







MASTERARBEIT / MASTER'S THESIS

Master Thesis Title

verfasst von / submitted by

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Submitted in total fulfillment of the requirement of the degree of:

Master of Science (WU)

Matrikelnummer / student ID number: 012329686

Studium / degree programme: Quantitative Finance

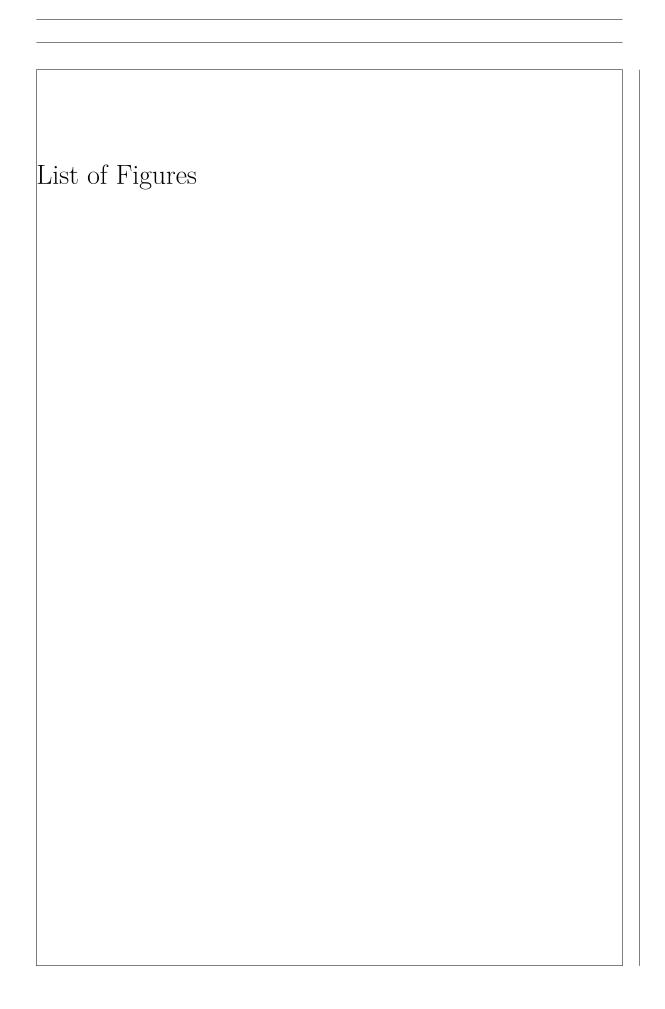
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Wien, August 2025 / Vienna, August 2025

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Preface
This is a Quarto book.
To learn more about Quarto books visit https://quarto.org/docs/books.
1 + 1
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1 Introduction	
This is a book created from markdown and executable code.	
See (knuth84?) for additional discussion of literate programming. 1 + 1	
[1] 2	

2	Summary
In s	summary, this book has no content whatsoever.
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3 Data

3.1 Data extraction and sample construction

I collect daily cryptocurrency data on open, high, close, and low (OHCL) prices, 24-hour volume, and market capitalization (calculated as the cryptocurrency's USD price multiplied by its circulating supply) from CoinCodex, a website-data provider that gathers and aggregates data from more than 400 exchanges. I extract the data using the CoinCodex API as follows:

- 1. I access the list of all available cryptocurrencies and extract each cryptocurrency short-name, also called "slug". At the time of writing this, there are 14,775 cryptocurrencies listed, excluding stablecoins.
- 2. I construct an URL for each cryptocurrency and use it to retrieve the metadata from the API. I parsed the JSON API response into a dataframe and extract the OHCL prices, volume, and market capitalization daily data. I exclude those observations with non-zero or missing values in any of these fields.

- 1. Non-zero and missing values. As mentioned earlier, I exclude observations with non-zero or missing prices, volume, or market capitalization.
- 2. Small market-capitalization. Similar to Liu et al. (2022), I consider only cryptocurrencies with a market capitalization greater than one million USD. Therefore, I remove observations for coins whose market capitalization falls below this minimum threshold which allows for the possibility that a coin may become "small" after a certain period or event.

3.

The sample period ranges from January 1st, 2014, to May 31st, 2025.

From Mercik (2025) Exclude: - Stable coins such as USDT, USDC, DAI, etc. regardless of whether they are centrally managed or algorithmically stabilized. - Exclude coins pegged to or reflecting the value of precious metals - Coins used as guarantees for derivatives platforms.

Organize week in the following way: the first seven days of the year forms the first week, and the first 51 weeks of the year consists of 7 days each. The 52th week of the year consists of the last eight days and, in case of a leap year (as 2016, 2020, and 2024), of nine days.

Similar to Liu et al, I construct a daily cryptocurrency market return as the value-weighted average return of all the cryptocurrencies in the sample. For cryptocurrencies i = 1, ..., N, the daily market return at time t is computed as:

$$r_t^M = \frac{\sum_{i=1}^N r_{it} \cdot marketcap_{it}}{\sum_{i=1}^N marketcap_{it}}$$

The cryptocurrency market excess return (CMKT) is constructed as the difference between the cryptocurrency market return and the risk-free rate. To proxy the risk-free rate, I used the (daily) 1-month Treasury bill rate from the FRED.

3.2 Variable description

3.2.1 Volume shock

Following Bianchi et al. (2022), the volume shock is defined as the log-deviation of trading volume from its rolling average (over 30 or 60 days) for cryptocurrency i at time t. For $m \in \{30, 60\}$ periods, the volume shock is estimated as:

$$v_{i,t} = \log(\text{Volume}_{i,t}) - \log\left(\frac{1}{m}\sum_{s=1}^{m}\text{Volume}_{i,t-s}\right)$$

3.3 Risk

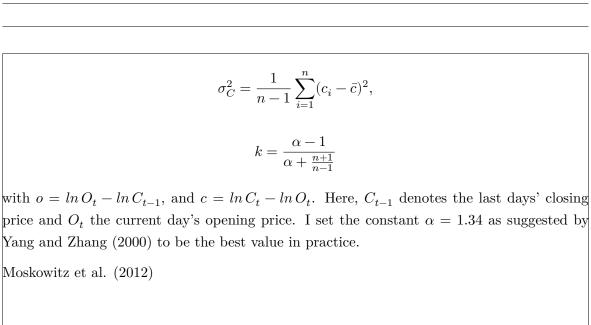
3.3.1 Realized volatility (rvol)

Using the volatility estimator of Yang and Zhang (2000), I compute the daily realized volatility based on OHCL prices over a rolling 30-day window. For n > 1 number of periods, the volatility estimate at time t is:

$$\sigma_t = \sqrt{\sigma_O^2 + k \sigma_C^2 + (1-k) \sigma_{RS}^2}$$

where σ_{RS}^2 is the variance estimator of Rogers et al. (1994), and σ_O^2 , σ_C^2 , k are defined as follows:

$$\sigma_O^2 = \frac{1}{n-1} \sum_{i=1}^n (o_i - \bar{o})^2,$$



Moskowitz et al. (2012)

