ▶ Define treatment:

$$D_i = \begin{cases} 1, & \text{if treated} \\ 0, & \text{if not treated} \end{cases}$$

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- ▶ So we usually want to study a **single outcome**



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  - ▶ But our analysis needs to take account of the 'clustered' treatment
- ▶ Units are **time-specific**: the same person 10 minutes later is a different unit

# Section 2

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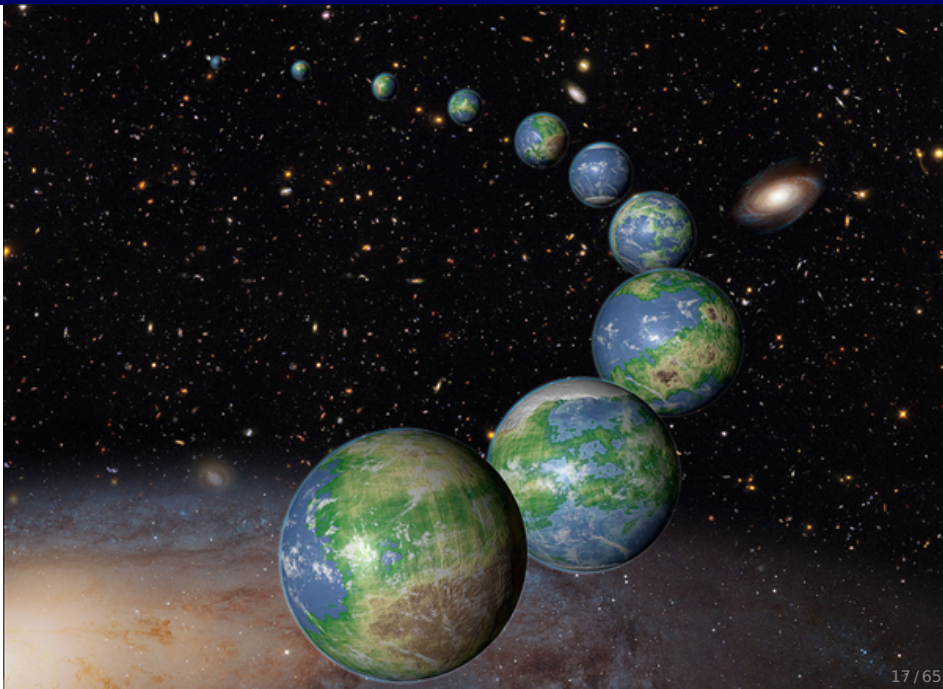
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# Causal Inference

Potential Outcomes are just another Variable for each Unit

	GDP Growth if Democracy	GDP Growth if NOT Democ- racy	Treatment Effect
	$Y_1$	$Y_0$	$Y_1 - Y_0$
Brasil	4	1	3
Argentina	7	4	3
Bolivia	2	4	-2
Colombia	7	7	0
Peru	5	4	1

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$$ATE = E(\alpha_i) = E(Y_1 - Y_0) = E(Y_1) - E(Y_0) = \frac{\sum_i (Y_{1i} - Y_{0i})}{N}$$

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### Average Treatment Effect on the Untreated (Control)

$$ATU = E(\alpha_i | D = 0) = E(Y_1 - Y_0 | D = 0) = \frac{\sum_i (Y_{1i} - Y_{0i} | D=0)}{N_{Control}} \quad (2)$$

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- The three effect estimates are usually different
  - The effect democracy has had in Europe is different to the effect if it were introduced in Africa

# Causal Inference

## Potential Outcomes Example

	Democracy?	GDP Growth if Democracy	GDP Growth if NOT Democracy	Treatment Effect
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<b>ATT</b>	<b>1</b>	<b>3</b>	<b>2.5</b>	<b>0.5</b>

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Peru	0	5	4	1
<b>ATU</b>	<b>0</b>	<b>6.3</b>	<b>5</b>	<b>1.3</b>

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$$Y_i^{obs} = \begin{cases} Y_{1i} & \text{if } D_i = 1 \\ Y_{0i} & \text{if } D_i = 0 \end{cases}$$

$$Y_i^{obs} = D_i \cdot Y_{1i} + (1 - D_i) \cdot Y_{0i}$$

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Colombia	0	?	7	?
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	Democracy?	GDP Growth if Democracy	GDP Growth if NOT Democracy	<b>Observed</b> GDP Growth
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Colombia	0	7
Peru	0	4

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- ▶ The question is, is the ATE accurate?



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- ▶ Actually, nothing stops us calculating the **Average Treatment Effect**
- ▶ The question is, is the ATE accurate?

