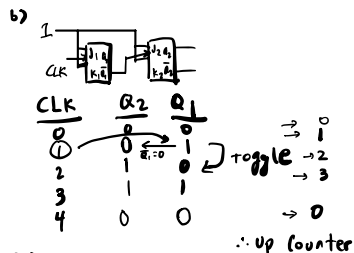
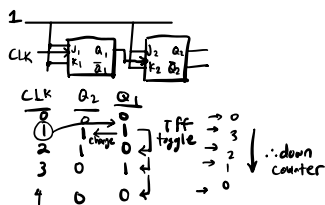
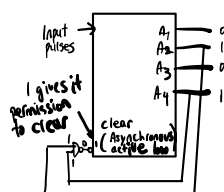


b.11) a) $2 JKs \rightarrow Tff$

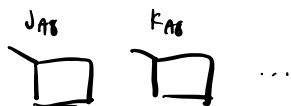


BCD (Base 10): $10 \rightarrow 0$
 $1010 \rightarrow 0000$
 $A_4 A_3 A_2 A_1$



6-197

| Present | Next | FF, l'ap | (Co) |
|--|--|---|-----------------------------------|
| $A_3 A_2 A_1 A_0$ | $A_3^* A_2^* A_1^* A_0^*$ | $J_{A_3} K_{A_3} J_{A_2} K_{A_2} J_{A_1} K_{A_1} J_{A_0} K_{A_0}$ | $D_{A_3} D_{A_2} D_{A_1} D_{A_0}$ |
| $ \begin{array}{cccc} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ & & & \vdots \end{array} $ | $ \begin{array}{c} \leftarrow \\ \vdots \end{array} $ | Use excitation table | |



compare:

$$\begin{array}{ll} J_{A8} = A_4 A_2 A_1 & K_{A8} = A_1 \\ J_{A4} = A_2 A_1 & K_{A4} = A_2 A_1 \\ J_{A2} = A_8 A_1 & K_{A2} = A_1 \\ J_{A1} = 1 & K_{A1} = 1 \end{array}$$

$\therefore 4 \text{ AND} = 4 \text{ total}$

$$D_{A_1} = A_8 A_1' + A_4 A_2 A_1 \quad D_{A_2} = A_9 \oplus A_2 A_1$$

$$D_{A_1} = A_2 A_1' + A_3' A_2' A_1 \quad D_{A_1} = A_1'$$

$\therefore 5 \text{ AND, } 2 \text{ OR, } 1 \text{ XOR} = 8 \text{ total}$

$\therefore JK$ is more efficient

6.27 a)

| Present | | | Next | FF Inp |
|---------|-------|-------|---------------------|---------------------------------------|
| A_4 | A_2 | A_1 | $A_4^* A_2^* A_1^*$ | $J K A_4 \quad J K A_2 \quad J K A_1$ |
| | | | | excitation table |

| Q | Q^* | S R | D | J K | T |
|---|-------|-----|---|-----|---|
| 0 | 0 | 0 X | 0 | 0 X | 0 |
| 0 | 1 | 1 0 | 1 | 1 X | 1 |
| 1 | 0 | 0 1 | 0 | X 1 | 0 |
| 1 | 1 | X 0 | 1 | X 0 | 1 |

$Q^* = T \oplus Q$

Equations: $\bar{A} = S + \bar{R}A$ NOR
 $A = \bar{S} + R$ NAND

$$Q^Y = \sqrt{Q} + KQ$$

$$\mathbb{Q}^* = \mathbb{T} \oplus \mathbb{Q}$$

A4

$0 \rightarrow 7 = 4$ inputs

4.9)

| | |
|---------|---------------|
| A B C D | a b c d e f g |
|---------|---------------|



4.21)

$$A = A_3 A_2 A_1 A_0$$

$$B = B_3 B_2 B_1 B_0$$

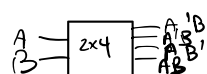
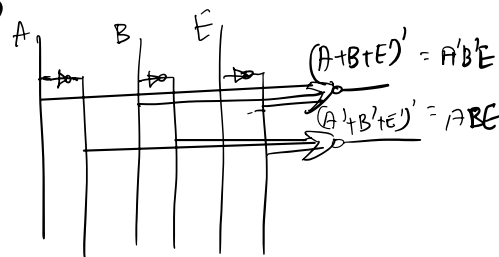
| A | B | Y |
|---|---|---|
| 0 | 0 | 1 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

