

# Evaluating U.S. Public Pension Policy

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# Introduction

- ▶ US state pensions are underfunded
  - ▶ in aggregate, a \$1.5 trillion deficit [Pew, 2019]
  - ▶ mechanically, low returns + low savings
  - ▶ governance issues
- ▶ Reforms have been implemented
  - ▶ RI [2011], NJ [2011], OK [2015], MN [2018]
  - ▶ reform *levers*
    1. accounting practices
    2. plan participant compensation
  - ▶ constituents
    - (i) current v retired workers
    - (ii) plan members v taxpayers

# Research Question(s)

- ▶ **Question:** What is the welfare impact of pension reform on state constituents?
  
- ▶ Particularly:
  1. Oklahoma reform [2015] (Today)
  2. Rhode Island reform [2011]
  
- ▶ Policy experiments:
  1. Reforms applied to other states
  2. Discount rate reform
  3. Pension obligation bonds (POBs)

# Preview of Results

- ▶ OK reform in OK:
  - (1) large welfare losses in public sector
    - ▶ cost-of-living-adjustment (COLA) freeze
  - (2) small welfare gains in private sector
    - ▶ reduced tax level & volatility
  - (3) young cohorts fare better
    - ▶ capture long-run benefits

# Model Overview

- ▶ Agent lifecycle problem
  - ▶ working and retirement periods
  - ▶ private and public sector work
  - ▶ public workers receive pension
- ▶ Joint distribution of agents
  - (i) by age
  - (ii) by job sector
  - (iii) through time
- ▶ State fiscal authority
  - ▶ balanced budget rule and pension funding rule
  - ▶ *limited commitment* to pension funding → chronic underfundedness
- ▶ **Contribution:** comprehensive state-level welfare analysis

# Agent Problem

- ▶ Workers live for ages  $t = 1, 2, \dots, 80$ 
  - ▶ mortality risk  $p(t+1|t)$
- ▶ CRRA preferences over consumption  $c$
- ▶ Discount future with  $\beta$
- ▶ For each age, choose
  - (i) consumption  $c$
  - (ii) savings  $a$
  - (iii) portfolio investment  $\alpha$subject to available wealth  $x$

# Agent Problem

## Working, Retirement Stages

- ▶ Fixed retirement at age 45
- ▶ In working stage, receive exogenous wage  $w(s, t, \epsilon, \eta)$ :
  - (i) job sector  $s \in \{pub, priv\}$
  - (ii) deterministic age trend
  - (iii) idiosyncratic, transitory shock  $\epsilon$
  - (iv) idiosyncratic, persistent shock  $\eta$
- ▶ Wage tax  $\tau(\chi, T)$ :
  - (i) pension funded ratio  $\chi$
  - (ii) model time  $T = 1, 2, \dots$
- ▶ In retirement, workers receive sector-specific annuity  $b^s$

# Agent Problem

► Worker state:  $\varsigma = (x, t, s, \eta, \chi, T)$

► Agent solves:

$$V(\varsigma) = \max_{c, a, \alpha} u(c) + \beta p(t+1|t) E[V(\varsigma')|\varsigma]$$

$$s.t. \quad c + a = x$$

$$s.t. \quad x' = [\alpha R' + (1 - \alpha)R^f]a + \\ (1 - \tau(\chi', T + 1))w(s, t + 1, \epsilon', \eta')$$

$$s.t. \quad \chi' = \Gamma(\chi, R', T + 1)$$

$$s.t. \quad c \geq 0, \quad \alpha \in [0, 1]$$

$$s.t. \quad \text{exogenous processes } \{R', \eta', \epsilon'\}$$



# State Fiscal Environment

## Balanced Budget Rule

- ▶ State populated by agent distribution  $\Phi : s \times t \times T \rightarrow [0, 1]$ 
  - ▶ Age cohort growth rates  $\phi(t, T)$  induce demographic change
- ▶ Fiscal authority sets tax  $\tau = \tau^w + \tau^p$  to balance budget:

$$\underbrace{\tau \sum_s \sum_t \Phi(s, t, T) w(s, t, 0, 0)}_{\text{tax base}} = \underbrace{C(\chi, T)}_{\text{pension contributions}} + \underbrace{\sum_t \Phi(\text{pub}, t, T) w(\text{pub}, t, 0, 0)}_{\text{public wages}}$$

for each year  $T$ , pension funded ratio  $\chi$

# State Fiscal Environment

## Funded Ratio

- ▶ Fixed investment portfolio  $\alpha^P$
- ▶ Public workers receive  $\bar{b}$  in retirement
- ▶ Value of liabilities  $PVL(T)$  at time  $T$ 
  - ▶ method: entry age normal
  - ▶ discount rate  $r^P$
- ▶ Each year, pre-contribution funded ratio defined as