	Democracy?	GDP Growth if Democracy	GDP Growth if NOT Democracy	<b>Treatment Effect</b>
	$D_i$	$Y_1$	$Y_0$	$Y_1 - Y_0$
Brasil	1	4	1	3
Argentina	0	7	4	3
Bolivia	1	2	4	-2
Colombia	0	7	7	0
Peru	0	5	4	1
<b>Average Treatment Effect</b>		<b>5</b>	<b>4</b>	<b>1</b>

## Causal Inference

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	Democracy?	GDP Growth if Democracy	GDP Growth if NOT Democracy	<b>Treatment Effect</b>
	$D_i$	$Y_1$	$Y_0$	$Y_1 - Y_0$
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Argentina	0	?	4	?
Bolivia	1	2	?	?
Colombia	0	?	7	?
Peru	0	?	4	?
<b>Average Treatment Effect</b>		<b>3</b>	<b>5</b>	<b>-2</b>

# Causal Inference

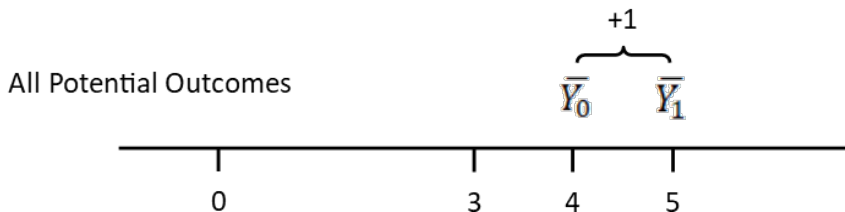
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# Causal Inference

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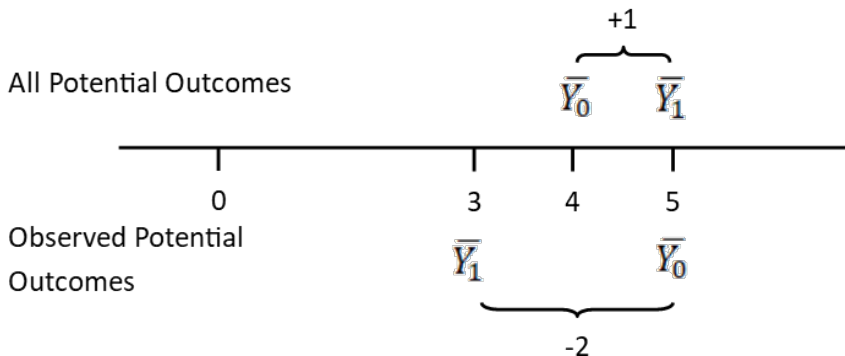
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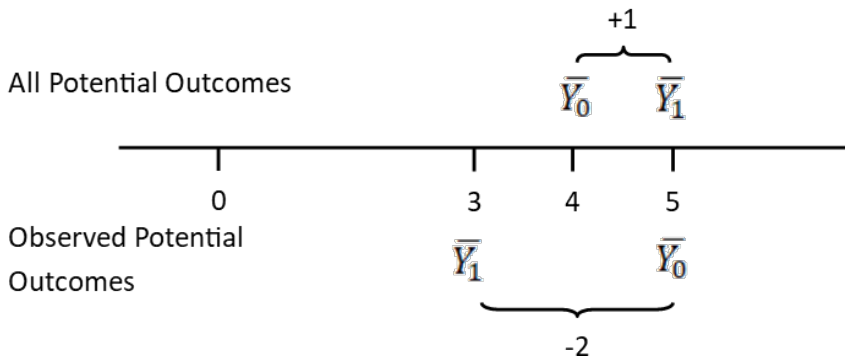
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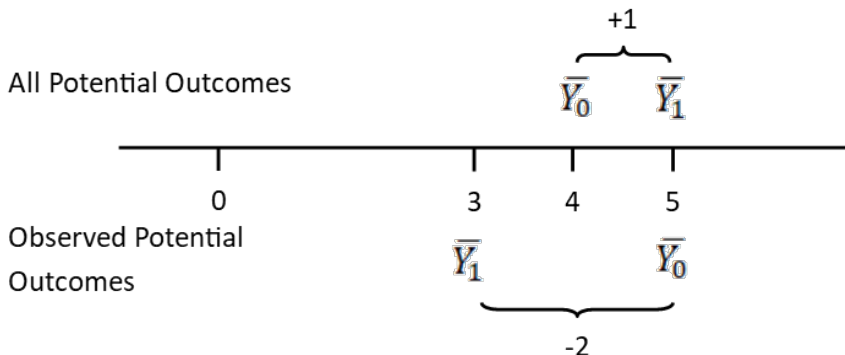
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## Causal Inference

