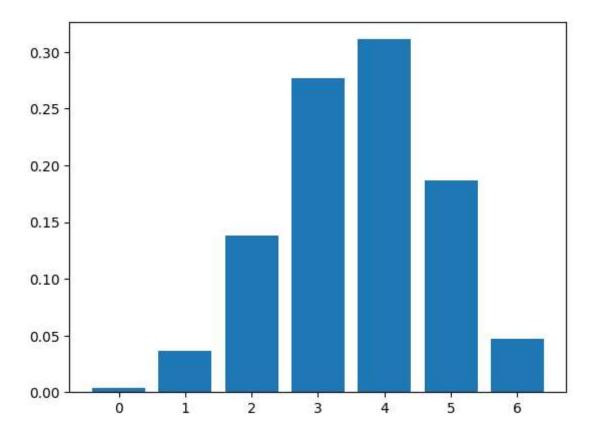
```
In [2]: # Ex 1a Calculating the simple probabilities
        import numpy as np
        import pandas as pd
        # Import the dataset
        df = pd.read_csv("Book1.csv")
        print(df)
        #Extract a Paticular Column
        pen = df['Book'].tolist()
        print(pen)
        #Average
        #print('Average:',np.average(pen))
        #Mean
        print('Mean:',np.mean(pen))
        # Variance
        print('Variance:',np.var(pen))
        #Standard Deviation
        print('Standard Deviation:',np.std(pen))
```

```
Months
                     Pen
                          Book Marker
                                        Chair
                                               Table Pen Stand
                                                                 Total Units \
                 1 2500 1500
                                  5200
        0
                                         9200
                                                1200
                                                            1500
                                                                        21100
        1
                    2630 1200
                                  5100
                                         6100
                                                2100
                                                            1200
                                                                        18330
        2
                 3
                    2140
                          1340
                                  4550
                                         9550
                                                3550
                                                            1340
                                                                        22470
        3
                    3400
                         1130
                                  5870
                                         8870
                                                1870
                                                            1130
                                                                        22270
        4
                                                                        20960
                 5 3600 1740
                                  4560
                                         7760
                                                1560
                                                            1740
        5
                 6 2760 1555
                                  4890
                                         7490
                                                1890
                                                            1555
                                                                        20140
        6
                    2980 1120
                 7
                                  4780
                                         8980
                                                1780
                                                            1120
                                                                        20760
                 8 3700 1400
        7
                                  5860
                                         9960
                                                2860
                                                            1400
                                                                        25180
        8
                    3540 1780
                                  6100
                                         8100
                                                2100
                                                            1780
                                                                        23400
                10 1990 1890
                                  8300 10300
        9
                                                2300
                                                            1890
                                                                        26670
        10
                11 2340
                          2100
                                  7300 13300
                                                2400
                                                            2100
                                                                        41280
                12 2900 1760
        11
                                  7400 14400
                                                1800
                                                            1760
                                                                        30020
            TotalProfit
        0
                 211000
        1
                 183300
        2
                 224700
        3
                 222700
        4
                 209600
        5
                 201400
        6
                 207600
        7
                 251800
        8
                 234000
        9
                 266700
        10
                 412800
        11
                 300200
        [1500, 1200, 1340, 1130, 1740, 1555, 1120, 1400, 1780, 1890, 2100, 1760]
        Mean: 1542.9166666666667
        Variance: 91960.24305555555
        Standard Deviation: 303.2494732980678
In [17]: # Ex 2 Probability distributions- Binomial Distribution
         from scipy.stats import binom
         # setting the values
         # of n and p
         n = 6
         p = 0.6
         # defining the list of r values
         r values = list(range(n + 1))
         # obtaining the mean and variance
```

```
mean, var = binom.stats(n, p)
         # list of pmf values
         dist = [binom.pmf(r, n, p) for r in r values ]
         # printing the table
         print("r\tp(r)")
         for i in range(n + 1):
             print(str(r_values[i]) + "\t" + str(dist[i]))
         # printing mean and variance
         print("mean = "+str(mean))
         print("variance = "+str(var))
                p(r)
        0
                0.00409600000000000002
        1
                0.036864000000000002
        2
                0.1382400000000000009
        3
                0.276480000000000017
        4
                0.31104000000000001
        5
                0.18662400000000001
                0.04665599999999999
        variance = 1.44
In [18]: # Ex 2 Probability distributions- Binomial Distribution
         from scipy.stats import binom
         import matplotlib.pyplot as plt
         # setting the values
         # of n and p
         n = 6
         p = 0.6
         # defining list of r values
         r_values = list(range(n + 1))
         print (r values)
         # list of pmf values
         dist = [binom.pmf(r, n, p) for r in r values ]
         # plotting the graph
         plt.bar(r_values, dist)
         plt.show()
        [0, 1, 2, 3, 4, 5, 6]
```