PVL Formula

$$\chi = \frac{\text{Return on Assets} - \text{Distributions}}{PVL(T)}$$

implies unfunded liability  $UFL = (1 - \chi)PVL(T)$

Funded Ratio Formula

## State Fiscal Environment

- ▶ **Annual Required Contribution (ARC)**: contribution such that pension fully funded in long run
- ▶ ARC composed of
  - (1) Normal Cost (newly accrued benefits)
  - (2) Amortized Unfunded Liability
- ▶ **Limited commitment**  $\theta \leq 1$  to pension funding
- ▶ Contributions set as

## Normal Cost Formula

# Equilibrium

## Definition

An equilibrium is defined as a set of stochastic processes  $\{R', \epsilon', \eta'\}$ , and deterministic aggregates  $\{\Phi(s, t, T)\}$  such that for periods  $T = 1, 2, \dots$

1. Agents solve their lifecycle problem
2. Fiscal authority sets  $\tau$  to balance budget
3. Pension policy rules induce the law of motion

$$\chi' = \Gamma(\chi, R', T + 1)$$

# Calibration

- ▶ Pension data: annual public plan financial reports
- ▶ Model parameters split into
  - (1) universal
    - ▶ preferences, prices, wage process
  - (2) state-specific
    - ▶ fiscal policy, demographic distribution
- ▶ Model time  $T = 1, 2, \dots, 45$ 
  - ▶ reforms affect current workers, only
- ▶ Consumption-equivalent welfare (averaged across wealth distribution)

# Oklahoma Reform [2015]

- ▶ Two components
  - (1) Close plan to new entrants
  - (2) Freeze cost-of-living-adjustments (COLAs)<sup>1</sup>
- ▶ Assume 1.6% annual inflation<sup>2</sup>
- ▶ Procedure
  - ▶ for all working cohorts at date  $T = 0$ 
    - ▶ solve no-reform model
    - ▶ solve reform model
  - ▶ simulate both models  $\rightarrow$  wealth distribution  $\rightarrow$  welfare
  - ▶ compare fiscal aggregates, welfare metrics

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<sup>1</sup> Apply COLA freezes only to future annuitants.

<sup>2</sup> Source: Navega Strategies

# Oklahoma Reform [2015]

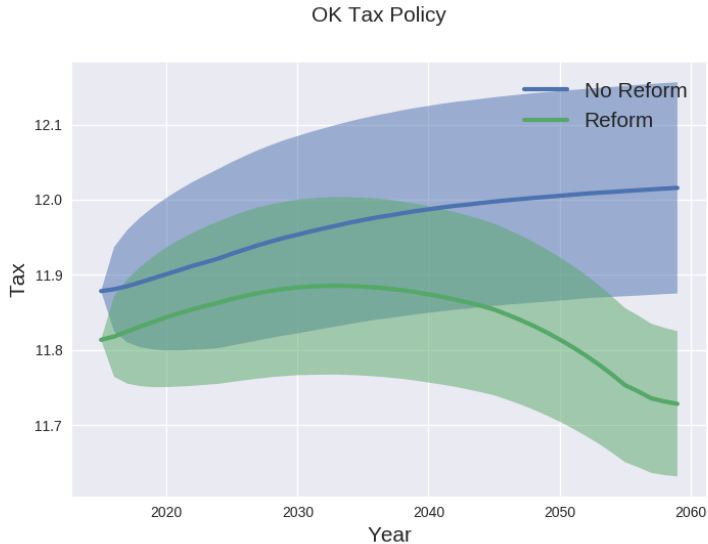
## Pension Balance Sheet: Significant Impact on PVL