XNOR

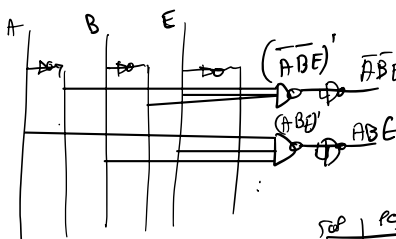
$$y = (A_3 \oplus B_3)' (A_2 \oplus B_2)' (A_1 \oplus B_1)' (A_0 \oplus B_0)'$$



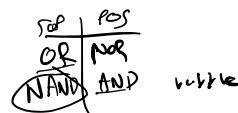
4.23)

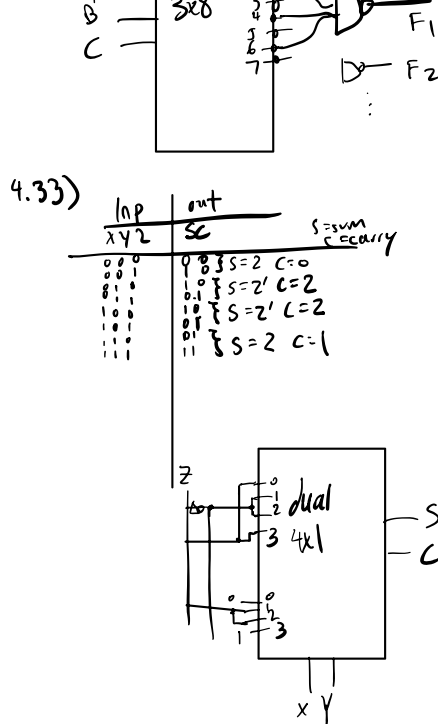
 $a)$ 

b7)



4.27)





| | |
|------------|----------------------------|
| <u>SOP</u> | <u>POS</u> |
| OR | NOR = Active high |
| NAND | AND = Active Low (bubbles) |

Assume $Q=1$
 $\bar{Q}=0$

```

graph LR
    CLK[CLK] --> D1[D]
    CLK --> D2[D]
    D1 -- A --> D2
    D2 -- B --> Z[Z]
    subgraph More
        D3[D]
        D4[D]
    end
    D2 --> D3
    D3 --> D4
    style More fill:none,stroke:none

```

c)

```
graph LR; 00((00)) -- "00/0" --> 00; 00 -- "11/0" --> 01((01)); 01 -- "10/0" --> 10((10)); 10 -- "01/0" --> 11((11)); 11 -- "00/0" --> 00;
```

b)

| Present | | inp | Next | |
|---------|---|-----|------|----|
| A | B | X | A* | B* |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 1 | 1 |

c)

```


graph TD
    00((00)) -- 0 --> 00
    00 -- 1 --> 01((01))
    01 -- 0 --> 00
    01 -- 1 --> 10((10))
    10 -- 0 --> 01
    10 -- 1 --> 11((11))
    11 -- 0 --> 10
    11 -- 1 --> 11
  
```

3.10a) $\omega_x \times 2$

$$F = x_2 + wx + x_1'z'$$

$$ep = x_2, wx, x_1'z'$$

3. (6a) F_2

AB CD 

$$F = \overline{C + D}$$

$$= \overline{CD} \quad \overline{C} \quad \overline{D} \Rightarrow \text{NAND}$$

c)

$$F = \overline{C + A \cdot D}$$
$$= (\overline{C \cdot (A \cdot D)})'$$
$$= (\overline{C \cdot A \cdot D})'$$
$$= (\overline{C \cdot (A \cdot D)})'$$

Logic circuit diagram showing the implementation of the function $F = \overline{C + A \cdot D}$ using NOT and AND gates.