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- ▶  $E(Y_0)$  values are **biased higher** in the observed data
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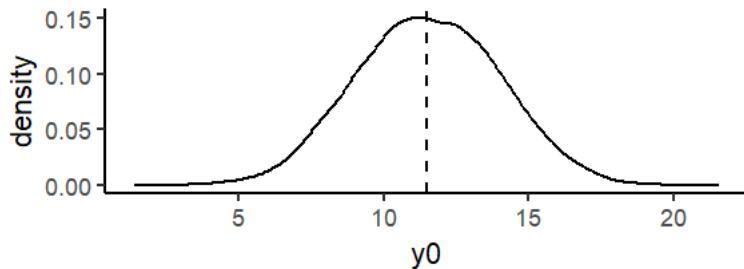
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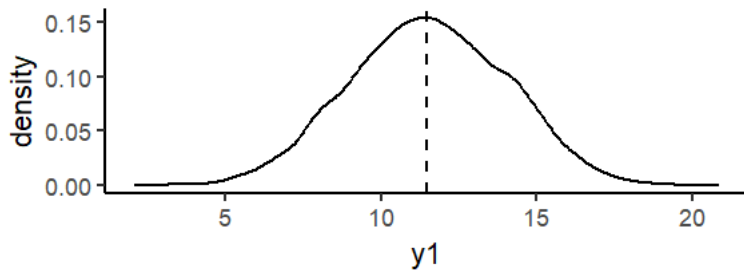
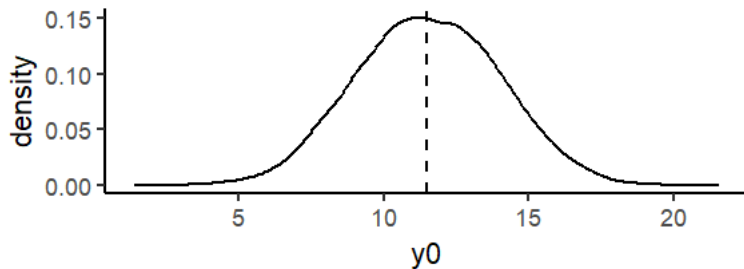
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# Causal Inference

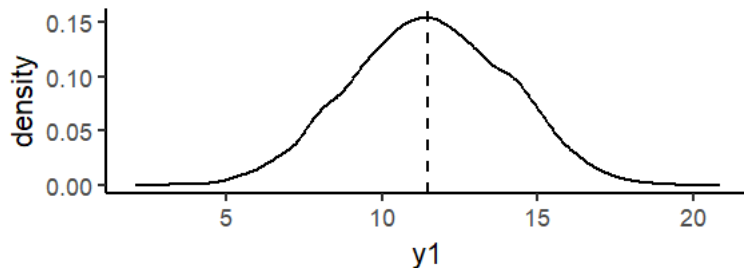
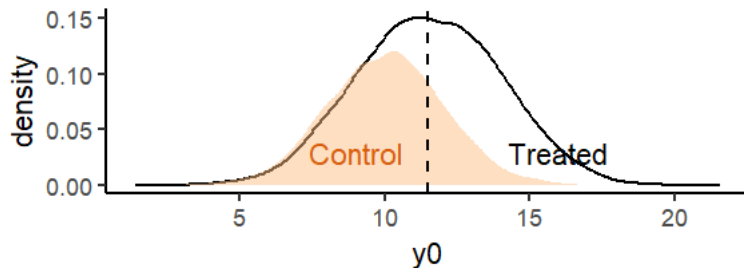


## Causal Inference

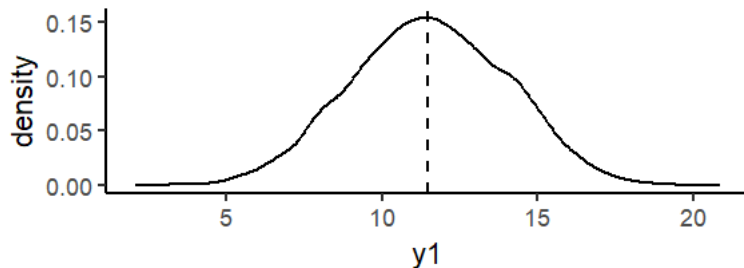
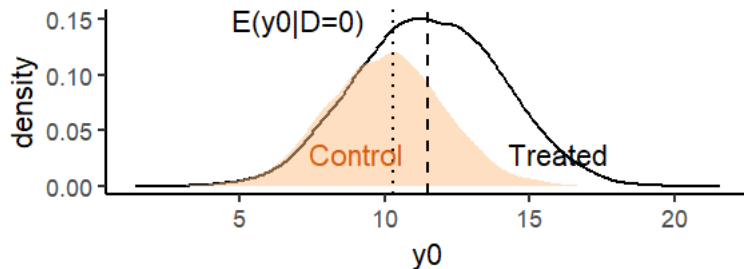