### OK Pension Assets and Liabilities



# Oklahoma Reform [2015]

Tax Policy: Reduction in Level and Vol





# Oklahoma Reform [2015]

## Welfare Gains: Large Losses in Public Sector



	Public Sector	Private Sector	Statewide
Baseline $\Delta$ Welfare	-2.46%	0.04%	-0.27%
No COLA Freeze $\Delta$ Welfare	.01%	.01%	.01%

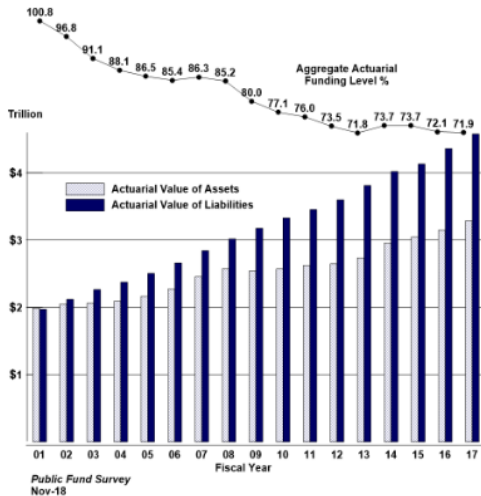
# Next Steps

- ▶ Reform counterfactuals in other states
- ▶ New entrant welfare
  - ▶ model focuses on
    1. transitional features of reform
    2. welfare impact on current workers
  - ▶ consider welfare of new entrants
- ▶ Labor market *indifference*
  - ▶ model: no labor/leisure or employment decision
  - ▶ pros: tractability
  - ▶ half-step: : set wage volatility such that age 1 workers indifferent between public/private sector

OK Reform

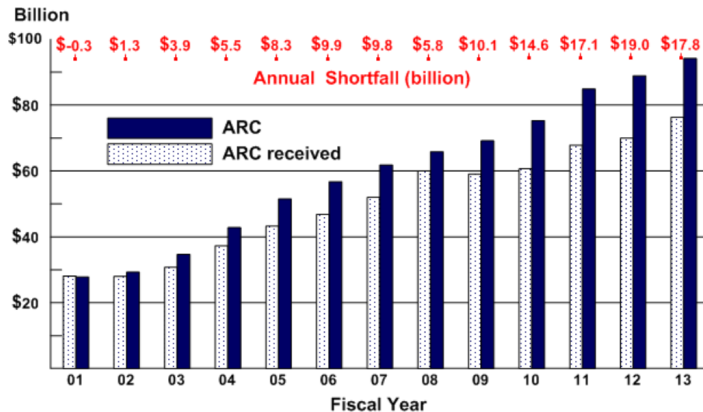
Thank You!

# Aggregate Funded Ratios



[Return](#)

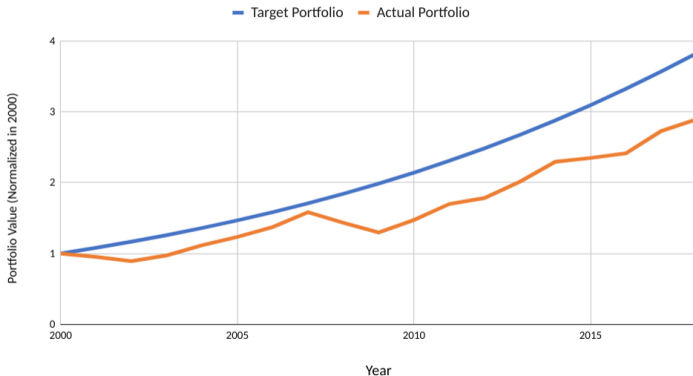
# Annual Required Contributions



[Return](#)

# Target Returns and Investment Performance

U.S. Pension Target Portfolio and Actual Portfolio



Return

# Valuing Pension Liabilities

- At time  $T$ ,

$$\begin{aligned} PVL(T) &= \sum_{j=0}^{\infty} \frac{c_{T+j}}{(1+r^p)^j} \\ &= \sum_{j=0}^{\infty} \frac{1}{(1+r^p)^j} \sum_{k=45}^{80} \Phi(pub, k, T+j) \alpha(T+j, k) \bar{b} \end{aligned}$$

with Entry Age Normal (EAN) accrual factor

$$\alpha(T+j, k) = \begin{cases} 1, & \text{if } k-j \geq 45 \\ \frac{\sum_{k=1}^{k-j} w_k}{\sum_{k=1}^{45} w_k}, & \text{if } k-j < 45 \end{cases}$$