2.14 a) $F = x'y + x'y' + y'z$

b) $F = (x' + y')' + (x + y)' + (y + z')'$ w/ inverters

c) $F = [(xy)'(x'y')'(y'z)']' \text{ w/ Inversen}$

d) (\subset) w/ NAND

e) (b) w/ Nor

1.3a) $\Rightarrow ()_{10}$

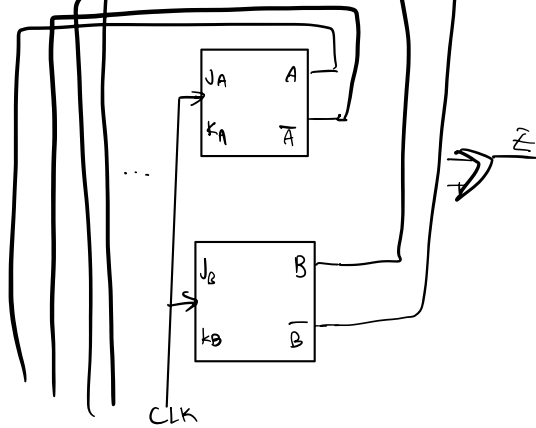
$$4 \times 5^3 + 3 \times 5^2 + 1 \times 5^1 + 0 \times 5^0$$

$$\begin{aligned} 1.7) \quad & (64CD)_{16} \\ &= (0000 \ 0100 \ 1100 \ 1101)_2 \\ &= (6235)_8 \end{aligned}$$

1.14 a) 15 0110 1111 swap all
25 0111 0000 change once you
hit 1

5.10)

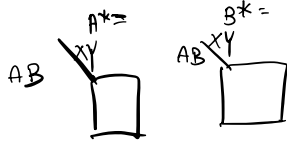
a)



b) Present Inp next output

| A | B | xy | A*B* | Z |
|---|---|----|------|---|
| 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 1 |
| 1 | 1 | 1 | 1 | 0 |

Eq.



5.12)

d=h
b=e
c=a

| Present | Next x=0 x=1 | output x=0 x=1 |
|---------|-----------------|-------------------|
| a | f | 0 0 |
| b | c | 0 0 |
| c | a | 1 0 |
| d | b | 0 1 |
| e | d | 0 1 |
| f | e | 0 1 |
| g | g | 0 1 |

1.16a) $(1100\ 0011\ 1010\ 1111)_2$

15 $(0011\ 1100\ 0101\ 0000)_{16} \rightarrow 155\ (3C5D)_{16}$

25 $(0011\ 1100\ 0101\ 0001)_{16} \rightarrow 15\ (3C5D)_{16}$

1.17a) $5297 = 05297$

$$\begin{array}{r} 99999 \\ - 05297 \\ \hline 94702 \\ + 1 \\ \hline 94703 \end{array} \quad \begin{array}{r} 6473 \\ + 94703 \\ \hline 101176 \\ \oplus \\ = 01176 \end{array}$$

b) $1800 = 01800$

$$\begin{array}{r} 99999 \\ - 01800 \\ \hline 98199 \\ + 1 \\ \hline 98200 \end{array} \quad \begin{array}{r} 125 \\ + 98200 \\ \hline 98325 \\ \ominus \text{ set magnitude} \\ \downarrow \\ -1675 \end{array} \quad \begin{array}{r} 125 \\ - 1800 \\ \hline 1675 \end{array}$$

1.18a) $10010 = 010010$

$$\begin{array}{r} 010010 \\ 001110\ 2s \\ \hline 100001 \end{array} \quad \begin{array}{r} 10011 \\ + 001110 \\ \hline 100001 \\ + = (00001)_2 \end{array}$$

b) $100110 = 0100110$

$$\begin{array}{r} 0100110 \\ 0011010\ 2s \\ \hline 0111100 \end{array} \quad \begin{array}{r} 100\ 010 \\ 0011\ 010 \\ \hline 0111100 \\ \ominus \text{ so } 2s \text{ complement} \\ \Rightarrow (000100)_2 \end{array}$$

$110101 = 0110101$

$$\begin{array}{r} 0110101 \\ 0001011\ 2s \\ \hline 0111100 \end{array} \quad \begin{array}{r} 000\ 1001 \\ 0010\ 1011 \\ \hline 0111100 \\ \ominus \text{ so } 2s \\ \hline (101100)_2 \end{array}$$