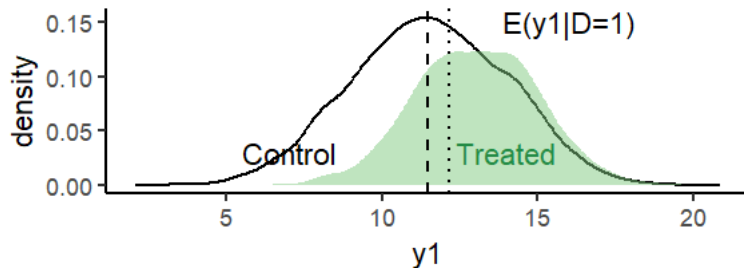
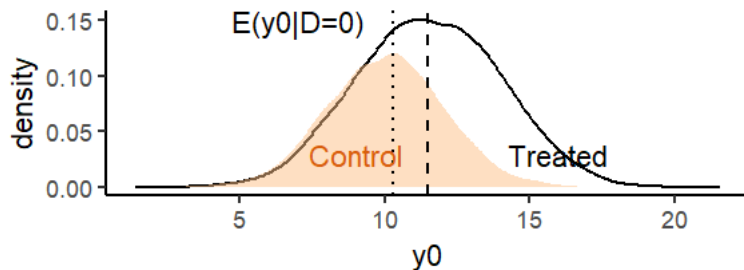
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- Lots of averages:

		Hypothetical outcome	
		$Y_0$	$Y_1$
Actual Treatment	$D = 0$	$E(Y_{0i} D = 0)$	$E(Y_{1i} D = 0)$
	$D = 1$	$E(Y_{0i} D = 1)$	$E(Y_{1i} D = 1)$

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	No Average Effect $E(Y_1 - Y_0) = 0$	"Sharp null": No individual effects $(Y_{1i} - Y_{0i} = 0)$
Brasil	2	0
Argentina	-1	0
Bolivia	1	0
Colombia	0	0
Peru	-2	0
<b>Average</b>	<b>0</b>	<b>0</b>



## Section 3

# Why Observational Data is Biased

# Bias

- Why are potential outcomes biased in our data?

# Bias

- ▶ Why are potential outcomes biased in our data?
  1. Omitted Variables

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# Bias

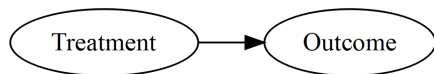
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# Bias

- ▶ Why are potential outcomes biased in our data?
  1. Omitted Variables
  2. Reverse Causation
  3. Selection Bias
- ▶ In all of these cases **the potential outcomes are distorted**
- ▶ So basic regression is **biased**

## Omitted Variable Bias

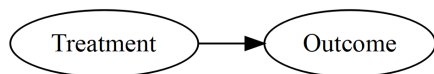
A real causal relationship:



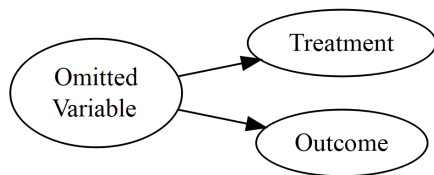


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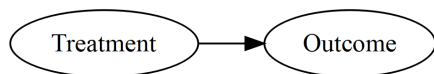


Being misled by omitted variable bias:

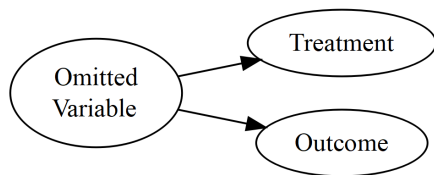


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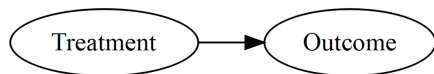
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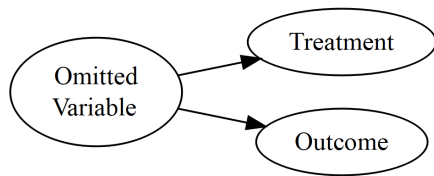
- ▶ A third variable causes some units to have **different values of potential outcomes**, AND for those **same units to be treated**

