

Termination Semantics

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Termination Model

Rholang can construct infinitely reducing programs.

- An actor may deploy infinitely reducing programs at no cost.

Need to constrain the language to only produce finite (terminating) processes.

- A Rholang program has “terminated” when it ceases to cause effects.

Solution: An actor must pay the miner to construct a termination proof.

Termination Proof

Termination argument search (Turing, 1949): a ranking function $\Phi : \Sigma \rightarrow \mathbf{W}$ maps each program state to an element of a well-order (\mathbf{W}).

- Any well-order will do, but the order must be universal across a validator set.

Termination argument checking (Turing, 1949): a transition invariant $P \rightarrow P' \wedge \Phi(P) \geq \min \mathbf{W} \Rightarrow \Phi(P) > \Phi(P')$ verifies that the well-order value is decreasing.

- Evaluating the program provides a termination proof.
- If termination argument check is false, the program is a counter-example; it must fail.

Termination operation search: a ranking function $\Omega : \mathbf{L} \rightarrow \mathbf{W}$ maps each program operation to an element of a well-order(\mathbf{W}).

- $\Phi(P) > \Phi(P) - \Omega(\rightarrow) = \Phi(P')$.
- Ω is tuned to reflect the computational complexity or “cost” of \rightarrow .

Economic Incentives

Evaluating a program = constructing a termination proof.

- So far, evaluation only consumes miner resources.
- Long-running computations are still free for actor, so there's no disincentive for DoS.

"... just DoS the proof." – Bad Actor

Evaluating a program should consume actor's resources as well, so:

1. Actor specifies a \mathbf{W}_{\max}
2. Actor specifies a conversion rate: $\mathbf{Rev} / \mathbf{W}$
3. Actor purchases \mathbf{W}_{\max} at the conversion rate: $\mathbf{W}_{\max} * (\mathbf{Rev} / \mathbf{W}) = \mathbf{Rev}$,
4. \mathbf{Rev} is removed from actor's account
5. $\mathbf{W}_{\max} = \Phi(\mathbf{P}_{\text{init}}) = \mathbf{ph}_{\text{init}}$
6. If proof fails, \mathbf{Rev} is yielded to miner and all effects of the program are reverted.

Phlo may be distributed to the sub-terms of a process.

$$\frac{(P \mid Q, ph)}{(P, ph) \mid (Q, ph)}$$

Phlo modifications can happen concurrently.

$$\frac{(P, ph) \rightarrow (P', ph') \quad ph' \geq 0}{(P, ph) \mid (Q, ph) \rightarrow (P', ph') \mid (Q, ph')}$$

A process halts if it tries to yield a negative phlo balance.

$$\frac{(P, ph) \rightarrow (P', ph') \quad ph' < 0}{(P, ph) \rightarrow (Nil, ph)}$$

`Deploy(1+1 | 1+1, 2, ...)`

`= S | (1+1 | 1+1, ph = 2)`

`=> S | (1+1, ph = 2) | (1+1, ph = 2)`

`=> S | (2, ph = 1) | (1+1, ph = 1)`

`=> S | (2, ph = 0) | (2, ph = 0)`

Deploy(1+1 | 1+1 | 1+1, 2, ...)

= S | (1+1 | 1+1 | 1+1, ph = 2)

=> S | (1+1, ph = 2) | (1+1, ph = 2) | (1+1, ph = 2)

=> S | (2, ph = 1) | (1+1, ph = 1) | (1+1, ph = 1)

=> S | (2, ph = 0) | (2, ph = 0) | (1+1, ph = 0)

=> S | (2, ph = 0) | (2, ph = 0) | (Nil, ph = 0)

=> OutOfPhloError(OOPE)

Tuplespace Grammar

$C := [S_1, \dots, S_N]$

$S := (!@Q, ph)$	// Ephemeral Write
$(!!@Q, ph)$	// Persistent Write
$(?z.P, ph)$	// Ephemeral Read
$(??z.P, ph)$	// Persistent Read