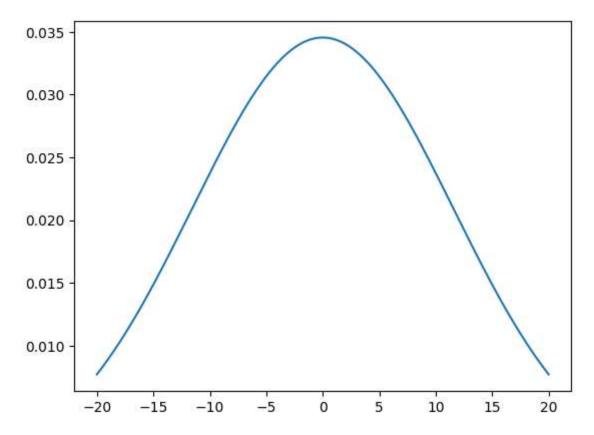
In [19]: # Ex 2 Probability distributions- Normal Distribution

import numpy as np
import matplotlib.pyplot as plt
from scipy.stats import norm
import statistics

# Plot between -10 and 10 with .001 steps.
x\_axis = np.arange(-20, 20, 0.01)

# Calculating mean and standard deviation
mean = statistics.mean(x\_axis)
sd = statistics.stdev(x\_axis)

plt.plot(x\_axis, norm.pdf(x\_axis, mean, sd))
plt.show()



In [21]: # Ex 2 Probability distributions- Poisson Distribution

from numpy import random
import matplotlib.pyplot as plt
import seaborn as sns

sns.distplot(random.poisson(lam=2, size=1000), kde=False)

plt.show()

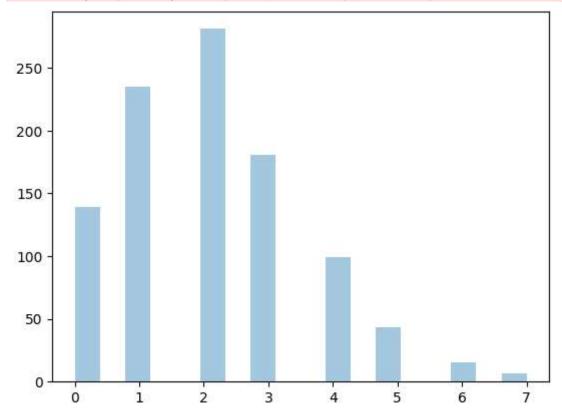
C:\Users\Dell\AppData\Local\Temp\ipykernel\_8700\476171710.py:7: UserWarning:

`distplot` is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either `displot` (a figure-level function with similar flexibility) or `histplot` (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

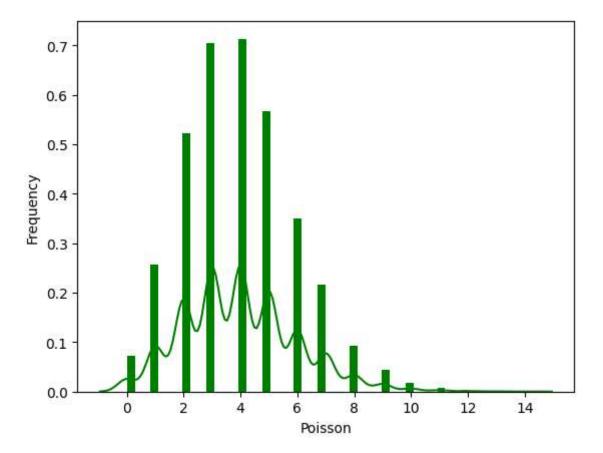
sns.distplot(random.poisson(lam=2, size=1000), kde=False)



In [22]: # Ex 2 Probability distributions- Poisson Distribution
from scipy.stats import poisson
import seaborn as sb

data binom = poisson.rvs(mu=4, size=10000)

