## 1 Model description

This file contains the Feynman rules for the model ALP\_leptophilic. The Feynman rules have been generated automatically by FeynRules2.3.49.

#### 1.1 Model information

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Date: 24. 03. 2024

### 1.2 Index description

Index	Index range	Symbol
Gluon	1 8	a
SU2W	1 3	j
Generation	1 3	f
Colour	1 3	m
SU2D	1,2	k

## 1.3 Particle content of the model

Class: V(1) = A, Fieldtype: Real Vectorfield.

Indices: Lorentz.

Class: V(2) = Z, Fieldtype: Real Vectorfield.

Indices: Lorentz.

3. Class: V(3) = W, Fieldtype: Complex Vectorfield.

Indices: Lorentz.

Class: V(4) = G, Fieldtype: Real Vectorfield.

Indices: Lorentz, Gluon.

Class: U(1) = ghA, Fieldtype: Ghost Field.

5. Indices: N/A.

6. Class: U(2) = ghZ, Fieldtype: Ghost Field.

Indices: N/A.

7. Class: U(31) = ghWp, Fieldtype: Ghost Field.

· Indices: N/A.

- 8. Class: U(32) = ghWm, Fieldtype: Ghost Field. Indices: N/A.
- 9. Class: U(4) = ghG, Fieldtype: Ghost Field. Indices: Gluon.
- 10. Class: V(11) = B, Fieldtype: Real Vectorfield (Unphysical). Indices: Lorentz.
- 11. Class: V(12) = Wi, Fieldtype: Real Vectorfield (Unphysical). Indices: Lorentz, SU2W.
- 12. Class: U(11) = ghB, Fieldtype: Ghost Field (Unphysical). Indices: N/A.
- 13. Class: U(12) = ghWi, Fieldtype: Ghost Field (Unphysical). Indices: SU2W.
  - Class: F(1) = vl, Fieldtype: Dirac Field.
- 14. Indices: Spin, Generation. Class Members: ve, vm, vt.
  - Class: F(2) = l, Fieldtype: Dirac Field.
- 15. Indices: Spin, Generation. Class Members: e, mu, ta.
  - Class: F(3) = uq, Fieldtype: Dirac Field.
- 16. Indices: Spin, Generation, Colour. Class Members: u, c, t.
  - Class: F(4) = dq, Fieldtype: Dirac Field.
- 17. Indices: Spin, Generation, Colour. Class Members: d, s, b.
- 18. Class: F(11) = LL, Fieldtype: Dirac Field (Unphysical). Indices: Spin, SU2D, Generation.
- 19. Class: F(12) = lR, Fieldtype: Dirac Field (Unphysical). Indices: Spin, Generation.
- 20. Class: F(13) = QL, Fieldtype: Dirac Field (Unphysical). Indices: Spin, SU2D, Generation, Colour.
- 21. Class: F(14) = uR, Fieldtype: Dirac Field (Unphysical). Indices: Spin, Generation, Colour.
- 22. Class: F(15) = dR, Fieldtype: Dirac Field (Unphysical). Indices: Spin, Generation, Colour.

- 23. Class: S(1) = H, Fieldtype: Real Scalar Field. Indices: N/A.
- 24. Class: S(2) = G0, Fieldtype: Real Scalar Field. Indices: N/A.
- 25. Class: S(3) = GP, Fieldtype: Complex Scalar Field. Indices: N/A.
- 26. Class: S(11) = Phi, Fieldtype: Complex Scalar Field (Unphysical). Indices: SU2D.
- 27. Class: S(105) = ALP, Fieldtype: Real Scalar Field. Indices: N/A.
- 28. Class: W(PRIVATE'x1000) = theta, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 29. Class: W(PRIVATE'x1001) = eps0, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 30. Class: W(PRIVATE'x1002) = eps1, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 31. Class: W(PRIVATE'x1003) = eps2, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 32. Class: W(PRIVATE'x1004) = eps3, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 33. Class: W(PRIVATE'x1005) = eps4, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 34. Class: W(PRIVATE'x1006) = eps5, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 35. Class: W(PRIVATE'x1007) = eps6, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 36. Class: W(PRIVATE'x1008) = eps7, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 37. Class: W(PRIVATE'x1009) = eps8, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.
- 38. Class: W(PRIVATE'x1010) = eps9, Fieldtype: Weyl Field (Unphysical). Indices: Spin1.

# 2 Vertices

### 2.1 3-point vertices

• Vertex  $\{ALP, 1\}$ ,  $\{W+, 2\}$ ,  $\{W-, 3\}$ 

$$2ic_{WW}\epsilon_{\mu_2,\mu_3,\alpha,\beta}p_2^{\alpha}p_3^{\beta}$$

• Vertex  $\{a, 1\}$ ,  $\{a, 2\}$ ,  $\{ALP, 3\}$ 

$$-2ic_{FF}\epsilon_{\mu_1,\mu_2,\alpha,\beta}\mathbf{p}_1^{\beta}\mathbf{p}_2^{\alpha}+2ic_{FF}\epsilon_{\mu_1,\mu_2,\alpha,\beta}\mathbf{p}_1^{\alpha}\mathbf{p}_2^{\beta}$$

• Vertex  $\{ALP, 1\}, \{Z, 2\}, \{Z, 3\}$ 

$$-2ic_{ZZ}\epsilon_{\mu_2,\mu_3,\alpha,\beta}p_2^{\beta}p_3^{\alpha}+2ic_{ZZ}\epsilon_{\mu_2,\mu_3,\alpha,\beta}p_2^{\alpha}p_3^{\beta}$$

• Vertex  $\{a, 1\}$ ,  $\{ALP, 2\}$ ,  $\{Z, 3\}$ 

$$2ic_{FZ}\epsilon_{\mu_1,\mu_3,\alpha,\beta}p_1^{\beta}p_3^{\alpha}$$

• Vertex  $\{e+,1\}$ ,  $\{e-,2\}$ ,  $\{ALP,3\}$ 

$$-ic_L\gamma_{s_1,s_2}{}^5\delta_{f_1,f_2}$$

### 2.2 4-point vertices

• Vertex  $\{e+,1\}$ ,  $\{ve,2\}$ ,  $\{ALP,3\}$ ,  $\{W-,4\}$ 

$$ic_{EWV}\delta_{f_1,f_2}\gamma^{\mu_4}.P_{-s_1,s_2}$$

• Vertex  $\{ve, 1\}, \{e-, 2\}, \{ALP, 3\}, \{W+, 4\}$ 

$$ic_{EWV}\delta_{f_1,f_2}\gamma^{\mu_4}.P_{+s_1,s_2}$$