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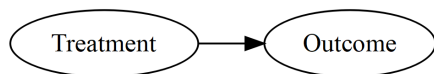
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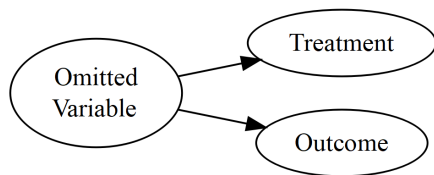
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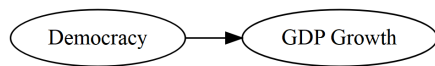
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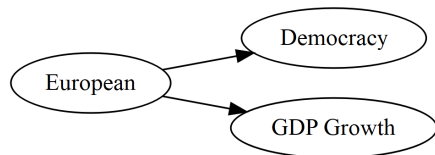
- ▶ A third variable causes some units to have **different values of potential outcomes**, AND for those **same units to be treated**
- ▶ So treated units have non-representative  $Y_1$
- ▶ And control units have non-representative  $Y_0$

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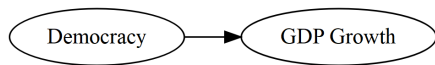


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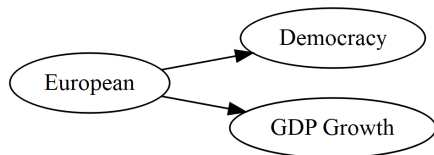


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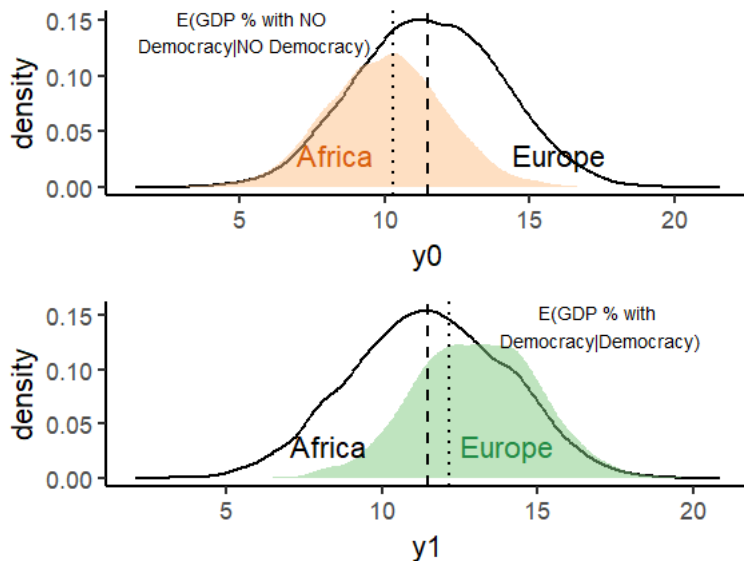


Being misled by omitted variable bias:



- ▶ European countries faced conditions that encouraged both democracy and rapid GDP growth

## Omitted Variable Bias



## Omitted Variable Bias

- Let's say that  $Y_{1i} = Y_{0i} + \alpha$ , where  $\alpha$  is the real constant treatment effect

$$\hat{ATE} = E(Y_1|D = 1) - E(Y_0|D = 0)$$



## Omitted Variable Bias

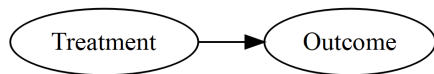
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$$\hat{ATE} = \underbrace{\alpha}_{\text{Real ATE}} + \underbrace{E(Y_0|D=1) - E(Y_0|D=0)}_{\text{Bias}}$$

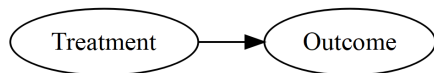
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A real causal relationship:

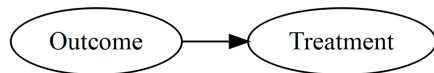


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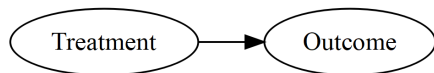


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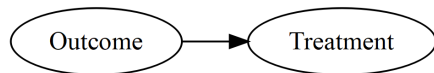


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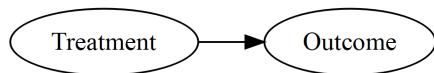
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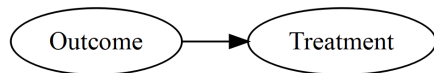
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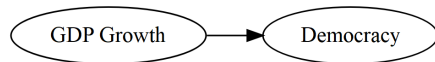
- ▶  $D$  does not affect  $Y$ , but higher  $Y$  makes treatment ( $D$ ) more likely
- ▶ So the two variables are **correlated**