Out[22]: [Text(0.5, 0, 'Poisson'), Text(0, 0.5, 'Frequency')]



```
In [4]: # Ex 2 Test of Significance
# Python program to demonstrate how to
# perform one sample T-test

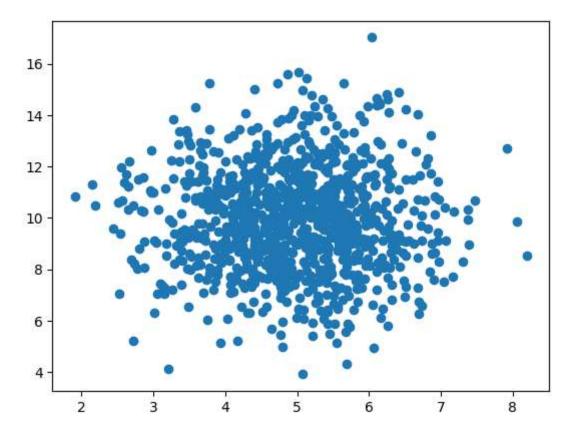
# import packages
import scipy.stats as stats
import pandas as pd

# Loading the csv file
data = pd.read_csv('areas.csv')

# perform one sample t-test
t_statistic, p_value = stats.ttest_1samp(a=data, popmean=5000)
print(t_statistic, p_value)
```

```
In [2]: # Ex 2 Test of Significance
        # Python program to demonstrate how to
        # perform two sample T-test
        # Import the library
        import scipy.stats as stats
        import numpy as np
        # Creating data groups
        data group1 = np.array([14, 15, 15, 16, 13, 8, 14,
                                17, 16, 14, 19, 20, 21, 15,
                                15, 16, 16, 13, 14, 12])
        data group2 = np.array([15, 17, 14, 17, 14, 8, 12,
                                19, 19, 14, 17, 22, 24, 16,
                                13, 16, 13, 18, 15, 13])
        # Perform the two sample t-test with equal variances
        stats.ttest ind(a=data group1, b=data group2, equal var=True)
Out[2]: TtestResult(statistic=-0.6337397070250238, pvalue=0.5300471010405257, df=38.0)
In [ ]: # Ex 2 Test of Significance
        # Python program to demonstrate how to
        # ANOVA
        # Importing Library
        from scipy.stats import f oneway
        # Performance when each of the engine
        # oil is applied
        performance1 = [89, 89, 88, 78, 79]
        performance2 = [93, 92, 94, 89, 88]
        performance3 = [89, 88, 89, 93, 90]
        performance4 = [81, 78, 81, 92, 82]
        # Conduct the one-way ANOVA
        f oneway(performance1, performance2, performance3, performance4)
```

```
In [1]: # Ex 2 Test of Significance
        # Python program to demonstrate how to
        # Chi-Square Test
        from scipy.stats import chi2 contingency
        # defining the table
        data = [[207, 282, 241], [234, 242, 232]]
        stat, p, dof, expected = chi2_contingency(data)
        # interpret p-value
        alpha = 0.05
        print("p value is " + str(p))
        if p <= alpha:</pre>
            print('Dependent (reject H0)')
        else:
            print('Independent (H0 holds true)')
       p value is 0.10319714047309392
       Independent (H0 holds true)
In [2]: # Ex 3 Correlation and Regression analysis
        # Scattered diagram
        import numpy
        import matplotlib.pyplot as plt
        x = numpy.random.normal(5.0, 1.0, 1000)
        y = numpy.random.normal(10.0, 2.0, 1000)
        plt.scatter(x, y)
        plt.show()
```



In [4]: # Ex 3 Correlation and Regression analysis
# Python Program to find correlation coefficient.
import math

# function that returns correlation coefficient.
def correlationCoefficient(X, Y, n):
 sum\_X = 0
 sum\_Y = 0
 sum\_XY = 0
 squareSum\_X = 0
 squareSum\_Y = 0

i = 0
while i < n:
 # sum of elements of array X.</pre>

```
sum X = sum X + X[i]
        # sum of elements of array Y.
        sum Y = sum Y + Y[i]
        # sum of X[i] * Y[i].
        sum XY = sum XY + X[i] * Y[i]
        # sum of square of array elements.
        squareSum_X = squareSum_X + X[i] * X[i]
        squareSum_Y = squareSum_Y + Y[i] * Y[i]
        i = i + 1
    # use formula for calculating correlation
    # coefficient.
    corr = (float)(n * sum_XY - sum_X * sum_Y)/(float)(math.sqrt((n * squareSum_X - sum_X * sum_X)* (n * squareSum_Y
    return corr
# Driver function
X = [15, 18, 21, 24, 27]
Y = [25, 25, 27, 31, 32]
# Find the size of array.
n = len(X)
# Function call to correlationCoefficient.
print ('{0:.6f}'.format(correlationCoefficient(X, Y, n)))
```

