# Why Don't Graduation Incentives Work?

## Match Quality and Financial Aid Design\*

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#### Abstract

Recent policy changes limit the scope for university admissions to equitably ration spots at the universities that most improve student outcomes. I investigate whether can instead use graduation-contingent loan forgiveness to improve match quality. While raw means suggest a short-lived loan forgiveness program doubled graduation rates, I show that this difference was entirely driven by selection rather than effects on effort. Exploiting a discontinuity from Pell Grant eligibility, I find no detectable effect of participation on course load, part-time work, persistence, on-time graduation, or earnings. Moreover, consistent with variation in match quality, I find heterogeneity across students in the effect of selective university enrollment on graduation. I incorporate these findings into a structural model of college choice, loan forgiveness take-up, and graduation among admitted students. Given model estimates, I simulate welfare under counterfactual schedules of financial aid. Improved revenue-neutral design of loan forgiveness would lead to large welfare gains including greater statewide graduation rates.

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## 1 Introduction

Some universities are better than others at improving students' long-run outcomes (Dale and Krueger, 2002; Mountjoy and Hickman, 2021; Cunha, Miller and Weisburst, 2017; Chetty et al., 2022). When these universities selectively admit students based on imperfect information, students with relatively high ability, taste, or labor market returns may be screened out. Low match quality with programs can also actively hurt students, especially those who take on debt but are unable to graduate and realize a meaningful boost in earnings. Low match quality also affects taxpayers: much of the \$36.5 billion of annual federal spending subsidizes the enrollment of students who do not ultimately graduate (Board, 2019).

Recent policy changes limit the scope for admissions to equitably ration capacity. First, the Supreme Court case Students for Fair Admissions v. Harvard prohibited universities from considering race when determining admission. Earlier, when California prohibited the consideration of race, it lowered degree attainment and earnings for minority students as they shifted to less-selective universities, consistent with worsening match quality (Bleemer, 2021). Second, Texas Senate Bill 17 banned Diversity, Equity, and Inclusion programs which may damage match quality by exacerbating barriers for underrepresented students. Given these restrictions, how should limited spots at the best universities be allocated? Allocation is particularly difficult with universities' uncertainty about which students will most benefit from enrollment.

This paper sheds light on how financial aid design can improve college match quality by exploiting variation from a novel program that incentivized on-time graduation. Conditional on a rich set of observed characteristics, participants in this program graduated on time at much higher rates. However, with a difference-in-discontinuity design, I find no evidence that participation causal affects on-time graduation or proxies for short-term effort. To reconcile these findings, I estimate a model of students' choice of college, incentive take-up, and graduation outcomes, incorporating selection on unobserved graduation likelihood. I derive the optimal financial aid schedule and show how counterfactual graduation incentives help substantially improve welfare and equity. By contrast, the incentive program as implemented had no measurable impact on ex-ante expected welfare. With high implicit application costs, the program did not influence college choice.

My institutional setting and data are particularly well-suited to studying unobserved variation in graduation likelihood. First, students with high graduation likelihood are most likely to accept incentives for on-time degree completion. The Texas B-On-Time loans ("BOT") program offered moderately sized

interest-free loans and forgave this debt if students completed their degree in 4 years with a 3.0 GPA. Second, any Texas student in the top ranks of their high school is guaranteed admission to public universities, so I can measure how students with diverse backgrounds and abilities respond to financial aid. Third, comprehensive administrative records allow me to precisely measure student ability and the returns to selective universities. For the universe of Texas students, I observe a suite of characteristics, educational achievement through K-12 and higher education, and early-career employment and earnings.

The key identifying variation comes from BOT loans, which lowered the cost of attending college for students who expected to graduate on time. BOT was established through an act of the state legislature in 2003 and funded by a statewide tuition set-aside with the stated purpose of increasing timely degree attainment. The program supported up to \$8000 in tuition per year at 4-year public universities. Virtually all Texas residents were eligible, regardless of ability, need, or program of study. Even students with low chances of on-time graduation could benefit by displacing interest on debt. Only 8 percent of eligible students opted to participate while the program was available. Participants were twice as likely to graduate on time, with demographics, need, and ability explaining a large share of this variation. Conditional on observed characteristics, BOT recipients are 9 percentage points more likely to graduate on time, over a mean of 25 percent.

Higher graduation among BOT recipients appears to entirely reflect selection rather than reduced moral hazard. BOT incentivizes on-time graduation, so participants with positive returns to effort should change their behavior. To identify the causal effect of BOT, I leverage the discontinuity in Pell Grant eligibility. Pell Grants are the largest federal aid program and discontinuously phase out with family income. Several other institutional and private financial aid programs set the same eligibility thresholds, so students just over the cutoff have \$2000 greater net cost of attendance in a typical year. The discontinuity doubles the probability of receiving BOT and the expected amount. Since pre-BOT net cost also varies at the cutoff, I apply a difference-in-RD design, comparing students just above vs. just below the cutoff, in cohorts with access to BOT vs. cohorts without access. The Pell cutoff doubles the probability of BOT participation. However, I do not find evidence of effects on 4-year graduation or proxies for effort like course load, part-time work, and persistence. The null effect for on-time graduation is similar across several alternative specifications and dimensions of heterogeneity. The lack of evidence suggests that, despite greater incentives, the marginal BOT participant cannot exert more effort. Instead, I find suggestive evidence that BOT distorts choices across fields of study. Students choose less difficult majors, i.e., those with higher mean graduation rates. Absent additional effort, students are no more

likely to graduate on-time. Although BOT increases eventual graduation (within 6-years), it fails to increase early-career earnings.

Relative to previous literature, these findings are somewhat unusual. For example, several papers use variation from eligibility discontinuities and typically find that grant aid affects student outcomes (van der Klaauw, 2002; Evans and Nguyen, 2019; Denning, Marx and Turner, 2019). Related graduation incentives often improve outcomes, e.g., universal state grants in Norway (Gunnes, Kirkebøen and Rønning, 2013), need-based privately-funded grants in Wisconsin (Goldrick-Rab et al., 2016), penalties in Germany (Mathias, Martin and Normann, 2006), and short-term incentives in the Netherlands (Leuven, Oosterbeek and van der Klaauw, 2010), but not loan tax rebates in Finland (Hämäläinen, Koerselman and Uusitalo, 2016).

Even without influencing student effort, loan forgiveness can be a powerful tool to mitigate informational asymmetry and improve welfare. Loan forgiveness lowers the effective net cost of attendance for students with high chances of graduation. Replacing low-graduation students at selective universities with high-graduation students has ambiguous welfare effects, depending on the joint distribution of tastes, graduation at selective universities, and graduation at other universities.

To explore the effects of graduation incentives, I present a model of students' choice of university, incentive take-up, and graduation. Students first choose a university, trading off net cost of attendance, graduation likelihood, and distance. Apart from mean quality, these university characteristics vary across students. Next, students apply for loan forgiveness if the expected savings outweigh an idiosyncratic application cost. Finally, each student graduates according to a stochastic process. Anticipating student choices, each university designs a net cost schedule. At this stage, universities only observe student need and maximize a weighted sum of profit and idiosyncratic preferences over student composition. A regulator designs subsidies and loan forgiveness to maximize expected consumer surplus plus the net social value of graduation, subject to budget and capacity constraints. Students may not fully value the benefits of graduation, e.g., additional tax revenue on higher earnings.

Reduced-form evidence supports a key premise of the model: variation in the match quality between students and selective universities. Flagship enrollment increases 4-year graduation by 7 percentage points, 6-year graduation by 10 percentage points, and early career annual earnings by \$2510. Moreover, each effect varies across subsamples by family education, family income, GPA, and high school quality. I estimate these effects following the approach of Dale and Krueger (2002) and Mountjoy and Hickman

<sup>&</sup>lt;sup>1</sup>See Nguyen, Kramer and Evans (2019) for a review. An exception is Rubin (2011) which finds no effect on initial enrollment at the Pell eligibility threshold.

(2021). By controlling for the set of universities that admit a student, I capture the admission offices' collective information about student ability.

Parameter estimates characterize two sources of student heterogeneity that drive student-university match quality. Counterfactual financial aid can increase welfare by improving selection on match quality. First, I verify heterogeneous effects of flagship enrollment on graduation ("value-added"). Unlike regression estimates in prior studies of heterogeneous college quality, these effects flexibly account for unobserved selection on match quality (e.g. Dale and Krueger, 2002; Andrews, Li and Lovenheim, 2016; Mountjoy and Hickman, 2021). Graduation value-added correlates sensibly with observed characteristics and conditional on characteristics, there is substantial heterogeneity in graduation chances. Second, I document heterogeneous preferences for flagship universities, even among students with identical observed characteristics. Moreover, demographics correlate with sensitivity to net cost and graduation chances, which sometimes helps screen students using graduation incentives. I also show that status quo graduation is relatively low because universities deviate from profit maximization more for middle-income students with low value-added.

Using model estimates, I first compare the benefits and costs of the BOT program as implemented. In the model, when students choose a university, BOT lowers net cost if the expected forgiven amount outweighs the expected application cost. I find that implicit application costs are too large to impact college choice. Without effects on effort or college choice, BOT can only increase ex-post welfare as a relatively inefficient transfer to recipients. A small share of students still apply who have both high expected graduation and low realized application cost. BOT resources could be more efficiently spent on lowering the net cost of flagship attendance for a broad set of students, which might help explain why the program was discontinued in 2016. However, if high application costs mostly reflect students being unaware of the program, then BOT may have been effective with greater promotion. In reality, federal rules obstructed universities from referring students to BOT, and the program was not heavily advertised.

Model estimates imply substantial variation in the efficient level of financial aid across students. With perfect information, a regulator could offer each student a personalized financial aid offer that incorporates both observed characteristics and graduation chances at each university.<sup>2</sup> This first-best schedule increases welfare by \$27k per student without lowering revenue or increasing flagship enrollment. The

<sup>&</sup>lt;sup>2</sup>Counterfactuals vary the cost of attending a flagship university, holding other prices fixed. For every counterfactual, universities' producer surplus increases by \$400-800 per student, consistent with institutional frictions and incentive compatibility.

large welfare gain is driven by three factors. First, universities' private objectives do not necessarily coincide with the social objective. I find that universities' valuations of student characteristics are negatively correlated with match quality. Second, due to status quo institutional constraints – namely, staffing and state legislation – universities only consider financial need when allocating need-based financial aid. Even without graduation incentives, a regulator could increase welfare by 80 percent of first-best by considering additional observed characteristics.

