Homework 3 MAE 207

Code for design study

```
In [9]:
```

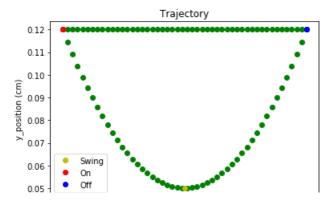
```
import numpy as np
import matplotlib as mpl
import matplotlib.pyplot as plt
from scipy.optimize import minimize
from scipy.optimize import fsolve
def IK_5_link(x, y, 11 = 0.09, 12 = 0.16, w = 0.07):
   def leg wide(var):
       return np.linalg.norm([var[1] - np.pi, var[0]])
   def x_constraint_equation(var):
       # should be equal to zero when the
       return 11**2 - 12**2 + (x - w/2)**2 + y**2 - 2*11*(y*np.sin(var[0])) + (x - w/2)*np.cos(var[0]))
   def y constraint equation(var):
       return 11**2 - 12**2 + (x + w/2)**2 + y**2 - 2*11*(y*np.sin(var[1]) + (x + w/2)*np.cos(var[1]))
   res = minimize(leg wide, (0.1, 9*np.pi/10), method="SLSQP", constraints= ({"type": "eq", "fun": x c
onstraint equation),
                                                                                {"type": "eq", "fun": y
constraint equation )))
   return (res, np.linalg.norm([x constraint equation(res.x), y constraint equation(res.x)]))
def design_study(x_on, y_on, x_off, y_off, x_swing, y_swing, T, d, N):
   thetaR stance = []
   thetaL stance = []
   thetaR swing = []
   thetaL swing = []
   ##### x on to x off (straight line movement) #####
   x points = [x on, x off]
   y points = [y_on,y_off]
   degree = 1
   z = np.polyfit(x_points, y_points, degree)
   p = np.poly1d(z)
   pprime = np.polyld.deriv(p)
   increments stance = N*d
   x plot = np.linspace(x on, x off, increments stance)
   y plot = p(x plot)
   plt.plot(x_plot, y_plot, 'go')
   for i in range(len(x_plot)):
       res = IK_5_link(x_plot[i], y_plot[i])
       thetaR = res[0].x[0]
       thetaL = res[0].x[1]
       thetaR stance.append(thetaR)
       thetaL stance.append(thetaL)
    #### x off to x swing to x on
   x points = [x off, x swing, x on]
   y points = [y_off, y_swing, y_on]
   degree = 2
   z = np.polyfit(x_points, y_points, degree)
   p = np.polyld(z)
```

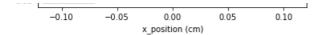
```
increments_swing = N*(1-d)
x_plot = np.linspace(x_off, x_on, increments_swing)
y_plot = p(x_plot)
plt.plot(x_plot, y_plot, 'go')
plt.plot(x_swing,y_swing,'yo', label = 'Swing')
plt.plot(x_on,y_on,'ro', label='On')
plt.plot(x_off, y_off, 'bo', label='Off')
plt.legend()
plt.title("Trajectory")
plt.ylabel("y_position (cm)")
plt.xlabel("x position (cm)")
plt.show()
#### Getting theta values #####
for i in range(len(x_plot)):
    res = IK_5_link(x_plot[i], y_plot[i])
    thetaR = res[0].x[0]
    thetaL = res[0].x[1]
    thetaR_swing.append(thetaR)
    thetaL_swing.append(thetaL)
time_increments_stance = np.linspace(0, d*T, increments_stance)
time_increments_swing = np.linspace(d*T, T, increments_swing)
plt.plot(time_increments_stance, thetaL_stance, 'bo')
plt.plot(time_increments_swing, thetaL_swing, 'bo')
plt.title("Theta L vs Time")
plt.ylabel("Radians")
plt.xlabel("Time (s)")
plt.show()
plt.plot(thetaR_stance, thetaL_stance, 'go')
plt.plot(thetaR_swing, thetaL_swing, 'go')
plt.title("Theta R vs Theta L")
plt.show()
plt.plot(time increments stance, thetaR stance, 'bo')
plt.plot(time_increments_swing, thetaR_swing, 'bo')
plt.title("Theta R vs Time")
plt.ylabel("Radians")
plt.xlabel("Time (s)")
plt.show()
```