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A real causal relationship:

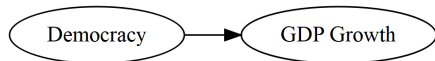


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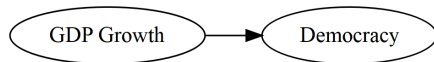


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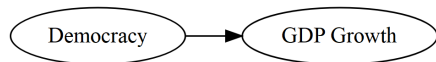
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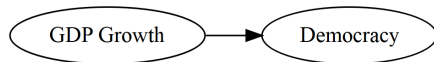
- GDP Growth encourages democratization

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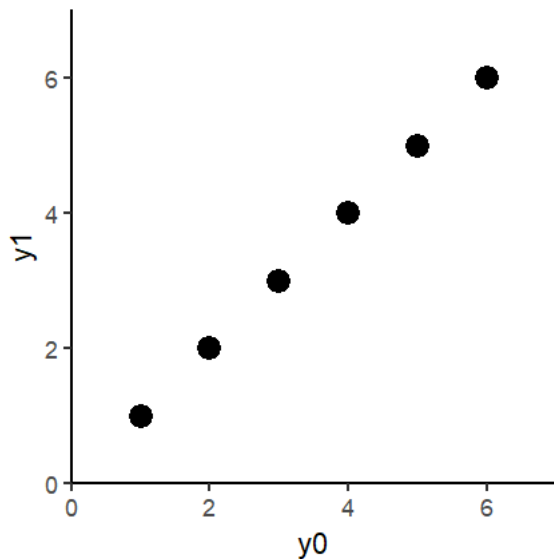
Being misled by reverse causation:



- ▶ GDP Growth encourages democratization
- ▶ So democracies are more likely to have experienced high growth rates

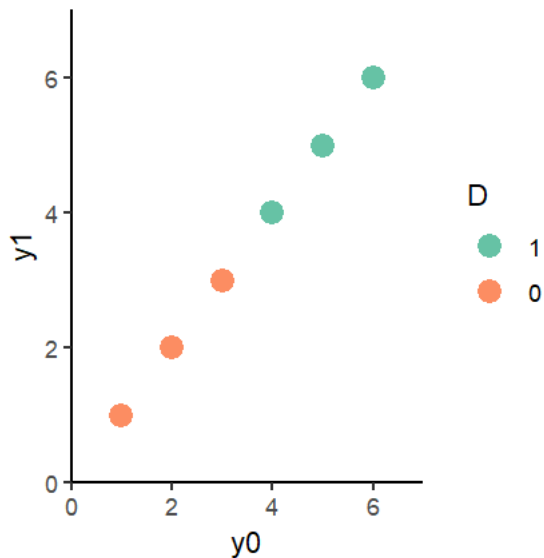


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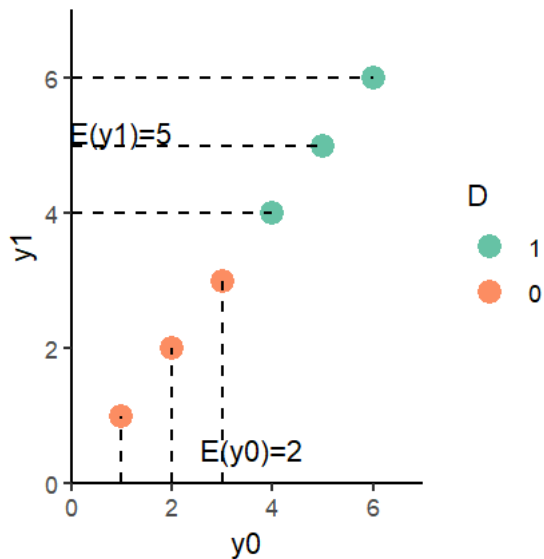