Third, status quo financial aid policy offers identical graduation incentives at every university. Advantageous selection requires additional variation in the price difference between flagship universities and alternatives. Moreover, since status quo graduation incentives are optional, any effects are largely concentrated among participants. If instead all students faced a lower final net cost by graduating, there would be stronger selection and higher graduation and flagship universities. Combining ex-ante screening with a universal loan forgiveness policy comparable in size to BOT, the optimal financial aid schedule increases welfare by 92 percent of first-best. Even if the regulator cannot target financial aid based on student characteristics, universal graduation incentives alone increase welfare by 25 percent of first-best.

Counterintuitively, screening financial aid based on the full set of observed characteristics decreases graduation by 3.5 percentage points while increasing welfare. Increasing state-wide graduation requires allocating capacity at a selective university to students with the largest graduation value-added. However, student characteristics that increase value-added often also increase price sensitivity or weaken tastes for graduation. It may be efficient to offer such students a low net cost at a less productive university.

Generally, counterfactual financial aid schedules most increase flagship enrollment for students from historically underrepresented backgrounds. At flagship universities, screening with graduation incentives increases the share of students of color, female students, first-generation students, and students from high schools with low college graduation. Changes are large enough so that these groups are more represented at flagship universities than at other public universities. At the same time, the gap in average family income approaches zero, reflecting cross-subsidization.

This study contributes most to the literature on price discrimination in higher education (Waldfogel, 2015; Epple et al., 2017, 2019; Epple, Martinez-Mora and Romano, 2021). These studies focus primarily on competition between colleges and inferring the colleges' objective functions from financial aid offers with 3rd-degree price discrimination. Empirical results typically suggest that colleges target student composition, offering relative discounts to high-ability and under-represented minority students. This paper emphasizes the opposite question: given a social objective: how can second-degree price discrim-

ination efficiently shift the allocation of students across colleges? This market design emphasis is most closely related to Fillmore (2022), which considers information disclosure through FAFSA and its role in price discrimination. This paper also contributes because the strength of the data allows me to relax assumptions. For example, the richer measures of student ability permit more flexible demand heterogeneity. Relative to studies that also decompose welfare and composition effects of targeted financial aid (e.g., Dobbin, Barahona and Otero, 2022), I characterize optimal revenue-neutral financial aid schedules. Finally, this study is among the first to adapt the intuition of pay-for-performance in insurance to an educational setting: in selection markets, it may be efficient to price-discriminate on both ex-ante and ex-post characteristics.

## 2 Background

In the U.S., university admissions and financial aid are largely decentralized. Before students apply, each university sets the tuition and fees that compose the list price. Universities may also determine capacity, the targeted number of enrolled students in the subsequent year. At public universities, list price is lower for students from the same state. List price may vary across majors within a university, but variation in list price across universities is relatively large. Students can use online calculators to estimate financial aid for each program before applying. Applications for admission generally involve submitting essays, an intended major, and measures of academic performance like high school transcripts or test scores. Universities' admission decisions balance academic preparedness, student interest, and in a broad sense, diversity of student composition. Anticipating that not all new students will ultimately enroll, universities admit more students than capacity.

After admitting students, universities determine financial aid largely based on financial need. Historically, financial need is measured relative to the expected family contribution ("EFC"), a function of family income and wealth. To determine their EFC, students complete the centralized Free Application for Federal Student Aid. Students may also immediately qualify for merit-based aid, e.g., the National Merit Scholarship or Texas Grant, but need-based aid tends to dominate. Students initial net cost of enrollment for each program federal, state, and institution aid from the list price. Final net cost can vary if students apply to special programs like private scholarships. After students choose which program to enroll in, they pay their final net cost through a combination of family resources and loans.

In Texas, state regulations constrain universities' admission and financial aid decisions. Public uni-

versities must automatically admit students in the top 10 percent of their high school cohort. Since 2018, the University of Texas at Austin must admit 75 percent of students through this rule, so the effective threshold lowered to approximately 6 percent. Since 2003, Texas public universities could raise tuition above a previously enforced upper bound. However, a fixed share of incremental tuition revenue must subsidize the tuition of low-income students.

Also in 2003, Texas introduced a state loan program that provides identifying variation for this paper. The program, named B-On-Time ("BOT"), aimed to increase on-time graduation through financial incentives. BOT consisted of zero-interest loans, and the state forgave debt if students graduated within four years of first enrollment. As part of this requirement, students needed to primarily enroll in courses required for their major. All in-state students attending a public university could apply for BOT to supplement their initial financial aid offer. Unlike most state programs, BOT did not require high financial need.

In other settings, graduation incentive programs often consist of a transfer after graduation. The effects of such programs may differ with liquidity constraints, hyperbolic discounting, or loss aversion. Also, over four years, BOT loans can add up to as much as \$32,000, which may be relatively salient. BOT is also quite different than recent federal policies forgiving loans of students long after graduation. Students' choices of university enrollment might change when they anticipate loan forgiveness – both the initial enrollment and how long to work towards graduation.

### 3 Effects of B-On-Time Loans

B-On-Time Loans increased incentives for on-time graduation, but few students participated. This section explores whether such incentives affected student behavior. Participants are much more likely to graduate on time than non-participants with identical characteristics. However, evidence from a discontinuity in financial need suggests that the program did not increase on-time graduation for marginal participants. Combined, these facts imply that students select into the program based on unobserved heterogeneity in predicted graduation.

#### 3.1 Econometric Models

I apply two complementary research designs to disentangle the treatment effect of graduation incentives from Roy-style selection. The first estimating equation assumes selection on observables:

$$Y_{ijt} = \beta_1 BOT_{ijt} + \beta_2 \mathbf{X_i} + \gamma_{jt} + \epsilon_{ijt}, \qquad (1)$$

where  $Y_{ijt}$  is an outcome of interest for student i, with a financial aid application at school j in fiscal year t.  $\beta_1$  measures the effect of BOT take-up on Y under a strict assumption: conditional on students covariates  $\mathbf{X_i}$ , BOT take-up is uncorrelated with unobserved determinants of the outcome. This assumption may be violated, e.g., in a regression with on-time graduation as the outcome. Students with high unobserved ability may be more likely to graduate on-time, while implies greater expected loan forgiveness, leading to greater selection into BOT. In this case, the coefficient of interest would be biased upward.

The second estimating equation applies a difference-in-discontinuity design:

$$Y_{ijt} = \beta_1 \text{Above}_i + \beta_2 \text{Avail}_{jt} \text{Above}_i + \beta_3 f(\text{EFC}_i) + \beta_4 \text{Above}_i f(\text{EFC}_i)$$
$$+ \beta_5 \text{Avail}_{jt} f(\text{EFC}_i) + \beta_6 \text{Avail}_{jt} f(\text{EFC}_i) \text{Above}_i + \alpha \mathbf{X_i} + \gamma_{jt} + \epsilon_{ijt},$$
(2)

where  $Y_{ijt}$  is an outcome of interest for student i, with a financial aid application at school j in fiscal year t. EFC<sub>i</sub> is expected family contribution relative to the cutoff, the running variable. Above<sub>i</sub> indicates Pell ineligibility. Avail<sub>jt</sub> indicates years when BOT was available. Some alternative specifications include student-level covariates  $X_i$  and fixed effects  $\gamma_{it}$ .

The coefficient  $\beta_1$  represents the discontinuity in the outcome in years when BOT was unavailable. It should not necessarily be interpreted as the effect of Pell eligibility, because potential outcomes may not be continuous at the Pell eligibility cutoff. Students in the sample have already applied and been accepted by universities. If Pell-ineligible students face systematically different costs of attendance or choice sets ex-ante, those in the sample may have greater unobserved tastes or resources for attending college. For example, if students with greater unobserved resources are more likely to graduate, then  $\beta_1$  would be biased upwards.

If the discontinuity in potential outcomes is time-invariant, then the coefficient of interest  $\beta_2$  is an unbiased estimate of the incremental discontinuity in the outcome in years during which BOT was available ("BOT years") relative to when it was unavailable. Equivalently, other determinants of the

outcome must not systematically vary at the cutoff in BOT years. Otherwise,  $\beta_2$  represents the net effect of BOT and other factors. I take two potential violations of this assumption most seriously. First, BOT may directly crowd out other sources of financial aid. If students' enrollment choices depend on BOT, universities could offer less grant aid and achieve similar enrollment patterns. Second, the Pell cutoff increases over time, and BOT years are on average later than non-BOT years, so if potential outcomes vary in the level of EFC, then  $\beta_2$  may reflect that difference. I cluster standard errors at the level of university-year.

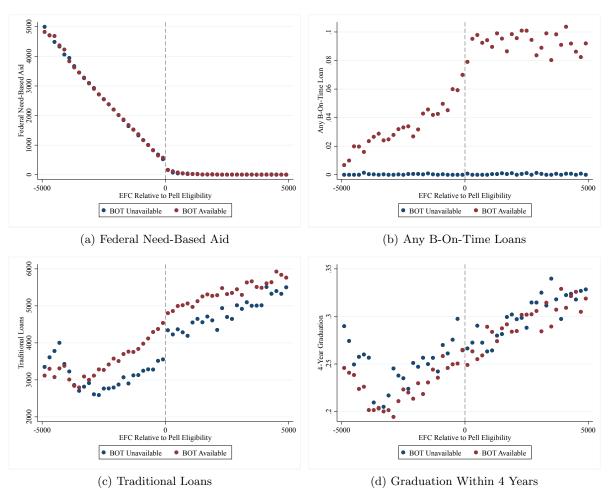
Comparing estimates across research designs is suggestive of selection into BOT on unobserved graduation likelihood. For on-time graduation, the most credible estimate of BOT's effect is the local average treatment effect from Equation (2), calculated by dividing the reduced-form estimate by the first-stage estimate. In the reduced-form, on-time graduation as the outcome, and in the first-stage, BOT-take-up is the outcome. The average treatment on the treated from (1) should be biased upwards relative to the LATE if there is substantial selection into BOT on unobserved graduation likelihood. To address the possibility that potential outcomes vary with EFC, I also estimate (1) among students within a narrow bandwidth of the Pell eligibility threshold.