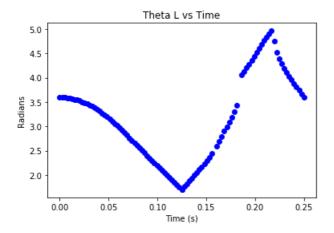
Design Study Gait 1 Plots

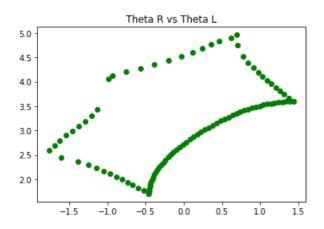
```
In [10]:
```

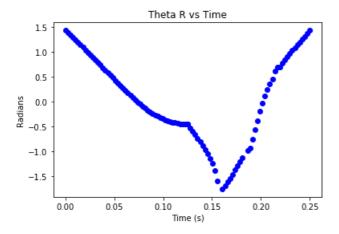
```
x_on = -0.11
y_on = 0.12
x_off = 0.11
y_off = 0.12
x_swing = 0
y_swing = 0.05
T = 0.25
d = 0.5
N = 100
design_study(x_on, y_on, x_off, y_off, x_swing, y_swing, T, d, N)
```







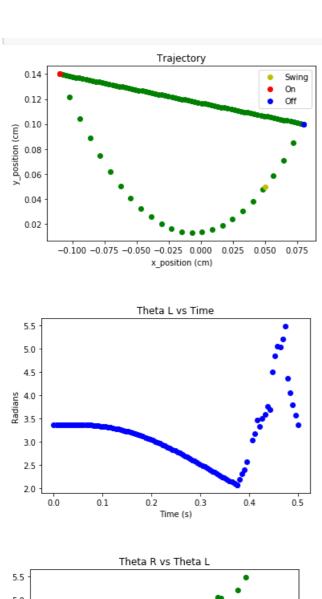


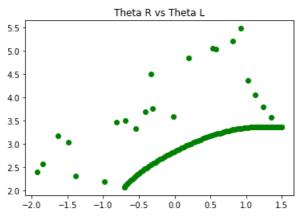


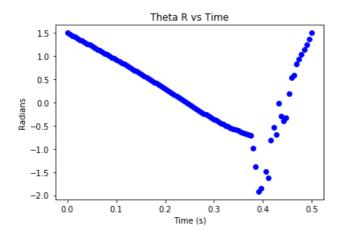
Design Study Gait 2 Plots

In [11]:

```
x_on = -0.11
y_on = 0.14
x_off = 0.08
y_off = 0.10
x_swing = 0.05
y_swing = 0.05
T = 0.50
d = 0.75
N = 100
design_study(x_on, y_on, x_off, y_off, x_swing, y_swing, T, d, N)
```



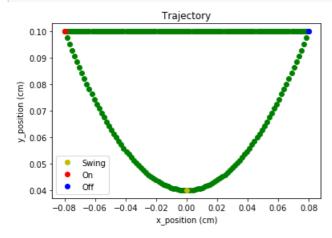


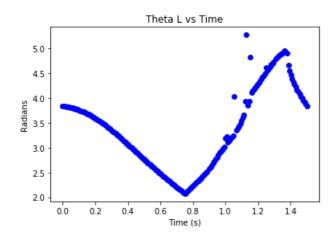


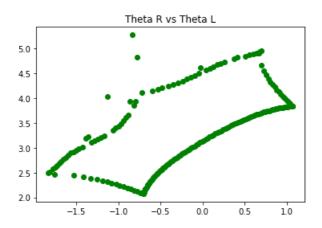
Design Study Gait 3 Plots

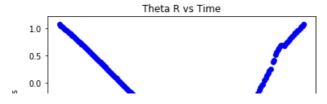
In [12]:

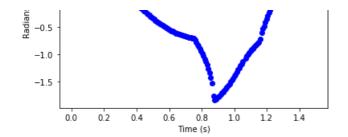
```
x_on = -0.08
y_on = 0.10
x_off = 0.08
y_off = 0.10
x_swing = 0.0
y_swing = 0.04
T = 1.5
d = 0.5
N = 200
design_study(x_on, y_on, x_off, y_off, x_swing, y_swing, T, d, N)
```





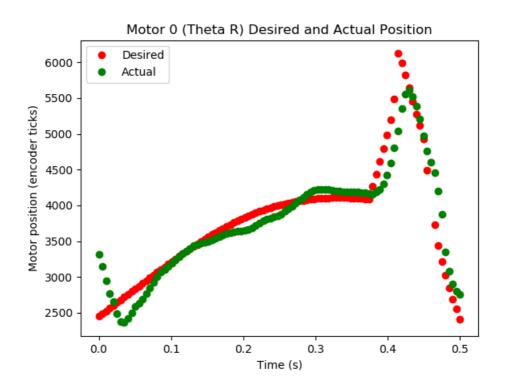


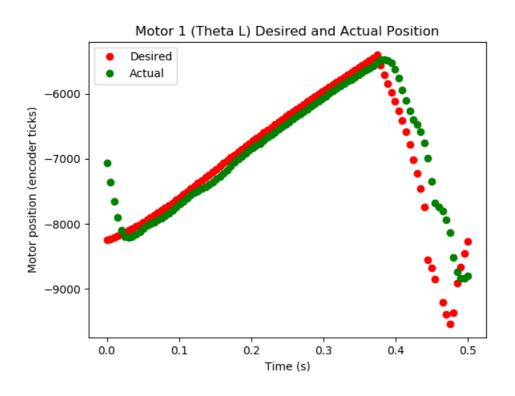




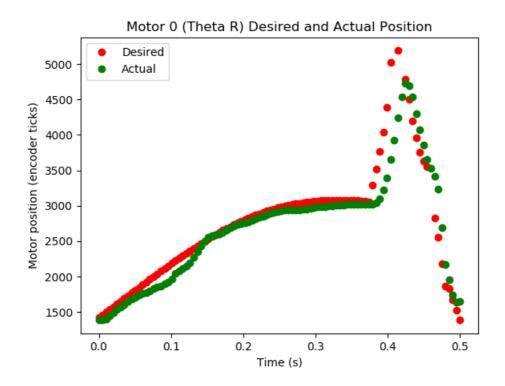
Hands On Study

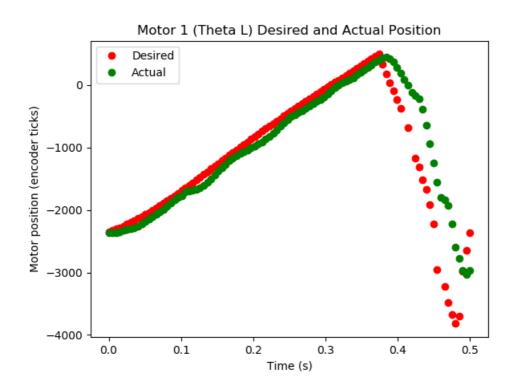
Motor Positions Gait 1



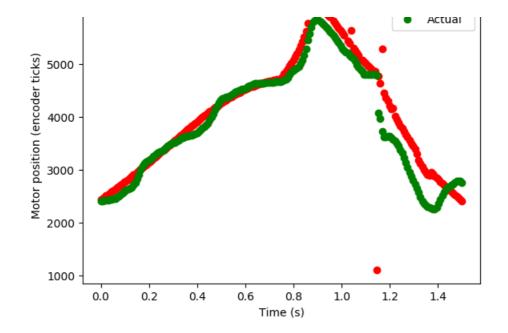


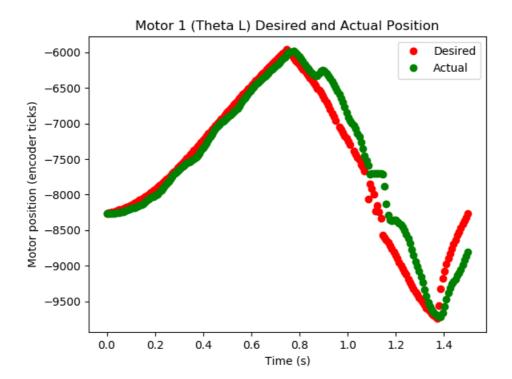
Motor Positions Gait 2





Motor Positions Gait 3





Code below used for controlling motors - Partner for project is James Salem

```
In [ ]:
```

```
import numpy as np
import matplotlib as mpl
mpl.use('Qt5Agg')
import matplotlib.pyplot as plt
plt.ion()

# for the symbolic manipulation of jacobian
import sympy as sp
# from sympy import symbols
# from sympy import sin, cos, asin, acos, pi, atan2, sqrt
from sympy.utilities.lambdify import lambdify
# from sympy import Matrix

from scipy.optimize import minimize
from scipy.optimize import fsolve
```

```
import time
import odrive
import odrive.utils
import odrive.enums
In [ ]:
odrv0 = odrive.find any()
if odrv0 is not None:
   print('Connected!')
   print('Odrive serial {}'.format(odrv0.serial_number))
   m0 = odrv0.axis0.motor.is calibrated
   m1 = odrv0.axis1.motor.is_calibrated
   print('Motor 0 calibrated: {}'.format(m0))
   print('Motor 1 calibrated: {}'.format(m1))
   print('Not connected')
In [ ]:
odrv0.axis0.controller.config.vel limit = 200000
odrv0.axis1.controller.config.vel limit = 200000
In [ ]:
odrv0.axis0.requested state = odrive.enums.AXIS STATE FULL CALIBRATION SEQUENCE
odrv0.axis1.requested state = odrive.enums.AXIS STATE FULL CALIBRATION SEQUENCE
time.sleep(15)
print('\t Motor 0 calibration result: {} \r\n'.format(odrv0.axis0.motor.is_calibrated),