►  $E(Y_1 - Y_0) = 0$

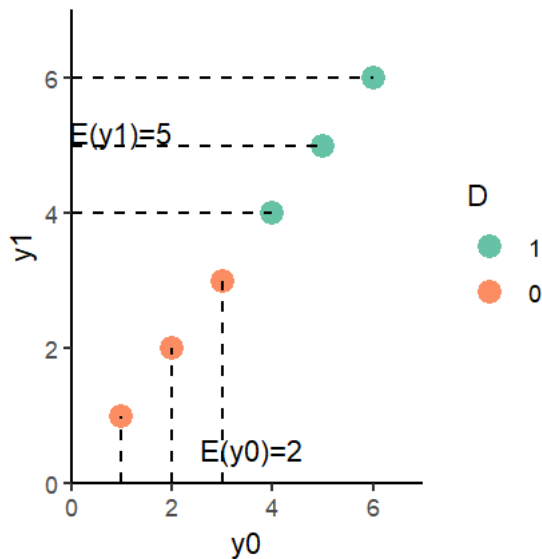
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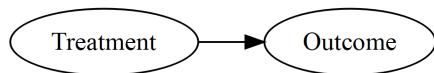
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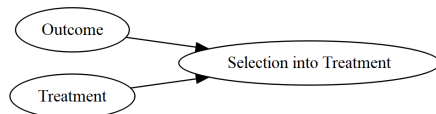
►  $E(Y_1|D=1) - E(Y_0|D=0) = 5 - 2 = 3$

# Selection Bias

A real causal relationship:

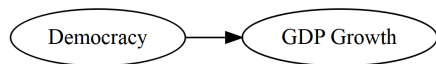


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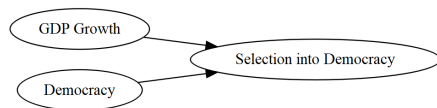


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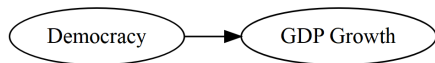


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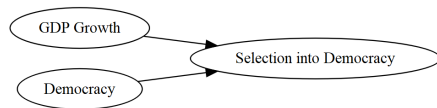


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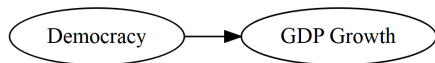
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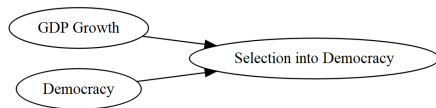
- The units which benefit most from treatment (largest  $y_1 - y_0$ ) **choose treatment**

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Being misled by Selection Bias:

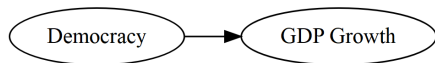


- ▶ The units which benefit most from treatment (largest  $y_1 - y_0$ ) **choose treatment**
- ▶ We don't see any of the low  $y_1$ 's of units which avoid treatment

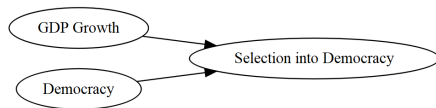


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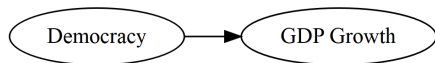
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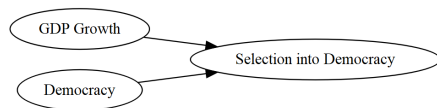
- ▶ The units which benefit most from treatment (largest  $y_1 - y_0$ ) **choose treatment**
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  - ▶ Countries which can boost their GDP growth by becoming a democracy choose to democratize

## Selection Bias

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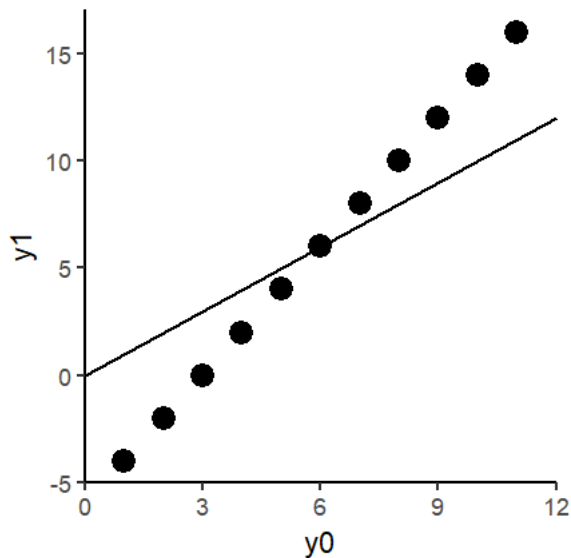


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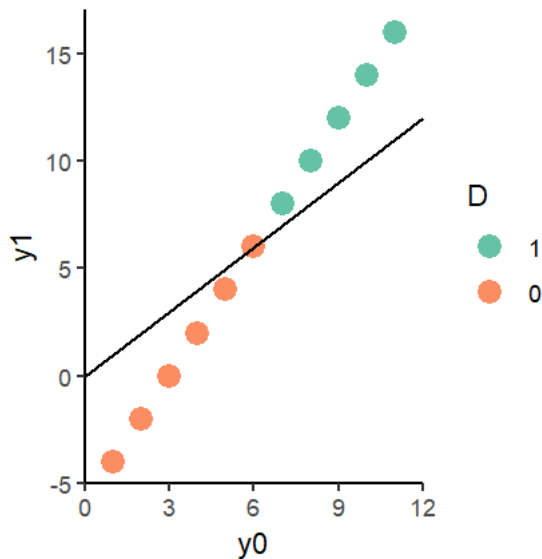


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  - ▶ Countries which can boost their GDP growth by becoming a democracy choose to democratize
  - ▶ Ex. Mexico? Myanmar?