#### 3.2 Data

To estimate the effect of B-On-Time Loans on student outcomes, I focus on Texas high school graduates who submitted a financial aid application to a Texas public university between 2001 and 2017. Before 2017, I can measure 4-year graduation, the primary outcome of interest. Universities must be present in all years and each have at least one student with BOT loans during the sample period. The discontinuity design uses family resources as the running variable, so I remove the mass point of students who have an EFC of \$0. The Pell eligibility threshold is different for students with unusually high gross cost of attendance, so I remove these students too. To reduce measurement error, students in the sample must ultimately enroll in a public 4-year university.

Figure 1 plots the discontinuities in raw mean outcomes at the Pell eligibility threshold. Across all years, federal aid, which mostly consists of Pell grants, drops off discontinuously generating unmet financial need (Panel A). Pell-ineligible students are approximately twice as likely as Pell-eligible students to take up BOT loans when available (Panel B). BOT appears to substitute for traditional loans, which vary smoothly at the cutoff when BOT is available, but increase discontinuously in other years (Panel C). However, on-time graduation varies smoothly at the cutoff for all years (Panel D). Figures A.1 and

Figure 1: Pell Eligibility and BOT Loans



Notes: The x-axis shows expected family contribution (EFC) minus the maximum EFC for Pell Grant eligibility, which varies by year. Points represent averages of students within \$500 bins of EFC. BOT Available includes students with initial financial aid offers in years when BOT loans were widely available.

A.2 plot additional outcomes.

#### 3.3 Results

Graduation incentives are associated with substantially higher graduation rates. First, Panel A of Table 1 shows estimates for on-time graduation. Regardless of specification or sample, BOT participants have 12 percentage points higher on-time graduation. Column (1) shows a raw correlation among students that apply for financial aid. Relative to this sample's mean graduation of 26 percent, the estimate of 12 percent is almost implausibly large. To ease comparisons across research designs, Columns (2)-(3) focus on students near the Pell eligibility threshold at bandwidths of \$5000 and \$1000, for which mean

graduation is 41 percent. These specifications also add controls for students' initial covariates and fixed effects for year, major, high school, and admission set. Despite these differences, the coefficient on BOT participation is nearly identical. Even if estimates are not causal, the similarity across specifications suggests that selection into BOT is similar across the distribution of financial need.

Estimates from the difference-in-discontinuity design suggest that BOT loans did not impact on-time graduation for marginal students. If the selection-on-observables estimate reflected a treatment effect, then on-time graduation should increase discontinuously at the Pell ineligibility threshold for BOT-eligible students relative to BOT-ineligible students. Columns (4)-(6) of Table 1 show point estimates are nearly zero. Although imprecise, confidence intervals exclude large reduced-form increases in graduation. The local average treatment effect of BOT – which normalizes these estimates by the first-stage estimates – is orders of magnitude smaller than the selection-on-observables estimate. The difference is consistent with substantial selection on unobserved gains into BOT loans. Importantly, BOT take-up is a relevant instrument. The first-stage estimate is large and precise: Pell ineligibility increases BOT take-up by 3 percentage points over a mean of 10 percent (Panel C of Table 1). This estimate is similar across specifications that add control variables or exclude observations near the cutoff.

Estimates for six-year graduation are precise, closing the gap generated by Pell ineligibility in years when BOT is unavailable. Anticipating loan forgiveness, students may make incremental degree progress during the first four years of a program. The type of student making such progress may not be on the margin of on-time graduation. After four years of study, students may perceive a lower cost of finishing their degrees despite needing to repay BOT loans.

Similarly, Table 2 shows that although BOT impacts financial aid, there is limited evidence of reducedform effects on students' program choice, effort, or long-run outcomes. If flagship universities increase
graduation rates, then graduation incentives lower the difference in expected net cost between flagships and alternatives. Price-sensitive students might therefore respond to BOT by increasing flagship
enrollment, but I do not detect an effect. Once at a university, BOT participants might choose less
effort-intensive fields of study to that they can graduate on time. I find that BOT leads to choices of
major with higher mean graduation. The point estimate for majors' mean earnings is positive but imprecise. Once committed to a program, BOT participants might exert more effort toward degree progress
if such effort is effective. Students might register for summer courses or refocus time towards studying,
which in turn should contribute to degree progress. I do not find evidence that BOT increases attempted
credit hours, decreases part-time work, or increases degree progress. Other studies find that students

respond to grant aid by reducing part-time work. The lack of a precise effect here might suggest that the reduction in loans and net cost was not large enough to relax students' budget constraints. Since BOT does not seem to increase effort or on-time graduation, it is surprising that BOT increases 6-year graduation. However, there is no effect on early-career earnings. Typically, college graduation carries some signalling values that corresponds to an earnings increase. Perhaps, the 6-year effect is an artifact of choosing less difficult majors while not exerting incremental effort.

Robustness specifications validate the interpretation of the DRD coefficients: BOT does not affect graduation. First, Table 1, Column (5) shows that estimates are similar without controls for students covariates. This helps address concerns about sample selection at the Pell eligiblity threshold. Second, Column (6) shows that estimates are similar when excluding observations near the threshold. Third, estimates are nearly identical to Column (5) when I do not control for students' net cost of attendance. If net cost directly affects graduation, that effect appears to be uncorrelated with the direct effect of BOT. Table 2 shows a \$8900 lower net cost for marginal students, so the baseline specification controls for net cost to be conservative.

Fourth, I find limited evidence that BOT directly crowds out other sources of financial aid. Universities would need to anticipate BOT receipt based on student characteristics because students apply for BOT after receiving an initial financial aid offer. Table 2 shows no evidence for incrementally higher federal aid from Pell ineligibility in BOT years. The point estimate is approximately zero and the confidence interval rules out large changes. Similarly, point estimates are small and imprecise for merit and non-discretionary aid. Small increases in the gross cost of attendance and discretionary aid are precise, but point estimates are similar. Moreover, the point estimate for discretionary aid is slightly larger so these estimates are inconsistent with crowd-out, i.e., an increase in net cost for universities' choice of financial aid. Fifth, I do not find evidence that the effect is confounded by increases in the Pell eligibility threshold over time. In alternative specifications, interactions with the cutoff level or share of students receiving BOT are imprecise.

Table 1: B-On-Time Loans Take-Up and Graduation

	(1)	(2)	(3)	(4)	(5)	(6)
	(a) Fo	our-Year Gra	duation			
Any B-On-Time Loans	0.120 (0.005) [<0.001]	0.119 (0.010) [<0.001]	0.112 (0.023) [<0.001]			
Pell Ineligible $\times$ BOT Available				-0.000 $(0.011)$ $[0.996]$	$   \begin{array}{c}     -0.001 \\     (0.011) \\     [0.932]   \end{array} $	0.010 $(0.012)$ $[0.439]$
Outcome Mean R <sup>2</sup> Observations	$0.255 \\ 0.002 \\ 284,039$	0.408 $0.176$ $54,247$	0.407 0.304 9,792	0.243 0.089 256,979	0.255 $0.074$ $284,039$	0.254 $0.075$ $272,689$
	(b) S	Six-Year Grad	duation			
Any B-On-Time Loans	0.135 (0.005) [<0.001]	0.047 (0.008) [<0.001]	0.039 (0.017) [0.023]			
Pell Ineligible $\times$ BOT Available	[ ]	[ ]	[]	$0.032 \\ (0.014) \\ [0.027]$	0.027 (0.013) [0.048]	0.035 (0.016) [0.034]
Outcome Mean R <sup>2</sup> Observations	0.515 $0.003$ $253,267$	0.828 $0.157$ $46,894$	0.821 0.304 8,629	$0.513 \\ 0.119 \\ 227,552$	0.515 $0.094$ $253,267$	$0.514 \\ 0.095 \\ 242,962$
	(c) A1	ny B-On-Tim	ie Loans			
Pell Ineligible $\times$ BOT Available				0.030 (0.009) [<0.001]	0.027 (0.008) [<0.001]	0.036 (0.010) [<0.001]
Outcome Mean R <sup>2</sup> Observations	242,962	242,962	242,962	0.036 $0.102$ $256,984$	0.033 0.097 284,046	0.033 $0.097$ $272,695$

Notes: This table shows regression estimates relating B-On-Time Loans and 4-year graduation from the Selection On Observables design – Columns (1)-(3) from Equation (1) – and the Difference-in-Discontinuity Design – Columns (4)-(6) from Equation (2). Column (1) is a raw correlation. Column (2) controls for students' initial covariates and fixed effects for year, major, high school, and admission set, among students with an EFC within \$5000 of the Pell eligibility threshold. Column (3) restricts to a bandwidth of \$1000. Column (4) is a local quadratic difference-in-discontinuity with controls for students' initial covariates, final net cost of attendance, and fixed effects for the financial aid year, among students with an EFC within \$5000 of the Pell eligibility threshold. Column (5) only controls for the net cost and year. Column (6) is identical to (4) but excludes observations within \$200 of the cutoff. Panel names refer to the outcome variable. Panel C represents the first stage effect, so dividing by this coefficient produces the local average treatment effect of Any B-On-Time Loans on Graduation. Although BOT only rewarded four-year graduation, it also predicts overall degree completion. Panel B shows results for six-year graduation. With controls, the raw correlation of 13 percentage points attenuates to 5 percentage points, over a mean of 83 percent.