      '\t Motor 1 calibration result: {}'.format(odrv0.axis1.motor.is calibrated))
In [ ]:
odrv0.axis0.requested state = odrive.enums.AXIS STATE CLOSED LOOP CONTROL
odrv0.axis1.requested_state = odrive.enums.AXIS_STATE_CLOSED_LOOP_CONTROL
odrv0.axis0.controller.set_pos_setpoint(1.2343835830688477,0,0)
odrv0.axis1.controller.set_pos_setpoint(-3207.765625,0,0)
In [ ]:
odrv0.axis0.requested state = odrive.enums.AXIS STATE IDLE
odrv0.axis1.requested_state = odrive.enums.AXIS_STATE_IDLE
In [ ]:
# adjust joint angles
adjusted joint angles = np.pi - joint angles
In [ ]:
motor cpr = (odrv0.axis0.encoder.config.cpr,
            odrv0.axis1.encoder.config.cpr)
def convert joints(angles, cpr=motor cpr, zero pos = (2774.234375-4096, -1452.25)):
   encoder vals = (angles * cpr[0] / (2 * np.pi)) + zero pos
   return encoder vals
```

In []:

```
# get encoder values
encoder_vals = convert_joints(adjusted_joint_angles)
```

In []:

```
import math
T = 0.5
N = 100
time_per_tick = T / N
odrv0.axis0.requested state = odrive.enums.AXIS STATE CLOSED LOOP CONTROL
odrv0.axis1.requested state = odrive.enums.AXIS STATE CLOSED LOOP CONTROL
actual_motor_pos0 = []
actual motor pos1 = []
for j in range (5):
   for i in range(encoder vals.shape[0]):
       start = time.time()
        thetaR = encoder vals[i,0]
        thetaL = encoder vals[i,1]
        if math.isnan(thetaR):
           print("nan")
        else:
            odrv0.axis0.controller.set pos setpoint(thetaR,0,0)
            odrv0.axis1.controller.set pos setpoint(thetaL,0,0)
       M0 = odrv0.axis0.encoder.pos estimate
       M1 = odrv0.axis1.encoder.pos estimate
        actual_motor_pos0.append(M0)
        actual_motor_pos1.append(M1)
        end = time.time()
        time.sleep(time per tick - (start - end))
```