## Self-Selection Bias

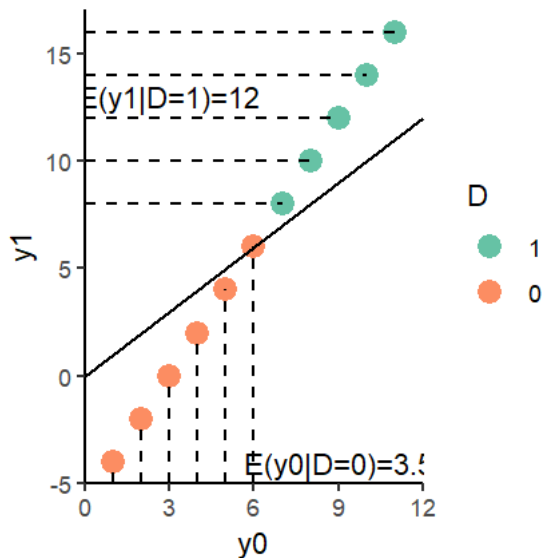


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# DOES OIL HINDER DEMOCRACY?

By MICHAEL L. ROSS\*

## INTRODUCTION

POLITICAL scientists believe that oil has some very odd properties. Many studies show that when incomes rise, governments tend to become more democratic. Yet some scholars imply there is an exception to this rule: if rising incomes can be traced to a country's oil wealth, they suggest, this democratizing effect will shrink or disappear. Does oil really have antidemocratic properties? What about other minerals and other commodities? What might explain these effects?

The claim that oil and democracy do not mix is often used by area specialists to explain why the high-income states of the Arab Middle East have not become democratic. If oil is truly at fault, this insight could help explain—and perhaps, predict—the political problems of oil exporters around the world, such as Nigeria, Indonesia, Venezuela, and the oil-rich states of Central Asia. If other minerals have similar properties, this effect might help account for the absence or weakness of democracy in dozens of additional states in sub-Saharan Africa, Latin America, and Southeast Asia. Yet the "oil impedes democracy" claim has received little attention outside the circle of Mideast scholars; moreover, it has not been carefully tested with regression analysis, either within or beyond the Middle East.

I use pooled time-series cross-national data from 113 states between 1971 and 1997 to explore three aspects of the oil-impedes-democracy claim. The first is the claim's validity: is it true? Although the claim has been championed by Mideast specialists, it is difficult to test by examining only cases from the Middle East because the region provides scholars with

\* Previous versions of this article were presented to seminars at Princeton University, Yale University, and the University of California, Los Angeles, and at the September 2000 annual meeting of the American Political Science Association in Washington, D.C. For their thoughtful comments on earlier drafts, I am grateful to Pradeep Chhibber, Indra de Soya, Geoffrey Garrett, Phil Keefer, Steve Knack, Miriam Lowi, Ellen Lust-Okar, Lant Pritchett, Nicholas Sambanis, Jennifer Widner, Michael Woolcock, and three anonymous reviewers. I owe special thanks to Irfan Nooruddin for his research assistance and advice and to Colin Xu for his help with the Stata. I wrote this article while I was a visiting scholar at The World Bank in Washington, D.C. The views I express in this article, and all remaining errors, are mine alone.

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- ▶ Under what conditions can you recover the real treatment effect?

## Section 4

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  - ▶ How much can we learn with better research design?
  - ▶ **Model-Based Solutions:** Not so much.

# Rest of the Course

		<b>Independence of Treatment Assignment</b>	<b>Researcher Controls Treatment Assignment?</b>
<b>Controlled Experiments</b>	Field Experiments	✓	✓
	Survey and Lab Experiments	✓	✓
<b>Natural Experiments</b>	Randomized Natural Experiments	✓	
	Instrumental Variables	✓	
	Discontinuities	✓	
<b>Observational Studies</b>	Difference-in-Differences		
	Controlling for Confounding		
	Matching		
	Comparative Cases and Process Tracing		