## 0.953463

```
In [5]: # Ex 3 Correlation and Regression analysis
    # Linear Reggresion
    import numpy as np
    import matplotlib.pyplot as plt

def estimate_coef(x, y):
        # number of observations/points
        n = np.size(x)

        # mean of x and y vector
        m_x = np.mean(x)
```

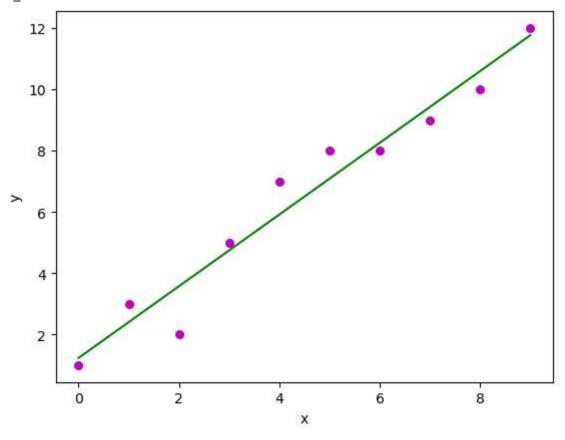
```
m y = np.mean(y)
   # calculating cross-deviation and deviation about x
   SS xy = np.sum(y*x) - n*m y*m x
   SS xx = np.sum(x*x) - n*m x*m x
   # calculating regression coefficients
   b 1 = SS xy / SS xx
   b 0 = m y - b 1*m x
    return (b 0, b 1)
def plot regression line(x, y, b):
   # plotting the actual points as scatter plot
   plt.scatter(x, y, color = "m",
              marker = "o", s = 30)
   # predicted response vector
   y_{pred} = b[0] + b[1]*x
   # plotting the regression line
   plt.plot(x, y_pred, color = "g")
   # putting labels
   plt.xlabel('x')
   plt.ylabel('y')
   # function to show plot
    plt.show()
def main():
   # observations / data
   x = np.array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
   y = np.array([1, 3, 2, 5, 7, 8, 8, 9, 10, 12])
   # estimating coefficients
    b = estimate coef(x, y)
   print("Estimated coefficients:\nb 0 = {} \
         \nb 1 = {}".format(b[0], b[1]))
    # plotting regression line
   plot regression line(x, y, b)
```

```
if __name__ == "__main__":
    main()
```

Estimated coefficients:

 $b_0 = 1.2363636363636363$ 

 $b_1 = 1.1696969696969697$ 



In [ ]:

```
In [9]: # Ex 3 Correlation and Regression analysis
         # Logistic Reggresion
In [14]: # Read and Explore the data
         import pandas as pd
         dataset = pd.read_csv("User_Data1.csv")
          # input
          x = dataset.iloc[:, [2, 3]].values
         # output
         y = dataset.iloc[:, 4].values
         print(dataset)
             User ID
                        Gender
                                 Age
                                       Estimated Salary
                                                           Purchased
            15810944
                          Male
                                  35
                                                  20000
                                                                   0
            15668575
                        Female
                                  26
                                                  43000
                                                                   0
            15603246
                                                  57000
                        Female
                                  27
            15804002
                         Male
                                  19
                                                  76000
                                                                   0
            15728773
                          Male
                                                                   0
                                  27
                                                  58000
            15598044
                       Female
                                                                   0
        5
                                  27
                                                  84000
            15694829
                        Female
                                  32
                                                 150000
                                                                   1
                                                                   0
        7
            15600575
                          Male
                                  25
                                                  33000
            15727311
                                                                   0
                        Female
                                  35
                                                  65000
            15570769
                                                                   0
                        Female
                                  26
                                                  80000
        10 15606274
                        Female
                                  26
                                                  52000
        11 15746139
                          Male
                                  20
                                                  86000
                                                                   0
        12 15704987
                          Male
                                  32
                                                  18000
                                                                   0
        13 15628972
                          Male
                                  18
                                                  82000
                                                                   0
                                                                   0
        14 15697686
                          Male
                                  29
                                                  80000
        15 15733883
                          Male
                                  47
                                                  25000
                                                                   1
        16 15617482
                          Male
                                  45
                                                  26000
                                                                   1
        17 15704583
                          Male
                                  46
                                                  28000
                                                                   1
 In [3]: #Splitting The Dataset: Train and Test dataset
         from sklearn.model_selection import train_test_split
         xtrain, xtest, ytrain, ytest = train test split(
             x, y, test_size=0.25, random_state=0)
```