Return

# Funded Ratio Formula

- Given  $(\chi, T)$  today,

$$\begin{aligned}\chi' &= \frac{\text{Return on Assets} - \text{Distributions}}{PVL(T+1)} \\ &= \frac{[\alpha^P R' + (1 - \alpha^P) R^f] \tilde{\chi} PVL(T) - \bar{b} \sum_{k=45}^{80} \Phi(\text{pub}, k, T+1)}{PVL(T+1)}\end{aligned}$$

where  $\tilde{\chi}$  is post-contribution funded ratio

Return



# Normal Cost

- Define normal cost  $NC(T)$  at time  $T$  as

$$\begin{aligned} NC(T) &= \sum_{k=1}^{45} \Phi(pub, k, T) \sum_{m=1}^{35} \frac{p(45 + m|k)}{(1 + r^p)^{45-k+m}} \frac{w_k}{\sum_{l=1}^{45} w_l} \bar{b} \\ &= \underbrace{\sum_{k=1}^{45} \Phi(pub, k, T)}_{\text{aggregation}} \underbrace{\tilde{\beta}(k)}_{\text{discount factor}} \underbrace{\tilde{b}(k)}_{\text{accrued benefit}} \end{aligned}$$

Return

# Amortized Unfunded Liability

- ▶ The unfunded liability (UFL) is the difference between liabilities and assets:

$$UFL = (1 - \chi)PVL$$

given pension liabilities PVL

- ▶ Given amortization period  $\bar{T}$ , the amortized UFL is

$$AUFL = UFL \frac{r^p}{1 - (1 + r^p)^{-\bar{T}}}$$

Return

# Universal Calibration

Table 1: Universal Parameters

Parameter	Label	Value	Source/Target
$\beta$	Discount Factor	0.96	Standard
$\gamma$	Risk Aversion	10	CGM [2005]
$r_f$	Risk-free Rate	.02	Navega
$\mu_r$	Equity Premium	.04	Navega
$\sigma_r$	Equity Vol	.157	Navega
$\{f(t)\}$	age wage trend	—	CGM [2005], PSID
$\sigma^\epsilon$	Transitory Vol	.074	CGM [2005], PSID
$\sigma^\nu$	Persistent Vol	.011	CGM [2005], PSID
$\{p(t+1 t)\}$	Mortality Risk	—	NCHS
$\lambda(pub)$	Sector Wage Gap	.91	BEA

# State-Specific Calibration

Table 2: State-Specific Parameters

Parameter	Label	Source/Target
$\bar{b}$	Pension Benefit	State Reports
$\{b^s\}$	Social Security	SSA
$r^p$	Stat Discount Factor	State Reports
$\chi^0$	Initial Funded RAtio	State Reports
$\theta$	Contribution Commitment	NASRA
$\alpha^p$	Pension Portfolio	State Reports
$\Phi$	Agent Distribution	UVA Weldon Cooper, NASRA, BEA
$M$	Total Population	2019 PVL
$\bar{T}$	Amortization Window	State Reports