Code below used to plot configurations to ensure simulation angles are correct before using motors

```
In [7]:
```

```
11 = 0.09; # m
12 = 0.16. # m
```

```
w = 0.07;
def internal angles(thetaR, thetaL, 11 = 11, 12 = 12, w = w):
    \# system of equations = @(x) sum(abs([w + 11*(cos(b1)-cos(a1)) + 12*(cos(x(2))-cos(x(1)));
                                          11*(sin(b1)-sin(a1)) + 12*(sin(x(2))-sin(x(1))));
    \# x \ guess = [a1, b1 + pi/2];
    # % [x,fval,exitflag,output] = fminsearch(system of equations, x guess);
    # [x,fval,exitflag,output] = fmincon(system of equations, ...
                                          x guess, ...
                                          [\bar{l}], [l], [l], [l], \dots
                                          [-pi, -pi], [pi, pi]);
    # a2 = x(1);
    # b2 = x(2);
    \# x = w/2 + 11*\cos(b1) + 12*\cos(b2);
    # y = 11*sin(b1) + 12*sin(b2);
    def sys(x):
        return (w + 11*np.cos(thetaR) + 12*np.cos(x[0]) - <math>11*np.cos(thetaL) - 12*np.cos(x[1]),
                11*np.sin(thetaR) + 12*np.sin(x[0]) - 11*np.sin(thetaL) - 12*np.sin(x[1]))
    alphaR, alphaL = fsolve(sys, (np.pi/2, np.pi/2))
    alphaR = alphaR % (2*np.pi)
    alphaL = alphaL % (2*np.pi)
    # Copmute FK for checking
    x = w/2 + 11*np.cos(thetaR) + 12*np.cos(alphaR);
    y = 11*np.sin(thetaR) + 12*np.sin(alphaR);
    return (alphaR, alphaL, x, y)
def draw robot(thetaR, thetaL, link1 = 11, link2 = 12, width = w, ax = False):
    #plt.ion()
    # Solve for internal angles
    (alphaR, alphaL, x, y) = internal_angles(thetaR, thetaL)
    def pol2cart(rho, phi):
       x = rho * np.cos(phi)
       y = rho * np.sin(phi)
       return(x, y)
    plt.plot(-width/2, 0, 'ok')
    plt.plot(width/2, 0, 'ok')
    plt.plot([-width/2, 0], [0, 0], 'k')
    plt.plot([width/2, 0], [0, 0], 'k')
    plt.plot(-width/2 + np.array([0, link1*np.cos(thetaL)]), [0, link1*np.sin(thetaL)], 'k')
    plt.plot(width/2 + np.array([0, link1*np.cos(thetaR)]), [0, link1*np.sin(thetaR)], 'k')
    plt.plot(-width/2 + link1*np.cos(thetaL) + np.array([0, link2*np.cos(alphaL)]), \
             link1*np.sin(thetaL) + np.array([0, link2*np.sin(alphaL)]), 'k');
    plt.plot(width/2 + link1*np.cos(thetaR) + np.array([0, link2*np.cos(alphaR)]), \
             np.array(link1*np.sin(thetaR) + np.array([0, link2*np.sin(alphaR)])), 'k');
    plt.plot(x, y, 'ro');
    plt.xlim((-0.5, 0.5))
    plt.ylim((-0.2,0.2))
   plt.show()
     plt.plot(x end, y end, 'go');
    \#ax.axis([-.3,.3,-.1,.3])
```

```
thetaL_total = thetaL_stance
thetaL_total.extend(thetaL_swing)
for i in range(len(thetaR_total)):
    thetaR = thetaR_total[i]
    thetaL = thetaL_total[i]
    draw_robot(thetaR, thetaL)
```