Table 2: Difference-in-Discontinuity: Pell Ineligible  $\times$  BOT Available

	Estimate	Std. Err.	P-Value	Outcome Mean	$\mathbb{R}^2$	Obs.
Financial Aid						
Federal Aid	0.006	(0.021)	[0.789]	1.661	0.837	256,984
Any B-On-Time Loans	0.030	(0.009)	[< 0.001]	0.036	0.102	256,984
Traditional Loans	-0.418	(0.123)	[< 0.001]	3.987	0.231	256,984
Net Cost of Attendance	-0.889	(0.196)	[< 0.001]	12.115	0.609	256,984
Program Choice						
Enrolled at a Flagship	-0.001	(0.002)	[0.617]	0.169	0.933	256,984
$E[Graduation \mid Major]$	0.011	(0.005)	[0.053]	0.288	0.104	256,984
Effect of Major on Earnings	0.029	(0.144)	[0.839]	-0.248	0.043	256,981
Effort Proxies						
Credit Hours Attempted	1.052	(0.974)	[0.281]	68.077	0.587	256,984
Contemporary Employment	0.003	(0.010)	[0.770]	0.759	0.039	256,984
Max Class Rank	0.031	(0.025)	[0.227]	2.301	0.671	256,796
Outcomes						
Graduation Within 4 Years	-0.000	(0.011)	[0.996]	0.243	0.089	256,979
Graduation Within 6 Years	0.032	(0.014)	[0.027]	0.513	0.119	$227,\!552$
Earnings After 8-10 Years	1.119	(0.950)	[0.240]	73.061	0.365	256,984
Balance						
Top $10\%$ Within HS	-0.013	(0.009)	[0.159]	0.213	0.210	269,037
Top $25\%$ Within HS	-0.023	(0.011)	[0.038]	0.402	0.140	269,037
Advanced HS Courses	0.009	(0.069)	[0.897]	3.906	0.252	284,046
White	-0.027	(0.010)	[0.009]	0.421	0.221	284,046
Free-Lunch	0.019	(0.010)	[0.054]	0.244	0.127	284,046
Discipline Days	-0.014	(0.161)	[0.931]	1.834	0.027	284,046

Notes: This table shows estimates of the difference in discontinuities at the Pell eligibility threshold in years with B-On-Time loans, i.e.,  $\beta_2$  from Equation (2). The specification corresponds to Column (4) in Table 1: a local quadratic difference-in-discontinuity with controls for students' initial covariates, final net cost of attendance, and fixed effects for the financial aid year, among students with an EFC within \$5000 of the Pell eligibility threshold. All monetary measures are scaled down by 1000.

## 4 Theoretical Framework

#### 4.1 Model

I model the choices of students, universities, and a regulator to rationalize the effects of BOT loans and quantify welfare and graduation under counterfactual schedules. The regulator first sets a policy, then universities set financial aid schedules, then students choose a university, and then students exert costly effort toward degree completion and human capital accumulation. I describe these components in reverse order.

THE STUDENT. Student i is characterized by characteristics at the time of college application,  $\mathcal{X} \equiv \{X, h_0\}$ , and preferences over university characteristics  $\theta_i$ . X includes characteristics observed by the econometrician such as demographics and measures of ability.  $h_0$  is the stock of human capital.

After college, students' earnings increase in their human capital stock and graduation status, which is used as a signal by employers. During college, anticipating future earnings, students repeatedly choose how much costly effort to exert studying. Effort increases human capital accumulation and the probability and speed of graduation. Both outcomes may vary across universities based on educational quality and accessibility. Effort below a threshold is equivalent to dropping out and forgoing graduation to enter the labor market. Effort and part-time paid work are substitutes and bounded above by a time constraint. Students value current consumption and leisure as well as the present discounted value of future earnings. Each semester, idiosyncratic shocks to income and demands for time can influence students' choices. The sequence of shocks induce an ex-ante probability of graduation  $g_{ij}$ . For example, small changes to family income can discontinuously change financial aid, making attendance unaffordable. Alternatively, the combination of current human capital and local labor market conditions creates variation in the value of full-time work without degree completion relative to current college enrollment.

At the start of college, after choosing a program, students may have the choice to take on graduation incentives. In that case, they minimize the expected net cost of attendance, anticipating the probability of graduation, to help smooth future consumption. I assume that students are risk-neutral. With BOT loans, but not counterfactual (universal) graduation incentives, take-up requires an application cost. The random idiosyncratic portion of this cost is realized after choosing a program.

Students choose the university program that maximizes expected indirect utility. Indirect utility is a linear function of the program's mean quality, net cost, distance from family, the continuation value of enrollment, and idiosyncratic taste shocks. Preferences over program characteristics can vary

across students. Students maximize indirect utility in expectation because of uncertainty about future choices. First, net cost depends on a student's anticipated choice of BOT take-up and future graduation. At this point, the idiosyncratic BOT application cost is not yet realized. Second, the continuation value of enrollment depends on a student's anticipated choices of costly effort. Counterfactuals may understate changes to indirect utility if students value other time-varying program characteristics, e.g., the demographics of other enrolled students.

THE UNIVERSITY. University j is characterized by its preferences over student characteristics,  $\theta_j$ , capacity  $Q_j$ , per-student budget  $R_j$ , and two production functions, human capital  $f_{h,j}$  and degree completion  $f_{g,j}$ . At the time of financial aid determination, the university only observes a subset of characteristics  $X_0 \in \mathcal{X}$ . Anticipating students' enrollment choices, the university chooses a financial aid schedule to maximize the expected sum of revenue and valuations of student characteristics, subject to budget and capacity constraints. Revenue equals the student-paid net cost plus federal and state subsidies. Marginal valuations may be higher for some students if universities seek to maintain diversity in enrolled students' demographics. Diversity might be valued due to its downstream effects on reputation and educational quality. Universities cannot increase enrollment beyond capacity without substantial fixed costs, so financial aid helps ration spots among admitted students.<sup>3</sup>

Generally, a financial aid schedule  $P_j$  maps student characteristics and outcomes to a student-specific net cost of attendance for each university j. In the status quo, financial aid schedules depend only on university-observed  $X_0$ , i.e. expected family contribution. Students can apply for small additional scholarships, but at the time of university choice, they anticipate paying the net cost from the schedule.

THE REGULATOR. The regulator values a weighted sum of students' consumer surplus, universities' producer surplus, and externalities of higher education, in expectation. Subject to incentive compatibility constraints and a statewide budget constraint, regulation can affect students' net cost through restrictions on list price, in-kind tuition subsidies, or direct transfers to students. Through such regulation, a financial aid schedule might condition on a broad set of student characteristics – i.e., those in administrative records – as well as graduation outcomes.

Generally, an equilibrium is characterized by a set of financial aid schedules that clears the market subject to subsidies, regulation, constraints, and students' privately optimal choices of enrollment. To illustrate the effects of loan forgiveness, I simplify the problem: the regulator directly sets financial aid schedules, valuing consumer surplus and externalities, subject to universities' constraints and an added

<sup>&</sup>lt;sup>3</sup>In Texas, flagship university capacity is regulated.

participation constraint. In expectation, each university must weakly prefer a counterfactual financial aid schedule to the status quo. The regulator may be able to improve producer surplus because institutional constraints limit universities' information set and the feasible space of financial aid schedules.

#### 4.2 Discussion

The model helps interpret estimates of the effects of BOT loans. If students' initial choice of effort is an interior solution, then BOT increases effort by increasing the marginal benefit of on-time graduation and relaxing the budget constraint. BOT also relaxes the budget constraint: with a low net cost, students require less income from part-time employment, which in turn frees up time for effort and leisure. Among marginal BOT recipients, effort must already be at its upper bound, because BOT does not measurably affect proxies for effort. Marginal BOT recipients and other students exert similar levels of observed effort, suggesting that graduation incentives are generally unlikely to increase effort.<sup>4</sup> I interpret the upper bound of effort as structural in the context of marginal changes to financial aid. However, other policies outside the scope of this paper may improve the initial stock of human capital or mitigate external constraints on student resources and result in greater effort and graduation.

In the model, all else equal, average graduation at flagship universities is weakly increasing in graduation incentives. Even with no taste for graduation, incentives lower the net cost for high-graduation students and increase the net cost of low-graduation students. High-graduation students replace others if all students are sensitive to net cost. However, incentives may not increase welfare relative to fully screening on observables. Here, the benchmark is designing a financial aid schedule that depends on all student characteristics and maximizes social welfare. In the status quo, financial aid schedules are privately rather than socially optimal and depend on a subset of student characteristics. If value-added is positively correlated or uncorrelated with flagship graduation likelihood, such an increase might correspond to similarly lower graduation at non-flagship universities. Likewise, if a marginally selected student has similarly high graduation at both flagship universities and alternatives, he would not derive additional surplus from graduation. Other students are made worse off, either paying a higher net cost to still enroll at a flagship or displaced to their otherwise second-choice enrollment. Lower welfare among these students can be efficient with a large social weight on graduation relative to student consumer surplus, and a sufficiently positive correlation between flagship graduation chances and value-added.

<sup>&</sup>lt;sup>4</sup>Here, I also assume that these sets of students do not vary systematically in their inputs to the costly effort problem, e.g., the upper bound on effort and the cost of effort.

## 5 Estimation

#### 5.1 Data

I focus on students admitted to at least one flagship university and one other public university. Students in the estimation sample both graduated from a Texas high school in the top 10 percent of their class and submitted a FAFSA between 2001 and 2017. Relative to the sample used for reduced-form analysis, the estimation sample includes greater variation in family income and relatively high-achievement students. I observe one financial aid offer per student per year, typically for the university at which they first enroll. I use the first available and calculate the net cost as the cost of attendance minus all forms of grant and scholarship aid as well as work-study funding. Cost of attendance is typically greater than tuition due to estimated costs of living like housing. Cost of attendance may vary across students within a school-year due to state rules governing tuition discounts which are separate from aid.<sup>5</sup> I bound net cost between \$0 and \$100,000, imputing missing values as \$0. I group students into 31 bins; the lowest bin includes those with an EFC of \$0 and the remainder are binned by EFC percentile relative to the year. I predict net cost for all students by regressing net cost on interactions of bins and continuous EFC percentile, separately for each year. I cap net cost for students in the top bin of EFC. I measure miles between students' K-12 district and each university. I measure college graduation for public universities and compare the college graduation year to the high school graduation year.

#### 5.2 Heterogeneity in Value-Added

To motivate key features of the structural model, I test whether the returns to selective universities vary across students. Consistent with prior studies, average returns to flagship enrollment are large for graduation and earnings. Effects vary substantially across subsamples of student demographics. For example, flagship enrollment most increases 4-year graduation for first-generation students, free-lunch-eligible students, and students of color.