Return

# Consumption-Equivalent Welfare

- ▶ Given utility  $V^*$ , CE  $\bar{c}^*$  defined as

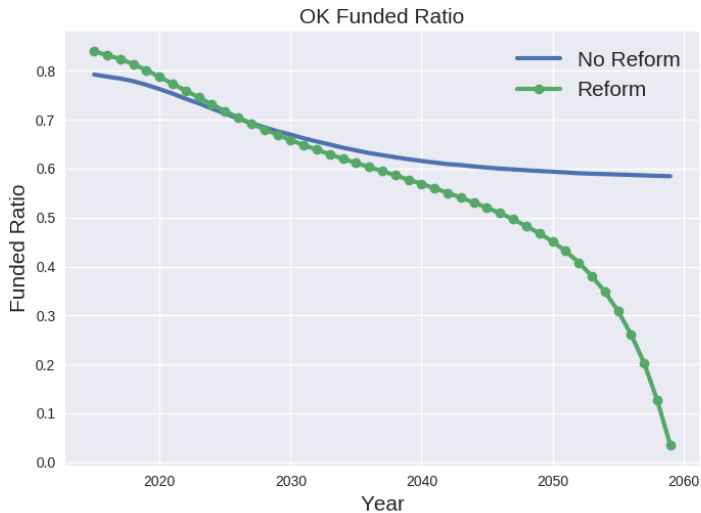
$$V^* = \sum_{t=1}^{80} \beta^t \left( \prod_{j=1}^t p(j+1|j) \right) \frac{\bar{c}^{*(1-\gamma)}}{1-\gamma}$$

- ▶  $V^*$  a function of endogenous agent wealth  $x$
- ▶ For each sector  $s$ ,
  1. simulate baseline w/o demographic change
  2. for each age, collect cross-section of CE values  $\bar{c}_s^*(t, x)$
  3. compute average age-specific CE value

$$\bar{c}_s^*(t) = \int \bar{c}_s^*(t, x) dF(x|s, t)$$

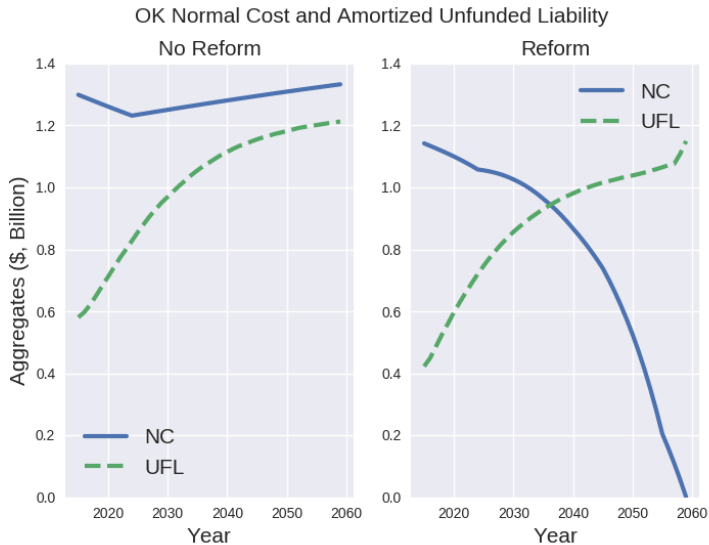
# Oklahoma Reform

## Funded Ratios



# Oklahoma Reform

## Normal Cost and Unfunded Liability



# Oklahoma Reform [2015]

## Applied to Other States

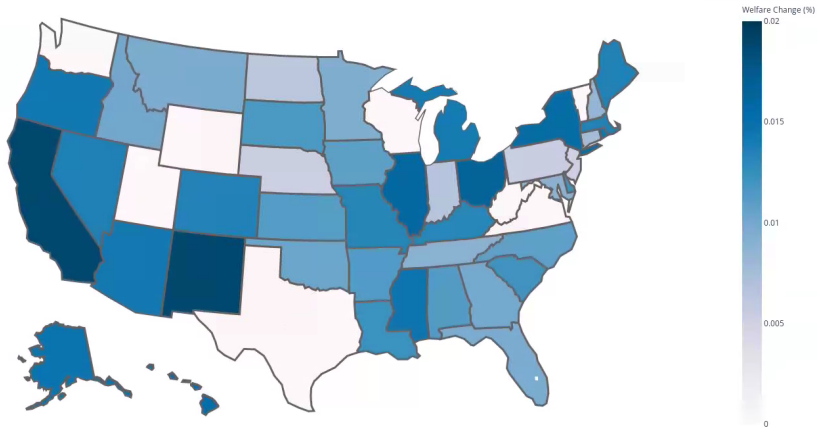
- ▶ Consider OK reform w/o COLA freeze
- ▶ For each state of interest,
  1. re-calibrate model
  2. re-run reform experiment



## Oklahoma Reform [2015]

## Applied to Other States

## Welfare Effects of OK-Style Reform



Return