Ejercicios.

EJERCICIOS - FUNDAMENTOS DE CALCULO.

Jorge Fuertes

Instalamos y cargamos las librerias necesarias.

```
#install.packages(mosaicCalc)
library(mosaicCalc)
## Loading required package: mosaicCore
## Attaching package: 'mosaicCalc'
## The following object is masked from 'package:stats':
##
       D
##
#install.packages(mosaic)
library(mosaic)
## Loading required package: dplyr
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##
       filter, lag
## The following objects are masked from 'package:base':
##
       intersect, setdiff, setequal, union
##
## Loading required package: lattice
## Loading required package: ggformula
## Loading required package: ggplot2
```

```
##
 ## New to ggformula? Try the tutorials:
     learnr::run_tutorial("introduction", package = "ggformula")
     learnr::run_tutorial("refining", package = "ggformula")
 ## Loading required package: mosaicData
 ## Loading required package: Matrix
 ##
 ## The 'mosaic' package masks several functions from core packages in order to add
 ## additional features. The original behavior of these functions should not be affected by t
 his.
 ##
 ## Note: If you use the Matrix package, be sure to load it BEFORE loading mosaic.
 ##
 ## Attaching package: 'mosaic'
 ## The following object is masked from 'package:Matrix':
 ##
 ##
        mean
 ## The following objects are masked from 'package:dplyr':
 ##
 ##
        count, do, tally
 ## The following objects are masked from 'package:stats':
 ##
 ##
        binom.test, cor, cor.test, cov, fivenum, IQR, median,
 ##
        prop.test, quantile, sd, t.test, var
 ## The following objects are masked from 'package:base':
 ##
 ##
        max, mean, min, prod, range, sample, sum
Ejercicio 1
 #Using D(), find the derivate of:
 g = mosaicCalc::D(3*x^2-2*x+4 \sim x)
```

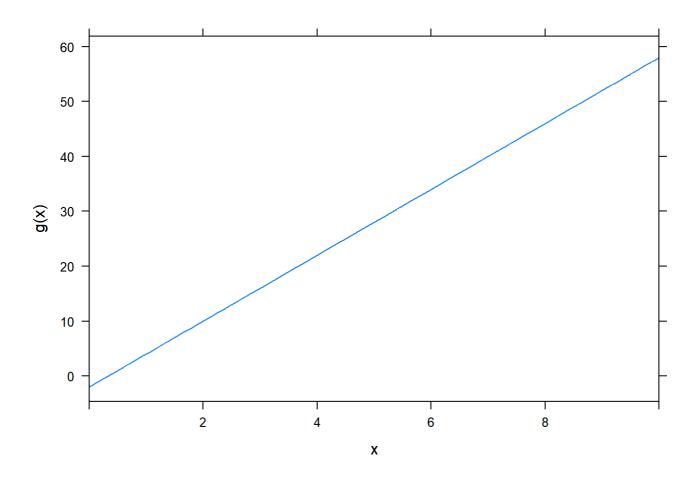
```
#Using D(), find the derivate of:
g = mosaicCalc::D(3*x^2-2*x+4 ~ x)
g

## function (x)
## 3 * (2 * x) - 2

##a)Value of the derivate if x=0:
g(0)
```

```
## [1] -2
```

#b)What does a graph of the derivate function look like?
plotFun(g, x.lim=range(0,10))



#B -> Positive sloping line

Ejercicio 2

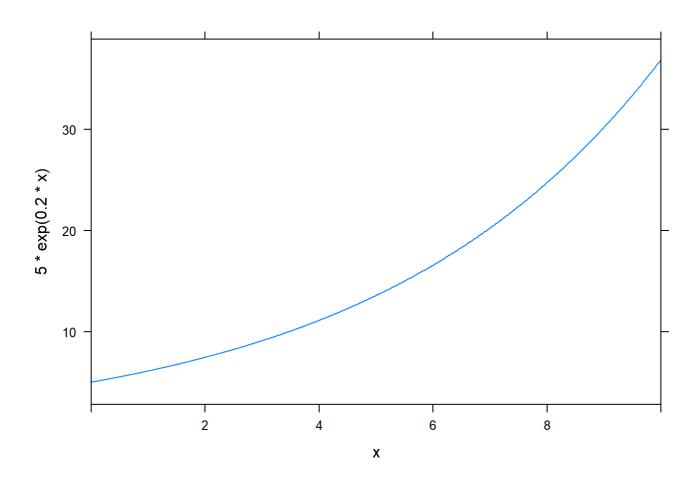
```
#Using D(), find the derivate of:
d = mosaicCalc::D(5*exp(.2*x) ~ x)
d
```

```
## function (x)
## 5 * (exp(0.2 * x) * 0.2)
```

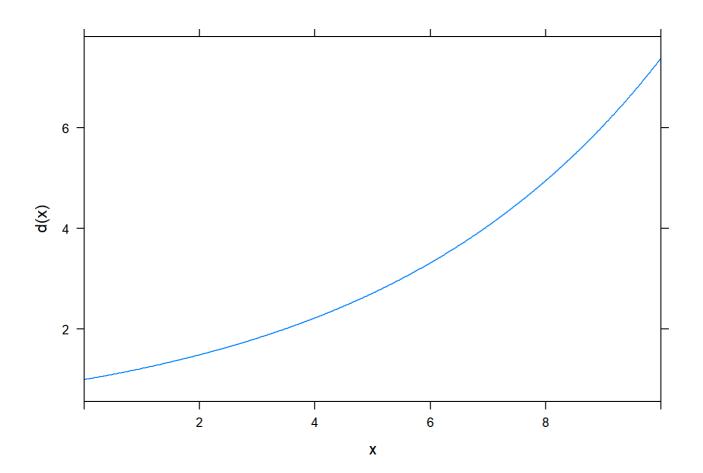
#a)Value of the derivate if x=0: d(0)

```
## [1] 1
```

#b)Plot out both the original expression and its derivate. How are they related at each othe r? plotFun(5*exp(.2*x) ~ x, x.lim=range(0,10))







#B -> Same exponential shape, but different initial values.

Ejercicio 3

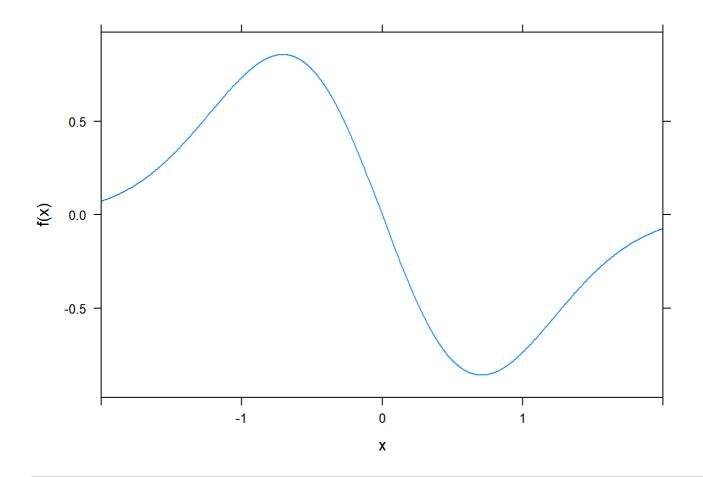
```
#Use D() to finde the derivate of e^{-(x^2)}

f = mosaicCalc::D(exp(-(x^2)) ~ x)

f
```

```
## function (x)
## -(exp(-(x^2)) * (2 * x))
```

```
#Graph the derivate from x=-2 to 2 plotFun(f, x.lim=range(-2,2))
```



#What does the graph look like?

#C -> A positive wave followed by a negative wave.

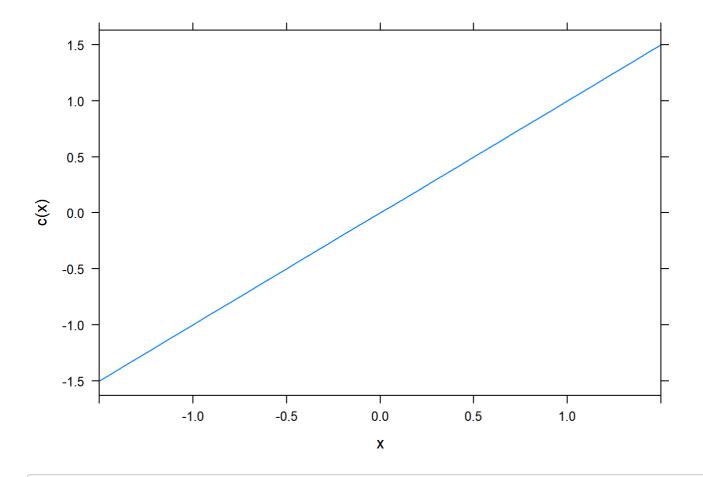
```
#What will be the value of this derivate?
c = mosaicCalc::D(fred^2 ~ ginger)
```

```
## Warning in makeFun.formula(formula, ...): Implicit variables without ## default values (dangerous!): fred
```

c

```
## function (ginger, fred)
## 0
```

```
plotFun(c)
```



#C -> A positive sloping lane

```
#Use D() to find the 3rd derivate of:
v = mosaicCalc::D(cos(2*t) ~ t&t&t)
v
```

```
## function (t)
## sin(2 * t) * 2 * 2 * 2
```

```
#What is it?
#D -> 8sin(2t)

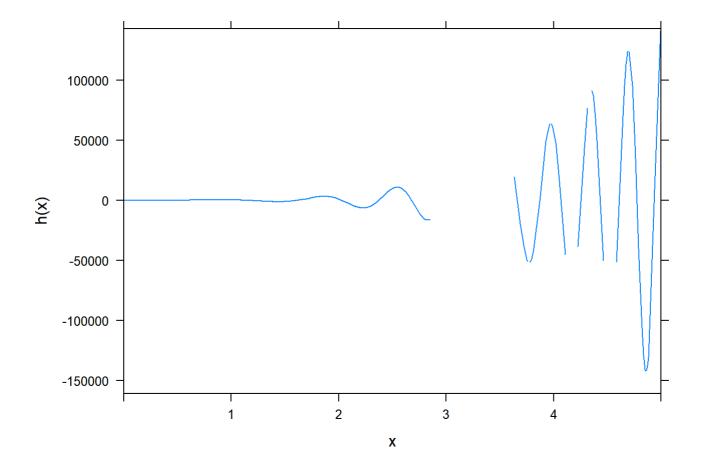
#What is the 4th derivate?
v1 = mosaicCalc::D(cos(2*t) ~ t&t&t&t)
v1
```

```
## function (t)
## cos(2 * t) * 2 * 2 * 2 * 2
```

```
#E -> 16sin(2t)
```

```
#Compute and graph the 4th derivate of:
h = mosaicCalc::D(cos(2*t^2) ~ t&t&t&t)
h
```

```
#What does the graph Look Like?
plotFun(h, x.lim = range(0,5))
```



```
#C -> A cosine whose amplitude increases and whose period decreases as t gets bigger.
#What functions appear in the complicated expresion?
#C -> cos, sin, squaring, multiplication and addition.
```

```
#Use D() to compute several derivate functions:
m=mosaicCalc::D(x*sin(y)~x)
## Warning in makeFun.formula(formula, ...): Implicit variables without
## default values (dangerous!): y
m
## function (x, y)
## sin(y)
m1=mosaicCalc::D(x*sin(y)~y)
## Warning in makeFun.formula(formula, ...): Implicit variables without
## default values (dangerous!): x
m1
## function (y, x)
## x * cos(y)
m2=mosaicCalc::D(m(x,y)\sim x)
## Warning in makeFun.formula(formula, ...): Implicit variables without
## default values (dangerous!): y
m2
## function (x, y)
## 0
m3=mosaicCalc::D(m(x,y)\sim y)
m3
## function (x, y)
## cos((y))
```

```
#And these two mixed partials:
m4=mosaicCalc::D(x*sin(y)\sim x\&y)
m4
## function (x, y)
## cos(y)
m5=mosaicCalc::D(x*sin(y)~y&x)
m5
## function (y, x)
## cos(y)
\#The\ partial\ with\ respect\ to\ x\ and\ to\ y\ are\ identical\ -\ FALSE
m(2,3)
## [1] 0.14112
m1(2,3)
## [1] -1.248441
m(5,8)
## [1] 0.9893582
m1(5,8)
## [1] 2.269297
m(-3,2)
## [1] 0.9092974
m1(-3,2)
## [1] -1.979985
\#The\ second\ partials\ with\ respect\ to\ x\ and\ to\ y\ are\ identical - FALSE
m2(2,3)
## [1] 0
```

m3(2,3)## [1] -0.9899925 m2(5,8) ## [1] 0 m3(5,8)## [1] -0.1455 m2(-3,2)## [1] 0 m3(-3,2)## [1] -0.4161468 #The two mixed partials are identical. That is, it doesn't matter whether you differentiate fi rst with respect to x and then y, or vice versa - FALSEm4(2,3)## [1] -0.9899925 m5(2,3) ## [1] -0.4161468 m4(5,8)## [1] -0.1455 m5(5,8)## [1] 0.2836622 m4(-3,2)## [1] -0.4161468

m5(-3,2)

[1] -0.9899925