I estimate the value-added of flagship universities as the difference in outcomes among students with similar ability and choice sets. The estimating equation follows Mountjoy and Hickman (2021) and Dale and Krueger (2002):

$$Y_{ij} = \beta_1 1[\text{Enrolled Flagship}] + \gamma_{a(i)} + \beta_2 \mathbf{X_i} + \epsilon_{ij}, \qquad (3)$$

<sup>&</sup>lt;sup>5</sup>I impute cost of attendance using the school-year median for some students,

Table 3: Mean Estimates of Value-Added

	(1)	(2)	(3)	(4)	(5)			
	(a)	Four-Year G	raduation					
Enroll Flagship	0.130	0.064	0.070	0.070	0.023			
	(0.003)	(0.003)	(0.007)	(0.007)	(0.047)			
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]			
$\mathbb{R}^2$	0.048	0.155	0.157	0.157	0.114			
Outcome Mean	0.414	0.414	0.414	0.414	0.414			
Observations	94,839	94,839	94,839	94,839	94,839			
(b) Six-Year Graduation								
Enroll Flagship	0.174	0.097	0.101	0.102	-0.050			
	(0.003)	(0.003)	(0.005)	(0.005)	(0.043)			
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]			
$\mathbb{R}^2$	0.056	0.197	0.217	0.217	0.159			
Outcome Mean	0.703	0.703	0.704	0.704	0.704			
Observations	77,705	77,705	77,705	77,705	77,705			
(c) A	nnual Earnii	ngs 8-10 Year	rs Post-HS (7	Γhousands)				
Enroll Flagship	2.191	2.621	2.454	2.510	-10.275			
	(0.314)	(0.319)	(0.486)	(0.484)	(5.516)			
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]			
$\mathbb{R}^2$	0.025	0.033	0.066	0.067	-0.003			
Outcome Mean	54.587	54.587	54.680	54.680	54.680			
Observations	56,833	56,833	56,833	56,833	56,833			

Notes: This table shows the effects of flagship enrollment on medium-run outcomes, with estimates from Equations (3). Column (1) includes basic initial student characteristics observed by every university and a fixed effect for year of enrollment. Column (2) adds average graduation rates conditional on each of high school, major, and admission portfolio. Column (3) adds an admission portfolio fixed effect, which absorbs the corresponding mean graduation rate, and clusters standard errors by admission portfolio. Column (4) adds a control for distance to the nearest flagship. Column (5) instruments for flagship enrollment with distance.

where  $Y_{ij}$  is an outcome of interest for student i with initial enrollment at school j. The key assumption is that, conditional on observed characteristics, students symmetrically sort on unobserved characteristics into a flagship university or an alternative. In that case,  $\beta_1$  represents the effect of initial flagship enrollment on the outcome.  $\gamma_{a(i)}$  is a fixed effect for the set of universities that admitted student i, which may capture both students' and universities' private information about unobserved ability through application and admission decisions. I estimate this equation on the full sample before comparing estimates across subsamples.

First, Table 3 shows a large average treatment effect of flagship enrollment on 4-year graduation (Panel A), 6-year graduation (Panel B), and early-career earnings. Column (1) only controls for basic student characteristics that are observed by the university such as financial need and test scores. Columns (2)-(4)

Table 4: Heterogeneity in Value-Added

	$HS \ge 60$	) miles	High-Grad	uation HS	First-Ger	neration	
	(N)	(Y)	(N)	(Y)	(N)	(Y)	
		(a) Four-Y	Year Graduat	ion			
Enroll Flagship	0.071	0.070	0.076	0.063	0.062	0.078	
	(0.009)	(0.006)	(0.007)	(0.008)	(0.007)	(0.008)	
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	
Outcome Mean	0.419	0.410	0.337	0.492	0.441	0.387	
$\mathbb{R}^2$	0.152	0.172	0.141	0.143	0.160	0.162	
Observations	48,269	45,085	46,621	46,695	48,303	$44,\!887$	
	(b) Six-Year Graduation						
Enroll Flagship	0.111	0.094	0.092	0.112	0.113	0.091	
	(0.007)	(0.006)	(0.006)	(0.007)	(0.006)	(0.007)	
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	
Outcome Mean	0.709	0.698	0.648	0.761	0.738	0.669	
$\mathbb{R}^2$	0.225	0.219	0.197	0.233	0.242	0.203	
Observations	39,265	36,975	38,857	37,383	39,008	37,094	
	(c) Annual	Earnings 8-1	0 Years Post	-HS (Thousa	ands)		
Enroll Flagship	3.867	1.135	1.798	3.122	2.971	1.896	
	(0.530)	(0.601)	(0.477)	(0.818)	(0.818)	(0.442)	
	[<0.001]	[0.059]	[<0.001]	[<0.001]	[<0.001]	[<0.001]	
Outcome Mean	55.239	54.159	51.240	58.556	57.081	52.439	
$\mathbb{R}^2$	0.074	0.077	0.074	0.057	0.066	0.082	
Observations	28,818	26,680	$29,\!176$	26,297	$27,\!459$	$27,\!877$	

Notes: This table shows heterogeneity in the effects of flagship enrollment on medium-run outcomes, with estimates from Equations (3). The specification corresponds to Column (3) from Table 3. It includes controls for basic initial characteristics, fixed effects for the admission portfolio and year of enrollment, and average graduation by high school and major. Each column represents a separate regression on a subsample of students.

add covariates that are not directly observed by the university, which attenuates the coefficient of interest by almost half. This finding is consistent with prior work suggesting students select a university based on their unobserved ability. Estimates are still large: flagship enrollment increases 4-year graduation by 6.4 percentage points over a mean of 41.4 percent; this drives three-quarters of the increase in 6-year graduation; and earnings increase by \$2,621 over a mean of \$54,587. Universities do not observe students' other admissions which proxy ability through selection. Column (3) takes the conventional approach of an admission set fixed effect, while Column (2) instead controls for mean graduation rate by admission set. Both approaches result in similar estimates, which helps reduce the parameter set for estimating the structural model below. In prior studies, estimates are similar when using high-dimensional fixed effects or a low-dimensional approximation (Dale and Krueger, 2002; Mountjoy and Hickman, 2021). Column

Table 5: Heterogeneity in Value-Added: Additional Characteristics

	Top :	10%	Free-L	unch	Wh	ite	
	(N)	(Y)	(N)	(Y)	(N)	(Y)	
		(a) Four-Y	Year Graduat	ion			
Enroll Flagship	0.073	0.070	0.067	0.078	0.070	0.068	
	(0.008)	(0.009)	(0.007)	(0.008)	(0.009)	(0.007)	
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	
Outcome Mean	0.414	0.416	0.437	0.350	0.390	0.441	
$\mathbb{R}^2$	0.149	0.183	0.151	0.183	0.173	0.148	
Observations	46,211	47,019	69,872	23,306	48,069	$45,\!364$	
		(b) Six-Year Graduation					
Enroll Flagship	0.111	0.093	0.107	0.085	0.088	0.113	
	(0.007)	(0.006)	(0.006)	(0.008)	(0.007)	(0.006)	
	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	[< 0.001]	
Outcome Mean	0.701	0.707	0.725	0.639	0.675	0.732	
$\mathbb{R}^2$	0.200	0.258	0.222	0.217	0.218	0.225	
Observations	$39,\!350$	36,787	57,912	18,196	37,579	38,743	
	(c) Annual	Earnings 8-1	0 Years Post	-HS (Thousa	ands)		
Enroll Flagship	2.541	2.631	2.571	2.233	1.799	2.997	
	(0.488)	(0.659)	(0.583)	(0.735)	(0.665)	(0.797)	
	[<0.001]	[< 0.001]	[<0.001]	[0.002]	[0.007]	[<0.001]	
Outcome Mean	54.861	54.602	56.607	48.755	51.210	57.909	
$\mathbb{R}^2$	0.068	0.084	0.060	0.105	0.075	0.066	
Observations	29,681	25,705	42,343	13,018	26,388	$29,\!137$	

Notes: This table shows heterogeneity in the effects of flagship enrollment on medium-run outcomes, with estimates from Equations (3). The specification corresponds to Column (3) from Table 3. It includes controls for basic initial characteristics, fixed effects for the admission portfolio and year of enrollment, and average graduation by high school and major. Each column represents a separate regression on a subsample of students.

(4) adds distance as a control, producing similar estimates and nearly identical  $R^2$ , easing concerns about remaining unobserved variation. Across several settings, distance shifts college enrollment and studies frequently assume that distance is independent of ability.

Second, Tables 4 and 5 show that returns to flagship enrollment vary across student characteristics, particularly relative to mean outcomes. For example, I compare students by the average 4-year college graduations rates of their high school. Students from schools with below-median graduation have a larger point estimate of the effect of flagship enrollment on their own 4-year graduation: 7.6 percent versus 6.3 percent. As a share of mean outcomes, the estimate for high-graduation high schools is nearly twice as large: 23 percent versus 12 percent. The relative returns are similar for 6-year graduation and much smaller for earnings (3.5 percent versus 5.3 percent). Similarly for other subsamples, larger relative

returns on 4-year graduation do not necessarily translate to larger returns for 6-year graduation or earnings. First-generation students, free-lunch-eligible students, and students of color all have relatively large returns to 4-year graduation. On the other hand, I do not find evidence of heterogeneity by distance or high school rank.

Heterogeneity in returns to education is broadly consistent with the literature. Andrews, Li and Lovenheim (2016) use quantile regression to estimate the returns to Texas flagship enrollment. They find a dispersed distribution of earnings effects across students with heterogeneity by race and ethnicity. Bárány, Buchinsky and Corblet (2023) find heterogeneity in the returns to any college completion by age at graduation.

#### 5.3 Empirical Model

I estimate preferences and graduation value-added by maximizing the joint likelihood of the choice of college, BOT take-up, and the probability of graduation:

$$l_i(Y_i, B_i, G_i, X_i) = \int_{g_{f,i}} Pr(G_i \mid X_i, Y_i) Pr(B_i \mid X_i, Y_i, g_{f,i}) Pr(Y_i \mid X_i, g_{f,i}) dF(g_{f,i} \mid X_I)$$

where  $G_i$  indicates observed graduation within 4 years for student i, g is the latent ex-ante probability,  $X_i$  includes observed characteristics (e.g., demographics, financial need, admission set),  $Y_i$  indicates the choice of university, with  $f \in \{0,1\}$  indicating flagship enrollment, and  $B_i$  indicates take-up of BOT loans. Students can choose UT Austin, Texas A&M, or an outside option.<sup>6</sup>

The key timing assumption is that students do not observe the exact cost of applying for BOT until after university enrollment. The university choice incorporates expectations over the distribution of BOT application cost. Since effort is largely unobserved, I also simplify the broader theoretical framework by parameterizing the continuation value of enrollment as linear in ex-ante graduation probability  $g_{f,i}$ . As a slight abuse of notation, I refer to  $g_{f,i}$  as a student-university characteristic. Graduation probabilities vary flexibly depending on whether students enroll at a flagship university. This flexibility reflects that the underlying production functions may vary with university quality. I parameterize  $g_{f,i}$  as a logistic

<sup>&</sup>lt;sup>6</sup>Some students are not admitted to both UT Austin and Texas A&M.

transformation of a linear combination of student characteristics and a normal random variable  $\epsilon_{f,i}^g$ .

$$g_{f(j),i} = \Phi\left(\beta_x^g X_i + \epsilon_f^g\right)$$
$$Pr(G_i \mid X_i, f_i) = G_i g_{f,i} + (1 - G_i) (1 - g_{f,i})$$

Students take-up BOT loans if the expected reduction in net cost of attendance outweighs an idiosyncratic application cost, which is a function of student characteristics and a normally distributed error:

$$Pr(B_{ijkt}) = Pr(g_{f(j),i}\bar{B} - a_{ijkt} > 0), \ a_{ijkt} \sim N(a_{jkt}, \sigma_B)$$
  
 $E[P_{ijkt}^B|g] = \max\{0, g_{f(j),i}\bar{B} - a_{jkt}\}$ 

Students choose a college to maximize indirect utility, a function of net cost of attendance, graduation likelihood, residual mean quality, and a taste shock:

$$u_{ij} = -\alpha_{i} P_{ij} + \beta_{g,i}^{u} g_{ij} + \beta_{d,i}^{u} d_{ij} + \delta_{ij} + \epsilon_{ij}^{u}$$

$$u_{i0} = -\alpha_{i} \bar{P}_{i0} + \beta_{g,i}^{u} g_{i0} + f(|\mathcal{J}_{0}|) + \epsilon_{i0}^{u}$$

$$P_{ij} = P_{ij}^{0} - E[P_{ijkt}^{B}|g]$$

$$\theta_{i} = f_{\theta} (\Pi_{\theta} X_{i} + \epsilon_{\theta}), \ \theta \in \{\alpha, \beta_{g}, \beta_{d}, \delta\}$$

I normalize the outside option intercept  $\delta_{i0}$  to 0. Otherwise identical students who are admitted to more non-flagship universities may have a stronger preference for the outside option. To address this, I include a quadratic function of the count of other admissions.  $\beta_{g,i}$  and  $\alpha_i$  are log transformations of the linear index because indirect utility should not increase in net cost or decrease in graduation. I allow for correlation between  $\epsilon_0^g$  and  $\epsilon_1^g$ . The preference shocks are distributed Type-I extreme value. I integrate over  $\epsilon_0^g$  using quadrature to calculate the likelihood.

Based on reduced-form findings, I assume that BOT has no direct impact on graduation. As a result, observed selection into BOT – among students with identical observed characteristics – identifies the variance in ex-ante graduation likelihood. Within BOT take-up and university choice, variation in graduation rates identifies  $E[g_{f(j)}]$ . Residual correlation between BOT take-up and observed characteristics identifies mean BOT application cost. The correlation between selection into flagship universities and

the corresponding ex-ante graduation probability  $g_1$  separately identifies  $\beta_{g,ik}^u$  and  $\delta_{jt}$  as long as  $g_1$  and  $\delta_{jt}$  have different functional forms. I assume financial need is exogenous so formulaic financial aid is also exogenous of preference shocks. Then the correlation between residual enrollment and financial aid identifies  $\alpha_{ik}$ .

#### 5.4 Estimates

This section provides context for how parameter estimates shape outcomes across counterfactual financial aid schedules. Counterfactual financial aid can increase welfare through selection by improving student-university match. First, match quality is a function of the heterogeneous effects of flagship enrollment on enrollment. Graduation value-added correlates sensibly with observed characteristics. Conditional on characteristics, there is substantial variation in graduation chances driving selection into flagship enrollment and BOT-take-up. Second, heterogeneous preferences for flagship universities produce variation in match quality, even among students with identical observed characteristics. Heterogeneity across demographics produces correlation between graduation value-added and preferences. Third, model estimates imply heterogeneity in universities' marginal costs across students. I interpret this as a relative valuation for middle-income students. In the status quo, graduation is relatively lower because these students face large discounts despite having low value-added.

Parameter estimates in Table 6 show how ex-ante graduation correlates with student characteristics. Relative to regression estimates, these correlations correct for bias from asymmetric selection. Graduation at any university is greater for female, white, high-family-education, Advanced Placement, and Gifted program students. Average graduation rates by admission portfolio, high school, and college major are highly predictive of graduation. Notably, family income is not particularly predictive of graduation chances after controlling for other characteristics and unobserved selection. The one exception is that at non-flagship universities, students with the lowest family income, i.e. zero expected family contribution, have precisely greater graduation chances than students with the highest family income. In estimation, I make the relatively strong assumption that financial aid does not directly impact graduation. This assumption may be reasonable because financial aid is a function of income, and generally, income is not precisely correlated with graduation. Estimates vary for flagship and non-flagship graduation chances so observed characteristics also drive variation in graduation value-added, the increase in graduation chances from enrolling at a flagship. These correlations may not be causal if characteristics correlate with the unobserved component of graduation.

Table 6: Demand Model Estimates

	Intercept	Net Cost	Miles	Value-Added	BOT Cost	$P(Grad \mid f = 0)$	$P(Grad \mid f = 1)$
Intercept	9.388	1.499	-0.344	0.811	2.807	-7.677	-6.641
	(0.309)	(0.022)	(0.042)	(0.131)	(1.048)	(0.124)	(0.092)
EFC Percentile	-3.552	-0.343	0.168	0.710	-0.144	-0.054	0.322
	(0.919)	(0.092)	(0.237)	(0.028)	(0.332)	(0.202)	(0.172)
Female	-0.527	0.013	-0.010	-0.183	0.039	0.179	0.417
	(0.107)	(0.010)	(0.027)	(0.013)	(0.041)	(0.025)	(0.022)
White	0.841	0.115	-0.039	-0.068	0.162	0.114	0.233
B 1 B1 - :	(0.129)	(0.012)	(0.033)	(0.013)	(0.063)	(0.027)	(0.025)
Family Education	-0.480 $(0.078)$	-0.053 $(0.007)$	0.070 $(0.019)$	-0.012 $(0.007)$	-0.001 $(0.027)$	0.059 (0.016)	0.085 (0.014)
Advanced Courses	-0.198	-0.007	0.005	0.123	-0.019	0.047	0.014)
Advanced Courses	-0.198 $(0.018)$	(0.007)	(0.005)	(0.004)	(0.009)	(0.003)	(0.003)
Gifted Program	-0.243	-0.016	0.033	-0.021	0.044	0.156	0.130
Office 1 fogram	(0.109)	(0.010)	(0.028)	(0.011)	(0.044)	(0.024)	(0.021)
E[Graduation   Admissions]	(3.100)	(0.011)	(0.020)	0.592	0.387	4.347	3.708
E[Gradation   Trainissions]				(0.047)	(0.179)	(0.115)	(0.097)
E[Graduation   HS]				0.551	0.219	4.811	3.927
				(0.078)	(0.225)	(0.125)	(0.102)
E[Graduation   Major]				1.916	1.046	6.238	5.863
				(0.104)	(0.175)	(0.137)	(0.114)
HS Residual Family Education				0.190	-0.095	0.150	0.679
				(0.063)	(0.245)	(0.125)	(0.113)
EFC = 0	3.618	0.349	-0.024	-0.619	-1.023	0.150	0.064
	(0.291)	(0.030)	(0.070)	(0.039)	(0.351)	(0.066)	(0.055)
EFC Percentile 1-20	4.887	0.328	-0.034	-0.769	-0.964	0.141	0.085
	(0.479)	(0.048)	(0.114)	(0.036)	(0.357)	(0.101)	(0.085)
EFC Percentile 21-40	4.637	0.293	-0.103	-0.209	-0.357	0.135	0.083
	(0.678)	(0.065)	(0.165)	(0.019)	(0.249)	(0.138)	(0.117)
EFC Percentile 41-60	4.253	0.291	-0.172	0.292	0.181	0.133	-0.043
	(0.878)	(0.084)	(0.219)	(0.018)	(0.289)	(0.175)	(0.151)
EFC Percentile 61-80	2.885	0.189	-0.107		1.790	0.157	0.154
TTT 4	(0.965)	(0.095)	(0.238)		(0.717)	(0.196)	(0.167)
UT Austin	11.504						
	(0.319)						
Other 4-Year Net Cost	-0.008						
Other Admissions	(0.172)						
Other Admissions	-0.325 $(0.093)$						
Other Admissions <sup>2</sup>	-0.049						
Other Admissions	-0.049 $(0.015)$						
Standard Deviation	(0.010)				1.338	0.000	0.977
Started Dovimin					(0.438)	(0.580)	(0.027)
Correlation P(Grad   f=1)					( -)	0.973	, ,
()						(0.004)	

Notes: This table shows model estimates for the Top 10 percent sample with asymptotic standard errors calculated using the approximate Hessian. The coefficient on Net Cost in indirect utility is the negative exponential of a linear combination of student characteristics. The coefficient on Value-Added in a positive exponential of a linear combination of student characteristics.  $P(Grad \mid f = 0)$  and  $P(Grad \mid f = 1)$  are logistic transformations of a linear combination of student characteristics. Standard Deviation refers to a normally distributed random term of each linear combination. The random components of  $P(Grad \mid f = 0)$  and  $P(Grad \mid f = 1)$  are correlated. An indicator for expected family contribution ("EFC") above \$150k is omitted. Indicators for each financial aid year are not shown.

The bottom rows show substantial variation in the unobserved component of graduation. For flag-ships, a one-standard-deviation increase is roughly equivalent to either attending a high school with 25 percentage points greater college graduation or the combined impact of being female, white, having two college-educated parents, and attending a high school gifted program. Second, residual graduation likelihoods are highly correlated between flagship and non-flagship universities: the confidence interval includes 1. Counterfactual financial aid that targets selection on ex-ante observed characteristics may be almost as efficient as a policy that targets selection on unobserved characteristics via graduation incentives.

Although family income is not precisely correlated with graduation, higher-income students place more weight on graduation when choosing a university. Several other demographics that correlate with graduation and value-added – female, white, family education – correspond to lower marginal utility from graduation. Advanced courses and expected college graduation by admission portfolio, high school, and major are positively correlated.

Consistent with prior research, net cost plays a large role in determining college enrollment. Net cost sensitivity is higher for students with more positive point estimates: lower income, white, lower family education, fewer AP courses, and no gifted program. Estimates contrast prior literature in suggesting that preferences for nearby universities are small and generally uncorrelated with student characteristics. The exception is that students with high family education are less deterred by distance.

The intercept term of university indirect utility absorbs remaining differences in the perceived quality of flagship universities relative to alternatives. Generally, demographics that correlate with high graduation correspond to lower mean quality. This pattern rationalizes relatively low enrollment at the high-graduation alternative. A few additional terms discipline the outside option. As expected, students with more non-flagship admissions have a greater outside option value. On the other hand, I do not find evidence of correlation with average net cost of students' non-flagship alternatives, which mitigates concern that students' preferences for non-flagship universities are incompletely modeled.

Figure 2 plots the distributions of students' valuations of university characteristics by normalizing marginal utility for each characteristic by the marginal utility of net cost. Valuations for increased graduation are large and approximately log-normally distributed, consistent with the log-normal earnings potential of college graduates. By contrast, the distaste for distance explains a small fraction of the variation in flagship enrollment. As expected, most students prefer a nearby school, all else equal.

Large and dispersed application costs rationalize why so few students apply for BOT loans. These

10000 8000 8000 6000 6000 4000 4000 2000 2000 0 0 -2 0 UT intercept (\$10k) -4 -0.08 -0.06 -0.04 -0.02 0.00 0.02 0.04 0.06 100 Miles (\$10k) (a) UT Austin Intercept (b) Distance 25000 8000 20000 6000 15000 4000 10000 2000 5000 0 10 15 20 25 30 100% Graduation Value-Added (\$10k) ò 40 Mean BOT Application Cost (\$10k)

Figure 2: Distribution of Student Valuations of University Characteristics

*Notes*: This figure shows distributions across students in valuations of university characteristics, converted to units of \$10,000 by dividing marginal utility estimates by the marginal (dis)utility of net cost of attendance.

(d) B-On-Time Loans Application Cost

(c) Value-Added in Graduation

costs are perhaps too large to be plausible but might be rationalized by information frictions outside the model. Due to federal regulations, universities could not advertise BOT loans, so a large share of students may have been unaware of the program. Application costs might be much smaller among the set of students with knowledge of the program. Also, application costs rationalize some students' distaste for the coursework requirements of BOT loans. To graduate in four years, students could not take many courses outside their majors, and could not choose certain majors that are unlikely to be completed in four years. Students' idiosyncratic preferences for such courses and majors are outside of the model except for unobserved variation in the BOT application cost.

Large application costs for BOT loans imply that BOT had virtually no impact on ex-ante welfare. When choosing a university, the expected gross reduction in net cost of attendance from BOT is negligible relative to expected application costs. If application costs were much lower, some students might have chosen a different university with higher expected graduation and lower net cost via BOT. After enrolling,

students realize their idiosyncratic application costs, which are sometimes low enough to apply. Some of these students graduate and enjoy the ex-post transfer of forgiven BOT loans. However, with a budget constraint, this small ex-post benefit comes at the relatively large cost of greater prices for most students who do not receive BOT loans or do not graduate on time. I rely on the timing assumption that students do not know their exact application cost until after enrolling at a university.

Dispersion in graduation value-added is key for incentives to increase statewide graduation. Figure 3, Panel B shows that higher flagship graduation generally corresponds to higher graduation value-added. Equivalently, graduation increases in ability at all universities, but the slope is larger at flagships. This pattern is consequential for student equity and counterintuitive given prior work studying large compositional changes of selective universities (e.g., Black et al. [TBD] and Bleemer [TBD]). Generally, in those studies, underrepresented students reap relatively large benefits from attending selective universities, while other students are similarly successful regardless of university. In this setting, targeting enrollment towards students with high graduation value-added (and improving statewide graduation rates) may also increase disparities across demographics and universities.

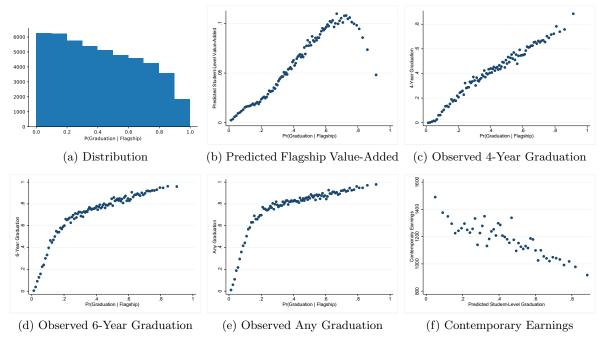


Figure 3: Predicted Ex-Ante Graduation Likelihood

Notes: This figure shows the distribution and correlates of students' ex-ante likelihood of on-time graduation. "Predicted" indicates that a measure is calculated using estimates of the structural model. Figures (b)-(f) are scatter plots showing the means for each percentile of graduation likelihood.

Panel A highlights that predicted ex-ante graduation likelihood at flagship universities is highly dis-

persed, most students have low graduation chances, and even the highest-ability students have meaningful uncertainty about graduation. Estimates fit the data well for both targeted and untargeted outcomes. Predicted 4-year flagship graduation is highly correlated with observed graduation over several time windows. In Panel C, the relationship is highly linear reflecting strong fit. The slope is less than 1 because idiosyncratic preferences drive some students to enroll at non-flagship universities and graduate at lower rates. The difference is largest for students with high flagship graduation chances. At 6 or more years after first enrollment, higher predicted graduation corresponds to higher realized graduation. The relationship is not linear because students with intermediate ex-ante chances graduate eventually but in more than 4 years. Finally, Panel F shows that students with high graduation chances exert more effort towards studying, proxied by less part-time work.

(a) Expected Family Contribution

(b) Graduation Likelihood

(c) Graduation Value-Added

(d) SAT Score

(e) Miles from High School

(f) Texas A&M

Figure 4: Flagship Universities' Relative Valuations of Student Characteristics

Notes: This figure shows the correlates of UT Austin's valuation of students (in units of \$10,000 per student) and their characteristics. Relative valuations are the difference in implied marginal cost between students with EFC above \$150,000 and a given student. Marginal costs are implied by student own-price elasticities and inverting the university's first-order condition. Figures (b)-(f) are scatter plots showing the means for each bin of the x-axis with an equal number of students. By construction, financial aid offers are purely functions of EFC, so any other correlation with relative valuation is driven by its correlation with EFC.

Estimates imply that flagship universities have strong non-pecuniary incentives to enroll middleincome students over low-income students and low-income students over high-income students. I first calculate the effective marginal cost for each student and university by inverting the first-order condition for net cost, given a student's net cost elasticity and federal financial aid. True marginal costs should be approximately equal across students, so I subtract the estimated marginal cost of the wealthiest students to calculate the universities' relative valuation of each student. Figure 4 shows the UT Austin's implied relative valuation of student expected family contribution ("EFC"). Relative valuations increase from the 0th to 25th percentile and then decrease. The peak implie that enrolling a middle-income student is valued approximately \$9500 more than enrolling a high-income student. Since low-income students have lower expected graduation, value-added, and SAT scores, the first-order condition also implies that universities devalue these characteristics. Net cost schedules are a function of EFC, so these secondary correlations do not necessarily represent how universities would target composition with full information. For comparison, relative valuations are uncorrelated with distance and highly correlated between both flagship universities.

## 6 Counterfactual Financial Aid

Using the estimates from Section 5.4, I simulate students' choices under counterfactual financial aid schedules to illustrate the welfare effects of graduation incentives. First, I quantify the total cost of information frictions by deriving students' first-best financial aid offers. In the first best, the regulator has perfect information about all observed characteristics and unobserved graduation likelihood. Second, I decompose information frictions by setting financial aid without graduation changes, instead using the full set of ex-ante characteristics. Third, I add graduation incentives which largely close the gap between these two scenarios. Fourth, I show that graduation incentives can improve welfare even when fixing the status quo average net cost, conditional on observed characteristics. I conclude by assessing the equity implications of optimal financial aid schedules.

Table 7: Average Counterfactual Outcomes Per Admitted Student

olus Consumer Surplu	us Graduation (S	%) Enrollment (%	(6) Revenue	Producer Surplus
2.222	0.550	-1.931	0.318	0.077
2.150	-3.524	-0.021	0.090	0.011
2.101	-3.548	-0.072	0.325	0.013
0.243	1.568	2.522	0.017	0.007
	2.222 5 2.150 8 2.101	2 2.222 0.550 6 2.150 -3.524 8 2.101 -3.548	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

Notes: This table shows key outcomes from counterfactual contract schedules. All outcomes are based on ex-ante expectations over students. Counterfactuals vary FFS the incremental net cost of flagship universities for each student, enforcing capacity and budget constraints. All outcomes are incremental, relative to the status quo. Unless otherwise indicated, outcomes are in units of \$10,000. Revenue is a conditional average among students who counterfactually enroll at a flagship university.

With perfect information about students' graduation chances and demand for flagship enrollment,

the regulator could improve welfare by \$26,820 per admitted student. Fixing the net cost of the outside option, the regulator offers each student a net cost for flagship enrollment that conditions on all observed characteristics and typically unobserved graduation chances. 82 percent of the welfare increase represents student surplus. The remainder largely represents the regulator's valuation of graduation externalities. By varying the difference between flagship universities and their alternatives, the regulator increases graduation by 0.55 percentage points. Graduation becomes higher at all universities – not just flagships – as students further select on graduation value-added. Despite greater efficiency, enrollment at flagships decreases by nearly 2 percentage points. Estimated welfare does not reflect that educational quality might improve with lower student-faculty ratios.

Even without perfect information, the regulator can achieve 80 percent of the first-best welfare increase by targeting financial aid based on students' ex-ante observed characteristics ("Screening"). In the status quo, financial aid only conditions on expected family contribution, which reflects a relatively small share of the variation in student demand. Moreover, as discussed in Section 5.4, universities' privately optimal financial aid schedules target students with relatively low graduation value-added. With improved screening, consumer surplus is nearly identical to first-best. Even though the regulator values graduation, the schedule leads to a large decrease: 3.5 percentage points lower than the status quo. Two patterns drive this large and counterintuitive decrease. First, there is substantial unobserved variation in graduation chances. Second, conditioning on observed characteristics, students with high graduation value-added have relatively low consumer surplus or low net cost elasticity.

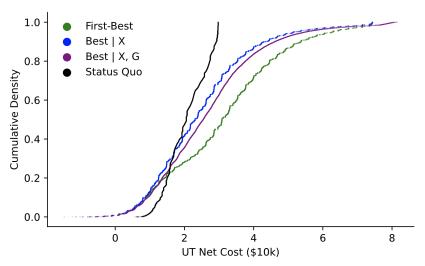
Combining screening with graduation incentives can achieve 92 percent of the first-best welfare increase. With incentives, students receive an additional discount on net cost when graduating. For comparability to the status quo, I fix this discount at a size similar to status quo BOT loans. Efficiency may further improve if the incentive varied optimally with student observed characteristics. With any incentive versus screening alone, the ex-ante net cost is higher so that the budget balances. Average outcomes are similar to screening alone because of the correlation between graduation value-added and net cost elasticity. Graduation incentives lower flagships' expected net cost and improve welfare for targeted students, but these discounts may not be cost-effective. Greater welfare from students who have high value-added may not outweigh lower welfare from other students who have high surplus despite low value-added.

Without screening, graduation incentives alone can achieve 25 percent of the first-best welfare increase. Relative to the status quo, prior counterfactuals sometimes lead to large changes in expected

net cost among students who have the same EFC. Such changes may be infeasible under institutional constraints. For example, Texas has a legal requirement that tuition set-asides benefit students below a threshold EFC. Now, I fix average net cost by EFC at the status quo level while adding a graduation incentive. This approach limits redistribution across income, but allows redistribution across match quality. Students' consumer surplus increase is an order of magnitude smaller than prior counterfactuals, but statewide graduation rates increase three times as much as in first best: 1.6 percentage points. With limited variation in unobserved value-added, screening and graduation incentives can be thought of as substitutes. Welfare increases from only screening or only incentives are much larger than the combination of screening and incentives.

Figure 5 shows how counterfactual financial aid schedules largely improve welfare through crosssubsidization. Given the budget and capacity constraints, students with relatively inelastic demand should face higher net costs. Greater revenue from these students permits much lower net costs for the relatively elastic students who most increase social welfare by enrolling at a flagship. Among counterfactual schedules, greater average welfare corresponds to a flatter cumulative distribution function and more redistribution. For example, the first-best schedule is the most progressive because perfect information enables more precise price discrimination.

Figure 5: Cumulative Distributions of Expected Net Cost Across Counterfactual Schedules



Notes: This figure shows the empirical cumulative distributions of net cost of attendance across students in the estimation sample for each counterfactual financial aid schedule. In First-Best, each student receives a personalized financial aid offer to each flagship university that maximizes the social objective given ex-ante student observed characteristics X and graduation likelihood g.

<sup>&</sup>lt;sup>7</sup>Comparisons of this counterfactual to others should be interpreted with caution. Greater enrollment drives part of the increased graduation and welfare. After fixing expected net cost and satisfying the budget constraint, there are no degrees of freedom to bound enrollment below capacity.

Counterfactual financial aid schedules also lead to large compositional changes, which generally benefit students from historically underrepresented backgrounds. Students' incremental consumer surplus and graduation rates correlate with demographic characteristics, so counterfactual financial aid changes the composition of flagship enrollment. Table 8 compares the difference in average characteristics between flagship universities and alternatives. As before, these numbers rely on the sample of Top 10% students admitted to multiple universities, and this sample is not necessarily representative of Texas high school students or overall university enrollment. In the status quo, flagship students are relatively white, low income, female, and low family education, with fewer AP courses. Flagship students come from high schools with quite similar college graduation rates. Besides income, differences are relatively small. First best financial aid most increases flagship enrollment among students from historically underrepresented backgrounds: students of color, first-generation students, students with few AP courses, and students from low-graduation high schools. With cross-subsidization, the gap by income approaches zero. Composition is qualitatively similar across counterfactuals except for graduation incentives alone: flagship students become much lower income and more male.

Table 8: Counterfactual Demographic Composition: Flagship - Alternatives

	(SQ)	(1)	(2)	(3)	(4)
White	0.004	-0.041	-0.030	-0.025	-0.044
Wealth (EFC Percentile)	-0.056	0.003	-0.004	0.002	-0.087
Female	0.007	0.010	0.022	0.029	-0.031
College-Educated Parents	-0.007	-0.083	-0.073	-0.055	-0.108
Advanced Courses	-0.406	-1.207	-1.349	-1.281	-0.686
College Graduation by HS	-0.001	-0.051	-0.046	-0.041	-0.027

Notes: Each cell is a difference in demographic composition between flagship universities and other four-year public universities. For example, 0.4pp more students are white at flagship universities in the status quo. Column numbers index counterfactuals: (1) First-Best, (2) Screening, (3) Screening + Incentive, and (4) Status Quo + Incentive, relative to (SQ) Status Quo. College graduation by HS is the average 4-year graduation (at public 4-year universities) among students that graduated from the same high school.

### 7 Conclusion

This paper demonstrates how revenue-neutral financial aid design can improve both efficiency and equity in how selective universities allocate limited spots. Graduation incentives are expedient at a moment when federal and state policies constrain universities from increasing diversity through admissions. First, increasing variation in financial aid employs students' private information about match quality. Relatively well-suited students become more likely to enroll when faced with lower prices. Second, although graduation incentives are race-neutral (and neutral with respect to all demographics), they happen to also increase enrollment at selective universities among historically underrepresented students.

The benefits of financial aid design require targeting students' selection across universities. Combining evidence from a discontinuity in financial need and a structural model of college choice, I show how historical graduation incentives failed to improve welfare. B-On-Time loans could have improved match quality by changing the relative price of selective universities. Instead, it introduced uniform incentives that aimed to increase effort. In this setting, the marginal student was too constrained to change behavior.

B-On-Time's limitations are instructive for contemporary national and state policies. To target selection and improve match quality, programs must change relative incentives to attend low- versus high-quality universities. As of 2024, the College Cost Reduction Act aims to reduce higher education spending by expanding income-based repayment plans, limiting per-person federal loans, and reducing dispersion in list prices. Lower average costs need to be weighed against unintended consequences for match quality. Tighter bounds on net cost can limit opportunities for screening on price and redistribution.

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## A Additional Analysis

## A.1 Additional Tables and Figures

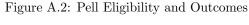
E[Graduation | Major] Enroll Flagship 22 5000 -5000 5000 -5000 0 EFC Relative to Pell Eligibility 0 EFC Relative to Pell Eligibility BOT Unavailable BOT Available BOT Unavailable BOT Available (a) Enroll Flagship (b) E[Graduation | Major] Contemporary Employment .75 Credit Hours Attempted
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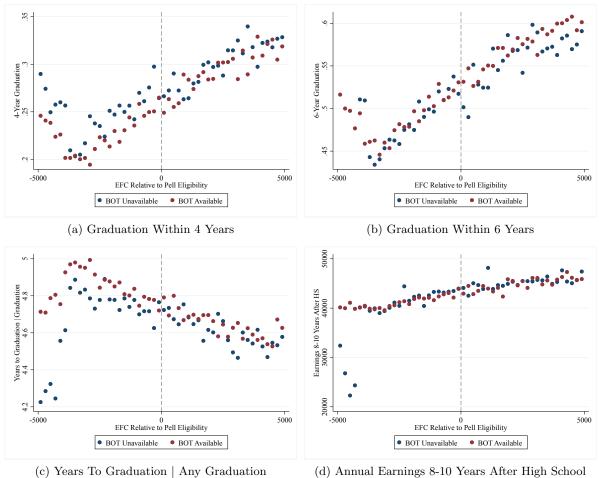
Figure A.1: Pell Eligibility, Program Choice, and Effort

Notes: The x-axis shows expected family contribution (EFC) minus the maximum EFC for Pell Grant eligibility, which varies by year. Points represent averages of students within \$500 bins of EFC. BOT Available includes students with initial financial aid offers in years when BOT loans were widely available.

(d) Credit Hours Attempted

(c) Contemporary Employment





Notes: The x-axis shows expected family contribution (EFC) minus the maximum EFC for Pell Grant eligibility, which varies by year. Points represent averages of students within \$500 bins of EFC. BOT Available includes students with initial financial aid offers in years when BOT loans were widely available.

Table A.1: Difference-in-Discontinuity: Pell Ineligible

	Estimate	Std. Err.	P-Value	Outcome Mean	$\mathbb{R}^2$	Obs.
Financial Aid						
Federal Aid	-0.334	(0.015)	[< 0.001]	1.661	0.837	256,984
Any B-On-Time Loans	-0.002	(0.000)	[< 0.001]	0.036	0.102	256,984
Traditional Loans	0.614	(0.107)	[< 0.001]	3.987	0.231	256,984
Net Cost of Attendance	1.284	(0.149)	[< 0.001]	12.115	0.609	256,984
Program Choice						
Enrolled at a Flagship	0.001	(0.002)	[0.560]	0.169	0.933	256,984
E[Graduation   Major]	-0.008	(0.004)	[0.054]	0.288	0.104	256,984
Effect of Major on Earnings	-0.196	(0.110)	[0.076]	-0.248	0.043	256,981
Effort Proxies						
Credit Hours Attempted	-1.105	(0.800)	[0.168]	68.077	0.587	256,984
Contemporary Employment	-0.005	(0.008)	[0.548]	0.759	0.039	256,984
Max Class Rank	-0.053	(0.020)	[0.009]	2.301	0.671	256,796
Outcomes						
Graduation Within 4 Years	-0.009	(0.009)	[0.334]	0.243	0.089	256,979
Graduation Within 6 Years	-0.033	(0.012)	[0.008]	0.513	0.119	227,552
Earnings After 8-10 Years	-1.224	(0.719)	[0.090]	73.061	0.365	256,984
Balance		, ,				
Top $10\%$ Within HS	0.001	(0.007)	[0.886]	0.213	0.210	269,037
Top 25% Within HS	0.014	(0.008)	[0.105]	0.402	0.140	269,037
Advanced HS Courses	0.049	(0.056)	[0.382]	3.906	0.252	284,046
White	-0.001	(0.008)	[0.908]	0.421	0.221	284,046
Free-Lunch	0.001	(0.007)	[0.867]	0.244	0.127	284,046
Discipline Days	0.031	(0.106)	[0.768]	1.834	0.027	284,046

Notes: This table shows estimates of the uninteracted discontinuity at the Pell eligibility threshold (from years without B-On-Time loans), i.e.,  $\beta_1$  from Equation (2). The specification corresponds to Column (4) in Table 1: a local quadratic difference-in-discontinuity with controls for students' initial covariates, final net cost of attendance, and fixed effects for the financial aid year, among students with an EFC within \$5000 of the Pell eligibility threshold. All monetary measures are scaled down by 1000.