$T := \{x_1 \rightarrow C_1, \dots, x_n \rightarrow C_n\}$


```
P := @`dataFeed`!!(`data`) | for(z <- @`dataFeed`){*z}
```

```
Deploy(P,...)
```

```
= S | (@`dataFeed`!!(`data`) | for(z <- @`dataFeed`){*z}, ph)
```

```
T := { @`dataFeed` -> [] }
```

```
=> S | (@`dataFeed`!!(`data`), ph) | (for(z <- @`dataFeed`){*z}, ph)
```

```
T := { @`dataFeed` -> [] }
```

```
=> S | (for(z <- @`dataFeed`){*z}, ph')
```

```
T := { @`dataFeed` -> [ (!!@`data`, ph') ] }
```

=> S | (*@"data", ph''')

T := { @"dataFeed" -> [(!!@"data", ph''')] }

=> S | ("data", ph''''')

T := { @"dataFeed" -> [(!!@"data", ph''''')] }

$P := @\text{"dataFeed"}!!(\text{"data"})$

$Q := \text{for}(z \leftarrow @\text{"dataFeed"})\{*z\}$

$\text{Deploy}(P, \dots) \mid \text{Deploy}(Q, \dots)$

$= S \mid (@\text{"dataFeed"}!!(\text{"data"}), \text{ph}_A) \mid (\text{for}(z \leftarrow @\text{"dataFeed"})\{*z\}, \text{ph}_B)$

$T := \{ @\text{"dataFeed"} \rightarrow [] \}$

$\Rightarrow S \mid (@\text{"dataFeed"}!!(\text{"data"}), \text{ph}_A)$

$T := \{ @\text{"dataFeed"} \rightarrow [(?z.*z, \text{ph}_B')] \}$

=> S | (*@"data", ph_B')

T := { @"dataFeed" -> [(!!@"data", ph_A'')] }

=> S | ("data", ph_B'')

T := { @"dataFeed" -> [(!!@"data", ph_A'')] }

Contracts

The only semantic difference between a persistent receive and a contract definition is in who pays for the continuation.

$$\begin{aligned} \text{contract } X(z) = \{P\} &:= \text{for}(z \leq X) \{P\} \\ X(Q) &:= X! (Q) \end{aligned}$$

The left indicates that the *invoker* will pay for P ; $X(Q)$ links phlo supply to P .

- A useful distinction when publishing processes.
- Deploying a contract *definition* only requires payment for the first “receive”.

The right indicates that the *deployer* will pay for P ; $X! (Q)$ does not link phlo supply to P .

$P := \text{contract } X(z) = \{P\}$

$Q := \text{for}(z \leq X) \{P\},$

$\text{Deploy}(P, \dots) \mid \text{Deploy}(Q, \dots)$

$\Rightarrow S \mid (\text{contract } X(z) = \{P\}, \text{ph}_A) \mid (\text{for}(z \leq X) \{P\}, \text{ph}_B)$

$T := \{ X \rightarrow [] \}$

$\Rightarrow S \mid (\text{contract } X(z) = \{P\}, \text{ph}_A)$

$T := \{ X \rightarrow [(??z.P, \text{ph}_B')] \}$

$\Rightarrow S$

$T := \{ X \rightarrow [(??z.P, \text{ph}_B'), (??z.P, \perp)] \}$

$\Rightarrow S := S' \mid (X(Q), \text{ph}_C) \mid (X!(Q), \text{ph}_D)$

$T := \{ X \rightarrow [(??z.P, \text{ph}_B'), (??z.P, \perp)] \}$

$\Rightarrow S' \mid (P\{\text{@}Q/z\}, \text{ph}_B'') \mid (P\{\text{@}Q/z\}, \text{ph}_C')$

$T := \{ X \rightarrow [(??z.P, \text{ph}_B''), (??z.P, \perp)] \}$

where $(X(Q), \text{ph}_C) \rightarrow (\text{Nil}, \text{ph}_C')$

and $(X!(Q), \text{ph}_D) \rightarrow (\text{Nil}, \text{ph}_D')$