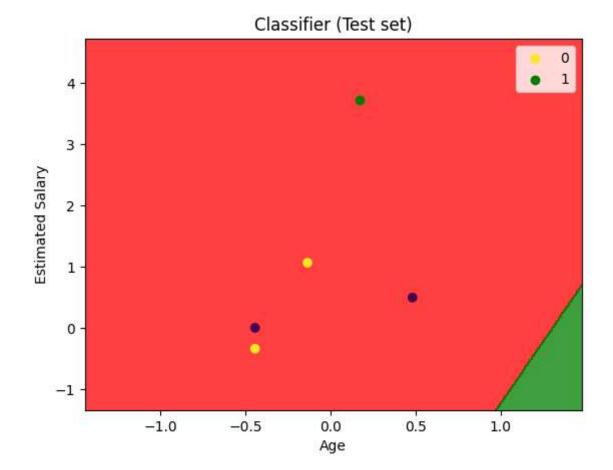
```
In [4]: #Splitting The Dataset: Train and Test dataset
        from sklearn.preprocessing import StandardScaler
        sc x = StandardScaler()
        xtrain = sc_x.fit_transform(xtrain)
        xtest = sc x.transform(xtest)
        print (xtrain[0:10, :])
       [[-0.33994485 0.23651273]
        [-0.33994485 0.1985539 ]
        [ 1.50998758 -0.97816994]
        [ 1.61276161 -0.90225228]
        [-0.44271887 1.07160707]
        [-0.5454929 -0.71245811]
        [-1.26491106 1.14752474]
        [-1.05936302 1.29936007]
        [-1.16213704 0.91977174]
        [ 0.48224734 -1.20592294]]
In [5]: #Train The Model
        from sklearn.linear_model import LogisticRegression
        classifier = LogisticRegression(random state = 0)
        classifier.fit(xtrain, ytrain)
Out[5]:
                 LogisticRegression
        LogisticRegression(random_state=0)
In [6]: y_pred = classifier.predict(xtest)
In [7]: #Evaluation Metrics
        from sklearn.metrics import confusion_matrix
        cm = confusion_matrix(ytest, y_pred)
        print ("Confusion Matrix : \n", cm)
```

```
[[4 0]
        [1 0]]
In [8]: #Visualizing the performance
        from matplotlib.colors import ListedColormap
        import numpy as np
        from matplotlib import pyplot as plt
        X set, y set = xtest, ytest
        X1, X2 = np.meshgrid(np.arange(start = X set[:, 0].min() - 1,
                                        stop = X set[:, 0].max() + 1, step = 0.01),
                             np.arange(start = X set[:, 1].min() - 1,
                                        stop = X set[:, 1].max() + 1, step = 0.01))
        plt.contourf(X1, X2, classifier.predict(
                     np.array([X1.ravel(), X2.ravel()]).T).reshape(
                     X1.shape), alpha = 0.75, cmap = ListedColormap(('red', 'green')))
        plt.xlim(X1.min(), X1.max())
        plt.ylim(X2.min(), X2.max())
        for i, j in enumerate(np.unique(y set)):
            plt.scatter(X set[y set == j, 0], X set[y set == j, 1],
                        c = ListedColormap(('red', 'green'))(i), label = j)
        plt.title('Classifier (Test set)')
        plt.xlabel('Age')
        plt.ylabel('Estimated Salary')
        plt.legend()
        plt.show()
```

Confusion Matrix :

```
C:\Users\Dell\AppData\Local\Temp\ipykernel_7924\4261614875.py:20: UserWarning: *c* argument looks like a single numer ic RGB or RGBA sequence, which should be avoided as value-mapping will have precedence in case its length matches wit h *x* & *y*. Please use the *color* keyword-argument or provide a 2D array with a single row if you intend to specify the same RGB or RGBA value for all points.

plt.scatter(X set[y set == j, 0], X set[y set == j, 1],
```



In [ ]: